# INHERITANCE OF QUANTITATIVE CHARACTERS IN ZEA MAYS. I. ESTIMATION OF THE NUMBER OF GENES CONTROLLING THE TIME OF MATURITY

# ALY H. MOHAMED

Department of Genetics, Alexandria University, Alexandria, Egypt Received December 3, 1958

THE estimation of the number of gene pairs controlling quantitative characters is a great challenge to geneticists. While the study of discontinuous variations is relatively simple, that of continuous variations is complicated, since such a study is concerned with multiple factors, heterosis, dominance and the nature of the interactions between the genes differentiating these quantitative characters.

The method suggested by ANDERSON (1938) using chromosomal interchanges as tools for detecting the number of gene pairs controlling quantitative characters, and applied by BURNHAM and CARTLEDGE (1939), SABOE and HAYES (1942), MILLER (1951), IBRAHIM (1954) and MOHAMED (1954, 1956), will not reveal the type of gene interactions. The chromosomal interchanges used in such studies were not in an isogenic background, which limits the final conclusions. Therefore, the methods given by EMERSON and EAST (1913) and POWERS (1950a) are very adequate if the genetic and environmental variabilities are following the same scale of measurement and the gene effects are additive on such a scale.

POWERS, LOCKE and GARRETT (1950) suggested and described a method for estimating the number of genes controlling quantitative characters. This method is based on partitioning the backcrosses and  $F_2$  populations into their component genotypes. Also it involves the separation of environmental and genetic variances from the total variances with the purpose of determining the nature of all these variances. This can be accomplished from the three nonsegregating populations, namely,  $P_1$ ,  $F_1$ , and  $P_2$ , and the three segregating populations,  $B_1$  to  $P_1$ ,  $F_2$ , and  $B_1$  to  $P_2$ . The latter are essential in arriving at the entire genetic hypothesis.

The study in this paper will be limited to the estimation of the number of genes controlling the number of days from seeding to silking and pollen shedding. Also the number of gene pairs differentiating the two parents for the difference of days between silking and pollen shedding will be discussed. The time of maturity was used in these studies because of its importance in the production of hybrid corn, since differences between inbreds with respect to this character will affect the general output of the yield.

# MATERIAL AND METHOD

The hybrid populations were obtained from a cross between E.G. 102  $(P_1)$ , and E.G. 205  $(P_2)$  maize inbred lines, which were kindly furnished to the author by Dr. M. A. IBRAHIM of the Ministry of Agriculture, Egypt, U.A.R. The genetic

study of the experiment included  $P_1$ ,  $B_1$  to  $P_1$ ,  $F_1$ ,  $F_2$ ,  $B_1$  to  $P_2$ , and  $P_2$  populations. The field design of the experiment was a randomized complete block. Planting of the experiment started in the summer of 1955, at the University of Alexandria Experimental Farm. The above two inbreds were selected for this study because they are considered very promising in the Ministry of Agriculture program for producing hybrid corn for commercial use.

The dates of silking and pollen shedding were recorded once daily on the same plant. The means and the standard deviations were calculated to study the phenotypic dominance. The environmental and genetic variances were estimated according to the method suggested by POWERS (1942), and POWERS *et al.* (1950). In testing for the proper scale, the method discussed by POWERS *et al.* (1950) and POWERS (1951) was used.

### EXPERIMENTAL RESULTS

# 1. Silking date

One of the essential steps in studying any continuous character is to determine the type of scale of measurement which fits better the biological processes causing the variability.

