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Author manuscript Dev Cell. Author manuscript; available in PMC 2023 September 27.

Published in final edited form as:

Dev Cell. 2023 August 21; 58(16): 1462–1476.e8. doi:10.1016/j.devcel.2023.05.018.

## **Epithelial tissue confinement inhibits cell growth and leads to volume-reducing divisions**

**John Devany**1,3,4, **Martin J. Falk**1,3, **Liam J. Holt**2, **Arvind Murugan**1,3, **Margaret L. Gardel**1,3,4,5,6,\*

<sup>1</sup>Department of Physics, The University of Chicago, Chicago, IL 60637, USA

2 Institute for Systems Genetics, New York University, Grossman School of Medicine, New York, NY 10016, USA

<sup>3</sup> James Franck Institute, The University of Chicago, Chicago, IL 60637, USA

4 Institute for Biophysical Dynamics, The University of Chicago, Chicago, IL 60637, USA

<sup>5</sup>Pritzker School of Molecular Engineering, The University of Chicago, Chicago, IL 60637, USA

<sup>6</sup>Lead contact

## **SUMMARY**

Cell proliferation is a central process in tissue development, homeostasis, and disease, yet how proliferation is regulated in the tissue context remains poorly understood. Here, we introduce a quantitative framework to elucidate how tissue growth dynamics regulate cell proliferation. Using MDCK epithelial monolayers, we show that a limiting rate of tissue expansion creates confinement that suppresses cell growth; however, this confinement does not directly affect the cell cycle. This leads to uncoupling between rates of cell growth and division in epithelia and, thereby, reduces cell volume. Division becomes arrested at a minimal cell volume, which is consistent across diverse epithelia *in vivo*. Here, the nucleus approaches the minimum volume capable of packaging the genome. Loss of cyclin D1-dependent cell-volume regulation results in an abnormally high nuclear-to-cytoplasmic volume ratio and DNA damage. Overall, we demonstrate how epithelial proliferation is regulated by the interplay between tissue confinement and cell-volume regulation.

## **In brief**

Supplemental information can be found online at https://doi.org/10.1016/j.devcel.2023.05.018.

<sup>\*</sup>Correspondence: gardel@uchicago.edu. AUTHOR CONTRIBUTIONS

Conceptualization, J.D. and M.L.G.; experimental methodology, J.D., M.L.G, and L.J.H.; modeling methodology, M.J.F. and A.M.; formal analysis, J.D. and M.J.F.; investigation, J.D. and M.J.F.; resources, J.D. and M.J.F.; writing—original draft, J.D., M.L.G., and M.J.F.; writing—review and editing, J.D., M.L.G., M.J.F., L.J.H., and A.M.; visualization, J.D. and M.J.F.; supervision, M.L.G., A.M., and L.J.H.; funding acquisition, M.L.G. and A.M.

SUPPLEMENTAL INFORMATION

DECLARATION OF INTERESTS

The authors declare no competing interests.

Devany et al. show that cell growth and division respond to different cues in epithelia. They find that cell growth rate is constrained by tissue growth rate and that growth-arrested cells can continue to reduce their volume by division until reaching a minimum size.

## **Graphical Abstract**



## **INTRODUCTION**

Regulation of cell proliferation is a central question for understanding tissue development, growth, and homeostasis.<sup>1,2</sup> In contrast to the exponential proliferation of isolated cells,<sup>3,4</sup> multicellular tissue requires tight coupling between cell proliferation and tissue growth.<sup>5</sup> One proposed mechanism for regulating proliferation in epithelia is the so-called process of "contact inhibition of proliferation" (henceforth referred to as contact inhibition) where cell proliferation becomes highly restricted due to spatial constraints imposed by the tissue.5,6 The disruption of contact inhibition results in cell overproliferation and altered tissue architecture.<sup>7–9</sup> Therefore, contact inhibition is thought to play a key role in maintaining tissue homeostasis and preventing tumor formation.5,10 However, because contact inhibition is regulated through multiple signaling pathways and largely unknown parameters, we currently lack a framework for understanding the process across diverse tissues. This is evident from the literature where contact inhibition is described as dependent on cell density,<sup>11</sup> adhesion signaling,<sup>6,8</sup> and mechanical stress.<sup>5,12</sup> As these variables are difficult

to manipulate independently, it remains unclear how tissue geometry and growth dynamics impact division and growth of constituent cells.

Cell proliferation is the process by which an individual cell grows and progresses through the cell cycle to divide and produce two daughter cells. The regulation of proliferation in isolated mammalian cells has been studied in detail identifying many key mechanisms.<sup>13–16</sup> Cell proliferation in the tissue context is similar in some ways: for example, most of the variation in cell-cycle length occurs in the G1 phase of the cell cycle, $13,17$  and cell growth can occur normally during cell-cycle inhibition.<sup>18,19</sup> However, there appear to be different regulatory mechanisms acting in each context. For example, single cells grow by a similar amount of volume each cell cycle independent of their birth volume, an "adder" behavior.13,14 In contrast, mouse epidermal tissue shows a cell-size checkpoint preventing small cells from entering S phase, meaning that smaller cells grow more than larger cells, a "sizer" behavior.<sup>17</sup> Due to limited *in vivo* data, it remains unclear whether this is a consequence of tissue specific behavior in the skin or could reflect a difference in regulation between single cells and epithelial tissue. Several lines of evidence suggest the latter is true. For instance, the cell-cycle duration can be on the scale of weeks or months in vivo,  $20$ challenging established dilution-based mechanisms of cell-cycle regulation.<sup>15,16</sup> Further, prior work has shown a possible switch to size-dependent regulation of the cell cycle in cell-culture models of epithelial tissue.21,22 However, we lack a systematic study that examines how tissue-scale growth dynamics impact regulation of cell volume and growth in epithelia.

To understand how cell proliferation is regulated in epithelia, we first performed a metaanalysis of cell-size data and found that epithelial cell volumes are remarkably consistent and highly context dependent. The cell volume in epithelial tissue in vivo is always smaller than single cells in culture. However, we could recapitulate the in vivo cell volume using a cell-culture model of epithelial tissue formation, indicating that tissue-scale phenomena impact cell-volume regulation. To quantitatively examine this, we employed model epithelial tissues with varied growth rates. We then introduced a general framework to quantify how tissue-scale growth dynamics constrain cell growth, providing a measure of "tissue confinement." We show that increasing tissue confinement reduces cell growth and YAP/TAZ signaling but does not impact the cell-cycle duration directly. Instead, cell-cycle duration is strongly correlated with cell volume. There is a sharp cell-cycle arrest at a cell volume of  $\sim$ 1,000 μm<sup>3</sup>, consistent with cell volume found *in vivo*. In both epithelial and single-cell contexts, cell-volume regulation is well described by a "G1 sizer model" with a tunable growth rate. In epithelia, cyclin D1 protein levels are strongly cell-volume dependent and overexpression of cyclin D1 reduces the minimal cell volume. This suggests that the levels of cyclin D1 controls volume-dependent cell-cycle arrest. We see that abnormally small cells display DNA damage as these cells approach a physical limit where the nucleus approaches the volume occupied by the fully compacted genome. This suggests that, in addition to mediating cell-cycle arrest during contact inhibition, cell-volume regulation pathways are critical for maintaining epithelial homeostasis. Overall, we demonstrate the general mechanisms of cell growth and division regulation in epithelia, which may provide insight into proliferative processes in tissue development, homeostasis, and disease.

## **RESULTS**

#### **Epithelial cell volume is context dependent**

To screen for varied cell-volume regulation in epithelial tissue, we systematically compared cell volume from different tissues in vivo and cell-culture models (Table S1). We compiled these data from available sources including histology sections from the Human Protein Atlas (Figure 1A),  $^{23}$  3D segmentation data from Allen Cell Institute (Figure 1A),  $^{24,25}$ and published cell-volume measurements.13,26–40 When cell-volume measurements weren't available, we estimated cell volume by identifying cells perpendicular to the tissue slice and then measuring their length and width. We confirmed that this provides an accurate estimation of volume from benchmarking against full 3D imaging (Figure S1). Across 15 tissue types in the Human Protein Atlas, we find the volume of epithelial cells is surprisingly consistent, with a narrow distribution of  $630 \pm 180 \,\text{\upmu m}^3$  (Figure 1B, circles). By comparison, the volume across 12 types of isolated epithelial or epithelial-like cells is consistently measured to be severalfold larger, with a volume of  $2,330 \pm 650 \,\text{µm}^3$ (Figure 1B, squares).13,29,31,35,36,38,40 Interestingly, the volumes of epithelial cells cultured in 3D more closely matched those *in vivo*, with a mean of  $1,020 \pm 520 \,\text{\mu m}^3$  (Figure 1B, diamonds).26–28,30,32,33,37 These data suggest that epithelial cell volume is strongly influenced by the tissue environment.

To test this hypothesis, we studied several different epithelial cell lines (Madin-Darby canine kidney [MDCK], Caco-2, and HaCaT) to measure the cell volume in either subconfluent colonies (SCs) or mature epithelium (ME). Controlling cell-plating density allowed for the formation of SCs, each composed of 50–1,000 cells or a nearly confluent monolayer on collagen gels (see STAR Methods). After the initial plating, cell dynamics drive changes in cell density, shape, and speed over the next  $1-2$  days<sup>41</sup>; we define ME as the time at which these properties stop changing in time (see STAR Methods and Figure S3). Cell boundaries were visualized with a fluorescently tagged membrane protein (stargazin-green flourescent protein [GFP] [CACNG2-GFP] or stargazin-halotag) (Figure 1C). To facilitate measurement of cell volume, cells were trypsinized, resuspended, and then imaged (Figure 1C; Figure S1; see STAR Methods). When in SCs, the cell volume of all three epithelial cell types is  $\sim$ 2,800  $\mu$ m<sup>3</sup> (Figure 1D, SC), consistent with the mean value of single cells in Figure 1B (Figure 1D, dashed line [ii]). Further, we found that ME culture conditions reduced the cell volume by 60% to plateau at  $\sim$ 1,000  $\mu$ m<sup>3</sup> (Figures S2B–S2D), a volume similar to cell volumes measured in vivo (Figures 1B and 1D, dashed line [i]). We performed the same experiment on two cell lines that do not form coherent colonies, retinal pigment epithelial cells (RPE-1) and mouse embryonic fibroblasts (MEFs) and did not see volume reduction (Figure S3). This suggests this context-dependency of cell volume may be specific to epithelium. Together, these data suggest that contact inhibition qualitatively changes cell-volume regulation across diverse epithelia.

