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# Shift contagion and minimum causal intensity portfolio during the COVID-19 and the ongoing Russia-Ukraine conflict



Amine Ben Amar<sup>a,\*</sup>, Mondher Bouattour<sup>b</sup>, Makram Bellalah<sup>c</sup>, Stéphane Goutte<sup>d</sup>

<sup>a</sup> Africa Business School, Mohammed VI Polytechnic University, Rabat, Morocco

<sup>b</sup> Excelia Business School & LGTO, University of Toulouse, France

<sup>c</sup> Laboratoire d'Economie, Finance, Management & Innovation - LEFMI [UR 4286], University of Picardie Jules Verne, Amiens, France

<sup>d</sup> UMI SOURCE, Paris-Saclay University & Paris School of Business (PSB), Paris, France

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#### ABSTRACT

Using the TYDL causality test, this paper attempts (i) to investigate the existence of *shift contagion* among a large spectrum of financial markets during recent stress and stress-free periods and (ii) to propose a new approach of portfolio management based on the minimization of the causal intensity. During the COVID-19 crisis period, the *shift contagion* analysis not only reveal a tripling of the causal links between the markets studied, but also a change in the causal structure. Beyond the initial impact of the COVID-19 crisis on financial markets, policy interventions seem to have helped in reassuring market participants that the further spread of financial stress would be mitigated. However, the Russian-Ukrainian conflict, and the high degree of uncertainty it entailed, has again exacerbated the interdependencies between financial markets. In terms of portfolio analysis, our minimum-causal-intensity approach records a lower (respectively higher) reward-to-volatility ratio than the Markowitz (1952 & 1959) minimum-variance traditional approach during the pre-COVID-19 (respectively pre-war) period. On the other hand, both approaches, the one we propose in this paper and the minimum-variance approach, record negative reward-to-volatility ratios during crisis periods.

#### 1. Introduction

Since the 1980s, many factors, such as financial deregulation, the development of new information technologies, as well as financial innovations, have further increased the interdependence among financial markets (Gamba-Santamaria et al., 2019), which implies greater interactions and interdependencies between the different segments of the financial markets. Obviously, more integrated financial markets provide investors with a wider range of investment opportunities, enhance the possibility of risk sharing and thus lead to more efficient portfolio management. Nevertheless, a high level of integration can weaken the resilience of the financial system, as it results in faster transmission of shocks among markets, amplifies their effects, and thereby exacerbates systemic risk. History provides us with evidence. Throughout the past three decades, financial crises have not only propagated across markets and economies more rapidly than in the past, but have also been more protracted and disruptive (Forbes and Rigobon, 2002; Aït-Sahalia et al., 2015; Awartani et al., 2016; Bala and Takimoto, 2017; Mieg, 2020; Zhang and Broadstock, 2020), deeply impacting social welfare (Kwon and Holliday, 2006; Schwartz, 2012). The crisis resulting from the COVID-19 pandemic is a recent example. Indeed,

\* Corresponding author. *E-mail address*: amine.benamar@um6p.ma (A. Ben Amar).

https://doi.org/10.1016/j.frl.2023.103853 Received 30 January 2023; Received in revised form 25 March 2023; Accepted 2 April 2023 Available online 7 April 2023 1544-6123/© 2023 Elsevier Inc. All rights reserved. several studies have shown that this health crisis suddenly amplified the interdependence between financial markets, causing a simultaneous fall of the major financial markets by the end of February 2021 (Kohlscheen et al., 2020; Zhang et al., 2020). As a result, academics, policymakers, and investors have once again focused on analysing the connectedness, as well as shift contagion between financial markets during this crisis (among others: Corbet et al., 2020; Broadstock et al., 2021; Corbet et al., 2021; Bélaïd et al., 2021; Ben Amar et al., 2021; Yarovaya et al., 2022; Uddin et al., 2022; Corbet et al., 2022).

Understanding the connectedness as well as shift contagion among different financial markets during stress and stress-free periods would provide decision makers, regulators and investors, with very useful information (Kang et al., 2016). Regulators need to understand the extent of interdependencies among financial markets in order to promote the stability and resilience of the financial system (Karolyi, 1995; Caporale et al., 2002; Lee et al., 2015; Liu et al., 2019). For investors, a better understanding of the interdependence between financial markets would allow for more effective diversification and hedging strategies (King and Wadhwani, 1990; Silvennoinen and Thorp, 2013).

The literature has paid considerable attention to the study of connectedness and shift contagion among financial markets. Indeed, a sizable body of literature has examined in depth the connectedness and shift contagion between stock markets (Marais and Bates, 2006; Diebold and Yilmaz, 2009; Belke and Dubova, 2018; Ben Amar et al., 2020), commodity markets (Chang et al., 2011; Pan et al., 2014), commodity and non-commodity markets (Arouri et al., 2011; Basher and Sadorsky, 2016; Barbaglia et al., 2020; Asl et al., 2021), stock markets and cryptocurrencies (Jeribi and Masmoudi, 2021; Ghorbel et al., 2022), green bonds, renewable energy stocks and carbon markets (Tiwari et al., 2022) and clean energy and technology indices (Niu, 2021; Hemrit and Benlagha, 2021). However, the way investors can use the results of this strand of the literature in their portfolio diversification strategies remains largely unexplored.

This paper contributes to the existing literature by proposing a new approach to portfolio diversification based on minimizing the causal intensity between markets. Indeed, the goal of this study is three-fold. First, using the TYDL causality test, it investigates the structure of causal links between different segments of the financial market (commodities, stocks, socially responsible investments, sovereign bonds, green bonds, cryptocurrencies and clean energies) during recent stress and stress-free periods. Relatively to previous works, our study covers a high representative number of financial markets including commodities, stocks, bonds and cryptocurrencies. Investigating the causal structure between these different markets will help to understand the extent to which markets are segmented or interconnected during both stress and stress-free periods, allowing investors to better structure their portfolios and manage risk. In our study, two stress periods are included to the analysis: the COVID-19 crisis and the ongoing Russia-Ukraine war. Second, it uses a measure of causal intensity to examine the existence of *shift contagion*<sup>1</sup> during stress periods, *i.e.* significant changes in causal links among the causal intensity among the underlying assets (MIN—CAI). Indeed, by using the Toda and Yamamoto (1995) and Dolado and Lütkepohl (1996) causality test, we extend the traditional minimum-variance portfolio framework of Markowitz (1952 & 1959) and propose a new minimum causality approach.

We have uncovered several results which can be summarized as follows. First, the TYDL causality analysis reveals not only an increase in the number of causal links between the markets studied during the stress periods considered in this study, but also a change in the causal structure, suggesting a *shift contagion* phenomenon during high uncertainty episodes. Second, the results show that the war has raised investors interest in businesses engaged in clean energies. Third, the portfolio analysis shows that the structure of the portfolio under our proposed minimum-causal-intensity approach differs substantially from the structure of the minimum-variance benchmark portfolio. Moreover, the structure of the portfolios under the two approaches shifted substantially during stress periods. Fourth, our proposed portfolio approach delivers better returns during periods of market stability and greater reward-to-risk ratios during periods of market turmoil, when compared to the traditional MIN-VAR portfolio approach.

The results of this paper are of practical interest to investors and regulators. Indeed, beyond a better understanding of the interdependence structure between the different financial markets, this study proposes to take this interdependence structure into account in portfolio management in order to cope with systemic risk. Indeed, to prevent contagion and maintain financial stability, it is important to increase regulatory oversight of financial markets to ensure adequate supervision and monitoring. Furthermore, diversifying portfolios across multiple asset classes, while minimizing the interdependencies among them, can help mitigate contagion risk by limiting the potential for systemic failures caused by over-exposure to any one market or asset class.

The remainder of this paper is organized as follows: Section 2 describes the data and outlines the empirical strategy. Section 3 documents and discuss the empirical results. Section 4 concludes the paper.

## 2. Methods and materials

The present study focuses on evaluating *shift contagion* during recent stress periods (the COVID-19 crisis period and the ongoing Russia-Ukraine war period), as well as portfolio management. The study was conducted for selected assets – commodities, stocks, socially responsible investments, sovereign bonds, green bonds, cryptocurrencies, and clean energies – covering a large spectrum of financial markets' segments. The analysis of causal structures during stress and stress-free was carried out for these selected assets to (i) capture shift contagion and (ii) to construct a portfolio minimizing the causal intensity among the underlying assets. SubSection 2.1

<sup>&</sup>lt;sup>1</sup> Marais and Bates (2006) define shift contagion as "significant differences in cross-market links between tranquil and crisis periods". It should be noted that the shift contagion concept was first indicated in a study by Forbes and Rigobon (2000) to describe the increase in co-movements among markets after a shock.

List of Indices.

Indices		Description
MSCI ACWI Index	ACWI	The MSCI ACWI Index is a representative global stock market index. It covers approximately 85% of the global stock market capitalization.
S&P Global Developed Sovereign Bond Index	SBND	The S&P Global Developed Sovereign Bond Index tracks the performance of sovereign bonds issued by developed countries.
S&P Green Bond Index	GRNB	The S&P Green Bond Index tracks the performance of bonds whose proceeds are used to finance environmentally friendly projects
MSCI ACWI Information Technology Index	IT	The MSCI ACWI IT Index is representative of the performance of global Information Technology companies.
MSCI KLD 400 Social Index	KLD	The MSCI KLD 400 Social Index consists of 400 US securities providing exposure to companies having high ESG ratings relative to the constituents in the MSCI US Investable Market.
Wilderhill Clean Energy Index	CLN	The Wilderhill Clean Energy Index tracks the performance of businesses engaged in the clean energy activities.
Wilderhill New Energy Global Innovation Index	INV	The Wilderhill New Energy Global Innovation Index tracks the performance of worldwide businesses whose innovative technologies and services focus on generation and use of cleaner energy, conservation, efficiency and advancing renewable energy.
Bitcoin	BTCN	The Bitcoin is a digital currency that operates on the blockchain. It is not only the first cryptocurrency, but also the largest in terms of capitalization.
S&P GSCI Energy Spot Index	NRG	The S&P GSCI Energy Spot Index provides investors with a reliable benchmark of the investment performance in the energy commodity sector.
S&P GSCI Non-Energy Spot Index	NNRG	The S&P GSCI Non-Energy Spot Index provides investors with a reliable aggregated benchmark of the investment performance in the non-energy markets.