It can be seen from Table 1 that neither the arithmetic scale (on an additive base) nor the logarithmic scale agreed with the obtained means. The mean values for the number of days from seeding to silking date showed that E.G. 102 (P<sub>1</sub>) had a mean of 65.73 days and E.G. 205 (P<sub>2</sub>) a mean of 67.68 days. The difference between the two inbred lines was 1.95 days with a P value of 0.01. The mean of E.G. 102 (P<sub>1</sub>) was slightly higher than that of the F<sub>1</sub> (64.95 days), but the difference was within the limits of variation expected due to the errors of random sampling. The mean of B<sub>1</sub> to P<sub>1</sub> (64.19 days) was less than the mean of P<sub>1</sub>, with a difference of 1.54 days. This difference was significant. However,  $\chi^2$  test showed that the frequency distribution of B<sub>1</sub> to P<sub>1</sub> was not significantly different from that of P<sub>1</sub> and F<sub>1</sub>, since  $\chi^2$  value was 13.0179 with a P value of .20–.10 (d.f. 8). Also "t" tests indicated that the mean of the F<sub>1</sub> did not differ significantly from the mean of B<sub>1</sub> to P<sub>1</sub>. From the above analysis it was concluded that phenotypic dominance was complete for fewer days over more days.

TABLE 1

The obtained and the calculated means on the basis of both arithmetic and logarithmic scales for the number of days from seeding to silking

Generation	$\overline{\mathbf{X}} \pm \mathbf{S}.\mathbf{D}.$	Arithmetic mean	Logarithmic mean	Number of individuals
P.	$65.73 \pm 3.05$	65.73	65.73	40
$\mathbf{B}_1$ to $\mathbf{P}_1$	$64.19 \pm 2.47$	65.34	65.34	122
$\mathbf{F}_{1}$	64.95 ± 3.33	66.70	66.69	39
$\mathbf{F}_2$	$65.19 \pm 3.12$	64.09	64.09	154
$\mathbf{B}_1$ to $\mathbf{P}_2$	$63.99 \pm 3.04$	66.31	66.29	J 147
$P_2$	$67.68 \pm 2.81$	67,68	67.68	40

714

The fact that the genetic variance (Table 2) of  $B_1$  to  $P_1$  was not significant and was very small compared with that of  $F_2$  and  $B_1$  to  $P_2$ , indicated that genic dominance was also complete.

Number of major gene pairs differentiating parents: On the basis of the segregating generations, the assumption was made that the two parents were differentiated by three major gene pairs. The indication that three major gene pairs were involved was arrived at from the fact that only 1.95 percent of the individuals in the  $F_2$  population fell in the class 65–69, whereas on a threefactor basis, 1.6 percent would be expected (Table 3). Also the indication was further supported by dividing 0.68 percent (class 72–75 of  $B_1$  to  $P_2$ ) by 7.70 percent (class 72–75 of  $F_1$ ) which gave a value of 8.83 percent. On a three-factor basis, a ratio of 12.5 percent would be expected.

When the theoretical means of  $F_2$  and  $B_1$  to  $P_2$  for one factor pair of genes, two pairs and three pairs were compared with the obtained means of these two populations (Table 4), it appeared that the calculations based on the hypothesis that the two inbred lines were differentiated by three major gene pairs was probably the best fit. Accordingly, the genotype of  $P_1$  (E.G. 102) was symbolized as *AABBCC* and of the  $P_2$  (E.G. 205) as *aabbcc*.

The  $B_1$  to  $P_1$  and  $B_1$  to  $P_2$  frequency distributions were partitioned into their component genotypes (Table 5). This partitioning will give the frequency distri-

Total Environmental Genetic Number of Population  $\overline{\mathbf{x}}$ S.D. variance variance variance individuals  $P_1$ 65.73 3.05 5.7886.345 - .557 40  $\mathbf{B}_1$  to  $\mathbf{P}_1$ 64.19 2.47 4.581 6.580 -1.999122 $\mathbf{F_1}$ 64.95 3.33 39 6.485 6.453 .033  $\mathbf{F}_2$ 65.19 3.12 9.538 6.430 3.108 154  $B_1$  to  $P_2$ 63.99 3.04 7.874 6.610 1.264 147  $\mathbf{P}_2$ 67.68 2.816.586 6.051 .535 40

The means, standard deviations, variances and number of individuals in each population for the number of days from seeding to silking

TABLE 3

Condensed frequency distribution for the number of days from seeding to silking in percentages

