

Nonnative Protein Polymers: Structure, Morphology, and Relation to Nucleation and Growth

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ABSTRACT Thermally induced aggregates of α -chymotrypsinogen A and bovine granulocyte-colony stimulating factor in acidic solutions were characterized by a combination of static and dynamic light scattering, spectroscopy, transmission electron microscopy, and monomer loss kinetics. The resulting soluble, high-molecular weight aggregates ($\sim 10^3$ – 10^5 kDa) are linear, semiflexible polymer chains that do not appreciably associate with one another under the conditions at which they were formed, with classic power-law scaling of the radius of gyration and hydrodynamic radius with weight-average molecular weight (M_w). Aggregates in both systems are composed of nonnative monomers with elevated levels of β -sheet secondary structure, and bind thioflavine T. In general, the aggregate size distributions showed low polydispersity by light scattering. Together with the inverse scaling of M_w with protein concentration, the results clearly indicate that aggregation proceeds via nucleated (chain) polymerization. For α -chymotrypsinogen A, the scaling behavior is combined with the kinetics of aggregation to deduce separate values for the characteristic timescales for nucleation (τ_n) and growth (τ_g), as well as the stoichiometry of the nucleus (x). The analysis illustrates a general procedure to noninvasively and quantitatively determine τ_n , τ_g , and x for soluble (chain polymer) aggregates, as well as the relationship between τ_n/τ_g and aggregate M_w .

INTRODUCTION

Nonnative protein aggregation is a type of protein self-assembly in which the resulting soluble or insoluble aggregates are composed of monomers with secondary structures that are significantly altered from the native (monomer) state. Nonnative protein aggregation is a common problem in bioprocessing operations such as drying, reconstitution, and storage (1). The presence of soluble aggregates in a protein pharmaceutical may decrease its effectiveness or putatively elicit an adverse immune response (2). Nonnative protein aggregation has also been implicated in a variety of debilitating diseases such as Alzheimer's and Huntington's (3). Recent evidence suggests that soluble aggregate precursors rather than mature, insoluble fibrils are the primary cytotoxic species in a number of cases (4–6).

Common structural and morphological characteristics of fibril-forming systems are reasonably well established (7). However, similarly detailed characterization and categorization of afibrillar or “amorphous” soluble and insoluble aggregates are not typically reported (8,9). A small but growing body of literature indicates that a range of afibrillar aggregate morphologies are possible (10,11). Interestingly, unwanted aggregates in biotechnology applications are most often broadly classified as amorphous or afibrillar (1,12). A more complete understanding of the underlying mechanism and its relation to the resulting structure and morphology of nonnative aggregates may ultimately suggest more effective strategies for preventing or inhibiting their formation. From a more fundamental perspective, nonnative aggregates present

an intriguing problem in understanding protein folding and assembly in that they offer a potentially lower free energy state than that of the folded monomer, provided that the total protein concentration exceeds the theoretical threshold value below which isolated monomers are thermodynamically stable (13). Their formation can involve a complex set of competing (mis)folding and assembly reactions that are difficult to resolve directly via experiment (12,14–20), or to access via molecular theory or simulation due to the long time- and length-scales involved (21). Together, these observations suggest that an improved understanding of the factors controlling the formation and properties of nonnative aggregates without higher-order, supramolecular assembly (e.g., before mature fiber assembly) would aid in both fundamental and applied research in this field.

At a qualitative level, the overall or observed rate of monomer loss or extent of conversion to aggregates can be broadly categorized by the location of the slow step(s) in the process. Unfolding-limited aggregation occurs when the timescale for monomer unfolding greatly exceeds that for all subsequent kinetic events, and is characterized by an observed rate coefficient that is independent of concentration and comparable to that for unfolding (22–26). In the alternative, aggregation-limited case, the rate-determining steps occur after the transition from folded to partially or completely unfolded monomer. Aggregation-limited cases can be further classified in terms of the growth mechanism of the aggregates (24,25). If the predominant growth route is aggregate-aggregate association, or condensation, this generally leads to relatively low number concentrations of each aggregate size and a wide distribution of sizes. If growth instead occurs primarily by (chain) polymerization, the aggregate size distribution is predicted to have lower polydispersity.

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The latter scenario is qualitatively implied in most models of nucleated growth or nucleated polymerization (27–30). Beyond these qualitative features, comparatively little has been shown experimentally regarding general relationships between kinetics and the morphology, structure, and size distribution of the resulting aggregates before appreciable condensation. For systems in which condensation steps are appreciable throughout the aggregation process, a small but increasing number of cases have been well described by approaches that either include a priori knowledge of the morphology of uncondensed and condensed aggregates (31–33), or require the aggregates to condense to form insoluble, macroscopic particles (34).

This report presents a detailed structural and morphological characterization of thermally induced, soluble nonnative aggregates of α -chymotrypsinogen A (aCgn) and bovine granulocyte-colony stimulating factor (bG-CSF). Here structure refers to the characteristic dimensions and conformational state of the monomers within the aggregate, whereas morphology refers to the spatial arrangement of these elements relative to each other in the aggregate as a whole. Aggregates composed of monomers of similar structure may, in principle, adopt dramatically different morphologies (e.g., linear chains, dendrimers, fibrils) (35). The proteins investigated are model systems for the study of nonnative aggregation relevant to biopharmaceutical stability (36–38), product formulation (36,37,39), and mechanistic interpretation of the underlying kinetics (24,40). The results reported here therefore offer an improved and more quantitative picture for the underlying morphology of soluble aggregates that potentially extends beyond aCgn and bG-CSF.

aCgn is a 25.7 kDa protein with $pI = 9.2$ and mixed α -helix/ β -sheet secondary structure in its native and thermally unfolded states, while bG-CSF is ~ 19 kDa with $pI = 6.8$ and essentially all α -helix in its native state. aCgn is the inactive, zymogen precursor to the digestive enzyme chymotrypsin (41). bG-CSF is the bovine homolog to the recombinant human G-CSF available as a commercial therapeutic agent to ameliorate white blood cell loss during chemotherapy (42). Both proteins are natively monomeric and able to form nonnative, relatively high molecular weight aggregates—i.e., the average number of monomers per aggregate, or degree of polymerization, is of order 10 or greater. Aggregation rates for both proteins are greatly accelerated at temperatures near and above their midpoint unfolding temperatures (36,38,40). Despite being structurally dissimilar monomers, the results here show that soluble aggregates of each protein share common characteristics in terms of morphology and structure that suggest similarities in the mechanisms by which they form.

The structure of the aggregates at a protein chain level is probed via circular dichroism (CD) spectroscopy and fluorescence upon thioflavine T (ThT) binding. These were selected because for both fibrillar and afibrillar systems, CD spectra of aggregates often display characteristic β -sheet

signals (14,15), while ThT binding and fluorescence is often considered to be indicative of fibrillar, amyloid, and/or cross- β -sheet structures and morphologies (43,44). For systems that form fibrils (i.e., condensed filaments), nonnative aggregate structures are often high in β -sheet content, with long, rigid-rod morphologies (45,46). The opposite extreme is that of small, globular aggregates in which a reasonably conserved β -sheet structure is less established (14,47).

