

# Potassium Buffering in the Neurovascular Unit: Models and Sensitivity Analysis

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**ABSTRACT** Astrocytes are critical regulators of neural and neurovascular network communication. Potassium transport is a central mechanism behind their many functions. Astrocytes encircle synapses with their distal processes, which express two potassium pumps (Na-K and NKCC) and an inward rectifying potassium channel (Kir), whereas the vessel-adjacent endfeet express Kir and BK potassium channels. We provide a detailed model of potassium flow throughout the neurovascular unit (synaptic region, astrocytes, and arteriole) for the cortex of the young brain. Our model reproduces several phenomena observed experimentally: functional hyperemia, in which neural activity triggers astrocytic potassium release at the perivascular endfoot, inducing arteriole dilation; K<sup>+</sup> undershoot in the synaptic space after periods of neural activity; neurally induced astrocyte hyperpolarization during Kir blockade. Our results suggest that the dynamics of the vascular response during functional hyperemia are governed by astrocytic Kir for the fast onset and astrocytic BK for maintaining dilation. The model supports the hypothesis that K<sup>+</sup> undershoot is caused by excessive astrocytic uptake through Na-K and NKCC pumps, whereas the effect is balanced by Kir. We address parametric uncertainty using high-dimensional stochastic sensitivity analysis and identify possible model limitations.

## INTRODUCTION

The conventional view of the brain has long been a large network of neurons. Other cerebral cell types and vasculature were originally considered to have supporting roles. It is now accepted that astrocytes (a specific type of glial cell) and cerebral vasculature may play a critical role in neural behavior, giving rise to the idea of a neurovascular unit (NVU). Astrocytes are believed to mediate neurovascular coupling, also called functional hyperemia, the phenomenon in which synaptic activity induces dilation in nearby microvasculature, allowing increased blood flow.

A central function of cerebral astrocytes is spatial potassium (K<sup>+</sup>) buffering, that is, transporting K<sup>+</sup> from extracellular regions of high concentration to regions of low concentration via active uptake and release. Uptake usually occurs at the astrocyte-neural interface, where active neurons release K<sup>+</sup>, which at high extracellular levels can be excitatory to neurons; release typically occurs at the perivascular space, the extracellular region between the astrocyte endfoot and the abluminal surface of an arteriole, which dilates in response to K<sup>+</sup>. Thus, the buffering is a regulatory mechanism that both protects neurons from excessive excitation and dilates arterioles to increase blood supply to areas of increased neural activity. There may also be a functional role, as changes to extracellular K<sup>+</sup> can increase or decrease synaptic activity. To study the neurovascular unit as an interconnected, interactional system, a quantitative mechanistic understanding of K<sup>+</sup> spatial buffering is critical.

We recently developed a model of the neurovascular unit (1) that described a two-way signaling pathway: in one direction, astrocytes are stimulated by synaptic activity, with subsequent arteriole dilation, and in the reverse direction, vessel motion triggers astrocyte calcium response through activation of mechanosensors on the astrocyte endfoot. Although that astrocyte model included K<sup>+</sup> movement from the synaptic to the perivascular space, the movement was a unidirectional flux and did not describe intracellular K<sup>+</sup> dynamics.

Astrocytes express potassium inward rectifier (Kir) channels on their perisynaptic processes and perivascular endfeet (2–8), and these channels have been reported to play a major role in the potassium uptake and release involved in spatial buffering. Calcium-sensitive BK channels in the perivascular endfeet are also a critical means of potassium release (9–11). There are also active K<sup>+</sup> uptake mechanisms in the perisynaptic processes, including a sodium-potassium (Na-K) pump and a sodium-potassium-chloride cotransport (NKCC) (12–15).

There have been some computational studies of potassium buffering in the brain, but many include only simplistic, lumped cellular models and exclude most other chemical and electrical mechanisms (16–18). Models of the astrocyte-neural interface, the tripartite synapse (19), omit the vascular component and focus primarily on detailed neural mechanisms (12,15,20), whereas we are interested in an explicit description of the astrocyte.

We present a model of the neurovascular unit in the cortex with a detailed mechanistic description of astrocytic potassium buffering. This model describes the potassium dynamics in the astrocyte intracellular space and in the

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extracellular spaces at the synaptic and perivascular interfaces. Astrocyte potassium uptake at the synaptic space is carried by potassium inward rectifier (Kir) channels, potassium-sodium (Na-K) exchange, and a potassium-sodium-chloride cotransporter (NKCC) on the astrocyte perisynaptic process. From here on, Kir<sub>AS</sub> refers to the Kir channel on the astrocyte at the synapse-adjacent process. The perivascular endfoot expresses Kir, here referred to as Kir<sub>AV</sub>, for astrocytic at the vessel-adjacent endfoot, and calcium-sensitive BK channels. Although astrocytes express other ion channels, these are not included explicitly, but are accounted for collectively by a nonspecific leak channel. This model is specific to cortical astrocytes in the developing brain, as we discuss further below.

This article is organized as follows. In the Mathematical Model section, we provide new equations developed for the model presented here. In the Results section, we compare the results of our simulation to results of several different experimental studies. In the Sensitivity Analysis section, we examine the results of global parameter sensitivity analysis of the astrocyte model. In the Discussion section, we comment on the implications of the simulations and sensitivity analysis and describe the limitations of the model and plans for future work. In the Supporting Material, we present additional sensitivity analysis results, and we describe in detail the complete set of model equations and parameter values.