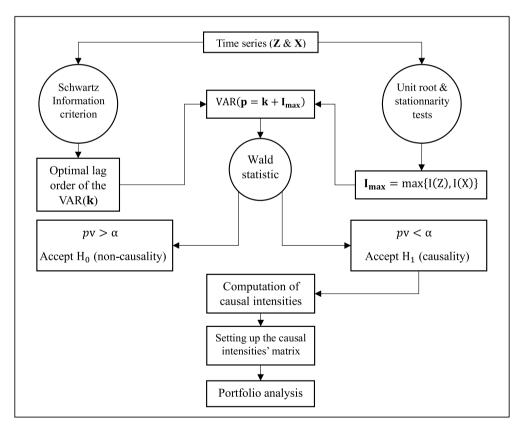


Fig. 1. Empirical strategy: TYDL causality test steps & portfolio analysis

Note: pv represents the marginal significance level associated with the null hypothesis H<sub>0</sub> of non-causality.

describes the data used and the periods examined, and subSection 2.2 outlines the methodology.

#### 2.1. Data

Our underlying datasets are daily observations of broad spectrum of assets: a global stock market index, a global sovereign bonds index, a global information technology index, a socially responsible investment index, two clean-energy

related indexes, a cryptocurrency, and two representative commodity price indexes (See Table 1).

All series, expressed in U.S. dollars, are collected from Refinitiv Eikon Datastream and cover the period running from January 2nd, 2019 to November 7th, 2022. This period is informative in terms of market development because it covers both calm periods and periods of turbulence during which shocks may spread between markets at different intensities. To investigate the existence of *shift contagion* during stress periods, the causality is tested distinguishing the tranquil pre-COVID-19 period (from January 2nd, 2019 to December 31st, 2019), the COVID-19 crisis period (from January 1st, 2020 to March 31st, 2020), the pre-war period (from April 1st, 2020 to February 23rd, 2022), and the Russia-Ukraine war period (from February 24th, 2022 to November 7th, 2022). The separation between the pre-COVID-19 and the COVID-19 periods can be justified by the beginning of availability of data on COVID-19, as the first case was reported to the World Health Organization Country Office in China on December 31, 2019. To assess the initial impact of the COVID-19 medical shock on financial markets, we limit the COVID-19 period to the first quarter of the year 2020 (2020Q1). Indeed, the collapse of almost all financial markets around the world during 2020Q1 provide a snapshot of how market participants process information as disaster strikes. From the second quarter of the year 2020 (2020Q2), the markets reacted to the different economic policies that were implemented to avoid the collapse of the financial system, which is why we consider the period between April 1st, 2020, and February 23rd, 2022 as a stress-free period. February 24th, 2022 marks the beginning of the war between Ukraine and Russia. Thus, we also examine the impact of the ongoing war on the causal structure between the markets considered.

#### 2.2. Empirical strategy

Our empirical strategy consists of two complementary steps. First, we use the TYDL causality test to investigate *shift contagion* and compute the causal structure among the markets considered. Second, we use the results of the first step to construct a portfolio minimizing the causal intensity among the underlying assets (See Fig. 1).

#### 2.2.1. TYDL causality test

In this study we use the TYDL causality test, based on the works of Toda and Yamamoto (1995) and Dolado and Lütkepohl (1996), to (i) investigate possible *shift contagion, i.e.* significant changes in the number and magnitudes of causal linkages between a set of financial markets during stress and stress-free periods (Marais and Bates, 2006, Ben Amar et al., 2021; Bélaïd et al., 2021)<sup>2</sup> and (ii) compute the causal intensities matrix.

The TYDL causality test is reliable whatever the variables' order of integration, *i.e.* that time-series could be **I(0)**, **I(1)** or **I(2)**, which is consistent with financial time-series. The TYDL causality test involves two steps. The first step consists in identifying the order **p** of the vector autoregressive (VAR) model on which the causal analysis will be conducted. This autoregressive order **p** is nothing but the sum of the optimal autoregressive order **k** of the VAR model and the maximum integration order **I**<sub>max</sub> of the endogenous variables within the VAR model, *i.e.*, **p** = **k** + **I**<sub>max</sub>. Indeed, the inclusion of the additional **I**<sub>max</sub> lags in the level-estimated VAR model is required as it allows considering the potentially cointegrated characteristic of time series. Through the estimation of VAR(**p**), there is a guarantee in the asymptotic  $\chi^2$  distribution of the Wald statistic (Marais and Bates, 2006).

Given the small period of observation during crisis and war periods, **k** must be obtained from an information criterion that does not over-parametrize the VAR system in order to minimize the loss of power of the TYDL causality test (Saikkonen and Lutkepohl, 1996). Thus, the Schwarz (1978) Information Criterion is employed to identify **k**, and the Phillips and Perron (1988) unit root test and the Kwiatkowski et al. (1992) stationarity test are used to determine **I**<sub>max</sub>. Therefore, the VAR(**p**), estimated by ordinary least squares, describes well the joint dynamics of the endogenous variables, independently of their integration order.

The second step is to test the null hypothesis (H<sub>0</sub>) of non-causality against the alternative hypothesis (H<sub>1</sub>) of Granger causality using standard Wald statistic that takes into account only the first **k** coefficients matrices.<sup>3</sup> The alternative hypothesis H<sub>1</sub> is accepted (*i.e.*, causality) when the *p*-value of the Wald statistic is lower than the significance level  $\alpha$ . Otherwise, the non-causality hypothesis (H<sub>0</sub>) is accepted. It should be noted that the two steps on which the TYDL causality test is performed are applicable only if  $I_{max} \leq k$  (Toda and Yamamoto, 1995).

Once  $H_0$  rejected, and since the data is expressed in logarithms, Marais and Bates (2006) suggest to derive the elasticity  $e_{ZX}$  of the caused variable Z with respect to the causal variable X based on the estimated coefficients of the VAR(**p**) and use it as a measure of the magnitude of the causal relation. For instance, let ( $Z_t$ ,  $X_t$ )<sup>'</sup> the 2 × 1 dimensional vector of endogenous variables. The VAR(**p**) model is expressed as follows:

$$\begin{cases} \mathbf{Z}_{t} = \sum_{i=1}^{k} \gamma_{1i} \mathbf{Z}_{t-i} + \sum_{j=k+1}^{p} \gamma_{1j} \mathbf{Z}_{t-j} + \sum_{i=1}^{k} \beta_{1i} \mathbf{X}_{t-i} + \sum_{j=k+1}^{p} \beta_{1j} \mathbf{X}_{t-j} + \varepsilon_{Zt} \\ \mathbf{X}_{t} = \sum_{i=1}^{k} \gamma_{2i} \mathbf{Z}_{t-i} + \sum_{j=k+1}^{p} \gamma_{2j} \mathbf{Z}_{t-j} + \sum_{i=1}^{k} \beta_{2i} \mathbf{X}_{t-i} + \sum_{j=k+1}^{p} \beta_{2j} \mathbf{X}_{t-j} + \varepsilon_{Xt} \end{cases}$$

<sup>&</sup>lt;sup>2</sup> According to Marais and Bates (2006), shift contagion can be defined as "significant differences in cross-market links between tranquil and crisis periods". The shift contagion concept was first appeared in a study by Forbes and Rigobon (2000) to describe the increase in co-movements among markets after a shock.

<sup>&</sup>lt;sup>3</sup> For further details about the Wald test, we refer the interested readers to Dolado and Lütkepohl (1996).

#### 2.2.2. Minimum-causal intensity portfolio

After the causality from the variable  $\mathbf{X}$  to the variable  $\mathbf{Z}$  is confirmed from the TYDL test,  $\mathbf{e}_{\mathbf{Z}\mathbf{X}}$  is derived from the first equation of the VAR system as follows :<sup>4</sup>

$$\mathbf{e}_{\mathbf{ZX}} = \frac{\sum_{i=1}^{k} \beta_{1i} + \sum_{j=k+1}^{p} \beta_{1j}}{1 - \sum_{i=1}^{k} \gamma_{1i} - \sum_{j=k+1}^{p} \gamma_{1j}}$$

and  $\mathbf{e}_{XZ}$  is derived from the second equation of the system as follows:

$$\mathbf{e_{XZ}} = \frac{\sum_{i=1}^{k} \gamma_{2i} + \sum_{j=k+1}^{p} \gamma_{2j}}{1 - \sum_{i=1}^{k} \beta_{2i} - \sum_{j=k+1}^{p} \beta_{2j}}$$

These elasticities reflect the magnitude of the causal relationship between the two variables in the system: the greater the elasticities, the stronger the causal relationship between  $\mathbf{X}$  and  $\mathbf{Z}$ . Thus, the causal intensities matrix is given by:

$$\Phi_{\mathbf{Z}\mathbf{X}} = \begin{pmatrix} \mathbf{e}_{\mathbf{X}\mathbf{X}} & \mathbf{e}_{\mathbf{X}\mathbf{Z}} \\ \mathbf{e}_{\mathbf{Z}\mathbf{X}} & \mathbf{e}_{\mathbf{Z}\mathbf{Z}} \end{pmatrix} = \begin{pmatrix} 1 & \mathbf{e}_{\mathbf{X}\mathbf{Z}} \\ \mathbf{e}_{\mathbf{Z}\mathbf{X}} & 1 \end{pmatrix}$$

with

$$\mathbf{e}_{\mathbf{Z}\mathbf{X}} = \begin{cases} \frac{\sum_{i=1}^{k} \beta_{1i} + \sum_{j=k+1}^{p} \beta_{1j}}{1 - \sum_{i=1}^{k} \gamma_{1i} - \sum_{j=k+1}^{p} \gamma_{1j}} & \text{if } \mathbf{H}_{1} \text{ is accepted} \\ 0 & \text{if } \mathbf{H}_{0} \text{ is accepted} \end{cases}$$

and

$$e_{XZ} = \begin{cases} \frac{\sum_{i=1}^{k} \gamma_{2i} + \sum_{j=k+1}^{p} \gamma_{2j}}{1 - \sum_{i=1}^{k} \beta_{2i} - \sum_{j=k+1}^{p} \beta_{2j}} & \text{if } H_1 \text{ is accepted} \\ 0 & \text{if } H_0 \text{ is accepted} \end{cases}$$

Based on  $e_{ZX}$  and  $e_{XZ}$ , we can calculate the pairwise elasticity,  $\overline{e}$ , measuring the overall inter-elasticity between the two variables X and Z as:

$$\overline{\mathbf{e}} = \frac{1}{2} (\mathbf{e}_{\mathbf{Z}\mathbf{X}} + \mathbf{e}_{\mathbf{X}\mathbf{Z}})$$

This metric illustrates the average magnitude of bilateral causal elasticity across variables **X** and **Z**, and allows us to extract the following symmetric causal intensities matrix:

$$\overline{\Phi} = \begin{pmatrix} 1 & \frac{\mathbf{e}_{\mathbf{X}\mathbf{Z}} + \mathbf{e}_{\mathbf{Z}\mathbf{X}}}{2} \\ \frac{\mathbf{e}_{\mathbf{Z}\mathbf{X}} + \mathbf{e}_{\mathbf{X}\mathbf{Z}}}{2} & 1 \end{pmatrix}$$

