# Future trends in mortality of French men from mesothelioma

Alireza Banaei, Bertran Auvert, Marcel Goldberg, Alice Gueguen, Danièle Luce, Stephen Goldberg

# Abstract

*Objectives*—Previous projections of mortality from mesothelioma among French men have used the age-generation method, based on the Poisson regression model. In this study an alternative method to model mortality from mesothelioma was used to predict its future trend: this method was based on the risk function that links this mortality to past exposure to asbestos, combined with population exposure data.

*Method*—Data on past French asbestos imports were used to model the overall past exposure to asbestos in men and assess two extreme scenarios (optimistic and pessimistic) for its future trends. The number of male deaths occurring between the ages of 50 and 79, from 1997–2050, was then calculated with the risk function for mesothelioma.

Results-The results showed that mortality from mesothelioma among French men aged 50-79 will continue to increase, reaching a peak averaging between 1140 (optimistic scenario) and 1300 deaths (pessimistic scenario) annually around the years 2030 and 2040, respectively. No preventive measures applied now will affect this trend before then. These results are similar to those of two other predictions of mortality from mesothelioma among French men: a peak around 2030 of 800-1600 deaths annually among men aged 25-89 years, and a peak around 2020 of 1550 deaths annually among men aged 40-84.

*Conclusions*—Our results indicate that between 1997 and 2050, the most optimistic and pessimistic trends of future exposure will lead to the deaths from mesothelioma of between 44 480 and 57 020 men, with a corresponding loss of from 877 200 to 1 171 500 person-years of life.

(Occup Environ Med 2000;57:488-494)

Keywords: mesothelioma; risk function; mortality trends; prediction; France

Asbestos has been used extensively in industrialised countries for more than a century, causing continuing increases in mortality from mesothelioma.<sup>1 2</sup> The mortality from mesothelioma in France has increased roughly 50-fold among men and 10-fold among women from 1925 to 1996. Because of continuing exposure and the long latency period of the disease,<sup>3</sup>

mortality from mesothelioma will continue to increase for several more decades in France.

The future trend in mortality from mesothelioma has been predicted for the United Kingdom<sup>4</sup> and the United States.<sup>2</sup> In both nations, it will continue to increase, peaking, respectively, around 2020 and 2000. These predictions are derived from age-cohort models: the effects of age and birth cohort are estimated by fitting a log linear Poisson model to the age specific death rates for each 5 year calendar period.<sup>5</sup> Gilg Soit Ilg et al<sup>6</sup> and Peto et al<sup>1</sup> also used an age-cohort model and similar assumptions about the risk of death from mesothelioma in future birth cohorts to predict the future burden of mortality from mesothelioma in France. Although in both the United Kingdom and the United States the risk of death per birth-cohort has already peaked, the available data indicate that it continues to increase in France.

The aim of this study was to predict the future trends in mortality from mesothelioma in French men by a different method. With data on asbestos imports to assess the change of the population's global exposure and a risk function that calculates the risk of death from mesothelioma as a function of past exposure, we modelled past mortality from mesothelioma. We then projected future mortality according to various hypotheses about future exposure trends.

## Data and methods

PAST TRENDS IN EXPOSURE TO ASBESTOS

The qualitative and quantitative variations in asbestos imports may realistically be considered as major factors affecting past occupational exposure in France. Almost all the asbestos used here was imported. These imports probably began around the turn of the century, but data are not available for the periods before 1937 and after 1994 (according to the French Asbestos Association). After a break during the second world war, imports resumed and increased steeply, reaching their peak in 1975. Imports were banned definitively in 1997 (fig 1). Although little information is available about the types of asbestos imported, chrysotile (the least harmful asbestos for mesothelioma<sup>7</sup>) seems to have been the most common. Four phases may be distinguished: (a) before 1937, the quantity of asbestos imports was probably low; (b) between 1937 and 1945, almost no asbestos was imported, because of the war; (c) after the second world war ended there was a steep increase in asbestos imports until 1975; (d) after 1975, asbestos imports decreased, ending finally in 1997.

INSERM Unité 88, Hôpital National de Saint-Maurice, 14 Rue du Val d'Osne, 94410 Saint-Maurice, France A Banaei B Auvert M Goldberg A Gueguen D Luce S Goldberg

Hôpital Ambroise Paré, 9 Avenue Charles de Gaulle, 92104 Boulogne-Billancourt, France B Auvert

Correspondence to: Dr Alireza Banaei alireza@st-maurice.inserm.fr

Accepted 17 March 2000

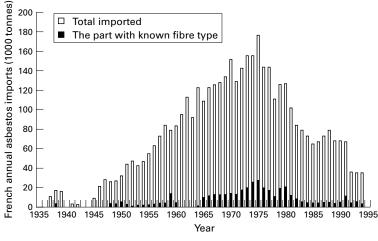


Figure 1 Past French asbestos imports.

