# Computer simulation of a cytosolic calcium oscillator

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A new interpretation of existing data permits us to define a model capable of accounting for agonist-induced  $Ca<sup>2+</sup>$ oscillations in the cytosol of electrically non-excitable cells. The model only requires one Ca<sup>2+</sup> store, which contains Ca<sup>2+</sup> channels controlled by inositol 1,4,5-trisphosphate and  $Ca^{2+}$ . Computer simulations may generate different experimentally observed patterns of  $Ca<sup>2+</sup>$  oscillations.

## INTRODUCTION

Discharge of internal  $Ca^{2+}$  stores in the cytosol of electrically non-excitable cells can be triggered by an elevated level of intracellular inositol 1,4,5-trisphosphate  $(IP_2)$  (Berridge & Irvine, 1989). As observed in single-cell systems, a continuous agonist stimulation of IP<sub>3</sub> formation may produce periodic Ca<sup>2+</sup> spikes with a frequency in the range of  $1-10/\text{min}$  (Berridge & Galione, 1988). The oscillatory pattern of the  $Ca<sup>2+</sup>$  response depends on the types of cell and agonist. For instance, in hepatocytes the frequency, but not the amplitude, is modulated by the vasopressin concentration (Woods et al., 1986), whereas in pancreatic acinar cells the amplitude increases with cholecystokinin concentration (Tsunoda et al., 1990).

Several models have been proposed to delineate feedback loops allowing  $Ca^{2+}$  oscillations (Berridge & Galione, 1988). However, the existence of a cytosolic  $Ca<sup>2+</sup>$  oscillator has been theoretically demonstrated in only two models (Meyer & Stryer, 1988; Goldbeter et al., 1990). Here another model, based on the interpretation of published experimental data, is analysed. Computer simulations demonstrate that this model can generate observed characteristics of the IP<sub>3</sub>-induced Ca<sup>2+</sup> response.

#### THEORY AND RESULTS

The proposed model defined in Scheme <sup>1</sup> is based on welldocumented facts (Berridge & Irvine, 1989). The interaction of an agonist with its receptor (R in Scheme 1) stimulates the hydrolysis of phosphatidylinositol 4,5-bisphosphate (PIP<sub>2</sub>) by the G (guanine-nucleotide-regulatory)-protein (G in Scheme 1) coupled phosphoinositidase C (PIC) and thus accelerates the formation of diacylglycerol (DAG) and  $IP<sub>3</sub>$  (reaction 1, Scheme 1). IP<sub>3</sub> is phosphorylated to inositol 1,3,4,5-tetrakisphosphate  $(\text{IP}_4)$  (reaction 3) by a 3-kinase (3-kin in Scheme 1), the  $V_{\text{max}}$  of which is increased by  $Ca^{2+}$  (reaction 4) (Takazawa et al., 1989). Both IP<sub>3</sub> and IP<sub>4</sub> are dephosphorylated by a 5-phosphatase (5-ph in Scheme 1) (reactions 2 and 9). Only two pools of  $Ca<sup>2+</sup>$  are considered, namely the cytosol and an IP<sub>3</sub>-sensitive store. Indeed,<br>in contrast with the other systems theoretically studied (Meyer & in contrast with the other systems theoretically studied (Meyer & Stryer, 1988; Goldbeter et al., 1990), our model will not require other sources of Ca<sup>2+</sup> to account for Ca<sup>2+</sup> oscillations. The identity of the  $IP_3$ -sensitive store is still uncertain, but, by definition, the membrane of such a vesicle contains  $IP<sub>3</sub>$  receptors which are linked to  $C_2$ <sup>2+</sup> channels. The efflux of  $C_2$ <sup>2+</sup> from the which are linked to  $Ca^{2}$  channels. The emax of  $Ca^{2}$  from the other





Further abbreviations: R, receptor; G, G-protein; 3-kin, 3-kinase;  $5$ -ph, 5-phosphatase.  $[+]$  and  $[-]$  stand for positive and negative

hand, the store is refilled by an ATP-driven  $Ca^{2+}$  pump (reaction  $\mathbf{a}$ 

On the basis of this first description (i.e. ignoring for the time being reactions 7 and 10), the kinetic equations describing the  $t_{\text{total}}$  reactions  $t_{\text{final}}$  and  $t_{\text{O}}$ , the kinetic equations describing the time courses of free cytosolic concentrations of  $IP_3$ ,  $IP_4$  and Ca are as follows:

$$
\frac{d[IP_3]}{dt} = v_1 - v_2 - v_3 f_4
$$
 (1)

