

# Slow volume transients in amphibian skeletal muscle fibres studied in hypotonic solutions

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The influence of extracellular hypotonicity on the relationship between cell volume ( $V_c$ ) and resting membrane potential ( $E_m$ ) was investigated in *Rana temporaria* skeletal muscle.  $V_c$  was measured by confocal microscope imaging of fibres through their transverse ( $xz$ ) planes, and  $E_m$  was determined using standard microelectrode techniques. Hypotonic solutions first elicited a rapid increase in fibre volume,  $\Delta V_{R+}$  that fulfilled expectations of simple osmotic behaviour described in earlier reports. However, this was consistently followed by a slow increase in  $V_c$  ( $\Delta V_{S+}$ ) to 10–15% above osmotic predictions. Longer (>1 h) exposures to hypotonic solutions permitted a subsequent slow decrease in  $V_c$  ( $\Delta V_{S-}$ ), the eventual magnitude of which exceeded that of the preceding  $\Delta V_{S+}$ . Restoration of isotonic conditions elicited a prompt recovery in  $V_c$  that matched simple osmotic predictions and thus left a net change in  $V_c$ . Such alterations in  $V_c$  attributable to  $\Delta V_{S+}$  then gradually reversed, while those due to  $\Delta V_{S-}$  persisted. Both  $\Delta V_{S+}$  and  $\Delta V_{S-}$  persisted under conditions of  $\text{Cl}^-$  deprivation. The depolarization of  $E_m$  that accompanied  $\Delta V_{R+}$  was consistent with dilution of intracellular  $[\text{K}^+]_i$ .  $E_m$  did not significantly alter during the subsequent  $\Delta V_S$  transients. These empirical features of  $\Delta V_{S+}$  and  $\Delta V_{S-}$  were analysed using the quantitative charge-difference model of Fraser and Huang, published in 2004. This attributed the  $\Delta V_{S+}$  to an electroneutral increase in the effective osmotic activity of normally membrane-impermeant intracellular anions. In contrast, the  $\Delta V_{S-}$  could only be explained by an efflux of such anions and was accordingly comparable to organic anion-dependent regulatory volume decreases reported in other cell types.

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Skeletal muscle shows significant changes in both intracellular and extracellular osmolarity during both exercise and a variety of disease states. For example, exhaustive exercise can markedly increase intracellular lactate concentration and increase muscle fibre volume ( $V_c$ ) by up to 20% (Sjogaard *et al.* 1985). Yet while most cell types perform regulatory volume decreases (RVD) in response to swelling (reviewed by Lang *et al.* 1998a), RVD has not been demonstrated in mature skeletal muscle (Sejersted & Sjogaard, 2000). Conversely, the steady-state  $V_c$  of muscle fibres decreases linearly with increases in extracellular tonicity (Adrian, 1956; Blinks, 1965; Ferenczi *et al.* 2004). In  $\text{Cl}^-$ -depleted frog skeletal muscle these decreases in  $V_c$  were accompanied by shifts in resting membrane potentials ( $E_m$ ) that followed expectations from the corresponding increases in intracellular potassium concentration ( $[\text{K}^+]_i$ ) and the  $\text{K}^+$  Nernst equation (Adrian, 1956).

However, recent investigations of the response of skeletal muscle to extracellular hypertonicity in more

physiological  $\text{Cl}^-$ -containing Ringer solutions (Geukes Foppen *et al.* 2002; Ferenczi *et al.* 2004) demonstrated more complex relationships between  $E_m$  and  $V_c$ . In contrast to the hyperpolarization of muscle fibres following fibre shrinkage, where  $\text{K}^+$  was the only significantly membrane-permeant ion (Adrian, 1956), similar osmotic reductions in  $V_c$  in such  $\text{Cl}^-$ -containing solutions produced little change in  $E_m$ . This stabilization of  $E_m$  despite an increased  $[\text{K}^+]_i$  appeared to result from elevation ('splinting') of  $[\text{Cl}^-]_i$  above its electrochemical equilibrium concentration by the activity of cation– $\text{Cl}^-$  cotransport systems, including the  $\text{Na}^+$ – $\text{K}^+$ – $2\text{Cl}^-$  cotransporter (NKCC; Geukes Foppen *et al.* 2002; Ferenczi *et al.* 2004). Thus, whereas the activity of such ion transporters is responsible for regulatory volume increase (RVI) in many other cell types (Lang *et al.* 1998a; Russell, 2000), it appears to regulate  $E_m$  without significant influence upon  $V_c$  in skeletal muscle exposed to hypertonic solutions. Subsequent modelling showed that the high  $\text{Cl}^-$  permeability ( $P_{\text{Cl}}$ ) of skeletal muscle precluded a

significant effect of cation–Cl<sup>-</sup> cotransport systems upon  $V_c$  without a far greater influence upon  $E_m$ . In addition, any such changes to  $V_c$  or  $E_m$  would reverse on cessation of the cation–Cl<sup>-</sup> cotransport activity, in contrast to the sustained changes to  $V_c$  and/or  $E_m$  that could result from changes to intracellular impermeant anion content ( $X_i$ ) and/or its effective mean valency ( $z_X$ ; Fraser & Huang, 2004).

The present experiments complement those recent studies of the effects of extracellular hypertonicity upon the relationship between  $V_c$  and  $E_m$  (Ferenczi *et al.* 2004) by an examination of the effects of extracellular hypotonicity on this relationship, using measurements of  $V_c$  obtained using confocal  $xz$ -plane imaging and of  $E_m$  using standard microelectrode techniques. The findings were then analysed in terms of a recent model (Fraser & Huang, 2004) that clarified the relationship between  $V_c$  and  $E_m$  and described the possible mechanisms for their control in skeletal muscle.

## Methods

All solutions were titrated to pH 7.0 (as measured with a combination pH electrode) and their osmolarities ( $\theta$ ) measured using a standard, calibrated vapour pressure osmometer. All experiments were conducted at 20–22°C. The control, isotonic, solutions used were: (A) standard Cl<sup>-</sup>-containing Ringer solution (mM): 115 NaCl, 2.5 KCl, 1.8 CaCl<sub>2</sub>, 3 Hepes,  $\theta$  227 mosmol l<sup>-1</sup>; (B) standard SO<sub>4</sub><sup>2-</sup> Ringer solution: 75 Na<sub>2</sub>SO<sub>4</sub>, 1.25 K<sub>2</sub>SO<sub>4</sub>, 8 CaSO<sub>4</sub>, 3 Hepes,  $\theta$  225 mosmol l<sup>-1</sup>. The compositions of the hypotonic test solutions were identical to those of either solution A or B apart from a reduction in the concentration of the principal solute (NaCl or Na<sub>2</sub>SO<sub>4</sub>). The isotonic test solutions, which were used to control for the reduced extracellular ion concentrations in the hypotonic test solutions, contained extracellular ion concentrations that matched those in the corresponding hypotonic solutions, but additionally contained sufficient sucrose to render their tonicities equal to the isotonic control solutions.

Sartorius and cutaneous pectoris muscles from cold-adapted *Rana temporaria* frogs (Blades Biological, Edenbridge, Kent, UK) previously killed by concussion followed by pithing (Schedule 1: Animals (Scientific Procedures) Act, Home Office, UK), were dissected in solution A. Several studies have reported comparable electrophysiological and osmotic properties in these two muscle types (Adrian, 1956; Ferenczi *et al.* 2004; Chin *et al.* 2004). For those experiments conducted under conditions of Cl<sup>-</sup> deprivation, the muscles were then gradually equilibrated with Cl<sup>-</sup>-free solutions by exposing them to a succession of Ringer solutions in which the Cl<sup>-</sup> content was progressively halved approximately every 5 min before a final transfer from 1 mM Cl<sup>-</sup> Ringer solution to Cl<sup>-</sup>-free Ringer solution. This protocol of gradual Cl<sup>-</sup>

reduction avoided muscle twitching or contraction, in contrast to procedures that used more rapid removals of extracellular Cl<sup>-</sup>.

Cell volumes ( $V_c$ ) were measured in groups of three to seven adjacent fibres in one- to three-fibre-thick cutaneous pectoris muscles mounted ventral side uppermost onto a coverslip that formed the base of a 0.5 ml microscope chamber. The chamber was sealed between solution changes to prevent evaporation. All solutions used to perfuse the muscle contained Sulphorhodamine B (Lissamine rhodamine B200: 75%; Aldrich-Sigma, UK) at a concentration of 62.5  $\mu$ g ml<sup>-1</sup> (Ferenczi *et al.* 2004). This membrane-impermeable dye stained the extracellular space and thereby highlighted muscle fibre edges, without influencing membrane electrophysiological properties (Gallagher & Huang, 1997). A Zeiss LSM-510 laser-scanning confocal microscope, incorporating an Axiovert 100M inverted microscope, was used to obtain images of fibres in the  $xz$ -plane using a 40 $\times$  oil immersion objective. The Sulphorhodamine B was activated with a 543 nm wavelength laser and fluorescence emission captured at >560 nm. This generated images with a fluorescent extracellular space and dark fibre cross-sections.

Initial pilot scans in the  $xy$ -plane were obtained in order to ensure that the  $x$ -axes of the  $xz$  scans ran perpendicular to the fibre long axes. The definitive images were then obtained every 5–60 s in the  $xz$ -plane and in-house image analysis software was used to calculate the fibre cross-sectional areas. This software first corrected the fluorescence attenuation associated with scanning of the deeper fibre areas, according to calibration data obtained earlier and fully described by Ferenczi *et al.* (2004), then applied a noise filter and a threshold function. The cross-sectional area of each fibre in the field of view was then calculated. Since the muscle was secured at a constant length throughout each experiment, changes in the measured cross-sectional areas provided a direct indication of changes in cell volume. These cell volumes,  $V_c$ , were standardized relative to steady-state values obtained during an initial 10 min period in one of the control solutions, A or B. Volume recordings were not performed in muscles showing any evidence of reduced viability such as movement, contraction, T-system vacuolation or divergent volume changes between fibres within the field of view. Preliminary experiments showed that fibre lysis, indicated by the entry of dye into the cytoplasm, generally occurred within an hour of such changes.