 Table 1
 Revisions of the ICD code and codes including pleural cancer in each revision

Revision	Year of adoption	Period of use	ICD code including mesothelioma
3	1920	1925-30	49: Malignant neoplasm of other organs or non specified
4	1929	1930-43	47: Malignant neoplasm of respiratory system
5	1938	1944-49	47: Malignant neoplasm of respiratory system
6	1948	1950-57	47: Malignant neoplasm of respiratory system
7	1955	1958-67	162.2: Malignant neoplasm of bronchus
			162.8: Malignant neoplasm of bronchus, lung, and multiple locations
8	1965	1968-78	163.0: Malignant neoplasm of pleura
9	1975	Since 1979	163.0: Malignant neoplasm of pleura: parietal
			163.1: Malignant neoplasm of pleura: visceral
			163.8: Malignant neoplasm of pleura: other
			163.9: Malignant neoplasm of pleura: unspecified
10	1989	_	C38.4: Malignant neoplasm of pleura

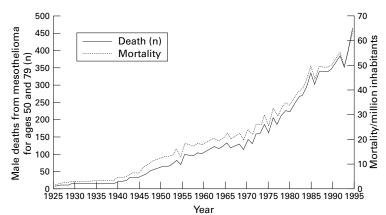


Figure 2 Trends in past incidence and mortality of mesothelioma among men in France.

## MORTALITY FROM MESOTHELIOMA

No mesothelioma registry exists in France, nor is this cause of death a specific category used in death certificates. Deaths from mesothelioma are recorded among the deaths from pleural cancer. French mortality data by age and sex are available from 1925 onward—that is, from the first year that the 3rd revision of the international classification for diseases (ICD-3) was used here. From 1925 to 1996, seven successive revisions (ICD-3 to ICD-9) have been used (table 1). Vallin and Meslé have estimated the number of deaths corresponding to ICD-9 in 1925–78 (the last year that the 8th revision was used).<sup>8 9</sup>

We calculated the number of deaths in men from mesothelioma by multiplying the number of registered deaths under ICD 163 by 0.81, a multiplier obtained from the data of two different studies that estimated overregistration and underregistration.<sup>10 11</sup> Because mesothelioma is rare in young people, and difficult to diagnose in elderly people, we took into account mortality in the ages 50–79 years, considering data for deaths outside this age range insufficiently reliable.

Three phases could be distinguished in the trend of the observed mortality from mesothelioma (fig 2): a stationary, low rate before 1940, a slowly increasing rate in 1940-1970, and a steep slope after 1970. The initial stationary rate may correspond to the background incidence without exposure. Because the latency period for mesothelioma is about 35 years,<sup>3</sup> exposure to asbestos, which began early in this century, should have affected the mortality from mesothelioma from roughly 1940 onward. The rapid increase in the rate that began around 1975 corresponds, in view of the latency period, to the post-war period, when the industrial use of asbestos became widespread.

## RISK FUNCTION

Our approach is based on a risk function composed of two separate functions: a background risk function (the right hand term in the right hand side of equation 1), which depends only on age<sup>12</sup> and a function for the excess risk due to exposure to asbestos (the left hand term in the right hand side of equation 1), which links a person's risk of dying from mesothelioma R(A) at a given age A with their past exposure to asbestos. In this excess risk function, each brief period of exposure at age a < A increases subsequent risk by an amount proportional to the concentration of exposure at that age c(a)multiplied by a power of time from that point  $A-a^{13}$ :

$$R(A) = K_e \sum_{a=0}^{a=A} c(a) (A-a)^{p_e} + K_b A^{p_b}$$
(1)

 $K_e$  and  $K_b$  are the coefficients, and  $P_e$  and  $P_b$  the exponents for the excess risk and background risk functions, respectively.

The risk function for mesothelioma has been studied in the past, and its parameters have been estimated.<sup>13–16</sup> Almost all of these studies, however, are based on groups of highly and uniformly exposed workers. We estimated the parameters of equation 1 for a general population with heterogeneous and mostly low levels of exposure.

(1) To estimate the parameters of the background model (the right hand term in the right hand side of equation 1), we used the mortality data from 1925 to 1935. Because asbestos imports into France began around the turn of the century, and because of the lag period of mesothelioma of 30–40 years, any occupational exposure to asbestos affecting mortality from mesothelioma in 1925–35 would have occurred before 1900. Moreover, this mortality was relatively stable over the decade in question (fig 2). All these reasons, taken together, justify considering mortality

from mesothelioma during this decade to be the background level. We estimated this mortality per year (11 years from 1925 to 1935) and per age group (six groups from 50–4 to 75–9 years) according to the background model and fitted it to the real data by varying  $K_b$  and  $p_b$ . This resulted in  $p_b$ =3.5 and  $K_b$ =1.5×10<sup>-12</sup>, in accordance with previous estimates.<sup>12</sup>

