

# Localization of electrons due to orbitally ordered bi-stripes in the bilayer manganite $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$ ( $x \sim 0.59$ )

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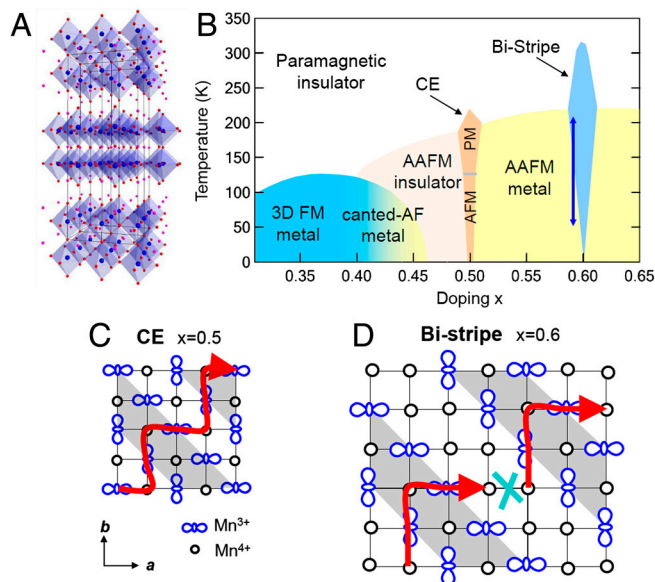
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Electronic phases with stripe patterns have been intensively investigated for their vital roles in unique properties of correlated electronic materials. How these real-space patterns affect the conductivity and other properties of materials (which are usually described in momentum space) is one of the major challenges of modern condensed matter physics. By studying the electronic structure of  $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$  ( $x \sim 0.59$ ) and in combination with earlier scattering measurements, we demonstrate the variation of electronic properties accompanying the melting of so-called bi-stripes in this material. The static bi-stripes can strongly localize the electrons in the insulating phase above  $T_c \sim 160$  K, while the fraction of mobile electrons grows, coexisting with a significant portion of localized electrons when the static bi-stripes melt below  $T_c$ . The presence of localized electrons below  $T_c$  suggests that the melting bi-stripes exist as a disordered or fluctuating counterpart. From static to melting, the bi-stripes act as an atomic-scale electronic valve, leading to a “colossal” metal-insulator transition in this material.

manganites | orbital ordering | ARPES | photoemission | localization

In correlated electron materials, electrons can self-organize and form a variety of stripe patterns with potential ordering of charges, spins, and orbitals, which are believed to be closely connected to many unique properties of these materials including superconductivity (1–3), metal-insulator transitions (4), and the colossal magnetoresistive or CMR effect (5). Moreover, although the presence of static stripes is indisputable, the existence (and potential impacts) of dynamic or fluctuating (or nematic) counterparts in such compounds is a subject of great debate (6–9). However, how electronic properties in momentum space are altered by these self-organized electronic phases in real-space lacks direct experimental demonstrations. Here we have an opportunity to address this issue by studying the electronic band structure in the stripe patterns of manganites.

Manganites are famous for the CMR effect, metal-insulator transitions, and magnetic and orbital ordering (10–14). In the bilayer family  $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$  (see Fig. 1A for the crystal structure), it is believed that the main physics occurs in the  $\text{MnO}_2$  layers with the other layers supporting the crystal structure and doping holes or electrons into the  $\text{MnO}_2$  layers, analogous to the role the  $\text{CuO}_2$  layers play in the physics of high- $T_c$  superconductors. With a variation of hole doping  $x$  into the  $\text{MnO}_2$  planes, the ground state of the material changes drastically and many different phases emerge (Fig. 1B) (15, 16). Most previous efforts to understand the electronic structure of  $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$  have focused on the lower doped regimes (for example  $x = 0.4$ ) in which the ferromagnetic ground state and associated colossal magnetoresistance occur (17–21). Here we focus on the higher doping regimes in which the orbital-ordered stripe phases are more stable (gold and blue “ice-cream cone” regions at and near  $x = 0.50$  and  $0.60$ ), realizing that the stripe and orbital ordering



**Fig. 1.** Long-range stripe structure in real-space. (A) Crystal structure of bilayer manganite  $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$  with La/Sr (purple) atoms between  $\text{MnO}_6$  octahedra (Mn: blue, O: red). (B) Phase diagram of  $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$ , from refs. 15, 16. (C) CE ordering at  $x = 0.50$  and (D) Bistripe ordering at  $x = 0.60$ . Red arrows indicate electron hopping paths, which are broken in the  $x = 0.60$  bi-stripe phase. The doping and temperature of our study is indicated by the blue arrow in box B, with  $x \sim 0.59$  and  $T_c \sim 160$  K.

are potentially relevant for many families of compounds besides the manganites.