These measurements of  $V_c$  were then compared with the corresponding predictions of cell volumes assuming that muscle fibres showed perfect osmometric behaviour. Thus, if  $V_p$  denotes such a predicted volume,  $V_{c(a)}$  the cell volume before the solution change, and  $\theta_{e(a)}$  and  $\theta_{e(b)}$  the extracellular osmolarity, measured using a vapour pressure

osmometer, before (a) and after the solution change (b), respectively:

$$V_p = V_{c(a)} \times (\theta_{e(a)}/\theta_{e(b)}). \quad (1a)$$

This formulation would be expected to overestimate volume changes in the event that the osmotically exchangeable solvent fraction of fibres was <100%, as has been suggested in earlier work. For example, Blinks (1965) showed that skeletal muscle fibre volume changes were predicted most closely from an assumption that the solvent fraction was 0.67 of the cell volume in isotonic solutions, which would lead eqn (1a) to overestimate volume changes by almost 50%. However, estimates of the solvent fraction of skeletal muscle fibres vary in the literature (Dydyńska & Wilkie, 1963; Ferenczi *et al.* 2004). More generally, then, if the solvent fraction of the muscle is given the symbol  $x$ , then:

$$V'_p = V_{c(a)} \times ((1 - x) + x(\theta_{e(a)}/\theta_{e(b)})). \quad (1b)$$

As will be seen, the present study identifies volume changes in response to hypotonicity that *exceed* osmotic expectations. Experimental volume changes were therefore compared to  $V_p$  (eqn (1a)) because this provided an upper limit prediction that was independent of the value of the solvent fraction,  $x$ , in the present preparation.

Membrane potentials ( $E_m$ ) were measured in sartorius muscles, known to have properties that closely resemble those of frog cutaneous pectoris muscles (Adrian, 1956), but providing considerably more fibres for electrophysiological study. They were mounted in a Perspex bath and pinned out stretched to  $\sim 1.5$  times their *in situ* length in accordance with previous electrophysiological studies (Koutsis *et al.* 1995; Ferenczi *et al.* 2004), to give centre sarcomere lengths (2.4–2.5  $\mu\text{m}$ ), measured using the microscope eyepiece graticule, that were similar to the cutaneous pectoris fibres studied under confocal microscopy. The experiments were all carried out at room temperature (20–22°C) to enable results of the electrophysiological and volume studies to be compared. Test solutions were added to or withdrawn from the bath when necessary, with two washes between the additions of new solutions.

Significance of results was assessed using Student's paired two-tailed  $t$  test to a significance level of  $P < 0.05$ . Significance of volume changes was assessed by comparing mean  $V_c$  over 100 s periods (mean of at least 5 images, where  $n$  was defined as the number of fibres in each image) at predefined time points. Pilot experiments using both hypertonic and hypotonic solutions showed that passive volume changes took approximately 300 s and the slow volume increase that resulted from exposure to hypotonic solutions reached a maximum volume after approximately 60 min. Therefore, the time points at which volume changes were assessed for significance were the 100 s periods immediately prior to, 300 s after and 60 min

after each solution change, or at the end of the experimental period. Mean  $V_c$  at each of these time periods was compared to mean  $V_c$  at the previous time period using Student's paired  $t$  test, or to the predicted volume ( $V_p$ ) using Student's single-sample  $t$  test, as stated. In addition, in those experiments involving the return of fibres to isotonic Ringer solution following a period in hypotonic Ringer solution,  $V_c$  at the end of the experimental period was compared with that at the beginning.

## Results

### Slow increases in fibre volume, $\Delta V_{s+}$ , follow the initial passive volume response, $\Delta V_{R+}$ , to exposures to hypotonic solutions

Figure 1 exemplifies the volume changes shown by groups of muscle fibres initially placed in a standard isotonic Ringer solution, then treated with a hypotonic Ringer solution. Application of the hypotonic extracellular solution initiated a pattern of volume changes ( $\Delta V$ ) that differed significantly from the straightforward linear relationships between  $V_c$  and extracellular osmolarity reported previously (Blinks, 1965; Ferenczi *et al.* 2004).

Figure 1A thus shows an initial relatively rapid volume increase,  $\Delta V_{R+}$ , to a normalized of  $V_c$  to  $1.32 \pm 0.03$  ( $n = 4$  fibres) at 5 min after the solution change, close to the predicted volume assuming simple osmotic behaviour and corresponding to a rate of volume increase of  $\sim 5\%$  of the initial volume per minute. The rate of this initial swelling was similar to the rate of passive osmotic volume changes following applications of hypertonic solutions (Ferenczi *et al.* 2004). However,  $V_c$  then showed a much slower increase ( $\Delta V_{s+}$ ) at a rate of  $\sim 0.5\% \text{ min}^{-1}$  to reach a significantly ( $P < 0.01$  on Student's paired  $t$  test *versus* the value of  $V_c$  at 5 min) larger  $V_c$  of  $1.44 \pm 0.03$  at 60 min. Eleven muscles, in which  $V_c$  was recorded in 3–6 fibres of each, demonstrated similar rapid swelling to a mean value of  $V_c = 1.30 \pm 0.02$  after 5 min exposures to hypotonic Ringer solution but an eventual  $V_c = 1.42 \pm 0.03$  after 60 min, significantly exceeding the osmotic predictions ( $P \ll 0.01$  on Student's single-sample  $t$  test). Figure 1B demonstrates that muscle fibre cross-sections in isotonic solutions were angular rather than circular in shape and that these volume changes largely involved changes in fibre shape to more circular profiles without predictable changes in fibre diameter.

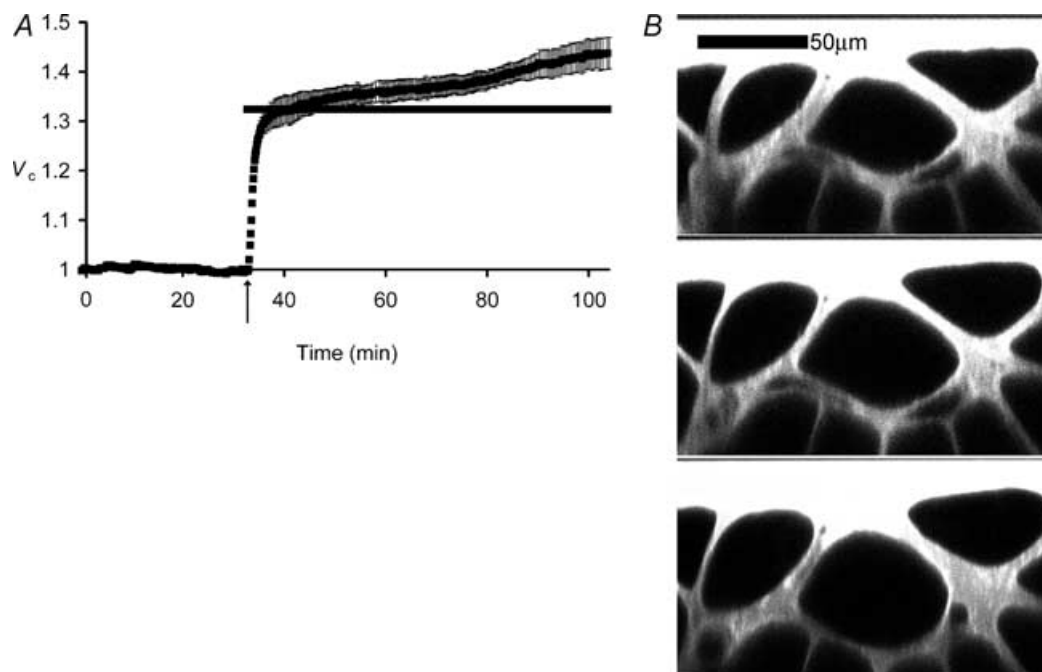
Figure 2 shows typical confocal images in the  $xy$ -plane of single muscle fibres in standard Ringer solution (Fig. 2A) and after a 60 min exposure to hypotonic Ringer solution (Fig. 2B) through regions of interest that transected the  $xz$ -plane used for volume measurements. These show no significant differences in sarcomere length, as reflected in unchanged longitudinal distances between successive T-tubules. The  $\Delta V_{s+}$  was therefore not explicable in terms

of an unexpected localized fibre shortening that could increase the local cross-sectional area whilst conserving total  $V_c$ . Figure 2 also shows that  $\Delta V_{S+}$  could not have resulted from an increase in T-tubular luminal as opposed to true cytosolic volume; to account for this  $\sim 10\%$  increase in  $V_c$ , the fractional tubular volume would have had to have increased  $>300$ -fold from its normal value of  $\sim 0.003$  (Peachey, 1965) to  $>0.10$ , contrasting with the similarity of the tubular appearances in Fig. 2A and B. Furthermore, although the T-tubules of amphibian muscle are too narrow ( $<20$  nm) for accurate light microscopic measurements of their diameters (Martin *et al.* 2003), *upper limits* on the contribution of the T-system to these volume changes could be estimated using Delesse's principle, that the volume fraction,  $V_v$ , of an object embedded within a larger reference volume such as a muscle fibre is directly proportional to its area fraction in random sections.  $V_v$  was accordingly estimated by point counting (Weibel, 1979), using a transparent grid placed randomly over each of the digital images and containing a quadratic set of  $0.5 \mu\text{m}$  spaced points generated by intersections on the grid. If  $P_i$  denotes the number of points

falling on T-tubular lumina and  $P_{\text{tot}}$  the total number of points made upon the reference area, then the volume fraction is the dimensionless ratio  $V_v = P_i/P_{\text{tot}}$ . This gave statistically indistinguishable ( $P > 0.05$ ) *upper limits* of tubular luminal volume fractions of  $0.081 \pm 0.011$  ( $n = 6$ ) in standard Ringer solution and  $0.065 \pm 0.009$  ( $n = 6$ ) in hypotonic Ringer solution.