(2) The parameters of the excess risk function were assessed on the basis of a sample of the French male population for whom the history of exposure to asbestos was known.17 We used the bootstrap resampling method: 1000 bootstrapped samples were drawn from the original sample, and for each one, the risk per year and per age group has been calculated according to equation 1. Previously calculated parameters have been used for the background risk.  $K_e$  and  $p_e$  were varied for each sample to get the best fit to the real (observed) data. This resulted in 1000 values for  $K_e$  and  $p_e$ . We found that for  $p_{1}$  in the range 3.4–4.7, and  $K_{2}$  in the range 3.34×10<sup>-12</sup>-6.38×10<sup>-10</sup>, and a background mortality from mesothelioma proportional to the 3.5th power of age  $(P_b=3.5)$  (with a proportionality coefficient  $K_{\rm h}$  of  $1.5 \times 10^{-12}$ ), we can satisfactorily model the past mortality from mesothelioma in the French male population. Previous estimations of  $p_e$  lie within the range 2–3, whereas those for  $K_e$  are roughly 10<sup>-10</sup>-10<sup>-8</sup>.16

HYPOTHESIS OF A STANDARD EXPOSURE WINDOW To facilitate the modelling here, we have assumed that all exposed people were the same age at first exposure  $(A_a)$  and were exposed for the same duration of time *L*. Then, with *a* as the age variable, we define the function *U* as follows:

$$U(A_0, L; a) = \begin{cases} 0 & \text{if} \quad a < A_0 \\ 1 & \text{if} \quad A_0 \le a \le A_0 + L \\ 0 & \text{if} \quad a > A_0 + L \end{cases}$$
(2)

and then denote as  $c_i$  the level of exposure for individual *i*. The function c(a) in equation 1 becomes

$$c(a) = c_i U(A_0, L; a) \tag{3}$$

and  $c_i$  is the only term that varies among people. Thus, with  $R_i(A)$  representing the risk for individual *i* at age *A*, equation 1 becomes

$$R_i(A) = K_e c_i \sum_{a=0}^{a=A} U(A_0, L; a) (A-a)^{p_e} + K_b A^{p_b}$$
(4)

The risk at every age for each birth-year cohort is calculated as the mean of the corresponding individual risks—that is,  $c_i$  is replaced by its mean—and equation 4 provides the mean risk at a given age. Because this mean risk is calculated by generation and all the other parameters are constant for each generation, the mean of each  $c_i$  (the mean exposure level per generation) is the only term that varies among generations and thus the only term that

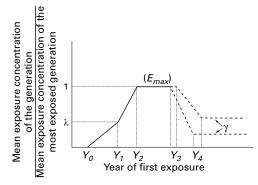


Figure 3 Trends in the mean exposure level per age at first exposure.

represents the variation in exposure among generations. The proportion of exposed people is thus included in this mean level and does not need to be assessed separately (a generation with fewer, but more highly exposed people may result in the same mean exposure level). The mathematical consequence of the standard exposure window hypothesis is that the distribution of the exposure among a generation is of no importance and only the mean of exposure levels counts. We assessed the past trend in the mean exposure level per generation  $(c_i)$  from data about French asbestos imports and predicted its future trend on the basis of two extreme hypotheses, optimistic and pessimistic.

Trend in the mean exposure level per generation: according to our assumption, the age at first exposure,  $A_0$ , is the same for all cohorts. This means that all exposed jobs that began in a given year correspond to people in the same birth cohort. To model the past trend in this mean exposure concentration, we assumed that for all jobs that began in a given year, the mean exposure concentration (the mean of all exposure levels including zero) varied according to the level of asbestos imports. That is, it went through five phases: slow increase, steady increase, stationary, decrease, and residual (fig 3). According to this assumption, exposure began in year  $Y_0$ : the mean exposure concentration was higher for workers who started their job in year  $Y_0+1$  than for those who started in  $Y_0$ . The rate of increase was low until year  $Y_1$  and higher thereafter, until the highest concentration,  $E_{max}$ , was reached in year  $Y_2$  ( $Y_1$  and  $Y_2$  are years of start of exposure, and  $E_{max}$  is the mean annual exposure in fibres/ml/year). We assumed that the mean exposure concentration of people whose exposure began in year  $Y_1$  was  $\lambda E_{max}$  with  $\lambda < 1$ . We also assumed that the maximum concentration continued until year  $Y_3$ , decreased thereafter to reach the residual level of  $\gamma E_{max}$  for year  $Y_4$ , and will continue at this concentration for a long period (fig 3). This assumption is represented by the product  $E_{max} \times E(Y_0, Y_1, Y_2)$  $Y_3$ ,  $Y_4$ ,  $\lambda$ ,  $\gamma$ ;  $g+A_0$ ), which provides the annual mean exposure concentration for generation g; *E* is the function in figure 3 and varies between 0 and 1. Finally the mean risk for generation gat age A is given by:

R

$$egin{aligned} &(g, A) = \ &K_e E_{\max} E(Y_0, Y_1, Y_2, Y_3, Y_4, \lambda, \gamma; g + A_0) \ &\sum_{a=0}^{a=A} U(A_0, L; a) (A-a)^{p_e} + K_b A^{p_b} \end{aligned}$$