		С	lasses in percentag	es		Number of
Population	56-59	6063	64-67	68-71	72-75	individuals
P <sub>1</sub>	2.50	17.50	55.00	22.50	2.50	40
$\mathbf{B}_1$ to $\mathbf{P}_1$	2.46	40.17	49.18	8.20		122
F <sub>1</sub>	5.13	30.77	43.59	12.83 ·	7.70	39
F2	1.95	30.51	46.11	16.89	4,54	154
B, to P <sub>2</sub>	5.44	38.78	45.58	9.52	.68	147
$\mathbf{P}_2$		10.00	35.00	45.00	10.00	40

# A. H. MOHAMED

### TABLE 4

Theoretical values for the number of days from seeding to silking based on hypothesis that indicated the number of gene pairs differentiating the two inbreds

Number of	Mear	1 for	
gene pairs	F <sub>2</sub>	B <sub>1</sub> to P <sub>2</sub>	
 1	69.1	66.70	
2	65.82	69.10	
3	65.65	66.95	
Actual	$65.19 \pm 3.12$	$63.99 \pm 3.04$	

### TABLE 5

Partitioning of  $B_1$  to  $P_1$  and  $B_1$  to  $P_2$  frequency distribution into their component genotypes for the number of days from seeding to silking

	Row		Classe	s in perce	ntages		Theoretical
Population and genotype	no.	56-59	60-63	64-67	68-71	72-75	percentage
$B_1$ to $P_1$	1	2.46	40.17	49.18	8.20		100.00
$\mathbf{F}_1 + \mathbf{P}_1 (AaBbCc + AABBCC)$	<b>2</b>	.95	6.03	12.32	1.28	4.42	25.00
Row 1 row 2	3	1.51	34.14	36.86	6.92	-4.42	75.00
Row 3 on positive basis	4	1.51	34.14	36.86	2.50		75.00
Row 4 (100% basis)	5	2.01	45.52	49.15	3.33	·····	100.00
$\mathbf{F}_{1} (AaBbCc)$	6	5.13	30.77	43.59	12.83	7.70	12.50
$\mathbf{P_1}$ (AABBCC)	7	2.50	17.50	55.00	22.50	2.50	12.50
B <sub>1</sub> to P <sub>2</sub>	8	5.44	38.78	45.58	9.52	.68	100.00
$\mathbf{F_1} + \mathbf{P_2} (AaBbCc + aabbcc)$	9	.64	5.10	9.82	7.23	2.21	25.00
Row 8 row 9	10	4.80	33.68	35.76	2.29	-1.53	75.00
Row 10 on positive basis	11	4.80	33.68	35.76	.76		75.00
Row 11 (100% basis)	12	6.40	44.91	47.68	1.01		100.00
$\mathbf{F}_{1}$ (AaBbCc)	13	5.13	30.77	43.59	12,83	7.70	12.50
$\mathbf{P}_{2}$ (aabbcc)	14		10.00	35.00	45.00	10.00	12.50

bution for the different genotypes in the  $B_1$  to  $P_1$  and  $B_1$  to  $P_2$  populations. Following the partition, a theoretical frequency distribution for the  $F_2$  genotypes could be calculated. Twenty-seven genotypes would be expected in the  $F_2$  generation. However, the following genotypes of the  $F_2$  do not occur in either of the two backcross populations.

# Group I

AA	BB	cc	Aa	BB	cc
AA	Bb	cc	Aa	bb	CC
AA	bb	CC	aa	BB	CC
AA	bb	Cc	aa	Bb	Cc

# Group II

AA	bb	cc	AA	bb	cc
aa	BB	сс			

It can be seen that group I had two nonallelic dominant genes, while group II had only one dominant gene. The frequency distribution of the group I genotypes could be calculated by taking 66.67 percent of the  $P_1$  distribution and 33.33 percent of the  $P_2$  distribution (SINGH 1949). The frequency distribution of group II could be calculated by adding both the distributions of group I and  $P_2$ , then dividing by two, since this group, i.e., group II, lies between both frequencies. This was based on the assumption that complete genic and phenotypic dominance exist. Table 6 gives the theoretical frequency distributions of the  $F_2$  generation based on the above assumption.