## MATHEMATICAL MODEL

A conceptual diagram of the model is shown in Fig. 1. The model equations concern the small spatial region of the developing brain cortex occupied by a single astrocyte and the synapses and arteriole segment with which it is in contact. Astrocyte-to-astrocyte signaling is left out, and the synaptic space represents the net neural synaptic activity across

the entire astrocyte domain, which is assumed to be spatially uniform within the region.

During high synaptic activity, neurons release K<sup>+</sup> and glutamate at the synapses ( $\Omega_S$ ). K<sup>+</sup> flows into the adjacent astrocytic process through Kir<sub>AS</sub> channels, Na-K, and NKCC on the perisynaptic process. The Na-K pump exchanges three sodium (Na<sup>+</sup>) ions for two K<sup>+</sup> ions. The NKCC is an electrically neutral import of one Na<sup>+</sup> ion, one K<sup>+</sup> ion, and two Cl<sup>-</sup> ions; however, the Na<sup>+</sup> intake affects the Na-K pump activity, which is hyperpolarizing. The Kir<sub>AS</sub> current is larger in magnitude than the outward Na<sup>+</sup> current from the Na-K pump, resulting in an overall depolarization of the astrocyte membrane. The NKCC and Na-K pumps have slow dynamics, making them potentially less efficient for K<sup>+</sup> buffering. Still, they are likely critical to the astrocyte's role in regulating K<sup>+</sup> in the synaptic space (see Results, below).

Cortical astrocytes in young brains express on their perisynaptic processes ( $\Omega_{Astr}$ ) glutamate receptors (mGluR5) that initiate intracellular IP<sub>3</sub> production in response to synaptic glutamate release. IP<sub>3</sub> binds to receptors (IP<sub>3</sub>R) on the endoplasmic reticulum (ER), releasing calcium (Ca<sup>2+</sup>) from internal stores. This is most likely specific to astrocytes in the young brain, as Sun et al. (21) recently found that mGluR5 is expressed in cortical and hippocampal astrocytes from young (<2 weeks old) mice brains, but not in adult mouse or human brains, and, further, that glutamate-dependent astrocytic Ca<sup>2+</sup> rises may be unlikely in the adult brain.

The mGluR5-dependent rise in intracellular Ca<sup>2+</sup> enables production of epoxyeicosatrienoic acids (EETs). EET and Ca<sup>2+</sup> activate BK channels in the astrocyte endfoot, releasing K<sup>+</sup> into the perivascular space ( $\Omega_p$ ). It is unclear whether EET acts directly on the BK channels; it may act indirectly by activating TRPV4 channels (22,23). This would result in a Ca<sup>2+</sup> influx and membrane depolarization, both of which activate BK channels. For the moment, we

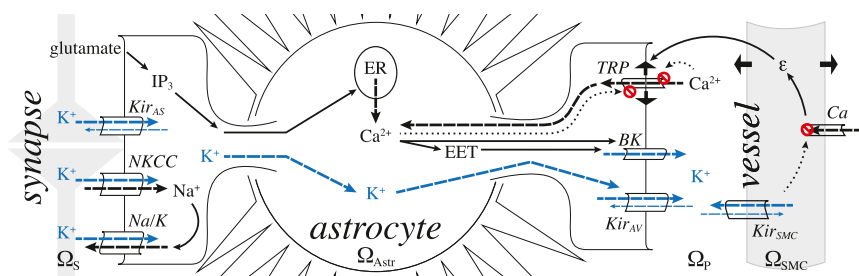


FIGURE 1 Model overview.  $\Omega_S$  represents the synaptic space, where active synapses release glutamate and K<sup>+</sup>, and  $\Omega_{Astr}$  is the astrocyte intracellular space, where K<sup>+</sup> enters the astrocyte through the Na-K pump, NKCC, and Kir<sub>AS</sub> channels. Na<sup>+</sup> enters via NKCC and exits via the Na-K pump. Glutamate binds to metabotropic receptors on the astrocyte endfoot, effecting IP<sub>3</sub> production inside the astrocyte wall, which leads to release of Ca<sup>2+</sup> from internal stores, causing EET production. Ca<sup>2+</sup> and EET open BK channels at the perivascular endfoot, releasing K<sup>+</sup> into the

perivascular space ( $\Omega_p$ ). Meanwhile, buildup of intracellular K<sup>+</sup> in the astrocyte results in K<sup>+</sup> efflux through the perivascular endfoot Kir<sub>AV</sub> channel.  $\Omega_{SMC}$  is the arteriole smooth muscle cell intracellular space, where Kir<sub>SMC</sub> channels are activated by the increase in extracellular K<sup>+</sup>. The resulting drop in membrane potential closes Ca<sup>2+</sup> channels, which reduces Ca<sup>2+</sup> influx, leading to SMC relaxation and arteriole dilation (strain,  $\epsilon$ ). The arteriole dilation ( $\epsilon$ ) stretches the membrane of the enclosing astrocyte perivascular endfoot, which activates Ca<sup>2+</sup> influx through TRPV4 channels. The prohibition sign on the channel is meant to indicate the inhibition mechanism of the channel, as the TRPV4 channel is inhibited by intracellular and extracellular Ca<sup>2+</sup>. Note that the diagram here is not to scale. The perivascular endfoot is actually wrapped around the arteriole, but here we show them separated to make clear the ion flow at the endfoot-vessel interface. Dashed arrows indicate ion movement; solid arrows indicate causal relationships, and dotted arrows indicate inhibition. Thin dashed arrows in astrocyte Kir channels indicate the ion flux direction at baseline or, in the vessel Kir, the change in flux direction when extracellular K<sup>+</sup> reaches over 15 mM. The potassium signaling pathway is highlighted by blue arrows. To see this figure in color, go online.

follow the model of Farr and David (24) which is an empirical description of the relationship between EET and BK activity, but a more mechanistic description can be added later as more data become available.  $K^+$  is also released through the endfeet  $K_{ir,AV}$  channels.

