

## Probing the role of packing specificity in protein design

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**ABSTRACT** By using a protein-design algorithm that quantitatively considers side-chain packing, the effect of specific steric constraints on protein design was assessed in the core of the streptococcal protein G  $\beta$ 1 domain. The strength of packing constraints used in the design was varied, resulting in core sequences that reflected differing amounts of packing specificity. The structural flexibility and stability of several of the designed proteins were experimentally determined and showed a trend from well-ordered to highly mobile structures as the degree of packing specificity in the design decreased. This trend both demonstrates that the inclusion of specific packing interactions is necessary for the design of native-like proteins and defines a useful range of packing specificity for the design algorithm. In addition, an analysis of the modeled protein structures suggested that penalizing for exposed hydrophobic surface area can improve design performance.

The placement of hydrophobic amino acids into protein cores is critical for maintaining the highly ordered structures of naturally occurring proteins (1–4). Many designed proteins have been constructed to form a nonpolar core by selecting a suitable pattern of hydrophobic and polar residues (HP pattern) but appear to lack the structural ordering of native proteins (5–7). The omission of specific packing interactions as a design criterion is a possible cause of disorder in designed proteins. In this study, we seek to quantitatively assess both the degree to which specific packing interactions are necessary for the design of well-ordered proteins and the tolerance of native-like structure to variations in core packing patterns.

Previous studies that have examined the role of core packing on protein structure demonstrate that while some variation in the buried positions of a protein is allowed, there are limits on the sequences that result in stable native-like folds (2, 8–11). To generalize these results and to provide a framework to assess designed proteins, we propose the use of an automated side-chain selection algorithm, which explicitly and quantitatively considers specific side-chain packing interactions (12), as the basis of a method to define the need for packing constraints in protein design. Our side-chain selection algorithm screens all possible sequences and finds the optimal amino acid type and side-chain orientation for a given backbone. To correctly account for the torsional flexibility of side chains and the geometric specificity of side-chain placement, we consider a discrete set of all allowed conformers of each side chain, called rotamers (13, 14). The immense search problem presented by rotamer sequence optimization is overcome by application of the dead-end elimination (DEE) theorem (15–17). Our implementation of the DEE theorem extends its utility to sequence design and rapidly finds the globally optimal sequence in its optimal conformation. Scoring of sequence arrangements includes an atomic van der Waals potential that captures the two main features of steric packing interactions: excluded volume and the weakly attractive dispersive

force. Protein cores designed with this and with similar (18, 19) algorithms result in stable well-ordered proteins.

The referenced sequence prediction algorithms select a single family of closely related core sequences for a given backbone, indicating that designs produced by these algorithms are highly determined by packing specificity. Two factors are likely to be responsible for this stringency: the use of a fixed backbone and the highly restrictive repulsive (excluded volume) component of the van der Waals potential. The repulsive component can be modulated, however, by scaling the van der Waals radii of the atoms in the simulation. We implement this modulation in the packing constraints by varying a radius scale factor,  $\alpha$  (Eq. 1).  $R_0$  and  $D_0$  are the van der Waals radius and well depth, respectively, and  $E_{\text{vdw}}$  and  $R$  are the energy and interatomic distance.

$$E_{\text{vdw}} = D_0 \left[ \left( \frac{\alpha R_0}{R} \right)^{12} - 2 \left( \frac{\alpha R_0}{R} \right)^6 \right]. \quad [1]$$

By predicting core sequences with various radii scalings and then experimentally characterizing the resulting proteins, a rigorous study of the importance of packing effects on protein design is possible.

By using a protein design algorithm to assess the bounds of effective steric constraints on core packing, these bounds can be incorporated into the algorithm to improve design performance. Specifically, a reduced van der Waals steric constraint can compensate for the restrictive effect of a fixed backbone and discrete side-chain rotamers in the simulation and could allow a broader sampling of sequences compatible with the desired fold. The use of experimental data to test our designs and subsequently to improve our design algorithm is the central feature of our overall protein design strategy (12). This study should provide practical improvements to our sequence scoring potential in addition to generally assaying the role of packing specificity in protein structure.

### METHODS

**Sequence Optimization: DEE and Monte Carlo.** The protein structure was modeled on the backbone coordinates of streptococcal protein G  $\beta$ 1 domain (G $\beta$ 1), Protein Data Bank record 1pga (20, 21). Atoms of all side chains not optimized were left in their crystallographically determined positions. The program BIOGRAF (Molecular Simulations, San Diego) was used to generate explicit hydrogens on the structure, which was then conjugate-gradient-minimized for 50 steps using the Dreiding force field (22). The rotamer library, DEE optimization, and Monte Carlo search followed our previous work (12). A Lennard–Jones 12–6 potential was used for van der Waals interactions, with atomic radii scaled for the various cases as discussed in the text. The Richards definition of

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Abbreviations: DEE, dead-end elimination;  $T_m$ , melting temperature; G $\beta$ 1, streptococcal protein G  $\beta$ 1 domain; ANS, 8-anilino-1-naphthalene sulfonic acid.

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solvent-accessible surface area (23) was used, and areas were calculated with the Connolly algorithm (24). An atomic solvation parameter, derived from our previous work, of 23 cal per mol per Å<sup>2</sup> (1 cal = 4.184 J) was used to favor hydrophobic burial and to penalize solvent exposure. To calculate side-chain nonpolar exposure in our optimization framework, we first consider the total hydrophobic area exposed by a rotamer in isolation. This exposure is decreased by the area buried in rotamer/template contacts, and the sum of the areas buried in pairwise rotamer/rotamer contacts.