## THE MODEL'S PARAMETERS

The model's parameters are (1)  $K_e$ ,  $K_b$ ,  $P_e$  and  $P_{b}$ , the parameters of the risk function; (2)  $A_{o}$ and L, the parameters of the pattern of individual exposure time; and (3)  $\lambda$ ,  $\gamma$  and  $E_{max}$ , the parameters of the change in the mean exposure by generation from  $Y_0$  to  $Y_4$ . Because  $E_{max}$  (multiplied by  $K_{o}$ ) is common to all expressions in the excess risk model, it can be factorised, and the product  $K_e E_{max}$  considered as one coefficient. The risk of dying from mesothelioma was calculated for the period from 1925 (the first year for which data are available) to 2050, and for ages 50-79-that is, for the cohort born in 1845 to that born in 2000. The corresponding number of deaths per age has been calculated as the product of the risk for each birth cohort and each age included in our study multiplied by the corresponding population size (real population size for the past, and future projections supplied by the French National Institute for Statistics and Economics Studies, INSEE). The  $K_e E_{max}$  product was varied to get the best fit between estimated and observed data (deaths 1925-96 per age group from 50-4 to 74-9: 432 cells or pairs of observed-estimated data) by minimising the quadratic distance between the two sets of data. The goodness of fit was assessed by the distance d, defined as

$$d = \sum_{i} (O_i - E_i)^2 / E_i \tag{6}$$

where  $O_i$  is the observed and  $E_i$  the estimated number of deaths. To avoid very low values of  $E_i$  in the period of 1925–34, when there were very few deaths from mesothelioma, specially in the younger age groups, we merged the cells over this period into 5 year periods. For example, instead of 10 cells for the 50–4 age group

Table 2 Range of variation of parameters affecting the fit

Parameter	Range
P.	2, 2.5, 3, 3.5, 4, 4.5, 5
A <sub>0</sub>	15, 16, 17,, 30
L	1, 5, 10, 15, 20, 30
$Y_{a}$	1890, 1891, 1892,, 1905
$Y_{i}$	1940, 1941, 1942,, 1950
λ	0.1, 0.2,, 0.5
$Y_2$	1965, 1966, 1967,, 1980
$\tilde{Y_3}$	1980, 1990

 $P_i$ =exponent of the excess risk function;  $A_o$ =standard age at first exposure; L=standard duration of exposure;  $Y_o$ =first year of occupational exposure to asbestos;  $Y_i$ =year that the rate of increase of the mean exposure concentration per generation began to accelerate (see fig 3);  $\lambda$ =ratio of the mean exposure concentration for the generation that began working in the year  $Y_i$  and the concentration for the most exposed generation  $(E_{max})$ ;  $Y_2$ =year that the first of the most exposed generations began working;  $Y_3$ =year that the last of the most exposed generations began working. and the 1925–34 period, we used two cells, corresponding to the 1925–9 and 1930–4 periods. This resulted in 384 rather than 432 cells.

We varied the excess risk model parameters through some plausible ranges (table 2). The range for  $P_{e}$  (2–5) was determined to include previous estimates as well as our sample based estimates. The ranges of  $Y_0$ ,  $Y_1$ ,  $Y_2$ , and  $\lambda$  were based upon the asbestos import data. Figures 1 and 3 show  $Y_0$  around 1900 for first exposures,  $Y_1$  around 1945 for the steep increase in asbestos imports and use after the second world war,  $Y_2$  around 1975 for the peak of asbestos imports, and  $\lambda$  0.1–0.5 to cover all possibilities suggested by the trend in asbestos imports already discussed. Those for  $A_{a}$  (the standard age at first exposure) and L (the standard duration of exposure) were chosen to cover all the plausible possibilities. For further projections, we defined two extreme scenarios: (a) the mean exposure decreased rapidly for jobs starting after 1980 or 1990 (Y<sub>3</sub>=1980,1990) and will reach the residual concentration of 10% of  $E_{max}$  ( $\gamma=0.1$ ), for jobs beginning after 2010 ( $Y_4$ =2010); and (b) exposure will stay at its maximum concentration until the end of our study ( $\gamma$ =1). We repeated all the processes already described (calculating the number of deaths per generation and per age, fitting the results to the observed data by varying the  $K_{e}E_{max}$  coefficient and calculating the distance d for every combination of parameters (15 138 819 combinations). We used d to compare the fits among them: the best fit corresponds to the scenario resulting in the lowest value for d; for the sensitivity analysis, we defined by analogy to the  $\chi^2$  statistic an acceptability threshold for d equal to the value of  $\gamma^2$ with 384 degrees of freedom and  $\alpha$ =0.05.

For each year in 1997–2050, it has been assumed that all men at an age have a life expectancy equal to the mean for men at that age in 1995. This procedure assumes that life expectancy will not change throughout the next half century. We calculated the number of person-years lost because of deaths from mesothelioma (per year and per age), as the product of the corresponding number of deaths and life expectancy.

All programs were written in the *Matlab* specific and C programming languages running under the *Matlab* environment.