Abbreviations used: IP<sub>3</sub>, inositol 1,4,5-trisphosphate; PIP<sub>2</sub>, phosphatidylinositol 4,5-bisphosphate; PIC, phosphoinositidase C; G-protein, guanine- $\Lambda_{\rm D}$  indicates regulatory protein;  $\mu_{\rm D}$ , including the regulatory protein;  $\Lambda_{\rm D}$  in the case of  $C_{\rm B}$ ;  $\mu_{\rm D}$  including the regulatory of  $C_{\rm B}$ ;  $\Lambda_{\rm D}$  is total amount of  $C_{\rm B}$ ; ISP3, inositol  $t_1$  triangled the extended of  $\sum_{i=1}^n$  and  $\sum_{i=1}^n$  in  $\sum_{i=1}^n$  and  $\sum_{i=1}^n$  in  $\sum_{i=1}^n$  and  $\sum_{i=1}^n$  and trisphosphothioate;  $\overline{ED}_{50}$ , effective dose producing half-maximal effect.<br>
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$$
\frac{\text{d[IP}_4]}{\text{d}t} = v_3 f_4 - v_9 \tag{2}
$$

$$
\frac{\mathrm{d}[\mathrm{Ca}^{2+}]}{\mathrm{d}t} = v_{5} f_{6} - v_{8}
$$
 (3)

 $v_i$  is the activity of an enzyme or channel involved in reaction  $i$ and acting on a certain component  $X \rightarrow \infty$  in Scheme 1).  $f_i$  is the fractional effect on reaction  $i$  of a component  $X$  due to the interaction described by reaction  $j$  (------  $\rightarrow$  in Scheme 1). It is assumed that the reactions obey the Hill equation and thus are characterized by an activity

$$
v = V/[1 + (K/[X])^h]
$$

or by an effect

$$
f = 1/[1 + (K/[X])^n]
$$

where  $V$ ,  $K$  and  $h$  are defined as maximal activity, effective dose producing half-maximal effect  $(ED_{50})$  and Hill coefficient respectively. The model assumes that the total amount of  $Ca<sup>2+</sup>$  $({[Ca<sup>2+</sup>]}_{tot})$  is constant and is distributed between the cytosolic pool and the  $IP_3$ -sensitive stores. Theoretical analysis shows that this model cannot generate  $Ca<sup>2+</sup>$  oscillations, despite the existence of the  $Ca^{2+}$  feedback loop (reaction 4). Only stable stationary states are obtained for any value of the kinetic parameters.  $T_{\text{tot}}$  such order to any value of the nature parameters.

Theoretical studies on the nature and multiplicity of stationary states came to the conclusion that stable oscillations may be produced by the adequate combination of a negative feedback and an autocatalytic process (Tyson, 1975). Now we will show that an autocatalytic process may be defined on the basis of the interpretation of published observations. Joseph et al. (1989) reported that the addition of Ca<sup>2+</sup> to a cerebellum microsomal preparation diminished both Ca<sup>2+</sup> efflux and IP<sub>3</sub> binding to the receptors. They suggested that cytosolic  $Ca^{2+}$  may contribute to  $Ca^{2+}$  oscillations by inhibiting the IP<sub>3</sub>-induced  $Ca^{2+}$  efflux, allowing the refilling of the stores. However, this interpretation is not supported by the mathematical analysis of the model, which again presents stable steady states (simulation not shown). Now it was shown in the same study that the uptake of  $Ca^{2+}$  by the vesicles is directly related to the external  $Ca^{2+}$  concentration. Thus another interpretation of the data is that  $Ca^{2+}$  efflux is inhibited by intra- rather than extra-vesicular  $Ca^{2+}$ , even in the submicromolar range, since this efflux must be corrected for the variable calcium load of the vesicle. This interpretation is supported by the study of Willems et al. (1990), which showed that the IP<sub>3</sub>-induced Ca<sup>2+</sup> efflux from vesicles preloaded with submicromolar concentrations of  $Ca^{2+}$  does not depend on the extravesicular  $Ca^{2+}$  concentration in the submicromolar range.<br>This proposed negative control of calcium efflux (reaction 7 in Scheme 1) may be viewed as an autocatalytic process, since a decrease of  $Ca<sup>2+</sup>$  concentration in the vesicle, and consequently an increase of free  $Ca^{2+}$  concentration, favours the  $Ca^{2+}$  efflux.

