# Visualization of Root Water Uptake: Quantification of Deuterated Water Transport in Roots Using Neutron Radiography and Numerical Modeling<sup>[C]</sup>

## Mohsen Zarebanadkouki\*, Eva Kroener, Anders Kaestner, and Andrea Carminati

Georg August University of Goettingen, Division of Soil Hydrology, 37077 Goettingen, Germany (M.Z., E.K., A.C.); and Paul Scherrer Institute, 5232 Villigen PSI, Switzerland (A.K.)

Our understanding of soil and plant water relations is limited by the lack of experimental methods to measure water fluxes in soil and plants. Here, we describe a new method to noninvasively quantify water fluxes in roots. To this end, neutron radiography was used to trace the transport of deuterated water ( $D_2O$ ) into roots. The results showed that (1) the radial transport of  $D_2O$  from soil to the roots depended similarly on diffusive and convective transport and (2) the axial transport of  $D_2O$  along the root xylem was largely dominated by convection. To quantify the convective fluxes from the radiographs, we introduced a convection-diffusion model to simulate the  $D_2O$  transport in roots. The model takes into account different pathways of water across the root tissue, the endodermis as a layer with distinct transport properties, and the axial transport of  $D_2O$  in the xylem. The diffusion coefficients of the root tissues were inversely estimated by simulating the experiments at night under the assumption that the convective fluxes were negligible. Inverse modeling of the experiment at day gave the profile of water fluxes into the roots. For a 24-d-old lupine (*Lupinus albus*) grown in a soil with uniform water content, root water uptake was higher in the proximal parts of lateral roots and decreased toward the distal parts. The method allows the quantification of the root properties and the regions of root water uptake along the root systems.

Understanding how and where plant roots extract water from soil remains an open question for both plant and soil scientists. One of the open questions concerns the locations of water uptake along the root system (Frensch and Steudle, 1989; Doussan et al., 1998; Steudle, 2000; Zwieniecki et al., 2003; Javaux et al., 2008). A motivation of these studies is that a better prediction of root water uptake may help to optimize irrigation and identify optimal traits to capture water. Despite its importance, there is little experimental information on the spatiotemporal distribution of the uptake zone along roots growing in soil. The lack of experimental data is largely due to the technical difficulties in measuring water fluxes in soils and roots.

Quantitative information on the rate and location of root water uptake along roots growing in soil is needed to better understand the function of roots in extracting water from the soil and tolerating drought events. Such information may show which parts of roots are more involved in water extraction and how root hydraulic properties change during root growth and exposure to water-limiting conditions. For instance, it is not clear how root anatomy and the hydraulic conductivity of roots change as the soil becomes dry or the transpiration demand increases. Quantitative information of the location of root water uptake can be used to estimate the spatial distribution of hydraulic conductivities along roots. This information is needed to parameterize the most recent and advanced models of root water uptake, such as those of Doussan et al. (1998) and Javaux et al. (2008).

Most of the experimental information on the spatial distribution of water uptake is limited to roots grown in hydroponic and aeroponic cultures (Frensch and Steudle, 1989; Varney and Canny, 1993; Zwieniecki et al., 2003; Knipfer and Fricke, 2010a). These investigations substantially improved our knowledge of the mechanism of water transport in roots. However, roots grown in hydroponic and aeroponic cultures may have different properties than those of roots grown in soils. As the soil dries, the hydraulic conductivity of roots and of the root-soil interface changes and likely affects the profile of root water uptake (Blizzard and Boyer, 1980; Nobel and Cui, 1992; Huang and Nobel, 1993; McCully, 1995; North and Nobel, 1997; Carminati et al., 2011; Knipfer et al., 2011; McLean et al., 2011; Carminati, 2012).