The data are further analyzed within the context of nucleated polymerization, utilizing a recently proposed mathematical model of nonnative aggregation kinetics (27). This allows development of quantitative relationships between the aggregate size and the number (x) of monomers in the nucleus, the number (δ) of monomers required to complete a kinetic step during growth, and the ratio of characteristic timescales for nucleation (τ_n) and growth (τ_g). Combining these results with measurements of the kinetics of aggregation provides self-consistent estimates of τ_n and τ_g that cannot otherwise be obtained without invasive approaches such as seeding or chemical labeling (48,49), or by incorporating a priori knowledge of the aggregate morphology (33).

MATERIALS AND METHODS

Solution preparation

aCgn (lyophilized powder, 6 \times crystallized, lot No. 105K7690) was purchased from Sigma-Aldrich (St. Louis, MO) and used without further purification. bG-CSF (lyophilized powder) was donated by Pfizer Global Research and Development (Bioprocess Research and Development, Groton, CT) and used without further purification (36–38). Stock solutions of 10 mM citrate buffer were prepared by dissolving citric acid monohydrate (Fisher Scientific, Pittsburgh, PA) in distilled, deionized water from a Millipore (Billerica, MA) Milli-Q filtration system with a Quantum EX ultrapure Organex cartridge, and titrating to the desired pH with 5 M sodium hydroxide solution (Fisher Scientific). aCgn samples at concentrations between 0.5 and 8 mg/mL were gravimetrically prepared by dissolving lyophilized powder in 10 mM citrate buffer (pH 3.5). bG-CSF samples at concentrations between 0.5 and 1 mg/mL were gravimetrically prepared by dissolving lyophilized powder in 10 mM citrate buffer (pH 3.0). The smaller concentration range for bG-CSF was necessary to ensure that the aggregation timescale remained within a reasonable range (~ 1 –100 min) for the purposes of this study. All concentrations were computed from purity specifications based on UV extinction coefficient measurements (36–38,40). Aggregation was accelerated by thermostating samples at $65^\circ\text{C} \pm 0.2^\circ\text{C}$ in a circulating water bath for a range of times (~ 3 –400 min) previously determined to yield a mass fraction of aggregates of 0.95 ± 0.02 . Samples were quenched in an ice water bath immediately after each predetermined hold time and refrigerated (2 – 8°C) for a maximum of three days before use. Subsequent measurements to characterize aggregate structure, size, and morphology were performed at 20°C unless otherwise noted.

Static light scattering (SLS) and dynamic light scattering (DLS)

Light scattering ampules (1 mL) were purchased from Wheaton (Millville, NJ), triple-rinsed with distilled and deionized water and dried. SLS and DLS data were acquired at $20^\circ\text{C} \pm 0.2^\circ\text{C}$ using a Brookhaven (Holtsville, NY) BI9000AT correlator and a BI200SM goniometer, and a Lexel (Fremont, CA) model 95 argon ion laser operating at 488 nm. All light scattering

measurements were performed at $20^\circ\text{C} \pm 0.2^\circ\text{C}$, with sample temperature controlled by an external circulating bath.

The scattered intensity of samples containing protein aggregates was recorded at 37 scattering angles between 30° and 120° . The (isotropic) scattered intensity of buffer solutions and a toluene reference were measured over five angles between 88° and 92° and subsequently averaged. For selected measurements, the average intensity measured over the entire angle range from 30° to 120° was confirmed to give identical values within instrument precision to that measured between 88° and 92° . The excess Rayleigh ratio was calculated as

$$R_{\text{ex}} = \left(\frac{I - I_0}{I_{\text{ref}}} \right) \left(\frac{n_0}{n_{\text{ref}}} \right)^2 R_{\text{ref}}, \quad (1)$$

where I is the scattered intensity of the sample, I_0 is the averaged scattered intensity of the buffer, I_{ref} is the averaged scattered intensity of a toluene standard, n_0 is the refractive index of the buffer, n_{ref} is the refractive index of toluene, and R_{ref} is the Rayleigh ratio of toluene ($39.6 \times 10^{-6} \text{ cm}^{-1}$) (50). The standard Zimm expression (51),

$$\frac{Kc}{R_{\text{ex}}} = P(\theta)^{-1} \left(\frac{1}{M_w} + 2B_{22}c \right), \quad (2)$$

relates the form factor, $P(\theta)$, to the optical constant, K , the mass concentration, c , the weight-average molecular weight, M_w , and the osmotic second virial coefficient, B_{22} . The refractive index increment needed to calculate K was taken to be $0.19 \text{ cm}^3/\text{g}$ at 20°C , a value typical of small, globular proteins (52). $P(\theta)$ depends only on the geometry of the scattering object, and is usefully written in the Guinier approximation as $P(\theta)^{-1} = 1 + q^2 R_g^2/3$, where R_g is the square-root of the z average of the square of the radius of gyration ($R_g^2 = \sum_i c_i M_i R_{g,i}^2 / \sum_i c_i M_i$, where $R_{g,i}^2$ is the square of the radius of gyration of an aggregate of size i) and q is the magnitude of the scattering vector, $q = 4\pi n_0 \sin(\theta/2)/\lambda_0$, where n_0 is the refractive index of the solvent, θ is the scattering angle, and λ_0 is the wavelength of the light in vacuo. Equation 2 can then be written as

$$\frac{Kc}{R_{\text{ex}}} = \left(\frac{1}{M_w} + 2B_{22}c \right) \left(1 + \frac{q^2 R_g^2}{3} \right). \quad (3)$$

For a given aggregated sample with initial protein concentration c_0 , different concentrations (c) were prepared gravimetrically by dilution with buffer. Previous work established that dilution does not change the size or structure of the protein aggregates, and was confirmed for all samples here by a lack of measurable change in aggregate size upon dilution (data not shown). SLS data across all concentrations and angles were globally regressed to Eq. 3 with a Levenberg-Marquardt nonlinear least-squares algorithm using the *lsqcurvefit* function in MATLAB (The MathWorks, Natick, MA) to obtain values and confidence intervals for each of the three fitted parameters: M_w , B_{22} , and R_g . To assess the robustness of the regression, outliers were identified and excluded based on a two-tiered statistical test (53,54). For a given data set, points with residuals that fell outside of two standard deviations of the mean residual value from a fit including all data were identified as potential outliers. These points were excluded from a second regression, and then compared to their predicted values from that second regression. A potential outlier was subsequently rejected only if it fell outside the 90% confidence interval of the second regression. For all data reported, the average percentage of points rejected as outliers was 3%, and did not exceed 5% for any data set. Including or excluding outliers did not change the values of M_w and R_g within statistical uncertainty, suggesting the fitted values of these parameters from global regression against Eq. 3 are robust. Conversely, the large variability in fitted B_{22} values and the weak dependence of the scattered intensity on concentration precluded reliable determination of B_{22} values. Specifically, the 95% confidence intervals for the fitted B_{22} values were comparable to or larger than the magnitude of the values themselves. This was attributed in part to the fact that the fitted B_{22} values were invariably near zero ($\sim 10^{-5}$ – $10^{-6} \text{ mol mL g}^{-2}$).

