## **Evidence for proton transfer in the rate-limiting step of a fast-cleaving Varkud satellite ribozyme**

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**A fast-cleaving version of the Varkud satellite ribozyme, called RG, shows an apparent** *cis***-cleavage rate constant of 5 sec1, similar to the rates of protein enzymes that catalyze similar reactions. Here, we describe mutational, pH-rate, and kinetic solvent isotope experiments that investigate the identity and rate constant of the rate-limiting step in this reaction. Self-cleavage of RG exhibits a** bell-shaped rate vs. pH profile with apparent pK<sub>a</sub>s of 5.8 and 8.3, **consistent with the protonation state of two nucleotides being important for the rate of cleavage. Cleavage experiments in heavy water (D2O) revealed a kinetic solvent isotope effect consistent with proton transfer in the rate-limiting step. A mutant RNA that disrupts a peripheral loop–loop interaction involved in RNA folding exhibits pH- and D2O-independent cleavage 103-fold slower than wild type, suggesting that this mutant is limited by a different step than wild type. Substitution of adenosine 756 in the putative active-site loop with cytosine also decreases the cleavage rate 103-fold, but the A756C mutant retains pH- and D2O-sensitivity similar to wild type, consistent with this mutant and wild type being limited by the chemical step of the reaction. These results suggest that the RG ribozyme provides a good experimental system to investigate the nature of fast, rate-limiting steps in a ribozyme cleavage reaction.**

kinetic solvent isotope effect | kinetics | Neurospora | pH vs. rate

Since the discovery of RNA catalysis, several natural RNAs and many more RNA and DNA sequences obtained by *in vitro* selection have been shown to catalyze the cleavage and/or ligation of phosphodiester bonds, as well as other chemical activities. Recent work has begun to investigate the range of catalytic mechanisms used by ribozymes and to understand the similarities and differences with protein enzymes (1–3). The local environment of a folded RNA can shift the  $pK_a$  of certain nucleobases by two or more pH units into the range where they could function as proton donors or acceptors in general acid– base catalysis, similar to histidines in their protein counterparts (4). Charged nucleobases could also participate in electrostatic stabilization in the transition state. Indeed, the bell-shaped rate vs. pH curves typical of protein enzymes that use general acid–base catalysis have been observed for certain hepatitis delta virus (HDV) ribozymes (5, 6) and Varkud satellite (VS) ribozyme (this study).

Most previously characterized versions of the *Neurospora* VS ribozyme showed rather slow *cis*- or *trans*-cleavage apparent rate constants  $(k_{obs})$  in the range of 1 min<sup>-1</sup> or less and were only slightly affected by pH between pH 5.5 and 9.0 (7); however, a *trans*-ligating construct did exhibit pH dependence below pH 7.0 (8). Other observations have also raised the possibility that a protonated group could be involved in the rate-limiting step of a VS ribozyme reaction pathway. For example, Strobel and colleagues (9) observed pH-dependent rescue of a ligation reaction by using nucleotide analog substitutions at position 756 in the putative active-site loop of the ribozyme but not at other positions. Also, Lilley and coworkers (10) showed that substitution of A756 with imidazole supported cleavage and ligation,

although it was not reported whether this effect was unique to position 756 or whether the reaction was affected by pH.

Recently, VS (11) and hammerhead (12, 13) ribozymes have been described that exhibit cleavage and/or ligation rate constants two to three orders of magnitude faster than observed with previous constructs, and in the range of those of protein enzymes that catalyze similar reactions. These RNAs appear to have overcome whatever slow step was limiting the observed rate of previous versions of the ribozyme and they may provide experimental systems to investigate faster steps in the kinetic pathway of site-specific phosphodiester bond cleavage. In the current work, we provide evidence consistent with proton transfer and general acid–base catalysis in the rate-limiting chemical step of the VS cleavage reaction.

## **Results and Discussion**

**The Fast-Cleaving VS Ribozyme, RG, Exhibits pH- and Heavy Water (D2O)-Sensitive Cleavage.** If one or more protonated species are involved in the rate-limiting step of cleavage, the observed rate of the cleavage reaction would be expected to vary with pH. Fig. 1*A* (filled circles) shows that this is indeed the case, with the reaction exhibiting a bell-shaped curve very similar to that of certain HDV ribozymes (5, 6) and some protein enzymes that employ general acid–base catalysis (15–17). We fit these data to the model in Fig. 1*C*, which describes the expected rate vs. pH behavior of a hypothetical enzyme in which one functional group must be protonated, and another deprotonated to obtain the maximal cleavage rate (18, 19). The experimental data fit very well to this model, which provides estimates of 270 min<sup>-1</sup> for the maximal cleavage rate, and 5.8 and 8.3 for the apparent pKa values of the two hypothetical functional groups. These data show that the rate-limiting step of RG cleavage is pH-dependent and provide circumstantial evidence for the involvement of two titratable functional groups.