On the basis of this description, eqn.  $(3)$  becomes:

$$
\frac{\mathrm{d}[Ca^{2+}]}{\mathrm{d}t} = v_5 f_6/f_7 - v_8 \tag{3'}
$$

Even in the absence of any co-operativity in the considered reactions (i.e. all the Hill coefficients are equal to 1), the model may generate  $Ca^{2+}$  oscillations (Fig. 1), at least if the kinetics of Ca2+ movements across the vesicle membrane are faster than the kinetics of  $IP<sub>a</sub>$  metabolism. Sustained oscillations only appear at IP<sub>3</sub> production rates  $(v_1)$  between two critical values. When Ca<sup>2+</sup> movements are relatively slow, the oscillations exhibit a sinusoidal shape, with a period not obviously dependent on  $v<sub>1</sub>$  (Figs.  $1a-1c$ ). By contrast, the peak and baseline of the oscillation are both modulated by  $v_1$ . Fig. 1(c) is reminiscent of the Ca<sup>2+</sup> response observed with acinar pancreatic cells in the presence of 0.1  $\mu$ M-acetylcholine (Osipchuk et al., 1990). If Ca<sup>2+</sup> movements are relatively faster, the amplitude becomes independent of  $v_{1}$ , but an enlargement of the peak showing an unrealistic shape is of an emargement of the peak showing an univalistic shape is  $r_{\text{S}}$  and  $r_{\text{S}}$  a required cross-coupling between  $IP_3$  and  $Ca^{2+}$  to account for a cytosolic  $Ca^{2+}$  oscillator, but cannot generate certain oscillatory patterns which are experimentally observed.

It has been repeatedly reported that each cell of the same population is characterized by a unique and reproduction in the same  $\sigma$  of  $\sigma$  or  $\sigma$  oscillations described by the description and shape  $\sigma$ of oscillations described by their amplitude, frequency and shape (Kawanishi et al., 1989; Rooney et al., 1989; Tsunoda et al., 1990). This observed variability is probably a consequence of a high sensitivity of the  $Ca^{2+}$  response to intercellular variations of the value of kinetic parameters, which could be due to different cellular contents of certain effectors. Such a high sensitivity is present in control processes exhibiting positive co-operativity. It has to be noted that positive co-operativity has been introduced in both models previously proposed to account for  $Ca<sup>2+</sup>$  oscillations (Meyer & Stryer, 1988; Goldbeter et al., 1990). Interestingly, both IP<sub>3</sub> binding to the Ca<sup>2+</sup>-channel-linked receptor and Ca<sup>2+</sup> efflux exhibit a positively co-operative dependence on  $IP<sub>3</sub>$  concentration (Joseph et al., 1989; Willems et al., 1989; Meyer et al., 1990). The Hill coefficients deduced from these data are close to 2. [Incidentally, the Hill coefficient of 4 reported by Meyer et al.  $(1990)$  was not obtained by means of the Hill equation.] We have thus investigated how the oscillatory pattern is modulated by the introduction of positive co-operativity in different reactions of the model. In summary, positively co-operative inhibition of  $Ca^{2+}$  flux by intravesicular  $Ca^{2+}$  leads to an abrupt switch. between a phase of slow Ca<sup>2+</sup> increase and the sharp Ca<sup>2+</sup> spike.<br>The dependence of oscillation frequency on IP<sub>3</sub> production rate



Fig. 1. Oscillatory patterns of cytosolic  $Ca^{2+}$  obtained with the model defined by eqns. (1) and (3')

The kinetic equations were numerically integrated (fourth-order Runge-Kutta method with a step size of 0.001 min) using the following parameter values:  $[Ca^{2+1}]_{\text{tot}} = 1 \mu\text{m}$ ; basal  $v_1 = 1.75 \mu\text{m/min}$ ;  $v_2 = 37.5 \mu\text{m/min}$ ;  $K_2 = 25 \mu\text{m}$ ;  $v_3 = 45 \mu\text{m/min}$ ;  $K_3 = 0.6 \mu\text{m}$ ;  $K_4 = 1 \mu\text{m}$ ;  $v_5 = 1200 \mu\text{m/min}$ ;  $K_5 = 0.01 \mu\text{m}$ ;  $K_6 = 1.5 \mu\text{m}$ ;  $K_7 = 5 \mu\text{m}$ ;  $v_8 = 300 \mu\text{m/min}$ ;  $K_8 = 0.01 \mu\text{m}$ . All the Hill coefficients (h<sub>i</sub>) are equal to 1. The rate of IP<sub>3</sub> production was set to three different stimulated levels  $(a-c)$  during the indicated period.