For DLS measurements, all samples were diluted with buffer as needed to nominally 0.2 mg/mL protein. The intensity autocorrelation function of each sample was recorded at 20 angles between 25° and 120° . The measured intensity autocorrelation function was analyzed via an adaptation of the method of cumulants (55,56), by nonlinear regression of $G^{(2)}(\tau)$ data as

$$G^{(2)}(\tau) = \alpha + \beta \exp(-2\langle\Gamma\rangle\tau) \left(1 + \frac{\mu_2}{2!} \tau^2 \right)^2, \quad (4)$$

where α is an average baseline intensity, β is an instrument constant, $\langle\Gamma\rangle$ is the average decay constant (or first cumulant), and μ_2 is the second moment about the average decay constant. The reduced second moment, or polydispersity index, defined as

$$p_2 = \frac{\mu_2}{\langle\Gamma\rangle^2}, \quad (5)$$

is a dimensionless parameter that gives a direct measure of the width of the underlying distribution of particle sizes (55,57). $\langle\Gamma\rangle$ depends on q and can be written as

$$\langle\Gamma\rangle = q^2 D_0 (1 + Cq^2 R_g^2), \quad (6)$$

where D_0 is the z -average translational diffusion coefficient ($D_0 = \sum_i c_i M_i D_{0,i} / \sum_i c_i M_i$, where $D_{0,i}$ is the translational diffusion coefficient of an aggregate of size i) and C is a numerical constant (58). D_0 is related to the effective hard-sphere hydrodynamic radius (R_h) via the Stokes-Einstein equation ($R_h = k_B T / 6\pi\eta D_0$, where k_B is Boltzmann's constant, T is the thermodynamic temperature, and η is the viscosity of the solvent).

Size exclusion chromatography (SEC)

Monomer concentrations in protein samples were determined using either an Agilent Technologies (Santa Clara, CA) HP1050 with a G1306A photodiode array detector or a Waters (Milford, MA) Alliance 2695 separations module with a 2996 photodiode array detector. Each instrument was equipped with a Protein-Pak 7.8 \times 300 mm size exclusion column maintained at room temperature during the measurements. Sample injections of $100 \mu\text{L}$ were eluted isocratically at 1 mL/min in a mobile phase composed of 0.5% (v/v) phosphoric acid (Fisher Scientific) and distilled and deionized water (pH adjusted to 2.5 with sodium hydroxide). Previous work established that this mobile phase composition and pH minimize interactions with the column and ensure consistent performance (36,40). All injected material was recovered (conserved total integrated peak area), and all detectable aggregates formed during incubation eluted in the void volume. For this column the practical molecular weight cutoff is estimated to be 80 kDa (manufacturer specification; J. Andrews, unpublished data). Peak areas recorded at an absorption wavelength of 280 nm were converted to concentration measurements by comparison with independently prepared calibration standards over the previously determined linear range of the assay (24,36).

Circular dichroism (CD)

Equilibrium, isothermal far-UV circular dichroism measurements were made using a Jasco (Easton, MD) J-810 spectropolarimeter and a Jasco PTC-424S Peltier temperature controller at $20^\circ\text{C} \pm 0.2^\circ\text{C}$. Spectra were recorded from 260 to 190 nm at a scanning rate of 20 nm/min in a $1 \times 10 \text{ mm}$ Hellma (Plainview, NY) cuvette. Samples contained either native or fully aggregated (mass fraction of aggregate = 0.95 ± 0.02) aCgn or bG-CSF at 0.2 mg/mL . Seven spectra were recorded and averaged. The mean residue ellipticity ($[\theta] \text{ deg cm}^2 \text{ dmol}^{-1}$) was calculated as $[\theta] = \theta M_0 / 10c_0 d n_r$ where θ is the average ellipticity in mdeg, M_0 is the molecular weight of the protein monomer in g/mol , c_0 is the mass concentration of the protein in mg/mL , d is the path length of the cuvette in cm , and n_r is the number of amino-acid residues in the monomer.

Fluorescence spectroscopy and thioflavine T (ThT) binding

A 7.78 mM stock solution was prepared by dissolving ThT (MP Biomedicals, Solon, OH) in distilled, deionized water. Samples were prepared for fluorescence measurements by diluting the ThT stock solution into aCgn and bG-CSF solutions to yield a 15× molar excess of the dye over the monomer. Equilibrium fluorescence measurements were made using a Jasco J-810 spectropolarimeter equipped with a FMO-427S fluorescence detector and a Jasco PTC-424S Peltier temperature controller at 20°C ± 0.2°C. Excitation and emission bandwidths were 10 nm. Emission spectra were recorded at 20°C in a 1 × 1 cm cuvette over a wavelength range of 460–600 nm (1 nm intervals) for an excitation wavelength of 450 nm. Seven spectra were recorded and averaged for each sample.

Cryogenic transmission electron microscopy (cryo-TEM)

Samples for cryo-TEM were examined using a Tecnai G2 12 TEM at an acceleration voltage of 120 keV. Specimens were prepared using a Vitrobot Mark II (FEI, Hillsboro, OR), a semiautomated preparation apparatus that allows for computer-controlled blotting of grids in a temperature- and humidity-controlled environment. Quantifoil grids (SPI Supplies, West Chester, PA) were submerged in a liquid sample, blotted once for 1 s to produce a thin liquid film, allowed to relax for 20 s to eliminate shear-induced artifacts, and then vitrified by rapid immersion into liquid ethane held at its freezing temperature. The temperature within the sample preparation chamber was maintained at 25 ± 0.5°C and at least 95% relative humidity. Vitrified grids were transferred to a Gatan (Pleasanton, CA) single tilt cryogenic holder cooled with liquid nitrogen. The temperature of the grids was maintained below −170°C during investigation in the TEM. Digital images were recorded using a Gatan multiscan charge-coupled device camera and processed with DigitalMicrograph software (Gatan).

RESULTS

Monomer loss kinetics

Monomer loss for a range of initial protein concentrations was measured via SEC as a function of incubation time at 65°C. The resulting kinetic profiles for aCgn were each fit using a nonlinear least-squares regression to the equation, $dm/dt = -k_{\text{obs}}m^\delta$, where $m = c/c_0$, c is the monomer concentration, c_0 is the initial monomer concentration, k_{obs} is the observed rate coefficient ($[=]1/\text{time}$), t is the incubation time, and δ is expected to be an integer (22). The data over all c_0 values are best fit with $\delta = 1$, although profiles with δ -values as high as 2 were also reasonable approximations in some cases. The corresponding half-life value (t_{50}), when $m = 0.5$, is $t_{50} = \ln(2)k_{\text{obs}}^{-1}$. Equivalent values of t_{50} were also obtained from visual interpolation of m versus t . Fig. 1 (*main panel*) shows m versus t/t_{50} for aCgn with c_0 ranging from 0.5 to 7.7 mg/mL. The values of $\log k_{\text{obs}}$ versus $\log c_0$ are shown in the inset to Fig. 1. They follow the scaling relationship $\log k_{\text{obs}} = \log k_0 + \xi \log c_0$, with $\xi = 1.9 \pm 0.3$ (95% confidence interval) from linear regression, and illustrate that k_{obs} and t_{50} are strongly dependent on initial protein concentration. Plotting on a t/t_{50} scale allows data from a wide range of t_{50} values to be collapsed in a single panel, and also illustrates that the data are reasonably