#### **Cell-volume reduction occurs through division in the absence of cell growth**

To query how cell growth and division rates change during the transition from SC to ME, live-cell imaging was used to monitor changes in cell volume and number. The data were **reduction occurs through division in the absence of cell growth**<br>To query how cell growth and division rates change during the transition from SC to ME,<br>live-cell imaging was used to monitor changes in cell volume and nu

F<br>are in SC. By t > 12 h cell movement has ceased, and density is constant; we denote this<br>as a ME (Figure 2A). We first consider cell division and growth rates for t < < 0 h (SC),<br>t ~ 0 h (OC), and t  $\gg$  0 h (ME). We pr are in SC. By  $t > 12$  h cell movement has ceased, and density is constant; we denote this as a ME (Figure 2A). We first consider cell division and growth rates for  $t < 0$  h (SC),  $t \sim 0$  h (OC), and  $t \gg 0$  h (ME). We pre Frame in SC. By t > 12 h cell movement has ceased, and density is constant; we denote this as a ME (Figure 2A). We first consider cell division and growth rates for t < < 0 h (SC), t ~ 0 h (OC), and t  $\gg$  0 h (ME). We p measurements. Cell-division rate, obtained by cell-counting measurements, was completely arrested in the ME but only suppressed by ~40% at OC, as compared with SC (Figure 2B, black bars). By contrast, the cell growth rate, determined from changes in protein concentration over time (see STAR Methods), was suppressed almost entirely at OC (Figure 2B, purple bars). These data indicate suppression of cell growth and division are not tightly coupled during the transition from subconfluent to confluent tissue. Instead, cell growth is suppressed acutely at OC whereas division is only impacted in later stages (Figure 2C). In single cells, cell growth and division are coupled to maintain a constant volume.<sup>16</sup> In contrast, a division rate exceeding the growth rate should result in cell-volume reduction. suppressed acutely at OC whereas division is only impacted in later stages (Figure 2 In single cells, cell growth and division are coupled to maintain a constant volume.<sup>14</sup> contrast, a division rate exceeding the growth

transition from OC to ME. Over this time, the cell height remained constant, such that changes in cell area were accurate indicators of cell volume (Figure S2G). The average cell To test this hypothesis, we measured the cell area between  $t = 0$  and 18 h during the transition from OC to ME. Over this time, the cell height remained constant, such that changes in cell area were accurate indicators of 2D). To determine the mechanism driving changes in cell volume we performed single-cell transition from OC to ME. Over this time, the cell height remained constant, such that changes in cell area were accurate indicators of cell volume (Figure S2G). The average ce area from a population of ~1,000 cells decre and tracked through the experiment. Individual cell trajectories showed that the cell-volume reduction occurred by successive cell-division events in the absence of cell growth (Figures 2E and 2F). Indeed, across a large population of mother-daughter cell pairs, the cell area of a daughter cell 8 h  $\left(\frac{1}{2}$  cell-cycle time, t) post cell division remained approximately half that of the mother cell area (Figure 2G). This indicates minimal cell growth during the cell cycle. This is in stark contrast with subconfluent cells, in which a cell grows at a constant rate and doubles in volume prior to division into two daughter cells.<sup>13</sup> For single cells, we would expect the cell to grow by ~50% at 8 h post division, resulting in a slope of ~3/4 (Figure 2G, dashed line).

To demonstrate that cell division is necessary for cell volume to decrease, experiments similar to those in Figure 2A were performed with a Tet-On p27 1–176 MDCK cell line to artificially arrest the cell cycle by induction of a degradation resistant mutant of the human p27 (CDKN1B) cell-cycle inhibitor in the presence of doxycycline.<sup>42</sup> In the absence of dox (−dox), the volume decreased in ME compared with SC, similar to our previous experiments (Figures 2H and 2I). Addition of doxycycline at OC prevented cell-volume decrease in ME (ME +dox p27), and the volume of these cells remained similar to that of SC (Figures 2H and 2I). Induction of a defective p27 mutant that does not arrest the cell cycle (+dox  $p27ck$ <sup>43</sup> had no effect on cell volume in ME (Figure 2I). Together, these data demonstrate that temporal uncoupling of cell growth and cell division result in cell-volume reduction during formation of mature epithelial tissue. At the OC, cell growth is highly suppressed and cell volume reduces by division in absence of cell growth (Figure 2J). Then at later times the cell cycle also becomes arrested, and cells reach a final cell volume that is comparable to epithelium *in vivo*. We next sought to understand regulation of cell growth and cycle in the epithelium.

#### **Tissue confinement regulates cell growth**

The acutely cell-suppressed growth rate observed at the OC suggests that tissue and cell growth rates are strongly coupled. Therefore, we defined a quantitative framework to study cell proliferation within expanding colonies to better understand this coupling. We first considered that changes in tissue and colony size are governed by cell proliferation and migration of cells outward into free space. We refer to these increases in tissue area as tissue growth. Our hypothesis is that the product of all growth of cells cannot exceed the total growth of tissue, such that cell growth and tissue growth occur at the same rate in normal epithelial tissue. When the tissue forms a confluent monolayer at the OC, tissue growth stops, and, consequently, cell growth must arrest. But even if tissue expansion becomes limited earlier, for example, by the rate of cell migration at the tissue margin, cell growth will begin to be suppressed.

To test this hypothesis, we introduce a thought experiment to compare growth dynamics within a multicellular tissue with the exponential growth dynamics of a population of unconstrained individual cells. The area of a multicellular tissue with initial area  $A_0$  grows over a time interval  $\Delta t$  by an amount  $\Delta A$ . Then, consider that this tissue  $A_0$  is broken up into individual cells that proliferate over the same time interval (Figure 3A). The total area of the hypothetical ensemble of single cells grows exponentially, such that the total time-dependent area is described by  $A_U(t) \sim 2^{t/\tau}$ , where  $\tau$  is the average cell-cycle time. The deviation of the tissue growth from this hypothetical maximum exponential growth rate is a quantitative measure of the constraints that changes in tissue area place on cell proliferation. For a specific tissue area, A', if the ratio of the tissue growth rate to the unconfined growth rate: dA  $\frac{dA}{dt}\bigg|_{A'}$ / $\frac{dA_U}{dt}$  $\frac{A_U}{dt}\Big|_{A'}$  is less than 1, then the tissue growth dynamics constrain cell growth. We then define the tissue confinement  $C(A') = 1 - \frac{dA}{dt}\Big|_{A'} \frac{dA_U}{dt}$  $\frac{dA_U}{dt}\bigg|_{A'}$  such that there is no confinement effect  $\frac{dA}{dt}\Big|_{A'}\Big|_{A'}\frac{dA_U}{dt}\Big|_{A'}$  is less than 1, then the tissue growth dynamics constrain cell growth. We then define the tissue confinement  $C(A') = 1 - \frac{dA}{dt}\Big|_{A'}\Big|_{A'}\frac{dA_U}{dt}\Big|_{A'}$  such that there is no confinement growth rate is zero as in a fully confluent tissue.

We explored our tissue confinement model in the context of large, circular colonies of MDCK cells, chosen for their well-characterized growth dynamics and the ability to control their area.<sup>22,44</sup> Circular colonies of variable area  $A_0$  from ~1 to 7 mm<sup>2</sup> were formed by seeding the cells in a polydimethylsiloxane (PDMS) stencil atop a glass coverslip (Figures We explored our ussue confinement model in the context of large, circular colonies of MDCK cells, chosen for their well-characterized growth dynamics and the ability to cotheir area.<sup>22,44</sup> Circular colonies of variable a (Figure 3D). Importantly, the average colony expansion is determined by radial migration speed v of cells at the periphery to increase the colony radius by  $v\Delta t$  (Figure 3B, arrow). Consistent with previous studies, the radial expansion rate was independent of colony area (Figure 3D; Figures S4A–S4C). This results in a tissue growth rate that scales quadratically with colony area (see STAR Methods). For a given colony area, variation in  $\nu$  provides additional control over colony growth rate (Figure 3E). Under control conditions,  $v$  varied between experiments from 15 to 30 μm/h (Figure S4C). This tissue growth rate was reduced by inhibiting cell migration by a focal adhesion kinase inhibitor (FAKi) (Figure S4C). Thus, variations in both the initial colony area and edge velocity allowed us to investigate our model over a wide range of tissue growth rates.

We generated model curves of the expected colony growth rates for the ranges of areas and edge velocities observed experimentally (Figure 3F, solid lines). These rates were then compared with those expected for exponential growth of single cells, using the experimentally measured doubling time of 15 h (Figure 3F, dashed line). For small areas, exponential growth is smaller than the theoretical growth rate of the expanding colony (Figure 3F); here tissue-scale growth dynamics do not constrain cell proliferation. This is the behavior for SC. By contrast, for large areas, expanding colony growth rates become substantially lower than the exponential growth of single cells (e.g., Figure 3F, gray-shaded region). Here, tissue growth dynamics constrain cell proliferation. The colony area when exponential growth and quadratic growth rates are equal demarks the transition between the behavior for SC. By contrast, for large areas, expanding colony growth rates becom<br>substantially lower than the exponential growth of single cells (e.g., Figure 3F, gray-sha<br>region). Here, tissue growth dynamics const the confinement C is plotted as a function of colony area (Figure  $3G$ , lines). Confinement was determined from experimental data with varying  $A_0$  and  $v$  (Figure 3G, points). These experimental conditions then provide a means to systematically examine cell behavior in varied C from  $\leq 0.25$  to  $\sim 0.8$ . Thus, our tissue confinement framework provides a quantitative method to assess how tissue-scale growth dynamics are expected to constrain growth of single cells.

To test the utility of this framework, we measured cell growth and signaling in tissues with varied levels of confinement. To query cell growth, we labeled the cells at  $t = 0$  with CellTrace, a fluorescent dye that reports on increases in cell volume by its dilution (i.e., more growth leads to lower cell intensity) (see STAR Methods). The total growth is determined from the CellTrace images by the ratio of intensity  $l(t=0)$  $\frac{l(t=0)}{l(t=\Delta t)}-1=\frac{Vol(t=\Delta t)}{Vol(t=0)}-1=\Delta Vol.$  Since the growth rate of confluent monolayers is close to zero (Figure 2B), the intensity of the confluent monolayer  $I_c \sim I(t = 0)$ , can be used as The total growth is determined from the CellTrace images by the ratio of intensity<br>  $\frac{I(t=0)}{I(t=\Delta t)} - 1 = \frac{Vol(t=\Delta t)}{Vol(t=0)} - 1 = \Delta Vol$ . Since the growth rate of confluent monolayers is close<br>
to zero (Figure 2B), the intensity o  $\frac{I(t=0)}{I(t=\Delta t)} - 1 = \frac{Vol(t=\Delta t)}{Vol(t=0)} - 1 = \Delta Vol$ . Since the growth rate of confluent monolayers is clos<br>to zero (Figure 2B), the intensity of the confluent monolayer  $I_c \sim I(t=0)$ , can be used as<br>the standard to compare to the i show a 10-fold CellTrace dilution consistent with the cells doubling every 15 h (Figure to zero (Figure 2B), the intensity of the confinent inologyer  $I_c \sim I(t = 0)$ , can be used as<br>the standard to compare to the intensity I of expanding colonies (Figure 4A,  $C = 1$ ). This<br>allows for determination of the growth 4A,  $C = 0$ ). We then used expanding colonies with varied  $A_0$  to explore intermediate levels and the compare to the meansity T of expanding colonies (Figure 4A,  $C = 1$ ). This allows for determination of the growth rate by  $I_c/I - 1$ . For  $\Delta t = 48$  h, subconflucent cells show a 10-fold CellTrace dilution consistent show a 10-fold CellTrace dilution consistent with the cells doubling every 15 h (Figure 4A,  $C = 0$ ). We then used expanding colonies with varied  $A_0$  to explore intermediate levels of confinement from 0.2 to 0.8. In smal 4A,  $C = 0$ ). We then used expanding colonies with varied  $A_0$  to explore intermediate levels of confinement from 0.2 to 0.8. In smaller colonies with  $C = 0.2$ , cell growth was already suppressed to <50% that of subconflu 4A). Changes in growth can also be modulated by changing the velocity of colony expansion at the edges, which can be achieved by perturbing cell migration. In our experiments, we observed that differences in migration rate significantly impacted the cell growth, as predicted by our modeling (Figure 4C). In all conditions, the intensity was remarkably uniform across the tissue suggesting that the growth regulation mechanism is a tissue-scale phenomenon (Figure S6E).