**Peptide Synthesis and Purification.** With the exception of the 11 core positions designed by the sequence selection algorithm, the sequences synthesized match Protein Data Bank entry 1pga. Peptides were synthesized by using standard fluorenylmethoxycarbonyl chemistry, and were purified by reverse-phase HPLC. Matrix-assisted laser desorption mass spectrometry found all molecular weights to be within one unit of the expected masses.

**CD and Fluorescence Spectroscopy and Size-Exclusion Chromatography.** The solution conditions for all experiments were 50 mM sodium phosphate buffer at pH 5.5 and 25°C unless noted. CD spectra were acquired on an Aviv 62DS spectrometer equipped with a thermoelectric unit. Peptide concentration was approximately 20 μM. Thermal melts were monitored at 218 nm by using 2° increments with an equilibration time of 120 s. Melting temperature ( $T_m$ ) was defined as the maximum of the derivative of the melting curve. Reversibility for each of the proteins was confirmed by comparing room temperature CD spectra from before and after heating. Guanidinium chloride denaturation measurements followed published methods (25). Protein concentrations were determined by UV spectrophotometry. Fluorescence experiments were performed on a Hitachi F-4500 in a 1-cm-pathlength cell. Both peptide and 8-anilino-1-naphthalene sulfonic acid (ANS) concentrations were 50 μM. The excitation wavelength was 370 nm and emission was monitored from 400 to 600 nm. Size-exclusion chromatography was performed with a PolyLC hydroxyethyl A column at pH 5.5 in 50 mM sodium phosphate at 0°C. Ribonuclease A, carbonic anhydrase, and Gβ1 were used as molecular weight standards. Peptide concentrations during the separation were ~15 μM, as estimated from peak heights monitored at 275 nm.

**NMR Spectroscopy.** Samples were prepared in 90:10 H<sub>2</sub>O/<sup>2</sup>H<sub>2</sub>O and 50 mM sodium phosphate buffer at pH 5.5. Spectra were acquired on a Varian Unityplus 600-MHz spectrometer at 25°C. Samples were approximately 1 mM, except for α70, which had limited solubility (100 μM). For hydrogen exchange studies, an NMR sample was prepared, the pH was adjusted to 5.5, and a spectrum was acquired to serve as an unexchanged reference. This sample was lyophilized, reconstituted in <sup>2</sup>H<sub>2</sub>O, and repetitive acquisition of spectra was begun immediately at a rate of 75 s per spectrum. Data acquisition continued for ~20 h, and then the sample was heated to 99°C for 3 min to fully exchange all protons. After cooling to 25°C, a final spectrum was acquired to serve as the fully exchanged reference. The areas of all exchangeable

amide peaks were normalized by a set of nonexchanging aliphatic peaks. pH values, uncorrected for isotope effects, were measured for all the samples after data acquisition, and the time axis was normalized to correct for minor differences in pH (26).

## RESULTS

**Model System Core Sequence Predictions.** An ideal model system to study core packing is Gβ1 (20, 27–31). Its small size, 56 residues, renders computations and experiments tractable. Perhaps most critical for a core packing study, Gβ1 contains no disulfide bonds and does not require a cofactor or metal ion to fold. Further, Gβ1 contains sheet, helix, and turn structures and is without the repetitive side-chain packing patterns found in coiled coils or some helical bundles. This lack of periodicity reduces the bias from a particular secondary or tertiary structure and necessitates the use of an objective side-chain selection algorithm to examine packing effects.

Sequence positions that constitute the core were chosen by examining the side-chain solvent-accessible surface area of Gβ1. Any side chain exposing less than 10% of its surface was considered buried. Eleven residues meet this criteria, with 7 from the β-sheet (positions 3, 5, 7, 20, 43, 52, and 54), three from the helix (positions 26, 30, and 34) and 1 in an irregular secondary structure (position 39). These positions form a contiguous core. The remainder of the protein structure, including all other side chains and the backbone, was used as the template for sequence selection calculations at the 11 core positions.

All possible core sequences consisting of alanine, valine, leucine, isoleucine, phenylalanine, tyrosine, or tryptophan were considered. Our rotamer library was similar to that used by Desmet *et al.* (15). Optimizing the sequence of the core of Gβ1 with 217 possible hydrophobic rotamers at all 11 positions results in 217<sup>11</sup> or 5 × 10<sup>25</sup> rotamer sequences. Our scoring function consisted of two components: a van der Waals energy term and an atomic solvation term favoring burial of hydrophobic surface area. The van der Waals radii of all atoms in the simulation were scaled by a factor α (Eq. 1) to change the importance of packing effects. Radii were not scaled for the buried surface area calculations. Global optimum sequences for various values of the radius scaling factor α were found using the DEE theorem (Table 1). Optimal sequences, and their corresponding proteins, are named by the radius scale factor used in their design. For example, the sequence designed with a radius scale factor of α = 0.90 is called α90.