The yellow portion covering most of the low-temperature high-doping range of the phase diagram is an A-type antiferromagnetic (AAFM) metal consisting of ferromagnetically ordered  $\text{MnO}_2$  planes stacked in an antiferromagnetic sequence (15). Very near the commensurate doping levels of  $x = 0.50$  and  $0.60$ , charge/orbital ordering is the stable state, as indicated by the gold and blue regions (15, 22). At  $x = 0.50$  the ordering is of the famous CE type first proposed by Goodenough (12), and schematically illustrated in Fig. 1C. Each Mn site is drawn as having a charge of either 3+ or 4+ with these charges arranged in a checkerboard fashion, though in actuality the charge disproportionation can be much smaller than a full electron charge (23). On the  $\text{Mn}^{3+}$

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sites, the extra charge is believed to occupy a specific quantum orbital (e.g., an in-plane  $d_{3x^2-y^2}$  or  $d_{3y^2-r^2}$  orbital), with these orbitals arranged in a zigzag fashion as shown in the schematic picture. This arrangement forms a stripe-like state as illustrated by the diagonal gray-shaded regions. For  $x = 0.60$ , a variant of the CE ordering, so-called bi-stripes, has been proposed in which the additional doped holes introduce extra  $\text{Mn}^{4+}$  sites between the stripes (Fig. 1D) (24, 25). These manganite stripe states show somewhat different behavior from the stripes in cuprates (1, 2) and enrich the variety of self-organized electronic phases.

Earlier scattering measurements have shown that the static bi-stripes disappear or melt below a critical temperature  $T_c \sim 160$  K (24, 26), accompanying a “colossal” change in conductivity as a function of temperature (15, 26). This unique behavior inspires the current study of electronic structure associated with the bi-stripes. Using angle-resolved photoemission spectroscopy (ARPES), we investigated the temperature-dependent electronic excitations of the layered manganite perovskite  $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$  ( $x \sim 0.59$ ). At  $x \sim 0.59$ , we are able to access both the static bi-stripe region as well as the region near it simply by changing temperature (vertical blue arrow in Fig. 1B). For our particular samples the low-temperature state is thus an A-type antiferromagnetic metal with a transition at  $T_c \sim 160$  K to the higher temperature bi-stripe-ordered insulator. Here we note that we usually expect ordering to occur at lower temperatures instead of higher temperatures; the “backwards” behavior observed here is usually considered to be a consequence of the competition of the ordering phenomena which localizes electrons, with the double-exchange interaction which favors delocalization of electrons in ferromagnetically ordered  $\text{MnO}_2$  planes.

One of our main hypotheses is illustrated by the heavy red lines superimposed on Fig. 1C and D: a hopping path for electrons is drawn which follows a natural overlap of orbitals—though insulating with a gap at the Fermi energy  $E_F$ , this hopping path nonetheless allows for Bloch-like electron states which, as evidenced by clear band dispersion in our measurements, sample multiple crystalline sites in the material. On the other hand, as will be shown later, we experimentally find that in the bi-stripe phase (blue region in Fig. 1B) this hopping path is destroyed due to the static bi-stripe order (see Fig. 1D), for we have observed almost completely nondispersive/localized electron states. A consequence of this localization is a colossal ( $\sim 5$  orders of magnitude for the  $x \sim 0.59$  compound) and sudden change of conductivity upon entering the static bi-stripe phase from the AAFM phase below (26). In particular, the insulation of the bi-stripe phase is significantly larger than other phases in  $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$ , suggesting exotic electronic properties in these bi-stripes.