To query cell growth signaling under confinement, we also performed immunostaining against yes-associated protein 1 (YAP1). YAP is a transcription factor implicated in regulating cell proliferation during contact inhibition.6,45,46 When YAP is active, it is localized to the nucleus; when inactive, YAP is localized to the cytoplasm. We see in the conditions with lower confinement, a greater fraction of YAP is localized to the nucleus,

whereas around  $C = 0.5$  it becomes more localized to the cytoplasm (Figure 4B). This suggests that YAP activity is regulated in response to changes in tissue confinement (F4B). Taken together, all of our experimental data suggests that YAP activity is regulated in response to changes in tissue confinement (Figure 4B). Taken together, all of our experimental data from colonies with varying size and edge velocity (Figure 3G) identify a systematic decrease in cell growth and YAP signaling as a function of confinement (Figure 4D, points). Moreover, the predicted growth from the definition of tissue confinement is consistent with the experimental data (Figure 4D, line). All of these data demonstrate the rapid suppression of cell growth at low levels of confinement.

At the OC, the cell-division rate remains similar to subconfluent cells despite the increased confinement (Figure 2B); this suggests that tissue confinement may not immediately affect the cell cycle. To query the cell cycle, we performed the expanding colony experiments with MDCK cells expressing the pip-degron fluorescent ubiquitination cell-cycle indicator  $(FUCCI MDCK)^{47}$  to measure the fraction of cells in S/G2/M in model tissues with varying levels of confinement. We restrict our analysis to short expansion times ( $\Delta t = 12$  h) before cells have reached the ME state and arrested the cell cycle. In contrast to cell growth (Figure 4F, peach), the cell-cycle fraction is insensitive to tissue confinement (Figure 4F, red). Instead, the fraction of cells in S/G2/M is constant (Figure 4F, dashed line). Together with our data showing similar division rate at the OC and in subconfluent cells (Figures 2B and 2F) this suggests that no change in the cell cycle with confinement. These data identify the qualitatively different impact of confinement on cell cycle and growth. Thus, the transient uncoupling between cell division and growth rate observed in Figure 2B is consistent with a rapid increase in confinement at the OC.

#### **A G1 sizer arrests the cell cycle in confined epithelium**

We next examined how the cell cycle arrests in monolayers at the later stages of contact inhibition. After confinement reduces the growth rate, cell volume decreases through successive cell division until the cell cycle becomes arrested (Figure 2J). Previous work has shown that cell-cycle regulation can be volume dependent for in vivo epithelium.<sup>17</sup> To examine if cell division is regulated by cell volume in our data, we measured how the cell division rate varied as a function of cell volume by tracking individual division events. We estimate volumes from the cell area multiplied by the typical cell height of  $6.5 \pm 1.5$  μm (Figure S2G, mean  $\pm$  SD). Above a volume of 1,300  $\mu$ m<sup>3</sup>, the cell-division rate is independent of volume (Figure 5A). However, the division rate sharply decreases for smaller volumes. This trend is observed across a range of experimental conditions and two epithelial cell types, indicating that it is a robust feature of cell-volume regulation in confluent epithelial tissue (Figure S5). We then used FUCCI MDCK cells to look more closely at the cell-cycle regulation for large and small cells. From the FUCCI data, we obtained the S/G2/M duration by tracking single-cell trajectories and saw that the duration of the S/G2/M phases is 10 h and independent of cell volume (Figure 5B). In the same data, the duration of the entire cell cycle was estimated by measuring the fraction of cells in each cell-cycle phase (see STAR Methods). We see that the cell-cycle duration rapidly increases for smaller cells (Figure 5B, purple data). The division rate in Figure 5A can also be used to estimate cell-cycle duration and shows a similar trend (Figure 5B, dashed line). Together, these data indicate an increased duration of the G1 phase for smaller cells. This

is consistent with previous results that volume-dependent cell-cycle regulation occurs at the G1-S transition.<sup>1,13,17</sup>

Motivated by this data, we developed a simple "G1 sizer" model of volume-dependent exit from G1 with a tunable growth rate (Figure 5C).<sup>17,48</sup> In the model, we simulate an ensemble of cells that grow at a constant rate, have two cell-cycle phases G1 and S/G2/M, and divide into two daughter cells with half the mother volume. We added additional features based on experimental observations: (1) there is a sharp volume threshold of the G1-S transition rate and below this minimal volume a, the transition rate is zero, (2) cells have an S/G2/M or cells that grow at a constant rate, have two cell-cycle phases G1 and S/G2/M, and divid<br>into two daughter cells with half the mother volume. We added additional features based<br>on experimental observations: (1) there is is normalized to vary from 0 for no growth to 1 for growth in the unconfined condition. Due to rule (2), the minimum cell-cycle time is  $\tau$  h and cells will grow by a minimum of  $G_{\tau}$ before each division. When  $G<sub>r</sub> \gg a$ , cells are large compared with a and the G1-S transition proceeds quickly. In this regime, the cell-cycle regulation is volume independent (timer-like) S normanzed to vary from 0 for no growth to 1 for growth in the uncommed condition.<br>Due to rule (2), the minimum cell-cycle time is τ h and cells will grow by a minimum of  $G_r$ <br>before each division. When  $G_r \gg a$ , cells a the growth rate is suppressed such that  $G<sub>t</sub> \ll a$ , additional time is required to relieve the volume constraint of the G1-S transition (1) (Figure 5D,  $G = 0.05$ ; Figures S6A–S6C). In this regime, the cell-cycle regulation is highly volume dependent (sizer-like). We tested several simplifying assumptions of our model by performing additional simulations and consistently see this behavior (Figures S6D–S6H).

Plotting the cell volume at division as a function of cell volume at birth for a range of growth rates shows that the model transitions smoothly from volume-dependent to volume-independent behavior as a function of growth rate (Figure 5E, Figures S6E–S6H). Volume-dependent cells divide at the same volume and show no correlation between birth volume and division volume (Figure 5E, dashed lines for  $G = 0.05$  and 0.2). This contrasts with volume-independent cells which show a correlation between birth volume and division volume-independent behavior as a runction or growth rate (Figure 5E, Figures SoE–Sor<br>Volume-dependent cells divide at the same volume and show no correlation between bir<br>volume and division volume (Figure 5E, dashed lines also occur in distinct cell-volume ranges consistent with previous work showing that large, rapidly growing, single cells are more volume independent<sup>13</sup> and small, slowly growing cells, *in vivo* are volume dependent.<sup>17</sup>

Having developed an understanding of the model at constant or near-constant growth rates, we tested if the model could also predict the cell-volume distributions found in the experiments of monolayer formation and maturation in Figure 2B. We simulate monolayer Having developed an understanding of the model at constant or near-constant growth rates, we tested if the model could also predict the cell-volume distributions found in experiments of monolayer formation and maturation measure the cell-volume distribution over time (Figure 5F). The simulation results (Figure 5F, black) are consistent with those of the experiment (Figure 5F, peach). This suggests that the G1 sizer model together with an understanding of how confinement impacts cell growth (Figure 4F) is sufficient to explain transitions in volume of isolated cells to those in epithelial tissue.

#### **Volume-dependent cyclin D downregulation leads to cell-cycle arrest**

To investigate molecular mechanisms of volume-dependent cell-cycle control, we took advantage of our Tet-inducible cell lines to manipulate cell volume in confluent monolayers.

We prepared monolayers at the OC with Tet-On p27 and Tet-On p27ck cells. Prior to Page 10<br>We prepared monolayers at the OC with Tet-On p27 and Tet-On p27ck cells. Prior to<br>the experiment, cells were synchronized in G1 with palbociclib and at  $t = 0$ , we added doxycycline (+dox) to induce expression. After 5 days, both monolayers are in a cell cycle and growth-arrested ME state, but the +dox p27ck cells are 40% the volume of +dox p27 cells (Figures 2I and 6A). RNA sequencing identified almost no differences in the steady-state transcriptome of these samples (Figure 6B). However, close examination identified several weak signatures (Figures S7E–S7J) including a slight downregulation of cyclins D1, D2, and D3 in the smaller contact-inhibited cells (Figure 6B, inset). The G1/S transition has a steep dependence on cyclin D concentration,<sup>50</sup> so it is possible that small changes in cyclin D concentration are sufficient to arrest the cell cycle. Furthermore, cyclin D is strongly post transcriptionally regulated by degradation.<sup>51</sup> To check if this difference in RNA abundance leads to changes in protein levels, we looked at cyclin D1 (cyD1) protein levels via immunofluorescence in ME formed with Tet-On p27 cells (+dox p27) and co-cultures including Tet-On p27ck cells (+dox p27/p27ck). Since p27 is known to interact with cyclin D, we tested if its overexpression did not change the cyclin D1 levels by inducing p27 after ME formation (delay +dox p27). Interestingly, we found significant differences in cyclin D1 abundance, with nearly undetectable levels in cells with a nuclear area <100  $\mu$ m<sup>2</sup>, corresponding to a cell volume of 1,100  $\mu$ m<sup>3</sup> (Figure 6C; Figure S7D). We observed that the intensity of cyD1 drops rapidly with decreasing nuclear area, corresponding to a decreasing cell volume (Figure 6D; Figure S7D). The same trend was seen for all monolayer preparations, suggesting that the cyclin D1 level is regulated by a volume-dependent pathway. This suggests that in addition to transcriptional changes in cyclin D, additional volume-dependent post transcriptional regulation occurs, possibly as reported in other contexts.51,52

To test if decreased cyclin D levels are required to arrest the cell cycle, we overexpressed cyclin D1 in contact-inhibited cells. We used Tet-On cyclin D1-GFP (CyD) or Tet-On Cyclin D1 T286A T288A-GFP (CyDAA, a degradation resistant mutant) cells and induced the expression of additional cyclin D1 at OC. We then looked at the cell volume 3 days later, after it had reached a plateau. We observed that overexpression of either CyD or CyDAA leads to decrease in minimal cell volume in ME, compared with control (−dox) (Figures 6E and 6F). Therefore, restoring cyclin D1 in small cells is sufficient to initiate the cell cycle. This suggests that the depletion of cyclin D is necessary for volume-dependent arrest of the cell cycle. We also overexpressed the viral oncoprotein E1a, which is known to bind with and inactivate Rb pocket proteins and activate the G1/S transition.<sup>53</sup> Cells that overexpressed E1a also showed decreased volume, suggesting that cyclin D depletion arrests the cell cycle by inhibiting the G1/S transition (Figure 6F).

