



# Elucidation of a dynamic interplay between a beta-2 adrenergic receptor, its agonist, and stimulatory G protein

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G protein-coupled receptors (GPCRs) represent the largest group of membrane receptors for transmembrane signal transduction. Ligand-induced activation of GPCRs triggers G protein activation followed by various signaling cascades. Understanding the structural and energetic determinants of ligand binding to GPCRs and GPCRs to G proteins is crucial to the design of pharmacological treatments targeting specific conformations of these proteins to precisely control their signaling properties. In this study, we focused on interactions of a prototypical GPCR, beta-2 adrenergic receptor ( $\beta_2$ AR), with its endogenous agonist, norepinephrine (NE), and the stimulatory G protein ( $G_s$ ). Using molecular dynamics (MD) simulations, we demonstrated the stabilization of cationic NE, NE(+), binding to  $\beta_2$ AR by  $G_s$  protein recruitment, in line with experimental observations. We also captured the partial dissociation of the ligand from  $\beta_2$ AR and the conformational interconversions of  $G_s$  between closed and open conformations in the NE(+)- $\beta_2$ AR- $G_s$  ternary complex while it is still bound to the receptor. The variation of NE(+) binding poses was found to alter  $G_s$   $\alpha$  subunit ( $G_s\alpha$ ) conformational transitions. Our simulations showed that the interdomain movement and the stacking of  $G_s\alpha$   $\alpha 1$  and  $\alpha 5$  helices are significant for increasing the distance between the  $G_s\alpha$  and  $\beta_2$ AR, which may indicate a partial dissociation of  $G_s\alpha$ . The distance increase commences when  $G_s\alpha$  is predominantly in an open state and can be triggered by the intracellular loop 3 (ICL3) of  $\beta_2$ AR interacting with  $G_s\alpha$ , causing conformational changes of the  $\alpha 5$  helix. Our results help explain molecular mechanisms of ligand and GPCR-mediated modulation of G protein activation.

G protein-coupled receptor | G protein | norepinephrine | sympathetic nervous system | molecular dynamics

GPCRs transduce intracellular signaling via coupling to G proteins. In the heart, sympathetic nervous system (SNS) activation increases cardiac output to supply the body with oxygenated blood by raising the heart rate, the force of contraction, and conduction rate (1). SNS activation in the cardiovascular system is triggered by binding of two catecholamine neurotransmitters, norepinephrine (NE) and epinephrine (Epi), to specific cell surface adrenergic receptors ( $\beta$ ARs in human heart), which belong to the superfamily of GPCRs (2). There are three  $\beta$ AR subtypes in the nonfailing human heart (75 to 80% of  $\beta_1$ , 15 to 18% of  $\beta_2$ , and 2 to 3% of  $\beta_3$ ), regulating cardiac rate and contractility by responding to NE and Epi (2, 3). Recently,  $\beta_2$ AR has been the focus of therapeutic interest, partly because of its relative preservation of expression in the failing human heart (4). After binding to agonists,  $\beta_2$ AR can activate the stimulatory G protein ( $G_s$ ).  $G_s$  is a heterotrimer consisting of an  $\alpha$  subunit ( $G_s\alpha$ ) and a tightly associated  $\beta\gamma$  complex (5). The  $G_s\alpha$  subunit harbors the guanine nucleotide-binding site and associates with the  $\beta\gamma$  complex in the inactive GDP-bound state (5). Binding of  $G_s$  to the agonist-bound  $\beta_2$ AR results in the activation and dissociation of trimeric G proteins (5, 6). Both  $G_s\alpha$  and  $\beta\gamma$  can transduce a cascade of downstream signaling events which eventually regulate cardiac rate and contractility (2, 4). However, the molecular determinants and the dynamics of the ternary complex during receptor signaling transduction remain incompletely understood.

The GDP release by G protein is a preparatory step of G protein activation which takes place between two stable endpoint states: one is referred as “closed-out” with G protein closed and its  $\beta$ AR-interacting  $\alpha 5$  helix outside the receptor, and the other is referred as “open-in” with G protein fully open and the  $\alpha 5$  helix coupled to the receptor. In 2011, Rasmussen et al. crystallized the first high-resolution structure of  $\beta_2$ AR-bound- $G_s$  ( $\beta_2$ AR- $G_s$ ) which is a ternary complex in the “open-in” state consisting of a high-affinity agonist (BI-167107), an active-state receptor, and  $G_s$  (7). There  $G_s\alpha$  subunit adopts an open state with a largely displaced  $\alpha$ -helical domain ( $G_s\alpha$ HD) and Ras-like GTPase domain ( $G_s\alpha$ Ras) (7). More recently, a cryo-EM structure of the  $\beta_1$ AR- $G_s$  complex bound to another high-affinity agonist (isoproterenol) was solved, in which  $G_s\alpha$  subunit adopts a somewhat

## Significance

G protein-coupled receptors (GPCRs) and G proteins work together to transmit signals from various hormone and neurotransmitter molecules across cell membranes, and their activation and subsequent dissociation initiate a cascade of downstream signaling events resulting in modulation of cellular behavior. Here, we studied the interactions of a prototypical GPCR, beta-2 adrenergic receptor in its active state, with neurotransmitter norepinephrine and stimulatory G protein using multi-microsecond-long atomistic computer simulations to understand how energetic and structural changes in this system could initiate cellular signaling. Our results provided us with intrinsic molecular mechanisms, which may control G protein dissociation from GPCRs, and highlighted the importance of protein domain and ligand dynamics in this crucial biological process.

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The authors declare no competing interest.

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different but also open conformation (8). The agonist-bound structure is very distinct from the crystal structure of the receptor-free closed  $G_s\alpha$ -GTP $\gamma$  complex (7, 9). In another work, an intermediate state of  $G_s$  between the GDP-bound  $G_s$  and GDP-free  $\beta_2AR$ - $G_s$  complex was proposed by Liu et al. by crystalizing an active-state structure of the  $\beta_2AR$  stabilized by the last 14 residues of the  $G_s\alpha$  terminal  $\alpha 5$ -helix (6). Su and Zhu et al. found that  $\beta_1AR$  induces a tilting of the  $\alpha 5$  helix of  $G_s\alpha$  which deforms the GDP/GTP-binding pocket and accelerates GDP release (8). Goricanec et al. performed NMR spectroscopic characterization of an inhibitory  $G\alpha$  subunit,  $G_i\alpha 1$ , and showed that it adopts a more open conformation in the apo and GDP-bound forms, but a more compact and rigid state in the GTP-bound form with no interaction to GPCR (5). They proposed that the apo  $G_i$  protein eventually binds to GTP, leading to subunit dissociation and loss of affinity to the receptor (5).

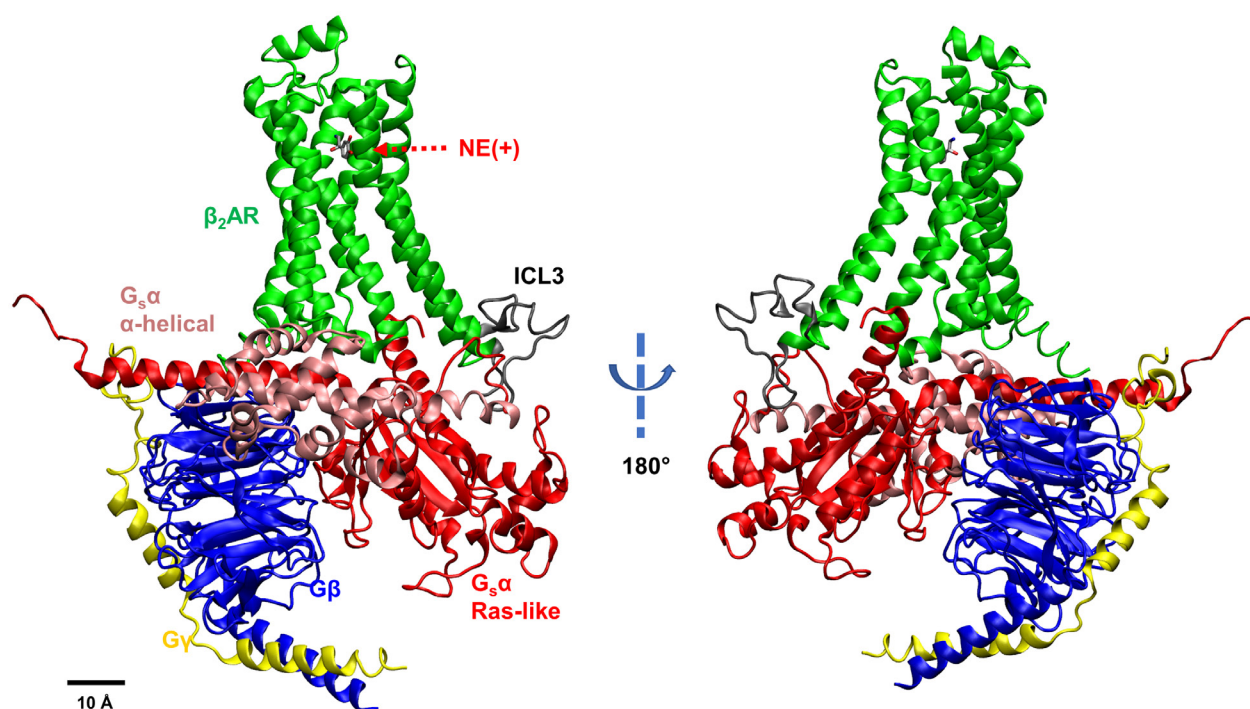
Meanwhile, there have also been multiple atomistic modeling and simulation studies of  $\beta AR$  conformational dynamics and transitions (10–17), their interactions with  $G_s$  protein (18–24) and other regulatory proteins (25–27), as well as endogenous ligand and drug binding (28–36) (recently reviewed, e.g., in refs. 37–39). Dror et al. studied the structural basis for GDP/GTP exchange in  $G_s$  protein coupled with or uncoupled from  $\beta_2AR$  by combining long time scale molecular dynamics (MD) simulation with experimental validations (23). Alhadeff et al. explored the free-energy landscape of  $\beta_2AR$  activation using coarse-grained (CG) modeling using multiple receptor and  $G_s$  protein conformational states (40). In a follow-up study, Bai et al. performed targeted MD simulations and free energy analysis based on the  $\beta_2AR$ - $G_s\alpha$  structure and found that the GDP could be released during the half opening of the binding cavity in the transition to the  $G_s$  open state; the potential key residues on  $\alpha 5$  were also validated by site-directed mutagenesis (41). Enhanced sampling metadynamics simulations were used to predict energetics of small-molecule ligand binding to  $\beta AR$ s and other GPCRs in good agreement with experimental affinities (42–45), but for the

most part did not focus on the G protein dissociation and conformational transitions.