The  $F_{2}$  generation frequency distribution partitioned into its component genotype on the basis of three-factor pairs for the number of days from seeding to silking

Popt	lation and		Clas	ses in percen	tages		Theoretical
ge	notype	56-59	6063	64-67	68-71	72-75	percentage
1.	AABBCC	2.50	17.50	55.00	22.50	2.50	1.5625
2.	AABBCc	2.01	45.52	49.15	3,33		28.1250
3.	AABbCC						
4.	AABbCc						
5.	AaBBCc						
6.	AaBbCC						
7.	AaBBCC						
8.	AaBbCc	5.13	30.77	43.59	12.83	7.70	12.5000
9.	Aabbcc	6.40	44.91	47.68	1.01		28.1250
10.	AaBbcc						
11.	Aabbcc						
12.	aabbCc						
13.	aaBbcc						
14.	aaBbCc						
15.	AaBBcc	1.67	15.00	48.34	30.00	5.00	23.4375
16.	AAbbCC						
17.	AAbbCc						
18.	AABBcc						
19.	AABbcc						
20.	aaBBCC						
21.	aaBBCc						
22.	aaBbCC						
23.	AabbCC						
24.	aabbCC	.84	12.50	41.67	37.50	7.50	4.6875
25.	aaBBcc						
26.	AAbbcc						
27.	aabbcc		10.00	35.00	45.00	10.00	1.5625
$\mathbf{F}_2$	population	3.48	33.82	47.38	12.67	2.68	

### A. H. MOHAMED

The  $\chi^2$  test for goodness of fit between the obtained and the theoretical  $F_2$ frequency distributions gave a  $\chi^2$  value of 5.2938 with a P value lying between 0.20 and 0.10 (Table 7), indicating a good fit and supporting the hypothesis that the two parents were differentiated by three major gene pairs with respect to silking date.

# 2. Pollen shedding

The mean values for the number of days from seeding to pollen shedding showed that  $P_1$  (E.G. 102) and  $P_2$  (E.G. 205) had mean values of 62.68 and 66.57 days respectively (Table 8).

The  $F_1$  cross between the two parents gave a mean value of 62.20 days, which was somewhat lower than that of P<sub>1</sub>, but the difference was insignificant. This fact indicated a complete phenotypic dominance of fewer days over more days. If this were true, then the  $B_1$  to  $P_1$  mean should not differ significantly from the means of either  $P_1$  or  $F_1$ . This was found to be true with respect to  $F_1$  vs.  $B_1$  to  $P_1$ , but not with  $P_1$  vs.  $B_1$  to  $P_1$ . However, since  $B_1$  to  $P_1$  gave a mean value less than  $B_1$  to  $P_2$ , then the conclusion would be justified as to the presence of complete

			Classes			Number of
Population	56-59	60-63	6467	68-71	72-75	individuals
		I	n percentag	es		
Obtained	1.95	30.51	46.11	16.89	4.54	154
Calculated	3.48	33.82	47.38	12.67	2.68	154
			In numbers			
Obtained	3	47	71	26	7	154
Calculated	5.36	52.08	72.97	19.51	4.13	154
$\chi^2 = 5.2938$ P .2010	d.f. = 3 (t were grou	he last two c uped in one)	lasses on the	e left		

TABLE 7

the  $F_{g}$  population for the number of days from seeding to silking based on the assumption that the parents were differentiated by three gene pairs

Chi-square for goodness of fit between the obtained and the theoretical frequency distributions of

The means, standard deviations, variances and number of individuals in each population for the number of days from seeding to pollen shedding

Population	$\overleftarrow{X} \pm S.D.$	Total variance	Environmental variance	Genetic variance	Number of individuals
$\mathbf{P}_{1}$	$62.68 \pm 2.08$	3.4067	3.1679	.2388	38
$\mathbf{B}_1$ to $\mathbf{P}_1$	$61.61 \pm 2.05$	3.6264	2.7932	.8332	126
$\mathbf{F}_{1}$	$62.20 \pm 1.80$	3.1142	2.9998	.1144	35
$\mathbf{F}_2$	$62.88 \pm 2.53$	6.2577	3.2380	3.0197	139
$B_1$ to $P_2$	$63.18 \pm 2.60$	6.3635	3.3430	3.0205	132
P <sub>2</sub>	$66.57 \pm 2.43$	4.1771	4.5302	3531	46

phenotypic dominance. The justification was arrived at by comparing the frequency distributions of the three populations, namely  $P_1$ ,  $F_1$ , and  $B_1$  to  $P_1$ .  $\chi^2$  test gave a value of 1.6177 with a P value of .50–.30 (d.f. 2).