Herschlag and coworkers (20) have pointed out that an apparent  $pK_a$  can result from deprotonation of multiple functional groups each with a  $pK_a$  significantly greater than the apparent pKa. We attempted to fit the RG data in Fig. 1*A* to a model in which one of the apparent  $pK_a$  values resulted from such a phenomenon by using a range of hypothetical  $pK_a$  values (from 8.3 to 9.8) and titratable groups (from  $n = 1$  to 20). The shapes of these curves are qualitatively different from the bell-shaped curve [except in the case of  $pK_a = 8.3$  and  $n = 1$ , which reduces to the same model as in Fig. 1*C*; also see

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Fig. 1. The effect of pH and D<sub>2</sub>O on cleavage rate. (A) Rate vs. pL (pH or pD) profiles of RG in H<sub>2</sub>O (filled circles), RG in D<sub>2</sub>O (open circles), RGkV in H<sub>2</sub>O (filled diamonds), and RGkV in D<sub>2</sub>O (open diamonds). (*B*) pL (pH or pD) profiles of 756C in H<sub>2</sub>O (filled squares) and in D<sub>2</sub>O (open squares). See *Materials and Methods* and Fig. 5 for a description of RNAs and mutants. The apparent first-order rate constant for cleavage ( $k_{\text{obs}}$ ) is plotted as a function of pL at 37°C (see *Materials* and Methods). (C) Kinetic model for self-cleavage of an RNA, R, which contains a single general acid of the functional form HA<sup>+</sup> and single general base of the functional form B<sup>-</sup>. The extent of protonation of the acid and base is determined by their pK<sub>a</sub> values: pK<sub>aA</sub> and pK<sub>aB</sub>, respectively (from ref. 18). This model assumes the protonation states of the acid and base do not influence each other and that products (P) are only formed from RNA molecules in which both the general acid and base are in their active forms, <sub>H+A</sub>R<sub>B</sub> – (1); the proportion of RNA in this active form is abbreviated as  $f_{\rm R(1)}$ .  $k_1$  is the intrinsic cleavage rate constant of the bond breaking step<sub>.</sub> Apparent pK<sub>a</sub> values for RG and 756C RNAs were estimated by fitting data to the equation  $k_{\text{obs}} = f_{\text{R}(1)} \times k_1 = k_1/(1 + 10^{(\text{pkab}-\text{pH})} + 10^{(\text{pkab}-\text{pH})}$  $10^{(pKaB-pKaA)} + 10^{(pH-pKaA)}$  (18).

[supporting information \(SI\) Fig. 6\]](http://www.pnas.org/cgi/content/full/0608864104/DC1) so we conclude that this is not a likely explanation for the apparent  $pK_a$  values estimated from our data. Whether the apparent  $pK_a$  values represent titrations of individual functional groups or kinetic  $pK_a$  values due to a change from a pH-dependent to a pH-independent rate-limiting step (21) is considered below.

In principle, the functional groups responsible for the rate vs. pH profile observed in Fig. 1*A* could be involved in RNA structure and/or chemistry, and it may not be possible to completely separate these roles. In a simple example of the former case, a particular base may need to be in a protonated or deprotonated state for the RNA structure to fold correctly (22). In the latter case, one or more protons actually transfer to or from RNA functional group(s) in the rate-limiting step. Because we initiate the cleavage reaction by addition of  $MgCl<sub>2</sub>$ , it is also possible that  $Mg^{2+}$  ions induce a conformational change in which a protonation or deprotonation event required for correct folding occurs; alternatively, as has been proposed for other ribozymes, the apparent titratable functional groups may be the general acid, general base, or electrostatic stabilizer in the chemical step of the reaction (6, 19, 23–27).

For some enzymes, insights into reaction mechanisms involving transfer of protons in the rate-limiting step can be gained from site-specific hydrogen isotope substitution of nonexchangeable protons (28). However, the two protons that transfer in the chemical step of the cleavage by VS RNA and the other small ribozymes, i.e., deprotonation of the 2-OH of the nucleophile and protonation of the  $5'$  oxygen of the leaving group, are in rapid exchange with protons in the solvent water, making site-specific isotope substitution impossible. Instead, these reactions can be investigated by using kinetic solvent isotope experiments in which the reaction rate is measured by using RNA and reaction solutions that have been reconstituted with  $D_2O$  replacing  $H_2O$  (29). If transfer of one or more protons occurs in the rate-limiting step, the cleavage rate in  $D_2O$  would be expected to be slower than in  $H_2O(29, 30)$ ; if only a particular state of protonation is required, the cleavage rate would not be expected to change in  $D_2O$ .