In the current study, we explore the relationship between the dissociation of  $G_s$  from the  $\beta_2AR$  and  $G_s\alpha$  conformational changes, characterize the molecular determinants of how and when  $G_s$  may dissociate from the receptor and how the  $G_s$  binding affects the endogenous agonist, cationic norepinephrine, NE(+), affinity to the receptor. We performed multiple microsecond-long all-atom MD simulations to study the molecular interactions within the ternary NE(+)- $\beta_2AR$ - $G_s$  complex. We applied the open-in state based on PDB:3SN6 (7) as our simulation starting point (Fig. 1) and focused on capturing the molecular conformational changes associated with the dissociation of  $G_s$  from the receptor.

## Results and Discussion

Two types of molecular systems were simulated: beta-2 adrenergic receptor ( $\beta_2AR$ ) and its complex with the stimulatory  $G_s$  ( $\beta_2AR$ - $G_s$ ). The cationic norepinephrine, NE(+), bound at the orthosteric binding site, was present in each system. The snapshot of the  $\beta_2AR$ - $G_s$  system is shown in Fig. 1. Each system was embedded in a lipid bilayer hydrated by 0.15 M NaCl, corresponding to physiological conditions in the extracellular medium and equilibrated for 90 ns using restraints that were gradually reduced in the first 40 ns of these simulations. We then performed much longer production runs. For  $\beta_2AR$ , 2.5  $\mu s$  Anton 2 (Anton) unrestrained MD simulations and three Gaussian-accelerated MD (GaMD) runs (600 ns each, 1,800 ns in total) were performed. For  $\beta_2AR$ - $G_s$  system, four different Anton runs (5.0  $\mu s$  each for run 1, run 2, and run 4; 7.5  $\mu s$  for run 3) and three GaMD runs (600 ns each, 1,800 ns in total) were performed (*SI Appendix, Table S1*). As we observed NE(+) partial dissociation after 4.5  $\mu s$  in Anton run 3, we extended it to 7.5  $\mu s$ . Based on the simulation trajectories, we first checked the dominant and secondary NE(+) binding poses in the  $\beta_2AR$  and analyzed the role of  $G_s$  coupling in stabilizing the NE(+) binding. Then, we



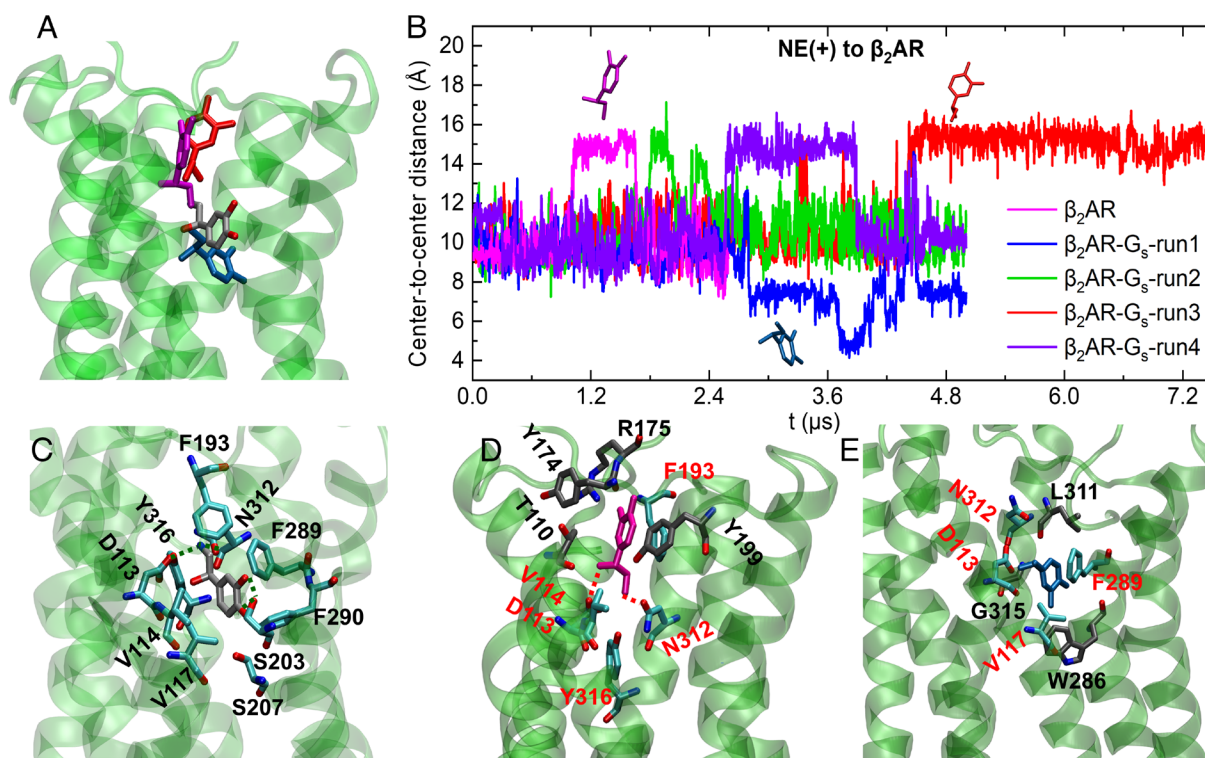
**Fig. 1.** NE(+)-bound  $\beta_2AR$  coupled with  $G_s$  protein. Different subunits and loops are illustrated by different colors (Green –  $\beta_2AR$ , Gray – intracellular loop 3 or ICL3, Pink –  $G_s\alpha$ AH domain, Red –  $G_s\alpha$ Ras domain, Blue –  $G\beta$ , Yellow –  $G\gamma$ ).

assessed the conformational changes in the  $\alpha$  subunit of  $G_s$  ( $G_s\alpha$ ) upon coupling with  $\beta_2AR$ . The intracellular loop 3 (ICL3) of  $\beta_2AR$  was found to be essential in interacting with  $G_s\alpha$  and causing a conformational change in the  $\alpha 5$  helix of  $G_s\alpha$ . The induced  $\alpha 5$  helix conformational change controls the formation of an active-state receptor – G protein complex. To find the molecular determinants of  $G_s\alpha$  conformational changes, structural parameters were analyzed, including opening/closing of  $G_s\alpha$  and the distance between two  $G_s\alpha$  domains. The geometric centers were used for all the distance and angle measurements. Finally, we analyzed distribution of those parameters converting them to two-dimensional free energy profiles to explore low-energy pathways for  $G_s\alpha$  conformational changes and its dissociation from  $\beta_2AR$ . We also performed a posteriori implicit-solvent molecular mechanics–Poisson–Boltzmann surface area (MM–PBSA) calculations to estimate  $\beta_2AR$  binding to NE and  $G_s$ .

**Binding Affinity of NE(+) to  $\beta_2AR$  and  $\beta_2AR$ – $G_s$ .** The starting point of our  $\beta_2AR$ – $G_s$  simulations is the open-in  $G_s\alpha$  state with  $G_s\alpha$  in a fully open conformation and its  $\alpha 5$  helix intruded into the intracellular part of the active-state  $\beta_2AR$  (Fig. 1) which is based on the agonist-bound X-ray structure of the complex (PDB ID: 3SN6) (7). In that study, Rasmussen et al. discovered that, in the ternary complex,  $G_s$  binding increased the agonist-binding affinity about 100-fold compared with  $\beta_2AR$  alone and that agonist binding promotes interactions of  $\beta_2AR$  with GDP-bound  $G_s$  heterotrimer, leading to the exchange of GDP for GTP followed by the functional dissociation of  $G_s$  into  $G_s\alpha$ –GTP and

$\beta\gamma$  subunits (7). Therefore, understanding the effect of  $G_s$  on the agonist binding is crucial. We performed multiple microsecond-long unbiased MD simulations (Anton runs) for the NE(+)-bound  $\beta_2AR$  (referred to as  $\beta_2AR$ ) and NE(+)-bound  $\beta_2AR$  in complex with  $G_s$  (referred to as  $\beta_2AR$ – $G_s$ ) as shown in *SI Appendix, Table S1*. To verify some of the observations, we also performed three GaMD runs for each of the above systems (*SI Appendix, Table S1*).

We performed clustering for the NE(+) binding poses in the  $\beta_2AR$  and  $\beta_2AR$ – $G_s$  based on their microsecond-long Anton run trajectories. Five clusters were found in each case as shown in *SI Appendix, Fig. S1 A–D*. One representative pose with the lowest root-mean-square deviation (RMSD) compared with other frames was selected for each cluster (*SI Appendix, Fig. S1 C and D*) and shown in the color-matching histogram in *SI Appendix, Fig. S1 A and B*. Fig. 2 shows the NE(+) binding results based on Anton runs. Fig. 2A shows the initial and three special representative poses found in the  $\beta_2AR$  and in  $\beta_2AR$ – $G_s$  systems. The time series of center-to-center distances between NE(+) and  $\beta_2AR$  for all runs are shown in Fig. 2B with the three special representative poses matching the colors of the plots. All other representative poses can be found in *SI Appendix, Fig. S1 C and D*. Fig. 2C (the gray molecule) shows the initial pose, which is also the representative pose of the biggest cluster (cluster 2 in *SI Appendix, Fig. S1A*) in the  $\beta_2AR$  system. The amino acid residues in close contact with NE(+) forming the binding pocket were identified based on the frames collected in this cluster. The close contacts are defined as the amino acid residues within 3 Å of the NE(+) for more than half of the



**Fig. 2.** NE(+) binding poses and time series of center-to-center distances between NE(+) and  $\beta_2AR$ . (A) The initial (gray) and three special representative binding poses of NE(+) found in  $\beta_2AR$  (cluster 4 – in magenta) and  $\beta_2AR$ – $G_s$  (cluster 4 – in light blue and cluster 5 – in red) systems. See *SI Appendix Fig. S1* for binding pose clustering information (B) Time series for center-to-center distances between NE(+) and  $\beta_2AR$  (without intracellular loops) with the three special poses in panel A matching the plot colors. (C) The initial and dominant NE(+) binding pose and interacting  $\beta_2AR$  residues. C atoms are shown in gray for NE(+) and in cyan for residues of  $\beta_2AR$ , O atoms are in red, N atoms are in blue, H atoms are omitted. H-bonds between NE(+) and  $\beta_2AR$  residues S203<sup>3,42</sup>, N312<sup>7,39</sup>, and D113<sup>3,32</sup> are shown as dashed lines. (D) The special representative binding pose of NE(+) found in  $\beta_2AR$  system cluster 4 (magenta) and interacting  $\beta_2AR$  residues. H-bonds between the NE(+), N312<sup>3,39</sup>, and D113<sup>3,32</sup> are shown as dashed lines. The preserved residues from the initial binding pocket in panel C are shown with cyan C atoms, whereas new residues in the binding pocket are shown with gray C atoms. (E) The special representative NE(+) binding pose from  $\beta_2AR$ – $G_s$  cluster 4 (light blue) and interacting  $\beta_2AR$  residues in the binding pocket, which follow the same rendering style as in panel D. The geometric centers were used for the distance measurements. The Ballesteros–Weinstein (BW) numbering for the residues can be found in the text and is omitted in the figure for clarity.