The  $K^+$  buildup in the perivascular space activates arteriolar smooth muscle cell (SMC) Kir channels, referred to from here on as  $K_{ir,SMC}$  ( $\Omega_{SMC}$ ). The resting SMC membrane potential is higher than the  $K_{ir,SMC}$  reversal potential, so the  $K^+$  flows outward. The resulting SMC membrane voltage drop closes inward  $Ca^{2+}$  channels, and the intracellular  $Ca^{2+}$  concentration in the SMC drops. Because  $Ca^{2+}$  is required for myosin-actin cross-bridge attachment, the cross-bridges then detach, allowing the SMC to relax and the arteriole to expand.

As the vessel dilates, it stretches the perivascular astrocyte endfoot encircling it ( $\Omega_{Astr}$ ), opening stretch-gated  $Ca^{2+}$ -permeable TRPV4 channels in the endfoot. TRPV4 channels are also sensitive to intra- and extracellular  $Ca^{2+}$  concentration (25–27). There is experimental evidence that TRPV4 channels are activated by a diverse range of chemical and physical factors, including heat (23,25,26,28), EET, and  $IP_3$  (22,27), and they are modulated by phosphorylation (23,27); for simplicity, we leave these mechanisms out for the moment. A more detailed discussion on the TRPV4 model can be found in Withthoft and Karniadakis (1). The astrocyte then experiences a depolarizing  $Ca^{2+}$  influx through active TRPV4, thus maintaining BK activation, which prolongs the  $K^+$  signal ( $\Omega_P$ ) to the arteriole ( $\Omega_{SMC}$ ).

Below, we summarize the new, to our knowledge, ordinary differential equations we have developed and added to this model. The complete, detailed system of model equations is given in the [Supporting Material](#).

We describe the neurovascular  $K^+$  movement between three regions in the NVU: the synaptic space, astrocytic intracellular space, and perivascular space. Potassium concentrations in these regions obey

$$\begin{aligned} \frac{d[K^+]_S}{dt} &= J_{K_s} - (J_{Na,K} + J_{NKCC} + J_{Kir,AS}) \\ &\times \frac{1}{VR_{sa}} - Rdc_{K^+,s} \left( [K^+]_S - [K^+]_{S,0} \right), \end{aligned} \quad (1)$$

in the synaptic space,

$$\begin{aligned} \frac{d[K^+]_A}{dt} &= J_{Na,K} + J_{NKCC} + J_{Kir,AS} + J_{BK} + J_{Kir,AV} \\ &- Rdc_{K^+,A} \left( [K^+]_A - [K^+]_{A,0} \right), \end{aligned} \quad (2)$$

in the astrocyte intracellular space, and

$$\frac{d[K^+]_{PV}}{dt} = - \frac{J_{BK} + J_{Kir,AV}}{VR_{pa}} - \frac{J_{Kir,SMC}}{VR_{ps}} - R_{dc} \left( [K^+]_{PV} - [K^+]_{P,0} \right), \quad (3)$$

in the perivascular space. The individual flux terms and parameters are all discussed in detail in Eqs. S4–S41 in the [Supporting Material](#), but we discuss below the astrocytic flux terms that we have introduced to this model.

The flux from the NKCC is adapted from Østby et al. (15):

$$J_{NKCC} = J_{NKCC,max} \log \left[ \frac{[K^+]_S [Na^+]_S \left( \frac{[Cl^-]_S}{[Cl^-]_A} \right)^2}{[K^+]_A [Na^+]_A \left( \frac{[Cl^-]_A}{[Cl^-]_S} \right)^2} \right], \quad (4)$$

where the subscripts S and A refer to the synaptic and astrocytic spaces, respectively (for more details on the NKCC flux equation, see Eqs. S7 and S8).

The Kir fluxes at the perisynaptic process and perivascular endfoot,  $J_{Kir,AS}$  and  $J_{Kir,AV}$ , respectively, are

$$I_{Kir,AV/S} = g_{Kir,AV/S} (V_A - V_{Kir,AV/S}), \quad (5)$$

where AV and AS stand for the astrocyte vessel-adjacent endfoot and synapse-adjacent process, respectively. The ionic flux,  $J$ , is computed from the electrical current,  $I$ , as  $J_{Kir} = I_{Kir} / (C_{ast} \gamma)$ , where  $C_{ast}$  is the astrocyte cell capacitance, and  $\gamma$  is a scaling factor for relating the net movement of ion fluxes to the membrane potential (29). The conductance and reversal potential,  $g_{Kir,AV/S}$  and  $V_{Kir,AV/S}$  are

$$\begin{aligned} g_{Kir,AV/S} &= g_{Kir,V/S} \sqrt{[K^+]_{PV/S}}, \text{ and } V_{Kir,AV/S} \\ &= E_{Kir,endfoot/proc} \log \frac{[K^+]_{PV/S}}{[K^+]_A}, \end{aligned} \quad (6)$$

where  $[K^+]_{PV/S}$  is the potassium concentration (mM) in the perivascular/synaptic space, and  $g_{Kir,V/S}$  is a proportionality constant.  $E_{Kir,endfoot}$  and  $E_{Kir,proc}$  are the Nernst constants for the astrocyte  $K_{ir,AS}$  and  $K_{ir,AV}$  channels, respectively (~25 mV (16)).