New advances in imaging techniques are opening new avenues for noninvasively studying water uptake by roots in soils (Doussan et al., 1998; Garrigues et al., 2006; Javaux et al., 2008; Pohlmeier et al., 2008; Moradi et al., 2011). Imaging methods such as x-ray computed tomography, light transmission imaging, NMR, and computed neutron radiography allow quantifying the changes of water content in the root zone with different accuracy and spatial resolution. However, due to the concomitant soil water redistribution, the local changes in soil water content are not trivially related to

<sup>\*</sup> Address correspondence to mzareba@gwdg.de.

The author responsible for distribution of materials integral to the findings presented in this article in accordance with the policy described in the Instructions for Authors (www.plantphysiol.org) is: Mohsen Zarebanadkouki (mzareba@gwdg.de).

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root uptake. Consequently, the estimation of root water uptake requires coupling the imaging methods with the modeling of water flow in the soil, which, in turn, requires accurate information on the hydraulic properties of soil and roots. An additional complexity is represented by the peculiar and only partly understood hydraulic properties of the soil in the vicinity of the roots, the so-called rhizosphere.

The hydraulic properties of the rhizosphere are influenced by root and microorganism activity, soil compaction due to root growth, and the formation of air-filled gaps between soil and roots when roots shrink (Nye, 1994; North and Nobel, 1997; Carminati et al., 2010; Aravena et al., 2011; Moradi et al., 2011; Carminati, 2013; Zarebanadkouki and Carminati, 2014). To date, it has been technically difficult to quantify the hydraulic properties of the rhizosphere. Carminati et al. (2011) showed that the hydraulic properties of the first 1 to 2 mm near the root affect the profile of water content and water potential toward the root.

Recently, we introduced a novel method to noninvasively trace the flow of water in soil and roots (Zarebanadkouki et al., 2012, 2013). The method combines neutron radiography and the injection of deuterated water (D<sub>2</sub>O). Neutron radiography is an imaging technique that allows one to quantify the water distribution in thin soil samples with high accuracy and spatial resolution (Moradi et al., 2008). D<sub>2</sub>O is an isotope of normal water. Its chemical and physical properties are similar to those of water, but in contrast to water, it is almost transparent in neutron transmission imaging (Matsushima et al., 2012). This property makes D<sub>2</sub>O an excellent tracer for neutron imaging of water flow.

In our previous experiments (Zarebanadkouki et al., 2012, 2013), D<sub>2</sub>O was injected next to selected roots and its transport was monitored using time-series neutron radiography with a spatial resolution of 150  $\mu$ m and a temporal resolution of 10 s for a duration of 2 h. We grew lupine (*Lupinus albus*) in aluminum containers (width of 25 cm, height of 30 cm, and thickness of 1 cm) filled with a sandy soil. The soil was partitioned into different compartments with a 1-cm layer of coarse sand acting as a capillary barrier (three vertical and four horizontal layers placed at regular intervals). The capillary barriers limited the transport of D<sub>2</sub>O into a given region of soil and facilitated the quantification of D<sub>2</sub>O transport into the roots. Figure 1 shows selected neutron radiographs of D<sub>2</sub>O injection during the day and night. This figure is modified from Zarebanadkouki et al. (2013). The radiographs show that (1) the radial transport of D<sub>2</sub>O into the roots was faster during the day than during the night and (2) the axial transport of D<sub>2</sub>O along the roots was visible only during the day, while it was negligible at night. The differences between nighttime and daytime measurements were caused by the net flow of water induced by transpiration.

The interpretation of tracing experiments with  $D_2O$  in which water and  $D_2O$  are mixed is not straightforward (Carminati and Zarebanadkouki, 2013; Warren et al., 2013a, 2013b). To determine the convective fluxes from

the radiographs, Zarebanadkouki et al. (2012, 2013) introduced a diffusion-convection model of D<sub>2</sub>O transport in roots. The model was solved analytically. The model described the increase of the average D2O concentration in the root with a double-exponential equation, in which the rate constants of the first and second phases were related to the transport of D<sub>2</sub>O into the cortex and the stele of the roots. Although the model included important details of the root structure, such as different pathways of water across the root tissue, the diffusion of  $D_2O$ across the root tissue was strongly simplified. In particular, our previous model assumed that as soon as the roots were immersed in  $D_2O_2$ , the apoplastic free space of the root cortex was instantaneously saturated with  $D_2O$ . In other words, we assumed that all cortical cells and the root endodermis were simultaneously immersed in an identical concentration of D<sub>2</sub>O equal to that of the soil. Additionally, we assumed that D<sub>2</sub>O concentration inside the cortical cell and the root stele was uniform (well-stirred compartment).