total MD simulation frames. The number of NE(+) poses in cluster 2 accounts for the largest proportion (28%) of the overall binding poses for  $\beta_2$ AR, and it is the initial and dominant binding pose in this system [referred as NE(+)-d]. The amino acid residues forming the binding pockets of NE(+)-d are D113<sup>3,32</sup>, V114<sup>3,33</sup>, and V117<sup>3,36</sup> on transmembrane helix 3 (TM3), F193<sup>45,52</sup> on extracellular loop 2 (ECL2), S203<sup>5,42</sup> and S207<sup>5,46</sup> on TM5, F289<sup>6,51</sup> and F290<sup>6,52</sup> on TM6, and N312<sup>7,39</sup> and Y316<sup>7,43</sup> on TM7, among which D113<sup>3,32</sup>, S203<sup>5,42</sup>, and N312<sup>7,39</sup> form hydrogen bonds with NE(+). The residue superscripts denote the Ballesteros–Weinstein (BW) numbering of GPCRs (46). The residues forming the binding site of NE(+) on the active  $\beta_2$ AR are mainly from helices TM3, TM5, TM6, and TM7, which matches the findings of Dror et al. (12), where they observed that helices TM5, TM6, and TM7 contribute to the shift of  $\beta_2$ AR conformation between inactive and active states, while the helix TM3, TM5, and TM6 interactions also play an important role in this process.

Fig. 2D shows the representative binding pose of NE(+) (magenta molecule) in the second biggest cluster (cluster 4) of  $\beta_2$ AR [referred to as NE(+)-s1]. This binding pose is considered special because it shows a different orientation from all other poses in  $\beta_2$ AR and has the biggest deviation from the initial binding pose of NE(+) in  $\beta_2$ AR as shown in *SI Appendix, Fig. S1C*. It is also the second most abundant pose, existing in 24.7% of the simulation frames (*SI Appendix, Fig. S1A*). A similar NE(+) binding pose (red in Fig. 2 and *SI Appendix, Fig. S1*) is also identified in the  $\beta_2$ AR–G<sub>s</sub> system as cluster 5, which is also the second most abundant with 21.3% (*SI Appendix, Fig. S1 B and D*). The residues in close contact with NE(+)-s1 are identified in the same way as stated previously. Compared with the binding pocket of NE(+)-d, four new ligand-binding residues appear in the case of NE(+)-s1, which are T110<sup>3,29</sup> on TM3, Y174<sup>45,33</sup> and R175<sup>45,34</sup> on ECL2, and Y199<sup>5,38</sup> on TM5. D113<sup>3,32</sup>, V114<sup>3,33</sup>, F193<sup>45,52</sup>, N312<sup>7,39</sup>, and Y316<sup>7,43</sup> are preserved in the NE(+)-s1 pocket, where D113<sup>3,32</sup> and N312<sup>7,39</sup> form H-bonds with NE(+), while V117<sup>3,36</sup>, S203<sup>5,42</sup>, S207<sup>5,46</sup>, F289<sup>6,51</sup>, and F290<sup>6,52</sup> are not interacting with NE(+) in this pose.

Fig. 2E shows a special representative binding pose of NE(+) (light-blue molecule), which is captured in cluster 4 of  $\beta_2$ AR–G<sub>s</sub> system (*SI Appendix, Fig. S1D*) and is referred to as NE(+)-s2 hereafter. It shows an almost opposite orientation compared to NE(+)-s1 (Fig. 2D) and has an 8.85% population for the  $\beta_2$ AR–G<sub>s</sub> and is not represented in the  $\beta_2$ AR alone (*SI Appendix, Fig. S1*). This binding pose mostly corresponds to a low-value plateau in the NE(+) to  $\beta_2$ AR distance for  $\beta_2$ AR–G<sub>s</sub> run 1 from ~2.8 to 5  $\mu$ s, as shown by a blue curve in Fig. 2B. Compared with NE(+)-d (Fig. 2C), three new interacting residues (W286<sup>6,48</sup> on TM6, L311<sup>7,38</sup> and G315<sup>7,42</sup> on TM7) are found, while six residues (V114<sup>3,33</sup>, F193<sup>45,52</sup>, S203<sup>5,42</sup>, S207<sup>5,46</sup>, F290<sup>6,52</sup>, and Y316<sup>7,43</sup>) are missing in the binding pocket of NE(+)-s2. As noted above,

the red NE(+) molecule shown in Fig. 2A and B is another binding pose of NE(+) similar to NE(+)-s1 of  $\beta_2$ AR but was found in  $\beta_2$ AR–G<sub>s</sub> cluster 5. It corresponds to NE(+) position plateaus in  $\beta_2$ AR–G<sub>s</sub> run 3 at ~3.5  $\mu$ s and 4.5 to 7.5  $\mu$ s (red curve in Fig. 2B) as well as at 2.6 to 3.9  $\mu$ s of run 4 (purple curve in Fig. 2B).

The above results indicate that NE(+) can have different degrees of dissociation from its dominant binding pose and pocket regardless of the G<sub>s</sub> binding. However, those special binding poses appear later during simulations in the  $\beta_2$ AR–G<sub>s</sub> cases compared to simulations with  $\beta_2$ AR alone, as shown in Fig. 2B. The partial dissociation of NE(+) can be attributed to the  $\beta_2$ AR residue movements, evidenced by the significant variations of its RMSD values, as shown in *SI Appendix, Fig. S2B*. We found three special representative binding poses out of 10 clusters, and only one special pose (shown in light-blue in Fig. 2) moves deeper inside the  $\beta_2$ AR (based on the center-to-center distance) closer to the intracellular side. In two other special poses (shown as red and magenta in Fig. 2), we observed outward movement of NE(+) toward the extracellular side, which may indicate its partial dissociation from the receptor. Most other poses, which are dominant in both  $\beta_2$ AR and  $\beta_2$ AR–G<sub>s</sub> simulations (Anton runs), are slight variations of the original pose with different degrees of shifting or rotation. Similar results were found in the GaMD runs as shown in *SI Appendix, Fig. S3*, where the representative binding poses were captured for both  $\beta_2$ AR and  $\beta_2$ AR–G<sub>s</sub>, except that the NE(+) in one of the  $\beta_2$ AR GaMD runs almost completely dissociates from  $\beta_2$ AR as shown in *SI Appendix, Fig. S4 A and B* (the gray molecule), and the full ligand dissociation may be possible to sample in longer runs and/or using ligand GaMD (LiGaMD) approach (47) to be explored in the follow-up studies.

In short, in all our MD simulations, we observed partial NE(+) dissociation, which adopted alternative binding positions in the receptor interior, in most cases closer to an extracellular side. G<sub>s</sub> association in  $\beta_2$ AR–G<sub>s</sub> complexes seems to stabilize NE(+) binding to the orthosteric site in the  $\beta_2$ AR, as was evidenced by its delayed partial dissociation (Fig. 2B), although a random fluctuation could potentially cause this delay. Ligand (antagonist) dissociation was also observed in an adenosine A<sub>2A</sub> receptor where a multistep ligand dissociation pathway featured by different ligand poses during dissociation was suggested based on temperature-accelerated MD simulation (48). Similarly, using GaMD, different binding poses were also revealed for a partial agonist in the orthosteric pocket of a muscarinic receptor in the absence or presence of G protein mimic (nanobody) (49). These studies suggest that multiple ligand-binding poses may be common in GPCR systems with or without bound G protein.

We also computed MM–PBSA binding energies between  $\beta_2$ AR and NE(+) and RMSDs for  $\beta_2$ AR based on Anton runs, as shown in Table 1. In most runs of  $\beta_2$ AR–G<sub>s</sub>, free energies of binding between  $\beta_2$ AR and NE(+) are more favorable than that for  $\beta_2$ AR,

**Table 1. MM–PBSA interaction free energies ( $\Delta G$ ) between NE(+) and  $\beta_2$ AR (in kcal/mol) along with their standard errors of mean (SEM) computed using block averages, enthalpic ( $\Delta H$ ) and entropic ( $-T\Delta S$ ) components, as well as mean RMSD values (in Å) along with their standard deviations (SD) for  $\beta_2$ AR without loops (the average structure was taken as reference; analysis was performed for the last 2  $\mu$ s of Anton trajectories)**

System	Time	$\Delta H$	$-T\Delta S$	$\Delta G \pm \text{SEM}$	RMSD (SD)
$\beta_2$ AR	0.5–2.5 $\mu$ s	–21.61	6.88	–14.73 $\pm$ 0.92	1.65 (0.26)
$\beta_2$ AR–G <sub>s</sub> – run1	3.0–5.0 $\mu$ s	–27.54	11.92	–15.62 $\pm$ 2.00	1.79 (0.23)
$\beta_2$ AR–G <sub>s</sub> – run2	3.0–5.0 $\mu$ s	–25.09	6.10	–18.99 $\pm$ 0.44	1.56 (0.21)
$\beta_2$ AR–G <sub>s</sub> – run3	5.5–7.5 $\mu$ s	–23.70	7.91	–15.79 $\pm$ 0.45	1.52 (0.15)
$\beta_2$ AR–G <sub>s</sub> – run4	3.0–5.0 $\mu$ s	–22.42	10.81	–11.61 $\pm$ 1.11	1.67 (0.16)

See also *SI Appendix, Fig. S14* for analysis of correlations between MM–PBSA interaction energies,  $\beta_2$ AR–NE(+) distances, and RMSD values.

in agreement with the experiment (7). The reason for the stabilized NE(+) binding in the  $\beta_2$ AR– $G_s$  complex can be attributed to the stabilization of  $\beta_2$ AR active state by the open  $G_s$ , suggested experimentally (7) and by previous coarse-grained simulations (40). We checked the RMSDs for the  $\beta_2$ AR (not including the intracellular loops) alone and in the presence of  $G_s$ . Using the averaged  $\beta_2$ AR structure as the reference, we computed the mean RMSD value and its SD for each run (Table 1) using Visual Molecular Dynamics (VMD) (50). RMSD time series for the receptor,  $G_s$  protein, NE(+), and the entire  $\beta_2$ AR– $G_s$  complex can be found in *SI Appendix, Fig. S2*. Half of the  $\beta_2$ AR– $G_s$  runs show lower mean RMSD values compared with the  $\beta_2$ AR alone. Moreover, all the SDs (a measure of the amount of variation from the mean) for the  $\beta_2$ AR– $G_s$  cases are lower than that of  $\beta_2$ AR alone, indicating more stable conformations of  $\beta_2$ AR in complex with  $G_s$ . These analyses confirm that NE(+) binding to  $\beta_2$ AR– $G_s$  is more favorable than to  $\beta_2$ AR alone due to the stabilized  $\beta_2$ AR structure in the complex with  $G_s$ . In a recent GaMD study, it was also found that removal of the G protein mimic leads to a conformational transition of a muscarinic receptor  $M_2$  to an inactive state along with multiple orthosteric ligand dissociation and binding events consistent with extensive experimental and computational studies of other GPCRs (49).