α100 was designed with α = 1.0 and hence serves as a baseline for full incorporation of steric effects. The α100 sequence is very similar to the core sequence of Gβ1 (Table 1) even though no information about the naturally occurring sequence was used in the side-chain selection algorithm. Variation of α from 0.90 to 1.05 caused little change in the optimal sequence, demonstrating the algorithm's robustness to minor parameter perturbations. Further, the packing arrange-

Table 1. Optimal core sequences and relative side-chain volume vs. α

α	Vol	Gβ1 sequence										
		TYR-3	LEU-5	LEU-7	ALA-20	ALA-26	PHE-30	ALA-34	VAL-39	TRP-43	PHE-52	VAL-54
0.70	1.28	TRP	TYR	ILE	ILE	PHE	TRP	LEU	ILE	PHE	LEU	ILE
0.75	1.23	PHE	ILE	PHE	ILE	VAL	TRP	VAL	LEU			ILE
0.80	1.13	PHE		ILE				ILE	ILE		TRP	ILE
0.85	1.15	PHE		ILE				LEU	ILE		TRP	PHE
0.90	1.01	PHE		ILE					ILE			
0.95	1.01	PHE		ILE					ILE			
1.0	0.99	PHE		VAL					ILE			
1.05	0.93	PHE		ALA								
1.075	0.83	ALA	ALA	ILE			ILE				ILE	ILE
1.10	0.77	ALA		ALA			ALA				ILE	ILE
1.15	0.68	ALA	ALA	ALA			ALA				LEU	

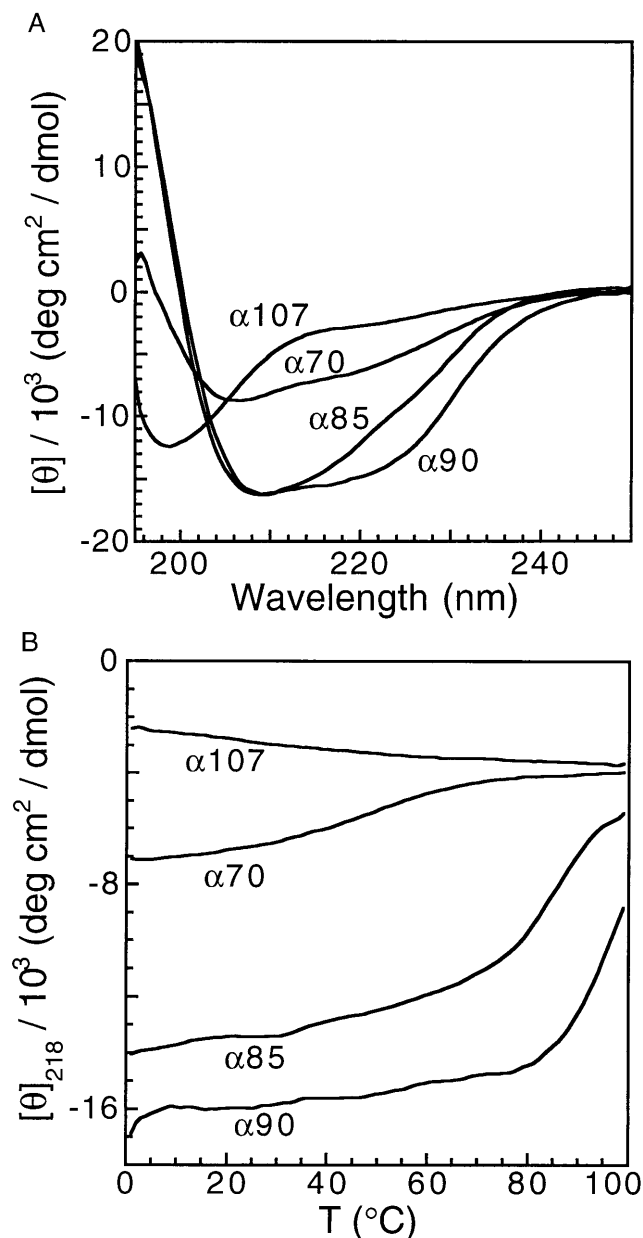


FIG. 1. Secondary structure and thermal stability of  $\alpha 90$ ,  $\alpha 85$ ,  $\alpha 70$ , and  $\alpha 107$ . (A) Far-UV CD spectra. (B) Thermal denaturation monitored by CD.

ments predicted with  $\alpha = 0.90$  to  $1.05$  closely match  $G\beta 1$  with average  $\chi$  angle differences of only  $4^\circ$  from the crystal structure. The high identity and conformational similarity to  $G\beta 1$  imply that, when packing constraints are used, backbone conformation strongly determines a single family of well-packed core designs. Nevertheless, the constraints on core packing were being modulated by  $\alpha$  as demonstrated by Monte Carlo searches for other low-energy sequences. Several alternate sequences and packing arrangements are in the 20 best sequences found by the Monte Carlo procedure when  $\alpha = 0.90$ . These alternate sequences score much worse when  $\alpha = 0.95$ , and when  $\alpha = 1.0$  or  $1.05$ , only strictly conservative packing geometries have low energies. Therefore,  $\alpha = 1.05$  and  $\alpha = 0.90$  define the high and low ends, respectively, of a range where packing specificity dominates sequence design.

For  $\alpha < 0.90$ , the role of packing is reduced enough to let the hydrophobic surface potential begin to dominate, thereby increasing the size of the residues selected for the core (Table 1). A significant change in the optimal sequence appears between  $\alpha$

$= 0.90$  and  $0.85$  with both  $\alpha 85$  and  $\alpha 80$  containing three additional mutations relative to  $\alpha 90$ . Also,  $\alpha 85$  and  $\alpha 80$  have a 15% increase in total side-chain volume relative to  $G\beta 1$ . As  $\alpha$  drops below  $0.80$ , an additional 10% increase in side-chain volume and numerous mutations occur, showing that packing constraints have been overwhelmed by the drive to bury nonpolar surface. Though the jumps in volume and shifts in packing arrangement appear to occur suddenly for the optimal sequences, examination of the suboptimal low-energy sequences by Monte Carlo sampling demonstrates that the changes are not abrupt. For example, the  $\alpha 85$  optimal sequence is the 11th best sequence when  $\alpha = 0.90$ , and similarly, the  $\alpha 90$  optimal sequence is the 9th best sequence when  $\alpha = 0.85$ .