The data in Fig. 1*A* (open circles) show that, like the reaction in H<sub>2</sub>O, the cleavage rate of RG RNA in  $D_2O$  exhibited a bell-shaped dependence on pD  $(-\mathrm{log_{10}}[\mathrm{deuterium\,ion}])$  and also fit well to the model in Fig.  $1C$ . Two apparent  $pK_a$  values were

also observed for the cleavage reactions in  $D_2O$ : the apparent  $pK_a$  values of 6.5 and 8.9 are  $\approx 0.6-0.7$  units higher than those observed in H<sub>2</sub>O (Fig. 1*A*); a shift in  $pK_a$  of this magnitude and direction is typical of those observed for deuterium vs. protium ionization in a variety of weak acids, including ammonium ions  $(\Delta pK_a = +0.6)$  (29, 31) and free cytosine base ( $\Delta pK_a = +0.53$ ) (32), as well as several protein and RNA enzymes ( $\Delta pK_a = +0.4$ to  $+0.8$ ) (25, 27, 33, 34). These observations are consistent with the apparent  $pK_a$  values observed in  $D_2O$  having the same origin as those in  $H_2O$ .

If the apparent  $pK_a$  values were kinetic  $pK_a$  values resulting from a change from a pH-dependent to a pH-independent rate-limiting step, we would expect the maximal rate of reaction, occurring at the peak or on the plateau of the rate vs. pH curve, to be the same in  $D_2O$  and  $H_2O$  because in this pH range the observed rate would not represent the chemical (protontransferring) step of the reaction. Instead, we found that the cleavage reaction in  $D_2O$  was 2-fold slower than in  $H_2O$  at the optimum pL (pH or pD) for each reaction. If the pH-sensitive and isotope-sensitive steps represent the same step in the reaction mechanism (35), our kinetic solvent isotope data support the interpretation that the apparent  $pK_a$  values represent titration of functional groups involved in proton transfer in the rate-limiting step of the VS ribozyme cleavage reaction.

The magnitude of  $D_2O$  inhibition decreases at higher pL values, even becoming slightly positive above approximately pL 8.5. The apparent loss of  $D_2O$  effect at high pL values has also been observed with several protein enzymes, e.g., refs. 33, 34, and 36. Kinetic simulations based on the model we used to fit our rate vs. pH data show that these curves are exactly what is expected for a shift in both apparent  $pK_a$  values of approximately +0.6 units and a 2-fold decrease in rate constant  $(k_1)$  in  $D_2O$ ; the simulations also show that the increased magnitude of inhibition in  $D_2O$  below the lower  $pK_a$  is also predicted by this model [\(SI](http://www.pnas.org/cgi/content/full/0608864104/DC1) [Fig. 7\)](http://www.pnas.org/cgi/content/full/0608864104/DC1). The agreement between the observed and simulated data suggests that a more complex model is not required to interpret the data. However, because of the uncertainties involved in interpreting pH and kinetic solvent isotope experiments of biological macromolecules (37), our data cannot rule out more complex models. If the solvent isotope effect measured for RG indeed represents a primary isotope effect, our data are consistent with  $pK_a$  values of two specific functional groups, partici-



Fig. 2. Proton inventory for RG cleavage. The relative  $k_{obs}$  (normalized to 1 in 100% H<sub>2</sub>O) was measured in different mole fractions of  $D_2O$  ( $nD_2O$ ), ranging from 0 (100%  $H_2O$ ) to 1 (99.9% D<sub>2</sub>O). Each point is the average of two to nine independent trials. Data were fit to equations for a one-proton  $[k_n/k_0 = (1 - n + n\Phi^T)]$  or two-proton  $[k_n/k_0 = (1 - n + n\Phi^T)^2]$  inventory (solid and dashed lines, respectively) and assume equal transition state contributions for the two transfers. *n* is the fraction of  $D_2O$  in the reaction, and  $\Phi^T$  is the transition state fractionation factor (30). Data fitting was done with SigmaPlot (Systat Software, Point Richmond, CA) by using nonlinear least squares and were weighted more toward trials with greater numbers of repeats.

pating in one or more proton transfers in a single ratedetermining step.