The MM–PBSA binding energies between  $\beta_2$ AR/  $\beta_2$ AR– $G_s$  and NE(+) based on GaMD runs can be found in *SI Appendix, Table S2*. Due to the nature of GaMD simulations, where different boost potentials were added to the  $\beta_2$ AR and  $\beta_2$ AR– $G_s$  systems to accelerate dynamics of both the protein and NE(+), it is impossible to compare the binding energies between  $\beta_2$ AR and  $\beta_2$ AR– $G_s$  systems directly, unless the energy values are reweighted properly. Despite this, it is still true that the most displaced NE(+) binds weaker to the  $\beta_2$ AR or  $\beta_2$ AR– $G_s$ , as demonstrated using nonreweighted MM–PBSA  $\Delta G$  values for  $\beta_2$ AR–GaMD run 1 as well as  $\beta_2$ AR– $G_s$ -GaMD runs 2 and 3 (*SI Appendix, Table S2 and Fig. S4*). Since the reweighting of entropy turned out to be exceedingly noisy, we only reweighted the MM–PBSA enthalpy,  $\Delta H$ , term by using the distribution of interaction energies based on a cumulant expansion (details can be found in the *Materials and Methods* section) as shown in the last column of *SI Appendix, Table S2*. The reweighted  $\Delta H$  shows somewhat different trends from the nonreweighted ones, but still reflects the weaker NE(+) binding affinity in  $\beta_2$ AR–GaMD run 1 and  $\beta_2$ AR– $G_s$ -GaMD runs 2 and 3.

**$G_s$  Conformational Changes after Binding with  $\beta_2$ AR.** After checking the effect of  $G_s$  on NE(+) binding to  $\beta_2$ AR, we analyzed the conformational changes of  $G_s$  when it couples with  $\beta_2$ AR. In the published  $\beta_2$ AR– $G_s$  complex structure (PDB: 3SN6), used as a starting point of our simulations, the  $G_s\alpha$  preserves an open state with the  $\alpha$ -helical domain ( $G_s\alpha$ AH) largely displaced from the Ras-like GTPase domain ( $G_s\alpha$ Ras) as shown in Fig. 1. The  $G_s\alpha$ AH rotated as a rigid body with an angle of approximately  $127^\circ$  from the domain junction compared to the crystal structure of the closed  $G_s\alpha$ –GTP $\gamma$  (PDB: 1AZT) (7, 9). However, a different  $G_s\alpha$  conformation was discovered in the complex of isoproterenol-bound  $\beta_1$ AR– $G_s$ , which is partly based on cryo-EM, due to the dynamic nature of  $G_s\alpha$ AH (8). The  $G_s\alpha$  in  $\beta_1$ AR– $G_s$  is less open compared with that in the crystalized  $\beta_2$ AR– $G_s$  complex (7) but still can be considered as a fully open state in comparison with  $G_s\alpha$  alone (PDB: 1AZT) (9).  $G_s\alpha$  conformational transitions were thoroughly tested via long-scale MD simulations by Dror et al., who found that the separation of  $G_s\alpha$ Ras and  $G_s\alpha$ AH domains occurs only in the absence of  $\beta_2$ AR, whereas GDP release can only be observed after restraining  $G_s\alpha$   $\alpha 5$  in the distal conformation like that in the  $\beta_2$ AR– $G_s$  complex, indicating the need of an internal

structural rearrangement of the  $G_s\alpha$ Ras to weaken its nucleotide binding affinity (23).

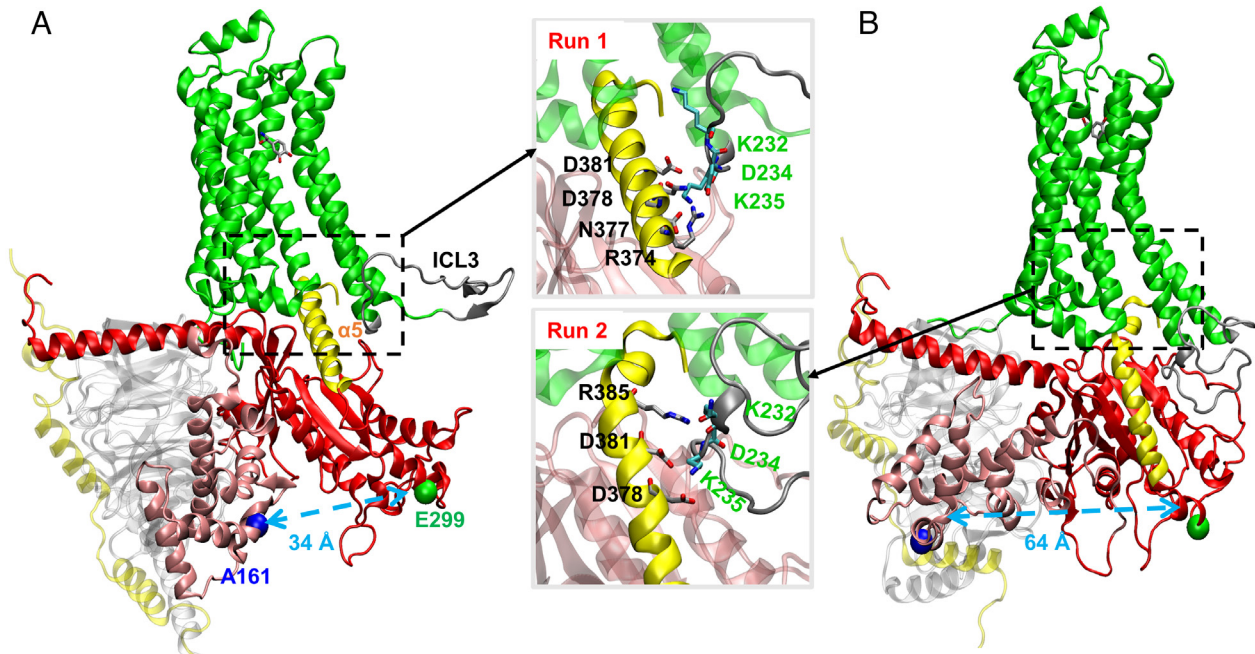
As shown in Fig. 3 (based on Anton runs), we used the geometric center-to-center distance (referred to as “distance” hereafter for all the distances) between the  $G_s\alpha$ AH residue A161<sup>H.HD.5</sup> and  $G_s\alpha$ Ras residue E299<sup>G.HG.6</sup> as an indicator for the opening and closing of  $G_s\alpha$  [the same one as used in the work of Dror et al. (23)], e.g., a larger distance between A161<sup>H.HD.5</sup> and E299<sup>G.HG.6</sup> indicates a more open  $G_s\alpha$  conformation. The residues are labeled by residue number and common  $G\alpha$  numbering (CGN) system (51) in their superscripts. The systems corresponding to different Anton simulations are referred to as runs (with GaMD runs labeled differently). If the distance is greater than or equal to 55 Å, we define  $G_s\alpha$  conformation as fully open; if the distance is in the range of 45 Å to 55 Å, we define it as semi-open; if the distance is in the range of 35 Å to 45 Å, then it is a semi-closed structure, and if the distance is less than or equal to 35 Å, then it is a closed structure.

Transition of  $G_s\alpha$  from open to closed conformation was observed, e.g., in a 5.0- $\mu$ s-long MD run 1 of  $\beta_2$ AR– $G_s$  complex: the distance between A161<sup>H.HD.5</sup> and E299<sup>G.HG.6</sup> changes from 62 to 34 Å (Fig. 3A). Interestingly, such transition was not captured by the previous multi-microsecond-long MD simulations by Dror et al., instead, an opposite conformational change of GDP-bound  $G_s\alpha$ , from closed to fully open conformation, was observed but only in the receptor-free systems (23). They proposed that this conformational transition favors the closed state in the absence of the receptor (23). When it comes to the receptor-bound case, they only sampled fully open and nucleotide free  $G_s\alpha$  during their multi-microsecond-long MD simulations. They also proposed that the loss of GDP after  $G_s$  binding to  $\beta_2$ AR shifts the equilibrium toward a widely open  $G_s\alpha$  state (23).

In run 3, we observed a very dynamic conformational transition of  $G_s\alpha$  between open and semi-closed states in terms of A161–E299 distance as shown in *SI Appendix, Fig. S7A*. This conformational transition to a semi-closed state also correlates with the increase in NE(+) to  $\beta_2$ AR distance in Fig. 2B. Specifically, the decrease in  $G_s\alpha$  A161–E299 distance during  $\sim 4.0$  to 5.5  $\mu$ s in *SI Appendix, Fig. S7A* seems to correlate with an increase in NE(+) to  $\beta_2$ AR distance in Fig. 2B, i.e., partial agonist dissociation, especially evident after  $\sim 4.5$   $\mu$ s. A similar, but less evident correlation can be seen for  $\beta_2$ AR– $G_s$  run 4, where transient rearrangements of  $G_s\alpha$  to a semi-closed state may be related to NE(+) partial dissociation from  $\sim 2.6$  to 3.9  $\mu$ s (cf. *SI Appendix, Fig. S7A* and Fig. 2B). Interestingly,  $G_s\alpha$  transition to a fully closed state in  $\beta_2$ AR– $G_s$  run 1 discussed above may eventually lead to a decreased NE(+) to  $\beta_2$ AR distance at  $\sim 2.8$   $\mu$ s, i.e., agonist movement deeper toward the intracellular side (Fig. 2B). These trends indicate the potential correlation between NE(+) binding poses and  $G_s$  conformational changes.