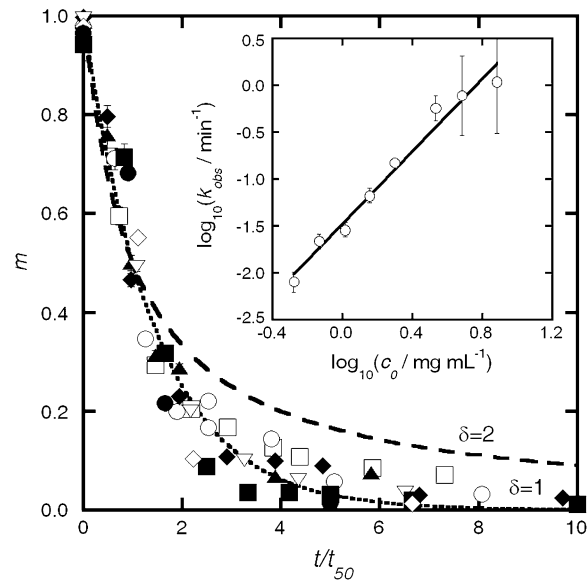


FIGURE 1 (*Main panel*) Monomer fraction, (m), versus reduced time, (t/t_{50}), for aCgn as a function of initial protein concentration. $c_0/\text{mg mL}^{-1} = 0.5$ (*open squares*), 0.7 (*solid triangles*), 1.0 (*open circles*), 1.4 (*solid diamonds*), 2.0 (*open triangles*), 3.4 (*solid squares*), 4.8 (*open diamonds*), and 7.7 (*solid circles*). Dotted and dashed lines represent purely first order ($\delta = 1$) and purely second order ($\delta = 2$) decay, respectively. (*Inset*) Scaling of k_{obs} with c_0 for aCgn. Solid line is a linear fit to the data set on a log-log scale.

represented by a first-order decay (*dotted line* in Fig. 1). Monomer loss profiles for bG-CSF were qualitatively similar to those for aCgn, but with a different range of t_{50} values.

Static and dynamic light scattering

Static and dynamic light scattering were used to characterize each fully aggregated aCgn or bG-CSF sample. Samples were considered fully aggregated when $m = 0.05 \pm 0.02$, as determined by SEC. Samples held at 65°C for incubation times that were a factor of two or greater than that needed to reach $m = 0.05$ were also tested and shown to give the same results within statistical uncertainty (not shown). All samples were optically transparent, without indications of precipitation or visual particulate formation, even after prolonged storage (>2 weeks) under refrigeration. Fig. 2 shows a representative Zimm plot generated from SLS measurements on a fully aggregated aCgn sample, $c_0 = 0.7 \text{ mg/mL}$, with dashed lines indicating the best fit to Eq. 3. Qualitatively similar results were observed for bG-CSF in all cases. Fitted values and 95% confidence intervals were obtained for M_w and R_g ; these values are presented and discussed further below. As noted in Materials and Methods, the concentration dependence of the scattered intensity was typically insufficient to determine values of B_{22} that were statistically different from zero.

Fig. 3 shows representative examples of multi-angle DLS data for aCgn for a single value of c_0 , and for different

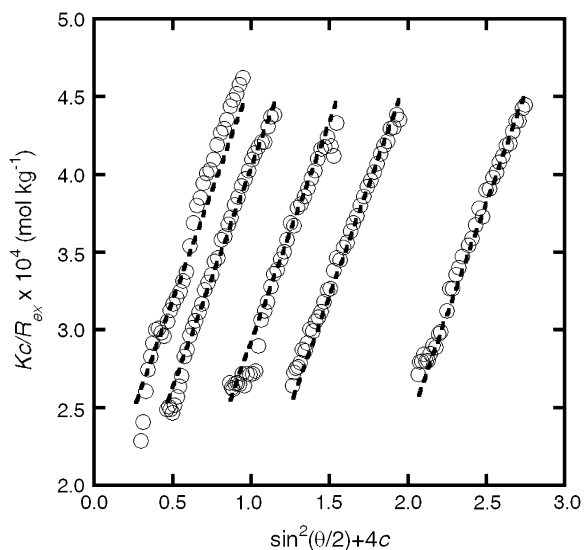


FIGURE 2 Representative Zimm plot generated from static light scattering measurements of aCgn aggregates showing experimental data points (circles) and nonlinear least-squares fit to Eq. 3 (dashed lines). Data shown are for $c_0 = 0.7$ mg/mL. Outliers (3% of the points) are not shown.

scattering angles. The solid lines are best fits to Eq. 4, and the autocorrelation function for a native, monomeric sample (20°C , $c_0 = 5$ mg/mL) is shown for reference. Qualitatively similar results were observed for bG-CSF in all cases. The

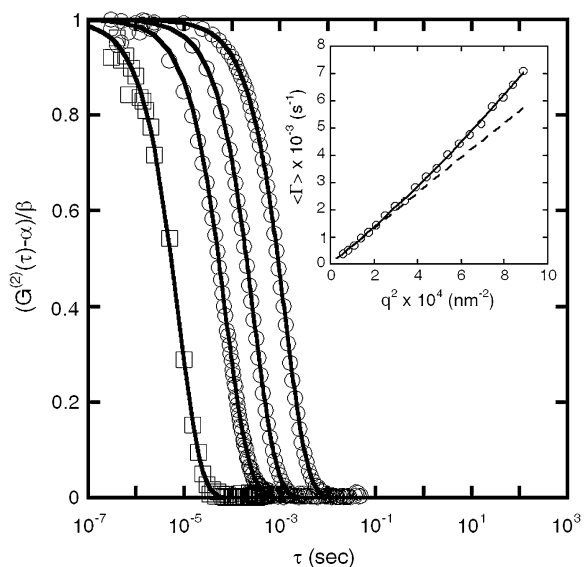


FIGURE 3 (Main panel) Representative, normalized autocorrelation function as a function of delay time and scattering angle for aCgn monomer (90° , $c = 5.0$ mg/mL, squares) and aggregate (120° , 55° , 25° , $c_0 = 0.7$ mg/mL, circles). For clarity, every other autocorrelation data point is omitted from each curve. All data are included in all analyses and fitting. (Inset) $\langle \Gamma \rangle$ versus q^2 for the aggregate data represented in the main panel (circles). The solid line indicates a fit to Eq. 6. The dashed line shows the limiting slope as the scattering angle approaches zero.

inset to Fig. 3 shows the fitted values of $\langle \Gamma \rangle$ for the aggregate plotted as a function of q^2 . The solid line indicates a least-squares fit to Eq. 6 without assuming a zero y-intercept. The value of C was calculated from the fitted parameter $R_g^2 C$ using the value of R_g^2 from the corresponding SLS data. Combining the fitted value of D_0 with the Stokes-Einstein equation yielded R_h . The dashed line shows the limiting slope of the solid line as q^2 approaches zero, emphasizing the deviation of $\langle \Gamma \rangle$ from linearity at high q^2 . This behavior is characteristic of a variety of molecular architectures, including semiflexible polymer chains, provided that the mobility of the internal domains is substantially different from that of the center of mass (35,58,59).

The upper panel of Fig. 4 shows the scaling behavior of R_g and R_h for both aCgn and bG-CSF aggregates as a function of the c_0 value of the initial, unaggregated sample. The solid and dashed lines represent log-log fits to the data. The lower panel of Fig. 4 shows that values of the ratio $\rho = R_g/R_h$ remain reasonably constant versus c_0 for both aCgn and bG-CSF aggregates. The upper panel of Fig. 5 shows the values of the polydispersity index (p_2 , Eq. 5) as a function of c_0 , while the lower panel shows the corresponding C -parameter values (Eq. 6). The p_2 values indicate that the distribution of aggregate sizes for both proteins is relatively narrow (57,60).