If we examine the causal structure for N variables, the causal intensities matrix,  $\overline{\Phi}_N$ , becomes:

$$\overline{\Phi}_{N} = \begin{pmatrix} 1 & \frac{\mathbf{e}_{1,2} + \mathbf{e}_{2,1}}{2} & \cdots & \frac{\mathbf{e}_{1,N-1} + \mathbf{e}_{N-1,1}}{2} & \frac{\mathbf{e}_{1,N} + \mathbf{e}_{N,1}}{2} \\ \frac{\mathbf{e}_{2,1} + \mathbf{e}_{1,2}}{2} & 1 & \cdots & \frac{\mathbf{e}_{2,N-1} + \mathbf{e}_{N-1,2}}{2} & \frac{\mathbf{e}_{2,N} + \mathbf{e}_{N,2}}{2} \\ \vdots & \vdots & \ddots & \vdots & \vdots \\ \frac{\mathbf{e}_{N-1,1} + \mathbf{e}_{1,N-1}}{2} & \frac{\mathbf{e}_{N-1,2} + \mathbf{e}_{2,N-1}}{2} & \cdots & 1 & \frac{\mathbf{e}_{N-1,N} + \mathbf{e}_{N,N-1}}{2} \\ \frac{\mathbf{e}_{N,1} + \mathbf{e}_{1,N}}{2} & \frac{\mathbf{e}_{N,2} + \mathbf{e}_{2,N}}{2} & \cdots & \frac{\mathbf{e}_{N,N-1} + \mathbf{e}_{N-1,N}}{2} & 1 \end{pmatrix}$$

Once we have obtained the causal intensities matrix, we explore historical investment performance by back-testing portfolios. Thus, we build on and extend the Markowitz (1952 & 1959) framework and propose to use the causal-intensities matrix to derive the vector of portfolio weights. According to the minimum-causal-intensities (MIN–CAI) approach, the vector of weights,  $\omega^{MIN-CAI} =$ 

<sup>&</sup>lt;sup>4</sup> To investigate the existence of shift contagion among the markets considered, and to be able to compute the price-elasticity linkages between them as well as the causal-intensities matrix, a log-transformation of the data is chosen, as in Marais and Bates (2006). Descriptive statistics may be provided from the authors upon request.

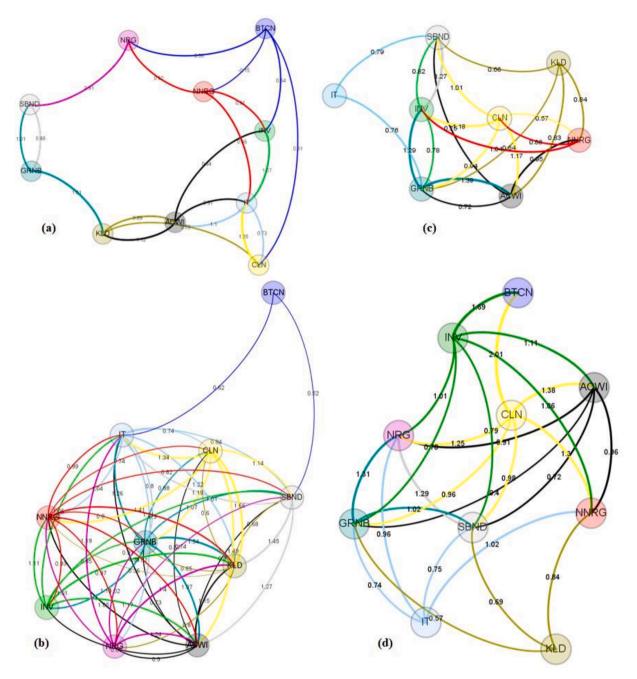


Fig. 2. Causal links during stress and stress-free periods

Note: (a) pre-COVID-19 period; (b) COVID-19 period; (c) pre-war period; (d) Russia-Ukraine war period. See Table 1 for abbreviations. The ForceAtlas2 algorithm of Jacomy et al. (2014) is used to determine the locations of nodes.

 $(\omega_1^{\text{MIN-CAI}}, ..., \omega_N^{\text{MIN-CAI}})'$ , is given by

$$\omega^{\mathrm{mc}} = \frac{\overline{\Phi}_{\mathrm{N}}^{-1} 1}{1' \overline{\Phi}_{\mathrm{N}}^{-1} 1}$$

where  $\omega^{\text{MIN} - \text{CAI}}$  is a  $N \times 1$  dimensional vector of weights, such as the sum of these weights equals one.<sup>5</sup> 1 is a  $N \times 1$  dimensional vector

<sup>&</sup>lt;sup>5</sup> Weights may be negative, which refers to short sale.

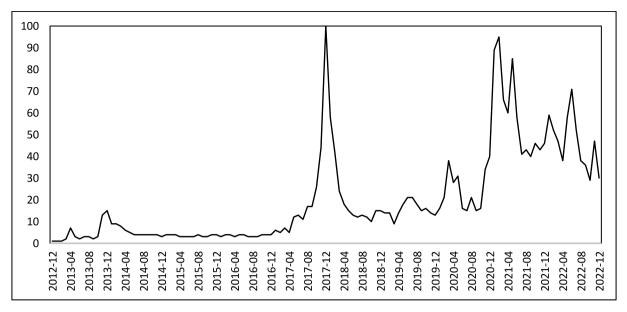


Fig. 3. Global Google Search on Bitcoin.

Source: https://trends.google.com (download on December 12, 2022)

with each element equal one, and  $\overline{\Phi}$  is the  $N \times N$  dimensional causal-intensities matrix. Indeed, the merit of this approach, comparatively to the Markowitz (1952 & 1959) minimum-variance traditional approach, is that it allows the construction of portfolios that reduce the causal intensities between the underlying assets and, consequently, makes portfolios more resilient to systemic risk.

# 3. Results

#### 3.1. Shift contagion analysis

Selected descriptive statistics of the log daily data are summarized in Table 2 in the appendices. The order of integration of the timeseries used is almost equal to one (See Table 2 in the appendices).<sup>6</sup> The results of the TYDL causality test and the measure of causal intensities are detailed in Tables 3–6 in the appendices and summed up by Fig. 2.a,b,c and d.

During the pre-COVID-19 tranquil period, BTCN appears to have a major influence on the rest of the market considered. Indeed, the causal structure depicted in Fig. 2.a shows that it influences NRG, NNRG, INV and CLN markets. Indeed, interest in crypto-currencies in general, and bitcoin in particular, as an investment asset class began in late 2016, as evidenced by the steady (albeit slow) price increases throughout that year and into 2017, when the price of bitcoin broke the \$1000 mark. There was massive media coverage of this phenomenon, which further piqued investor interest and, in turn, put upward pressure on prices throughout the year to break the \$19,000 mark. It is worth noting that even the intensity of bitcoin searches in Google increased significantly from the end of 2016, and peaked towards the end of 2017 (see Fig. 3). The growing awareness of investors since 2017 seems to strengthen the correlation between crypto-currency prices and those in other financial markets, which is consistent with our results during the pre-COVID-19 stress-free period. The COVID-19 pandemic created and exacerbated concerns in the financial markets due to the sudden slowdown in global economic activity. Many investors withdrew from the stock market and placed their money into Bitcoin during the COVID-19 crisis period, whose price more than quadrupled between the first quarter of 2020 and the first quarter of 2021. This potentially explains the decline in correlation between Bitcoin and other financial markets and, in turn, the decline in the influence of BTCN during the COVID-19 crisis period (see Fig. 2.b).

Moreover, the results of the TYDL causality test (See Tables 3–6 and Fig. 2.a–d) show that all the elasticities are positive (*i.e.*  $e_{ZX} > 0$ ) and suggest an increase in the number of causal links between the stress-free and stress periods. Indeed, relatively to the pre-COVID-19 stress-free period, the COVID-19 crisis period (*i.e.* Q1 2020) is characterized by the presence of many linkages among the markets considered. Specifically, we identify 20 causal relationships during the pre-COVID-19 period and 56 during the COVID-19 crisis period (about 30% of which emanate from ACWI and NNRG). The results reveal not only a tripling of the causal links between the markets studied during the COVID-19 crisis period, but also a change in the causal structure between the two sub-periods, suggesting a *shift contagion* phenomenon during the COVID-19 crisis period – *i.e.*, the structure of causal links shifted during the COVID-19 crisis period relative to the pre-COVID-19 stress-free period. This *shift contagion* phenomenon is also observed, but to a lesser extent, during the

<sup>&</sup>lt;sup>6</sup> The Phillips-Perron unit-root test (Phillips and Perron, 1988) and the KPSS stationarity test (Kwiatkowski et al., 1992) are not reported in this paper, but they are available from the authors upon request.

Table	7

Portfolio weights.

	Pre-COV MIN-VAR	MIN-CAI	COVID-19 per MIN-VAR	iod MIN-CAI	Pre-War perio MIN-VAR	d MIN-CAI	War period MIN-VAR	MIN-CAI
ACWI	0.13	-0.05	0.54	0.09	0.10	-0.15	0.39	0.87
SBND	0.28	-0.04	0.45	-0.10	1.24	-0.03	1.88	-0.37
GRNB	0.52	0.20	0.12	0.05	-0.33	0.09	-1.22	-0.02
IT	-0.04	0.11	0.07	-0.15	-0.09	0.18	-0.03	0.69
KLD	0.05	0.13	-0.29	0.30	0.07	0.26	-0.08	0.54
CLN	0.01	0.09	0.03	0.01	0.02	0.31	-0.02	-0.19
INV	-0.04	0.16	-0.34	0.08	-0.05	-0.02	-0.03	-0.14
BTCN	0.00	0.14	-0.03	0.52	0.00	0.20	-0.02	0.44
NRG	0.00	0.22	0.00	0.05	0.00	0.20	-0.04	-0.16
NNRG	0.09	0.04	0.45	0.15	0.03	-0.04	0.17	-0.67
μ	0.05099	0.29980	-0.06289	-0.23658	-0.03213	1.30289	-0.13747	-0.39655
σ	0.00176	0.50775	0.00399	0.66908	0.00235	0.45017	0.00425	0.360511
SR	28.9737	0.5904	-15.7550	-0.3536	-13.6535	2.8942	-32.2943	-1.1000

Note:  $\mu$ ,  $\sigma$  and **SR** stand for "portfolio gross return", "portfolio return standard-deviation" and "Sharpe ratio", respectively. **MIN-VAR** and **MIN-CAI** stand for "minimum-variance portfolio" and "minimum-causal-intensity portfolio", respectively. As in Tiwari et al. (2022), we compute the Sharpe ratio assuming that the risk-free rate is zero.