In another  $\beta_2$ AR– $G_s$  simulation run (run 2), we observed similar open  $G_s\alpha$  conformation as was observed in Dror et al.’s work (23) throughout the entire 5  $\mu$ s-long MD simulation (Fig. 3B and *SI Appendix, Fig. S7A*). Interestingly, in that run, we observed partial unwinding of the  $G_s\alpha$   $\alpha 5$  helix (referred to as  $\alpha 5$ ), a key interaction site with the receptor (Fig. 3 B, *Bottom Inset*). We correlate this  $\alpha 5$  conformational transition with the interaction between  $G_s\alpha$  and flexible ICL3 of the  $\beta_2$ AR as will be discussed below. Snapshots for other  $\beta_2$ AR– $G_s$  runs can be found in *SI Appendix, Figs. S5 and S6*, where different levels of  $G_s\alpha$  closing and opening, different  $G_s\alpha$  conformations, and interaction details between  $\alpha 5$  and ICL3 are shown.

Due to its unstructured nature, ICL3 region is either unresolved or completely removed and replaced by T4-lysozyme (T4L) in



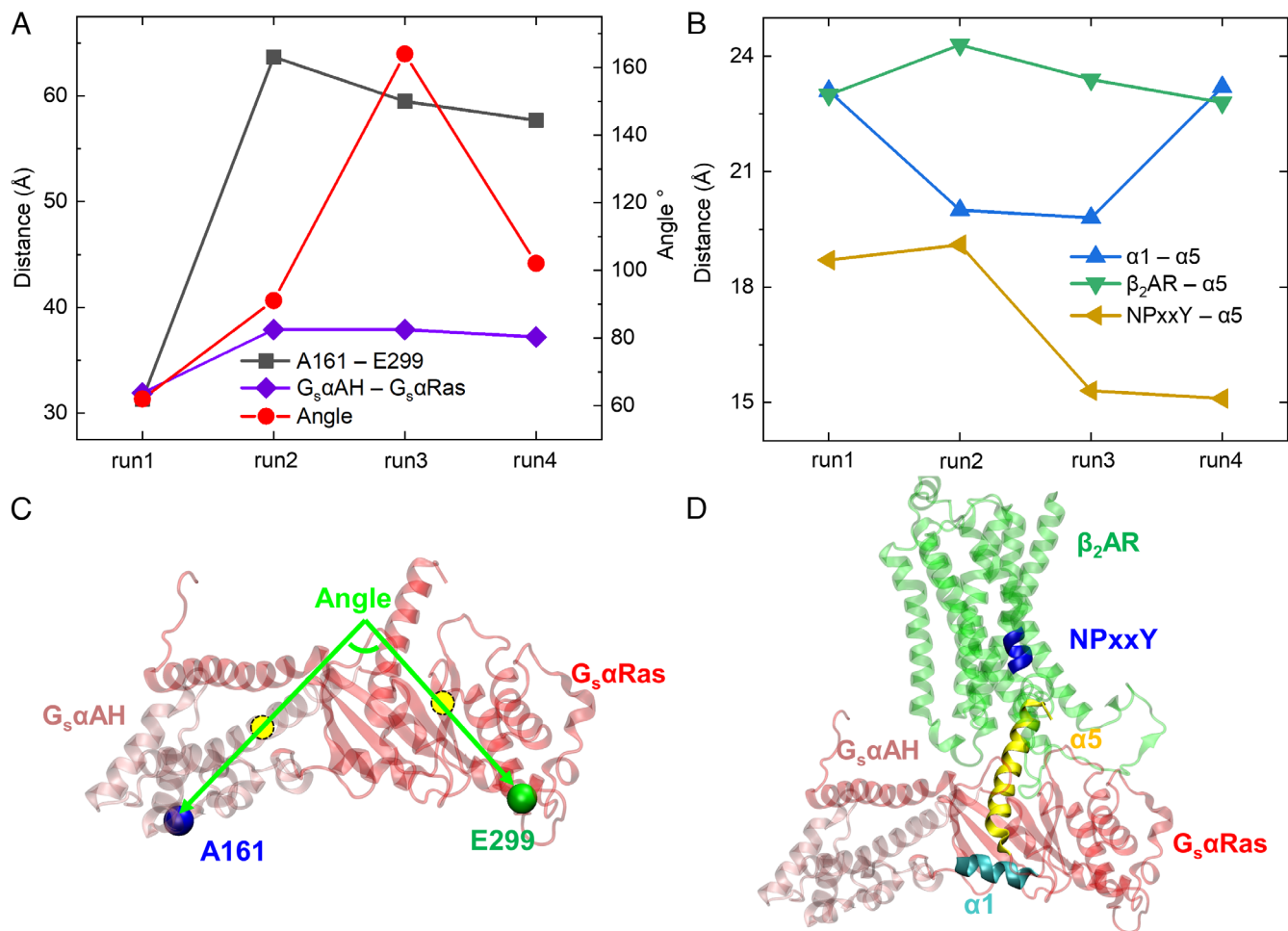
**Fig. 3.** All-atom MD simulations of the active-state human  $\beta_2\text{AR-G}_s$  with NE(+) bound based on Anton runs. (A) run 1 with the *Top Inset*. (B) run 2 with the *Bottom Inset*. Final structures are captured from the 5- $\mu\text{s}$ -long unbiased MD simulation runs. Individual protein chains/subunits are labeled and shown in the ribbon representation using different colors.  $\text{G}_s\alpha$   $\alpha 5$  helix and  $\beta_2\text{AR}$  intracellular loop 3 (ICL3) are colored in yellow and dark gray, respectively.  $\text{C}_\alpha$  atoms of residues A161 on  $\text{G}_s\alpha\text{AH}$  domain and E299 on  $\text{G}_s\alpha\text{Ras}$  domain are shown as blue and green balls, and distances between them are shown by light-blue dashed arrows. The quantification of the interactions between ICL3 and  $\alpha 5$  helix can be found in *SI Appendix, Table S3*. The geometric centers were used for the distance measurements. The common CGN numbering (CGN) numbers (D381<sup>G.H5.13</sup>, D378<sup>G.H5.10</sup>, N377<sup>G.H5.9</sup>, R374<sup>G.H5.6</sup>, R385<sup>G.H5.17</sup>) for residues in  $\text{G}_s\alpha$   $\alpha 5$  as well as A161<sup>H.HD.5</sup> and E299<sup>G.HG.6</sup> are omitted in the figure for clarity.

experimental structures (15). Thus, very limited experimental (52) and simulation (15) studies have discussed the possible effect of ICL3 on the intrinsic dynamics of the receptor. Ozcan et al. found through MD simulation that ICL3 contributes to a transition of  $\beta_2\text{AR}$  to a “very inactive” conformation (15). DeGraff et al. explored the function of ICL3 of  $\alpha_2$ -adrenergic receptors in determining subtype specificity of arrestin interaction (52). Yet, it is well accepted that direct interaction of ICL3 with G-proteins probably has a significant role in the receptor’s dynamics and the activation/inactivation pathways (12, 15). However, due to the absence of ICL3 in receptor structures, its function is not well understood. We examined specific interactions between ICL3 and  $\text{G}_s\alpha$   $\alpha 5$  as shown in the *Insets* of Fig. 3 and *SI Appendix, Fig. S5*, where the key interacting amino acid residues are labeled. K232, D234, and K235 are the common amino acid residues from ICL3 involved in the interactions with  $\alpha 5$  in both run 1 and run 2. *SI Appendix, Table S3* shows the number of amino acid residues in close contact between different parts of the proteins. The amino acid residues in ICL3 run 2 interact more extensively with  $\alpha 5$  with 72.5% average percentage interaction time compared to those in run 1 with 65.7% average percentage interaction time. With the partial unwinding of  $\alpha 5$  in run 2, the number of amino acid residues in the entire  $\beta_2\text{AR}$  in close contact with  $\alpha 5$  is reduced to 22 with 85.0% average percentage interaction time compared to 26 amino acid residues with 86.7% average percentage interaction time in run 1, indicating partial dissociation of  $\alpha 5$  from the  $\beta_2\text{AR}$  interior in run 2. These analyses suggest that ICL3 involvement may trigger the conformational change of  $\text{G}_s\alpha$   $\alpha 5$ , which favors the dissociation of  $\alpha 5$  from the  $\beta_2\text{AR}$  interior. Moreover, the conformational change of  $\alpha 5$  is not correlated with the opening and closing of  $\text{G}_s\alpha$ , because we observed no significant changes in  $\alpha 5$  conformation with closed  $\text{G}_s\alpha$  in run 1 (Fig. 3A), with partially open  $\text{G}_s\alpha$  in runs 3 and 4 as shown in *SI Appendix, Fig. S5*, and with open  $\text{G}_s\alpha$  in the GaMD simulations (*SI Appendix, Fig. S6*).

An important question arises here: Is there any correlation between different protein domains and what is the relationship between the  $\text{G}_s$  conformational changes and its dissociation?

To answer this question, we performed analysis of time series for multiple distances and angles between different protein residues and domains based on Anton runs as shown in *SI Appendix, Fig. S7*. The average values of those distances and angles based on the last 2  $\mu\text{s}$  simulation for each run are shown as scatter plots in Fig. 4A and B. *SI Appendix, Fig. S7A* shows the time series of A161–E299 distance. A special attention should be given to run 3, where the distance between A161 and E299 (51 Å at the end of the run) indicates a partially open structure, but it represents a closed  $\text{G}_s\alpha$  as shown in *SI Appendix, Fig. S5A*, because the  $\text{G}_s\alpha\text{AH}$  domain flipped upward with A161 pointing up. We then analyzed an angle between two vectors representing  $\text{G}_s\alpha\text{AH}$  and  $\text{G}_s\alpha\text{Ras}$  domains indicating their relative orientation (*SI Appendix, Fig. S7B*). As shown in Fig. 4C, vector 1 goes through the centers of the  $\text{G}_s\alpha\text{AH}$  domain and residue A161 and vector 2 goes through the centers of the  $\text{G}_s\alpha\text{Ras}$  domain and residue E299. Time series of  $\text{G}_s\alpha\text{AH-G}_s\alpha\text{Ras}$  center-to-center distance, NPxxY- $\alpha 5$  distance,  $\beta_2\text{AR-}\alpha 5$  distance, and  $\alpha 1-\alpha 5$  distance are shown in *SI Appendix, Fig. S7 C–F*.