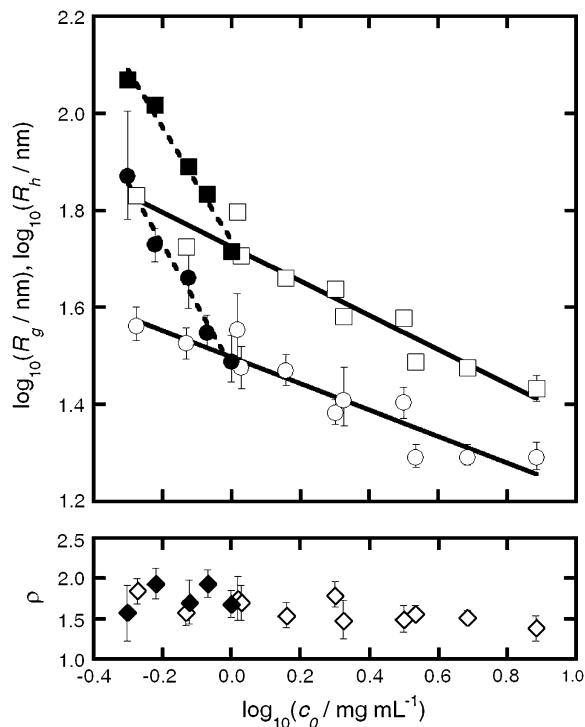


FIGURE 4 (Top panel) Scaling of R_g (squares) and R_h (circles) with c_0 for aCgn aggregates (open symbols) and bG-CSF aggregates (solid symbols). The solid and dashed lines are linear fits to the data on a log-log scale for aggregates of aCgn and bG-CSF, respectively. (Bottom panel) ρ -ratio versus c_0 for aCgn aggregates (open diamonds) and bG-CSF aggregates (solid diamonds).

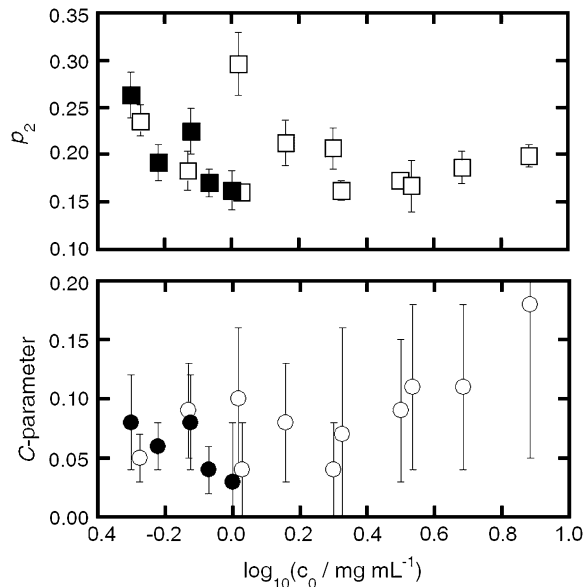


FIGURE 5 (Top panel) p_2 versus c_0 for aggregates of aCgn (open squares) and bG-CSF (solid squares) aggregates. (Bottom panel) C-parameter versus c_0 for aggregates of aCgn (open circles) and bG-CSF (solid circles).

The ρ -values together with values of the C-parameter are consistent with a semiflexible chain morphology (35,58,59,61).

Fig. 6 shows the scaling behavior of R_g and R_h with respect to the reduced molecular weight (M_w/M_0) of the aggregates, where M_0 is the molecular weight of the monomer for aCgn (25.7 kDa) or bG-CSF (19 kDa). The solid and dashed lines again represent log-log fits. Fitted values of M_w for different c_0 ranged from ~ 1700 – 5600 kDa (~ 70 – $220 M_0$) for aCgn aggregates, and ~ 4200 – $13,000$ kDa

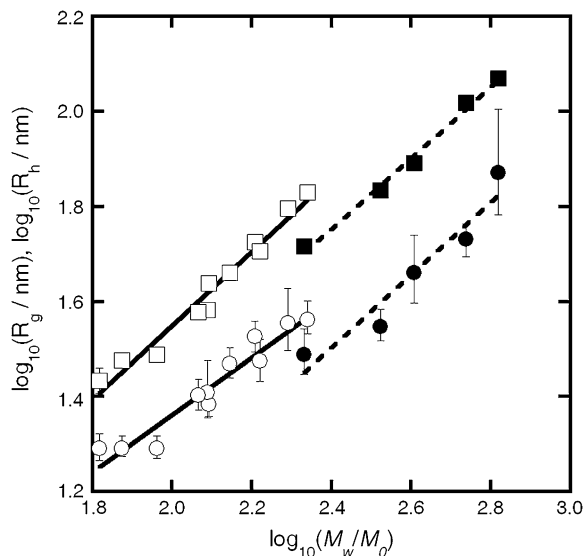


FIGURE 6 Scaling of R_g (squares) and R_h (circles) with reduced M_w for aggregates of aCgn (open symbols) and bG-CSF (solid symbols). The solid and dashed lines are linear fits on a log-log scale for the respective data sets.

(~ 220 – $680 M_0$) for bG-CSF aggregates. The scaling exponents ($R_g \propto c_0^{\gamma_c}$; $R_h \propto c_0^{\eta_c}$; $R_g \propto M_w^{\gamma_m}$; $R_h \propto M_w^{\eta_m}$) from the log-log fits in Figs. 4 and 6, average values of ρ from Fig. 4, and 95% confidence intervals for each are given in Table 1. Scaling exponents calculated from fits to a power law relationship without first converting to a log-log scale were the same as those reported in Table 1 within statistical uncertainty. Values of the scaling exponents γ_m and η_m are also consistent with a semiflexible, unbranched chain morphology (35,62,63).

Cryo-TEM

Cryo-TEM measurements were performed on a series of aCgn samples as a function of incubation time at 65°C for $c_0 = 1.0$ mg/mL. Representative images for fully monomeric ($m = 1$), partially aggregated ($m = 0.42 \pm 0.06$) and fully aggregated ($m = 0.05 \pm 0.02$) samples are shown in Fig. 7, A–C. The protein monomers (native state crystallographic diameter ~ 4 nm) (64) are too small to be quantified with this technique. The mature, linear aCgn aggregates have an apparent contour length of ~ 150 – 250 nm and apparent width of ~ 8 – 10 nm, without obvious branching. Aggregates from other intermediate time points shared the same width and qualitative shape as those in Fig. 7, B and C, consistent with growth by linear polymerization. A representative image from a similar measurement for a fully aggregated bG-CSF sample ($c_0 = 0.5$ mg/mL) is shown in Fig. 7 D. Aggregates of bG-CSF appear to have the same qualitative morphology as those of aCgn, with a slightly greater width (~ 10 – 13 nm) and much greater contour length (~ 200 – 800 nm). Crystallographically, native bG-CSF is roughly cylindrical with dimensions of $\sim 2.5 \times 4.5$ nm (65). The lack of a rigid-rod morphology was apparent in all cryo-TEM images.

Circular dichroism and ThT fluorescence

The main panel of Fig. 8 shows the mean residue ellipticity ($[\theta]$) as a function of wavelength for both native and fully aggregated samples of aCgn ($c_0 = 1.0$ mg/mL) and bG-CSF ($c_0 = 0.5$ mg/mL). In both cases, the aggregate spectra are indicative of an increased β -sheet structure, and this is distinct from both the native and unfolded monomers (37,40). The inset of Fig. 8 shows the fluorescence enhancement of ThT in the presence of aCgn ($c_0 = 1.0$ mg/mL) and bG-CSF ($c_0 = 0.5$ mg/mL) aggregates compared to that in a corresponding solution of only native monomers. Such increases are similar to those typically reported for a variety of systems that undergo nonnative aggregation (43,66).