For  $\alpha > 1.05$ , atomic van der Waals repulsions are so severe that most amino acids cannot find any allowed packing arrangements, resulting in the selection of alanine for many positions. This stringency is likely an artifact of the large atomic radii and does not reflect increased packing specificity accurately. Rather,  $\alpha = 1.05$  is the upper limit for the usable range of van der Waals scales within our modeling framework.

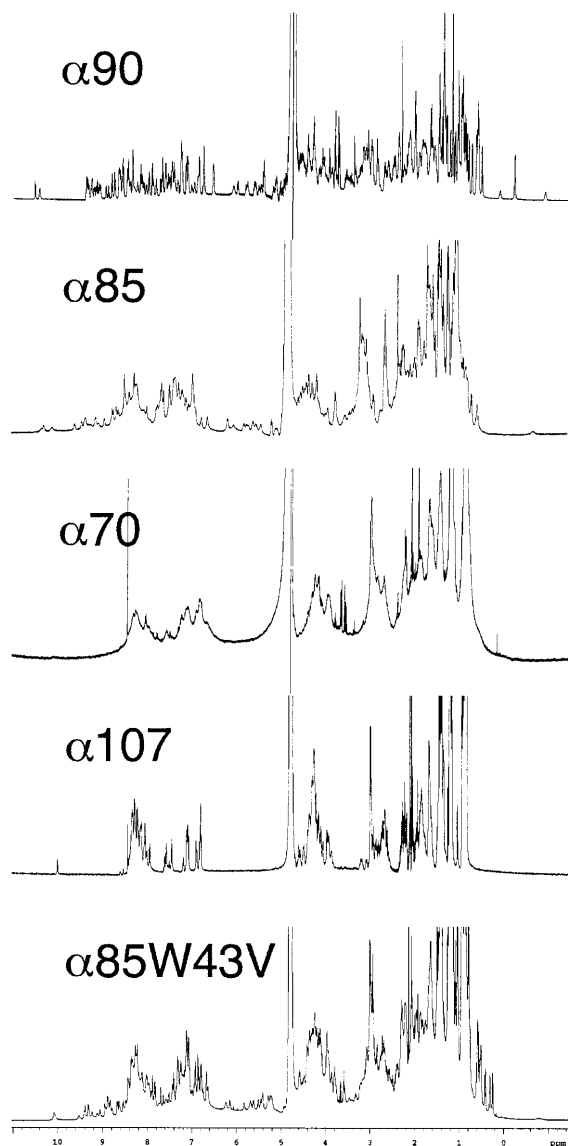


FIG. 2. Proton NMR spectra of  $\alpha 90$ ,  $\alpha 85$ ,  $\alpha 70$ ,  $\alpha 107$ , and  $\alpha 85W43V$ . The decrease in dispersion from  $\alpha 90$  to  $\alpha 85$  to  $\alpha 70$  reflects a graded decrease in protein structural order.  $\alpha 107$  appears unfolded.  $\alpha 85W43V$  has narrower lines and greater dispersion than  $\alpha 85$ , indicating that the single Trp  $\rightarrow$  Val mutation reduced conformational flexibility. The sharp peaks at 8.45 and 0.15 ppm in the  $\alpha 70$  spectrum are impurities.

**Experimental Characterization of Core Designs.** Variation of the van der Waals scale factor  $\alpha$  results in four regimes of packing specificity: regime 1, where  $0.9 \leq \alpha \leq 1.05$  and packing constraints dominate the sequence selection; regime 2, where  $0.8 \leq \alpha < 0.9$  and the hydrophobic solvation potential begins to compete with packing forces; regime 3, where  $\alpha < 0.8$  and hydrophobic solvation dominates the design; regime 4, where  $\alpha > 1.05$  and van der Waals repulsions appear to be too severe to allow meaningful sequence selection. Sequences that are optimal designs were selected from each of the regimes for synthesis and characterization. They are  $\alpha 90$  from regime 1,  $\alpha 85$  from regime 2,  $\alpha 70$  from regime 3, and  $\alpha 107$  from regime 4. For each of these sequences, the calculated amino acid identities of the 11 core positions are shown in Table 1; the remainder of the protein sequence matches G $\beta$ 1. The goal was to study the relation between the degree of packing specificity used in the core design and the extent of native-like character in the resulting proteins.

$\alpha 90$  and  $\alpha 85$  have ellipticities and spectra very similar to G $\beta$ 1 (data not shown), suggesting that their secondary structure content is comparable to that of G $\beta$ 1 (Fig. 1A). Conversely,  $\alpha 70$  has much weaker ellipticity and a perturbed spectrum, implying a loss of secondary structure relative to G $\beta$ 1.  $\alpha 107$  has a spectrum characteristic of a random coil. Thermal melts monitored by CD are shown in Fig. 1B.  $\alpha 85$  and  $\alpha 90$  both have cooperative transitions with  $T_m$  values of 83°C and 92°C, respectively.  $\alpha 107$  shows no thermal transition, behavior expected from a fully unfolded polypeptide, and  $\alpha 70$  has a broad shallow transition, centered at  $\sim 40^\circ\text{C}$ , characteristic of partially folded structures. Relative to G $\beta$ 1, which has a  $T_m$  of 87°C (28),  $\alpha 85$  is slightly less thermostable and  $\alpha 90$  is more stable. Chemical denaturation measurements of the free energy of unfolding ( $\Delta G_u$ ) at 25°C match the trend in the  $T_m$ .  $\alpha 90$  has a larger  $\Delta G_u$  than that reported for G $\beta$ 1 (28) whereas  $\alpha 85$  is slightly less stable. It was not possible to measure  $\Delta G_u$  for  $\alpha 70$  or  $\alpha 107$  because they lack discernible transitions.