Although the radiographs clearly showed a significant axial transport of  $D_2O$  beyond the capillary barrier during the daytime (Fig. 1B), the model of Zarebanadkouki et al. (2013) was not capable of simulating it appropriately. Indeed, our previous model could only simulate the changes in  $D_2O$  concentration in the root segments immersed in  $D_2O$ . Since the concentration of  $D_2O$  in the root segment beyond the capillary barrier carries additional information on the axial and radial fluxes along the roots, we decided to modify our model to include such information.

Another approximation of the previous model was the assumption that the radial water flow to the root was uniform along the root segment immersed in  $D_2O$ . However, Zarebanadkouki et al. (2013) found significant variations in root water uptake along the roots and suggested that root water uptake should be measured with a better spatial resolution.

The objective of this study was to provide an adequate model to interpret tracing experiments with D<sub>2</sub>O. We developed two different models to describe the transport of  $D_2O$  into roots. (1) In the first model, we described the transport of D<sub>2</sub>O into the roots by taking into account the different pathways of water across the root tissue (i.e. the apoplastic and the cell-to-cell pathways). Although this model captures the complexity of the root structure, it requires several parameters, such as the ratio of the water flow in the apoplast over the water flow in the cell-to-cell pathway. We refer to this model as the composite transport model. (2) In the second model, we simplified the root tissue into a homogenous flow domain comprising both pathways. The latter model is a simplification of the complex root anatomy, but it has the advantage of requiring fewer parameters. We refer to this model as the simplified model.

In the next sections, we introduce the two modeling approaches and run a sensitivity analysis to test whether the transport of  $D_2O$  into roots is sensitive to the parameters of the composite transport model. The question was, do we need the composite transport model to





Figure 1. Neutron radiographs of two samples after injection of 4 mL of D<sub>2</sub>O during the day (A and B) and during the night (C and D). D<sub>2</sub>O was injected in one compartment during the nighttime and in two compartments during the daytime. The images show the differences between the actual radiographs at time t and the radiograph before injection (t = 0). Brighter colors indicate lower neutron attenuation and higher D<sub>2</sub>O-water ratio. The images show that (1) the transport of D2O was faster during the day than during the night and (2)  $D_2O$ moved axially beyond the capillary barrier toward the shoot only during the day. Images are closeups of the original field of view of 15.75 imes15.75 cm showing the distribution of D<sub>2</sub>O in the soil and root after D<sub>2</sub>O injection. Figures are extracted from Zarebanadkouki et al. (2013). (A neutron radiograph of the whole sample used for daytime measurement is given in Figure 9.) [See online article for color version of this figure.]

accurately estimate the water flow into the roots based on the experiments with neutron radiography? Or alternatively, can we use the simplified model to estimate the fluxes without the need of introducing several parameters?

Our final goal was to develop a numerical procedure to extract quantitative information on the water fluxes and the root hydraulic properties based on the tracing experiments with neutron radiography. Based on the results of the sensitivity analysis, we chose the simplified model to simulate the experiments. By fitting the observed D<sub>2</sub>O transport into the roots, we calculated

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the profiles of water flux across the roots of a 24-d-old lupine as well as the diffusion permeability of its roots.