DISCUSSION

Aggregate size, morphology, and polydispersity

It is important to establish whether appreciable aggregate condensation or coalescence occurs during aggregate

TABLE 1 Summary of scaling exponents and average ρ -ratio values

	γ_c	η_c	Avg ρ -ratio	γ_m	η_m
aCgn	-0.3 ± 0.1	-0.27 ± 0.07	1.65 ± 0.1	0.74 ± 0.16	0.64 ± 0.12
bG-CSF	-1.13 ± 0.34	-1.25 ± 0.34	1.76 ± 0.13	0.74 ± 0.15	0.8 ± 0.4

Definitions of the scaling exponents are provided in the text. The statistical uncertainties are 95% confidence intervals.

growth. For aggregates that remain soluble throughout the course of assembly, all of the following experimental signatures are expected if appreciable coalescence occurs: M_w increases without a concomitant decrease in monomer concentration, e.g., at long times once monomer concentration does not change appreciably; high polydispersity values for the resulting aggregates (p_2 values $\gg 0.3$); and evidence of higher order structure in microscopy, e.g., crosslinking, bundling, or evidence that aggregates are composed of distinct subunits that are themselves discernable aggregates. Our light scattering and TEM data clearly show no evidence of any of these experimental signatures for aCgn and bG-CSF aggregates, and therefore indicate that the aggregates are uncondensed. Additional details regarding the morphology of the aggregates can be deduced from the analysis below.

Values of the ratio $\rho = R_g/R_h$ correlate with the compactness of the underlying polymer architecture, increasing as the morphology becomes more open and extended and as the polydispersity increases (35). The bottom panel of Fig. 5 shows that the values of ρ are reasonably independent of c_0 for aggregates of both aCgn and bG-CSF, while Fig. 6 shows the monotonic relationship for $R_g(M_w)$ and $R_h(M_w)$. Together, these results indicate that the underlying morphology is conserved across aggregates from these two proteins, even though the resulting sizes are significantly different. The average values for ρ given in Table 1 are intermediate between those for a theoretical Gaussian chain ($\rho = 8/(3\pi^{1/2}) \approx 1.505$) (58) and a rigid rod ($\rho > 2$) (35). The values for p_2 shown in the top panel of Fig. 5 indicate that the polydispersity of the aggregated samples was relatively low (average $p_2 = 0.2$). For comparison, a typical condensation polymerization ($M_w/M_n \approx 2$) with chains of similar flexibility would yield $p_2 \approx 0.3$, while monodisperse chains ($M_w/M_n = 1$) would yield $p_2 = 0$ (57,60).

The value of the C -parameter is determined by the longest internal mode of the polymer relative to its center of mass, and is a measure of the flexibility of the polymer molecular architecture (35,58,59,61). The calculated values for aggregates of aCgn and bG-CSF shown in the bottom panel of Fig. 5 lie between the values for a theoretical hard sphere ($C = 0$) (35) and a fully flexible chain ($C \sim 0.2$) (59). Values of the scaling exponent γ_m for both aCgn aggregates and bG-CSF aggregates (Table 1) lie between those for a Gaussian chain ($\gamma_m = 0.5$) and a rigid rod ($\gamma_m = 1$) (35), and values of η_m also fall in the theoretical range for semiflexible chains ($0.6 < \eta_m < 1$) (62,63). Together the light scattering data show

convincingly that soluble, nonnative aggregates of aCgn and bG-CSF are each well described as linear, semiflexible polymer chains with relatively low polydispersity.

The size and morphology of the aCgn and bG-CSF aggregates indicated by light scattering measurements are confirmed by the cryo-TEM micrographs shown in Fig. 7. The aggregates are linear chains without appreciable branching or evidence of aggregate-aggregate condensation. In keeping with this description, SLS measurements yield R_g values of 63 ± 2 nm and 117 ± 2 nm for the aggregates of aCgn and bG-CSF shown in panels *C* and *D*, respectively. Upper estimates of the corresponding end-to-end distances (R_e) are ~ 150 nm and ~ 300 nm, respectively (based on the Gaussian limit, $R_g^2 = R_e^2/6$) (67), which are also consistent with the micrographs. The corresponding rigid rod limits for the contour length (L) of aggregates with these R_g values are ~ 220 nm and ~ 400 nm for aCgn and bG-CSF, respectively ($R_g^2 = L^2/12$) (67). Caution must be exercised in extracting length scales from cryo-TEM micrographs. As the images are two-dimensional projections of a three-dimensional sample, the degree to which aggregate chains protrude above and below the image plane is difficult to quantify.

Monomer structure in aggregates

The main panel of Fig. 8 indicates the secondary structure changes upon aggregation for aCgn and bG-CSF. While both proteins have appreciably different native secondary structure, their aggregate far-UV CD spectra are semiquantitatively similar. It is difficult to reliably quantify or distinguish different types of β -sheet structures using only far-UV CD. However, for aCgn, the red shift compared to the unfolded monomer spectra (40) along with the broad single minimum near 212 nm are taken here to indicate a small but discernible increase in β -sheet content. The data are insufficient to draw quantitative conclusions regarding the extent of β -sheet conversion, or to assess whether a cross- β -sheet structure is present. Doing so would presumably require techniques such as infrared spectroscopy and/or x-ray diffraction. It should be noted that structural analysis of model systems (68,69) indicates that only relatively short series of amino acids within a polypeptide chain are needed to stabilize nonnative polymerization. For bG-CSF, the aggregate is conclusively nonnative, but the CD spectrum is not sufficient to conclude that more than a small fraction of the residues in a given monomer have adopted a β -sheet structure. Based on all of the above considerations, a reasonable hypothesis is that the

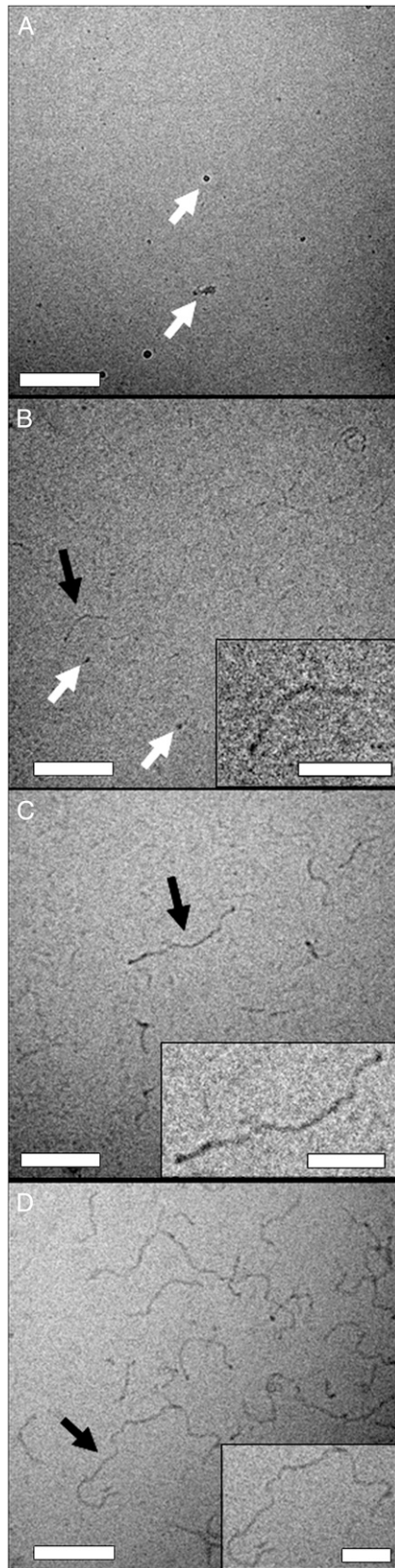


FIGURE 7 Cryo-TEM micrographs of aCgn samples ($c_0 = 1$ mg/mL) at $m = 1$ (A), $m = 0.42 \pm 0.06$ (B), and $m = 0.05 \pm 0.02$ (C) and a bG-CSF

aggregates are composed of subunits in which only a fraction of the amino acids from each (nonnative monomer) protein chain have undergone large conformational rearrangements to form stabilizing interprotein contacts.