The extent of chemical shift dispersion in the proton NMR spectrum of each protein was assessed to gauge each protein's degree of native-like character (Fig. 2).  $\alpha 90$  possesses a highly dispersed spectrum, the hallmark of a well-ordered native protein.  $\alpha 85$  has diminished chemical-shift dispersion and peaks that are somewhat broadened relative to  $\alpha 90$ , suggesting a moderately mobile structure that nevertheless maintains a distinct fold.  $\alpha 70$ 's NMR spectrum has almost no dispersion.

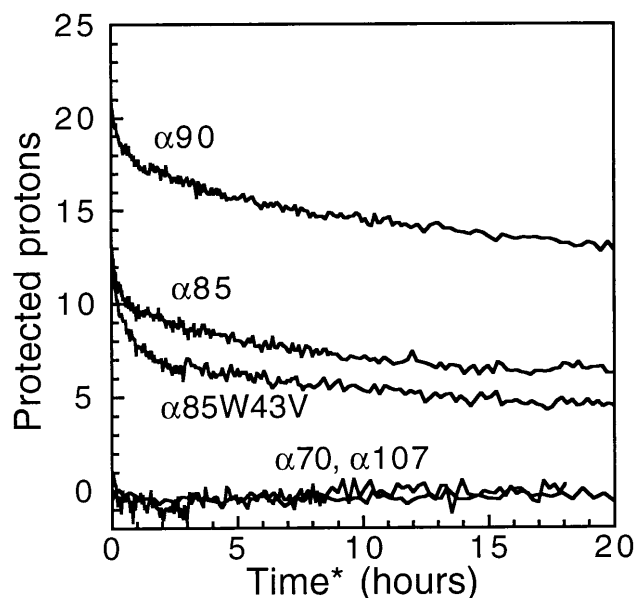


FIG. 3. Amide hydrogen–deuterium exchange kinetics of  $\alpha 90$ ,  $\alpha 85$ ,  $\alpha 70$ ,  $\alpha 107$ , and  $\alpha 85\text{W}43\text{V}$ . Total area of exchangeable peaks, expressed as number of protons, as a function of exchange time at 25°C and pH 5.5.

The broad peaks are indicative of a collapsed but disordered and fluctuating structure.  $\alpha 107$  has a spectrum with sharp lines and no dispersion, which is indicative of an unfolded protein.

Amide hydrogen exchange kinetics are consistent with the conclusions reached from examination of the proton NMR spectra. Fig. 3 shows the average number of unexchanged amide protons as a function of time for each of the designed proteins.  $\alpha 90$  protects  $\sim 13$  protons for more than 20 h of exchange at pH 5.5 and 25°C. The  $\alpha 90$  exchange curve is indistinguishable from that of G $\beta$ 1 (data not shown).  $\alpha 85$  also maintains a well-protected set of amide protons, a distinctive feature of ordered native-like proteins. The number of protected protons, however, is only about half that of  $\alpha 90$ . The difference is likely due to higher flexibility in some parts of the  $\alpha 85$  structure. In contrast,  $\alpha 70$  and  $\alpha 107$  were fully exchanged within the 3-min dead time of the experiment, indicating highly dynamic structures.

Near UV CD spectra and the extent of ANS binding were used to assess the structural ordering of the proteins. The near-UV CD spectra of  $\alpha 85$  and  $\alpha 90$  have strong peaks, as expected for proteins with aromatic residues fixed in a unique tertiary structure whereas  $\alpha 70$  and  $\alpha 107$  have featureless spectra indicative of proteins with mobile aromatic residues, such as nonnative collapsed states or unfolded proteins.  $\alpha 70$  also binds ANS well, as indicated by a 3-fold intensity increase and blue shift of the ANS emission spectrum. This strong binding suggests that  $\alpha 70$  possesses a loosely packed or partially exposed cluster of hydro-