#### Results

The mortality data used to fit the model came from the period 1925-96. Both the optimistic and pessimistic scenarios resulted in the same mortality at each point during this period (for any given set of other parameters) and, therefore, in the same fit and the same value for the  $K_{e}E_{max}$  coefficient. The difference between the two extreme scenarios appeared only after 2020. The best fit (lowest d) was obtained with  $p_e=4, A_0=27, L=5, Y_0=1898, Y_1=1940, Y_2$ = 1975,  $Y_{2}$  = 1980 or 1990, and  $\lambda$  = 0.3. The range of  $Y_3$  did not affect the fit over the period 1925-96 corresponding to the observed data. Of 15 138 819 parameter combinations (for each of the optimistic and pessimistic scenarios), 71 152 resulted in acceptable fits, with a d value below our defined threshold.

Table 3 Number of deaths observed (top) and estimated (2.5-97.5 percentiles)

	1925–9	1930–4	1935–9	1940–4	1945–9	1950–4	1955–9	1960–4	1965–9	1970–4	1975–9	1980–4	1985–9	1990–4	1995–6
50-4	5	5	5	10	21	38	59	50	38	45	89	108	131	121	51
	(10 - 13)	(12 - 16)	(15 - 18)	(18 - 22)	(20-25)	(28-36)	(34 - 44)	(38-50)	(37-49)	(40-52)	(69-86)	(81-103)	(89 - 114)	(91 - 120)	(36-52)
55–9	11	15	16	29	51	80	93	113	97	81	105	163	210	209	76
	(11 - 13)	(13 - 20)	(19 - 26)	(27 - 34)	(32-39)	(40 - 48)	(58 - 71)	(72 - 90)	(81 - 102)	(78–99)	(95-116)	(158-185)	(188 - 222)	(208-252)	(85-106)
60-4	11	15	20	29	45	64	85	129	134	137	127	195	296	345	152
	(13-13)	(13-16)	(15 - 28)	(28 - 40)	(38 - 48)	(50-59)	(64 - 75)	(96-113)	(120 - 143)	(136-163)	(132-159)	(165-191)	(277-305)	(332-375)	(145-169
65–9	10	13	14	28	46	63	86	108	143	159	207	209	321	424	200
	(13-13)	(13-13)	(13 - 18)	(19 - 38)	(33-50)	(51-65)	(70 - 82)	(94-106)	(139-158)	(176 - 202)	(202-233)	(199 - 229)	(253-284)	(429-464)	(195-219
70-4	9	10	10	20	30	49	84	93	121	171	246	286	286	364	237
	(11 - 11)	(12 - 12)	(13-13)	(13 - 19)	(18 - 39)	(37-59)	(61 - 78)	(87 - 102)	(118-133)	(175 - 197)	(225-255)	(263-299)	(266 - 301)	(349-393)	(221-247
75–9	8	10	10	18	35	56	62	75	96	119	185	268	370	323	153
	(8-8)	(9-9)	(9-9)	(10 - 10)	(10 - 15)	(16-38)	(36-58)	(63-82)	(90 - 108)	(121 - 142)	(184-215)	(244-285)	(297-346)	(310-357)	(122-143

Table 3 compares the observed and calculated numbers of deaths grouped by 5 year age groups and periods.

Diverse effects resulted from varying the model's parameters. Reducing  $A_{a}$  led to an increase in the projected mortality, especially in the pessimistic scenario, because of its preponderant effect on mortality after 1996. Varying L, the duration of exposure, had almost no effect on mortality. Reducing  $Y_{a}$  increased the

Table 4 Ranges of parameters of the selected scenarios

	Minimum	2.5th Percentile	Mean	97.5th Percentile	Maxi mum	
P	3	3	3.65	4.5	4.5	
A <sub>0</sub>	21	23	27.75	30	30	
Ľ	1	1	13.54	30	30	
Y.	1892	1894	1899.9	1904	1905	
Ž,	1940	1940	1942.5	1948	1948	
	0.3	0.3	0.34	0.4	0.5	
7	1965	1965	1972.8	1980	1980	
Ĩ,	1980	1980	1985	1990	1990	

 $P_i$ =exponent of the excess risk function;  $A_o$ =standard age at first exposure; L=standard exposure duration;  $Y_o$ =first year of occupational exposure to asbestos;  $Y_i$ =year that the rate of increase of the mean exposure concentration per generation began to accelerate (see fig 3);  $\lambda$ =ratio of the mean exposure concentration for the generation that began working in the year  $Y_i$  and the concentration for the most exposed generation ( $E_{max}$ );  $Y_2$ =year that the first of the most exposed generations began working;  $Y_3$ =year the last of the most exposed generations began working.

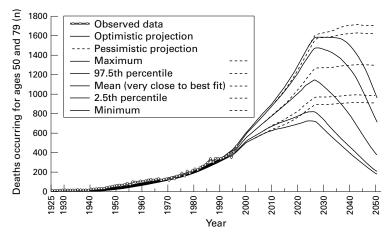


Figure 4 Mortality from mesothelioma and projections. Observed data (thick grey circled line); optimistic (full line) and pessimistic (dashed lines) projections, with minimum, 2.5 percentile, mean, 97.5 percentile, and maximum respectively from bottom to top. Mean curves are very close to the best fits (not shown here).