By studying the electronic structure of  $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$  ( $x \sim 0.59$ ) and in combination with earlier scattering measurements, we are able to demonstrate the variation of electronic properties accompanying the melting of bi-stripes in this material. The static bi-stripe state shows remarkable incoherent spectral weight above  $T_c \sim 160$  K, owing to a strong localization of electrons in this special insulating phase. When the static bi-stripes melt below  $T_c$ , the incoherent spectral weight persists and coexists with the dispersive weight of mobile electrons, and it diminishes as the dispersive weight grows up with decreasing temperature. The presence of incoherent spectral weight below  $T_c$  is indicative of bi-stripe patches, which may exist as a fluctuating counterpart after the melting of the static bi-stripes.

## Results and Discussion

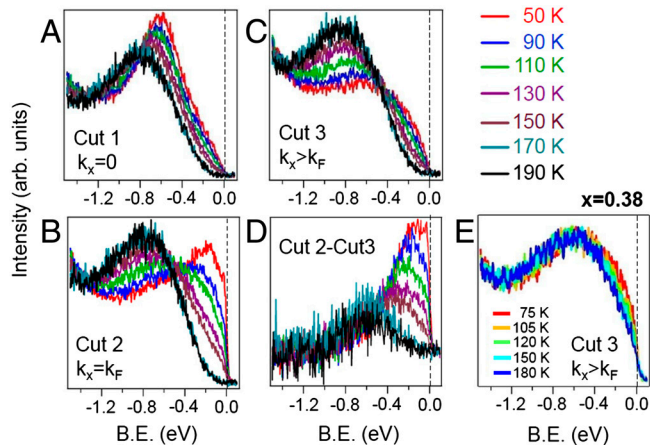
Fig. 2A is the schematic plot of the Fermi surface of  $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$  ( $x \sim 0.59$ ) in the AAFM metallic state (27). Contrary to the bilayer split band structure we reported for the  $x = 0.36$  and  $0.38$  compounds (28), the Fermi surface of the  $x \sim 0.59$  compound consists of only one hole pocket (primarily

of in-plane  $d_{x^2-y^2}$  states) around the zone corner, owing to its AAFM spin and orbital ordering which blocks the coupling between neighboring  $\text{MnO}_2$  planes (27). Fig. 2B and C show the near- $E_F$  band dispersion along the blue and red cuts in Fig. 2A, respectively. The variation of these bands with temperature (see Fig. 2D and E) sheds light on the influence of bi-stripes on the electronic excitations. Near the zone boundary, as shown in Fig. 2D, the dispersive  $d_{x^2-y^2}$  band is very clear at low temperature. With increasing temperature, the dispersive  $d_{x^2-y^2}$  states diminish and some nondispersive weight continuously increases and eventually a nondispersive feature around  $-0.8$  eV (indicated by the shaded area) becomes dominant when static bi-stripes prevail above  $T_c \sim 160$  K. The dominance of the nondispersive feature and the weakness of the dispersive band in the static bi-stripe phase (boxes  $D_5$  and  $E_5$ ) can be naturally understood as a localization of the electrons (the delocalization of electrons in a solid is what gives rise to the dispersion). Similar behavior also occurs along the zone diagonal (see Fig. 2E), indicating that the static bi-stripes localize the electrons in all directions. It is worth noting that such nondispersive spectral weight has not been observed in other  $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$  compounds and that it emerges only at the region near  $x = 0.60$ , suggesting a close connection between the nondispersive spectral weight and the static bi-stripe phase. Indeed, transport and neutron scattering measurements suggest that the insulating behavior is determined by the static bi-stripe state (15, 26), the collapse of which leads to the emergence of AAFM metallic state and results in a dramatic change of conductivity. This behavior stresses the importance of the static bi-stripe state (ice-cream cone region near  $x = 0.60$ ) for conductivity.