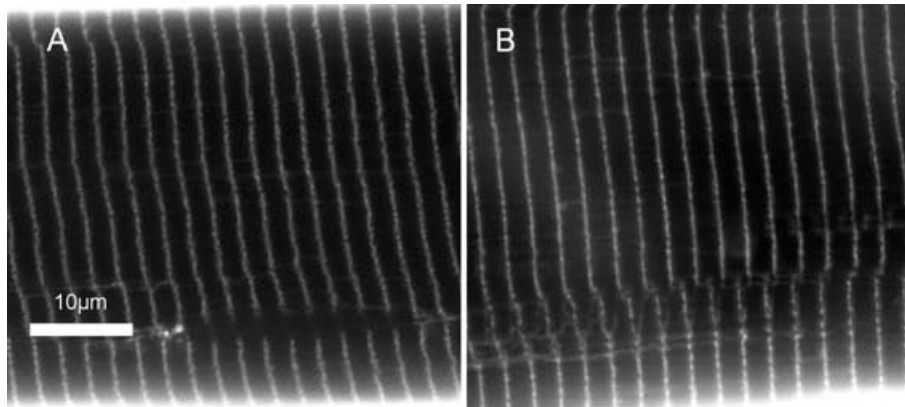
#### $\Delta V_{S+}$ varies with the degree of extracellular hypotonicity

Figure 3 follows changes in  $V_c$  through a sequence of graded reductions in extracellular tonicity, followed by a final return of the fibres to standard isotonic Ringer solution. It illustrates a number of consistent features of the  $\Delta V_{R+}$  and  $\Delta V_{S+}$  phenomena. Fibres swelled rapidly on the introduction of  $216 \text{ mosmol l}^{-1}$  Ringer solution (a) to reach  $V_c$  values of  $1.06 \pm 0.01$  ( $n = 4$  fibres) 5 min after the solution change, consistent with the simple osmotic prediction,  $V_p$  (horizontal bar). The subsequent  $\Delta V_{S+}$  changes increased  $V_c$  non-significantly ( $P > 0.05$ ) to  $1.07 \pm 0.02$  ( $n = 4$ ) over the next 20 min.



**Figure 1. The response of skeletal muscle fibres to reduced extracellular tonicity**

A, mean ( $\pm$  s.e.m.) normalized volumes ( $V_c$ ) of fibres ( $n = 3$ ) in a muscle initially bathed in normal isotonic ( $227 \text{ mosmol l}^{-1}$ ) Ringer solution and transferred after 32 min (arrow) to hypotonic ( $171 \text{ mosmol l}^{-1}$ ) Ringer solution. The horizontal bar marks the predicted relative fibre volume ( $V_p$ , see Methods) assuming simple osmotic behaviour. Note that where the s.e.m. is not shown, it is smaller than the data point. Muscle fibres swelled rapidly ( $\Delta V_{R+}$ ) to volumes close to  $V_p$ , but then continued to swell slowly ( $\Delta V_{S+}$ ) over the next  $\sim 1$  h. B, confocal xz scans of muscle fibres before (top panel) and after transfer to hypotonic Ringer solution, showing fibres 300 s (middle panel) and 1 h (bottom panel) after solution change. Note that the  $\Delta V_{S+}$  volume transient is associated with a change in fibre shape to more circular profiles, but not with predictable diameter changes. Thus, fibre diameters were  $1.11 \pm 0.04$  at 300 s and  $1.09 \pm 0.05$  at 1 h following the solution change (non-significant difference,  $P > 0.05$ ), despite the significant increase in cross-sectional area.



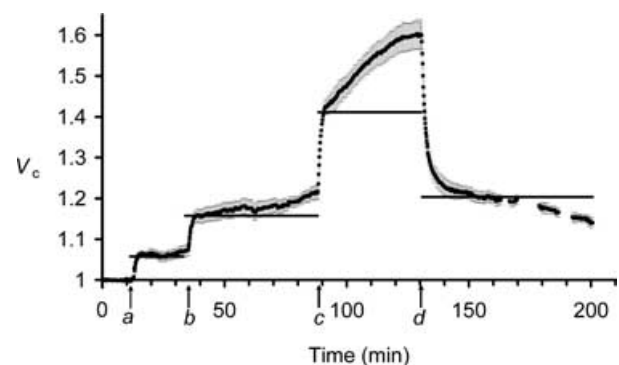
**Figure 2. The influence of hypotonicity on T-tubular system**

Fibres were imaged in the *xy*-plane using confocal microscopy in standard isotonic (227 mosmol l<sup>-1</sup>) Ringer solution (A) and in hypotonic (171 mosmol l<sup>-1</sup>) Ringer solution (B). T-system appearance remained unchanged and neither the mean distances between successive T-tubules nor T-system volume fractions, measured using Delesse's principle, were significantly altered by the exposure to hypotonic Ringer solution.

However, the subsequent larger tonicity changes elicited progressively greater  $\Delta V_{S+}$  components. Thus, the transition from 216 to 200 mosmol l<sup>-1</sup> Ringer solution (b) resulted in an initial  $\Delta V_{R+}$  that similarly matched osmotic expectations 5 min after the solution change. However, this was followed by a larger  $\Delta V_{S+}$  transient from  $1.15 \pm 0.02$  at 5 min to  $1.21 \pm 0.02$  ( $P < 0.05$ ) prior to the next solution change 50 min later, a rate of volume increase of  $0.11 \pm 0.05\% \text{ min}^{-1}$ . In contrast, during the  $\Delta V_{S+}$  following transfer to 171 mosmol l<sup>-1</sup> Ringer solution (c)  $V_c$  increased from  $1.43 \pm 0.02$  to  $1.60 \pm 0.04$  ( $P < 0.01$ ) in 40 min, a mean volume increase of  $0.4 \pm 0.1\% \text{ min}^{-1}$  that was significantly ( $P < 0.05$ ) greater and more rapid than the increase that resulted from the transfer from 216 to 200 mosmol l<sup>-1</sup> Ringer solution.

The successive sequence of  $\Delta V_{R+}$  followed by  $\Delta V_{S+}$  transients through each solution change finally resulted in an overall increase in  $V_c$  that significantly exceeded the simple osmotic expectations. Thus, the fibres in 171 mosmol l<sup>-1</sup> Ringer solution eventually reached mean normalized volumes of  $1.601 \pm 0.037$ , against a  $V_p$  of 1.327 relative to the cell volume initially observed in 227 mosmol l<sup>-1</sup> Ringer solution. The excess volume initially persisted on return to standard isotonic Ringer solution (d). Thus the return to isotonic 227 mosmol l<sup>-1</sup> Ringer solution produced a rapid decrease in  $V_c$  to a value close to that predicted by assuming simple osmotic behaviour ( $V_p = V_{c(a)} \times (\theta_{e(a)}/\theta_{e(b)}) = 1.601 \times (171/227) = 1.206$ ). However, this passive osmotic shrinkage thus left a  $\sim 20\%$  residual elevation of  $V_c$  compared to its original value in standard Ringer solution that reflected the preceding, cumulative  $\Delta V_{S+}$  changes. This contrasted with the previously reported complete volume recovery in fibres returned to isotonic solutions following a sequential increase in extracellular tonicity (Ferenczi *et al.* 2004).

The adjustments in  $V_c$  that then followed were consistent with the  $\Delta V_{S+}$  being the consequence of an increased  $V_c$  under hypotonic, but not isotonic conditions. Thus, Fig. 3 indicates that fibres with similar  $V_c$  values showed contrasting slow volume transients, the directions of which depended on whether they were bathed in hypotonic Ringer solution (b) or demonstrated the residual swelling (d) that followed the exposures to extracellular hypotonicity. In the former case (b) fibres



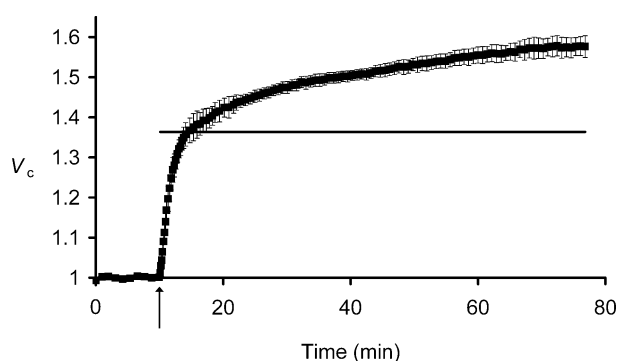
**Figure 3. The influence of successive step changes in extracellular tonicity upon muscle fibre volume**

Filled squares denote mean normalized volumes,  $V_c$  ( $\pm$  S.E.M.,  $n = 4$  fibres except between 75 and 135 min, when  $n = 3$  as cell swelling reduced the number of fibres that could be visualized in each frame). The horizontal bars denote predicted volumes,  $V_p$ , after each step change in osmolarity, taking into account the actual normalized volumes,  $V_c$ , recorded immediately before each such change (see Methods). Initial extracellular osmolarity was 227 mosmol l<sup>-1</sup>, and this was reduced in steps to 216 mosmol l<sup>-1</sup> (a), 200 mosmol l<sup>-1</sup> (b) and 171 mosmol l<sup>-1</sup> (c). Finally, the bathing solution was replaced with standard 227 mosmol l<sup>-1</sup> Ringer solution once more (d). Note that fibres remained residually swollen on return to standard Ringer solution (from d), but then showed gradual volume recovery, in contrast to the  $\Delta V_{S+}$  seen in similarly swollen fibres (from b) in hypotonic solutions.