#### **Cell-cycle arrest occurs near cell volume minimum set by the genome volume**

We next wanted to understand why the cell cycle normally arrests at a volume of  $\sim$ 1,000  $\mu$ m<sup>3</sup>. A possible constraint on cell volume comes from the volume occupied by the genome. As the cell volume decreases, the nucleus gets smaller and chromatin gets more compact.<sup>38</sup> A simple estimate suggests low chromatin concentrations of ~5% by volume in an average subconfluent mammalian cell (Vol<sub>nuc</sub> ~ 1/3Vol<sub>cell</sub> ~ 800 µm<sup>3</sup> vs Vol<sub>genome</sub> ~ 40 µm<sup>3</sup>).<sup>54</sup> However, the concentration would increase several fold as cell volume reduces and the total chromatin

per cell remains constant. Previous measurements of chromosome volume by TEM and AFM have shown that the volumes of a full set of chromosomes are approximately 50– 100  $\mu$ m<sup>355,56</sup> and 50% chromatin by volume,<sup>57</sup> thus setting a lower limit on cell volume. When we stained both the DNA and cell membrane, we observed that the abnormally small Tet-On CyDAA cells appear to have an unusually large nucleus relative to the cell size (Figure 7A). This was surprising given that typically there is a tight scaling relationship between cell volume and nuclear volume.38 Comparing the cell volume against the nuclear volume for epithelium prepared under our previously described conditions, we observe this scaling relationship except in the Tet-On CyDAA cells in the presence of doxycycline (Figure 7B, peach). Instead, we observe that the ratio of nuclear to cell volume is rapidly increasing as cell volume decreases below 1,000  $\mu$ m<sup>3</sup> (Figure 7C) and approaches regions where DNA compaction exceeds chromosomal compaction or where nuclear volume exceeds cell volume (Figures 7B and 7C, gray). We hypothesized that increasing chromatin concentration could disrupt normal chromatin function, leading to DNA damage. In CyDAA overexpressing cells in ME we observed phospho-H2A.X foci indicating locations of DNA damage (Figures 7D and 7E). Importantly, there was no DNA damage in CyDAA overexpressing cells in SC or WT cells in ME. This suggests that normal cells arrest near a cell volume minimum but outside the range where DNA damage occurs frequently. DNA damage is known to arrest the cell cycle through Rb/cyclin D-independent mechanisms,<sup>58</sup> preventing further volume reduction. Therefore, in epithelia, proliferative homeostasis is maintained by an interplay between cell growth in proportion to tissue constraints and cell-volume-dependent G1/S regulation which arrests the cell cycle near a minimum volume (Figure 7F).

## **DISCUSSION**

While growth and division are balanced in to maintain a constant cell volume, we observe that in the context of epithelial tissue, growth and division rates can respond to different cues, which leads to transient changes in cell volume during contact inhibition of proliferation. The tissue growth dynamics regulate cell growth, whereas cell division is regulated solely by cell volume. Differences in these two rates drive changes in cell volume depending on the tissue environment. In single cells, the environment places no constraint on cell growth, leading to high growth rates and large cell volume. In contrast, in MEs, tissue growth rates are low and reduce cell volume to a minimum. In this regime, cell-volume regulation is critical for maintaining cell homeostasis and preventing DNA damage. The consistency in cell-volume distributions across diverse epithelial cell types (Figure 1B) suggests that our models should be broadly applicable to understand contact inhibition and cell-volume regulation across diverse biological systems.

Canonically, growth factor signaling is thought to be the main pathway to control and coordinate proliferation.59,60 We identify an independent role for tissue confinement in controlling cell growth. While we exploited model tissues with a particular type of growth dynamics driven by edge migration, these ideas can be easily extended to arbitrary systems so long as the tissue growth dynamics can be readily characterized (Figures S4F–S4M). One limitation of our analysis was that we considered the tissue averaged behavior. These monolayers show nonuniform expansion and variations in cell height and density (Figure S4E), which we expect leads to spatial variations in confinement. Additionally,

tissue growth is driven by diverse processes, including migration, tissue buckling or mechanical stretch,  $61,62$  all of which would reduce tissue confinement. Importantly, in tissue homeostasis, cells also constantly turnover, which we think can be incorporated into our framework by considering cell exit from the tissue as locally reducing spatial constraints.13,20,59,63 A more comprehensive study that considers nonuniform confinement driven by different processes is required to understand confinement in vivo.

Previous work has implied that cell growth and YAP/TAZ signaling in epithelium are regulated by mechanical stress.5,12,22,64,65 Our framework provides a means to isolate the roles of physical constraints on cell growth regulation. Importantly, confinement is a geometric quantity readily determined from timelapse microscopy. Our data show that confinement is a strong predictor of growth and YAP/TAZ activity, demonstrating the utility of our model to study the mechanisms underlying epithelial growth control. However, future work will be needed to connect our findings to classical contact inhibition pathways. Our work and others implicate the hippo pathway as a key mechanism,  $7.12$  but future work is needed to determine the relationships between tissue confinement, growth, and mechanotransduction. Importantly, the contributions from mechanical forces, cadherin adhesions, and growth factor accessibility need to be carefully dissected individually while monitoring cell and tissue growth to determine the underlying mechanisms. Additionally, our measurements of growth in Figure 4 were limited to changes in cell volume; however, there are cases where the density of biomass in the cell changes,  $66-68$  and understanding how protein density, synthesis, and degradation are regulated during contact inhibition could be an interesting direction for future research.

Our observation of a transition between volume-dependent and independent behaviors in epithelia may explain prior observations of volume regulation in mammalian cells.<sup>13,17,69</sup> In our computational model, we find that a volume-dependent G1/S transition gives rise to both sizer-like and timer-like behaviors of cell-volume regulation at low and high growth rates, respectively (Figure 5E). Other cell types also show large changes in cell volume due to growth arrest and volume-dependent proliferation.<sup>18,70–73</sup> Future work may identify if these processes can be understood using the same framework as contact-inhibited epithelia. In single cells, feedback mechanisms lead to compensation in the cell-cycle duration during growth arrest,<sup>14,50</sup> but growth and cell cycle appear more independent in epithelium and the examples above. Future work will be required to understand how these feedback mechanisms are regulated in different contexts. Furthermore, the molecular mechanisms of G1 sizer regulation have remained elusive.<sup>17,69,74</sup> By experimentally manipulating cell volume, we showed that cyclin D1 regulation underlies G1 sizer behavior in epithelium. Cyclin D1 is strongly post transcriptionally regulated by degradation,<sup>51</sup> suggesting that upstream kinase localization or activity may function in the volume-sensing pathway. Our observations may lead to future work to connect cyclin D1 regulation directly to cell-volume sensing. It will be important to understand how cyclin D1 levels are regulated in response to cell volume. Other work suggests potential mechanisms like changes in the proteome,  $75,76$ nuclear size, or surface area to volume ratio of the cell. $16,69$ 

Finally, below the minimal volume set by cyclin D1 regulation, significant changes in nuclear-to-cytoplasmic ratio and DNA damage occur, suggesting an important role of

volume regulation in maintaining epithelial cell homeostasis. Cancers that are driven by mutations in genes implicated in cell-volume regulation, such as small cell cancer, may show volume dependent DNA damage leading to additional mutations. Examining the source of this DNA damage and the changes in nuclear-to-cytoplasmic ratio will be an interesting avenue for future research. It may be possible to connect these results to other studies looking at how nuclear-to-cytoplasmic ratio is determined by proteome composition<sup>77-79</sup> and how DNA damage responds to cell compression $80$  and examine the limits of nuclear volume in more detail. Alongside recent work that shows that very large cells become nonfunctional,19,75,76 the lower bound set by the genome volume establishes a range of cell volumes for viable diploid mammalian cells from  $\sim 200$  to  $10,000 \mu m^3$ , similar to the range observed across different cell types.<sup>54</sup> Overall, our framework for understanding of the proliferative behaviors in epithelium provides a basis for studying development, homeostasis, and disease in complex epithelial tissues across diverse biological contexts.

#### **Limitations of the study**

While the phenomena presented here generalize to several cell lines tested, future work is required to understand the application of this framework in vivo. In experiments looking at cell growth, we only examined the average behavior to show the overall effects of tissue confinement; however, there may be interesting effects at smaller scales. To determine growth rates, we used CellTrace to measure changes in cell volume, but measurements of protein production and density of protein within the cell can provide further insight into the process of tissue confinement. Due to the scope of this paper, we were only able to perform a limited set of experiments looking at molecular mechanisms. This leaves considerable room for future studies on the molecular mechanisms controlling growth arrest in epithelial due to confinement, transmission of confinement signals across the tissue scale, and how cell volume leads to cyclin D regulation and cell-cycle arrest. Our experiments looking at DNA damage were limited, and future work is required to find the mechanism causing the increase in DNA damage at low cell volumes, to understand how DNA damage triggers cell-cycle arrest in this context, and to determine what happens if DNA damage response is blocked.

#### **STAR**★**METHODS**

#### **RESOURCE AVAILABILITY**

**Lead contact—**Further information and requests for resources and reagents should be directed to and will be fulfilled by the lead contact, Margaret Gardel (gardel@uchicago.edu).

**Materials availability—**Plasmids will be deposited to addgene prior to publication. Cell lines are available from the lead contact upon request without restriction.

**Data and code availability—**RNA sequencing data have been deposited at Gene Expression Omnibus (GEO) and are publicly available as of the date of publication. Accession numbers are listed in the key resources table. Imaging data and histology measurements have been deposited at figshare and are publicly available as of the date of publication. Due to data size contraints imaging datasets are limited to a single experimental

replicate. Additional data will be provided by the lead contact upon request. DOIs are listed in the key resources table. This paper analyzes existing, publicly available data. These accession numbers for the datasets are listed in the key resources table. All original code has been deposited at Github and is publicly available as of the date of publication. DOIs are listed in the key resources table. Any additional information required to reanalyze the data reported in this paper is available from the lead contact upon request.