In an attempt to determine the number of protons transferred in the rate-limiting step, we performed proton inventory experiments (29) by measuring the relative cleavage rate over the range of  $D_2O$  fractions (*n*) (from 0 to 1). We fit our data to equations for one-proton  $[k_n/k_0 = (1 - n + n\Phi^T);$  Fig. 2, solid  $\text{line}$  and two-proton  $[k_n/k_0] = (1 - n + n\Phi^T)^2$ ; Fig. 2, dashed line] inventories (30). Transition state fractionation factors ( $\Phi$ <sup>T</sup>) were calculated to be  $0.50 \pm 0.01$  and  $0.52 \pm 0.01$  for the one-proton and two-proton inventory models, respectively. The fractionation factor for the two-proton inventory assumes both transfers contribute equally to the isotope effect in the transition state. Both estimates of transition state fractionation factors are within the range observed for proton transfers involving oxygen or nitrogen atoms in other enzymes (38). The small magnitude of the isotope effect, confirmed in these experiments to be 2-fold, and the limited precision of our rate estimates  $(\pm 5\%)$  made it impossible to convincingly distinguish between models involving transfer of one proton or two protons (Fig. 2); nonetheless, these experiments provide evidence that at least one proton is transferred in the transition state.

**Disrupting the Kissing Interaction Changes the Rate-Limiting Step.** To investigate which step in the cleavage process might be ratelimiting, we examined the effect of mutations at positions previously shown or suspected to affect different steps. Previous work has shown that a kissing interaction between loops I and V is required for efficient folding of stem-loop I, which contains the cleavage site, into the core of the ribozyme (39–41). The kissing interaction is also required for a conformational change in stem-loop I in which several bases change pairing partners to adopt a conformation, termed ''shifted,'' that is required for cleavage (42). Mutants that constitutively adopt the shifted conformation can cleave in the absence of the kissing interaction, but at a much reduced rate compared with wild type (39), at least in part due to a weakened interaction of stem-loop I with the rest of the ribozyme (41).

We hypothesized that mutants lacking the kissing interaction are rate-limited by interaction of stem-loop I with the rest of the ribozyme, a step that occurs before the chemical step. This step might be expected to exhibit a different dependence, or lack of dependence, on pH. We have examined such a mutant, RGkV, and found that its observed cleavage rate constant is nearly independent of pH and is 2,700-fold slower than wild type at pH 7 (Fig. 1*A*, filled diamonds). Also, the kinetic solvent isotope effect seen in wild type is absent in the RGkV mutant, with cleavage occurring at the same rate in  $D_2O$  as in  $H_2O$  at any given pL (Fig. 1*A*, open diamonds). These results show that disrupting the kissing interaction changes the rate-limiting step in the reaction to one that does not involve proton transfer.

**Substituting a Putative Active-Site Base, A756, with Cytosine Retains pH- and D<sub>2</sub>O-Sensitive Cleavage.** A variety of circumstantial evidence has implicated A756, especially the ionization of this base, as contributing to the active site of the ribozyme (8–10, 43–46). Substitution of A756 with guanosine or uridine decreases the observed cleavage rate by 140,000- and 270,000-fold, respectively [\(SI Fig. 8\)](http://www.pnas.org/cgi/content/full/0608864104/DC1). However, substitution with cytosine decreases the rate by only 700-fold at pH 7.0 (Fig. 1*B*, filled squares). By using a *trans*-cleaving VS ribozyme, Lilley and coworkers (46) also found that mutations at 756 were deleterious; however, under their conditions (subsaturating concentrations of ribozyme and  $Mg^{2+}$ ), the rates of the three mutants were similar. In other ribozymes, cytosine and adenosine can substitute for each other to some extent (25, 47) possibly because the  $pK_a$  of cytosine N3 and adenosine N1 can be shifted toward the neutral range by local tertiary structure and may be able to perform the same role as each other in the reaction.

Fig. 1*B* shows that the 756C mutant retains a bell-shaped rate vs. pH curve with apparent  $pK_a$  values of 5.5 and 8.4 and has a maximal cleavage rate of 0.4 min<sup>-1</sup>,  $\approx$  700-fold slower than wild type at the optimal pH. The estimated value of the higher apparent  $pK_a$  is the same as that of wild type, and the lower apparent  $pK_a$  may be slightly less. The substitution of this adenosine by cytosine might be expected to change the local environment in the catalytic site, which could affect the  $pK_a$  of the catalytic functional groups, or the altered apparent  $pK_a$  could be that of the cytosine itself, perhaps performing the same role as A756, although less effectively. Cleavage of  $756C$  in  $D_2O$  also exhibits a bell-shaped curve with apparent  $pK_a$  values shifted upward by 0.4–0.6 units (Fig. 1*B*, open squares), similar to the shifts observed for wild type (compare to Fig. 1*A*), and a 1.8-fold decrease in the maximal cleavage rate compared with  $H_2O$ , similar to the 2-fold effect seen for wild type. The similarities in the effect of  $D_2O$  on wild type and the 756C mutant are consistent with this substitution mutant being limited by the same proton transfer step as wild type, with the observed rate of this step being decreased  $\approx$  700-fold because of a decrease in the intrinsic rate constant of the chemical step and/or a decrease in the fraction of RNA in the catalytically competent state (see below).