Though the static bi-stripes are found to localize the electrons, the related CE ordering observed in the  $x = 0.50$  sample does not strongly localize the electrons, as shown in Fig. 2F and G. In this case the sample transitions from an antiferromagnetic (AF) CE stripe-ordered state at low temperature  $\sim 50$  K to a paramagnetic (PM) CE stripe-ordered state at intermediate temperature  $\sim 180$  K (22), with a weak but noticeable change in the spectral weight (see Fig. S1). Though the high temperature state is insulating with no states at the Fermi energy consistent with theory (29), the hopping path nonetheless allows for Bloch-like electron states which, as evidenced by the clear band dispersion, sample multiple crystalline sites in the material. The difference between CE stripes and bi-stripes on the localization of the electrons can be understood by the schematics of Fig. 1C and D. In these schematics we draw in the zigzag conduction paths. A long hopping path is allowed for the  $x = 0.50$  sample, giving a Bloch-like dispersive band, while these paths are destroyed for the  $x \sim 0.59$  sample due to the extra  $\text{Mn}^{4+}$  sites embedded between the stripes. This blocked hopping path gives rise to the localized states we observe in the static bi-stripe phase. Here we also note the influence of the spin order on the electronic structure is not dominant—Fig. 2F and G show a clear but weak modification upon the change of magnetic order which is qualitatively consistent with what has been observed in  $x = 0.40$  samples upon transitioning from the low temperature ferromagnetic state to the higher temperature paramagnetic state (18, 20). These pieces together indicate that in this study the charge and orbital stripe order impacts the electronic properties much more strongly than does the spin order.

A slight bit of remnant dispersive  $d_{x^2-y^2}$  weight persists above  $T_c$  for the  $x \sim 0.59$  sample (see Fig. 2H), which can be empirically resolved by removing a nondispersive weight represented by an energy distribution curve (EDC) along the cut 3 in Fig. 2B. Though dispersive, these weak states above  $T_c$  are not metallic, i.e., they do not cross  $E_F$ . Compared to the perfect bi-stripe pattern that possesses 60% hole doping, the extra electrons in  $x \sim 0.59$  compound may contribute to the remnant dispersive



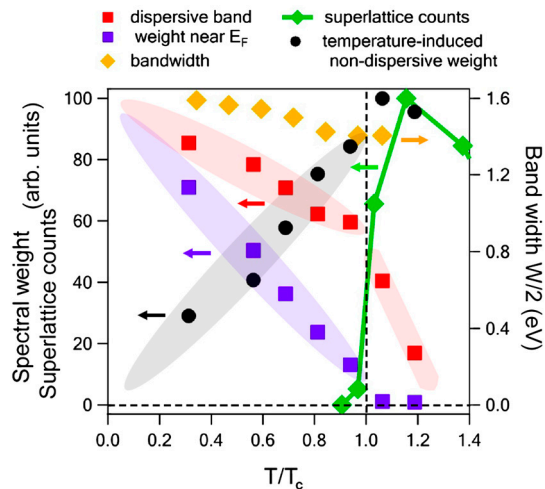


**Fig. 3.** Temperature dependence of electronic structure. (A–C) EDC cuts 1, 2, and 3, indicated by the white dashed lines in Fig. 2B, taken at various temperatures. (D) Differential EDCs obtained by subtracting EDC cut 3 from EDC cut 2. (E) EDCs taken at a position similar to cut 3 from an  $x = 0.38$  sample.

depicts the temperature-dependent behavior of the localized/nondispersive spectral weight. The plot shows that the near- $E_F$  weight and the dispersive band weight possess a distinct break at  $T_c \sim 160$  K—they both approximately linearly decrease when approaching  $T_c$  from below, and eventually the former drops to zero and the latter weakens more rapidly above  $T_c$ . The behavior of the near- $E_F$  weight is in accord with the electronic conductivity measurements (26). On the other hand, the localized weight grows with increasing temperature, becoming dominant in the insulating region of the static bi-stripe phase.

In this system, the band width  $W$  ( $\sim 3$  eV) of the dispersive component (gold diamonds in Fig. 4) is much larger than the energy scale ( $\sim 0.8$  eV) of the localized component (see *SI Text* for more details). This comparison sets a strong constraint on theoretical models of the behavior and rules out some alternative underlying mechanisms such as Mott physics and small polaronic interactions. Instead, our data naturally lead to a picture of dynamic electronic phase separation due to the bi-stripes: the dispersive states come from itinerant electrons in stripe-free regions, while the nondispersive/localized weight arises from bi-stripes, with the ratio of the two changing with temperature. As discussed in the *SI Text*, Mott or small polaron interactions do appear to become relevant as a secondary interaction once the bi-stripes have localized the electrons.