Thioflavine T (ThT) binds to various types of β -sheet architectures (44) and has been used as an indicator for the presence of amyloid fibrils (43). The approximately sevenfold increase in the fluorescence intensity maxima between native and aggregated samples at comparable mass concentration of protein (*inset*, Fig. 8) demonstrates specific binding to the aggregates for both proteins. This is despite the relatively small changes in CD spectra and the observation that the aggregates do not form (amyloid) fibrils or other higher-order structures resulting from aggregate-aggregate condensation under these conditions. This finding is consistent, however, with previous work demonstrating ThT binding to nonamyloid samples (44,70), and adds confirmatory evidence that ThT binding alone cannot be used to accurately infer specific aggregate morphologies or underlying monomer structure.

Scaling with c_0 and relation to a nucleated-growth mechanism

The observed scaling behavior of M_w with c_0 , and thus R_g and R_h with c_0 , may at first appear counterintuitive. However, a recent model of nucleated polymerization (27) naturally produces such behavior as a result of the different dependencies of nucleation and growth rates on initial protein concentration, and provides quantitative relationships between this behavior and the relative stoichiometries of nucleation and growth. Increasing c_0 decreases the characteristic timescales of both nucleation (τ_n) and growth (τ_g). However, τ_n scales as c_0^{1-x} , while τ_g scales as $c_0^{-\delta}$, where x denotes the number of monomers in the nucleus and δ denotes the number of monomers needed to advance polymer growth by one kinetic step. When $x > \delta + 1$, the limiting M_w of the aggregates is predicted to decrease with increasing c_0 at fixed temperature, pressure, and solvent conditions (27). To the best of our knowledge, the results in Fig. 4 are the first experimental confirmation of this behavior, and are analyzed further below using the LENP model. The particular relationships of interest are (27)

$$\tau_n \Big|_{T,p,x_i,c_0} = \tau_n^{(0)} \Big|_{T,p,x_i} \left(\frac{c_0}{c_{\text{ref}}} \right)^{1-x} f_R^{-x} \Big|_{T,p,x_i}, \quad (7a)$$

$$\tau_g \Big|_{T,p,x_i,c_0} = \tau_g^{(0)} \Big|_{T,p,x_i} \left(\frac{c_0}{c_{\text{ref}}} \right)^{-\delta} f_R^{-\delta} \Big|_{T,p,x_i}, \quad (7b)$$

sample ($c_0 = 0.5$ mg/mL) at $m = 0.05 \pm 0.02$ (D). The white arrows in panels A and B indicate artifacts caused by crystallization of water vapor on the grid. The black arrows indicate sections of the main image that appear as insets for greater clarity. Main panel scale bar: 200 nm. (*Inset scale bar*) 50 nm.

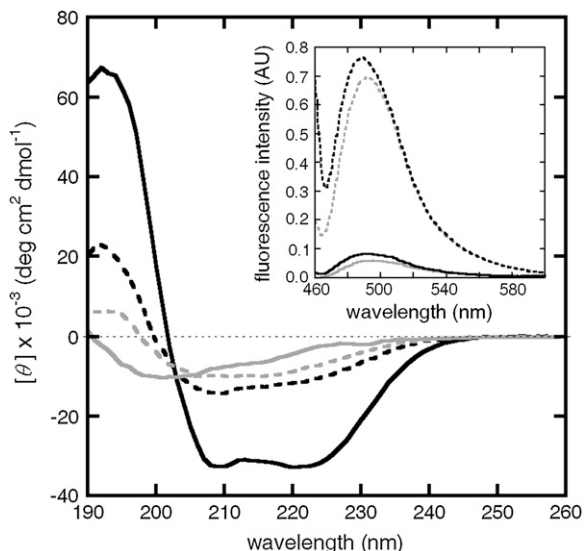


FIGURE 8 (Main panel) Far-UV CD spectra of aCgn monomer (solid gray line) and aggregate (dashed gray line), and bG-CSF monomer (solid black line) and aggregate (dashed black line) at $20^{\circ}\text{C} \pm 0.2^{\circ}\text{C}$. (Inset) Fluorescence emission spectra of ThT in the presence of aCgn monomer (solid gray line) and aggregate (dashed gray line), and bG-CSF monomer (solid black line) and aggregate (dashed black line) at $20^{\circ}\text{C} \pm 0.2^{\circ}\text{C}$.

where $\tau_n^{(0)}$, $\tau_g^{(0)}$, and f_R are, respectively, the intrinsic nucleation timescale, intrinsic growth timescale, and fraction of monomeric protein that exists in the reactive (unfolded) conformational state. Each of these parameters is independent of c_0 , and constant for a given protein at fixed temperature, pressure, and solvent composition (T , p , and x_i) (27), such as the conditions for all data reported here. c_{ref} is an arbitrary, fixed reference concentration that sets the values of $\tau_g^{(0)}$ and $\tau_n^{(0)}$. k_{obs} from monomer loss kinetics or any extent-of-reaction based kinetics is given by (27)

$$k_{\text{obs}} = \frac{\kappa_1}{(\tau_n \tau_g)^{1/2}} \sim \left(\frac{c_0}{c_{\text{ref}}} \right)^{(x+\delta-1)/2}, \quad (8)$$

where κ_1 is a constant of order one that depends weakly on x and δ , and is otherwise independent of c_0 . In addition, the M_w of the soluble aggregates as m goes to zero is given by

$$\left(\frac{M_w}{M_0} \right)_{m \rightarrow 0}^2 = \kappa_2 \left(\frac{\tau_n}{\tau_g} \right) \sim \left(\frac{c_0}{c_{\text{ref}}} \right)^{(1+\delta-x)}, \quad (9)$$

where κ_2 is again a constant of order one that depends weakly on x and δ , and is independent of c_0 . M_0 is the molecular weight of the monomer, and the subscript $m \rightarrow 0$ indicates the quantity is evaluated as the mass fraction of remaining monomer approaches zero. Combining Eqs. 8 and 9 and neglecting the weak and c_0 -independent contributions of κ_1 and κ_2 gives

$$\tau_n = \frac{(M_w/M_0)_{m \rightarrow 0}}{k_{\text{obs}}}, \quad (10a)$$

$$\tau_g = \frac{1}{k_{\text{obs}}(M_w/M_0)_{m \rightarrow 0}}. \quad (10b)$$

Equations 8–10 hold for conditions in which $(M_w/M_0)_{m \rightarrow 0} > \sim 10$ (27).