## RESULTS

### Effect of astrocyte $K^+$ buffering on neurovascular coupling

We simulate neural activation of the astrocyte by imposing a smooth pulse of extracellular glutamate and  $K^+$  in the synaptic space to approximate neural stimulation. In this section, we consider two extracellular regions: 1), the vessel/astrocyte interface (perivascular space), where  $K^+$  buffering helps determine the dynamics of functional hyperemia, and 2), the astrocyte/neural interface, where the astrocyte modulates the extracellular environment in the synaptic space.

#### Astrocyte/vessel interaction

In this model, the introduction of the astrocytic Kir channels allows the astrocyte to respond to changes in extracellular

and intracellular potassium concentration. To understand how  $K_{ir,AS}$  and  $K_{ir,AV}$  channels impact the neurovascular interaction, we compare the results of this model with a lumped version that does not include astrocytic Kir. In the lumped version, we remove the astrocyte Kir current ( $J_{Kir,AS} = J_{Kir,AV} = 0$ ), and instead describe the total membrane current at the synapse-adjacent side of the astrocyte,  $I_{AS}$ , as a lumped model for the combination of currents from the Na-K pump and  $K_{ir,AS}$  and  $K_{ir,AV}$  channels:  $I_{AS} = I_{Kir,AS} + I_{NaK,K} + I_{NaK,Na} \approx I_{NaK,K}$  (see Eqs. S4–S6), similar to the models developed by Witthoft and Karniadakis (1) and Farr and David (24). We adjust the lumped model's leak current (see Eq. S20) so that the baseline and maximum astrocyte membrane potential match those of the detailed buffering model that includes  $K_{ir,AS}$  and  $K_{ir,AV}$ .

Fig. 2 shows the effect of astrocyte Kir channels on the NVU under normal conditions (*black curves*), and with the astrocyte  $K_{ir,AS}$  and  $K_{ir,AV}$  removed, that is,  $I_{Kir,S}$  and  $I_{Kir,V}$  are both set to 0, and using the lumped model equation above (*gray curves*). The system experiences a brief period of neural activity (Fig. 2 a, *black and gray curves* show synaptic  $K^+$ ; thin, *red curve* shows glutamate transient), triggering astrocyte membrane depolarization and intracellular  $K^+$  increase (Fig. 2 b, *dashed and solid curves*, respectively). The glutamate initiates  $IP_3$  production in the astrocyte (Fig. 2 c), leading to release of  $Ca^{2+}$  from internal stores (Fig. 2 d) and causing EET production (Fig. 2 e). The astrocytic  $Ca^{2+}$  and EET activate BK channels in the astrocyte endfeet (Fig. 2 f, *dashed curves*) where  $K^+$  is released into the perivascular space (Fig. 2 g). Meanwhile, the membrane depolarization and the increase in intracellular astrocyte  $K^+$  results in an outward  $K^+$  flux through the endfoot  $K_{ir,AV}$  channels (Fig. 2 f, *dash-dotted curve*). In the absence of astrocyte  $K_{ir,AS}$  and  $K_{ir,AV}$ , astrocyte  $K^+$  release into the perivascular space is delayed, causing a delay in the vascular response (Fig. 2 h). According to the simulation results, this is because

the  $K_{ir,AV}$  is responsible for the immediate release of  $K^+$ , whereas the BK current rises later (Fig. 2 f). This may explain why previous generations of this astrocyte model, without a description of  $K^+$  buffering or astrocyte Kir channels (24), produced a nonphysiological delay of  $\sim 25$  s in the neurovascular response.

In the black curves, there is a short period of arteriole constriction during the neural stimulation period (Fig. 2 h): at  $\sim 25$  s, where the radius stops increasing and the vessel begins to constrict. This is a phenomenon observed by Girouard et al. (11) in which moderate increases in extracellular  $K^+$  cause vasodilation, but increases beyond  $\sim 15$  mM will cause the vessel to constrict. The results are also consistent with the simulations of Farr and David (24), who postulated that the change from dilation to constriction during sustained activity was caused by the arteriole  $K_{ir,SMC}$  channels, which have a reversal potential that experiences a depolarizing shift with increasing extracellular potassium: when the extracellular  $K^+$  rises above 15 mM, the  $K_{ir,SMC}$  reversal potential shifts from below to above the SMC membrane potential, reversing the direction of the current, which causes a depolarization that reopens  $Ca^{2+}$  channels, in turn causing constriction. This model is discussed in more detail in Farr and David (24).