As demonstrated using different distance and angle measurements in Fig. 4 and *SI Appendix, Fig. S7*, we captured different conformations of  $\text{G}_s\alpha$  in our multiple microsecond-long Anton simulations for  $\beta_2\text{AR-G}_s$ . The closing/opening conformational transition of  $\text{G}_s\alpha$  is due to the movement of  $\text{G}_s\alpha\text{AH}$  relative to  $\text{G}_s\alpha\text{Ras}$ .  $\text{G}_s\alpha\text{AH}$  moves more like a rigid body as shown in RMSD plots when this domain is aligned with  $\beta_2\text{AR}$  or itself (*SI Appendix, Fig. S8*), which is in line with experimental findings (7, 53). The initial distance between A161 and E299 is about 62 Å based on the crystal structure PDB: 3SN6. In run 1 (*SI Appendix, Fig. S7A*), we mostly captured the closed  $\text{G}_s\alpha$ , resembling the closed inactive  $\text{G}_s\alpha$  (PDB: 1AZT) (9), with the final distance of  $\sim 34$  Å, as shown



**Fig. 4.** Analysis of G<sub>s</sub>α conformation and its possible partial dissociation from β<sub>2</sub>AR based on all-atom MD Anton runs. The distances and angle shown in each run are based on their average values during the last 2 μs of MD simulations. The distances and angles were measured between geometric centers of protein residues or domains. (A) A161–E299 distances indicating G<sub>s</sub> protein conformational change (opening or closing), G<sub>s</sub>αAH–G<sub>s</sub>αRas distances indicating relative movement between the two domains, the angle between the two vectors of G<sub>s</sub>αAH and G<sub>s</sub>αRas domains indicating their relative orientation (B) α1–α5 distances indicating relative movement between α1 and α5 helices in G<sub>s</sub>α, β<sub>2</sub>AR–α5 distances indicating possible partial dissociation of G<sub>s</sub>α α5 helix from the receptor, and β<sub>2</sub>AR NPxxY motif–α5 helix distances also indicating G<sub>s</sub>α α5 partial dissociation. (C) Illustration of the angle between G<sub>s</sub>αAH and G<sub>s</sub>αRas domains; vector 1 goes through G<sub>s</sub>αAH and A161 centers; vector 2 goes through G<sub>s</sub>αRas and E299 centers. (D) Illustrations of G<sub>s</sub>α α5 helix (yellow), α1 helix (cyan), and β<sub>2</sub>AR NPxxY motif (blue helix on transmembrane domain 7).

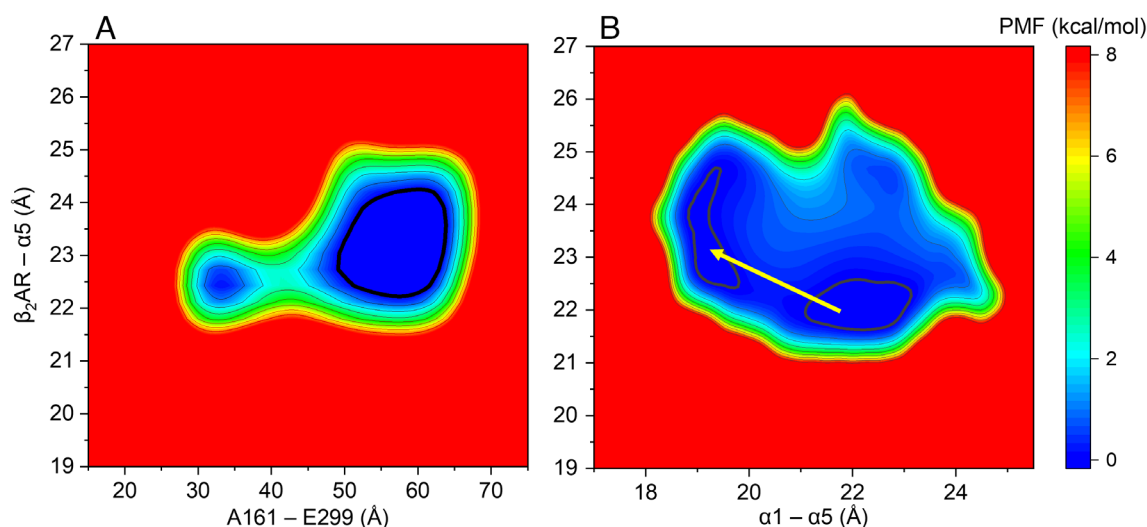
in Fig. 3A. In run 2, G<sub>s</sub>α goes through a short period of partial closing with a minimum distance of ~47 Å at the very beginning of the run, but the dominant conformation is fully open with a distance of ~64 Å (SI Appendix, Fig. S7A and Fig. 3B). In both run 3 and run 4, G<sub>s</sub>α shows dynamical nature, switching between fully open and semi-open states (SI Appendix, Fig. S7A). The G<sub>s</sub>αAH flexibility is a reason for its low electron density in the recent cryo-EM structure of the β<sub>1</sub>AR–G<sub>s</sub> complex (8, 53). As mentioned in the previous section, run 3 shows the flip-up G<sub>s</sub>αAH orientation, but it cannot be identified by A161 to E299 distance. Thus, we analyzed the angle between G<sub>s</sub>αAH and G<sub>s</sub>αRas domains and the distance between the G<sub>s</sub>αAH and G<sub>s</sub>αRas centers (SI Appendix, Fig. S7 B and C). The angle is defined by two vectors shown in Fig. 4C. This angle weakly correlates with the opening and closing of G<sub>s</sub>α (Fig. 4A); specifically, the big separation of A161 and E299 in run 2 does not guarantee a large interdomain angle, indicating seemingly random drifting of the domains in 3D space during conformational change of G<sub>s</sub>α. The Pearson's correlation coefficients (SI Appendix, Table S4), *r*, were calculated among the data points in Fig. 4 A and B collected from the average values of the last 2 μs of each Anton runs. The value of *r* for the interdomain angle and A161–E299 distance is 0.61, validating a relatively weak correlation.

To track a possible partial dissociation of G<sub>s</sub> from β<sub>2</sub>AR, we analyzed the distance between G<sub>s</sub>α helix α5 and the conserved motif NPxxY in β<sub>2</sub>AR's transmembrane domain 7 (TM7) (SI Appendix, Fig. S7D) as done by Miao et al. in their GaMD simulations of adenosine receptors, a different group of GPCRs, (54). Our β<sub>2</sub>AR–G<sub>s</sub> Anton runs 1 and 2 show almost identical displacement of α5 with the largest dissociation distance among all the runs, but this does not match with our previous analysis of dissociation in terms of the number of amino acid residue contacts (SI Appendix, Table S3), where run 2 shows a more dissociated β<sub>2</sub>AR–G<sub>s</sub> complex than that of run 1. Thus, we think that the NPxxY to α5 distance may be not suitable to accurately predict displacement of α5 from β<sub>2</sub>AR in our systems, because NPxxY motif can be easily affected by the relative movement of TM7 to other TMs in our systems, which adds random noise into the measured distances. As α5 is a major element of the G protein–GPCR-interacting interface (8, 23, 41, 54), researchers in a recent study used it as a cognate peptide to probe the kinetics of its binding to and activation of β<sub>2</sub>AR, which is at least on the order of seconds (55), much longer than a time scale of our MD simulations. Despite this, we think that the center-to-center distance between β<sub>2</sub>AR and α5 may be suitable to check the displacement of α5 from β<sub>2</sub>AR which can be used as a sign for a commencement

of  $G_s$  dissociation, and the corresponding plot is shown in *SI Appendix, Fig. S7E*. However, there is still no obvious correlation between the  $G_s\alpha$  conformational change and  $\beta_2AR-G_s$  partial dissociation as the values of  $r$  between  $\beta_2AR-\alpha 5$  distance and A161–E299 distance is 0.53,  $G_s\alpha$  interdomain orientation angle is 0.07, and  $G_s\alpha AH-G_s\alpha Ras$  distance is 0.46 (*SI Appendix, Table S4*, row 4). These results indicate that closing or opening of  $G_s\alpha$  by itself cannot control the suggested partial dissociation of  $G_s$  from  $\beta_2AR$ . Instead, the internal arrangement of protein secondary structure elements may matter. To validate our assumption, we further analyzed the center-to-center distance between  $G_s\alpha$  helices  $\alpha 1$  and  $\alpha 5$  as shown in *SI Appendix, Fig. S7F* (the illustration of these two helices in  $G_s\alpha$  is shown in Fig. 4D). We found a strong negative correlation between  $\alpha 1-\alpha 5$  distance and  $\beta_2AR-\alpha 5$  distance with the  $r$  of  $-0.80$ . The temporal variation of value of  $r$  between  $\alpha 1-\alpha 5$  distance and  $\beta_2AR-\alpha 5$  distance in each Anton run was also calculated in terms of lag time (*SI Appendix, Fig. S9*). The negative correlation was found in runs 2, 3, and 4 when the lag time is less than 1  $\mu s$  and where conformational transition is clearly seen in the latter two runs. Thus, we think that the stacking of  $\alpha 1$  and  $\alpha 5$  mostly causes the dislocation of  $\alpha 5$  from  $\beta_2AR$ . Importantly, we also found that the opening of  $G_s\alpha$  (indicated by  $G_s\alpha AH-G_s\alpha Ras$  interdomain distance and A161 to E299 distance) is negatively correlated with the  $\alpha 1-\alpha 5$  distance with relatively large  $r$  values of  $-0.65$  (*SI Appendix, Table S4*, row 5). This indicates that the opening of  $G_s\alpha$  in the nucleotide free state is related to the stacking of  $\alpha 1$  and  $\alpha 5$  following the dislocation of  $\alpha 5$  from  $\beta_2AR$ . However, the direct correlation between  $G_s\alpha AH-G_s\alpha Ras$  interdomain distance and  $\beta_2AR-\alpha 5$  distance with an  $r$  of 0.46 is not as strong as expected, indicating the importance of the internal domain rearrangement in the suggested partial dissociation of  $G_s$ . The role of  $\alpha 1$  and  $\alpha 5$  movements has been highlighted in the structural analysis of  $\beta_2AR-G_s$  coupling/association and GDP release processes (56). Specifically, it was found that  $\alpha 5$  interacts with  $\alpha 1$ ,  $\beta 2$ , and  $\beta 3$  through highly conserved hydrophobic contacts in the GDP-bound closed  $G_s\alpha$ , and the structural perturbation of  $\alpha 1$  accelerates GDP release and opening of inactive  $G_s\alpha$  (56). Here, in our study of  $G_s$  partial dissociation,  $\alpha 1$  and  $\alpha 5$  were found to be important in regulating the

conformational change of  $G_s\alpha$ . The stacking of  $\alpha 1$  and  $\alpha 5$  may cause the opening of  $G_s\alpha$  (or vice versa), pulling the  $\alpha 5$  away from the interior part of  $\beta_2AR$ , which facilitates the  $G_s$  dissociation. In the GaMD runs, the  $G_s\alpha$  is almost always in a fully open state (*SI Appendix, Figs. S6 and S10*), except at the end of  $\beta_2AR-G_s$ -GaMD-run2 where a semi-open state appears. We did not see large  $G_s\alpha$  conformational changes in the enhanced sampling GaMD runs as observed in the unbiased Anton runs 1 and 4 which could be due to random fluctuations. We do not anticipate any correlations for the interdomain distances when there is no obvious  $G_s\alpha$  conformational change. In our study, we used general GaMD methodology, which boosts the overall potential of the system (57) and may not have been sufficient to trigger a  $G_s\alpha$  conformational transition. Using a more directed approach such as protein-protein interaction-GaMD (PPI-GaMD) (58) may solve this issue in the follow-up studies.