demonstrated the slow increase in volume,  $\Delta V_{S+}$ , whereas in the latter case (*d*) there was a gradual recovery in volume to a significantly reduced  $V_c$  of  $1.139 \pm 0.013$  ( $P < 0.01$ ,  $n = 4$ ) at the end of the experimental period. The  $\Delta V_{S+}$  volume transients are thus not intrinsic consequences of increases in  $V_c$  above their resting values. Nor could the  $\Delta V_{S+}$  phenomenon be attributed to the reduction in the extracellular NaCl concentration ( $[\text{NaCl}]_e$ ); fibre volumes were not significantly altered by a 3 h exposure to isotonic, low  $[\text{NaCl}]_e$  solutions (normalized  $V_c = -0.002 \pm 0.003$ ,  $n = 8$  fibres, 2 muscles after 3 h exposure) whose ionic composition equalled that of the 171 mosmol  $\text{l}^{-1}$  hypotonic Ringer solution used in Figs 1 and 3 (85 mM NaCl) but additionally contained sufficient sucrose to preserve normal tonicity (227 mosmol  $\text{l}^{-1}$ ).

### $\Delta V_{S+}$ persists under conditions of $\text{Cl}^-$ deprivation

Many cell types exhibit regulatory volume increase (RVI) or decrease (RVD) phenomena (Lang *et al.* 1998*a,b*; O'Neill, 1999) that result from cation- $\text{Cl}^-$  cotransporter activity mediated by the  $\text{Na}^+ - \text{K}^+ - 2\text{Cl}^-$  cotransporter (NKCC; Russell, 2000) or  $\text{K}^+ - \text{Cl}^-$  cotransport (KCC; Lauf & Adragna, 2000), both of which have been identified in skeletal muscle (Hiki *et al.* 1999; Wong *et al.* 1999). Furthermore, many cell types increase their membrane  $\text{Cl}^-$  permeabilities in response to swelling (Nilius *et al.* 1996; Okada *et al.* 2001). Experiments that exposed muscle fibres to hypotonic solutions in  $\text{Cl}^-$ -free environments further excluded such a potential role of  $\text{Cl}^-$ -dependent processes in these  $\Delta V_{S+}$  changes. Thus, Fig. 4 follows the mean relative volumes of a group of fibres that were exposed to hypotonic  $\text{Cl}^-$ -free



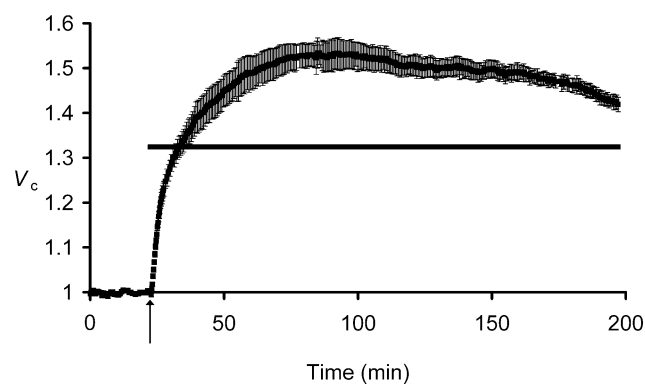
**Figure 4. The influence of extracellular hypotonicity upon muscle fibre volume under conditions of  $\text{Cl}^-$  deprivation** Filled squares denote mean relative volumes,  $V_c$  ( $\pm$  s.e.m.,  $n = 4$  fibres), of a group of muscle fibres, initially equilibrated with isotonic  $\text{Cl}^-$ -free  $\text{SO}_4^{2-}$  Ringer solution (225 mosmol  $\text{l}^{-1}$ ), then transferred (arrow) to hypotonic  $\text{Cl}^-$ -free Ringer solution (168 mOsm  $\text{l}^{-1}$ ). Where the s.e.m. is not shown, it is smaller than the data point. The horizontal bar shows the relative volume,  $V_p$ , predicted by assuming simple osmotic behaviour. After rapidly swelling to this predicted volume ( $\Delta V_{R+}$ ), the fibres continued to swell gradually over the course of the next 1 h ( $\Delta V_{S+}$ ).

Ringer solution. The volume changes were similar to those in  $\text{Cl}^-$ -containing Ringer solutions (Fig. 1) in that fibres showed an initial  $\Delta V_{R+}$  until  $V_c$  approximated  $V_p$  (horizontal bar)  $\sim 5$  min after the solution change. This was followed by a  $\Delta V_{S+}$  that gradually increased  $V_c$  (at a rate of  $\sim 0.2\% \text{ min}^{-1}$ ) to  $1.577 \pm 0.025$  after a 60 min exposure, significantly exceeding the simple osmotic expectations ( $V_p = 1.36$ ).  $\Delta V_{S+}$  thus persisted under conditions in which membrane-permeant anions were absent from the extracellular medium.

### $\Delta V_{S+}$ is followed by a delayed slow volume decrease, $\Delta V_{S-}$

The  $\Delta V_{S+}$  phenomenon was further investigated in fibres exposed to hypotonic solutions for longer periods. This revealed that the  $\Delta V_{S+}$  transients were followed after  $\sim 60$ – $70$  min by a slow volume decrease,  $\Delta V_{S-}$ . Figure 5 shows typical fibre volumes following  $\sim 3$  h exposures to hypotonic  $\text{Cl}^-$ -containing Ringer solutions, demonstrating a slow and sustained volume decrease,  $\Delta V_{S-}$ , beginning after the  $\Delta V_{S+}$  transient.

Figure 6 shows the mean normalized  $V_c$  of fibres in three muscles that were initially equilibrated with  $\text{Cl}^-$ -free isotonic  $\text{SO}_4^{2-}$  Ringer solution and then exposed to hypotonic  $\text{Cl}^-$ -free  $\text{SO}_4^{2-}$  Ringer solutions (*a*) for different periods before being returned to isotonic  $\text{Cl}^-$ -free  $\text{SO}_4^{2-}$  Ringer solution (*b*). The slow  $V_c$  decrease,  $\Delta V_{S-}$ , persisted with accelerated kinetics under conditions of  $\text{Cl}^-$  deprivation. These increased rates of  $\Delta V_{S+}$  and  $\Delta V_{S-}$  in  $\text{Cl}^-$ -free compared to  $\text{Cl}^-$ -containing solutions made



**Figure 5. Cell volume eventually reaches a maximum during long exposures to extracellular hypotonicity and then declines**

Muscle fibres were exposed to hypotonic  $\text{Cl}^-$ -containing Ringer solution (arrow) for almost 3 h. Mean fibre volumes ( $\pm$  s.e.m.,  $n = 5$  fibres) are shown over this period, compared to the volume predicted by assuming simple osmotic behaviour ( $V_p$ , horizontal bar). Cell volume rapidly increased to close to this predicted value ( $\Delta V_{R+}$ ), and this was followed by a slower volume increase,  $\Delta V_{S+}$ , to a maximum  $V_c$  of  $1.53 \pm 0.03$ , against the prediction of 1.32. However, fibres then showed a much slower volume reduction,  $\Delta V_{S-}$ , lasting for the remainder of the experimental period. Thus,  $V_c$  eventually reduced to  $1.42 \pm 0.02$  at 200 min, significantly lower than the previous maximum ( $P < 0.05$ ).

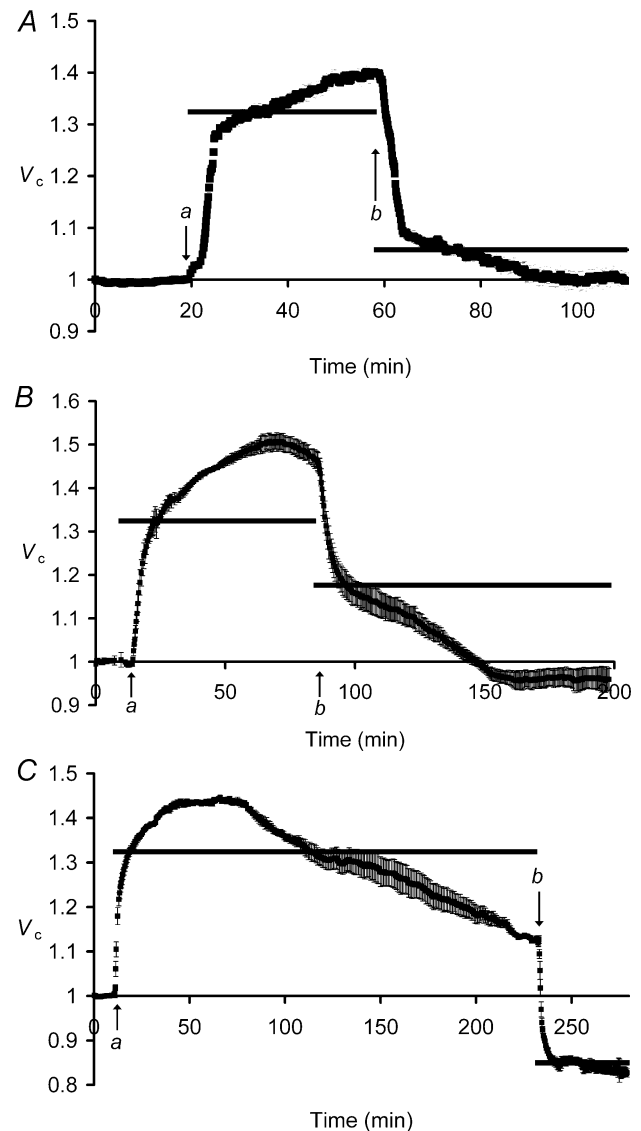
it possible to demonstrate several additional features of these slow volume transients within the  $\sim 3\text{--}4$  h period over which measurements of  $V_c$  in viable muscle fibres were possible, as follows.