We emphasize that in Fig. 2D and E the nondispersive spectral weight above  $T_c$  is a signature of bi-stripes, as also observed above  $T_c$  in X-ray scattering measurements [green diamonds in Fig. 4 (26)]. It is then somewhat surprising that our ARPES data show a clear localized signal below  $T_c$  indicating a significant population of bi-stripe states, while the scattering measurements indicate the correlation of bi-stripes quickly disappears below  $T_c$ . However, we note that scattering does not actually measure the presence of individual stripes, but rather measures the correlations between them, i.e., it measures the periodicity in the spacing of the stripes. Therefore, a collection of disordered or fluctuating stripes existing below  $T_c$  can be invisible to scattering experiments, while still localizing the electrons which live within the stripe regions, giving rise to the localized ARPES signal. With the stripes disordered or fluctuating, there will always be some regions of the material absent of stripes, and these regions will contribute to the dispersive portions of electronic structure. As we approach the region of static ordered stripes at higher temperature, the proportion of localized weight grows until finally at  $T_c$  static stripe correlations appear, the electrons become almost fully localized within the stripes, and the colossal change in conductivity appears. This con-



**Fig. 4.** Temperature-dependent spectral weight from ARPES and superlattice counts from X-ray scattering (ref. 26) of  $\text{La}_{2-2x}\text{Sr}_{1+2x}\text{Mn}_2\text{O}_7$  ( $x \sim 0.59$ ). Red and blue squares represent the total (entire occupied band) and the near- $E_F$  ( $-0.1$  eV to  $+0.05$  eV) spectral weight respectively. Black dots show the temperature-induced change in the nondispersive/localized weight, obtained by integrating the EDCs of Fig. 3C from  $-1.4$  eV to  $-0.4$  eV and scaling such that it extrapolates to zero at 0 K. All curves are scaled independently so that the change in weight can be qualitatively estimated.

cept is also highly relevant for studies of fluctuating or disordered stripes in many other materials—the absence of a clear stripe signal in scattering experiments implies the loss of order between the stripes rather than the actual destruction of the stripes. Finding another clear measure for the presence of the stripes, especially when they are disordered or fluctuating in time, requires other experimental methods which may or may not be straightforward to apply or interpret. This difficulty is responsible for the great amount of debate within the condensed matter physics community about the presence of such fluctuating stripes. In the present case, the localization of the electrons, which is clearly detectable via ARPES, can be regarded as a clear signal of the bi-stripes.

Alternatively, when bi-stripes melt, strain fields or quenched disorder can localize nanoscale stripe-like patches which would lead to a persistence of incoherent signal in the measurements. This finding appears similar to the observations in cuprate superconductors, which reveal the stripe-like electronic pattern with a disordered fashion (30, 31).

Unlike the charge stripes in cuprates, which are electrically conductive, the electron hopping is jammed between the stripes in the bi-stripe phase. Combined with transport and scattering measurements (26), our data indicate that these stripes behave like electronic valves—the fluctuating bi-stripe components (which occur below  $T_c$ ) do not significantly impair the overall electronic conductance; however, when they become stable and form long-range patterns (above  $T_c$ ), the electric conductivity is heavily suppressed. These properties may suggest some approaches to tune physical properties of materials by manipulating the stripe structure.

## Materials and Methods

The single crystals were grown using the traveling solvent floating zone method. The  $x \sim 0.59$  samples were carefully selected and characterized as reported in ref. 27. The  $x = 0.50$  samples were individually selected for this study on the basis of a low temperature insulating state in transport measurements. ARPES were performed at Beamlines 12.0.1 and 10.0.1 of the Advanced Light Source (ALS), Berkeley, using Scienta electron analyzers under a vacuum of  $\sim 2\text{--}3 \times 10^{-11}$  torr, with 56 eV photons. The combined instrumental energy resolution was better than 20 meV, and the momentum resolution was about  $0.02 \pi/a$ . In order to assure that any changes in our data

are intrinsic, all spectra within any one panel were normalized by incident photon flux only.

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