**An Unexpected Effect of Microviscogens.** Although  $D_2O$  is among the most subtle ''analog substitution'' reagents available to probe a chemical reaction, even it has other properties that can affect the kinetics of an enzyme-catalyzed reaction. For example, the viscosity of  $D_2O$  is greater than that of  $H_2O$  (1.2-fold at 37<sup>o</sup>C) (29). Solvent viscosity can affect diffusion-limited reactions (48) and may affect the rate of reactions limited by movement of protein or RNA domains during folding. Control experiments using a range of concentrations of glycerol or sucrose in  $H_2O$  as a microviscogen are typically used in protein enzymology to determine whether the rate decrease observed in  $D_2O$  is actually an isotope effect rather than a viscosity effect (48). Such control experiments have not been reported in the ribozyme literature.

Because cleavage of RG is affected by  $pH$  and  $D_2O$ , suggesting that the rate was limited by the chemical step of the reaction, we did not expect an effect of viscosity on the rate. Indeed, the macroviscogen polyethylene glycol 8000 did not affect the rate of RG cleavage, even at high concentrations (10%, equivalent to



**Fig. 3.** Effect of microviscogen concentration on cleavage rate. Cleavage rate constants were measured in  $1 \times$  SCB (Hepes pH 7.0) containing 200 mM MgCl<sub>2</sub> and a range of concentrations of glycerol or sucrose from 0% to 12.5%, and in the same solution lacking viscogen but containing D<sub>2</sub>O instead of H<sub>2</sub>O (see *Materials and Methods* and *[SI Materials and Methods](http://www.pnas.org/cgi/content/full/0608864104/DC1)*). Relative *k*obs (*k*obs in *n*% viscogen per  $k_{obs}$  in 0% viscogen) of RG in glycerol (open squares), sucrose (open circles), or D<sub>2</sub>O (open triangle) (A), and RGkV in glycerol (open squares), sucrose (open circles), or D2O (open triangle) (*B*), plotted against the relative viscosity (*x* axis in *B*) or absolute viscosity (*x* axis in *A*). Each data point represents the mean of 2–14 individual reactions performed on multiple days with more than one RNA preparation. Standard deviations on the mean are indicated by error bars. Solid and dashed lines represent linear best fits to glycerol and sucrose data, respectively.

a viscosity of  $\approx 68\%$  glycerol at 40°C; data not shown). Surprisingly, the commonly used microviscogens glycerol and sucrose each showed a small but convincing concentration-dependent decrease in cleavage rate (Fig. 3*A*). Inhibition was observed to an even greater extent with the RGkV mutant (Fig. 3*B*), which did not show any inhibition by  $D_2O$ , making it unlikely that the inhibition by glycerol or sucrose is due to increased viscosity (barring the remote possibility of a positive  $D_2O$  solvent isotope effect on the RGkV mutant that compensates for the hypothetical decrease caused by viscosity). The simplest interpretation of these observations is that glycerol and sucrose inhibit cleavage by a mechanism unrelated or in addition to their effects on viscosity, possibly by interacting directly with the RNA. The addition of viscogens, in the quantities used for our study, does not alter the pH or the dielectric constant of the solution.

Irrespective of the mechanism responsible for the effect of glycerol and sucrose, the 2-fold decrease in cleavage rate of RG observed in 99.9%  $D_2O$  is substantially greater than the 1.3-fold decrease seen in the presence of glycerol or sucrose at the same viscosity, equivalent to  $\approx 6.5\%$  wt/vol glycerol or sucrose. So, even if the cleavage reaction was influenced by viscosity, for which there is no evidence, the  $D_2O$  effect is still greater, providing additional evidence that the  $D_2O$  effect reflects proton transfer in the rate-limiting step of RG cleavage.