#### **EXPERIMENTAL MODEL AND SUBJECT DETAILS**

**Cell culture and lines—**All cells were maintained at 37C and 5% CO2. Cells were passaged using 0.25% trypsin EDTA every 2–3 days. Cells were checked for mycoplasma by Hoechst staining. MDCK, CACO-2 and MEF cells were cultured in Dulbecco's modified eagle medium (DMEM) high glucose supplemented with 2mM L-glutamine and 10% FBS. HaCaT cells were maintained in low calcium high glucose DMEM prepared from calciumfree DMEM powder supplemented with 40 μM calcium-chloride, 2 mM L-glutamine and 10% calcium depleted FBS using Chelex-100. RPE-1 cells were maintained in 1:1 high glucose DMEM:F12k supplemented with 2mM glutamine and 10% FBS. Tet inducible gene expression was done with 200ng/ml doxycycline in all indicated experiments (+dox).

Stargazin-halotag Caco-2 and MDCK cells were produced by lentiviral infection of CACO-2 and MDCK cells by a WPT-Stargazin-halotag construct packaged in 293T cells by a second-generation lentiviral system with pHR1–8.2-deltaR and a VSV-G pseudotyping plasmid (gifts from M. Rosner). Viral supernatant was collected at 24, 48 and 72 h after transfection then concentrated ~30x using Amicon Ultra-15 Centrifugal Filter Unit (100kDa) or concentrated  $\sim$ 30x by peg precipitation (Marino et al., 2003). Cells ( $\sim$ 50,000 cells a in 6cm diameter dish) were treated overnight with 300ul of concentrated virus in 2ml of media supplemented with 8μg/ml polybrene. Positive cells were isolated using a BD FACSAria™ III cell sorter. FUCCI MDCK cells were produced by lentiviral infection with virus of pLenti-PGK-Neo-PIP-FUCCI packaged and infected the same way. Cells were then selected using 800 μg/ml G418. pLenti-PGK-Neo-PIP-FUCCI was a gift from Jean Cook. Tet-on mEmerald-P27 1–176 (human CDKN1B 1–176; NCBI Reference Sequence: NP\_004055.1), snaptag-P27ck 1–176, Cyclin D1-mEmerald, Cyclin D1 T286A T288AmEmerald (subcloned from RRID: Addgene\_11181), mKate-T2a-12sE1a (subcloned from RRID: Addgene\_18742) cells were produced using the Lenti-X Tet-On 3G system. DNA above were subcloned into the Tre3g vector. Lentiviral particles were packaged in 293T cells transfected with pHR1–8.2-deltaR and a VSV-G. Cells were infected with lentivirus with both the EF1a-Tet-on-3g and Tre3g plasmids above using the infection protocol above then selected using 2 μg/ml puromycin and 800 μg/ml G418.

#### **METHOD DETAILS**

**Epithelial monolayer cultures—**For all experiments unless indicated otherwise, monolayers were formed on 2mg/ml collagen I gels (~200um thick) formed on top of a coverglass substrate (see Collagen gel substrate preparation section for more detail). For monolayer samples to reach the OC state after  $\sim$ 12 h and ME at  $\sim$ 36 h cells were seeded onto collagen gels at high density (~80,000 cells/cm2). For SC samples a low density of cells (~8,000 cells/cm2) were plated on the same substrates and cells were measured at time

points before reaching OC. Cells were added on top of the gel in a volume of 100–200ul and allowed to adhere for 5–10 min before adding 1.5ml to the culture dish containing the coverslip and gel. Culture media was changed once each day.

**Expanding colony assay—**Expanding colonies were prepared using published methods modified as follows.44 4.4 grams of 10:1 PDMS (silgard) was cast in a 10cm petri dish and cured at 70C overnight. A piece of PDMS ~20×20 mm was cut out then a set of holes was cut into the PDMS using a leather hole punch of 1mm,1.5mm or 3mm (Nuhank 0795787181775). The PDMS was washed in 70% ethanol for 5 min repeated 3 times then milli-Q water 3 times and allowed to dry. Cover slips were coated with collagen 1 by incubating them on 100ul of 0.2mg/ml collagen in 0.02M acetic acid for 1 h in a petri dish. Coverslips were washed with 1xPBS 3 times then with MQ water 3 times and allowed to dry completely. Dry PMDS and coverslips were stuck together ensuring that no air bubbles remain between the surfaces. Cells were seeded in the well (2000 cells/mm2) and allowed to adhere for 5–10 min before adding 2ml of media to the petri dish. Colonies were left overnight then the PDMS was removed to allow colonies to expand. The initial colony size under these conditions at the time of PDMS removal was measured and used as the initial size for subsequent analysis. Each experiment included a subconfluent and confluent sample as exponential and non-growing controls to ensure that results could be compared across experiments. After the desired time delay samples were either fixed and imaged or fixed, permeabilized, immunostained and imaged according to methods below.

**BCA assay—**BCA assay was performed using the Pierce™ BCA Protein Assay Kit according to the manufactures protocol. Samples were prepared by plating cells in two duplicate samples at a density which would reach confluence after 8 h (60,000 cells/cm<sup>2</sup>), after 24 h (30,000 cells/cm<sup>2</sup>) and to remain subconfluent (3,000 cells/cm<sup>2</sup>). Cells were lysed at 24 h (ME,OC,SC) and 48 h (ME+24hr, OC+24hr SC+24hr) on ice with 500μl of 1x RIPA buffer. All samples were collected and stored frozen for up to 2 days, then run in cuvettes with 100ul of lysate and 2ml of BCA reagent. Samples were left for 2 h at room temperature and the absorbance was measured using an Ultrospec 2100 pro UV/Visible spectrophotometer within 10 min.

A control sample where a collagen coated glass without cells was prepared, cultured, and lysed under identical conditions to the samples and the absorbance was subtracted from all samples. This absorbance was not negligible in subconfluent samples (~50ug/ml collagen vs  $\sim$ 100 ug/ml protein) and was required for accurate determination of growth rate. Then the growth rate, G, was calculated from the protein concentrations, C, by the change in protein concentration normalized by the initial protein concentration  $G = (C_f - C_i)/C_i$ .

To measure the total cell division, samples prepared under the same conditions were trypsinized at the same time points and counted to determine the number of cells. Then the division rate, D, was calculated from the cell numbers, N, by the change in cell number normalized by the initial cell number  $D = (N_f - N_i)/N_i$ 

**CellTrace labeling—**Cells were labeled using CellTrace according to the manufacturer's protocol. Cells were resuspended in PBS ( $10^6$  cells in 1 ml) and cell trace was added at  $1 \mu$ M

for 15 min at 37C. Then cells were pelleted and resuspended in media and either directly used for experiments or cultured under normal conditions for 1 day before use.

To measure growth using CellTrace the prepared cells were seeded according to the expanding monolayers protocol above and a subconfluent and confluent control using seeding densities in the epithelial monolayer culture section above. The cells were grown under normal culture conditions until the indicated time point then fixed and imaged or fixed, permeabilized and immunostained according to the immunostaining protocol below. Images were taken of all samples and controls under identical imaging settings at the same time, then an average intensity of the confluent control was used as an intensity corresponding to no cell growth. The average intensity was measured for all other conditions and the growth was computed using the following formula: I(confluent) I(sample)  $-1 = \frac{Vol(t = \Delta t)}{Vol(t = 0)} - 1 = \Delta Vol$ . The subconfluent condition showed intensity consistent with the known doubling time of MDCK cells under the experimental conditions.

**Immunostaining—**For halotag labeling, 30nM halotag JF 646 or 549 solution was added for 1 h before fixation. Just before fixation cells were washed once in 1xPBS. Cells were fixed in 4% PFA in 1xPBS for 15 min at room temperature. Cells were blocked and permeabilized in 1xTBS, 0.3% triton-X 100, 2%BSA solution for 1 h. Antibody solutions were prepared in 1xTBS 0.3% triton-X 100 2%BSA using 1:400 anti-Cyclin D1, 1:100 anti-YAP, 1:400 anti-Phospho-Histone H2A.X. Samples were incubated in primary antibody overnight at 4C. Samples were washed 3 times in 1xPBS then incubated in 1xTBS 0.3% triton-X 100 2%BSA and secondary antibody for 1 h. In conditions with DNA staining SPY650 DNA was added during the secondary staining step according to the manufacturer's protocol at 1x concentration. Samples were washed 3 times for 5 min in 1xPBS then mounted on a slide in prolong gold antifade mounting media – non curing (Invitrogen), sealed and imaged.

**Fluorescence microscopy—**For time lapse imaging cells were imaged on an inverted epi-fluorescence microscope (Nikon TI-E, Nikon, Tokyo, Japan) with a 20x plan fluor multiimmersion objective. images were acquired at 10-min intervals in GFP, 642 and transmitted light channels using standard filter sets (Ex 490/30, Em 525/30, Ex 640/30, DAPI/FITC/ TRITC/cy5 cube) (Chroma Technology, Bellows Falls, VT). For halotag labeling, 30nM halotag JF 646 or 549 solution was added for 1 h before imaging. Samples were mounted on the microscope in a humidified stage top incubator maintained at  $37C$  and  $5\%$  CO<sub>2</sub>. Images were acquired on either a Photometrics Coolsnap HQv2 CCD camera (Photometrics, Tucson, AZ) or Andor Zyla 4.2 CMOS camera (Andor Technology, Belfast, UK).

Cell volume measurement samples in resuspension were imaged on an inverted spinning disk confocal microscope (Nikon TI-E) with laser lines at 491, 561 and 642 and suitable emission filters (Chroma Technology). Images were acquired using a 40x plan fluor oil immersion objective (NA 1.3) and Andor Zyla 4.2 CMOS camera (Andor Technology, Belfast, UK). Images were acquired at room temperature within 1 h of cell resuspension.

All other imaging was done using a point scanning confocal microscope (Ziess Airyscan LS980) with laser lines at 491,561,642 and an adjustable emission filter suitable for fluorophores that were imaged. Cell trace images were acquired using a 5x air objective (NA 0.16), YAP images were acquired using a 20x air objective (NA 0.8), Immunostaining images were acquired using a 40x oil immersion objective (NA 1.3).