Fig. 2. Oscillatory patterns of cytosolic  $Ca^{2+}$  and IP<sub>3</sub> obtained with the model defined by eqns. (1) and (3')

The kinetic equations were numerically integrated (fourth-order Runge–Kutta method with a step size of 0.002 min) using the following parameter<br>values:  $\text{ICa}^{2+1}$ ... = 1  $\mu$ M: basal  $v_s = 0.36 \mu$ M/min;  $v_s = 15 \mu$ M/min; Natures. [Ca  $I_{tot} = I \mu m$ , basal  $v_1 = 0.50 \mu m / \text{min}$ ,  $v_2 = 1.5 \mu m / \text{min}$ ,  $K_2 = 2.5 \mu m$ ,  $v_3 = 0.6 \mu m / \text{min}$ ,  $K_3 = 1.6 \mu m$ ,  $K_4 = 1.5 \mu m$ ,  $m_4 = 1.5 \mu m$ ,  $m_5 = 1.5 \mu m$ ,  $m_6 = 2.5 \mu m$ ,  $m_7 = 4.7 \mu m$ ,  $m_8 = 1.6 \mu m / \text{min}$ , as functions of  $v_1$ . (e) Simulation of the ISP<sub>3</sub> action in the basal condition ( $v_1 = 0.36 \mu\text{M/min}$ ), assuming that ISP<sub>3</sub> (0.6  $\mu\text{M}$ ) activates the Ca<sup>2+</sup> channel with the same  $ED_{50}$  as IP<sub>3</sub>. (f) Same as (e), except that ISP<sub>3</sub> does not activate the Ca<sup>2+</sup> channel, but completely inhibits the 5-phosphatase (v<sub>2</sub>)  $= 0 \mu M/min$ ).



Fig. 3. Oscillatory patterns of cytosolic  $Ca^{2+}$  obtained with the model defined by eqns. (1) and (3")

The kinetic equations were numerically integrated (fourth-order Runge-Kutta method with <sup>a</sup> step size of 0.0001 min) using the following The kinetic equations were numerically integrated (fourth-order Kunge-Kurta method with a step size of 0.0001 mm) using the step size of 0.0001 mm) and the step size of 0.0001 mm (x<sub>3</sub> = 5  $\mu$ M/mm;  $K_8 = 5 \mu$ M;  $h_8 = 120$  $\mu$ K = 0.0  $\mu$ M; h  $\mu$  = 0.1. All the other Hill coefficients (h) are equal to 1. (a) The rate of IP3 production was set to 8  $\mu$ M/min during the  $\mu$  $\sum_{i=1}^{\infty}$  Same as (c), except that  $\sum_{i=1}^{\infty}$  of  $\sum_{i=1}^{\infty}$  are equal to the set of  $\sum_{i=1}^{\infty}$  and blocked  $\sum_{i=1}^{\infty}$  in  $\sum_{i=1}^{\infty}$  of  $\sum_{i=1}^{\infty}$  and b = 1 (d).

without enlargement of the peak can be obtained if the activation of 3-kinase by the calcium-calmodulin complex is positively cooperative. Finally, the basal concentration of  $Ca^{2+}$  is more easily controlled if the activity of the ATP-driven pump exhibits positive co-operativity, as experimentally observed in sarcoplasmicreticulum vesicles (Inesi et al., 1980). Positive co-operativity has been simultaneously introduced in reactions 4, 6, 7 and 8 of the model (Scheme 1). The increase of  $v_1$  within the range of values for which Ca2+ oscillations are observed leads to a marked increase of frequency and to moderate changes of amplitude  $(F_{\text{res}} - 2a - d)$ . Fig. 2 also shows  $IP$  oscillations, which occur Figs.  $2a-a$ . Fig. 2 also shows in  $_3$  oscillations, which occur because of the cross-coupling between  $Ca^{2+}$  and IP<sub>3</sub>. Wakui *et al*. (1989) recently reported that the injection of the non-metabolizable IP<sub>3</sub> analogue inositol trisphosphothioate (ISP<sub>3</sub>) in a single cell may evoke regular spikes of  $Ca^{2+}$ , suggesting that  $Ca^{2+}$ oscillation does not depend on fluctuations in  $IP<sub>3</sub>$  concentration. However, this interpretation does not consider the possibility that, although the concentration of  $ISP_3$  is constant, endogenous

 $IP_3$  may accumulate and oscillate because  $ISP_3$  is a potent inhibitor of 5-phosphatase (Cooke et al., 1989), but not of 3kinase (Taylor et al., 1989). This interpretation is supported by simulation results, showing the oscillatory patterns obtained in the presence of  $ISP_3$  and with a basal rate of  $IP_3$  production. In Fig. 2(e), ISP<sub>3</sub> was assumed to activate the Ca<sup>2+</sup> channel without any significant inhibition of 5-phosphatase, whereas, in Fig.  $2(f)$ , ISP<sub>3</sub> was not capable of activating the Ca<sup>2+</sup> channel but was considered as a full inhibitor of the 5-phosphatase.