#### THEORETICAL BACKGROUND

#### Model of D<sub>2</sub>O Transport in Root

 $D_2O$  enters the roots by (1) diffusion, which depends on the concentration gradient across the root tissue and the diffusional permeability of the roots, and (2) the convection induced by the transpiration stream. The transport of  $D_2O$  through the root can then be described by a diffusion-convection model. We assumed that the water flow from the root surface to the xylem surface is radial, while the water flow in the xylem is longitudinal (Fig. 2A). Due to the composite structure of roots, the radial flow of water and the transport of D<sub>2</sub>O take place along different pathways: the apoplastic pathway and the cell-to-cell pathway (Fig. 2C). The apoplastic pathway occurs along the cell walls and the extracellular space. The cross-sectional area of the apoplastic pathway is only a few percent of the total cross-sectional area (Fritz and Ehwald [2011] reported a value of 3% in maize [Zea mays]). Although its cross section is small, the apoplastic pathway does not involve the crossing of cell membranes and is expected to be less resistant to water flow. However, the relative importance of the apoplastic and cell-to-cell pathways is still a matter of debate (Steudle, 2000; Knipfer and Fricke, 2010b).

We chose two scenarios to describe the  $D_2O$  transport in the root. In the first scenario, we explicitly described the transport of  $D_2O$  through the two different pathways and assumed that in the endodermis the apoplast is blocked. This assumption will not be valid for the root tip in which the endodermis has not yet developed. We refer to this model as the composite transport model. In the second scenario, we considered only a single pathway, which can be seen as the average of the two pathways, and described the endodermis as a layer with lower diffusional permeability. We refer to this model as the simplified model.

#### First Scenario: Composite Transport Model

We divided the flow domain into an apoplastic pathway and a cell-to-cell pathway. A schematic representation of the flow domain is shown in Figure 2C. The pathways are in parallel and exchange  $D_2O$  with each other. We assumed a continuous apoplastic pathway across the root tissue with an interruption at the endodermis, where the transport of  $D_2O$  is only via the cell-to-cell pathway. The transport of  $D_2O$  in the apoplastic pathway is described by:

$$\theta \frac{\partial c^{a}}{\partial t} = \frac{\partial}{r\partial r} \left( rD^{a} \left( \frac{\partial c^{a}}{\partial r} \right) \right) - \frac{\partial}{r\partial r} \left( rj_{r}^{a}c^{a} \right) + \frac{\partial}{\partial x} \left( D^{a} \left( \frac{\partial c^{a}}{\partial x} \right) \right) - \frac{\partial}{\partial x} \left( j_{x}c^{a} \right) - \left( \frac{\Gamma_{s}}{\omega^{a}} \right)$$
(1)

and the transport of D<sub>2</sub>O in the cell to cell pathway is described by:

$$\theta \frac{\partial c^{c}}{\partial t} = \frac{\partial}{r\partial r} \left( rD^{c} \left( \frac{\partial c^{c}}{\partial r} \right) \right) - \frac{\partial}{r\partial r} \left( rj_{r}^{c}c^{c} \right) + \frac{\partial}{\partial x} \left( D^{c} \left( \frac{\partial c^{c}}{\partial x} \right) \right) - \frac{\partial}{\partial x} \left( j_{x}c^{c} \right) + \left( \frac{\Gamma_{s}}{1 - \omega^{a}} \right)$$
(2)

where the superscripts a and c refer to the apoplastic and cell-to-cell pathways, respectively,  $\theta$  is the water content (cm<sup>3</sup> cm<sup>-3</sup>), *r* is the radial coordinate (cm), *x* is