**RNA sequencing—**Cells were treated with 1mm Palbociclib for 16 h then replated on collagen gels to make 3 monolayers from each condition. All monolayers were cultured together in a 10cm petri dish with 10ml of media containing 100ng/ml doxycycline. Media was replaced each day for 5 days. Then 2 monolayers from each condition were lysed, pooled and total RNA was collected using a NucleoSpin RNA kit. 1 monolayer from each condition was labeled with JF 646 halotag and imaged, then cells were resuspended for volume measurements as described above. Volume distributions corresponding to each RNA seq experiment are available in Figure S7E. RNA samples were submitted to the University of Chicago Genomics Facility. RNA quality and quantity was assessed using the Agilent bio-analyzer (RNA Integrity Number from 9.4 to 10). Strand-specific RNA-SEQ libraries were prepared using an TruSEQ mRNA RNA-SEQ library protocol (Illumina provided). Library quality and quantity was assessed using the Agilent bio-analyzer and libraries were sequenced using an Illumina NovaSEQ6000 (illumine provided reagents and protocols) with ~60M PE reads/sample. Alignments were made to the canine genome (Canis\_lupus\_familiaris.CanFam3.1) by psudeoalignment using Kallisto 0.46.1 (Bray et al.,  $2016$ .<sup>82</sup> between 62.2 and 69.2% of reads were mapped with two technical replicates per experiment a total of  $n_{p27_{-1}} = 28049196$   $n_{p27_{-2}} = 28117815$   $n_{p27_{-3}} = 28012202$   $n_{p27_{c}k_{-1}} = 28212157$  $n_{p27ck,2} = 27961694$   $n_{p27ck,3} = 27964407$  reads. Technical replicates were highly similar so they were averaged before further analysis. Data were then processed using iDEP 0.91(Ge et al.,  $2018$ <sup>83</sup> to measure differential gene expression and the Wnt homepage was use to determine a list of Wnt target genes ("Wnt Target genes | The Wnt Homepage," n.d.).<sup>84</sup>

**Silane modification of glass coverslips—**Glass coverslips were modified using the following protocol based on previously described methods (Zhu et al., 2012).<sup>85</sup> Coverslips were first cleaned by sonication in 70% and 100% ethanol solutions then dried with compressed air. We placed coverslips in a staining rack and submerged the rack in a solution of 2% (3-Aminopropyl)trimethoxysilane (APTMS) 93% propanol and 5% DI water for 10 min at room temperature while stirring. Staining racks were removed and washed in DI water 5 times then placed in a 37C incubator for 6–12 h to allow the water to dry and amino-silane layer to cure. The staining racks were then submerged in 1% glutaraldehyde in DI water for 30 min while stirring. The coverglass was washed 3 times for 10 min in distilled water, air dried and stored at room temperature. Activated coverslips were stored under vacuum and used within 6 months of preparation.

**Collagen gel preparation—**10x PBS, milli-Q water, a 5mg/ml collagen stock and 1M NaOH were mixed to generate a polymerization mix with 1xPBS and 2 mg/ml collagen at pH ~7. 70uL of the polymerization mix was added on to a 22×22mm coverslip modified with aminosilane according to the protocol above and quickly spread to coat the surface using a pipette tip. Samples were transferred to a humidified incubator at 37C to polymerize

for 20 min. After polymerization gels were washed 3 times in 1x PBS and it was verified that gels were still intact and adhered to the glass by a tissue culture microscope.

**Cell volumes measurements—***Resuspended* - Cells were plated as monolayers for indicated times. Just before making volume measurements the cells were resuspended by adding 0.25% trypsin EDTA solution to the cells. Resuspending cells from ME conditions required partial physical disruption of the monolayer using a pipette tip. Cells were resuspended in 35μl of media containing 30nM JF646 and incubated for 5–15 min before adding to a thin channel prepared by sticking a coverslip to a glass slide using double stick tape. Cells were imaged immediately with spinning disk confocal microscopy. We verified that samples showed no changes in cell volume measured over time up to 1 h and performed all measurements within this time window. Cells were imaged at the middle plane so that the radius of the cell could be measured. The cross-sectional area was used to estimate the radius which was used to calculate the volume of the cell. It was verified that this provided a comparable measurement to 3D segmentation of cells in the monolayer (Figure S1).

3D Images- Monolayers were stained using JF 549 halotag ligand and imaged using an airyscan LSM 980. Z-stacks spanning the height of the cell were imaged. The height of the monolayer was determined at each point by identifying maxima of the intensity corresponding to labeling at the top and bottom membrane of the cell. The membrane label averaged across the middle 5 planes of the cell was used to determine the area of the cell in the XY plane and this value is multiplied with the average cell height contained within this region to give the cell volume. A similar process was repeated with nuclei images to measure the nuclear volume.

Cross-sectional Images- 3D images were acquired above and displayed as projections in the YZ plane. Images were opened in imageJ and the width and height of individual cells was measured from these cross sectional images. The same method was applied to histology sections where cells oriented perpendicular to the tissue section were first identified then the width and height of these cells was measured. The volume was estimated by the width squared times the height of each individual cell.

These measurements are compared with 3D images for MDCK cells and show similar mean values (Figure S1). We also note that changes in mitotic fraction can have some impact on the average cell volume of any population measure. This is important when comparing single cells to tissues in vivo or ME. Cultured cells will typically contain a much larger fraction of cycling cells  $(\sim 50\% \text{ vs } \sim 1\%)$ , cycling cells can be up to 2 times larger than G1 arrested cells, but this would not be sufficient to explain the 4 fold difference in cell volume observed in the data.

**Image segmentation—**Images of cell membranes were segmented using custom MATLAB code. The main algorithm performs initial segmentation using the Phase Stretch Transform algorithm developed by the Asghari and Jalali (H and JalaliBahram, 2015).<sup>86</sup> Phase stretch images were thresholded and skeletonized to obtain cell outlines. Broken edges in the skeleton were repaired using a modified implementation of edgelink developed

by Peter Kovesi ("Peter's Functions for Computer Vision," n.d.).<sup>87</sup> Segmentation code is available on GitHub.

**Cell tracking—**Cell tracking was performed using established particle tracking methods applied as follows (Crocker and Grier, 1996).<sup>88</sup> Cell centers were determined by taking the centroid of each segmented cell area generated as described above in Segmentation. The particle trajectories were compiled from these position measurements using SimpleTracker, a MATLAB function developed by Jean-Yves Tinevez ("simpletracker," n.d.).<sup>89</sup>

**FUCCI analysis—**Cells were imaged in GFP and RFP channels similar to above methods using timelapse imaging. Images of FUCCI markers and cell boundaries were segmented using Phase Stretch Transform in Matlab as described above. Each cell was identified using the cell boundaries and was determined to be GFP or RFP positive by measuring the intensity contained within the segmented images of each nuclear marker. The percent of cells in G1 was determined by taking the ratio of cells identified as only GFP positive to the cells identified as GFP positive, RFP positive and positive for both markers. To determine duration of S/G2/M phase the cell cycle state was measured along the cell trajectory and points where the cell switched from G1 to S and then back to G1 were identified. Then the time between these events was measured to give the duration. To determine the full cell cycle duration the fraction of cells in S and G2/M phase was measured and along with the  $S/G2/M$  phase duration was used to estimate the cell cycle duration by CC duration = S phase duration/S phase fraction (i.e. if 10% of cells are in S/G2/M which lasts 10 h, cells spend 9 times longer on average in G1 and the duration of the cell cycle is likely  $\sim$ 100 h)

**Division rate measurement—We identified cell divisions by finding pairs of cells which** appear adjacent to each other in a frame after both cells were not present in the previous frame. We further filter out cells which are not of similar size to one another. We confirmed by inspection that this gives us a subset set of cells which have divided in the previous frame with few false positives. We then find the mother cell by looking several frames back for a cell near the centroid of the pair of daughter cells. We compare the number of cells of a given size which are detected to divide compared to the total number of cells of that size to get a probability of division. This process is repeated for the entire time series with a total number of division events typically >500. However, because not all division events are detected, this process give the relative division rate as a function of size. The division rate is determined by the change in cell density over time at early time points and the plateau value of the relative division rate is set to match this value.

**Quantification of H2ax staining—**Foci were segmented using a phase stretch transform-based method and an intensity threshold based on the intensity of the dimmest foci measured manually. The cell nuclei were segmented using methods above and the number of foci in each nucleus was quantified.

**Simulation growth models—**Growth curves were generated from growth models of exponentially proliferating cells with doubling time  $\tau(A(t)) = 2^{t/\tau}, dA(t)/dt = \log(2)/\tau * 2^{t/\tau} = A(t) * \log(2)/\tau$  and of a circle with an expanding

radius  $(r(t) = v^*t, A(t) = \pi^*v^{2*}t^2, dA(t)/dt = 2^*\pi^*v^{2*}t = 2^*v^*sqrt(\pi^*A)).$  Confinement curves are calculated from the ratio of these rates as defined in the main text.

**G1-sizer model—**Our phenomenological model of cell size control is a "G1 sizer", which posits that exit from G1 is controlled by a size-dependent function. Based on the sharp drop-off in the G1 exit rate seen in the log-plot of experimental data in Figure 5A, we assume that the rate is a constant  $k \gg 1$  above a critical size a and 0 below that size. Following G1-exit, division proceeds in time  $\tau$ .

As discussed in the main text, this model has two regimes: one of slow growth  $(G_\tau \ll a)$ , assume that the rate is a constant  $k \gg 1$  above a critical size a and 0 below that size.<br>Following G1-exit, division proceeds in time  $\tau$ .<br>As discussed in the main text, this model has two regimes: one of slow growth  $(G$ average time between divisions, and confinement. This can be done for both the fast- and slow-growth limits. In the following expressions, < > indicates an average over time for a single cell.

In the fast-growth limit with growth rate  $G$ , cells never interact with the size-threshold a, and hence have a constant division time set by the mean length of G1 plus the length of S/G2/M. This means a confinement of 0, and an average size  $s$  proportional to  $G$ . To summarize:

$$
\langle s \rangle = 1.5(1 + 1/k)G; \langle t_{div} \rangle = (1 + 1/k); C = 0.
$$

In the slow-growth limit with growth rate  $G$ , cells are almost exclusively below the sizethreshold, and hence have division time set by the mean length of G1, plus the length of S/G2/M, plus the time it takes to grow up to the size threshold. Solving for the division time yields the following expressions:

$$
\langle s \rangle = .75(1 + G(1 + 1/k)); \langle t_{div} \rangle = \frac{1}{2}(1 + 1/k + 1/G); \ C = 1 - \frac{1 + 1/k}{\frac{1}{2}(1 + 1/k + 1/G)}.
$$

These expressions are verified against numerical results ( Figures S6A–S6C).

**Numerical simulation of G1-Sizer model—**In order to further understand the implications of the phenomenological G1-sizer model in a tissue context, we implemented a stochastic agent-based simulation of growing cell monolayers. In this simulation, each cell carries an index i, as well as two quantities  $a_i$  and  $p_i$ , representing the size and cell cycle phase respectively. Time and size are in non-dimensional units during the simulation and are converted to dimensional units for analysis after the simulation. We do this by associating 1 unit of simulation time to be the length of a typical S phase (~10 h), and 1 unit of simulation size to be the volume at which it is seen experimentally that cells transition from a size-dependent to a size-independent division rate  $(\sim 1200 \text{ um}^3)$ . We run our simulations with constant timesteps dt of.005. In the specific use case of Figure 5E, we verified that the results obtained with a timestep of.0005 were not quantitatively different from those generated at  $dt = .005$ .

At every step in the simulation, growth of cells is advanced by changing each  $a_i$  by an amount  $G^*$ dt, where G is the growth rate of the cell. G is in principle a function of the parameters of the cell itself, such as a<sub>i</sub> and  $p_i$ , as well as global parameters such as the total number of cells N and the total area of cells A. We observed similar results in a model with exponential single-cell growth (Figures S6G and S6H).