Kinetic solvent isotope effects have been reported for cleavage reactions of several ribozymes in the past few years (25–27). Proton inventories of one or two have been observed, although in some cases the data do not convincingly distinguish between these values. Walter and coworkers (49) have also reported the surprising observation of an apparent kinetic solvent isotope effect on the changes in FRET signals that reflect the binding or dissociation of a *trans* substrate from an HDV ribozyme, even though these events were unaffected by pH. These authors cautioned that kinetic solvent isotope effects are not necessarily proof that a measured  $pK_a$  reflects a single ionization event. However, in none of these cleavage or binding experiments were viscosity control experiments performed to investigate whether rate decreases are directly due to the isotope effect (deuterium vs. protium) or to increased solvent viscosity. Even if the viscosity control experiments are performed, interpretation is not necessarily straightforward: we were surprised to find that the commonly used microviscogens glycerol and sucrose inhibit the VS ribozyme cleavage reaction by a mechanism (currently unknown) that is not due to viscosity. Glycerol has been observed to bind in the minor groove of an RNA racemate in an x-ray crystal structure (50), but its effects on the activity of catalytic RNAs do not appear to have been addressed previously. These observations should raise a caution flag in the interpretations of apparent kinetic solvent isotope effects on cleavage, ligation, folding, and binding experiments using RNA, and maybe even proteins, without considering possible effects of viscosity.

**Implications for Investigating Ribozyme Function.** How close are current experimental approaches to being able to measure, or credibly estimate, the value of  $k_1$ , the intrinsic rate constant of the chemical step, of VS or any other ribozyme? Because  $k_{obs}$  =  $f_{R(1)} \times k_1$ , where  $k_{obs}$  is the experimentally measured apparent rate constant and  $f_{R(1)}$  is the fraction of the RNA population that is in the catalytically competent state [designated  $_{H^+A}R_{B^-}(1)$  in Fig. 1*C*], we need to be able to estimate  $f_{R(1)}$ . If the apparent pK<sub>a</sub> values estimated for the VS ribozyme (Fig. 1*A*) represent ionization of two functional groups that contribute equally to general acid–base catalysis, then a maximum estimate for  $f_{R(1)}$  at a given pH can be obtained from the model described by Bevilacqua (18) (Fig. 1*C*): at the optimal pH, midway between the two p $K_a$  values, the value of  $f_{R(1)}$  will be at its maximum. Because of kinetic ambiguity (16), either of two kinetic models fit such data, differing by whether the lower apparent  $pK_a$ represents the general base (the nonoverlapping titration model) or the general acid (the overlapping titration model) (Fig. 4). In the former case, when the values of the  $pK_a$  values are separated by a few pH units,  $f_{R(1)}$  approaches 1 and, therefore,  $k_{obs}$ approaches  $k_1$  (Fig. 4*B*). In the latter case, even at the optimum  $pH$  and if both  $pK_a$  values were equal to each other, only half of the general acid and half of the general base would be in the functional protonated state, leading to a theoretical maximum of one-quarter of the RNA population being in the functional state. As the  $pK_a$  values diverge from each other,  $f_{R(1)}$ , and therefore  $k_{\text{obs}}$ , decreases substantially (Fig. 4*A*). Using the apparent p $K_a$ and *k*obs values in Fig. 1*A* with each of these two models yields estimates of 301 min<sup>-1</sup> or  $\approx 86,500$  min<sup>-1</sup> for  $k_1$  of the RG ribozyme.

Estimates for  $k_1$  for the other small ribozymes were derived from the nonoverlapping and overlapping titration models [\(SI](http://www.pnas.org/cgi/content/full/0608864104/DC1) [Table 1\)](http://www.pnas.org/cgi/content/full/0608864104/DC1). Some HDV ribozymes exhibit bell-shaped pH-rate curves and give estimates for  $k_1$  as high as 17,000 min<sup>-1</sup>. In other HDV ribozymes, no higher apparent  $pK_a$  was experimentally observed, and it has been speculated that a hydrated  $Mg^{2+}$  ion  $(pK_a = 11.4)$  might be the general base, leading to estimates of  $k_1 > 10^6$  min<sup>-1</sup> (25). For hairpin and hammerhead ribozymes, bell-shaped pH–rate curves are not experimentally observed. Apparent pK<sub>a</sub> values of  $\approx$  6 and  $\approx$  10 have been inferred for the hairpin ribozyme (23, 26, 51), and their involvement in general acid–base catalysis (26, 51) or electrostatic stabilization (23) would provide estimates for  $k_1$  of  $10^4$  to  $10^5$  min<sup>-1</sup>. For the hammerhead ribozyme, two guanosine residues with  $pK_a$  values of 9 have been proposed as candidates for the general acid and base (52, 53): assuming  $pK_a$  values of 9.6 (the unshifted  $pK_a$  of