the longitudinal coordinate (cm), *t* is the time (s),  $c^{a}$  and  $c^{c}$  are the concentrations of D<sub>2</sub>O in the apoplastic and symplastic pathways, respectively (cm<sup>3</sup> cm<sup>-3</sup>),  $D^{a}$  and  $D^{c}$  are the diffusion coefficients of D<sub>2</sub>O in the apoplastic and symplastic pathways, respectively (cm<sup>2</sup> s<sup>-1</sup>),  $j_{x}$  is axial flux of water (cm s<sup>-1</sup>),  $j_{r}^{a}$  and  $j_{r}^{c}$  are the radial flux of water in the apoplastic and symplastic pathways, respectively (cm<sup>2</sup> s<sup>-1</sup>),  $j_{x}$  is axial flux of water (cm s<sup>-1</sup>),  $\omega^{a}$  is the volumetric fraction of the apoplast (cm<sup>3</sup> cm<sup>-3</sup>), and  $\Gamma_{s}$  describes the exchange of D<sub>2</sub>O between the apoplastic and cell-to-cell pathways (s<sup>-1</sup>). The volumetric fraction of the apoplast,  $\omega^{a}$ , is assumed to be 3% (Richter and Ehwald, 1983; Fritz and Ehwald, 2011). Note that we assumed a similar diffusion coefficient in the radial and axial directions.

To quantify the exchange term, we followed the approach of Gerke and van Genuchten (1996), who modeled water flow and solute transport in dualpermeability soils. Although their approach was developed for structured soils, the mathematical treatment can be easily adapted to the root tissue. In fact, there is a strong analogy between the dualism between the macrospore and the soil matrix in structured soils and that of the apoplastic and cell-to-cell pathways in the root tissue. Using the approach of Gerke and van Genuchten (1996) and assuming that root cells are cylinders with radius  $r_c$  (cm), the exchange term between the apoplastic and cell-to-cell pathways is given by:

$$\Gamma_{\rm s} = \frac{D^{\rm c}\beta}{r_{\rm c}^2} (1 - \omega^{\rm a})(c^{\rm a} - c^{\rm c}) \tag{3}$$

where  $\beta$  is a dimensionless geometry coefficient that was equal to 3 and 8 for a hollow and a solid cylinder, respectively (van Genuchten, 1985; Gerke and van Genuchten, 1996).  $\beta$  is a parameter that depends on the ratio between the surface and volume of the root cells. The larger is the surface-to-volume ratio, the faster is the D<sub>2</sub>O exchange between the apoplastic and cell-tocell pathways. We assumed that the cells have a cylindrical shape (i.e. their radius is much smaller than their longitudinal length). We further assumed that the major resistance to the transport of D<sub>2</sub>O occurs at the cell membrane, while the inner cell volume has a uniform concentration of D<sub>2</sub>O. These approximations result in the representation of the root cells as hollow cylinders. The term "hollow" here refers to the fact the main resistance to D<sub>2</sub>O transfer acts at the cell wall.

We further assumed that the cell-to-cell pathway is in local hydraulic equilibrium with the apoplast and that, consequently,  $D_2O$  moves between the two pathways only by diffusion.

The radial fluxes of water through the apoplastic and cell-to-cell pathways are expressed as:

$$j_{\rm r}^{\rm a} = \frac{(1-\lambda)j_{\rm r}}{\omega^{\rm a}} \tag{4}$$

and



**Figure 2.** Illustration of D<sub>2</sub>O transport into a root partially immersed in D<sub>2</sub>O. A, Diffusion and convection along a root. Water flows radially to the xylem radius. In the xylem, water flows longitudinally. B, Cross section of a lupine root at a distance of 12 cm from the root tip. C, Representation of the root tissue and its effect on D<sub>2</sub>O transport in the composite transport model. D, Simplified model in which the different pathways are lumped together in a single averaged pathway across the root tissue. Here,  $c^a$  and  $c^c$  are the concentrations of D<sub>2</sub>O in the apoplastic and symplastic pathways, respectively;  $c_r$  is the concentration of D<sub>2</sub>O in the root;  $D^a$  and  $D^c$  are the diffusion coefficients of D<sub>2</sub>O in the apoplastic and symplastic pathways, respectively; D is the diffusion coefficient of D<sub>2</sub>O in the root assuming the root as a uniform tissue;  $j_r^a$  and  $j_c^c$  are radial fluxes of water in the apoplastic and symplastic pathways, respectively;  $j_r$  is the radial flux of water into the root; and  $\Gamma_s$  is the exchange term of D<sub>2</sub>O between the apoplastic and cell-to-cell pathways.