By studying both the total variances and the genetic variances for  $P_1$ ,  $F_1$  and  $B_1$  to  $P_1$ , it can be seen that the total variances did not differ significantly from each other and were less than those of  $F_2$  and  $B_1$  to  $P_2$ . This supported the assumption of the occurrence of phenotypic dominance. By studying the genetic variances for the six populations it can be seen that the genetic variances of both  $F_2$  and  $B_1$  to  $P_2$  were much higher than  $B_1$  to  $P_1$ , which indicated complete genic dominance.

Number of major gene pairs differentiating parents: On the basis of the segregating generations, Table 9, it was suggested that the parents were differentiated by two major gene pairs. This was arrived at from the fact that dividing 18.19 percent (class 66–74 of  $B_1$  to  $P_2$ ) by 77.14 percent (class 61–65 of  $F_1$ ) gave a value of 23.58 percent, whereas on a two-factor basis a ratio of 25 percent would be expected. Also the indication was arrived at from the fact that only 10.88 percent of the individuals in the  $F_2$  population fell in the class 66–74, whereas 6.25 percent would be expected on the basis of two factors. When the theoretical means of  $F_2$  and  $B_1$  to  $P_2$  for one factor gene pair, two and three pairs were compared with the obtained means of these two populations (Table 10), it appeared that the calculation based on the hypothesis that the two inbreds were differentiated by two major gene pairs was the fit.

		Classes in percentag	es	
Population	. 56-60	61-65	66-74	Number of individuals
P_1	21.05	78.95		38
$\mathbf{B}_1$ to $\mathbf{P}_1$	30.16	69.84		126
F,	22.86	77.14		35
$\mathbf{F}_{2}$	20.83	68.28	10.88	139
B, to P.	16.67	65.15	18.19	132
$P_2$		34.78	65.22	46

Condensed frequency distribution for the number of days from seeding to pollen shedding in percentage

TABLE 10

Theoretical values for the number of days from seeding to pollen shedding based on hypothesis that indicated the number of gene pairs differentiating the two inbreds

Number of	Mea	Mean for			
gene pairs	$\overline{F_2}$	B <sub>1</sub> to P <sub>2</sub>			
 1	63.65	64.63			
2	62.91	63.53	Acres 4		
3	62.80	63.17			
Actual	$62.88 \pm 2.53$	$63.18 \pm 2.60$			

Following this, the backcrosses were partitioned into their component genotypes, Table 11.

Following this partition, a theoretical frequency distribution could be calculated for the  $F_2$  population, Table 12. The  $\chi^2$  test for goodness of fit between the theoretical and the obtained  $F_2$  frequency distributions gave a  $\chi^2$  value of .5469 with a P value of .80–.70 (d.f. 2) indicating a good fit and supporting the hypothesis that the two parents were differentiated by two major gene pairs, Table 13.

# 3. The difference in days between silking and pollen shedding

From the mean values given in Table 14, it can be seen that inbred E.G. 102  $(P_1)$  started shedding pollen 2.48 days, on the average, before silking. Mean-

# TABLE 11

Partitioning of  $B_1$  to  $P_1$  and  $B_1$  to  $P_2$  frequency distributions into their component genotypes for the number of days from seeding to pollen shedding