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Descriptive statistics.

Pre-COVID-19	period									
	ACWI	SBND	GRNB	IT	KLD	CLN	INV	BTCN	NRG	NNRG
Mean	6,25	4,71	4,63	5,59	6,99	4,08	5,25	8,83	5,29	5,79
Median	6,25	4,71	4,64	5,60	6,99	4,09	5,25	8,96	5,29	5,79
Max	6,34	4,74	4,66	5,76	7,10	4,26	5,40	9,44	5,43	5,83
Min	6,11	4,68	4,61	5,33	6,81	3,79	5,07	8,13	5,11	5,73
Std. Dev.	0,04	0,02	0,01	0,08	0,05	0,08	0,05	0,40	0,06	0,02
Skewness	-0,32	0,12	-0,13	-0,41	-0,46	-0,91	-0,02	-0,46	0,20	-0,60
Kurtosis	3,59	1,79	1,83	3,14	3,44	4,56	4,91	1,79	2,76	3,02
Jarque-Bera	8,20***	16,60***	15,79***	7,45***	11,24***	62,38***	39,75***	25,24***	2,40	15,44**
IO	1	1	1	1	1	1	1	1	0	0
COVID-19 per	iod									
Mean	6,26	4,72	4,64	5,73	7,04	4,28	5,39	9,01	5,04	5,78
Median	6,34	4,71	4,64	5,78	7,10	4,34	5,45	9,07	5,15	5,79
Max	6,36	4,77	4,68	5,84	7,15	4,53	5,57	9,25	5,36	5,84
Min	5,95	4,69	4,57	5,47	6,74	3,86	5,05	8,52	4,40	5,66
Std. Dev.	0,13	0,02	0,02	0,11	0,12	0,17	0,14	0,18	0,30	0,05
Skewness	-1,15	1,40	-1,29	-1,08	-1,14	-1,07	-1,21	-0,93	-1,02	-0,81
Kurtosis	2,80	5,27	4,40	2,91	2,88	3,07	3,17	2,98	2,57	2,59
Jarque-Bera	14,42***	35,10***	23,34***	12,64***	14,04***	12,32***	15,86***	9,39***	11,81***	7,51**
IO	1	1	1	1	1	1	1	1	1	1
Pre-war perio	d									
Mean	6,47	4,74	4,68	6,10	7,30	4,98	5,96	10,18	5,22	5,99
Median	6,52	4,74	4,69	6,15	7,32	5,09	6,08	10,50	5,32	6,04
Max	6,63	4,79	4,74	6,37	7,53	5,64	6,44	11,12	5,74	6,26
Min	6,05	4,66	4,59	5,56	6,84	3,93	5,15	8,76	4,16	5,66
Std. Dev.	0,14	0,03	0,03	0,19	0,17	0,38	0,30	0,73	0,34	0,16
Skewness	-0,81	-0,54	-0,75	-0,79	-0,48	-0,77	-0,87	-0,48	-0,60	-0,53
Kurtosis	2,54	2,95	2,72	2,79	2,20	2,96	2,88	1,61	2,70	1,95
Jarque-Bera	59,17***	24,25***	48,34***	52,37***	32,60***	48,93***	62,75***	58,93***	31,57***	45,78**
IO	1	1	1	1	1	1	1	1	1	1
War period										
Mean	6,44	4,54	4,46	6,08	7,33	4,70	5,81	10,19	5,86	6,22
Median	6,44	4,54	4,46	6,07	7,32	4,71	5,82	10,05	5,86	6,17
Max	6,58	4,67	4,61	6,27	7,48	4,96	5,99	10,77	6,06	6,36
Min	6,31	4,43	4,33	5,90	7,19	4,48	5,62	9,82	5,66	6,09
Std. Dev.	0,07	0,06	0,07	0,09	0,07	0,12	0,09	0,31	0,09	0,09
Skewness	0,11	0,06	0,00	0,12	0,11	0,08	-0,12	0,52	0,16	0,23
Kurtosis	2,11	2,31	2,18	2,12	2,11	2,00	1,97	1,66	2,29	1,33
Jarque-Bera	6,36**	3,79	5,18*	6,39**	6,45**	7,82**	8,61**	22,08**	4,57*	22,83**
IO	1	1	1	1	1	1	1	1	1	1

Note: Table 2 reports descriptive statistics of the log daily data. First row displays mean. second row displays median. Third and fourth rows show the largest and the smallest values, respectively. Fifth row displays standard deviation. Sixth and seventh rows skewness and kurtosis coefficients, respectively. Eighth row report Jarque-Bera normality test statistics. Nineth row displays the order of integration. As in Marais and Bates (2006) we use Phillips-Perron and KPSS tests to determine the order of integration.

TYDL causality test results and causal intensities during the Pre-COVID-19 tranquil period.

[1 hypothesis $[X \rightarrow Z]$	I <sub>max</sub>	k	$\mathbf{p} = \mathbf{k} + \mathbf{I}_{\text{max}}$	Marginal significance levels of the TYDL	Decision	e <sub>ZX</sub>
$CWI \rightarrow SBND$	1	1	2	0.2821	Reject H1	ACWI≁SBN
$CWI \rightarrow GRNB$	1	1	2	0.4859	Reject H1	ACWI≁GRN
$CWI \rightarrow IT$	1	1	2	0.0047	Accept H1	0.91
$CWI \rightarrow KLD$	1	2	3	0.0242	Accept H1	1.12
$CWI \rightarrow CLN$	1	1	2	0.7872	Reject H1	ACWI≁CLN
$CWI \rightarrow INV$	1	1	2	0.0117	Accept H1	0.84
	1	1	2		-	
$CWI \rightarrow BTCN$				0.9968	Reject H1	ACWI→BTC
$CWI \rightarrow NRG$	1	1	2	0.1601	Reject H1	ACWI≁NRG
$CWI \rightarrow NNRG$	1	1	2	0.6246	Reject H1	ACWI≁NNR
$BND \rightarrow ACWI$	1	1	2	0.1939	Reject H1	SBND≁ACW
$BND \rightarrow GRNB$	1	1	2	0.0016	Accept H1	0.98
$BND \rightarrow IT$	1	1	2	0.6997	Reject H1	SBND≁IT
$BND \rightarrow KLD$	1	1	2	0.2500	Reject H1	SBND≁KLD
$BND \rightarrow CLN$	1	1	2	0.3461	Reject H1	SBND≁CLN
$BND \rightarrow INV$	1	1	2	0.8179	Reject H1	SBND≁INV
$BND \rightarrow BTCN$	1	1	2	0.5321	Reject H1	SBND≁BTC
$BND \rightarrow NRG$	1	1	2	0.7261	Reject H1	SBND≁NRG
$BND \rightarrow NNRG$	1	1	2	0.7225		
					Reject H1	SBND≁NNR
$RNB \rightarrow ACWI$	1	1	2	0.1138	Reject H1	GRNB≁ACV
$RNB \rightarrow SBND$	1	1	2	0.0034	Accept H1	1.01
$RNB \rightarrow IT$	1	1	2	0.1479	Reject H1	GRNB≁IT
$RNB \rightarrow KLD$	1	1	2	0.0986	Accept H1	1.51
$RNB \rightarrow CLN$	1	1	2	0.1055	Reject H1	GRNB≁CLN
$RNB \rightarrow INV$	1	1	2	0.6815	Reject H1	GRNB≁INV
$RNB \rightarrow BTCN$	1	1	2	0.2871	Reject H1	GRNB≁BTC
$RNB \rightarrow NRG$	1	1	2	0.5177	Reject H1	GRNB≁NRC
$RNB \rightarrow NNRG$	1	1	2	0.7545	Reject H1	GRNB≁NNF
$\Gamma \rightarrow ACWI$	1	1	2	0.0027	Accept H1	1.10
	1	1			-	
$\rightarrow$ SBND			2	0.8486	Reject H1	IT≁SBND
$\rightarrow$ GRNB	1	1	2	0.8348	Reject H1	IT≁GRNB
$\rightarrow$ KLD	1	1	2	0.1493	Reject H1	IT≁KLD
$\rightarrow$ CLN	1	1	2	0.0996	Accept H1	0.73
$\rightarrow$ INV	1	1	2	0.8703	Reject H1	IT≁INV
$\rightarrow$ BTCN	1	1	2	0.7797	Reject H1	IT-→BTCN
$\rightarrow$ NRG	1	1	2	0.9715	Reject H1	IT≁NRG
$\rightarrow$ NNRG	1	1	2	0.2029	Reject H1	IT≁NNRG
$LD \rightarrow ACWI$	1	2	3	0.0408	Accept H1	0.89
$LD \rightarrow SBND$	1	1	2	0.8508	Reject H1	KLD≁SBND
$LD \rightarrow GRNB$	1	1	2	0.9021		
					Reject H1	KLD≁GRNB
$LD \rightarrow IT$	1	1	2	0.2015	Reject H1	KLD≁IT
$LD \rightarrow CLN$	1	1	2	0.0996	Accept H1	0.59
$LD \rightarrow INV$	1	2	3	0.1458	Reject H1	KLD≁INV
$LD \rightarrow BTCN$	1	1	2	0.7927	Reject H1	KLD≁BTCN
$LD \rightarrow NRG$	1	1	2	0.3692	Reject H1	KLD≁NRG
$LD \rightarrow NNRG$	1	1	2	0.2638	Reject H1	KLD≁NNRC
$LN \rightarrow ACWI$	1	1	2	0.2593	Reject H1	CLN≁ACWI
$LN \rightarrow SBND$	1	1	2	0.9235	Reject H1	CLN≁SBND
$LN \rightarrow GRNB$	1	1	2	0.8177	Reject H1	CLN≁GRNE
$LN \rightarrow IT$	1	1	2	0.0632	Accept H1	1.35
	1		2		-	
$N \rightarrow KLD$		1		0.1384	Reject H1	CLN≁KLD
$LN \rightarrow INV$	1	2	3	0.1427	Reject H1	CLN≁INV
$LN \rightarrow BTCN$	1	1	2	0.9988	Reject H1	CLN≁BTCN
$LN \rightarrow NRG$	1	1	2	0.5088	Reject H1	CLN≁NRG
$LN \rightarrow NNRG$	1	1	2	0.1667	Reject H1	CLN≁NNRC
$V \rightarrow ACWI$	1	1	2	0.5324	Reject H1	INV≁ACWI
$IV \rightarrow SBND$	1	1	2	0.3963	Reject H1	INV≁SBND
$V \rightarrow GRNB$	1	1	2	0.5579	Reject H1	INV≁GRNB
$IV \rightarrow IT$	1	1	2	0.0369	Accept H1	1.07
$V \rightarrow H$ $V \rightarrow KLD$		2	3		-	
	1			0.1086	Reject H1	INV≁KLD
$V \rightarrow CLN$	1	2	3	0.4619	Reject H1	INV≁CLN
$IV \rightarrow BTCN$	1	1	2	0.8036	Reject H1	INV≁BTCN
$IV \rightarrow NRG$	1	1	2	0.1056	Reject H1	INV≁NRG
$V \rightarrow NNRG$	1	1	2	0.5084	Reject H1	INV≁NNRG
$\Gamma CN \rightarrow ACWI$	1	1	2	0.3144	Reject H1	BTCN≁ACV
$\Gamma CN \rightarrow SBND$	1	1	2	0.3046	Reject H1	BTCN≁SBN
$\Gamma CN \rightarrow GRNB$	1	1	2	0.8605	Reject H1	BTCN→GRN
$\Gamma CN \rightarrow IT$	1	1	2	0.4137	Reject H1	BTCN≁IT