#### Astrocyte/neuron interface: extracellular $K^+$ undershoot

Fig. 3 shows the extracellular  $K^+$  concentration in the synaptic space over a cycle of stimulation and recovery for several different lengths of stimulus time (simulations in Fig. 3 a are compared with experimental results from Chever et al. (5), interpolated in Fig. 3 b). In the poststimulus recovery period, the extracellular  $K^+$  initially displays a fast drop to below baseline level before returning gradually to the resting-state equilibrium concentration. This undershoot is more pronounced as the length of the stimulation period increases: note that the 60 s stimulus in the top plot results in the greatest

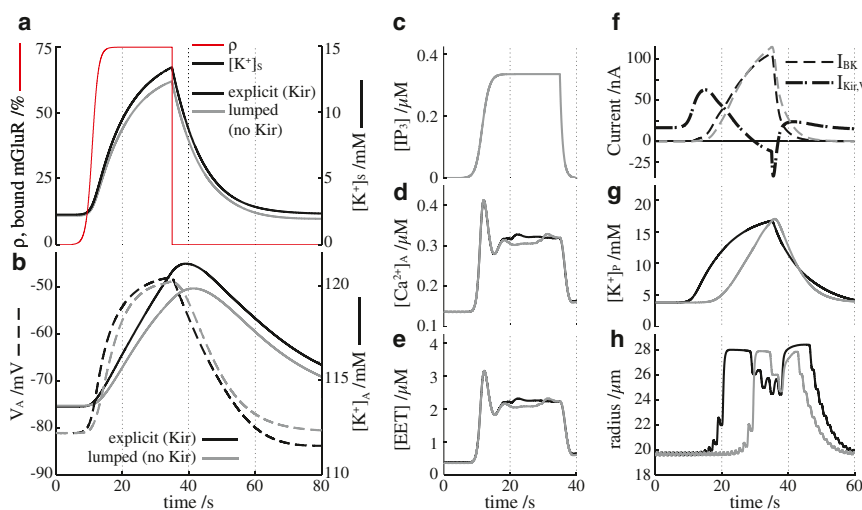


FIGURE 2 Astrocyte Kir effect on neurovascular coupling. Black curves represent the astrocyte model equations described in this article; gray curves represent the astrocyte model equations without  $K_{ir,AS}$  or  $K_{ir,AV}$  channels. (a) Extracellular  $K^+$  in the synaptic space. The thin red curve is the glutamate transient, represented by the ratio of bound to unbound glutamate receptors,  $\rho$  (see Eq. S2). (b) Solid lines indicate the intracellular astrocytic  $K^+$  concentration and dashed lines the astrocyte membrane potential. (c) Astrocyte intracellular  $IP_3$  concentration. (d) Astrocyte intracellular  $Ca^{2+}$  concentration. (e) Astrocyte intracellular EET concentration. (f) Astrocyte perivascular endfoot BK (*dashed lines*) and  $K_{ir,AV}$  (*dash-dotted lines*) currents. (g) Extracellular  $K^+$  concentration in the perivascular space. (h) Arteriole radius. To see this figure in color, go online.

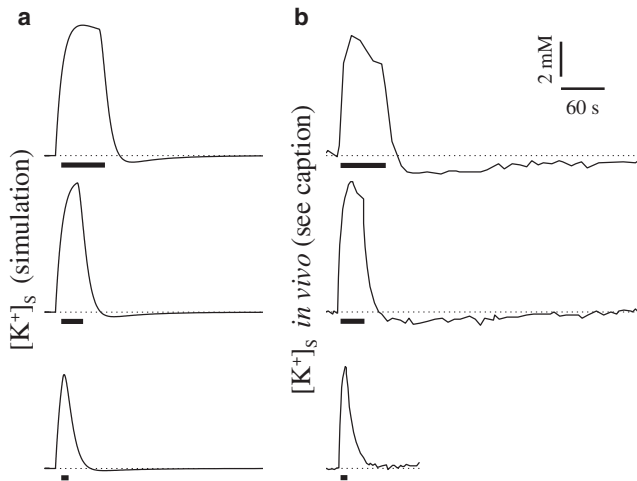


FIGURE 3  $K^+$  undershoot in the extracellular synaptic space after stimulus is more pronounced with increasing length of the activation period. The stimulus period is indicated by thick black bars. (a) Simulation results. (b) Experimental results interpolated from Fig. 3 in Chever et al. (5).

undershoot and the longest period of recovery to baseline. With decreasing length of the activation period (*top to bottom*), the undershoot magnitude and recovery time also decrease, a trend that has been reported from *in vivo* studies in the mouse hippocampus (5). The same experiments also validate the time-dependent characteristics of the undershoot: a fast drop with a slow return to baseline.

Our model suggests that the undershoot is a result of the activities of the Na-K pump and NKCC. The astrocyte Na-K pump flux is an inward movement of  $K^+$  from the synaptic space and an outward flow of  $Na^+$  and is activated by high extracellular  $K^+$  and high intracellular  $Na^+$ . Meanwhile, the NKCC flux is an inward  $K^+$  and  $Na^+$  flux that increases with decreasing concentrations of intracellular  $K^+$  and  $Na^+$ . During stimulation, the rise in  $K^+$  in the synaptic space drives the Na-K exchange, and the astrocytic  $Na^+$  decreases. Although the  $K^+$  influx and  $Na^+$  outflux from the Na-K pump provide competing signals for the NKCC, the Na-K pump exchanges three  $Na^+$  ions for every two  $K^+$  ions, so the result favors an increased NKCC influx.