(1) In each case in Fig. 6 the exposure to hypotonicity (*a*) elicited an initial rapid volume increase,  $\Delta V_{R+}$ , increasing  $V_c$  to values close to  $V_p$  (horizontal bar), as expected from a simple osmotic hypothesis. (2) A slow volume increase,  $\Delta V_{S+}$ , that was nevertheless more rapid than its counterpart in  $\text{Cl}^-$ -containing solutions then followed, increasing  $V_c$  to significantly above  $V_p$  ( $P < 0.01$ ). (3) Exposures to extracellular hypotonicity of  $>1$  h (Fig. 6*B* and *C*) then permitted an abrupt onset of a slow volume decrease,  $\Delta V_{S-}$ , after  $\sim 60\text{--}70$  min, in common with the situation in the corresponding  $\text{Cl}^-$ -containing solutions (Fig. 5). (4) This persisted at a constant rate that was faster than the  $\Delta V_{S-}$  observed in  $\text{Cl}^-$ -containing solutions ( $0.2\% \text{ min}^{-1}$  in  $\text{Cl}^-$ -free *versus*  $0.1\% \text{ min}^{-1}$  in  $\text{Cl}^-$ -containing solutions) for at least 150 min (Fig. 6*C*). (5) The  $\Delta V_{S-}$  process could eventually reduce  $V_c$  to *significantly less than*  $V_p$  ( $P < 0.01$ ) for the prevailing extracellular tonicity (Fig. 6*C*), as opposed to simply reversing the preceding  $\Delta V_{S+}$  process.

Figure 6 also demonstrates the effects of (*b*) returning fibres to isotonic  $\text{Cl}^-$ -free Ringer solution after long exposures to hypotonic  $\text{Cl}^-$ -free Ringer solution, as follows. (1) In each case, the restoration to isotonic Ringer solution resulted in a rapid initial decrease in  $V_c$ , the magnitude of which matched the preceding  $\Delta V_{R+}$  and accordingly followed osmotic predictions ( $V_p$ , horizontal bar) that took into account the actual  $V_c$  immediately before the solution change. However, (2)  $V_c$  was then left with a residual difference from its baseline value, reflecting the volume changes attributable to the slow volume transients ( $\Delta V_{S+} + \Delta V_{S-}$ ), corrected for the relative extracellular tonicities ( $\theta_{e(\text{hyp})}/\theta_{e(\text{iso})}$ ). Thus, the shift in  $V_c$  from baseline values was close to  $(\Delta V_{S+} + \Delta V_{S-}) \times (\theta_{e(\text{hyp})}/\theta_{e(\text{iso})})$  in each case. (3) The initial passive, rapid decrease in  $V_c$  was then followed (Fig. 6*A* and *B*) by a much slower volume decrease that eventually equalled the magnitude of the  $\Delta V_{S+}$ , corrected for the change in extracellular tonicity (thus,  $\Delta V_{S+} \times (\theta_{e(\text{hyp})}/\theta_{e(\text{iso})})$ ). It was not possible to demonstrate this correction for very long exposures to hypotonicity; although a downward trend was observed (Fig. 6*C*), it was non-significant ( $P > 0.05$ ) at the limits of viability of the preparation. (4) In contrast to this apparent eventual correction of the volume gain during  $\Delta V_{S+}$ , any volume loss attributable to a previous  $\Delta V_{S-}$  persisted (Fig. 6*B* and *C*). Thus, fibres that showed a significant  $\Delta V_{S-}$  remained residually shrunken on return to isotonic  $\text{Cl}^-$ -free Ringer solution such that final  $V_c$  was significantly reduced from its initial baseline value ( $P < 0.01$ ).

### Resting membrane potentials, $E_m$ , during the volume changes

Adrian (1956) pointed out that osmotically induced changes in  $V_c$  would correspondingly concentrate or dilute any conserved intracellular ions and thereby potentially alter the resting membrane potential,  $E_m$ . For example, increases in  $[\text{K}^+]_i/[\text{K}^+]_e$  resulting from osmotically induced reductions in  $V_c$  hyperpolarize the  $\text{K}^+$  Nernst potential,  $E_K$ , and produce a corresponding



**Figure 6. The influence of long exposures to hypotonic solutions under  $\text{Cl}^-$ -free conditions**

Three muscles (*A*, *B* and *C*) were equilibrated with isotonic ( $225 \text{ mosmol l}^{-1}$ )  $\text{Cl}^-$ -free  $\text{SO}_4^{2-}$  Ringer solution, exposed to hypotonic ( $170 \text{ mosmol l}^{-1}$ )  $\text{Cl}^-$ -free Ringer solution (*a*) for different durations and finally returned to isotonic  $\text{Cl}^-$ -free Ringer solution (*b*). Data points show mean relative volume,  $V_c$  ( $\pm$  s.e.m.,  $n \geq 4$  fibres in each case). Horizontal bars denote predicted cell volume,  $V_p$ , after each solution change.

shift in  $E_m$  in fibres studied in  $\text{Cl}^-$ -free hypertonic solutions (Adrian, 1956; Hodgkin & Horowicz, 1959). Such a relationship permits the influence of  $V_c$  upon  $E_m$  to be predicted following a change in extracellular osmolarity. Thus, if the subscripts (iso) and (hypo) denote isotonic and hypotonic extracellular solutions, respectively, while the symbol  $\theta$  denotes osmolarity:

if

$$E_K = (RT/F) \ln([\text{K}^+]_e/[\text{K}^+]_i), \quad (2)$$

then

$$\Delta E_K = E_{K(\text{hypo})} - E_{K(\text{iso})} \quad (3)$$

and so

$$\begin{aligned} \Delta E_K &= (RT/F) \ln([\text{K}^+]_e/[\text{K}^+]_{i(\text{hypo})}) \\ &\quad - (RT/F) \ln([\text{K}^+]_e/[\text{K}^+]_{i(\text{iso})}) \\ &= (RT/F) \ln([\text{K}^+]_{i(\text{iso})}/[\text{K}^+]_{i(\text{hypo})}). \end{aligned} \quad (4)$$

Then, if

$$[\text{K}^+]_{i(\text{hypo})}/[\text{K}^+]_{i(\text{iso})} = V_{c(\text{iso})}/V_{c(\text{hypo})} = \theta_{e(\text{hypo})}/\theta_{e(\text{iso})}, \quad (5)$$

$$\Delta E_m \approx \Delta E_K = (RT/F) \ln(\theta_{e(\text{iso})}/\theta_{e(\text{hypo})}). \quad (6)$$

Equation (6) contains four implicit assumptions: (1) intracellular  $\text{K}^+$  content is conserved during changes in  $V_c$ ; (2)  $V_c$  follows simple osmotic predictions (see Methods) over the range of extracellular osmolarities considered here; (3)  $\text{Cl}^-$  is passively distributed; and (4) membrane  $\text{Na}^+$  permeability is low relative to that of  $\text{K}^+$ . Any deviation of measured  $E_m$  from these predictions might then reveal evidence of  $E_m$  or  $V_c$  regulation.

The following control experiments therefore first confirmed that these assumptions were reasonable under steady-state conditions in isotonic solutions. First,  $E_m$  was measured in fibres exposed to Ringer solutions in which sucrose partly but isosmotically replaced  $\text{NaCl}$ . This separated the effects upon  $E_m$  of the reduced tonicity of hypotonic solutions from the effects of their reduced  $[\text{NaCl}]_e$  and thus paralleled the investigation of  $V_c$  in solutions with similar isosmotic replacements of extracellular  $\text{NaCl}$  described above. Reductions in  $[\text{NaCl}]_e$  from 120 to 85 mM then yielded no significant differences ( $P \gg 0.05$  on Student's unpaired  $t$  test) between  $E_m$  values as recorded over a 30 min period in standard isotonic Ringer solution ( $-90.4 \pm 1.2$  mV,  $n = 13$ ) and those obtained over 10 min periods immediately following ( $-90.1 \pm 1.2$  mV,  $n = 9$ ) and  $\sim 60$  min after the solution change ( $-89.3 \pm 0.8$  mV,  $n = 34$ ), respectively. Similar results were obtained after solution changes to 45 mM  $\text{NaCl}$  Ringer solution ( $-92.2 \pm 1.3$  mV,  $n = 16$  immediately following and  $-90.8 \pm 1.0$  mV,  $n = 12$  at  $\sim 60$  min;  $P > 0.05$ ).