Table 5 Results overview

Optimistic	Pessimistic
Annual mortality peak {year of the peak} (mean 1140 {2026} (820 {2026}-1480 {2027})	(2.5 percentile–97.5 percentile)): 1300 {2043} (990 {2043}–1630 {2043})
Total number of deaths occurring in 1995–2050 y 44 480 (32 860–58 910)	period (mean (2.5 percentile–97.5 percentile)): 57 020 (45 430–68 730)
Total of lost person-years of life due to deaths occ (mean (2.5 percentile–97.5 percentile)):	
877 200 (647 300-1 163 100)	1 171 500 (913 800–1 419 900)

risk for the first generations exposed, and thus the number of deaths before 1996; consequently, it reduced the coefficient  $K_e E_{max}$  and projected mortality. Either increasing  $Y_1$  or decreasing  $\lambda$  reduced the number of deaths before 1996 and increased both the coefficient  $K_e E_{max}$  and the projected mortality. Increasing  $Y_2$  increased overall projected mortality; its effect on the results was greatest when  $\lambda$  was lowest. The effects of  $Y_3$ ,  $Y_4$ , and  $\gamma$  were exerted primarily on the generations in which most of the deaths between the ages of 50 and 79 years did or will appear after 1996. Their increase will thus cause projected mortality to increase. The increase of the exponent  $p_{a}$  resulted in an exponential increase of the mortality among older age groups. To offset this effect, the fitting process automatically decreased the  $K_e E_{max}$ coefficient at the same time as it shifted the  $Y_{0}$  $-Y_2$  parameters slightly to the left.

Table 4 reports the range of parameters that resulted in acceptable fits. Note that the ranges mentioned here are not confidence intervals. The mean (range)  $p_e$  parameter was 3.65 (3–4.5). The mean (range) age at first exposure,  $A_0$  was 27.75 (21–30). The mean (range) duration of exposure L was 13.5 (1–30).i

The mean (range)  $K_{\epsilon}E_{max}$  coefficient was  $1.52\times10^{-11}$  ( $2.28\times10^{-13}$  to  $6.24\times10^{-11}$ ). Data from the sample<sup>17</sup> showed that the most exposed cohort was that born around the year 1940; its mean cumulative exposure was about 0.8 fibres/ml.  $K_{\epsilon}$  can be calculated by multiplying  $K_{\epsilon}E_{max}$  by the duration of exposure L and then dividing by 0.8. This equation yielded a mean (range) for  $K_{\epsilon}$  of  $3.9\times10^{-10}$  ( $2.66\times10^{-9}$  to  $4.98\times10^{-13}$ ).

Figure 4 and table 5 report the mortality results for both the optimistic and pessimistic scenarios. In both, mortality from mesothelioma will continue to increase and will reach a peak between 2025 and 2040. In the optimistic scenario, the mean (2.5-97.5 percentile) was 1140 (820-1480) deaths per year for people aged 50-79 (all results corresponding to the best fit scenario are quite close to the mean values, which could therefore be regarded as the results of the scenario that best fits the observed data), and will be reached around 2027; mortality will drop thereafter; and for the period 1997-2050 there will be 44 480 (32 860–58 910) mean (range) deaths, and 877 200 (647 300-1 163 100) lost personyears attributable to mesothelioma. The pessimistic scenario foresees a mean (range) 1300 (990-1630) deaths annually in about 2040; it will stay at this maximum value (saturation level) until the end of the study. This corresponds to 57 020 (45 430–68 730) mean (range) deaths and 1 171 500 (913 800–1 419) lost person-years during the period 1997–2050.

These results indicate that any reduction in exposure to asbestos now will not affect the trend in mortality from mesothelioma before the year 2030. Such a reduction would, however, save about 10 000 lives and 275 000 person-years of life to the year 2050.

## Discussion

The number of deaths from mesothelioma has been estimated from deaths coded as pleural cancer (code 163 ICD-9). Based on studies limited in time and space,<sup>10</sup> <sup>11</sup> we used the ratio 0.81 between the number of deaths from pleural mesothelioma and all deaths coded ICD 163 as established around 1990, a period during which the epidemic of mesothelioma associated with asbestos was well under way. None the less, we applied it to data for France as a whole for the entire period 1925-96, thereby assuming that these ratios remained constant over this 72 year interval. If, however, other types of pleural cancer did not increase during the period under consideration, the 0.81 ratio would tend to overestimate the number of past deaths from pleural mesothelioma and would thus lead to an underestimation in our projections.

Another source of error could also involve the number of past deaths from pleural cancer. These were estimated over several revisions of the ICD, and each estimation could be a source of error. Also, the coding process necessarily includes errors. Technological advances in medicine are leading to ever more exact diagnoses of cause of death. It is thus highly probable that the risk of classification errors in both directions (false positive and false negative) is more common for the older data. None the less, these two errors seem to be independent, and we hope that they essentially cancel each other out.