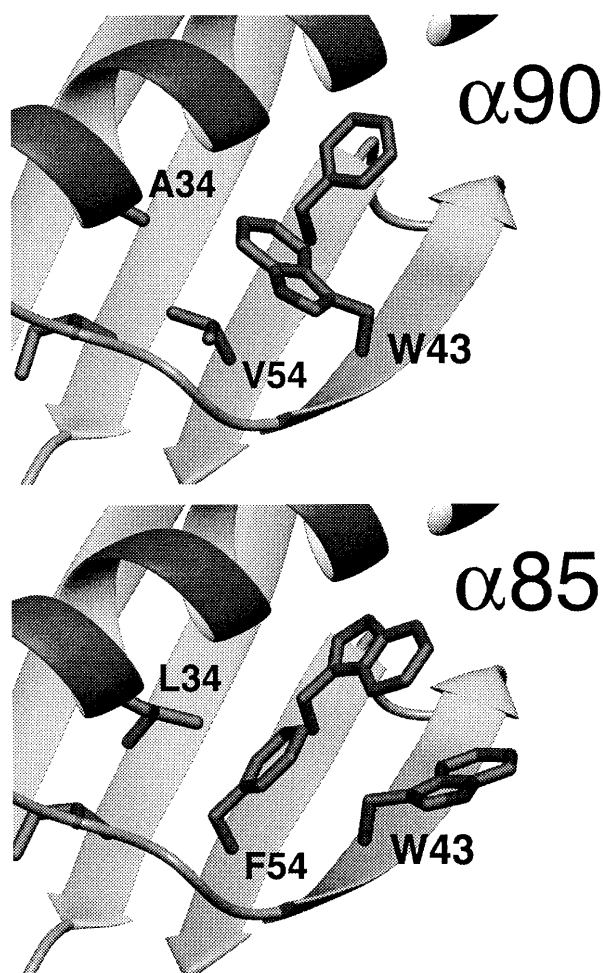


FIG. 4. Core packing arrangements predicted by DEE for  $\alpha 90$  (Upper) and  $\alpha 85$  (Lower). Only side chains for residues 34, 39, 43, 52, and 54 are shown. In  $\alpha 90$ , Trp-43 buries more than 90% of its surface area. In  $\alpha 85$ , Trp-43 is only 46% buried and is rotated into solvent to avoid steric clashes with Leu-34 and Phe-52, which occupy a larger volume than Ala-34 and Val-52 in  $\alpha 90$ . Figures were produced with MOLMOL (33).

Table 2. Exposure penalty effect on sequence selection and exposed surface area ( $A_{np}$ )

No.	$A_{np}$	TYR-3	LEU-5	LEU-7	ALA-20	ALA-26	PHE-30	ALA-34	VAL-39	TRP-43	PHE-52	VAL-54
A. $\alpha = 0.85$												
1	109	PHE		ILE				LEU	ILE		TRP	PHE
2	109			ILE				LEU	ILE		TRP	PHE
3	104	PHE		ILE				LEU	ILE			PHE
4	104			ILE				LEU	ILE			PHE
5	108	PHE		ILE				LEU			TRP	PHE
6	62	PHE		ILE				LEU	ILE	VAL	TRP	PHE
7	103	PHE		ILE				LEU	ILE		TYR	PHE
8	109	PHE		VAL				LEU	ILE		TRP	PHE
9	30	PHE		ILE					ILE			
10	38	PHE		ILE					ILE		TRP	
11	108			ILE				LEU			TRP	PHE
12	62			ILE				LEU	ILE	VAL	TRP	PHE
13	109	PHE		ILE			TYR	LEU	ILE		TRP	PHE
14	103			ILE				LEU	ILE		TYR	PHE
15	109			VAL				LEU	ILE		TRP	PHE
B. $\alpha = 0.85$ exposure penalty												
1	30	PHE		ILE					ILE			ILE
2	29	PHE		ILE				ILE	ILE			
3	29	PHE	ILE	PHE					ILE			
4	30			ILE					ILE			ILE
5	29			ILE				ILE	ILE			
6	29		ILE	PHE					ILE			
7	109	PHE		ILE				LEU	ILE		TRP	PHE
8	52	PHE		ILE				LEU	ILE	ILE		PHE
9	29			ILE					ILE			
10	29	PHE		ILE					ILE			
11	109			ILE				LEU	ILE		TRP	PHE
12	38	PHE		ILE					ILE		TRP	ILE
13	62	PHE		ILE				LEU	ILE	VAL	TRP	PHE
14	52			ILE				LEU	ILE	ILE		PHE
15	30	PHE		ILE					ILE		TYR	ILE

phobic residues accessible to ANS. ANS binds  $\alpha 85$  weakly, with only a 25% increase in emission intensity, similar to the association seen for some native proteins (32).  $\alpha 90$  and  $\alpha 107$  cause no change in ANS fluorescence. All of the proteins migrated as monomers during size-exclusion chromatography.

## DISCUSSION

In summary,  $\alpha 90$  is a well-packed native-like protein by all criteria, and it is more stable than the naturally occurring G $\beta$ 1 sequence, possibly because of increased hydrophobic surface burial.  $\alpha 85$  is also a stable ordered protein, albeit with greater motional flexibility than  $\alpha 90$ , as shown by its NMR spectrum and hydrogen-exchange behavior.  $\alpha 70$  has all the features of a disordered collapsed globule: a noncooperative thermal transition, no NMR spectral dispersion or amide proton protection, reduced secondary structure content, and strong ANS binding.  $\alpha 107$  is a completely unfolded chain, likely due to its lack of large hydrophobic residues to hold the core together. The clear trend is a loss of protein ordering as  $\alpha$  decreases below 0.90.

The different packing regimes for protein design can be evaluated in light of the experimental data. In regime 1, with  $0.9 \leq \alpha \leq 1.05$ , the design is dominated by packing specificity resulting in well-ordered proteins. In regime 2, with  $0.8 \leq \alpha < 0.9$ , packing forces are weakened enough to let the hydrophobic force drive larger residues into the core, which produces a stable well-packed protein with somewhat increased structural motion. In regime 3,  $\alpha < 0.8$ , packing forces are reduced to such an extent that the hydrophobic force dominates, resulting in a fluctuating, partially folded structure with no stable core packing. In regime 4,  $\alpha > 1.05$ , the steric forces used to implement packing specificity are scaled too high to allow reasonable sequence selection and hence produce an unfolded

protein. These results indicate that effective protein design requires a consideration of packing effects. Within the context of a protein design algorithm, we have quantitatively defined the range of packing forces necessary for successful designs.