At the end of the stimulus, the synaptic  $K^+$  decreases toward baseline, so the decreased extracellular  $K^+$  and intracellular  $Na^+$  result in a decreased Na-K pump flux. At this time, the NKCC is required to replenish the intracellular  $Na^+$ , which means that  $K^+$  uptake is continued via the cotransporter. At the same time, with rising intracellular  $K^+$  and decreasing extracellular  $K^+$ , the astrocyte  $Kir_{AS}$  flux reverses, counteracting the  $K^+$  uptake through the cotransporter. Thus, there is competition at the synaptic space between  $K^+$  uptake by astrocyte NKCC and  $K^+$  release by astrocyte  $Kir_{AS}$ . When the stimulus period is sufficiently long, the  $Na^+$  has enough time to reach a low enough level that the magnitude of the NKCC flux exceeds the  $Kir_{AS}$  release, so the  $K^+$  uptake continues beyond the

point at which synaptic  $K^+$  has reached baseline, resulting in an undershoot in extracellular synaptic  $K^+$ . The drop below baseline continues until  $Na^+$  has risen enough for the NKCC flux to decrease, and the  $Kir_{AS}$  outflux returns the extracellular  $K^+$  back to the baseline concentration.

### Kir channel blockade

Fig. 4 shows the results when the  $Kir_{AS}$  and  $Kir_{AV}$  channels in the astrocyte are blocked. We simulate the effect of the Kir channel blocker  $Ba^{2+}$  (30) by setting the Kir currents equal to zero (see Eq. 5 and Eq. S19). The astrocyte is activated by a transient spike of  $K^+$  in the synaptic space (Fig. 4 c). Under control conditions (*black curves*), the astrocyte responds with a quick rise in intracellular  $K^+$  concentration (Fig. 4 a). In the presence of  $Ba^{2+}$  (*gray curves*), the astrocyte baseline  $K^+$  is higher, and it rises more slowly to a lower peak concentration. The astrocyte membrane potential (Fig. 4 b) experiences a hyperpolarization in the presence of  $Ba^{2+}$  during activation and has a depolarized equilibrium value compared to the control. These results are all in good qualitative agreement with the experiments of Ballanyi et al. (30), shown here in Fig. 4, *d-f*, for comparison.

### SENSITIVITY ANALYSIS

Parametric uncertainty is a major limitation of this, as well as previous (1,24,31), models. The astrocyte component alone contains 55 parameters, many of which are only crude estimates because not enough experimental data are available. To address these limitations, we perform a global parameter sensitivity analysis using the ANOVA functional decomposition and stochastic collocation (32–34), in which

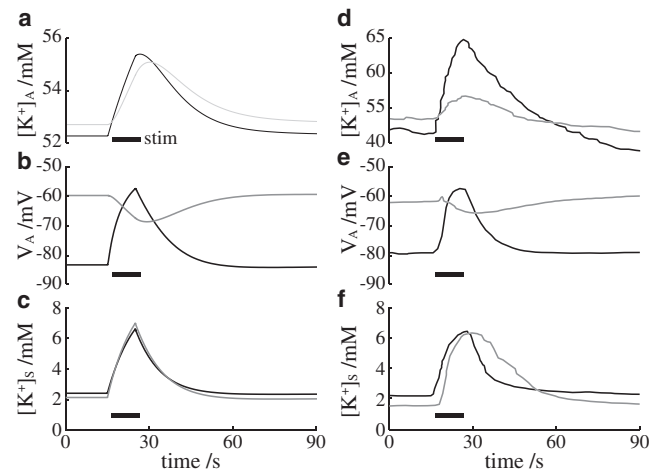


FIGURE 4 Astrocyte response to  $K^+$  channel blocker with short stimulus spike. Black curves indicate neural-induced astrocyte stimulation under control conditions; gray curves represent astrocyte stimulation in the presence of  $K^+$  channel blocker. (a) Intracellular astrocytic  $K^+$  concentration. (b) Astrocyte membrane potential. (c) Extracellular  $K^+$  concentration in the synaptic space. (d–f) Experimental results corresponding to simulation data in a–c, interpolated from Fig. 7 in Ballanyi et al. (30).

we vary eight key parameters simultaneously. The eight parameters were identified based on preliminary sensitivity analysis used to narrow down the 55-parameter set to the subset most critical to these experiments. Sensitivity indices are computed from the ANOVA representation in (33). The sample points are Gauss-Legendre quadrature points that come from a tensor product of the one-dimensional quadrature rule computed with the code provided in (34). In the Supporting Material, we compute the system sensitivity to all 55 parameters based on an analysis in which two parameters at a time are varied simultaneously.

The results for our 8-dimensional global sensitivity analysis are shown in Fig. 5. To understand the figure in each quadrant, consider that all eight model parameters of our subset are arranged in a large ring (to make the diagram easier to see, we have only labeled the parameters we determined to be the most sensitive). The sensitivity of a single parameter is shown as a small circle, with the diameter equal to the sensitivity of that parameter. For example, in the top left quadrant, it is shown that the potassium undershoot is most sensitive to  $J_{\text{NaK,max}}$  and  $Rdc_{\text{K}^+,\text{s}}$ , the maximum pump rate of the sodium-potassium exchange and the decay rate of  $\text{K}^+$  in the synaptic space, respectively. The fill color—white or black—of the circles indicates whether the sensitivity is constructive or destructive, respectively. In other words, when the value of  $J_{\text{NaK,max}}$  is increased, the undershoot is increased, whereas when  $Rdc_{\text{K}^+,\text{s}}$  is increased, the undershoot effect is dimin-

ished. The gray lines show the interaction of two parameters, where the thickness of the line segment is equal to the sensitivity of the interaction pair; this means that we are measuring how much the results will be changed when two parameters are changed at once. For instance, the most critical interaction pair for the undershoot is  $J_{\text{NaK,max}}$  and  $J_{\text{NKCC,max}}$ , the maximum flux rate of the NKCC pump. Now that we have established how to interpret the figure, we can discuss the results in more detail.