Recently, Hill & Boynton (1990) showed that the rate of  $Ca^{2+}$ sequestration in  $IP_3$ -sensitive stores is stimulated by  $IP_4$ . This control is introduced in the model by replacing eqn.  $(3')$  by:

$$
\frac{\mathrm{d}[Ca^{2+}]}{\mathrm{d}t} = v_5 f_6/f_7 - v_8 (f_{10} + b_{10})
$$
 (3")

where  $b_{10}$  is the IP<sub>4</sub>-independent contribution of the ATP-driven  $Ca<sup>2+</sup>$  pump. Fig. 3(*a*) shows that this model may generate a first high transient  $Ca^{2+}$  peak followed by oscillations with smaller, but increasing, amplitudes. This is due to the delayed accumulation if IP<sub>4</sub>, allowing a first complete discharge of  $Ca^{2+}$  because of the low rate of  $Ca^{2+}$  re-uptake. Such a pattern resembles the  $Ca<sup>2+</sup>$  oscillations induced by phenylephrine in hepatocytes (Kawanishi et al., 1989). Variability of intercellular oscillatory patterns have been tentatively simulated by varying some parameters of the model. A slight decrease (Fig.  $3b$ ) or increase (Fig.  $3c$ ) of the cellular Ca<sup>2+</sup> content may cause obvious modifications in the Ca<sup>2+</sup> response. Fig. 3(d) shows the pattern when the IP<sub>4</sub>independent activity of the  $Ca<sup>2+</sup>$  pump is increased.

# **DISCUSSION**

So far, only two models have been demonstrated to contain a cytosolic Ca<sup>2+</sup> oscillator. In the model of Meyer & Stryer (1988),  $Ca<sup>2+</sup>$  oscillations are essentially the consequence of PIC activation by free  $Ca^{2+}$  and of the existence of an infinite  $Ca^{2+}$  reservoir insensitive to  $IP<sub>a</sub>$ . However, numerical simulations may show that the baseline of the  $Ca^{2+}$  spikes is lower than the basal  $Ca^{2+}$ concentration obtained in the absence of extracellular stimulus.  $\mu$   $\mu$  above a certain stimulation column stimulation column stimulation  $\mu$ morcover, above a certain sumulation level, the oscinations merge into a stationary state equal to the basal level. Thus very low and very high stimulation levels lead to identical stable  $Ca<sup>2+</sup>$ con and very ingersummation levels fead to rachitect statute ca concentrations, whereas for intermediate summation revers  $\mathcal{C}^{\alpha}$ concentrations oscillate around the basal concentration. In this respect the model of Goldbeter et al.  $(1990)$  generates more realistic patterns of  $Ca^{2+}$  oscillations. The key feature of this latter model is the existence of an infinite extracellular  $Ca^{2+}$  reservoir and of a  $Ca^{2+}$ -induced  $Ca^{2+}$  release from IP<sub>2</sub>-insensitive stores. Thus this model cannot describe those systems which exhibit  $Ca<sup>2+</sup>$  oscillations in the absence of extracellular  $Ca<sup>2+</sup>$  (Yule & Gallacher, 1988; Tsunoda et al., 1990). Interestingly, it seems that  $Ca<sup>2+</sup>$  would have opposite actions on its release from stores sensitive or insensitive to  $IP<sub>3</sub>$  respectively. As proposed in our model, the negative control of  $Ca^{2+}$  efflux from IP<sub>2</sub>-sensitive stores would be better explained by the inhibiting action of intravesicular  $Ca^{2+}$ . This hypothesis seems to be also supported by the observed delayed action of  $Ca^{2+}$  injection in oocytes on IP<sub>3</sub>-induced membrane currents (Parker & Ivorra, 1990). This delay could be accounted for by the kinetics of  $Ca^{2+}$  uptake by

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the vesicle. However, direct experimental evidence in favour of the proposed mode of  $Ca^{2+}$  action is still lacking.

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