	Classes in percentages					Theoretical
Population and genotype	Row	56-60	61-65	66-70	71-74	percentage
$B_1$ to $P_1$	1	30.16	69.84			100.00
$\mathbf{F}_{1} + \mathbf{P}_{1} (AaBb + AABB)$	2	10.98	39.03			50.00
Row 1 — row 2	3	19.18	30.81			50.00
Row 3 (100% basis)	4	38.37	61.63			100.00
$\mathbf{F}_{1} (AaBb)$	5	22.86	77.14			25.00
$\mathbf{P}_{1}(AABB)$	6	21.05	78.95			25.00
$\mathbf{B}_1$ to $\mathbf{P}_2$	7	16.67	65.15	16.67	1.52	100.00
$F_1 + P_2 (AaBb + aabb)$	8	5.72	27.99	14.68	1.63	50.00
Row 7 - row 8	9	10.95	37.16	1.99	11	50.00
Row 9 on a positive basis	10	10.95	37.16	1.88		50.00
Row 10 (100% basis)	11	21.90	74.32	3.76		100.00
$\mathbf{F}_1 (AaBb)$	12	22.86	77.14			25.00
$\mathbf{P}_2$ (aabb)	13	•••••	34.78	58.70	6.52	25.00

The  $F_2$  frequency distribution partitioned into its component genotypes on the basis of two-factor pairs for the number of days from seeding to pollen shedding

Population and genotype		Theoretical			
	56-60	61-65	66-70	71-74	percentag
AABB	21.05	78.95			6.25
AaBB	30.16	69.84			25.00
AABb					
AaBb	22.86	77.14			25.00
AAbb	16.67	65.15	16.67	1.52	12.50
aaBB					
Aabb	16.67	65.15	16.67	1.52	25.00
aaBb					
aabb		34.78	58.70	6.52	6.25
F.	20.83	68.28	9.91	.97	

while, in the inbred E.G. 205  $(P_2)$ , the differences were 1.50 days. The magnitude of the difference between the two parents was .98 days. This difference was shown to be highly significant.

The means of  $P_1$ ,  $F_1$  and  $B_1$  to  $P_1$  were approximately the same. These means indicated complete phenotypic dominance of longer duration between silking and pollen shedding. The total variances of the three populations,  $P_1$ ,  $F_1$ , and  $B_1$  to  $P_1$ were approximately the same, indicating complete genic dominance.

Number of gene pairs differentiating the two parents: The assumption was made that the two parents were differentiated by one major gene pair. This assumption was reached from the fact that only 28.29 percent of the individuals in the  $F_2$  population fell in the class 0–1, whereas, on a one gene pair, 25 percent would be expected (Table 15). The assumption was also arrived at by dividing 48.97 percent (class 2 or more of  $B_1$  to  $P_2$ ) by 76.46 percent (the same class for  $F_1$ ) which gave a value of 64.05 percent. On the basis of one pair of genes, a 50 percent value would be expected.

On the assumption that one gene pair was responsible for the difference between silking and pollen shedding in the two parents, where  $P_1$  was the dominant one, it would be expected that the frequency distributions of the three

TABLE 13

Chi-square test for goodness of fit between the obtained and theoretical  $F_{g}$  frequency distributions for the number of days from seeding to pollen shedding based on the assumption that the two inbreds are differentiated by two gene pairs

	- <del> </del>				<u> </u>	
		Classes				
Population	56-60	61-65	66-70	71-74		
		In perc	entages			
Obtained	26	96	17	•	139	
Calculated	20.83	68.28	19.91	.97	139	
		In nu	mbers			
Obtained	26	96	17	••••••	139	
Calculated	28.95	94.91	13.77	1.35	139	
$v^2 = .5469$ d	$f_{1} = 2$ $P = .807$	70 (last two cla	sses on left we	re grouped in one	2)	

The means, standard deviations, the variances and the number of individuals in each population for the difference in days between silking and pollen shedding

Population	$\vec{\mathbf{X}} \pm \mathbf{S}.\mathbf{D}.$	Total variance	Environmental variance	Genetic variance	Number of individuals
P <sub>1</sub>	$2.48 \pm 1.12$	1.2707	1.1598	.1109	33
B <sub>1</sub> to P <sub>1</sub>	$2.46 \pm 1.25$	1.4349	1.1628	.2721	113
F,	$2.41 \pm 1.13$	1,3450	1.1704	.1746	34
F.	$2.55 \pm 1.58$	2.5258	1.1492	1.3766	152
<b>B</b> <sub>1</sub> to <b>P</b> <sub>2</sub>	$1.54 \pm 1.25$	1.4522	1.3020	.1502	145
P <sub>2</sub> 2	$1.50 \pm 1.06$	1.0226	1.3081		36