$$j_{\rm r}^{\rm c} = \frac{\lambda j_{\rm r}}{\omega^{\rm c}} \tag{5}$$

where  $j_r$  is the average radial flux of water (cm s<sup>-1</sup>),  $\lambda$  is the relative importance of the apoplastic transport (–), and  $\omega^c$  is the volumetric fraction of the cell-to-cell pathway (1 –  $\omega^a$ ). The value of  $\lambda$  varies from 0 for purely apoplastic transport to 1 for purely cell-to-cell transport. Note that the radial and axial fluxes vary as a function of distance from the root center (radial direction *r*) and from the root tip (axial direction *x*). The fluxes are assumed to be constant over time during the measurements. We define  $j_R(x)$  as the radial flux at the root surface (cm s<sup>-1</sup>).

The change in concentration of  $D_2O$  in the root can be calculated from the weighted-average concentrations of  $D_2O$  in the apoplastic and cell-to-cell pathways according to:

$$\frac{\partial c_{\rm r}}{\partial t} = \omega^{\rm a} \frac{\partial c^{\rm a}}{\partial t} + \omega^{\rm c} \frac{\partial c^{\rm c}}{\partial t} \tag{6}$$

where  $c_r$  is the D<sub>2</sub>O concentration in the root (cm<sup>3</sup> cm<sup>-3</sup>).

Mass conservation imposes that the radial and axial fluxes satisfy the following equation:

$$\pi r_{\rm x}^2 \frac{\partial j_{\rm x}(x)}{\partial x} = 2\pi r_{\rm x} j_{\rm r}(r_{\rm x}, x) \tag{7}$$

where  $r_x$  is the xylem radius (cm). From the root surface to the root xylem, we assumed only radial flow. In another words, we assumed that the axial transport of water occurs only in the xylem. In this case, mass conservation imposes that  $j_r \times r$  is constant between the root surface and the xylem radius.

#### Second Scenario: Simplified Model

A simplified approach consists of treating the root tissue as a single pathway whose diffusion D is an average of the diffusion through the apoplastic and cell-to-cell pathways (cm<sup>2</sup> s<sup>-1</sup>). A schematic representation of the model is presented in Figure 2D. In this case, the transport of D<sub>2</sub>O in root can be described by:

$$\theta \frac{\partial c_{\rm r}}{\partial t} = \frac{\partial}{r\partial r} \left( rD\left(\frac{\partial c_{\rm r}}{\partial r}\right) \right) - \frac{\partial}{r\partial r} \left( rj_{\rm r}c_{\rm r} \right) + \frac{\partial}{\partial x} \left( D\left(\frac{\partial c_{\rm r}}{\partial x}\right) \right) - \frac{\partial}{\partial x} \left( j_{\rm x}c_{\rm r} \right)$$
(8)

where  $c_r$  is the average concentration of  $D_2O$  in root.

#### **Model Parameterization**

All the variables in Equations 1, 2, and 8 are functions of the radial and longitudinal coordinates (r and x). For the diffusion coefficients, we assumed that the cortical

cells in the cortex and the root stele had constant radii and diffusion coefficients along *r* and *x*. We further assumed that the endodermis was not yet developed in the first 1.5 cm from the root tip. Thus, we used the diffusion coefficient in the root tip as a representative of the diffusion coefficient of the cortical cells in the root tissue. We let the diffusion coefficient of the endodermis ( $D_e$ ) and the radial flux of water into the roots ( $j_r$ ) vary with *x* [i.e.  $D_e = D_e(x)$  and  $j_R = j_R(x)$ ].