The second set of control experiments assessed the validity of assumption (3) above. Although early reports had suggested that  $\text{Cl}^-$  is in electrochemical equilibrium across the membrane of resting skeletal muscle in isotonic solutions (Adrian, 1956; Hodgkin & Horowicz, 1959), more recent reports had suggested that  $E_m$  in both mouse skeletal muscle in isotonic solutions and amphibian fibres in hypertonic solutions is slightly depolarized relative to  $E_K$  owing to a combination of an elevated  $[\text{Cl}^-]_i/[\text{Cl}^-]_e$  due to cation- $\text{Cl}^-$  transporter activity and a high ratio of  $\text{Cl}^-$  to  $\text{K}^+$  permeability,  $P_{\text{Cl}}/P_{\text{K}}$  (Geukes Foppen *et al.* 2002; Ferenczi *et al.* 2004). The experiments accordingly examined  $E_m$  in fibres in isotonic solutions under conditions of  $\text{Cl}^-$  depletion, which would abolish any such cation- $\text{Cl}^-$  cotransport. Similar values of mean  $E_m$  were obtained from fibres during an initial 30 min period in standard Ringer solution ( $-89.5 \pm 1.3$  mV,  $n = 16$  fibres, 2 muscles) between 20 and 40 min ( $-92.3 \pm 0.9$  mV,  $n = 16$  fibres, 2 muscles) and between 41 and 60 min after gradual equilibration with  $\text{Cl}^-$ -free Ringer solution ( $-91.3 \pm 0.5$  mV,  $n = 24$  fibres, 2 muscles). Therefore  $\text{Cl}^-$  deprivation did not significantly affect values of  $E_m$  under isotonic conditions ( $P > 0.05$  in each case on Student's unpaired two-tailed  $t$  test *versus* values in standard Ringer solution).

Figure 7A then compares the influence of exposures to extracellular hypotonicity upon  $E_m$  with the corresponding predicted values of  $E_m$  (eqn (6)) over a wide range of tonicities, including those under which the  $V_c$  changes were examined. The muscle fibres were transferred from standard  $\text{Cl}^-$ -containing Ringer solution to a hypotonic  $\text{Cl}^-$ -containing Ringer solution and  $E_m$  was measured soon after the solution change, to record  $E_m$  changes due to  $\Delta V_{R+}$ , and after 60 min, to record any additional changes due to  $\Delta V_{S+}$ . Progressive reductions in tonicity produced increasing depolarizations of the  $E_m$  measured between 5 and 15 min compared to values in isotonic Ringer solution ( $P \ll 0.01$  in each case) that were close to predicted values of  $\Delta E_m$  (dashed line) calculated from eqn (6) above. At tonicities of 192 and 119 mosmol  $\text{l}^{-1}$ ,  $E_m$  remained stable after this initial depolarization. Only at the lowest tonicity (94 mosmol  $\text{l}^{-1}$ ) was there any significant depolarization ( $P < 0.01$ ) between the early and late measurement periods, possibly reflecting the reduced fibre survival, loss of normal striations and inability to return to basal conditions that may follow such extreme reductions in extracellular tonicity (Paris *et al.* 1965). Even longer exposures to 171 mosmol  $\text{l}^{-1}$  solutions gave an  $E_m$  of  $-87.1 \pm 1.06$  mV between 170 and 190 min ( $P > 0.05$  against earlier time bins), demonstrating continued  $E_m$  stability despite the  $\Delta V_{S-}$  phenomenon. Figure 7B confirms similar relationships between extracellular tonicity and  $E_m$  under  $\text{Cl}^-$ -free conditions; decreases



in extracellular tonicity depolarized  $E_m$  as predicted by eqn (6) above (dashed line), giving stable  $\Delta E_m$  values. Very long exposures to  $164 \text{ mosmol l}^{-1}$  solutions gave  $E_m$  of  $-82.1 \pm 1.06 \text{ mV}$  between 170 and 190 min ( $P > 0.05$  against earlier time bins), similarly demonstrating continued  $E_m$  stability despite the marked  $\Delta V_{S-}$  transient observed under similar conditions of  $\text{Cl}^-$  deprivation.

Thus, with the exception of long exposures to the lowest tonicity used here, the results showed that  $\Delta E_m$  following the application of hypotonic solutions conformed to predictions that assumed perfect osmotic behaviour, conservation of intracellular  $\text{K}^+$  and dependence of  $E_m$  upon  $E_K$ . Furthermore, the subsequent slow volume transients produced no additional detectable  $\Delta E_m$  in either  $\text{Cl}^-$ -free or  $\text{Cl}^-$ -containing Ringer solutions.

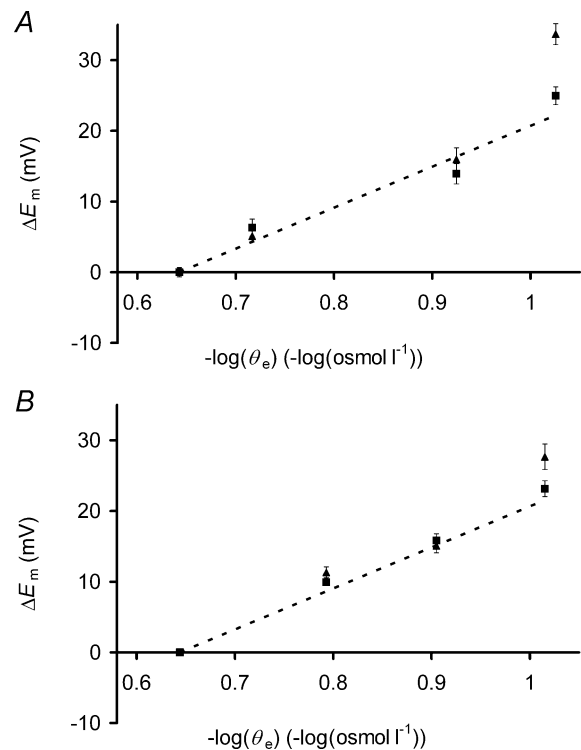
### Mathematical modelling of the relationship between $E_m$ and $V_c$ during $\Delta V_{S+}$ and $\Delta V_{S-}$

Skeletal muscle fibres exposed to hypotonic solutions thus showed: (1) slow volume transients, which followed an initial passive osmotic change ( $\Delta V_{R+}$ ), that first increased ( $\Delta V_{S+}$ ) and then decreased cell volume ( $\Delta V_{S-}$ ); and (2) accompanying alterations in  $E_m$  that simply reflected a  $\text{K}^+$  Nernst equation in which osmotically induced increases in  $V_c$  directly altered  $[\text{K}^+]_i/[\text{K}^+]_e$ , in contrast to the stable values of  $E_m$  observed in hypertonic solutions (Ferenczi *et al.* 2004). Both (1) and (2) persisted in  $\text{Cl}^-$ -free solutions, which contain an insignificant concentration of membrane-permeable anions. This associated them with alterations in the intracellular membrane-impermeant solute ( $X_i$ ) content, its osmotic activity, or its mean charge valency ( $z_X$ ), rather than  $\text{Cl}^-$ -dependent transport processes (Fraser & Huang, 2004). However, the relationships between intracellular impermeant anion content ( $X_i$ ), its mean charge valency per osmole ( $z_X$ ),  $V_c$  and  $E_m$  are potentially complex. On the one hand, an efflux of charged X could alter its intracellular content,  $X_i$ , whilst preserving  $z_X$ . On the other hand, the total intracellular charge carried by  $X_i$  would be unchanged following a flux of uncharged X or changes in the osmotic activity of X, and so such alterations in  $X_i$  would necessarily alter  $z_X$  and in turn influence  $E_m$  (Fraser & Huang, 2004). Nevertheless, it proved possible to model the effects of exposure of skeletal muscle to extracellular hypotonicity using the charge difference method of Fraser & Huang (2004) modified (see Appendix), to permit explicit modelling of changes in extracellular osmolarity.

Such modelling first assumed that the *total* charge carried by  $X_i$  was conserved within the cell unless there was a transmembrane flux of X. Secondly,  $[\text{X}]_e$  was set to zero, as in the experimental solutions, and so no net inward fluxes of X were possible. Instead,  $X_i$  could be increased by simulating either an increase in

its osmotic activity or cleavage of larger molecules. In this case, the *total* charge carried by  $X_i$  was conserved by keeping the product  $V_c \times [\text{X}]_i \times z_X$  constant by altering  $z_X$  in inverse proportion to any change in  $[\text{X}]_i \times V_c$ . In contrast, decreases in total  $X_i$  content were modelled either by a similar charge-conserving mechanism or by the introduction of a small permeability term to X, permitting efflux of X and thus reducing the product  $V_c \times [\text{X}]_i \times z_X$  whilst preserving  $z_X$ .

The model first demonstrated that an increase in  $X_i$  could result in a volume increase of comparable magnitude to  $\Delta V_{S+}$  without significant alteration of  $E_m$ , despite the resultant decrease in  $z_X$ . The simulation was started with extracellular solute concentrations similar to that of the isotonic low- $[\text{NaCl}]$  Ringer solution, semi-arbitrary intracellular concentrations, and with all other parameters, such as  $\text{Na}^+ - \text{K}^+ - \text{ATPase}$  density and ion