We then calculated the free energy or potential of mean force (PMF, in kcal/mol) 2D profiles (Fig. 5 and *SI Appendix, Figs. S11 and S12*) based on  $G_s\alpha$  conformation and its  $\beta_2AR$  partial dissociation to further validate the correlation analyzed in the previous section. As shown in Fig. 5A, the 2D PMF for the A161–E299 distance on the  $x$ -axis versus the  $\beta_2AR-\alpha 5$  distance on the  $y$ -axis exhibits two free energy minima, the closed  $G_s\alpha$  (at  $x \sim 32$  Å) and the open  $G_s\alpha$  (at  $x \sim 58$  Å). There is a small free energy barrier of about 2 to 3 kcal/mol between the two minima, but the open state is more energetically favorable, which is in line with the proposition in the earlier work of Dror et al. (23). Interestingly, only one minimum was found in the GaMD run (*SI Appendix, Fig. S11A*) at an even more open  $G_s\alpha$  state ( $x \sim 67$  Å). It can also be seen that the open  $G_s\alpha$  (Fig. 5A) favors a larger distance between  $\alpha 5$  and  $\beta_2AR$  compared with the closed  $G_s\alpha$ . Notably, there are also more chances for the dislocation of  $\alpha 5$  from its  $\beta_2AR$  binding site when  $G_s\alpha$  is open because of the bigger area within the 0.5 kcal/mol low-energy contour line associated with the open state. Similarly, *SI Appendix, Fig. S12E* shows the 2D PMF for the  $G_s\alpha AH-G_s\alpha Ras$  interdomain distance versus the  $\beta_2AR-\alpha 5$  distance, also indicating a larger chance of  $\alpha 5$  dislocation in the open state. However, the open  $G_s\alpha$  conformation by itself cannot guarantee the dissociation, as the structures in runs 3 and 4 at around 3  $\mu s$  (*SI Appendix, Fig. S7A*)



**Fig. 5.** 2D potential of mean force (PMF) or free energy profiles (in kcal/mol) based on  $G_s\alpha$  conformation and its possible partial dissociation from  $\beta_2AR$  based on all-atom Anton MD simulations of the active state of the human  $\beta_2AR-G_s$  complexes with NE(+). The 0.5 kcal/mol contour lines are shown as bold black curves. Relative free energy values from 0 to 8 kcal/mol are indicated by different colors from blue to red. All distances were measured between geometric centers of protein residues or domains. (A) A161–E299 distance indicating  $G_s\alpha$  opening or closing is shown as X-axis; distance between  $G_s\alpha \alpha 5$  and  $\beta_2AR$  indicating possible partial  $G_s$  dissociation is shown as Y-axis. (B)  $G_s\alpha \alpha 1-\alpha 5$  distance is shown as X-axis; distance between  $G_s\alpha \alpha 5$  and  $\beta_2AR$  is shown as Y-axis. The contour lines are smoothed for better visualization.



correspond to the open  $G_s\alpha$ , but they are not in a suggested partially dissociated state (*SI Appendix, Fig. S7E*). We previously proposed that some internal structural rearrangements may occur during the opening and closing of  $G_s\alpha$ , triggering the dissociation. We again found that the relative movement between  $G_s\alpha$  helices  $\alpha 5$  and  $\alpha 1$  is well correlated with the dislocation of  $\alpha 5$  from  $\beta_2AR$ . As shown in Fig. 5B, decreasing the distance between  $G_s\alpha$   $\alpha 5$  and  $\alpha 1$ , as marked with the yellow arrow, can lead to the dislocation of  $\alpha 5$  with minimal energy barriers ( $\sim 0.1$  kcal/mol). Also, *SI Appendix, Fig. S12B* shows the 2D PMF for the  $G_s\alpha AH-G_s\alpha Ras$  interdomain distance versus  $G_s\alpha$   $\alpha 1-\alpha 5$  interhelical distance, which exhibits a negative correlation in line with the Pearson's correlation coefficient calculations in the previous section. These analyses indicate that the stacking of  $\alpha 1$  and  $\alpha 5$  helices can be the molecular determinant for the partial dissociation of  $G_s$  from  $\beta_2AR$  in the absence of guanine nucleotide binding. The interaction between  $\alpha 1$  and  $\alpha 5$  was previously found to be important in the allosteric activation of  $G_s\alpha$  using structural and phylogenetic analyses (51). The interruption of the contacts between  $\alpha 1$  and  $\alpha 5$  was found to be the key step for GDP release during the association of  $G_s\alpha$  to its receptor (51). And, in our study, we observed that the interaction between  $\alpha 1$  and  $\alpha 5$  favors suggested partial dissociation of  $G_s\alpha$  from its receptor, thus sharing similar structural rearrangements to their association process. This indicates that interaction between  $\alpha 1$  and  $\alpha 5$  could be a molecular control for the association and dissociation kinetics of  $G_s\alpha$  and  $\beta_2AR$ .

To estimate the relative binding affinities between the  $G_s$  and  $\beta_2AR$ , we calculated corresponding MM-PBSA interaction energies as shown in Table 2. These results can be compared with different conformations of  $G_s\alpha$  (Fig. 3 and *SI Appendix, Fig. S5*) to give insights into the correlation between  $G_s$  conformation and its possible partial dissociation from  $\beta_2AR$ . As discussed previously, during the last 2  $\mu s$ , run 1 corresponds to the fully closed  $G_s\alpha$ ; run 2 has a fully open  $G_s\alpha$ ; and in run 3 and run 4,  $G_s\alpha$  is very dynamic, transitioning between open and intermediate states, which makes predicting the trends in MM-PBSA interaction energy challenging. Run 1 with the final closed  $G_s$  conformation shows the lowest (most favorable) free energies of binding, while run 2 with a fully open structure shows relatively higher (less favorable) binding free energy, indicating more chances of  $G_s$  dissociation with the open state. This result is in line with the 2D PMF analysis (discussed above) where the minimum for  $G_s\alpha$  open states spans a larger range of distances between  $G_s\alpha$   $\alpha 5$  and  $\beta_2AR$ , indicating a larger chance for dissociation. Moreover, we found fewer interacting amino acid residues between  $\alpha 5$  and  $\beta_2AR$  and a bent  $\alpha 5$  conformation in run 2 with an open state compared with run 1 where  $G_s\alpha$  is mostly in a closed state. Also, the number of interacting amino acid residues at the  $G_s-\beta_2AR$  binding interface shows a clear trend of decrease in the longer run, run 3, also possibly suggesting a partial  $G_s$  dissociation (*SI Appendix, Fig. S13*). Altogether, we found that the opening of  $G_s\alpha$  favors

**Table 2. MM-PBSA interaction free energies between  $\beta_2AR$  and  $G_s$  (in kcal/mol) along with their SEM computed using block averages, enthalpic ( $\Delta H$ ) and entropic ( $-T\Delta S$ ) components (based on the last 2  $\mu s$  of Anton trajectories)**

System	Time	$\Delta H$	$-T\Delta S$	$\Delta G \pm SEM$
$\beta_2AR-G_s$ - run1	3.0-5.0 $\mu s$	-145.4	105.1	-40.3 $\pm$ 8.2
$\beta_2AR-G_s$ - run2	3.0-5.0 $\mu s$	-111.8	82.9	-28.9 $\pm$ 8.6
$\beta_2AR-G_s$ - run3	5.5-7.5 $\mu s$	-154.6	105.4	-49.2 $\pm$ 17.2
$\beta_2AR-G_s$ - run4	3.0-5.0 $\mu s$	-109.6	83.6	-26.0 $\pm$ 4.9

its partial dissociation from  $\beta_2AR$  but is not sufficient. The inter-domain rearrangement, namely, the stacking of  $G_s\alpha$  helices  $\alpha 1$  and  $\alpha 5$ , is necessary for the partial  $G_s$  dissociation process. We have to mention that we only considered nucleotide-free and receptor-bound open-in  $G_s$  initial state in this work. The effect of GTP/GDP binding to the  $G_s$  conformational transitions and dissociation will be evaluated in a follow-up study.

## Conclusions

Combining all-atom multi-microsecond-long MD simulations with a posteriori implicit-solvent MM-PBSA calculations, we found that  $G_s$  binding to  $\beta_2AR$  can stabilize the NE(+) binding to  $\beta_2AR$  through stabilizing the structure of the active  $\beta_2AR$  conformation. Different binding poses and partial dissociation of NE(+) were captured in both free and  $G_s$ -bound  $\beta_2AR$  systems. The partial dissociation of NE(+) can be attributed to the altered  $\beta_2AR$  structure due to its interactions with  $G_s$ , evidenced by the variances of  $\beta_2AR$  RMSD values. The wagging of NE(+) binding to  $\beta_2AR$ , i.e., presence of alternative binding poses closer to extra- or intracellular sides than the orthosteric binding site, was found to be related to the  $G_s\alpha$  conformational transition to a semi-closed or closed state. Using all-atom MD simulations, we also observed interaction between  $\beta_2AR$ 's ICL3 and  $G_s$  which caused the partial unwinding of the  $G_s\alpha$   $\alpha 5$  helix in the open-in state of this subunit, suggesting the important role of ICL3 in the  $G_s$  dissociation. ICL3 was included in our models but usually missing in the available PDB structures (7, 8, 53); thus, very limited information can be found about its function in related works (6, 12, 41). We also captured multiple closed and semi-closed conformations of the  $G_s\alpha$  subunit in the  $\beta_2AR-G_s$  system. These conformations are absent in previous simulation works (6, 23, 40, 41) and hard to obtain from experiments due to the highly dynamic nature of  $G_s\alpha AH$  (8, 56). Our simulation data indicate the possibility of  $G_s$  closing before its partial dissociation from  $\beta_2AR$ , which was not observed in previous simulation studies to the best of our knowledge. However, the closed  $G_s\alpha$  conformation is less favorable compared with the open one in promoting the dislocation of  $G_s\alpha$   $\alpha 5$  from its  $\beta_2AR$  binding site. Instead, the internal  $G_s\alpha Ras$  domain stacking between helices  $\alpha 1$  and  $\alpha 5$  was found to be necessary. We found that the open  $G_s\alpha$  favors a more stacked  $\alpha 1$  and  $\alpha 5$  arrangement, which can drive the dissociation of  $G_s\alpha$   $\alpha 5$  from the receptor. Yet, the binding of guanine nucleotides may have a different effect on the G protein conformational changes and dislocation of  $G_s\alpha$   $\alpha 5$  from its receptor binding site, which will be evaluated in our subsequent studies. The results of this study may help explain molecular determinants and underlying mechanisms on why bound  $G_s$  protein can stabilize NE(+) binding to  $\beta_2AR$  and how G protein dissociation from the receptor may commence in the nucleotide-free state. These questions are important for understanding the activation of GPCRs and their modulation by G protein interactions in normal physiological and pathophysiological conditions. Our results can also be used to inform the next generation of multiscale functional kinetic models of sympathetic nervous stimulation in cardiac myocytes and other excitable cells, which is a powerful tool to complement experimental and clinical research.