#### Table 3 (continued)

H1 hypothesis $[X \rightarrow Z]$	I <sub>max</sub>	k	$\mathbf{p} = \mathbf{k} + \mathbf{I}_{\text{max}}$	Marginal significance levels of the TYDL	Decision	e <sub>ZX</sub>
$BTCN \rightarrow CLN$	1	1	2	0.0649	Accept H1	0.31
$BTCN \rightarrow INV$	1	1	2	0.0259	Accept H1	0.54
$BTCN \rightarrow NRG$	1	1	2	0.0176	Accept H1	0.56
$BTCN \rightarrow NNRG$	1	1	2	0.0181	Accept H1	-0.15
$NRG \rightarrow ACWI$	1	1	2	0.5568	Reject H1	NRG≁ACWI
$NRG \rightarrow SBND$	1	1	2	0.0786	Accept H1	0.91
$NRG \rightarrow GRNB$	1	1	2	0.2559	Reject H1	NRG≁→GRNB
$NRG \rightarrow IT$	1	1	2	0.5139	Reject H1	NRG≁IT
$NRG \rightarrow KLD$	1	1	2	0.8614	Reject H1	NRG≁KLD
$NRG \rightarrow CLN$	1	1	2	0.8939	Reject H1	NRG≁CLN
$NRG \rightarrow INV$	1	1	2	0.6413	Reject H1	NRG≁INV
$NRG \rightarrow BTCN$	1	1	2	0.7912	Reject H1	NRG≁→BTCN
$NRG \rightarrow NNRG$	0	1	1	0.1523	Reject H1	NRG≁NNRG
NNRG $\rightarrow$ ACWI	1	1	2	0.1593	Reject H1	NNRG≁ACWI
NNRG $\rightarrow$ SBND	1	1	2	0.6749	Reject H1	NNRG≁SBND
NNRG $\rightarrow$ GRNB	1	1	2	0.5908	Reject H1	NNRG≁GRNB
NNRG $\rightarrow$ IT	1	1	2	0.0657	Accept H1	0.98
$NNRG \rightarrow KLD$	1	1	2	0.1088	Reject H1	NNRG≁KLD
NNRG $\rightarrow$ CLN	1	1	2	0.4225	Reject H1	NNRG≁→CLN
NNRG $\rightarrow$ INV	1	1	2	0.0345	Accept H1	0.91
NNRG $\rightarrow$ BTCN	1	1	2	0.7525	Reject H1	NNRG≁BTCN
NNRG $\rightarrow$ NRG	0	1	1	0.0002	Accept H1	0.92

Note: To take into account the highest number of potential causal links while minimizing the risk of imprecision, a 10% significance level was used for all causality tests.

ongoing Russian-Ukrainian conflict. Indeed, compared to the pre-war period, the period of the Russian-Ukrainian war is characterized by the presence of a relatively higher number of causal relationships between the markets considered. Indeed, we identify 21 causal relationships during the pre-war period and 26 during the war period (about 50% of which emanate from CLN and INV). Once again, this result suggests the existence of a *shift contagion* phenomenon during the ongoing war period, although to a lesser magnitude than that observed during the COVID-19 crisis period. During the pre-war period, BTCN and NRG have no impact on the other markets (see Table 5) and the other markets do not influence these two asset classes, which is why BTCN and NRG do not appear in Fig. 2c. This result shows that these two markets are totally isolated and not integrated with other markets during the pre-war period. Finally, the comparison of Figs. 2c and 2d reveals (i) a high increase in the number of causal links between INV and the other markets during the period of the Russian-Ukrainian war, and (ii) CLN has a greater impact during the war. This result shows that the war has raised investors interest in businesses engaged in the clean energy activities as well as businesses whose innovative technologies and services focus on generation and use of cleaner energy, conservation, efficiency and advancing renewable energy.

#### 3.2. Portfolio analysis

In this section we analyze two portfolio strategies composed of assets **ACWI**, **SBND**, **GRNB**, **IT**, **KLD**, **CLN**, **INV**, **BTCN**, **NRG** and **NNRG**. More specifically, we compare the minimum-causal-intensity (MIN—CAI) portfolio with the traditional Markowitz (1959) minimum-variance (MIN-VAR) portfolio. We are aware that an investor cannot directly buy an index. However, we make the implicit assumption that they can invest in a tracker or ETF that replicates the performance of the indexes under consideration.

Table 7 summarizes the portfolio weights during stress and stress-free periods under the two approaches – MIN-VAR and MIN-—CAI. Under casual inspection, we find that the structure of the MIN-VAR portfolio differs clearly from that of the MIN—CAI portfolio. This is not a tremendous surprise since the methodologies of both methods are very different. More interestingly, we find that the structure of the portfolios under the two approaches changed substantially once following the COVID-19 crisis and a second time following the onset of the Russian-Ukrainian conflict. These shifts in portfolio weights reflect changes in market sentiment or investor behavior, which may have a direct impact on the global financial system.

During the pre-COVID stress-free period, while the MIN-VAR method gives more weights to **GRNB**, **SBND** and **ACWI**, the MIN—CAI method give more weights to **NRG**, **GRNB** and **INV**. Portfolios compositions shifted significantly during the COVID-19 crisis period. Indeed, over this crisis period, the MIN–VAR portfolio method assigns the most important weights to **ACWI**, **SBND** and **NNRG**. During the same crisis period, the MIN–CAI method assigns the highest weights to **BTCN**, **KLD** and **NNRG**. The weights' structure shifts again during the pre-war period. Indeed, during this period, the MIN-VAR portfolio method attributes the most important weights to **SBND**, while the MIN–CAI method favors **CLN**, **KLD**, **BTCN** and **NRG**. Over the Russian-Ukrainian war period, while the MIN-VAR method favors a "flight to quality" strategy by giving more weight to **SBND**, the MIN–CAI method assigns more weight to **ACWI**, **IT**, **KLD** and **BTCN**.

During the pre-COVID and the pre-war periods, the portfolio analysis shows that the MIN—CAI portfolio outperforms the MIN-VAR portfolio in terms of gross return. Indeed, during these stress-free periods, the MIN—CAI method provides a portfolio structure characterized by a relatively higher return. However, this relatively high return-based performance is associated with a relatively higher level of risk, which is reflected in the relatively higher standard deviation of return. However, during the COVID-19 and war

TYDL causality test results and causal intensities during the COVID-19 crisis period (Quarter 1, 2020).

I1 hypothesis $X \rightarrow Z$ ]	I <sub>max</sub>	k	$\boldsymbol{p} = \boldsymbol{k} + \boldsymbol{I}_{max}$	Marginal significance levels of the TYDL	Decision	e <sub>ZX</sub>
$ACWI \rightarrow SBND$	1	3	4	0.0004	Accept H1	0.80
$ACWI \rightarrow GRNB$	1	7	8	0.0000	Accept H1	0.73
$ACWI \rightarrow IT$	1	2	3	0.0438	Accept H1	0.91
$ACWI \rightarrow KLD$	1	2	3	0.0099	Accept H1	1.15
$CWI \rightarrow CLN$	1	1	2	0.0004	Accept H1	0.67
$CWI \rightarrow INV$	1	2	3	0.0458	Accept H1	0.86
$CWI \rightarrow BTCN$	1	1	2	0.9670	Reject H1	ACWI→BTCN
$\Delta CWI \rightarrow NRG$	1	4	5	0.0213	Accept H1	0.90
$CWI \rightarrow NNRG$	1	2	3	0.0051	Accept H1	1.05
$BND \rightarrow ACWI$	1	3	4	0.0018	Accept H1	1.27
$BND \rightarrow GRNB$	1	3	4	0.4308	Reject H1	SBND-→GRN
$BND \rightarrow IT$	1	3	4	0.0002		1.19
	1	3	4	0.0002	Accept H1	1.45
$BND \rightarrow KLD$			3		Accept H1	
$BND \rightarrow CLN$	1	2		0.1077	Reject H1	SBND→CLN
$BND \rightarrow INV$	1	2	3	0.1626	Reject H1	SBND≁INV
$BND \rightarrow BTCN$	1	1	2	0.9490	Reject H1	SBND≁BTCN
$BND \rightarrow NRG$	1	2	3	0.6125	Reject H1	SBND≁NRG
$BND \rightarrow NNRG$	1	2	3	0.3469	Reject H1	SBND≁NNR
$\text{GRNB} \rightarrow \text{ACWI}$	1	7	8	0.0000	Accept H1	1.37
$\text{GRNB} \rightarrow \text{SBND}$	1	3	4	0.0004	Accept H1	1.01
$RNB \rightarrow IT$	1	5	6	0.0000	Accept H1	1.26
$\text{GRNB} \rightarrow \text{KLD}$	1	5	6	0.0000	Accept H1	1.54
$RNB \rightarrow CLN$	1	3	4	0.0024	Accept H1	0.88
$RNB \rightarrow INV$	1	2	3	0.0650	Accept H1	1.15
$RNB \rightarrow BTCN$	1	2	3	0.4350	Reject H1	GRNB→BTCI
$\text{GRNB} \rightarrow \text{NRG}$	1	2	3	0.1361	Reject H1	GRNB≁NRG
$RNB \rightarrow NNRG$	1	2	3	0.5393	Reject H1	GRNB≁NNR
$\Gamma \rightarrow ACWI$	1	2	3	0.1890	Reject H1	IT≁ACWI
	1	3	4		5	
$\Gamma \rightarrow SBND$				0.0004	Accept H1	0.84
$\Gamma \rightarrow \text{GRNB}$	1	5	6	0.0040	Accept H1	0.80
$\Gamma \rightarrow \text{KLD}$	1	2	3	0.0956	Accept H1	1.22
$\Gamma \rightarrow \text{CLN}$	1	2	3	0.0106	Accept H1	0.74
$\Gamma \rightarrow INV$	1	2	3	0.5258	Reject H1	IT≁INV
$\Gamma \rightarrow BTCN$	1	2	3	0.2525	Reject H1	IT≁BTCN
$\Gamma \rightarrow NRG$	1	4	5	0.0108	Accept H1	0.99
$\Gamma \rightarrow NNRG$	1	2	3	0.0501	Accept H1	1.04
$LD \rightarrow ACWI$	1	2	3	0.1249	Reject H1	KLD≁ACWI
$LD \rightarrow SBND$	1	3	4	0.0007	Accept H1	0.68
$LD \rightarrow GRNB$	1	5	6	0.0085	Accept H1	0.65
$LD \rightarrow IT$	1	2	3	0.1116	Reject H1	KLD≁IT
$LD \rightarrow CLN$	1	2	3	0.0075	Accept H1	0.60
$LD \rightarrow INV$	1	2	3	0.3451	Reject H1	KLD≁INV
$LD \rightarrow BTCN$	1	2	3	0.2781	Reject H1	KLD≁BTCN
	1	4	5		-	
$LD \rightarrow NRG$		4	3	0.0042	Accept H1	0.80
$LD \rightarrow NNRG$	1			0.0185	Accept H1	0.36
$LN \rightarrow ACWI$	1	1	2	0.0056	Accept H1	1.49
$LN \rightarrow SBND$	1	2	3	0.0001	Accept H1	1.14
$LN \rightarrow GRNB$	1	3	4	0.0014	Accept H1	1.07
$LN \rightarrow IT$	1	2	3	0.0579	Accept H1	1.34
$LN \rightarrow KLD$	1	2	3	0.0835	Accept H1	1.66
$LN \rightarrow INV$	1	3	4	0.2325	Reject H1	CLN≁INV
$LN \rightarrow BTCN$	1	1	2	0.8965	Reject H1	CLN≁→BTCN
$LN \rightarrow NRG$	1	1	2	0.6802	Reject H1	CLN≁NRG
$LN \rightarrow NNRG$	1	1	2	0.0072	Accept H1	1.41
$VV \rightarrow ACWI$	1	2	3	0.0114	Accept H1	1.17
$V \rightarrow SBND$	1	2	3	0.0006	Accept H1	0.90
$V \rightarrow GRNB$	1	2	3	0.0045	Accept H1	0.85
$V \rightarrow GIUVB$ $V \rightarrow IT$	1	2	3	0.0413	Accept H1	1.06
					-	
$V \rightarrow KLD$	1	2	3	0.0090	Accept H1	1.31
$V \rightarrow CLN$	1	3	4	0.1163	Reject H1	INV→CLN
$VV \rightarrow BTCN$	1	1	2	0.6828	Reject H1	INV <i>→</i> BTCN
$NV \rightarrow NRG$	1	1	2	0.9566	Reject H1	$INV \rightarrow NRG$
$IV \rightarrow NNRG$	1	1	2	0.0689	Accept H1	1.11
$\Gamma CN \rightarrow ACWI$	1	1	2	0.7735	Reject H1	BTCN≁ACW
$TCN \rightarrow SBND$	1	1	2	0.0036	Accept H1	0.52
$TCN \rightarrow GRNB$	1	2	3	0.2698	Reject H1	BTCN≁GRN
	1	2	3	0.0922	Accept H1	0.62