The parameter sensitivity of the undershoot is shown in the top left quadrant of Fig. 5. We define undershoot as the amount by which the extracellular potassium in the synaptic region drops below baseline levels after a neural stimulus. The parameters  $J_{\text{NaK,max}}$  and  $J_{\text{NKCC,max}}$ , the maximum flux rates of the Na-K and NKCC pumps, respectively, have the highest sensitivity (taking into account their individual sensitivity (*white circles*) and their interaction term (*thick gray rectangle*)). Both of these parameters have a positive impact on the undershoot: when either parameter is increased, the undershoot also increases. This is consistent with the hypothesis that the Na-K and NKCC pumps are responsible for the  $\text{K}^+$  undershoot. Note also the high sensitivity of the parameter  $Rdc_{\text{K}^+,\text{s}}$ , the decay rate of  $\text{K}^+$  in the synaptic space. This implies that the undershoot phenomenon may be a result of factors besides the astrocyte alone, for example, changes in local synaptic activity after a period of neural activation.

In the top right quadrant, we show the sensitivity of the shift in baseline astrocyte  $\text{K}^+$  concentration after a Kir channel blockade is applied,  $\Delta[\text{K}^+]_{\text{A},0} = [\text{K}^+]_{\text{A},0}(\text{Kir blockade}) - [\text{K}^+]_{\text{A},0}(\text{control conditions})$ . The results demonstrate that the astrocytic Kir<sub>AS</sub> on the synapse-adjacent process is more critical in setting the baseline astrocyte  $\text{K}^+$ , whereas it is apparent in the lower left quadrant that the maximum astrocyte  $\text{K}^+$  level depends mainly on the endfoot Kir<sub>AV</sub>.

The bottom right quadrant shows the sensitivity of the astrocyte hyperpolarization that occurs when the astrocyte is activated in the presence of a Kir blockade. Under normal conditions, the activated astrocyte would experience a depolarization due to  $\text{K}^+$  influx through the Kir<sub>AS</sub> channels on the synapse-adjacent processes. The only other mechanism present on the astrocyte process in this model is the Na-K exchange, which exchanges two  $\text{K}^+$  ions into the cell for three  $\text{Na}^+$  ions leaving the cell, an overall hyperpolarizing effect (the NKCC pump is electrically neutral, as it pumps in two positive ions, one  $\text{K}^+$  and one  $\text{Na}^+$ , along with one  $\text{Cl}^{2-}$  ion). Thus, it is reasonable that the maximum Na-K pump flux,  $J_{\text{NaK,max}}$ , is the most sensitive parameter for the astrocyte hyperpolarization during a Kir blockade.

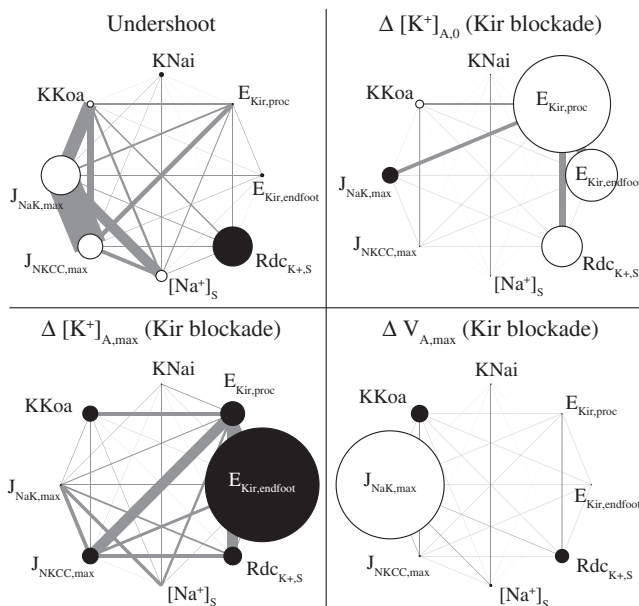


FIGURE 5 Sensitivity of  $\text{K}^+$  undershoot and effects of the Kir blockade. Diameters of small circles indicate single-parameter sensitivity; circle color indicates whether increasing parameter magnitude will increase (*white*) or decrease (*black*) the following values: the synaptic  $\text{K}^+$  undershoot (*top left*); the change in astrocytic  $\text{K}^+$  after Kir blockade at baseline,  $\Delta[\text{K}^+]_{\text{A},0}$  (*upper right*), and in the active state,  $\Delta[\text{K}^+]_{\text{A},\text{max}}$  (*lower left*); the maximum astrocyte hyperpolarization,  $\Delta V_{\text{A},\text{max}}$ , due to activation during Kir blockade (*lower right*). Thickness of the gray lines indicates the sensitivity of two-parameter interaction pairs.