#### A, H, MOHAMED

### TABLE 15

	Classes in percentages		Number of	
Population	0-1	2-more	individuals	
 P <sub>1</sub>	9.09	90.90	33	
$\mathbf{B}_1$ to $\mathbf{P}_1$	21.24	78.75	113	
F,	23.52	76.46	34	
$\mathbf{F}_{a}$	28.29	71.71	152	
$\tilde{B_1}$ to $P_2$	51.03	48.97	145	
P, Ž	52.78	47.22	36	

Condensed frequency distribution, in percentage, for the differences in days between silking and pollen shedding

populations, P<sub>1</sub>, F<sub>1</sub>, and B<sub>1</sub> to P<sub>1</sub>, would be the same or differ within the limits of random sampling. This was found to be the case, since  $\chi^2$  value was 2.8532 which gave a P value of .30–.20 (d.f. 2).  $\chi^2$  tests for goodness of fit for the ratio 3:1 in the F<sub>2</sub> population gave a P value of .50–.30. Also the  $\chi^2$  test for the ratio 1:1 in the B<sub>1</sub> to P<sub>2</sub> population gave a P value of .90–.80. All these supported the hypothesis that the difference between the two parents was governed by a major gene pair.

### DISCUSSION AND CONCLUSION

The development of an organ or an organism involves an organized system of interrelated and interdependent physiological processes, the end result of which is the manifestation of the phenotypic character. In this system the effects of most genes are integral parts (WRIGHT 1934). In such studies it was necessary to recognize both phenotypic and genic dominance. Phenotypic dominance was determined by studying the means of the two parents and the mean of the  $F_1$  generation. This relation could be checked by studying the mean of the backcross to the dominant parent. Genic dominance was determined from studying the means, variances and phenotypes of the different genotypes. However, it should be realized that dominance is a relative phenomenon and its manifestation differs according to the genic background of the different gene combinations (FISHER 1931; WRIGHT 1934; DOBZHANSKY and HOLZ 1943).

"Fewer" days from seeding to silking and to pollen shedding showed complete phenotypic dominance over "more" days. The genetic variance indicated also complete genic dominance. SINGH (1949) found complete phenotypic and genic dominance for fewer days in the squash from seeding to opening of the first male and the first female flower. The same thing was reported by POWERS (1941) in tomatoes. It was found from these studies that silking date was determined by at least three major gene pairs by which the two inbred lines were differentiated. The number of days from seeding to pollen shedding was found to be governed by at least two major gene pairs. The difference in days between pollen shedding and silking indicated complete phenotypic and genic dominance for longer duration with at least one major gene pair controlling the difference.

The author, in 1954, by using chromosomal interchanges in maize, reported at

least two gene pairs responsible for the number of days from seeding to silking and at least three gene pairs for the number of days from seeding to pollen shedding. He concluded that since his observations were made on the same plants, and since only two of the genes indicated by the associations in pollen shedding studies were in the same arm as those for silking date, it appeared that not all the genes controlling pollen shedding and silking dates were the same.

Later the author, in 1956, in his studies on the effect of environment on gene segregation, using the same material used in 1954, reported that at least two major gene pairs controlled silking date and that one major gene pair controlled pollen shedding date under Alexandria, Egypt, conditions. The author concluded that the gene controlling pollen shedding date could be the same as that controlling silking date but the other gene which was found to be present in silking date could act as a differential one.

In the present studies, it can be stated that in the early stages of development, two major gene pairs would be responsible for pollen shedding and silking dates. However, a third gene probably interacts with the other two genes on the female side, i.e., silking date, and causes the silk appearance to be delayed more than that of pollen shedding. This conclusion can support that reported earlier by the author, i.e., the two characters are not the same but some genes are common to both. This can by no means be considered conclusive until more linkage data are available.

This finding should be of considerable importance to maize breeders who are breeding for earliness. If we consider what the author reported in 1954 and 1956, we could assume that the three genes are independent. Therefore, the breeder can combine earliness in his varieties since it is somewhat simply inherited. This earliness is essential in the northern parts of Egypt where the corn borer is abundant in August. Thus, earlier varieties will have a better chance to escape the damage done by this pest.