#### Table 4 (continued)

H1 hypothesis $[X \rightarrow Z]$	I <sub>max</sub>	k	$\mathbf{p} = \mathbf{k} + \mathbf{I}_{\text{max}}$	Marginal significance levels of the TYDL	Decision	e <sub>ZX</sub>
$BTCN \rightarrow KLD$	1	2	3	0.1136	Reject H1	BTCN≁KLD
$BTCN \rightarrow CLN$	1	1	2	0.9490	Reject H1	BTCN≁CLN
$BTCN \rightarrow INV$	1	1	2	0.7427	Reject H1	BTCN≁INV
$BTCN \rightarrow NRG$	1	1	2	0.3019	Reject H1	BTCN≁NRG
$BTCN \rightarrow NNRG$	1	1	2	0.9759	Reject H1	BTCN≁NNRG
$NRG \rightarrow ACWI$	1	4	5	0.0001	Accept H1	1.24
$NRG \rightarrow SBND$	1	2	3	0.0002	Accept H1	0.74
$NRG \rightarrow GRNB$	1	2	3	0.0053	Accept H1	1.02
$NRG \rightarrow IT$	1	4	5	0.0009	Accept H1	1.19
$NRG \rightarrow KLD$	1	4	5	0.0001	Accept H1	1.40
$NRG \rightarrow CLN$	1	1	2	0.6675	Reject H1	NRG≁→CLN
$NRG \rightarrow INV$	1	1	2	0.4179	Reject H1	NRG≁INV
$NRG \rightarrow BTCN$	1	1	2	0.2365	Reject H1	NRG≁BTCN
$NRG \rightarrow NNRG$	1	2	3	0.0189	Accept H1	1.01
NNRG $\rightarrow$ ACWI	1	2	3	0.0060	Accept H1	1.07
NNRG $\rightarrow$ SBND	1	2	3	0.0210	Accept H1	0.82
NNRG $\rightarrow$ GRNB	1	2	3	0.0233	Accept H1	0.80
NNRG $\rightarrow$ IT	1	2	3	0.0149	Accept H1	0.99
NNRG $\rightarrow$ KLD	1	2	3	0.0558	Accept H1	1.21
NNRG $\rightarrow$ CLN	1	1	2	0.0009	Accept H1	0.74
NNRG $\rightarrow$ INV	1	1	2	0.0022	Accept H1	0.93
NNRG $\rightarrow$ BTCN	1	1	2	0.6954	Reject H1	NNRG≁BTCN
NNRG $\rightarrow$ NRG	1	2	3	0.0372	Accept H1	0.97

Note: To take into account the highest number of potential causal links while minimizing the risk of imprecision, a 10% significance level was used for all causality tests.

periods, the MIN—CAI portfolio not only results in a negative return (even more negative than that offered by the MIN-VAR portfolio), but it is also associated with relatively a higher level of risk.

After acknowledging some empirical differences between the MIN-VAR and MIN—CAI methods, we further explore their potential impacts on portfolio and risk management. To do so, we analyze the Sharpe ratios of both the MIN—CAI portfolio and the conventional MIN-VAR portfolio to compare and contrast their effectiveness. It may be beneficial to reiterate that in the context of competing strategies for constructing portfolios, the MIN-VAR method inherently aims to minimize the volatility of the portfolio, while the MIN—CAI approach prioritizes reducing the magnitude of causal intensities among the assets. Table 7 reports the reward-to-volatility ratios (Sharpe, 1994), which divide the excess returns of portfolios by their respective volatilities to assess their risk-adjusted performances. In other words, the Sharpe ratio indicates the return that can be expected from a given portfolio with a risk equal to one standard deviation. The reward-to-volatility ratios are uniformly smaller during the two stress periods considered in this study, *i.e.*, the COVID-19 and the war in Ukraine periods, which is quite expected as stress periods are associated with lower returns and higher risk. The MIN-VAR portfolio records the highest reward-to-volatility ratio during the pre-COVID period, and the MIN—CAI outperforms during the pre-war period. Nevertheless, during both stress periods (the COVID-19 period and the Russian-Ukrainian war period), both methods result in negative Sharpe ratios. Additionally, the findings imply that the implementation of the MIN—CAI portfolio methodology may be deemed a feasible investment strategy, given that it is grounded in sound logic and exhibits the potential to deliver better returns during periods of market stability and greater reward-to-risk ratios during periods of market turmoil, when compared to the MIN-VAR portfolio approach.

In addition to discussing the implications of MIN—CAI portfolio approach for investors, it is important to also discuss potential policy implications and formulate recommendations based on our results. Indeed, the portfolio method proposed in this study consists in calculating and reducing causal intensities between the markets considered. Thus, by using the TYDL causality test, it provides us with the structure as well as the magnitude of the interdependencies between the financial assets and, by the same token, indicates the level of systematic risk on the markets, and therefore enables to find the allocation allowing to reduce the causal intensities between the assets considered. Indeed, based on our findings, it appears that there is a discernible pattern of *shift contagion* during times of stress, with a greater prevalence observed during the COVID-19 pandemic as compared to the period of war in Ukraine. To prevent contagion, it is imperative to have greater regulatory oversight of financial markets to ensure adequate supervision and monitoring of transactions, risks, and leverage. Effective regulatory oversight would help maintain financial stability and resilience, limiting the shift and the spread of contagion and preventing it from causing widespread financial disruption. Another potential measure to limit contagion is diversifying portfolios across multiple asset classes or geographic regions. By spreading investments across various assets, the risk of significant losses in one particular asset or region is reduced. Diversification can help mitigate contagion risk by limiting the potential for systemic failures caused by over-exposure to any one market or asset class.

To sum up, our study results provide valuable insights into the need for effective measures to prevent contagion during times of stress, including greater regulatory oversight of financial markets and diversifying investment portfolios. By implementing these measures, we can promote financial stability and resilience, limiting the potential for contagion to cause widespread disruption.

TYDL causality test results and causal intensities during the Pre-Ukrainian-war period.