## Materials and Methods

**Protein Structures.** The 3D coordinates of adrenaline-bound  $\beta_2AR$  were obtained from the published X-ray crystallographic structure (PDB: 4LDO) (59) to serve as a template for the activated receptor. The  $G_s$  heterotrimer template was obtained from the 3D coordinates of the crystal structure of  $\beta_2AR-G_s$  complex

(PDB: 3SN6) bound to agonist BI-167107 (POG) (7). 3D coordinates were oriented via the Orientations of Proteins in Membranes (OPM) database (60). The adrenaline-bound receptor from PDB 4LDO was aligned to protein complex structure from PDB 3SN6 via UCSF Chimera (61) Matchmaker to replace the POG-bound receptor of PDB 3SN6, then all ligands and nonphysiological proteins were removed. The resulting template, which combined the receptor of 4LDO with the  $G_s$  heterotrimer of 3SN6, was then assessed for clashing van der Waals radii before proceeding.

As the  $\beta_2AR$  structure was published without 3D coordinates for the intracellular loop 3 (ICL3), this region as well as omitted regions of the published  $G_s$  model in PDB 3SN6 were remodeled using the ROSETTA implementation of fragment-based cyclic coordinate descent (CCD) (62, 63). Target sequences for de novo modeling of both the human  $\beta_2AR$  and the  $G_s$  heterotrimer were obtained via UniProt (64). Rosetta comparative modeling (RosettaCM) was used with the Rosetta Membrane Energy Function to generate 10,000 decoy models of sequence-complete  $\beta_2AR$ - $G_s$  complex (65–67). Rosetta clustering analysis was used to assess convergence of decoys into different microstates using their RMSDs with a cluster radius of 2.5 Å. The lowest-energy decoy of the most populated cluster was selected as a model for further refinement. 1,000 energy-minimized decoys were then generated from the sequence-complete model using the Rosetta Fast Relax application in conjunction with the membrane energy function (68). Relaxation was permitted only to residues that were modeled de novo. The lowest energy structure was then selected for ligand docking and MD simulations.

**Ligand Docking.** RosettaLigand (69) was used for all docking simulations of NE(+) to  $\beta_2AR$  and  $\beta_2AR$ - $G_s$ . Ligand rotamers and parameters were generated by OpenEye Omega (70) and ROSETTA scripts. A box size of 5 Å was used for ligand transformations along with 7 Å ligand distance cutoff for side chain and backbone reorientations (with  $<0.3$  Å  $C_\alpha$  restraint). 50,000 structures were generated in each run with top 10% selected by total score, out of which 50 lowest-interfacial score structures were validated for their convergence with the crystalized adrenaline of the original template structure 4LDO. Subsequent simulations were conducted using the lowest-interfacial score structures.

**Molecular Dynamics Simulations.** MD simulation systems of ~222,000 or ~302,000 atoms were generated using CHARMM-GUI (71–73) and consisted of  $\beta_2AR$  protein or  $\beta_2AR$ - $G_s$  protein complex in lipid bilayers soaked by a 0.15-M NaCl aqueous solution. The outer bilayer leaflet contained pure 1-Palmitoyl-2-oleoylphosphatidylcholine (POPC), whereas the inner leaflet had ~70% POPC and ~30% 1-Palmitoyl-2-oleoylphosphatidylserine (POPS) as in a previous MD simulation study (23). The same ionizable protein residue protonation states, posttranslational modifications (lipidations and disulfide bonds based on UniProt data), and C- and N-protein termini as in that study (23) were used as well. All-atom biomolecular CHARMM36m protein (74), C36 lipid (75), and general CHARMM (CGENFF) (76) force field and TIP3P water (77) were used. CGENFF program (78, 79) was used to generate cationic norepinephrine, NE(+), force field parameters by analogy, which were validated and had to be optimized for one dihedral angle using an established quantum mechanics (QM)-based protocol (76).

MD simulations were run in the *NPT* ensemble at 310 K and 1 atm pressure using tetragonal periodic boundary condition. The systems were equilibrated for 90 ns with gradually reducing protein restraints in the first 40 ns using Nanoscale Molecular Dynamics (NAMD) (80). MD equilibration runs were then followed by multi-microsecond-long production runs on the Anton 2 (81) supercomputer or using enhanced sampling Gaussian-accelerated MD (GaMD) (57) runs. The GaMD module implemented in the NAMD (82) was applied to perform GaMD simulations, which included a 10-ns short conventional MD (cMD) simulation (after the previous 90 ns MD equilibration), used to collect potential statistics for calculating the GaMD acceleration parameters, 50-ns GaMD equilibration after adding the boost potential, and finally three independent GaMD production runs with randomized initial atomic velocities for each system. All GaMD simulations were run at the “dual-boost” level by setting the reference energy to the lower bound. The upper limit of the boost potential SD,  $\sigma_0$ , was set to 6.0 kcal/mol for both the dihedral and the total potential energy terms. Simulation analyses were performed using VMD (50) and lab-generated codes. The PyReweighting toolkit (83) was used to reweight the PMF profiles based on the distances and angles for GaMD trajectories to account for the effect of the boost potential on GaMD simulated distributions. A bin size of 0.5 Å was used for the interatomic

distances and 5° for angles. The cutoff was set to 10 configurations in one bin for 2D PMF calculations. For the Anton simulations, PMF profiles did not need to be reweighted.

**MM-PBSA Binding Energies.** Free energy calculations for  $\beta_2AR$ -NE(+) binding and  $\beta_2AR$ - $G_s$  binding were performed using the Molecular Mechanics–Poisson–Boltzmann Surface Area (MM-PBSA) approach with all-atom MD simulation trajectories by MMPBSA.py program in Amber Tools (84). The Chamber module of ParmEd program was used to convert CHARMM-style forcefields to Amber-style forcefields (85). Aqueous solution (ionic strength 150 mM) and lipid membrane were treated implicitly using dielectric constants (water  $\epsilon_w = 80$ , lipid bilayer  $\epsilon_l = 2$ , and protein  $\epsilon_p = 4$ ). Solvent probe radius is set to 1.4 Å and the atomic radii were set according to the converted force field parameters. To obtain the enthalpy ( $\Delta H$ ) contributions of solvation and gas-phase free energies, the particle-particle particle-mesh (P3M) procedure was used (86). These calculations were performed with implicit membrane, where the electrostatic energy includes both reaction field and Coulombic electrostatic energies. Entropy was calculated separately by the interaction entropy method (87). This method was shown to increase the entropy calculation efficiency and possibly improve the accuracy of MM-PBSA in estimating protein-protein interactions (88). To use the interaction entropy method, gas-phase interaction energies including Coulombic electrostatic and van der Waals components were computed. In order to get the gas-phase Coulombic energy separated from the reaction field energy contribution, each system energy was recalculated by using dielectric boundary surface charges method in the implicit ionic solution. In this study, we focused on trends in relative binding free energies for the same or similar ( $\beta_2AR$  and  $\beta_2AR$ - $G_s$ ) protein systems, which may justify the usage of a standard MM-PBSA approach (84) along with interaction entropy calculations (87). However, to obtain more accurate absolute and relative protein-protein binding free energy estimates, we may need to use recently developed MM-PBSA method with a screened electrostatic energy (88) in subsequent studies.

To reweight the MM-PBSA energies computed from GaMD simulations, we used the PyReweighting toolkit (83) to generate a corresponding PMF ( $W$ ) value for each bin of the energy histogram generated from the simulation trajectories as described above for distance and angle PMFs. The probability for each bin can then be computed as  $P_{bin} = e^{-\beta W}$ , where  $\beta = 1/(k_B T)$ ,  $k_B$  is Boltzmann constant and  $T$  is temperature. The average MM-PBSA energy in the GaMD boost-potential biased ensemble (notated with an asterisk,  $\langle E^* \rangle$ ) is then converted to the canonical ensemble value ( $\langle E \rangle$ ) using probabilities,  $P_{bin}$ , and energies,  $E_{bin}^*$ , for each bin as  $\langle E \rangle = \frac{\sum_{bin=1}^N P_{bin} E_{bin}^*}{\sum_{bin=1}^N P_{bin}}$ . The bin width was kept as 0.5 kcal/mol. Similar reweighting approach can be in principle applied to interaction entropies using a cumulant expansion approach outlined in (89), but results for our systems were found to be noisy and unreliable (divergent) due to domination of higher-order terms.

**Binding Pose Clustering.** The clustering for the NE(+) binding poses was performed by TtClust program (90). The trajectories were first aligned to the first frame of  $\beta_2AR$  (without intracellular loop 3). The RMSDs of NE(+) between all pairs of frames were calculated and stored into a matrix. This matrix was then used to calculate a linkage matrix by the hierarchical cluster linkage function of the SciPy package (91). Ward’s method within the SciPy module was used to minimize the variance within clusters and allows more demarcated clusters to be obtained (90). K-means clustering with the Elbow algorithm was used to find the optimal number of clusters (90).

**Pearson’s Correlation Coefficients.** The Pearson’s correlation coefficients (values of  $r$ ) shown in *SI Appendix, Table S4* were calculated among the data points in Fig. 4A and B collected from the average values of the last 2  $\mu$ s of each Anton run.

The time-lag correlation analysis was performed using MATLAB version 2022b. Calculations of the Pearson’s correlation coefficients (values of  $r$ ) were performed using the built-in corrcoef function. The lag time defines a delay between two different MD simulation measurements, e.g., the distance between two protein residues as compared to the angle between two protein domains. A lag time of zero indicates that the distance and angle observations are compared from the same simulation time points, whereas a lag time of 50 ns, for example, indicates that distance observations for time  $t$  will be compared with angle observations from time  $(t + 50)$  for the duration of the simulation. The lag time was varied from zero to half of the MD simulation length (e.g., 2.5  $\mu$ s for a 5- $\mu$ s-long simulation).

**Data, Materials, and Software Availability.** All final study data are included in the article and/or *SI Appendix* with key molecular dynamics simulation and analysis data files and scripts available to download from Dryad digital repository at <https://doi.org/10.25338/B89H1T>.

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