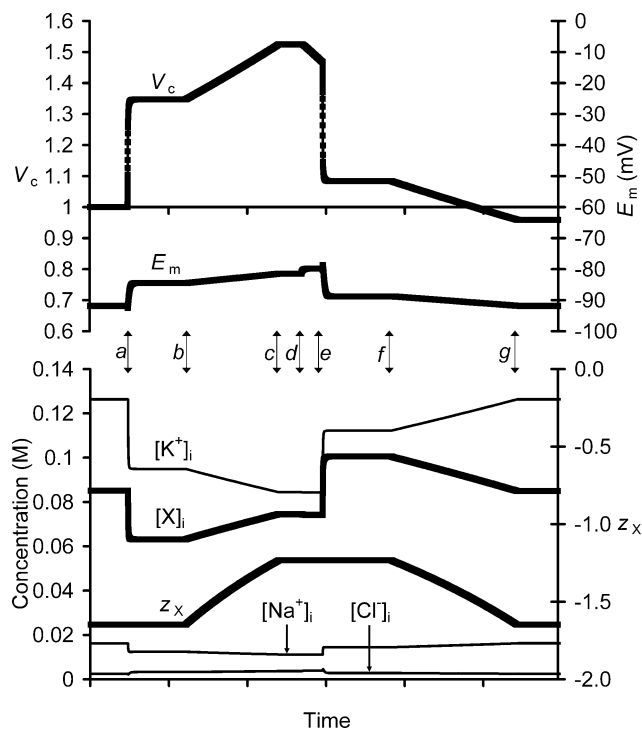


**Figure 7.** The influence of reduced extracellular tonicity upon  $E_m$

The change in  $E_m$  ( $\Delta E_m$ ) compared to resting  $E_m$  in isotonic Ringer solutions is plotted against  $-\log(\text{extracellular osmolarity})$  ( $-\log(\text{osmol l}^{-1})$ ) for muscle fibres exposed to hypotonic Ringer solutions in  $\text{Cl}^-$ -containing (A) or  $\text{Cl}^-$ -free solutions (B). In each case, mean  $\Delta E_m$  ( $\pm$  s.e.m.,  $n \geq 50$  fibres from  $\geq 2$  muscles in each case) is shown soon (5–15 min) after the solution change (■) and after a much longer (50–70 min) exposure period (▲). Where the s.e.m. is not shown, it is smaller than the data point.  $\Delta E_m$  closely followed predictions assuming conservation of  $[\text{K}^+]_i$  and simple osmotic behaviour (dashed line), and except at the very lowest tonicity ( $96 \text{ mosmol l}^{-1}$ ) remained stable following the initial depolarization despite the  $\Delta V_{S+}$  process that occurs over this period.  $\text{Cl}^-$  deprivation did not influence the relationship between extracellular osmolarity and  $\Delta E_m$ .

permeabilities, as described by Fraser & Huang (2004) until all variables settled to stable values, at which point  $V_c$  was assigned a value of 1. Figure 8 illustrates results from the subsequent period of modelling, beginning with isotonic extracellular conditions. At point *a* extracellular tonicity was reduced and the system permitted to re-equilibrate. This reproduced the experimental findings of a rapid volume increase ( $\Delta V_{R+}$ ) and accompanying depolarization of  $E_m$ . However, also note a rapid and small initial hyperpolarization on exposure to hypotonicity attributable to a transient  $\text{Cl}^-$  influx secondary to the initial dilution of  $[\text{Cl}^-]_i$ .

At point *b* a gradual increase in cellular  $X_i$  content was modelled at a constant rate, following the assumptions above. The increase in  $X_i$  caused a gradual increase in  $V_c$ ,



**Figure 8. Charge difference modelling of an exposure to hypotonicity**

The charge difference method of Fraser & Huang (2004) was used to model intracellular events in amphibian skeletal muscle during exposure to hypotonicity. Thus, following equilibration with isotonic ( $230 \text{ mosmol l}^{-1}$ ) Ringer solution, extracellular tonicity was reduced to  $172 \text{ mosmol l}^{-1}$  (*a*) and the model permitted to stabilize.  $\Delta V_{S+}$  was then modelled by gradually increasing  $X_i$  content (*b*) whilst proportionally reducing the magnitude of  $z_X$  to maintain a constant product  $V_c \times [X]_i \times z_X$ , as described in the text, until point *c*, where the model was once again permitted to stabilize. At point *d*  $\Delta V_{S-}$  was modelled by the introduction of a small permeability term to  $X^-$ , permitting  $X^-$  efflux and thus a reduction in total intracellular charge, with conservation of  $z_X$ . At point *e* this efflux was stopped and extracellular isotonicity restored. At point *f* the process introduced at point *b* was reversed. These changes were stopped at point *g*, when  $[X]_i$  and  $z_X$  had reached their initial baseline values, allowing full recovery of  $E_m$ ,  $[\text{K}^+]_i$ ,  $[\text{Na}^+]_i$ ,  $[\text{Cl}^-]_i$  and  $[X]_i$ , but a net reduction in  $V_c$ .

while the accompanying decrease in  $z_X$  resulted in a small depolarization of  $E_m$ . Note that an increase in cellular  $X_i$  content alone, without any change in  $z_X$ , would be expected to change  $V_c$  such that  $[X]_i$  remained constant (Fraser & Huang, 2004). However, in this case the simultaneous reduction in the magnitude of  $z_X$  effectively dampens the  $V_c$  increase caused by increasing  $X_i$  content, permitting  $[X]_i$  to increase. However, during a  $\Delta V_{S+}$  of similar magnitude to that demonstrated in Fig. 6B ( $V_c$  from 1.34 to 1.52),  $E_m$  depolarized by only 2.9 mV, which is too close to the standard errors of the  $E_m$  measurements to have been detected in the present study, and is thus compatible with the experimental data. The increase in  $X_i$  content was then stopped at point *c*.

At point *d* an efflux of  $X$  was modelled by assigning a small permeability term to  $X_i$  such that the permeability ratio  $P_X:P_K$  was 0.0001. This resulted in a volume decrease analogous to  $\Delta V_{S-}$ , accompanied by a small depolarization, as would be expected for any process that increased overall anion efflux, but which was too small to be detected in the present study. However,  $E_m$  stabilized at this slightly depolarized value, permitting the efflux of  $X_i$  to reduce  $V_c$  indefinitely, without further perturbation of  $E_m$  or any intracellular ion concentrations (Fraser & Huang, 2004).

However, the efflux was stopped at point *e* after a  $\Delta V_{S-}$  of similar magnitude to that demonstrated in Fig. 6B, and the extracellular conditions returned to those at the start of the modelling period. This increase in extracellular osmolarity resulted in a rapid  $V_c$  decrease.  $V_c$  then stabilized above its baseline value, due to the net increase in the total osmotic activity of  $X_i$  that took place during the  $\Delta V_{S+}$  and  $\Delta V_{S-}$  processes. However,  $E_m$  remained slightly depolarized ( $\sim 3 \text{ mV}$ ) compared to baseline values due to the reduction in  $z_X$  and concomitant decrease in  $[\text{K}^+]_i$ .

Finally, at point *f*  $X_i$  content was gradually reduced in a reversal of the process started at point *c*, thus returning  $z_X$  to its baseline value over the same period. This process was continued until both  $z_X$  and  $[X]_i$  reached their respective baseline values (*g*), at which point  $V_c$  was decreased from its original value, due to the loss of  $X_i$  content during the  $\Delta V_{S-}$  process between points *d* and *e*. In contrast,  $E_m$ ,  $[\text{K}^+]_i$ ,  $[\text{Na}^+]_i$ ,  $[\text{Cl}^-]_i$  and  $[X]_i$  were restored precisely to their original values.

A possible alternative mechanism for  $\Delta V_{S-}$  was also modelled, in which the total intracellular charge carried by  $X$  ( $V_c \times [X]_i \times z_X$ ) was conserved, as opposed to the net loss of charge during the  $\Delta V_{S-}$  phase shown in Fig. 8. However, this did not permit reconstruction of the experimental results shown in Fig. 6C, where  $\Delta V_{S-}$  reduced  $V_c$  from its maximum value to 1.15. A volume decrease of this magnitude with conservation of intracellular charge was shown to require approximately a doubling of  $z_X$ , as the increase in cellular cation content

resulting from the increase in  $z_X$  magnitude would oppose the volume decrease caused by decreasing  $X_i$  content and additionally permit a significant increase in  $[K^+]_i$ , causing a hyperpolarization of  $\sim 6$  mV. Such a hyperpolarization was not detected (Fig. 7A and B). Further decreases in  $V_c$  from this value were shown to imply increasingly unrealistic values of  $z_X$ , with a further doubling required to decrease  $V_c$  to 1, contrasting strongly with the indefinite  $V_c$  decreases possible with a simple efflux of X, which do not further perturb  $E_m$  (Fraser & Huang, 2004).

## Discussion

This study explored the relationship between increases in cell volume ( $V_c$ ) and the resulting alterations in resting membrane potential ( $E_m$ ) in amphibian skeletal muscle fibres during extended (3–4 h) exposures to extracellular solutions of reduced tonicity.  $V_c$  was measured in cutaneous pectoris muscles using confocal microscope scanning in the  $xz$  plane (Ferenczi *et al.* 2004), and  $E_m$  was measured in sartorius muscles using conventional microelectrodes (Adrian, 1956).

The experiments first confirmed that exposure of skeletal muscle fibres to hypotonic solutions elicited a rapid ( $>5\% \text{ min}^{-1}$ ) volume increase,  $\Delta V_{R+}$ , that closely followed simple osmotic predictions as previously reported (Dydynska & Wilkie, 1963; Blinks, 1965). However, this swelling was followed by slower volume transients, not observed on earlier occasions, which may represent cellular volume regulatory phenomena. Their detection in the present study is likely to reflect the long exposure times used here (cf. Blinks, 1965) and the increased accuracy afforded by assessment of  $V_c$  using confocal  $xz$ -plane scanning rather than measurements of fibre diameter (cf. Reuber *et al.* 1963).

The slow volume transients showed two distinct phases. First, an initial slow ( $<0.5\% \text{ min}^{-1}$ ) volume increase,  $\Delta V_{S+}$ , immediately followed  $\Delta V_{R+}$  and lasted approximately 50–60 min.  $\Delta V_{S+}$  produced increases in  $V_c$  to final values  $\sim 10$ – $15\%$  greater than osmotic predictions, and was therefore suggestive of increases in total intracellular osmotic activity. It occurred in solutions of even slightly reduced relative tonicity (relative tonicity = 0.88).  $\Delta V_{S+}$  took place at a rate that gradually decreased until a maximum  $V_c$  was reached after approximately 50–60 min, contrasting sharply with the 2–5 min time courses of the passive  $\Delta V_{R+}$  volume changes and the passive volume changes previously reported in response to increases in extracellular tonicity (Ferenczi *et al.* 2004).