H1 hypothesis [X → Z]	I <sub>max</sub>	k	$\mathbf{p} = \mathbf{k} + \mathbf{I}_{\text{max}}$	Marginal significance levels of the TYDL	Decision	e <sub>ZX</sub>
$ACWI \rightarrow SBND$	1	1	2	0.0000	Accept H1	0.75
$ACWI \rightarrow GRNB$	1	2	3	0.0000	Accept H1	0.72
$ACWI \rightarrow IT$	1	1	2	0.1248	Reject H1	ACWI≁IT
$\Lambda CWI \rightarrow KLD$	1	2	3	0.3303	Reject H1	ACWI≁KLD
$CWI \rightarrow CLN$	1	1	2	0.1459	Reject H1	ACWI≁CLN
$ACWI \rightarrow INV$	1	1	2	0.8009	Reject H1	ACWI≁INV
	1	1	2		5	
$ACWI \rightarrow BTCN$				0.1615	Reject H1	ACWI→BTCI
$ACWI \rightarrow NRG$	1	1	2	0.2668	Reject H1	ACWI≁NRG
$ACWI \rightarrow NNRG$	1	1	2	0.0554	Accept H1	0.95
$BND \rightarrow ACWI$	1	1	2	0.1966	Reject H1	SBND≁ACW
$BND \rightarrow GRNB$	1	1	2	0.5580	Reject H1	SBND≁→GRN
$BND \rightarrow IT$	1	1	2	0.8318	Reject H1	SBND≁IT
$BND \rightarrow KLD$	1	2	3	0.2376	Reject H1	SBND≁KLD
$BND \rightarrow CLN$	1	1	2	0.3132	Reject H1	SBND≁CLN
$BND \rightarrow INV$	1	2	3	0.0578	Accept H1	1.27
$BND \rightarrow BTCN$	1	1	2	0.2737	-	SBND→BTCI
					Reject H1	
$BND \rightarrow NRG$	1	1	2	0.3630	Reject H1	SBND≁NRG
$BND \rightarrow NNRG$	1	1	2	0.2993	Reject H1	SBND≁NNR
$RNB \rightarrow ACWI$	1	2	3	0.0246	Accept H1	1.39
$\text{GRNB} \rightarrow \text{SBND}$	1	1	2	0.6283	Reject H1	GRNB≁→SBN
$RNB \rightarrow IT$	1	2	3	0.4409	Reject H1	GRNB≁IT
$GRNB \rightarrow KLD$	1	2	3	0.1996	Reject H1	GRNB≁KLD
$GRNB \rightarrow CLN$	1	2	3	0.1287	Reject H1	GRNB≁CLN
$GRNB \rightarrow INV$	1	2	3	0.0071	Accept H1	1.29
$\text{GRNB} \rightarrow \text{BTCN}$	1	1	2	0.2148	Reject H1	GRNB≁BTC
	1	1	2		-	
$GRNB \rightarrow NRG$				0.2578	Reject H1	GRNB≁NRG
$\text{GRNB} \rightarrow \text{NNRG}$	1	1	2	0.2676	Reject H1	GRNB≁NNR
$\Gamma \rightarrow ACWI$	1	1	2	0.7151	Reject H1	IT≁ACWI
$\Gamma \rightarrow SBND$	1	1	2	0.0001	Accept H1	0.79
$\Gamma \rightarrow \text{GRNB}$	1	2	3	0.0000	Accept H1	0.76
$\Gamma \rightarrow \text{KLD}$	1	1	2	0.5422	Reject H1	IT≁KLD
$\Gamma \rightarrow \text{CLN}$	1	1	2	0.1772	Reject H1	IT≁CLN
$\Gamma \rightarrow INV$	1	1	2	0.4941	Reject H1	IT≁INV
$\Gamma \rightarrow BTCN$	1	1	2	0.2899	Reject H1	IT→BTCN
					-	
$\Gamma \rightarrow NRG$	1	1	2	0.1567	Reject H1	IT≁NRG
$\Gamma \rightarrow NNRG$	1	1	2	0.1109	Reject H1	IT≁NNRG
$LD \rightarrow ACWI$	1	2	3	0.0213	Accept H1	0.83
$LD \rightarrow SBND$	1	2	3	0.0001	Accept H1	0.66
$LD \rightarrow GRNB$	1	2	3	0.0000	Accept H1	0.64
$LD \rightarrow IT$	1	1	2	0.3090	Reject H1	KLD≁IT
$LD \rightarrow CLN$	1	1	2	0.2744	Reject H1	KLD≁CLN
$LD \rightarrow INV$	1	2	3	0.4064	Reject H1	KLD≁INV
	1	1	2	0.3603	-	KLD≁BTCN
$LD \rightarrow BTCN$					Reject H1	
$LD \rightarrow NRG$	1	1	2	0.4074	Reject H1	KLD≁NRG
$LD \rightarrow NNRG$	1	1	2	0.0219	Accept H1	0.84
$LN \rightarrow ACWI$	1	1	2	0.0325	Accept H1	1.17
$LN \rightarrow SBND$	1	1	2	0.0009	Accept H1	1.01
$LN \rightarrow GRNB$	1	2	3	0.0000	Accept H1	0.94
$LN \rightarrow IT$	1	1	2	0.1025	Reject H1	CLN≁IT
$LN \rightarrow KLD$	1	1	2	0.2044	Reject H1	CLN≁KLD
$LN \rightarrow KLD$ $LN \rightarrow INV$	1	2	3	0.0090	5	
					Accept H1	1.18 CLN - PTCN
$LN \rightarrow BTCN$	1	1	2	0.9412	Reject H1	CLN≁BTCN
$LN \rightarrow NRG$	1	1	2	0.6575	Reject H1	CLN≁NRG
$LN \rightarrow NNRG$	1	1	2	0.0416	Accept H1	0.57
$IV \rightarrow ACWI$	1	1	2	0.2218	Reject H1	INV≁ACWI
$IV \rightarrow SBND$	1	2	3	0.0022	Accept H1	0.82
$V \rightarrow GRNB$	1	2	3	0.0000	Accept H1	0.78
$IV \rightarrow IT$	1	1	2	0.1843	Reject H1	INV≁IT
					-	
$V \rightarrow KLD$	1	2	3	0.2598	Reject H1	INV≁KLD
$VV \rightarrow CLN$	1	2	3	0.1850	Reject H1	INV≁CLN
$NV \rightarrow BTCN$	1	1	2	0.5265	Reject H1	INV≁BTCN
$V \rightarrow NRG$	1	1	2	0.6738	Reject H1	INV≁NRG
$V \rightarrow NNRG$	1	1	2	0.2094	Reject H1	INV≁NNRG
$TCN \rightarrow ACWI$	1	1	2	0.5884	Reject H1	BTCN≁ACV
$TCN \rightarrow SBND$	1	1	2	0.2567	Reject H1	BTCN→SBN
					5	
$TCN \rightarrow GRNB$	1	1	2	0.1092	Reject H1	BTCN≁GRN
$TCN \rightarrow IT$	1	1	2	0.8631	Reject H1	BTCN≁IT

#### Table 5 (continued)

H1 hypothesis $[X \rightarrow Z]$	I <sub>max</sub>	k	$\mathbf{p} = \mathbf{k} + \mathbf{I}_{\text{max}}$	Marginal significance levels of the TYDL	Decision	e <sub>ZX</sub>
$BTCN \rightarrow KLD$	1	1	2	0.7440	Reject H1	BTCN≁KLD
$BTCN \rightarrow CLN$	1	1	2	0.2479	Reject H1	BTCN≁→CLN
$BTCN \rightarrow INV$	1	1	2	0.1837	Reject H1	BTCN≁INV
$BTCN \rightarrow NRG$	1	1	2	0.1980	Reject H1	BTCN≁NRG
$BTCN \rightarrow NNRG$	1	1	2	0.6824	Reject H1	BTCN≁NNRG
$NRG \rightarrow ACWI$	1	1	2	0.3332	Reject H1	NRG≁ACWI
$NRG \rightarrow SBND$	1	1	2	0.7330	Reject H1	NRG≁SBND
$NRG \rightarrow GRNB$	1	1	2	0.1790	Reject H1	NRG≁GRNB
$NRG \rightarrow IT$	1	1	2	0.4387	Reject H1	NRG≁IT
$NRG \rightarrow KLD$	1	1	2	0.5426	Reject H1	NRG≁KLD
$NRG \rightarrow CLN$	1	1	2	0.1660	Reject H1	NRG≁CLN
$NRG \rightarrow INV$	1	1	2	0.1904	Reject H1	NRG≁INV
$NRG \rightarrow BTCN$	1	1	2	0.4647	Reject H1	NRG≁BTCN
$NRG \rightarrow NNRG$	1	1	2	0.5529	Reject H1	NRG≁NNRG
NNRG $\rightarrow$ ACWI	1	1	2	0.2257	Reject H1	NNRG≁ACWI
NNRG $\rightarrow$ SBND	1	1	2	0.7827	Reject H1	NNRG→SBND
NNRG $\rightarrow$ GRNB	1	1	2	0.7471	Reject H1	NNRG≁GRNB
NNRG $\rightarrow$ IT	1	1	2	0.1739	Reject H1	NNRG≁IT
NNRG $\rightarrow$ KLD	1	1	2	0.2426	Reject H1	NNRG≁KLD
NNRG $\rightarrow$ CLN	1	1	2	0.0225	Accept H1	0.86
NNRG $\rightarrow$ INV	1	1	2	0.0344	Accept H1	1.04
NNRG $\rightarrow$ BTCN	1	1	2	0.4864	Reject H1	NNRG≁BTCN
NNRG $\rightarrow$ NRG	1	1	2	0.9139	Reject H1	NNRG≁NRG

Note: To take into account the highest number of potential causal links while minimizing the risk of imprecision, a 10% significance level was used for all causality tests.

# 4. Conclusion

Little attention has been paid in the literature to the impact of the COVID-19 crisis as well as the ongoing Russian-Ukrainian conflict on the causal links among financial markets. This paper fills this gap by (i) providing a quantitative assessment of the existence of *shift contagion* phenomena among a broad spectrum of financial markets (commodities, stocks, socially responsible investments, sovereign bonds, green bonds, cryptocurrencies, and clean energies) during recent stress periods (the COVID-19 crisis and the ongoing Russia-Ukraine war periods), and (ii) studying the implications for portfolio management. Thus, we first use TYDL causality test to investigate *shift contagion* and compute the causal intensities among the markets considered. Second, we use the results of the first step to propose a new portfolio method minimizing the causal intensity among the underlying assets.

The results of the TYDL causality test provide evidence of a structural change in the causal links between the financial markets under consideration during the two crisis periods examined. Indeed, the results show that the number of causal links between the markets considered almost tripled during the COVID-19 crisis period. More specifically, 20 causal links during the pre-COVID-19 period are identified, with a major influence of Bitcoin on the other markets, compared to 56 during the COVID-19 period. This finding reflects the existence of a strong *shift contagion* during the COVID-19 crisis. This *shift contagion* phenomenon is also observed during the ongoing Russia-Ukraine war period, although to a lesser extent than that observed during the COVID-19 crisis period. More interestingly, the Wilderhill Clean Energy Index (CLN) and the Wilderhill New Energy Global Innovation Index (INV) have the largest causal impact on the other financial markets during the war period. This result reflects the growing impact of companies engaged in clean energy activities as well as companies with innovative technologies on financial markets.

The portfolio analysis shows that the minimum-causal-intensity (MIN—CAI) portfolio method we propose suggests portfolio weights' structures that are different from those provided by the MIN-VAR method during both calm and turbulent periods. Moreover, the results show that the MIN—CAI portfolio outperforms the MIN-VAR portfolio in terms of gross return during the two stress-free periods examined. Nevertheless, this relatively outperformance in terms of return is associated with a relatively underperformance in terms of risk. During the COVID-19 crisis period and the Russian-Ukrainian war period, the proposed MIN—CAI portfolio method as well as the MIN-VAR benchmark method result in a negative return and higher levels of risk. Furthermore, the MIN—CAI portfolio records a lower reward-to-volatility ratio than the MIN–VAR portfolio during the pre-COVID period, and a higher ratio during the prewar period. However, both portfolio approaches, the MIN—CAI approach and the MIN-VAR approach, record negative reward-to-volatility ratios during crisis periods.