**Fig. 4.** Two equivalent models of general acid–base catalysis for the VS ribozyme RG. Values for  $k_1$  and both apparent  $pK_a$  values were estimated by fitting RG cleavage data to the model in Fig. 1*C* (18). Dotted and dashed lines, respectively, represent titrations of the general and base individually. Solid lines are the product of both individual titrations and *k*1. Data are open circles. (A) Overlapping model where the  $pK_a$  of the acid is 5.8, the  $pK_a$  of the general base is 8.3, and  $k_1$  is 86,500 min<sup>-1</sup>. (*B*) Nonoverlapping model where the pK<sub>a</sub> of the acid is 8.3, the pK<sub>a</sub> of the general base is 5.8, and  $k_1$  is 301 min<sup>-1</sup>.

free guanosine) and extrapolating  $k_{obs}$  from the log-linear portion of the pH–rate curve provides estimates for  $k_1$  of  $10^3$  to  $10^5$ min-1. By comparison, for protein enzymes such as RNase A that cleave phosphodiester bonds using particular histidine residues as the general acid and general base,  $k_{\text{cat}}$  values as high as  $10^4$  to  $10^5$  min<sup>-1</sup> have been measured; because the pK<sub>a</sub> values of the two catalytic histidines are similar to each other, the estimated value of  $k_1$  would be only a fewfold higher than the observed  $k_{\text{cat}}$ . By these estimations, the intrinsic rate constants of catalysis by ribozymes could be in the same range as those of protein enzymes.

In addition to the protonation state of the general acid and base, there are other factors affecting the fraction of the RNA population in the catalytically competent state, and therefore affecting *k*obs. For example, in any ribozyme, it is reasonable to expect that there are folding and possibly protonation– deprotonation events that precede the chemical step, and that the rates and equilibria of these events can affect the  $k_{obs}$  by decreasing the fraction of the RNA that is in the catalytically competent state. Thus, the values of  $f_{R(1)}$  described in the preceding paragraph are maximal estimates under the given model and therefore, the estimates of  $k_1$  are minimal estimates. There are also conceptual challenges in defining where folding ends and the chemical step begins. For HDV and hammerhead ribozymes, there are examples of mutations distant from the active site contributing to changes in  $k_{obs}$  in constructs that are thought to be limited by the rate of the chemical step (54–56). Do such mutants cleave slowly simply because  $f_{R(1)}$  is low? Or can the rigidity of an RNA helix transmit structural alterations from peripheral regions of mutant ribozymes into the active site and change  $k_1$ ? In the VS ribozyme, the RGkV mutation, which



**Fig. 5.** Secondary structure of RG and mutant derivatives. Nucleotides and helices are numbered as in ref. 14. Nucleotides involved in the peripheral loop–loop kissing interaction are connected with dotted lines. The cleavage site is indicated with an arrowhead. Regions that have been mutated in other constructs are enclosed in boxes, and the mutation(s) is highlighted in black (see *Materials and Methods*).

disrupts a peripheral loop–loop interaction that may be analogous to the loop I–II interaction in extended hammerheads, decreases  $k_{obs}$  by 10<sup>3</sup>-fold and loses pH- and D<sub>2</sub>O-sensitivity. We interpret this to mean that the cleavage of this mutant is limited by a slow folding step, rather than a decrease in the rate of the chemical step. In contrast, the A756C mutation in the active-site loop, which also cleaves  $\approx 10^3$ -fold slower than wild type, retains  $pH-$  and  $D_2O$ -sensitivity, consistent with the chemical step being rate-limiting. Because the two apparent  $pK_a$  values in the A756C mutant are essentially the same as those of the wild type,  $f_{R(1)}$ due to protonation equilibria should also be similar in wild type and A756C. Thus, the decrease in  $k_{obs}$  of the A756C mutant ribozyme may represent a decrease in intrinsic  $k_1$ . Alternatively, the A756C mutation could have a subtle structural effect that decreases the proportion of RNA in the catalytically competent state; in this situation, the putative inactive conformation would be in rapid equilibrium with the competent state, relative to the rate of the chemical step. The data presented here suggest that the VS ribozyme is a good model system for the study of rapid steps in RNA-catalyzed reactions.