To take advantage of the benefits of reduced packing constraints, protein cores should be designed with the smallest  $\alpha$  that still results in structurally ordered proteins. The optimal protein sequence from regime 2,  $\alpha 85$ , is stable and well packed, suggesting  $0.8 \leq \alpha < 0.9$  as a good range. NMR spectra and hydrogen-exchange kinetics, however, clearly show that  $\alpha 85$  is not as structurally ordered as  $\alpha 90$ . The packing arrangements predicted by our algorithm for Trp-43 in  $\alpha 85$  and  $\alpha 90$  present a possible explanation (Fig. 4). For  $\alpha 90$ , Trp-43 is predicted to pack in the core with the same conformation as in the crystal structure of G $\beta$ 1. In  $\alpha 85$ , the larger side chains at positions 34 and 54, leucine and phenylalanine, respectively, compared with alanine and valine in  $\alpha 90$ , force Trp-43 to expose 91  $\text{\AA}^2$  of nonpolar surface compared with 19  $\text{\AA}^2$  in  $\alpha 90$ . The hydrophobic driving force this exposure represents seems likely to stabilize alternate conformations that bury Trp-43 and thereby could contribute to  $\alpha 85$ 's conformational flexibility (34, 35). In contrast to the other core positions, a residue at position 43 can be mostly exposed or mostly buried depending on its side-chain conformation. We designate positions with this characteristic as boundary positions, which pose a difficult problem for protein design because of their potential to either strongly interact with the protein's core or with solvent.

A scoring function that penalizes the exposure of hydrophobic surface area might assist in the design of boundary residues. Dill and coworkers (36) used an exposure penalty to improve protein designs in a theoretical study. A nonpolar exposure penalty would favor packing arrangements that either bury large side chains in the core or replace the exposed

amino acid with a smaller or more polar one. We implemented a side-chain nonpolar exposure penalty in our optimization framework and used a penalizing solvation parameter with the same magnitude as the hydrophobic burial parameter.

The results of adding a hydrophobic surface exposure penalty to our scoring function are shown in Table 2. When  $\alpha = 0.85$ , the nonpolar exposure penalty dramatically alters the ordering of low-energy sequences. The  $\alpha 85$  sequence, the former ground state, drops to 7th and the rest of the 15 best sequences expose far-less hydrophobic area because they bury Trp-43 in a conformation similar to  $\alpha 90$  (Fig. 4). The exceptions are the 8th and 14th sequences, which reduce the size of the exposed boundary residue by replacing Trp-43 with an isoleucine, and the 13th best sequence, which replaces Trp-43 with a valine. The new ground-state sequence is very similar to  $\alpha 90$ , with a single valine  $\rightarrow$  isoleucine mutation, and should share  $\alpha 90$ 's stability and structural order. In contrast, when  $\alpha = 0.90$ , the optimal sequence does not change and the next 14 best sequences, found by Monte Carlo sampling, change very little. This minor effect is not surprising, since steric forces still dominate for  $\alpha = 0.90$  and most of these sequences expose very little surface area. Burying Trp-43 restricts sequence selection in the core somewhat, but the reduced packing forces for  $\alpha = 0.85$  still produce more sequence variety than  $\alpha = 0.90$ . The exposure penalty complements the use of reduced packing specificity by limiting the gross overpacking and solvent exposure that occurs when the core's boundary is disrupted. Adding this constraint should allow lower packing forces to be used in protein design, resulting in a broader range of high-scoring sequences and reduced bias from fixed backbone and discrete rotamers.

To examine the effect of substituting a smaller residue at a boundary position, we synthesized and characterized the 13th best sequence of the  $\alpha = 0.85$  optimization with exposure penalty (Table 2, section B). This sequence,  $\alpha 85W43V$ , replaces Trp-43 with a valine but is otherwise identical to  $\alpha 85$ . Though the 8th and 14th sequences also have a smaller side chain at position 43, additional changes in their sequences relative to  $\alpha 85$  would complicate interpretation of the effect of the boundary position change. Also,  $\alpha 85W43V$  has a significantly different packing arrangement compared with G $\beta$ 1, with 7 out of 11 positions altered, but only an 8% increase in side-chain volume. Hence,  $\alpha 85W43V$  is a test of the tolerance of this fold to a different, but nearly volume-conserving, core. The far UV CD spectrum of  $\alpha 85W43V$  is very similar to that of G $\beta$ 1 with an ellipticity at 218 nm of  $-14000 \text{ deg}\cdot\text{cm}^2/\text{dmol}$ . While the secondary structure content of  $\alpha 85W43V$  is native-like, its  $T_m$  is  $65^\circ\text{C}$ , nearly  $20^\circ\text{C}$  lower than  $\alpha 85$ . In contrast to  $\alpha 85W43V$ 's decreased stability, its NMR spectrum has greater chemical shift dispersion than  $\alpha 85$  (Fig. 2). The amide hydrogen-exchange kinetics show a well-protected set of about four protons after 20 h (Fig. 3). This faster exchange relative to  $\alpha 85$  is explained by  $\alpha 85W43V$ 's significantly lower stability (37).  $\alpha 85W43V$  appears to have improved structural specificity at the expense of stability, a phenomenon observed previously in coiled coils (38). By using an exposure penalty, the design algorithm produced a protein with greater native-like character.

We have quantitatively defined the role of packing specificity in protein design and have provided practical bounds for the role of steric forces in our protein design algorithm. This study differs from previous work because of the use of an objective quantitative algorithm to vary packing forces during design. Further, by using the minimum effective level of steric forces, we were able to design a wider variety of packing arrangements that were compatible with the G $\beta$ 1 fold. Finally, we have identified a difficulty in the design of side chains that lie at the boundary between the core and the surface of the protein, and we have implemented a nonpolar surface exposure penalty in our sequence design scoring function that addresses this problem.