Division of cells is regulated by a size-dependent probability of entrance into S-phase. For most simulations, we use a step function for the S-entrance probability, due to its simplicity and qualitative similarity to the experimentally measured S-entrance probability. If a cell exceeds an area of 1, it enters S at a rate of 3, at which point its phase variable  $p_i$  is set to a value of  $1/dt$ . At every step in the simulation, the phase variable  $p_i$  decreases by 1, and once p<sub>i</sub> reaches 0, the cell's S/G2/M phase is completed. In some simulations (Figures S6E and S6F) we use a rate function based on a logistic fit to the experimental data. In either case, following stochastic initiation, each cell experiences S/G2/M phase as being a deterministic time of 1. We choose a G1 exit rate of 3 so that the average total time of the cell-cycle in the size-independent regime is matched between simulation and experiment. At the point that a cell exits M, the cell's size  $a_i$  is reduced by a factor of 2, and an additional new cell is created with size  $a_i/2$ .

These two elements—size-dependent S entrance, and growth of cells—constitute the core of how we advance single-cell trajectories through time. We examine the implications of this framework in two categories of simulations—ensemble simulations, and single-cell simulations. In single-cell simulations, we track the trajectory of only one cell, following only one daughter cell after division. In ensemble simulations, we track a whole population of cells, and the growth rate can therefore depend on quantities like N, the total number of cells in the population.

In Figure 5D, we show example single-cell trajectories with two different constant growth of cells, and the growth rate can therefore depend on quantities like N, the total number of cells in the population.<br>In Figure 5D, we show example single-cell trajectories with two different constant growt<br>rates G. To ex cells in the population.<br>In Figure 5D, we show example single-cell trajectories with two different constant grov<br>rates G. To exhibit timer-like behavior, we simulated cells with a growth rate  $g = 1.6$ . To<br>demonstrate size particular set of simulations, the S entrance rate was set to 10, to more clearly demonstrate the differences between the two growth regimes. Cells are initialized with a size uniformly drawn from 1 to 2, and a phase  $p_i$  that is either 50% uniformly distributed between 0 and demonstrate sizer-like behavior, we simulated cells with a growth rate  $G = 0.1$ . In this particular set of simulations, the S entrance rate was set to 10, to more clearly demonstrate the differences between the two growth a small fraction is shown of those trajectories.

In Figure 5E, we use single-cell simulations to look at the relation between cell size immediately post-division versus immediately pre-division in the subsequent round as a a small fraction is shown of those trajectories.<br>In Figure 5E, we use single-cell simulations to look at the relation between cell size<br>immediately post-division versus immediately pre-division in the subsequent round as growth rate was simulated with 400 simulation replicates, each run for 40 units of simulation In Figure 5E, we use single-cell simulations to look at the relation between cell size<br>immediately post-division versus immediately pre-division in the subsequent round as a<br>function of growth rate. We did this for 4 grow function of growth rate. We did this for 4 growth rates  $G = 1.0, 0.7, 0.2$ , and 0.05. E growth rate was simulated with 400 simulation replicates, each run for 40 units of s time. We initialize each simulation with  $p_i = -1$ before switching to the simulation specific growth rate. After another 10 units of simulation

time, we begin recording the size of a cell immediately post-division, and immediately pre-division. Confinement values are estimated as  $1 - \frac{\# \; divisions\; observed}{\# \;R}$ # divisions expected .

In Figure 5F, we show results from an ensemble simulation of cells. Ensembles are initialized from 4 cells with sizes uniformly drawn from 1 to 2, and then normalized such that they have total area 8. Cell phases are either 20% uniformly distributed between 0 and In Figure 5F, we show results from an ensemble simulation of cells. Ensembles are initialized from 4 cells with sizes uniformly drawn from 1 to 2, and then normalized such that they have total area 8. Cell phases are eith grow each cell in our simulation with a growth rate  $G$ , which is drawn for each cell and each time point from a uniform distribution with support between.9 and 1.1. When the ensemble of cells collectively exceeds a critical total size, we quench all their growth rates to 0, and from each cell in our simulation with a growth rate G, which is drawn for each cell and e<br>time point from a uniform distribution with support between.9 and 1.1. When the enseml<br>of cells collectively exceeds a critical tot perform these simulations for three different critical total sizes 500, 1200, and 4700, with 20, 10, and 5 simulation replicates respectively. After the critical size is reached, we can track the ensemble distribution of areas as a function of time, which we do for 4 units of simulation time, corresponding to 48 h of real time. We did not notice any significant differences in the distributions as a function of the total size at which we quench the growth rate.

#### **QUANTIFICATION AND STATISTICAL ANALYSIS**

For individual experiments the number of samples and replicates are indicated in the figure caption. Significance was determined by a paired-sample t-test of experimental means with p<0.05 indicating a significant result. p-values for individual experiments are indicated in the figure captions.

#### **Supplementary Material**

Refer to Web version on PubMed Central for supplementary material.

## **ACKNOWLEDGMENTS**

The authors would like to thank Jan M. Skotheim and Boris Shraiman for helpful discussions. This work was funded by NIH RO1 GM104032 to M.L.G. L.J.H. was funded by NIH R01 GM132447 and R37 CA240765, the American Cancer Society Cornelia T Bailey Research Award, and the NIH Director's Transformative research award TR01 NS127186. J.D. was supported by the Grainger and Harper Fellowships provided by University of Chicago. M.J.F. was supported by DMR-2239801. A.M. was supported by the Simons Foundation. This work was partially supported by the UChicago Materials Research Science and Engineering Center (NSF DMR-2011864). The authors would like to acknowledge The University of Chicago Functional Genomics (RRID: SCR\_019196) for processing RNA sequencing samples. Graphical abstract and Figures 2C, 3A, 5C, 7F, and S1A were created with [BioRender.com](http://BioRender.com).

## **INCLUSION AND DIVERSITY**

We support inclusive, diverse, and equitable conduct of research. One or more of the authors of this paper self-identifies as a member of the LGBTQIA + community.

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## **Highlights**

**•** In epithelia, regulation of cell growth and cycle are not directly coupled

- **•** Cell growth rate is regulated by tissue-scale growth dynamics
- **•** Cell cycle in epithelia is described by G1 sizer model with a tunable growth rate
- **•** Volume of cells in epithelia is near a minimum set by genome volume



#### **Figure 1. Epithelial cell size is consistent across tissues but context dependent**

(A) Histology sections published by the Human Protein Atlas showing E-cadherin (CDH1) staining kidney and intestine (duodenum) tissue (image credit: Human Protein Atlas) and human induced pluripotent stem cell (HiPSc) segmentation data from Allen Cell Institute (available from [allencell.org/3d-cell-viewer\)](http://allencell.org/3d-cell-viewer). In all images cells are displayed in crosssectional view with the apical-basal axis vertical.

(B) Cell volume from 15 tissues in vivo (circles), 12 published measurements from cell lines cultured as single cells (squares), and 7 measurements from 3D epithelial cell cultures (diamonds). Each data point is the average cell size from >50 cells for a given cell type. Measurement details available in Table S1. Dashed lines show the average cell volumes from epithelium in vivo (i) and in single-cell culture (ii).

(C) (Top) Images of MDCK cells with fluorescently labeled cell membranes (stargazin-gfp) in subconfluent colonies (SCs) and mature epithelium (ME). (Bottom) Cells under each condition are also shown after being treated with trypsin for 10 min and resuspended. (D) Cell volume in SC and ME for MDCK, CaCo-2 and HaCaT cell lines.

Violins show the distribution of cell volumes pooled from all experiments, solid line shows median of this cell-volume distribution, and points show the mean volume of each experimental replicate. Dashed lines show the average cell volumes from epithelium in vivo (i) and in single-cell culture (ii) from  $(B)$ 

 $(n = \text{cells[N} = \text{experiments}], n_{\text{MDCK}-\text{sc}} = 5,884 \text{ [N} = 6], n_{\text{MDCK}-\text{ME}} = 25,863 \text{ [N} = 17], n_{\text{CACO2}-\text{sc}} = 3,$  $408 \text{ [N = 6]}, n_{\text{CACO2 - ME}} = 59,817 \text{ [N = 16]}, n_{\text{Hacat-SC}} = 12,704 \text{ [N = 4]}, n_{\text{Hacat-ME}} = 31,454 \text{ [N = 6]}$ .

\*p < 0.05, \*\*\*p < 0.001 from comparison of experimental or sample means. See also Figures S2–S4 and Table S1.

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**Figure 2. Division during growth arrest at the onset of confluence leads to cell-size reduction** (A) Images of MDCK cell membranes at time points during the transition from subconfluent colonies (SCs) (t =  $-10$  h) to mature epithelium (ME), the time point when cell density reaches a plateau  $(t = 12 h)$  (Figures S2B–S2D). The data are aligned such that onset of confluency (OC), the time point when cell first occupy all space on the substrate, occurs at (A) Ima<br>colonie<br>reaches<br>conflue<br> $t = 0$  h.<br>(B) Ave

(B) Average rates of cell division (black) and growth (purple) at SC, OC, and ME. For growth data change total protein from lysates was measured by bicinchoninic acid (BCA) assay. Error bars are SD of three experiments. For division rate, the change in cell number was determined by a cell counter. Error bars are the SD of three experiments.

(C) Schematic summarizing result that, at the onset of confluence, there is a temporal decoupling of growth and cell-cycle arrest.

(D) Average cell area over time,  $t = 0$  is OC. Error bars are SD of 30 fields of view each containing >500 cells; time at which ME forms indicated by dashed line.

(E) Outline of a representative cell, and subsequent daughter cells, over the experiment. (F) Areas of 4 representative cells over the course of the experiment. Traces are shifted in

time so that the first cell division occurs at time 0 for all cells.

(G) Area of daughter cell 8 hours through the cell cycle versus the area of mother cell ( $n =$ 758 cells from 1 experiment. Linear fit slope = 0.52).

(H) Images of cell membrane at  $t = ME + 3$  days in monolayers formed from Tet-On P27 cells. ME were formed under control conditions (−dox) or with the cell cycle inhibited (G) Area of daughter cell 8 hours through the cell cy<br>758 cells from 1 experiment. Linear fit slope = 0.52)<br>(H) Images of cell membrane at  $t = ME + 3$  days in 1<br>cells. ME were formed under control conditions (-d<br>(+dox p27) b

(I) Cell volumes in SC and ME with Tet-On p27 or Tet-On p27ck (non-cell cycle inhibiting (H) images or cell membrane at  $t = ME + 3$  days in monolayers formed from Tet-On cells. ME were formed under control conditions (–dox) or with the cell cycle inhibite (+dox p27) by the addition of doxycycline at  $t = 0$  h. (I and ME –dox data also displayed in Figure 1D ( $n_{SC}$  = 5,884 [N=6],  $n_{ME}$  = 25,863 [N=17],  $n_{ME+p27} = 2,722$  [N=4], and  $n_{ME+p27ck} = 1,930$  [N=3]).

(J) Schematic of the mechanism of cell-volume regulation during the transition from SC to ME (\*p < 0.05, \*\*\*p < 0.001 from comparison of experimental means).