The results of this study are useful and provide several implications and policy insights for market operators and regulators. First, this research highlights a discernible pattern of *shift contagion* during periods of high uncertainty. Thus, to strengthen the stability and resilience of the financial system, it is imperative to increase markets regulatory oversight to ensure adequate supervision and monitoring. Second, diversifying portfolios, while minimizing the interdependencies among the underlying assets, can help mitigate contagion risk by limiting the potential for systemic failures caused by over-exposure to any one market or asset class, particularly in times of increased market uncertainty.

TYDL causality test results and causal intensities during the Russia-Ukraine war period.

[1 hypothesis X → Z]	I <sub>max</sub>	k	$\mathbf{p} = \mathbf{k} + \mathbf{I}_{\text{max}}$	Marginal significance levels of the TYDL	Decision	e <sub>ZX</sub>
$CWI \rightarrow SBND$	1	1	2	0.0038	Accept H1	0.72
$CWI \rightarrow GRNB$	1	1	2	0.0014	Accept H1	0.40
$CWI \rightarrow IT$	1	2	3	0.5154	Reject H1	ACWI≁IT
$CWI \rightarrow KLD$	1	2	3	0.6952	Reject H1	ACWI≁KLD
$CWI \rightarrow CLN$	1	1	2	0.5942	Reject H1	ACWI≁CLN
$CWI \rightarrow INV$	1	1	2	0.7660	Reject H1	ACWI≁INV
$CWI \rightarrow BTCN$	1	1	2	0.7602	Reject H1	ACWI→BTCI
$CWI \rightarrow NRG$	1	1	2	0.0596	Accept H1	0.91
$CWI \rightarrow NNRG$	1	1	2	0.0108	-	0.96
					Accept H1	
$BND \rightarrow ACWI$	1	1	2	0.6789	Reject H1	SBND→ACW
$BND \rightarrow GRNB$	1	1	2	0.2766	Reject H1	SBND≁→GRN
$BND \rightarrow IT$	1	1	2	0.8180	Reject H1	SBND≁IT
$BND \rightarrow KLD$	1	1	2	0.5689	Reject H1	SBND≁KLD
$BND \rightarrow CLN$	1	1	2	0.8133	Reject H1	SBND≁CLN
$BND \rightarrow INV$	1	1	2	0.7191	Reject H1	SBND≁INV
$BND \rightarrow BTCN$	1	1	2	0.2409	Reject H1	SBND≁BTCI
$BND \rightarrow NRG$	1	1	2	0.0198	Accept H1	1.29
$BND \rightarrow NNRG$	1	1	2	0.7394	Reject H1	SBND≁NNR
$RNB \rightarrow ACWI$	1	1	2	0.3730	Reject H1	GRNB≁ACW
$RNB \rightarrow SBND$	1	1	2	0.0848	Accept H1	1.02
$RNB \rightarrow IT$	1	1	2	0.4023	Reject H1	GRNB≁IT
	1	1	2		-	
$RNB \rightarrow KLD$				0.2875	Reject H1	GRNB≁KLD
$RNB \rightarrow CLN$	1	1	2	0.5449	Reject H1	GRNB≁CLN
$RNB \rightarrow INV$	1	1	2	0.4032	Reject H1	GRNB≁INV
$RNB \rightarrow BTCN$	1	1	2	0.2184	Reject H1	GRNB≁→BTC
$RNB \rightarrow NRG$	1	1	2	0.0266	Accept H1	1.31
$RNB \rightarrow NNRG$	1	1	2	0.7315	Reject H1	GRNB≁NNR
$\Gamma \rightarrow ACWI$	1	2	3	0.7824	Reject H1	IT≁ACWI
$\Gamma \rightarrow \text{SBND}$	1	1	2	0.0159	Accept H1	0.75
$\Gamma \rightarrow \text{GRNB}$	1	1	2	0.0063	Accept H1	0.74
$\Gamma \rightarrow \text{KLD}$	1	1	2	0.8531	-	IT≁KLD
					Reject H1	
$\Gamma \rightarrow CLN$	1	1	2	0.4536	Reject H1	IT≁CLN
$\Gamma \rightarrow INV$	1	1	2	0.5712	Reject H1	IT≁INV
$\Gamma \rightarrow BTCN$	1	1	2	0.9554	Reject H1	IT≁BTCN
$\Gamma \rightarrow NRG$	1	1	2	0.0671	Accept H1	0.96
$\Gamma \rightarrow NNRG$	1	1	2	0.0235	Accept H1	1.02
$LD \rightarrow ACWI$	1	2	3	0.5752	Reject H1	KLD≁ACWI
$LD \rightarrow SBND$	1	1	2	0.0025	Accept H1	0.69
$LD \rightarrow GRNB$	1	1	2	0.0006	Accept H1	0.57
$LD \rightarrow IT$	1	1	2	0.8801	Reject H1	KLD≁IT
	1	1	2	0.3388	5	
$LD \rightarrow CLN$					Reject H1	KLD≁CLN
$LD \rightarrow INV$	1	1	2	0.6849	Reject H1	KLD≁INV
$LD \rightarrow BTCN$	1	1	2	0.7395	Reject H1	KLD≁BTCN
$LD \rightarrow NRG$	1	1	2	0.1736	Reject H1	KLD≁NRG
$LD \rightarrow NNRG$	1	1	2	0.0214	Accept H1	0.84
$LN \rightarrow ACWI$	1	1	2	0.0908	Accept H1	1.38
$LN \rightarrow SBND$	1	1	2	0.0938	Accept H1	0.98
$LN \rightarrow GRNB$	1	1	2	0.0453	Accept H1	0.96
$LN \rightarrow IT$	1	1	2	0.1957	Reject H1	CLN≁IT
$LN \rightarrow KLD$	1	1	2	0.1824	Reject H1	CLN≁KLD
$LN \rightarrow INV$	1	2	3	0.6656	-	CLN≁RLD CLN≁INV
					Reject H1	
$LN \rightarrow BTCN$	1	1	2	0.0811	Accept H1	2.01
$LN \rightarrow NRG$	1	1	2	0.0115	Accept H1	1.25
$LN \rightarrow NNRG$	1	1	2	0.0310	Accept H1	1.30
$IV \rightarrow ACWI$	1	1	2	0.0906	Accept H1	1.11
$V \rightarrow SBND$	1	1	2	0.0614	Accept H1	0.79
$V \rightarrow GRNB$	1	1	2	0.0332	Accept H1	0.78
$IV \rightarrow IT$	1	1	2	0.2225	Reject H1	INV≁IT
$V \rightarrow KLD$	1	1	2	0.1747	Reject H1	INV≁KLD
$V \rightarrow \text{RLD}$ $V \rightarrow \text{CLN}$	1	2	3	0.7712	Reject H1	INV → KLD INV → CLN
					5	
$NV \rightarrow BTCN$	1	1	2	0.0128	Accept H1	1.69
$NV \rightarrow NRG$	1	1	2	0.0099	Accept H1	1.01
$NV \rightarrow NNRG$	1	1	2	0.0184	Accept H1	1.06
$TCN \rightarrow ACWI$	1	1	2	0.7849	Reject H1	BTCN≁ACV
$TCN \rightarrow SBND$	1	1	2	0.7287	Reject H1	BTCN≁SBN
	1	1	2	0.4320	Reject H1	BTCN≁GRN
$TCN \rightarrow GRNB$						

#### Table 6 (continued)

H1 hypothesis $[X \rightarrow Z]$	I <sub>max</sub>	k	$\mathbf{p} = \mathbf{k} + \mathbf{I}_{\text{max}}$	Marginal significance levels of the TYDL	Decision	e <sub>ZX</sub>
$BTCN \rightarrow KLD$	1	1	2	0.6462	Reject H1	BTCN≁KLD
$BTCN \rightarrow CLN$	1	1	2	0.5723	Reject H1	BTCN≁CLN
$BTCN \rightarrow INV$	1	1	2	0.3837	Reject H1	BTCN≁INV
$BTCN \rightarrow NRG$	1	1	2	0.3282	Reject H1	BTCN≁NRG
$BTCN \rightarrow NNRG$	1	1	2	0.2736	Reject H1	BTCN≁NNRG
$NRG \rightarrow ACWI$	1	1	2	0.5967	Reject H1	NRG≁ACWI
$NRG \rightarrow SBND$	1	1	2	0.2100	Reject H1	NRG≁SBND
$NRG \rightarrow GRNB$	1	1	2	0.2135	Reject H1	NRG≁GRNB
$NRG \rightarrow IT$	1	1	2	0.9248	Reject H1	NRG≁IT
$\mathrm{NRG} \rightarrow \mathrm{KLD}$	1	1	2	0.8256	Reject H1	NRG≁KLD
$NRG \rightarrow CLN$	1	1	2	0.5482	Reject H1	NRG≁→CLN
$\rm NRG \rightarrow \rm INV$	1	1	2	0.8321	Reject H1	NRG≁INV
$NRG \rightarrow BTCN$	1	1	2	0.6792	Reject H1	NRG≁BTCN
$\rm NRG \rightarrow \rm NNRG$	1	1	2	0.3509	Reject H1	NRG≁NNRG
NNRG $\rightarrow$ ACWI	1	1	2	0.6559	Reject H1	NNRG≁ACW
NNRG $\rightarrow$ SBND	1	1	2	0.3422	Reject H1	NNRG≁SBNI
NNRG $\rightarrow$ GRNB	1	1	2	0.4079	Reject H1	NNRG≁→GRNI
NNRG $\rightarrow$ IT	1	1	2	0.8375	Reject H1	NNRG≁IT
NNRG $\rightarrow$ KLD	1	1	2	0.8979	Reject H1	NNRG≁KLD
NNRG $\rightarrow$ CLN	1	1	2	0.4884	Reject H1	NNRG≁CLN
NNRG $\rightarrow$ INV	1	1	2	0.9148	Reject H1	NNRG≁INV
NNRG $\rightarrow$ BTCN	1	1	2	0.4947	Reject H1	NNRG≁BTCN
NNRG $\rightarrow$ NRG	1	1	2	0.7192	Reject H1	NNRG≁NRG

Note: To take into account the highest number of potential causal links while minimizing the risk of imprecision, a 10% significance level was used for all causality tests.

## Author statement

With the submission of this manuscript, we would like to undertake that.

- There is no conflict of interest;
- The contents of this manuscript are not copyrighted;
- The work and contributions were shared throughout the different phases of the work. All co-authors of this manuscript have contributed to every aspect of the work;
- The contents of this manuscript have not been copyrighted or published previously;
- The contents of this manuscript are not now under consideration for publication;
- Our respective institutions are fully aware of this submission.

# **Declaration of Competing Interest**

There is no conflict of interest.

# Data availability

Data will be made available on request.

#### Appendices

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