Despite all of these possible sources of error, these data and estimates are the only means we have to come close to an accurate assessment of the number of deaths from mesothelioma. We have tried to reduce these errors by considering an age interval for which diagnostic error is relatively less frequent. In the absence of more reliable data, these are the best mortality figures available.

Peto *et al* used a ratio of 1 for overall deaths in men from mesothelioma to mortality from pleural cancer for the French data.<sup>1</sup> Our estimation of 81% is based on data that include certain and probable mesotheliomas. If we had included the tumours considered as possible mesotheliomas, we too would have obtained a ratio of 100%. Substituting a 100% ratio increases all the results presented above by 20%. Gilg Soit Ilg *et al* used the value of 0.797 for this coefficient.<sup>6</sup> This slight difference arises from a difference in our initial data.

Our choice to standardise age at first exposure and duration of exposure was hypothetical. It did, however, allow mean exposure concentrations to be assessed for each birth year cohort rather than for each person separately. We compared actual mortality with the application of this hypothesis among a sample of French men with precise individual histories of exposure to asbestos.17 We calculated the mean risk per age and per cohort by two methods: (a) taking into account individual exposure profiles, with different ages at first exposure, durations of exposure and exposure concentrations, and (b) assigning the same age at first exposure and the same duration of exposure to all exposed people; for these parameters we used the values found to result in acceptable fits. The two methods yielded similar approximations of the risks (results not shown). Furthermore, the results obtained with this conjectural assumption fit the observed data well.

The figures on imports of asbestos provide a rough measure of the French population's global exposure, as imports have been the exclusive source of asbestos in France. Takahashi et al have shown that, with a time lag, there is a strong correlation between overall consumption of asbestos and both the incidence of and mortality from mesothelioma in 10 western nations and Japan.<sup>18</sup> The curve of mortality from mesothelioma for Great Britain presented by Peto et al matches almost perfectly the curve of asbestos imports for that country (with a lag of roughly 50 years).<sup>4</sup> We can therefore reasonably assume that an increase in asbestos imports augments the exposure of the overall population-either exposure concentration or the proportion of exposed people, or both-proportionately to the rate of that increase. We can also assume that the contaminating effect of imported asbestos continues for a long time after being imported, so the consequences of decreased imports are less evident, at least over the short term. The cumulative effect of previously imported asbestos may persist for several years, through several stages of its use, from the asbestos transformation industry involved almost immediately after importation to the subsequent changes in materials that contain asbestos, which may occur years later. Our two extreme hypotheses are designed to cover all possibilities. Regulatory actions that aim to reduce exposure to asbestos partially decreased the exposure of the overall population: the first regulations in France were issued fairly late, in 1977, and concerned only a small fraction of the general population of French men. Moreover, although the first wave of deaths from mesothelioma resulted from high exposure among the small group of workers involved in asbestos production and transformation, from the 1980s onward nearly all cases have been due to lower concentrations of exposure on a much wider scale. These are associated with manufacture of material containing asbestos, and at least until very recently in France, have not been affected by the protective measures taken.4 7 19 We can assume that our optimistic scenario, which concerns the generations whose first exposure occurred after 1980  $(Y_4)$ 

takes all current regulations into account for these generations.

Our projections-both pessimistic and optimistic scenarios included-for around the year 2030 range between 820 and 1630 deaths annually and are thus close to those of Gilg Soit Ilg et al, who projected between 800 and 1600 deaths annually around the year 2030. Their optimistic hypothesis assumes that the risks of future birth cohorts, starting at the value estimated for the 1954-8 birth cohort, will decrease continuously to zero for the cohort born in 2034-8; their pessimistic hypothesis supposes that the risks of future birth cohort risks will stay at the level of the highest estimated past cohort. They calculated the male mortality for ages 25-89, whereas we considered only men aged 50-79 years. The risk of mesothelioma is low before the age of 50, and although it is higher in older age groups, after the age of 80, the relatively small population for this age group means that the actual number of deaths is low.

Their pessimistic projection reaches a steady state of 2500 deaths annually around the year 2050, whereas our comparable scenario projects a steady state of 990-1630 deaths annually around the year 2040. Some of this difference may be explained by the increased life expectancy combined with consideration of deaths from mesothelioma after the age of 80. Also, Gilg Soit Ilg et al used observed data for the period 1951-95, whereas we used observations from 1925 to 1996 and thus fitted our model to more points. Peto et al, with the same method as Gilg Soit Ilg et al, predicted a peak of 1550 deaths annually around the year 2020 for the French male population, with a total of 45 000 deaths to men of 40-84 years old in 1995-2029.1 They presumed an overall ratio of deaths from mesothelioma to deaths from pleural cancer of 1:1; had they used the 0.81 ratio, their peak value would have been 1255 deaths annually, close to our results.

#### Conclusion

We modelled past trends in exposure to asbestos in French men with data on asbestos imports and past mortality from mesothelioma. With two extreme hypotheses on future exposure trends and a risk function that indexes the risk of death from mesothelioma as a function of past exposure to asbestos, we have calculated the number of deaths from mesothelioma to the end of 2050.