# SUMMARY

1. The maize inbred line (E.G. 102) was crossed to the inbred (E.G. 205) raised by the Ministry of Agriculture, Egypt, in its program for producing hybrid corn.

2. By using the partitioning method suggested by POWERS (1942) and POWERS *et al.* (1950) it was possible to estimate the number of gene pairs controlling the number of days from seeding to silking and pollen shedding.

3. The number of days from seeding to silking and the number of days from seeding to pollen shedding were differentiated by three and two major gene pairs, respectively.

4. The differences in days between silking and pollen shedding was found to be governed by one major gene pair.

5. There was complete phenotypic and genic dominance for fewer days from seeding to silking and from seeding to pollen shedding, as well as for the longer duration of the difference in days between silking and pollen shedding.

#### A. H. MOHAMED

### LITERATURE CITED

ANDERSON, E. G., 1938 Translocations in maize involving chromosome 9. Genetics 23: 307-313.

- BURNHAM, C. R., and J. L. CARTLEDGE, 1939 Linkage relations between smut resistance and semisterility in maize. J. Am. Soc. Agron. **31**: 924–933.
- DOBZHANSKY, TH., and A. M. HOLZ, 1943 A re-examination of the problems of manifold effects of genes in *Drosophila melanogaster*. Genetics **28**: 295–303.
- EMERSON, R. A., and E. M. EAST, 1913 The inheritance of quantitative characters in maize. Nebraska Univ. Agr. Exp. Sta. Research Bull. 2.
- FISHER, R. A., 1931 The evolution of dominance. Biol. Rev. 6: 345-368.
- GOLDSCHMIDT, R., 1938 Physiological Genetics. McGraw-Hill Book Company, Inc. New York and London.
- IBRAHIM, M. A., 1954 Association tests between chromosomal interchange in maize and resistance to the European corn borer. Agron. J. 46: 293–298.
- MILLER, P. A., 1951 Use of chromosomal interchanges for investigating the inheritance of oil in corn kernel. Agron. J. 43: 229–234.
- Монамер, A. H., 1954 Association tests between chromosomal interchanges in maize and tender pericarp in sweet corn. Ph.D. Thesis, Univ. of Minnesota.
  - 1956 The use of chromosomal interchanges in locating the genes controlling some agronomical characters in maize. Alexandria J. Agr. Research 4: 69–84.
- POWERS, L., 1939 Studies on the nature of the interactions of the genes differentiating quantitative characters in a cross between Lycopersicon esculantune and Lycopersicon pimpinellifolium. J. Genet. 39: 139–190.
  - 1941 Inheritance of quantitative characters in crosses involving two species of Lycopersicon. J. Agr. Research **63**: 149–174.
  - 1942 The nature of the series of environmental variances and the estimation of the genetic variances and the geometric means in crosses involving species of Lycopersicon. Genetics **27**: 561-575.
  - 1950a Gene analysis of weight per locule in tomato hybrids. Botany Gaz. 112: 163-174.
  - 1950b Determining scales and the use of transformations in studies on weight per locule of tomato fruit. Biometrics 6: 145-163.
  - 1951 Gene analysis by the partitioning method when interactions of genes are involved. Botanical Gazette 113: 1-23.
- POWERS, L., L. F. LOCKE, and J. C. GARRETT, 1950 Partitioning method of genetic analysis applied to quantitative characters of tomato crosses. U.S. Dep. Agr. Tech. Bull. 998:
- SABOE, L. C., and H. K. HAYES, 1941 Genetic studies of reactions to smut and firing in maize by means of chromosomal translocations. J. Am. Soc. Agron. 38: 463-470.
- SINGH, D., 1949 Inheritance of certain economic characters in the squash, Cucurbita maxima Duch. Univ. Minn. Agr. Exp. Sta. Tech. Bull. 186.
- WRIGHT, S., 1934 Physiological and evolutionary theories of dominance. Am. Naturalist 48: 24-53.