Fig. 9 shows τ_n and τ_g calculated from Eq. 10 and the experimental k_{obs} and M_w data over a range of c_0 for aCgn. If the nucleated polymerization model accurately represents the experimental data, τ_n and τ_g should scale with c_0 according to Eq. 7, and the resulting x and δ values should be the same as those derived from the $m(t/t_{50})$ profiles and the scaling of k_{obs} with c_0 (27,40). The slopes for τ_n and τ_g versus c_0 in Fig. 9 are -2.4 ± 0.4 and -1.5 ± 0.3 , respectively (95% confidence intervals). Using experimental values of k_{obs} or t_{50} without assuming $\delta = 1$ when fitting monomer loss data (e.g., using $\delta = 2$) makes minor, c_0 -independent changes in the absolute values of τ_n and τ_g that are imperceptible on the log scale in Fig. 9. The slope of τ_n in Fig. 9 indicates a nucleus size (x) of 3–4 monomers, suggesting both trimers and tetramers act effectively as nuclei. This is consistent with a previous analysis based purely on the scaling behavior of k_{obs} with c_0 , and the observation that at higher temperatures (75 – 80°C) a competition between two nucleus sizes is clearly evident (40). Unlike that previous analysis, the results for x and δ from the c_0 scaling in Fig. 9 do not rely upon inferring a value of δ from m versus t . Furthermore, the analysis above provides separate values of τ_n and τ_g , while extent-of-reaction or monomer-loss data alone cannot provide more than the product of τ_n and τ_g (27,40). In addition, Eq. 9 provides a simple and useful relationship in that it shows the limiting value of M_w provides a quantitative estimate of the ratio of nucleation to growth timescales. For

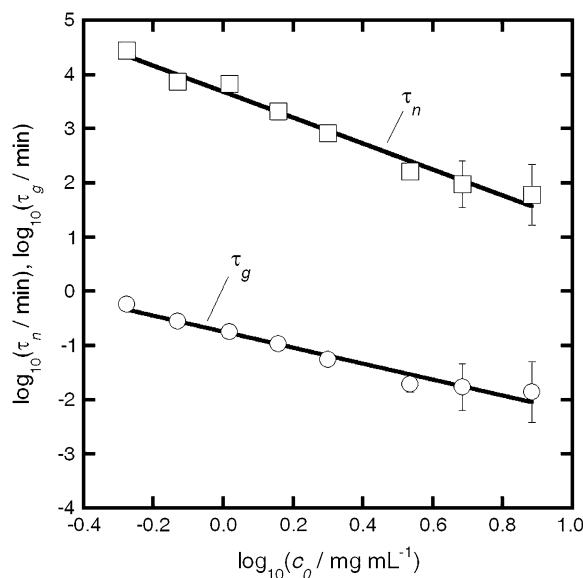


FIGURE 9 Rate diagram for aCgn with nucleation (squares) and growth (circles) timescales as a function of c_0 . The solid lines are linear fits to the data on a log-log scale.

aCgn, the observed range of limiting M_w/M_0 values (~ 70 – 220) thus correspond to values of $\tau_n/\tau_g \sim 5 \times 10^3$ to 5×10^4 , consistent with the vertical distance between the τ_n and τ_g curves in Fig. 9. A similar analysis to that above can be performed for bG-CSF, but is not included here. The much larger variability found for k_{obs} values, and the much smaller c_0 range over which they were measurable at 65°C presently preclude an accurate assessment of τ_n , τ_g , x , and δ . Equation 9 can still be applied, however, as it does not require accurate k_{obs} values. Doing so yields τ_n/τ_g values of order 10^4 – 10^5 , consistent with the larger aggregate sizes for bG-CSF compared to aCgn, as observed in Figs. 4, 6, and 7.

The results in Fig. 9 are particularly important in that they illustrate a general procedure for extracting distinct values of τ_n and τ_g for a given T , p , x_i , c_0 , and protein of interest without the need for indirect experiments such as seeding and chemical labeling. Unlike previous approaches and models of nonnative aggregation in which nucleation and growth timescales were regressed from experimental kinetic and/or light scattering data (33,71,72), the above analysis is independent of the particular morphology of the aggregates, and it does not require one to impose a priori assumptions regarding τ_n/τ_g (73–75). That is, although the morphology and the relationship between R_g , R_h , and M_w have been determined in this report, this information is not needed to perform the timescale analysis described above, provided that the aggregates have not condensed appreciably before the monomer supply has been significantly depleted. If aggregate condensation is the predominant growth mechanism, then accurate information regarding morphology is required to employ light scattering to extract meaningful kinetic parameters (31,33,72). In either case, imposing assumptions regarding τ_n/τ_g will artificially constrain the predicted size distribution and the ability of the model to describe the light scattering data (27).

Eq. 7 shows that τ_n and τ_g are both functions of c_0 and the free energy of unfolding of the monomer (via f_R). These contributions can be factored out using experimental values for protein concentration and unfolding free energy (24,38,40). The resulting intrinsic timescales for nucleation and growth are then of further value in that they provide quantitative bounds on interpretations of the effects of protein sequence, charge, and sample conditions on factors such as prenuclei free energies and the rate-controlling step(s) for nucleation and growth (27,40).

In the simplest version of the nucleated growth model, x and δ are assumed to have integer values. The observation that intermediate values are obtained suggests that both nucleation and growth may more accurately be described as occurring via two competing species at this temperature, and solvent conditions, nucleation from both trimers and tetramers, and growth via addition of one to two monomers. The estimated width of the aggregates from cryo-TEM, ~ 10 nm (approximately twice the diameter of the monomer), lends additional support to a qualitative mechanism in which each

growth step during polymerization requires one or two monomers to progress to the next stable polymer length. In general, the value of δ is not necessarily the number of monomers in a cross-section of the aggregate chains. It is simply the number of monomers that must reversibly associate with a previously formed aggregate before the monomers forming the necessary stabilizing interprotein contacts to commit them (irreversibly) to that aggregate (27).

CONCLUSIONS

Thermally induced, nonnative aggregates of aCgn and bG-CSF were characterized using a combination of light scattering, spectroscopy, and microscopy. The combined results unambiguously indicate that the aggregates from both systems are linear, semiflexible polymer chains with relatively low polydispersity, and increased nonnative β -sheet secondary structure. The aggregates bind thioflavine T, without evidence for the formation of (amyloid) fibrils or higher-order structures resulting from association or condensation. Distinct values for the nucleation and growth timescales were calculated without the need for seeding or addition of chemical labels, or assumptions about the underlying structure and morphology of the aggregates. These timescales scale differently with initial protein concentration and provide a self-consistent explanation for the experimental observation that relatively few, large aggregates are formed at low c_0 , and a greater number of smaller aggregates are formed at high c_0 . Although suggested by recent theoretical work (27), to the best of our knowledge this is the first time such qualitative and quantitative scaling behavior and timescale analysis has been shown experimentally for aggregated proteins. In total, the t_{50} - M_w method presented here produces scaling behavior and fitted stoichiometries for nucleation and growth that agree well with those of an alternative approach based exclusively on monomer loss kinetics (40), and has the added benefit of being able to separate the nucleation and growth timescales when aggregate condensation is not appreciable. This, and its more general form in which aggregate M_w and monomer loss are coupled as a function of time (27), offer a potentially powerful and widely applicable approach for determining key mechanistic parameters of protein nucleation and growth before subsequent condensation.

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