According to our results, the number of deaths from mesothelioma among French men aged 50–79 will continue to increase, reaching a peak of 820–1300 deaths annually around the year 2030. Until that year, no preventive measure applied now will affect this trend.

From 1997 to 2050, the most optimistic and pessimistic trends of future exposure will lead to the deaths of 44 480–57 020 men from mesothelioma, with a corresponding loss of 877 200–1 171 500 person-years of life.

Our results indicate that no future preventive measures will affect the trend in mortality from

mesothelioma in men until after 2030. The banning of imports that began in 1997 in France will certainly play an important part in an immediate reduction in high exposure and a longer term reduction in lower exposures. Most of the deaths in the future, however, will be due to intermediate and low concentrations of exposure affecting a large portion of the population. Thus, although the French occupational health and safety authorities have taken many measures in recent years to improve protection, especially for the many occupations involved in work with materials containing asbestos-for example, in the construction industry-more concrete measures are required to protect most of the exposed population. Removal of existing asbestos, especially in buildings, could be an effective protection, provided that it could be done in a way that was safe for the workers involved.

This work was supported by grants from the Ministère du Travail and La Ligue Nationale contre le Cancer. Special thanks to Dr Jean-Pierre Nakache and Jo Ann Cahn for their invaluable help.

- 1 Peto J, Decarli A, La Vecchia C, et al. The European mesothelioma epidemic. Br J Cancer 1999;**79**:666–72.
- Price B. Analysis of current trend in United States mesothelioma incidence. *Am J Epidemiol* 1997;145:211–8.
   Selikoff IJ, Churg J, Hammond EC. Relation between expo-
- 3 Selikoff IJ, Churg J, Hammond EC. Relation between exposure to asbestos and mesothelioma. N Engl J Med 1965;272:560–5.
- 4 Peto J, Hodgson JT, Matthews FE, et al. Continuing increase in mesothelioma mortality in Britain. Lancet 1995;345: 535-9.
- 5 Robertson C, Boyle P. Age-period-cohort analysis of chronic disease rates. I: Modelling approach. Stat Med 1998;17:1305–23.
- 6 Gilg Soit Ilg A, Bignon J, Valeron AJ. Estimation of the past and future burden of mortality from mesothelioma in France. Occup Environ Med 1998;55:766–70.
- 7 INSERM. Effets sur la santé des principaux types d'exposition à l'amiante. Paris: Collection Expertises Collectives, 1996.
- 8 Vallin J, Meslé F, INED, eds. Les causes de décès en France de 1925 à 1978. Paris: Press Universitaire de France; 1988. (Travaux et documents; Cahier No 115.)
- 9 Vallin J, Meslé F. Comment suivre l'évolution de la mortalité par cause malgré les discontinuités de la statistique ? Le cas de la France de 1925 à 1993. Paris: Press Universitaire de France, 1996.
- 10 Iwatsubo Y, Pairon JC, Pierre N, et al. Evaluation de l'incidence du mésothéliome pleural en France. Paris: Ministère du Travail, 1995.
- 11 Ménégoz F, Grosclaude P, Avreux P, et al. Incidence du mésothéliome dans les registres du cancer français: estimations France entière. Bulletin Epidemiologique Hebdomadaire 1996;12:57–58.
- 12 Peto J, Handerson B, Pike M, et al, eds. Quantification of occupational cancer. Trends in mesothelioma incidence in the US and the forecast epidemic due to asbestos exposure during World War II. Cold Spring Harbor: Cold Spring Harbor Laboratory 1981:51-72. (Banbury report no 9.)
- 13 Peto J. Dose-response relationships for asbestos-related disease: implications for hygiene standards. Part II. Mortality. Ann NYAcad Sci 1979;330:195–203.
- 14 Berry G. Prediction of mesothelioma, lung cancer, and asbestosis in former Wittenoom asbestos workers. Br J Ind Med 1991;48:793–802.
- 15 Peto J, Seidman H, Selikoff IJ. Mesothelioma mortality in asbestos workers: implications for models of carcinogenesis and risk assessment. Br J Cancer 1982;45:124–35.
- and risk assessment. Br J Cancer 1982;45:124–35.
  16 Hughes JM, Weill H. Asbestos exposure: quantitative assessment of risk. Am Rev Respir Dis 1986;133:5–13.
- 17 Goldberg M, Banaei A, Goldberg S, et al. Past occupational exposure to asbestos among men in France. Scand J Work Environ Health 2000;26:52–61.
- 18 Takahashni K, Huuskonen M, Tossavainen A, et al. Ecological relationship between mesothelioma incidence/mortality and asbestos consumption in 10 western countries and Japan. J Occup Health 1999;41:8–11.
- Japan. J Occup Health 1999;41:8-11.
  19 Iwatsubo Y, Pairon JC, Boutin C, et al. Pleural mesothelioma: dose-response relation at low levels of asbestos exposure in a French population-based case-control study. Am J Epidemiol 1998;148:133–42.