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**Figure 3. Tissue confinement quantifies how tissue-scale growth dynamics constrain cell growth** (A) We consider the growth dynamics of a portion of multicellular tissue with timedependent size  $A(t)$  with that of comprised of isolated cells of equal initial size,  $A_0$ . The population of individual cells grows exponentially  $A_u(t) \sim 2^{t/\tau}$ . The confinement, C, is measured by comparing the relative growth rates.

(B) Schematic of expanding colony system. Cell colony of initial size  $A_0$  expands at a constant radial velocity v such that, for a given time interval  $\Delta t$ , the radius increases by  $v\Delta t$ .  $(C)$  Cells are initially seeded into a PDMS well of defined size  $A_0$ . Then, this well is removed to initiate colony expansion.

(D) Cell Mask Orange staining in expanding MDCK colonies with two different initial sizes at  $\Delta t = 48$  h after removing the barrier. Overlay shows the initial size  $A_0$  (dashed circle) and

expansion vΔt (arrow). Arrows represent the average expansion radius across all colonies in the sample. Zoom in shows part of larger monolayer (white box).

(E) CellTrace Far Red staining of expanding MDCK colonies with variation in expansion rate from variation in WT dynamics and under FAK inhibition (500 nM PND-1186) Images are scaled differently for clarity and intensity is not comparable in these images.

(F) Quadratic growth models of colonies as a function of tissue area and expansion rate compared with a model of the exponential rate for single cells growing at the experimentally measured proliferation rate 15 h.

(G) Plot of the tissue confinement parameter, defined in the main text, calculated from comparing the model of colony growth rate to the model of single-cell growth rate. Curves show tissue confinement as a function of tissue area and expansion rate. Black points show confinement measurements from the experimentally determined area growth rate of expanding colonies at  $\Delta t = 48$  h (see STAR Methods). See also Figure S5.

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#### **Figure 4. Tissue confinement determines cell growth rate and signaling**

(A and B) Images of Cell Trace (A) and YAP (B) at  $\Delta t = 48$  h in expanding colonies with initial size, A<sub>0</sub>, varying from 0.8 to 7.1 mm<sup>2</sup>, subconfluent colonies and confluent condition of the Changes of Cell Trace (A) an initial size,  $A_0$ , varying from 0.8 to 7.1 mm<sup>2</sup>, subconfluent colonies and confluent conditions. In (A), overlay shows initial colony size  $A_0$  (dashed circle) and expansion  $v\Delta t$  (arrow). Note different scale bars in (A) and (B). (A and B) images of Cell Trace (A) and TAT (B) at  $\Delta t = +6$  if in expanding colonies<br>initial size, A<sub>0</sub>, varying from 0.8 to 7.1 mm<sup>2</sup>, subconfluent colonies and confluent coi<br>In (A), overlay shows initial colony size A<sub>0</sub>

presence and absence of 500 nM PND1186 (+FAKi) to illustrate the effect of changes in  $v\Delta t$ . (D) Quantification of cell growth and YAP signaling at varying tissue confinements with (C) CellTrace images of expanding monolayers with  $A_0 = 0.8$  mm at  $\Delta t = 48$  h in the presence and absence of 500 nM PND1186 (+FAKi) to illustrate the effect of changes in (D) Quantification of cell growth and YAP signali from one experiment (see STAR Methods). YAP activity is determined by the nuclear-tocytoplasmic ratio of anti-YAP intensity, quantified for >150 cells in each experiment. Growth is plotted against the time averaged confinement and YAP activity is plotted against the final confinement. Data are from 6 independent experiments (cell growth) and 3 independent experiments (YAP activity). cytoplasmic ratio of anti-YAP intensity, quantified for >150 cells in each experi-<br>Growth is plotted against the time averaged confinement and YAP activity is pl<br>against the final confinement. Data are from 6 independent

(F) Quantification of cell growth and fraction of cells in the S/G2/M cell-cycle states as a function of the average tissue confinement. Each data point is quantified from >3 colonies (F) Quantification of cell growth and fraction of cells in the S/G2/M cell-cycle states function of the average tissue confinement. Each data point is quantified from >3 co in a single experiment with A<sub>0</sub> = 0.8, 1.8, or independent experiments. See also Figure S11.

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#### **Figure 5. A G1 sizer arrests the cell cycle**

(A) Normalized cell-division rate as a function of cell volume in MDCK monolayers. Volume is calculated from cell areas multiplied by the average experimental height (see STAR Methods). Data are population averaged from 4 experimental replicates with >500 division events, error bar is SD of experimental replicates.

(B) Duration of cell cycle (violet) and S/G2/M (black) for MDCK cells as a function of cell size. Dotted violet line is a fit to the data in (A) to extract the cell-cycle duration. S/G2/M time are single-cell measurements from  $n = 82$  trajectories for cell cycle. Cell-cycle time data (violet points) are population averaged FUCCI measurements from 50 fields of view containing >100 cells from 1 experiment (see STAR Methods).

(C) Schematic of G1 sizer model: cells are simulated to grow at a constant rate, transition between cell-cycle states and divide. (1) Cells transition rapidly from G1 to S only when above a critical volume  $a$ , (2) cells have a set  $S/G2/M$  duration equal to time t that is

independent of size, and (3) cells have a variable growth rate, G, independent of the cell cycle.

(D) G1 Sizer models results of cell volume as function of time for two growth rates ( $G = 1$ ) and  $G = 0.05$ ).

(E) G1 Sizer model results of cell volume at division as a function of birth volume for  $G =$ 0.05, 2, 0.7, and 1. Dotted lines show a linear fit to the data (slope  $= 0, 0, 0.4$ , and 1). Each condition contains 400 simulation trajectories.

(F) Cell volume as a function of time for experimental data from Figure 2D (peach) and for (E) G1 Sizer model results of cell volume at division as a function of birth volume for  $G = 0.05, 2, 0.7$ , and 1. Dotted lines show a linear fit to the data (slope = 0, 0, 0.4, and 1). Each condition contains 400 simulati simulations, this is models with a growth rate quench from 1 to 0 at  $t = -10$  h. Data is mean cell volume, error bars are the standard deviation. Each time point in the experiment is the average of >10,000 cells from 30 fields of view. Each simulation time point is an average of >15,000 cells from 35 simulations. See also Figures S6–S8.



**Figure 6. Low cyclin D causes cell-cycle arrest in small cells** (A) Cell membranes of Tet-On p27 and Tet-On p27ck MDCK cells in ME + 4 days; dox Figure 6. Low cy<br>
(A) Cell membr<br>
added at  $t = 0$  h.<br>
(B) RNA sequer<br>
per million from

(B) RNA sequencing data from monolayers prepared in (A). Data are averaged transcripts per million from 3 experimental replicates. Inset: zoom in of genes in indicated box, cyclin D genes expression levels are highlighted in red.

(C) DNA staining and anti-cyclin D1 (cyD1) immunofluorescence staining in MDCK Page 40<br>(C) DNA staining and anti-cyclin D1 (cyD1) immunofluorescence staining in MDCK<br>monolayers at ME + 3 days. Dox is added at either  $t = 0$  (+dox p27) or at  $t = ME + 2$  days (delay +dox p27).

(D) Quantification of anti-cyD1 intensity from immunostaining data as a function of nuclear area. Intensity is normalized in each experiment to a maximum value of 1. P27/p27ck are monolayers with a mixture of Tet-On p27 and Tet-On p27ck cells. muclear area. Intensity is normalized in each experiment to a maximum value of 1.<br>P27/p27ck are monolayers with a mixture of Tet-On p27 and Tet-On p27ck cells.<br>(N<sub>+dox</sub> = 4, 564 [3], N<sub>pelay+dox</sub> = 7, 515 [2], N<sub>p27/p27ck</sub>

 $(N_{+dox} = 4, 564 [3], N_{Delay+dox} = 7, 515 [2], N_{p27/p27ck} = 11,080 [4]).$ 

(E) Labeled cell membranes in Tet-On cyclin D1 T286A T288A (CyDAA) MDCK

(F) Cell volume measured in resuspended Tet-On cyclin D1, Tet-On cyclin

D T286A T288A, and Tet-On 12sE1a cells at ME + 3 days without dox

(E) Labeled cell membranes in Tet-On cyclin D1 1286A 1288A (CyDAA,<br>monolayers at ME + 3 days without dox (-dox) or with dox added at t = (<br>F) Cell volume measured in resuspended Tet-On cyclin D1, Tet-On cycli<br>D T286A T288  $(n_{-dox} = 13, 513 \text{ [N = 10]}, n_{CVD} = 7, 240 \text{ [N = 2]}, n_{CydAA} = 9, 092 \text{ [N = 3]}, n_{E1a} = 6, 457 \text{ [N = 4]}) (*)$ 

0.05, \*\*p < 0.01 from comparison of experimental means). See also Figures S9 and S10.

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**Figure 7. Cells arrest near a minimum size set by genome volume** (A) Nuclear (red, Spy650-DNA) and membrane (white, Stargazin-halotag) staining of Tet-On cyclin D1 T286A T288A MDCK cell monolayers at ME + 3 days without dox (−dox) or Figure 7. Cells arrest near a minimum siz (A) Nuclear (red, Spy650-DNA) and me<br>On cyclin D1 T286A T288A MDCK ce<br>with dox added at  $t = 0$  (+dox CyDAA).<br>(B and C) Plots comparing nuclear volu<br>in conditions from (A) (-dox, +

(B and C) Plots comparing nuclear volume and cell volume measured from 3D imaging in conditions from (A) (−dox, +dox CyDAA) or in cell-cycle-inhibited conditions (−dox +palbo) or Tet-On p27 cells (+dox p27). +palbo is 1 μM palbociclib. (B) shows the correlation between the cell and nuclear volumes, while (C) show the ratio of these volumes. Gray regions indicate when nuclear volume is larger than cell volume (B, top left) or when chromatin density is higher than chromosomes (B, bottom; C, left). Error bars show SD of data ( $N_{-dox} = 1,405$  [2],  $N_{+dox\ cyDAA} = 4,207$  [2],  $N_{-dox + Palbo} = 390$  [1],  $N_{+dox\ p27} = 324$  [1]). (D) Monolayers in the same conditions as (A) immunostained for pS139 H2A.X (yH2A.X). Lines overlayed on images show nuclear segmentation from DNA staining. (E) Quantification of pS139 H2A.X foci from conditions in (D). Bar is the mean fraction of cells with >3 foci between 3 experimental replicates. Error bar is SD of experiment means  $(n_{ME-down} = 5, 813 [N = 3], n_{ME+dox\ CydAA} = 9, 127 [N = 3], n_{SC+dox\ CydAA} = 2,470 [N = 3]).$ (F) schematic summarizing cell-volume regulation in epithelium. (\*\*\*p < 0.001 from comparison of experimental means).

#### KEY RESOURCES TABLE



NucleoSpin RNA Purification Kit Macherey Nagel Cat# 740955





Dev Cell. Author manuscript; available in PMC 2023 September 27.

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