## **Materials and Methods**

VS RNA clones, as described in ref. 42, are derivatives of RS19 (42) in which stem-loop I adopts the constitutively shifted conformation due to the presence of either a 634G substitution (mutant RG) or  $624C + 636G$  substitutions (mutant CG; Fig. 5) (11, 39, 41, 45); the two mutational routes to shifting stem-loop I are thought to be functionally equivalent. Mutant RGkV disrupts the kissing interaction with three substitutions in loop V and was made in the context of the RG stem-loop I (11, 39). Mutant A756C changes the putative active-site base A756 to C and is in the context of the CG stem-loop I (45).

RNAs were synthesized in the presence of  $[\alpha^{-32}P]GTP$  by *in vitro* transcription from plasmid templates linearized with EcoRI and purified by gel electrophoresis as described in refs. 7 and 57. Precursor RNAs were divided in half; one half was dissolved in water and the other in 99.9% deuterium oxide (Sigma, St. Louis, MO). Each batch was subsequently dried down and redissolved in their respective solvents.

Cleavage reactions were performed at 37°C, as described in ref. 11, by using self-cleavage buffers (SCBs) at various pH levels in the presence of 200 mM  $MgCl<sub>2</sub>$  (chosen to be high enough that  $Mg^{2+}$  binding would not limit the cleavage reaction). 1× SCB contained 40 mM buffer (sodium acetate, pH 4.2–4.8; Mes, pH 4.6–5.8; sodium cacodylate, pH 6.0–6.8; sodium Hepes, pH 7.0–7.8; TrisHCl, pH 8.0–8.8; and CAPSO, pH 9.0–9.6), 50 mM KCl, and 2 mM spermidine. The pH values used in data analysis were those of the final reaction conditions  $(1 \times$  SCB, 200 mM  $MgCl<sub>2</sub>$ , but not including RNA) measured at 37 $^{\circ}$ C by using a SympHony pH calomel microelectrode (VWR Scientific Products, West Chester, PA). For reactions in  $D_2O$ , RNA, SCBs, and  $MgCl<sub>2</sub>$  were evaporated to dryness and reconstituted in 99.9% deuterium oxide twice (due to evaporation of acetic acid, acetate buffers were not used for experiments with  $D_2O$ ). The pD of  $1\times$ SCB solutions containing  $200 \text{ mM } MgCl<sub>2</sub>$  was determined by measuring, as described above, at 37°C and adding 0.4 units (29). Reactions were initiated by mixing 1 vol of  $2 \times$  RNA ( $\approx$ 20 nM) in  $1 \times$  SCB with 1 vol of  $2 \times$  MgCl<sub>2</sub> (400 mM) in  $1 \times$  SCB. For proton inventory experiments, appropriate ratios of RNA, SCB, and MgCl<sub>2</sub> solutions in H<sub>2</sub>O or 99.9%  $D_2O$  were mixed to obtain the desired mole fraction of  $D_2O$ . The difference in density of  $H<sub>2</sub>O$  and  $D<sub>2</sub>O$  was taken into account (29). By choosing SCB containing Hepes buffer (pH 6.9 in H<sub>2</sub>O; pD 7.5 in D<sub>2</sub>O), these experiments were conducted on the plateau of the rate vs. pL curve (see Fig. 1*A*). Cleavage reactions of RG (Fig. 1*A*) were performed by using a Kintek RQF-3 rapid quench flow instrument (Kintek, Clarence, PA) at 37°C, according to the manu-

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facturer's instructions. For slower cleaving RNA, reactions were initiated by manual mixing. Aliquots from appropriate time points were quenched by addition of 10 vol of RNA loading dye (80% formamide, 200 mM EDTA, and 0.01% each xylene cyanol and bromophenol blue), separated by denaturing gel electrophoresis, and exposed to a PhosphorImager screen. Band intensities were quantified by using ImageQuant software (Molecular Dynamics/Amersham Biosciences).

Observed cleavage rate constants  $(k_{obs})$  were determined by fitting the fraction of product formed vs. time to a first-order equation as described in ref. 11. All reactions fit well to this analysis ( $R^2 \ge 0.99$ , and observed maximal extents of cleavage typically were 80–95%). Values of  $k_{obs}$  are the mean of typically two to five determinations. For clarity, error bars are not shown: typical day-to-day variation in  $k_{obs}$  was approximately  $\pm 15\%$ . Plots of  $k_{obs}$  vs. pH were fit to the model in Fig. 1*C* (18) to obtain estimates for apparent p $K_a$  values. Errors on apparent p $K_a$  values from nonlinear least squares fits, weighted more toward trials with greater number of repeats, were smaller  $(\pm 0.03-0.06 \text{ units})$ than errors on pH measurements of the same SCB solutions on different days ( $\pm$ 0.1 units); therefore, the larger of the two error values were used in our apparent  $pK_a$  estimates.

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