## DISCUSSION

Although potassium transport is accepted as a primary function of cerebral astrocytes, previous models of astrocytes

omit any description of intracellular  $K^+$  dynamics even when electrical  $K^+$  currents are included (1,20,24,35). Because astrocytes express Kir channels, which are sensitive to both intra- and extracellular  $K^+$ , it is necessary to model the intracellular  $K^+$  concentration, as this affects the dynamics of the astrocyte potassium release and uptake. Notably, previous generations of this model without intracellular astrocyte potassium dynamics and Kir<sub>AS</sub>/Kir<sub>AV</sub> (1,24) predict a nonphysiological delay (~25 s in Farr and David (24), and 15 s in the lumped model described in the Results section) in the neurovascular response. The Kir<sub>AS</sub> and Kir<sub>AV</sub> included in this model accelerated the astrocytic  $K^+$  release into the perivascular space, which helped correct the delay.

Astrocyte perivascular endfeet have been observed to express both BK channels (10,11,36) and Kir<sub>AV</sub>, specifically the Kir4.1 subunit (4,7,8,37), both of which may contribute to neural-induced  $K^+$  release into the perivascular space. Our results suggest that astrocyte endfoot Kir<sub>AV</sub> may account for the initial response due to the faster activation rate of Kir<sub>AV</sub> compared to BK, whereas the BK channels are responsible for sustaining the response, as their conductance is much higher than that of Kir<sub>AV</sub> channels (9). According to our sensitivity analysis, the astrocyte Kir<sub>AS</sub> and Kir<sub>AV</sub> channels are essential to  $K^+$  buffering (see Supporting Material).

Part of astrocyte potassium buffering is the clearance of extracellular  $K^+$  in the synaptic region after neural activation. After extended periods of activation, the recovery to baseline  $K^+$  is preceded by a drop below baseline levels due to extra astrocyte uptake, a phenomenon observed in vivo (5). The undershoot is most likely a result of the astrocyte  $K^+$  uptake via NKCC and Na-K exchange, which temporarily exceeds  $K^+$  release through Kir<sub>AS</sub> (14); in fact, the undershoot is increased in Kir knockout cases (4,5). The astrocyte also has been observed to experience a hyperpolarization during the period of extracellular  $K^+$  undershoot (38). Our results are in good agreement with these experimental findings, supporting the hypothesis that the NKCC and Na-K pumps are responsible for the undershoot, whereas the Kir<sub>AS</sub> channels in the perisynaptic processes behave as a counterbalance. This is also supported by the results of our sensitivity analysis (Fig. 5, upper left).

It is well established that extracellular potassium affects neural health and behavior (38–41). Thus, astrocytic potassium buffering likely has both protective and functional implications in the neurovascular unit. Although astrocyte-controlled  $K^+$  clearance from the synaptic space could be primarily a protective mechanism to prevent potassium accumulation from reaching neurotoxic levels, it is possible that astrocytes may also regulate extracellular  $K^+$  as a means of modulating synaptic activity and overseeing neural network organization.

Rises in extracellular  $K^+$  were observed to result in heightened neural excitability due to the increase in neural potassium ion channel reversal potential (39,42). Also

observed were decreases in inhibitory GABAergic synaptic transmission in the hippocampus (41,43,44). Hippocampal CA3 neurons were found to experience a hyperpolarizing shift in the  $Cl^-$  reversal potential, resulting in greater inhibitory activity in the presence of low (below normal baseline) extracellular  $K^+$  (41,43). Therefore, the potassium undershoot that follows long periods of synaptic activity may behave as a balancing mechanism to reduce excitability and prevent further continued activation.

Although our model was able to produce results with a good qualitative match to several different experiments, we were unable to attain a quantitative match for all of them. In particular, our model predicts a less pronounced  $K^+$  undershoot effect than that seen in Chever et al. (5). Our sensitivity analysis offers two possible explanations: 1), because the  $K^+$  decay rate in the synaptic space turned out to be among the most sensitive parameters to the undershoot, it is possible that other local cellular activity (e.g., changes in neural behavior) may also contribute to the undershoot; or 2) the model may be limited by the fact that it is a single compartment, meaning that any changes felt at one end of the cell will be felt immediately and entirely at the other end (see the Supporting Material). This is not physiologically likely. For instance, it is probable that electrical signals will be subject to significant loss as they propagate down the long, thin astrocyte processes. In addition to the numerous studies characterizing electrical propagation along neural dendrites, some limited data suggest that similar losses occur for electrical propagation along glial cells (45). A single-compartment model assumes that there is no loss, so a membrane depolarization that occurs at the endfoot would be grossly overestimated in terms of its effect at the end of the synapse-adjacent process. In a similar way, a multicompartment model would predict a more accurate transfer of ion concentration across the cell. In fact, recent studies have demonstrated that astrocyte intracellular ion diffusion has unique characteristics in the endfeet and processes. The same studies also revealed that isolated subcellular compartments can occur within the processes and endfeet, in which highly localized ion-concentration fluctuations occur without diffusing to or from other parts of the cell (46–48).

## SUPPORTING MATERIAL

Five tables, five figures, references (49–60), model equations, and model parameters are available at [http://www.biophysj.org/biophysj/supplemental/S0006-3495\(13\)01032-1](http://www.biophysj.org/biophysj/supplemental/S0006-3495(13)01032-1).

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