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- Shortle, D., Stites, W. & Meeker, A. (1990) *Biochemistry* **29**, 8033–8041.
- Lim, W. A. & Sauer, R. T. (1991) *J. Mol. Biol.* **219**, 359–376.
- Richards, F. M. & Lim, W. A. (1993) *Q. Rev. Biophys.* **26**, 423–498.
- Dill, K. A., Bromberg, S., Yue, K., Fiebig, K. M., Yee, D. P., Thomas, P. D. & Chan, H. S. (1995) *Protein Sci.* **4**, 561–602.
- Regan, L. & DeGrado, W. F. (1988) *Science* **241**, 976–978.
- Hecht, M. H., Richardson, J. S., Richardson, D. C. & Ogden, R. C. (1990) *Science* **249**, 884–891.
- Kamtekar, S., Schiffer, J. M., Xiong, H., Babik, J. M. & Hecht, M. H. (1993) *Science* **262**, 1680–1685.
- Lim, W. A. & Sauer, R. T. (1989) *Nature (London)* **339**, 31–36.
- Lim, W. A., Farruggio, D. C. & Sauer, R. T. (1992) *Biochemistry* **31**, 4324–4333.
- Munson, M., O'Brien, R., Sturtevant, J. M. & Regan, L. (1994) *Protein Sci.* **3**, 2015–2022.
- Munson, M., Balasubramanian, S., Fleming, K. G., Nagi, A. D., O'Brien, R., Sturtevant, J. M. & Regan, L. (1996) *Protein Sci.* **5**, 1584–1593.
- Dahiyat, B. I. & Mayo, S. L. (1996) *Protein Sci.* **5**, 895–903.
- Ponder, J. W. & Richards, F. M. (1987) *J. Mol. Biol.* **193**, 775–791.
- Dunbrack, R. L. & Karplus, M. (1993) *J. Mol. Biol.* **230**, 543–574.
- Desmet, J., De Maeyer, M., Hazes, B. & Lasters, I. (1992) *Nature (London)* **356**, 539–542.
- Desmet, J., De Maeyer, M. & Lasters, I. (1994) in *The Dead-End Elimination Theorem: A New Approach To The Side-Chain Packing Problem*, eds. Merz, K., Jr., & Le Grand, S. (Birkhauser, Boston), pp. 307–337.
- Goldstein, R. F. (1994) *Biophys. J.* **66**, 1335–1340.
- Desjarlais, J. R. & Handel, T. M. (1995) *Protein Sci.* **4**, 2006–2018.
- Betz, S. F. & DeGrado, W. F. (1996) *Biochemistry* **35**, 6955–6962.
- Gallagher, T., Alexander, P., Bryan, P. & Gilliland, G. L. (1994) *Biochemistry* **33**, 4721–4729.
- Bernstein, F. C., Koetzle, T. F., Williams, G. J. B., Meyer, E. F., Jr., Brice, M. D., Rodgers, J. R., Kennard, O., Shimanouchi, T. & Tasumi, M. (1977) *J. Mol. Biol.* **112**, 535–542.
- Mayo, S. L., Olafson, B. D. & Goddard, W. A., III (1990) *J. Phys. Chem.* **94**, 8897–8909.
- Lee, B. & Richards, F. M. (1971) *J. Mol. Biol.* **55**, 379–400.
- Connolly, M. L. (1983) *Science* **221**, 709–713.
- Pace, C. N. (1986) *Methods Enzymol.* **131**, 266–280.
- Rohl, C. A., Scholtz, J. M., York, E. J., Stewart, J. M. & Baldwin, R. L. (1992) *Biochemistry* **31**, 1263–1269.
- Gronenborn, A. M., Filipula, D. R., Essig, N. Z., Achari, A., Whitlow, M., Wingfield, P. T. & Clore, G. M. (1991) *Science* **253**, 657–661.
- Alexander, P., Fahnestock, S., Lee, T., Orban, J. & Bryan, P. (1992) *Biochemistry* **31**, 3597–3603.
- Barchi, J. J., Grasberger, B., Gronenborn, A. M. & Clore, G. M. (1994) *Protein Sci.* **3**, 15–21.
- Kuszewski, J., Clore, G. M. & Gronenborn, A. M. (1994) *Protein Sci.* **3**, 1945–1952.
- Orban, J., Alexander, P., Bryan, P. & Khare, D. (1995) *Biochemistry* **34**, 15291–15300.
- Semisotnov, G. V., Rodionova, N. A., Razgulyaev, O. I., Uversky, V. N., Gripas, A. F. & Gilmanshin, R. I. (1991) *Biopolymers* **31**, 119–128.
- Koradi, R., Billeter, M. & Wuthrich, K. (1996) *J. Mol. Graphics* **14**, 51–55.
- Dill, K. A. (1985) *Biochemistry* **24**, 1501–1509.
- Onuchic, J. N., Socci, N. D., Lutheyschulten, Z. & Wolynes, P. G. (1996) *Folding and Design* **1**, 441–450.
- Sun, S., Brem, R., Chan, H. S. & Dill, K. A. (1995) *Protein Eng.* **8**, 1205–1213.
- Mayo, S. L. & Baldwin, R. L. (1993) *Science* **262**, 873–876.
- Harbury, P. B., Zhang, T., Kim, P. S. & Alber, T. (1993) *Science* **262**, 1401–1407.