Second, a slow ( $<0.5\% \text{ min}^{-1}$ ) volume decrease,  $\Delta V_{S-}$ , then began quite abruptly  $\sim 60$ – $70$  min after the  $\Delta V_{R+}$ . It was not possible to assess the maximum duration of the  $\Delta V_{S-}$  phase because it continued beyond the limits

of tissue viability in the isolated tissue preparation used here. However, it was observed to continue for at least 3 h, over which time the volume decrease could exceed the magnitude of the preceding  $\Delta V_{S+}$ ; fibre volumes then eventually decreased below the predicted values for the prevailing extracellular tonicity. This suggested that the  $\Delta V_{S-}$  process did not simply represent a reversal of the preceding  $\Delta V_{S+}$  process.

Both the  $\Delta V_{S+}$  and  $\Delta V_{S-}$  phenomena persisted, and indeed assumed more rapid kinetics, under conditions of  $\text{Cl}^-$  deprivation. These features exclude possible mechanisms involving cation– $\text{Cl}^-$  cotransport systems or other  $\text{Cl}^-$ -dependent processes, instead suggesting that  $\text{Cl}^-$  redistribution (Hodgkin & Horowitz, 1959) otherwise limited the rates of both  $\Delta V_S$  transients. Finally, fibres exposed to isotonic solutions with concentrations of NaCl that were reduced to levels identical to those of the hypotonic solutions used here showed stable volumes, suggesting that the slow volume transients were not a consequence of reduced extracellular ion concentrations.

Fibres that had been exposed to hypotonicity for various durations were then returned to the original isotonic solutions. This resulted in an initial cell shrinkage that was similar in magnitude and rate to the initial  $\Delta V_{R+}$  and therefore compatible with passive osmotic behaviour. However, the overall  $V_c$  changes during  $\Delta V_{S+}$  and  $\Delta V_{S-}$  were then reflected in a residual  $V_c$  deviation from its baseline value. This permitted the identification of a second difference between the  $\Delta V_{S+}$  and  $\Delta V_{S-}$  processes. After the initial rapid osmotic volume decrease on transfer from hypotonic to isotonic Ringer solution, fibres then showed a gradual volume decrease that was eventually equal in magnitude to the preceding  $\Delta V_{S+}$ , allowing for the change in extracellular tonicity, at which point cell volumes stabilized. Cell volumes therefore returned precisely to their original resting values if the duration of exposure to hypotonic Ringer solution was insufficient to permit  $\Delta V_{S-}$  to occur, demonstrating the full reversibility of  $\Delta V_{S+}$ . However, if the exposures to hypotonicity were of sufficient duration to permit  $\Delta V_{S-}$  the subsequent return to isotonic conditions continued to elicit a complete reversal of the  $\Delta V_{S+}$  process. This left final stable volumes that were less than the initial baseline volumes, suggesting that  $\Delta V_{S-}$  produced a sustained loss of intracellular solute. Fibres that had undergone a period of  $\Delta V_{S+}$  and were then returned to isotonic Ringer solution additionally demonstrated that  $\Delta V_{S+}$  did not result from the fibre swelling *per se*. Thus, while swollen fibres in hypertonic Ringer solution demonstrated the  $\Delta V_{S+}$  phenomenon, fibres residually swollen to similar extents on return to isotonic Ringer solution due to a preceding  $\Delta V_{S+}$  phase instead showed volume recovery.

However, despite these slow volume transients, the changes in membrane potential ( $\Delta E_m$ ) during these exposures to hypotonic solutions remained close to

predictions that assumed simple osmotic behaviour, conservation of intracellular  $K^+$ , and a dependence of  $E_m$  upon  $E_K$ . Thus, exposures to hypotonic solutions with a range of relative tonicities from 0.75 to 0.42 caused rapid depolarizations compatible with a directly proportional reduction in the ratio  $[K^+]_i/[K^+]_e$ . Similar depolarizations were observed in  $Cl^-$ -containing and  $Cl^-$ -free solutions, thereby excluding any cation- $Cl^-$  cotransport-dependent stabilization of  $E_m$ , in contrast to the  $E_m$  stabilization reported in osmotically shrunken fibres (Ferenczi *et al.* 2004). Return to isotonic Ringer solution then permitted full recovery of  $E_m$  to its resting value.

The present findings thus sharply contrast with the splinting of  $E_m$  but a relatively simple dependence of  $V_c$  upon extracellular osmolarity in fibres studied in hypertonic solutions (Ferenczi *et al.* 2004). Nevertheless, they proved similarly amenable to a recent, charge-difference approach to quantitative modelling (Fraser & Huang, 2004) that invoked osmotic activity in charged intracellular impermeant anions and their possible transmembrane fluxes rather than the  $Cl^-$ -dependent transport processes that had successfully accounted for the earlier observations in hypertonic solutions. Thus, such modelling suggested that the  $\Delta V_{S+}$  that immediately followed the hypotonic volume expansion,  $\Delta V_{R+}$ , without detectable further depolarization of  $E_m$  could reflect a reversible increase in osmotic activity in normally membrane-impermeant intracellular anions ( $X_i$ ), whilst conserving the total intracellular charge carried by  $X_i$  ( $= V_c \times [X]_i \times z_X$ ) through a proportional decrease in  $z_X$ . While such reductions in the magnitude of  $z_X$  would reduce the maximum polarization of  $E_m$ , the predicted depolarization was too small (<2–3 mV) for detection in the present study.  $\Delta V_{S+}$  may thus simply represent an unavoidable, even if inappropriate, consequence of the dilution of cellular contents, which might result in an increase in the osmotic pressure of  $X_i$ , for example due to the depolymerization of proteins (Lew & Bookchin, 1991), an alteration of cellular polymer water compartments (Bookchin *et al.* 1994), or a significant increase in the osmotic coefficient ( $\phi$ ) of  $X_i$  with dilution. However, it is also conceivable that  $\Delta V_{S+}$  might represent a functional response to reduced  $X_i$  content that is inappropriately activated when  $X_i$  is diluted secondary to fibre swelling under hypotonic conditions. Under conditions of stable extracellular osmolarity, a reduction in  $[X_i]$  would tend to *cause* volume decrease (Fraser & Huang, 2004), rather than simply reflecting such a dilution of cellular contents, and therefore a mechanism analogous to  $\Delta V_{S+}$  that could increase  $X_i$  content or osmotic activity towards normal might then be an appropriate corrective response.

However, modelling showed that a converse decrease in  $X_i$  and conservation of the product  $V_c \times [X]_i \times z_X$  was not compatible with the magnitude of  $\Delta V_{S-}$  observed experimentally, since such a mechanism would require

an increase in the magnitude of  $z_X$  to unreasonable values, thereby producing a significant hyperpolarization of  $E_m$ , contrary to experimental observation. Rather, the delayed  $\Delta V_{S-}$  could be readily explained in terms of a simple efflux of  $X_i$ , thereby reducing the total intracellular charge carried by  $X_i$  but conserving  $z_X$  and hence  $E_m$  while reducing the product  $V_c \times [X]_i \times z_X$ . This, together with the observed delay prior to its initiation, would be compatible with  $\Delta V_{S-}$  representing an RVD phenomenon dependent on organic anion efflux that is activated by cell swelling, as has been described in other cell types (Lang *et al.* 1998*a,b*). Such a scheme is then compatible with the observed reversibility of  $\Delta V_{S+}$  and apparent irreversibility of  $\Delta V_{S-}$ . If so,  $\Delta V_{S-}$  would represent, to the best of our knowledge, the first demonstration of RVD in mature skeletal muscle.

## Appendix

The model of Fraser & Huang (2004) was modified in order to model the effects of step changes in extracellular osmolarity,  $\theta_e$ . Previously, the model simply made the assumption that membrane water permeability greatly exceeded ion permeabilities, and therefore ion movements were assumed to be accompanied by sufficient water to maintain equal intracellular and extracellular osmolarities. However, in order to model step changes in extracellular osmolarity, it was necessary to model transmembrane water fluxes explicitly. Thus a permeability term was introduced for  $H_2O$  ( $P_{H_2O} = 1.56 \times 10^{-4} \text{ cm s}^{-1}$ ; Frigeri *et al.* 2004) and transmembrane water movements were then modelled as for any other uncharged molecule. The equations described below replaced eqn (5) in Fraser & Huang (2004), and were calculated in the order that they are presented here.

The concentration of  $H_2O$  in pure water was taken as 55.55 M, and the osmotic coefficient ( $\phi$ ) of each ion was assumed to be unity, such that solution osmolarities were numerically equal to the sum of their constituent ion concentrations. Therefore, the extracellular and intracellular  $H_2O$  concentrations ( $[H_2O]_e$  and  $[H_2O]_i$ , respectively) were given by:

$$[H_2O]_e = 55.55 - \theta_e$$

and

$$[H_2O]_i = 55.55 - [K^+]_i - [Na^+]_i - [Cl^-]_i - [X]_i.$$

$\theta_e$  denotes total extracellular osmolarity, and was thus simply the sum of the concentrations of the extracellular ions. Thus, at the end of each iteration cycle, inward water flux,  $J_{H_2O}$ , was calculated:

$$J_{H_2O} = P_{H_2O}([H_2O]_e - [H_2O]_i).$$

Intracellular water was then assumed to occupy precisely the same volume per mole as in pure water, and so the

change in cell volume,  $\Delta V_c$ , after each iteration was simply:

$$\Delta V_c = J_{H_2O}/55.55.$$

Preliminary simulations showed that the results described by Fraser & Huang (2004) could be precisely reconstituted. However, this change did influence the time course of  $V_c$  and  $E_m$  changes following alterations in extracellular tonicity.

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