For the composite transport model, we assumed that the volume fractions of the apoplastic and cell-to-cell pathways are  $\omega^a$  and  $(1 - \omega^a)$ , respectively. Similarly, the fractions of water flow through the apoplastic and cell-to-cell pathways are  $(1 - \lambda)$  and  $\lambda$ , respectively. As a first approximation, we assumed that  $\omega^a$  and  $\lambda$  are constant in the axial direction. The apoplastic pathway is assumed to be interrupted at the endodermis (i.e. between  $r_e - \frac{r_c}{2}$  and  $r_e + \frac{r_c}{2}$ ), with  $r_c$  being the cell radius and  $r_e$  the endodermis radius. We also included the fact the diffusion in the endodermis is smaller than in the cortex. These assumptions are summarized as:

For 
$$r = \left[r_{\rm e} - \frac{r_{\rm c}}{2} : r_{\rm e} + \frac{r_{\rm c}}{2}\right] \begin{cases} D^{\rm c}(r, x) = D_{\rm e}(x)\\\lambda(r, x) = 1\\\omega^{\rm a}(r, x) = 0 \end{cases}$$
 (9)

Note that when  $\omega^{a}(r, x) = 0$ , Equation 1 cannot be solved. Indeed, in the endodermis, we solved only Equation 2. To solve the numerical problem, we imposed  $C^{a} = C^{c}$  in the endodermis.

For simplicity, we did not simulate the water movement in soil during  $D_2O$  injection. The radiographs showed a quick water redistribution in the soil after  $D_2O$  injection, and we assumed that afterward the water flow in soil was constant over time. During  $D_2O$  injection, we imposed the measured concentration of  $D_2O$  as the boundary condition at the root surface in soil. When the soil water content reached equilibrium, we shifted the boundary condition to the last node of the soil and simulated  $D_2O$  diffusion through the soil. The diffusion coefficient in soil was parameterized according to Millington and Quirk (1961):

$$D = \theta D_0 \left(\frac{\theta^{7/3}}{\phi^2}\right) \tag{10}$$

where  $\theta$  is the soil water content (cm<sup>3</sup> cm<sup>-3</sup>),  $D_0$  is the diffusion coefficient of D<sub>2</sub>O in pure water (cm<sup>2</sup> s<sup>-1</sup>), and  $\phi$  is the soil porosity. We used  $D_0 = 2.27 \times 10^{-9}$  m<sup>2</sup> s<sup>-1</sup>, as measured by (Longsworth, 1960).

The diffusion coefficients of the root tissue were defined as follows: the diffusion of  $D_2O$  in the apoplastic pathway was assumed to be one-sixth of the diffusion coefficients of  $D_2O$  in pure water ( $D_0 = 2.27 \times 10^{-9} \text{ m}^2 \text{ s}^{-1}$ ). Published values of diffusion coefficients for different solutes in the apoplast range from one-fifth to one-sixtieth of the diffusion in pure water (Pitman, 1965; Aikman et al., 1980; Richter and Ehwald, 1983; Kramer et al., 2007). We took the lower limit because  $D_2O$  is a neutral

molecule with a rather similar  $M_r$  compared with normal water. Higher values are expected for bigger and charged molecules. We assumed the same value for the diffusion in the xylem.

The diffusion coefficients of cortex and endodermis were obtained from inversely fitting the  $D_2O$  distribution in roots during the nighttime. We fitted the  $D_2O$ transport in the tip root segments assuming a constant diffusion coefficient across root tissue. This coefficient was used for the cortical cells in the root cortex and the root stele along the root length and root radius. Then, we fitted the  $D_2O$  transport in the rest of the root segments to calculate the diffusion coefficient of the endodermis assuming a constant diffusion coefficient for the cortical cells obtained from the root tip.

We used the fitted diffusion coefficients for simulating the daytime experiments. For the daytime simulations, the parameters to fit were  $j_R(x)$ ,  $\lambda$ , and  $\beta$  for the composite transport model and  $j_R(x)$  for the simplified model. For those roots that were partly immersed in D<sub>2</sub>O, we also fitted the axial flux of water entering into the root segment immersed in D<sub>2</sub>O. Note that as a first attempt, we assumed that  $\lambda$  and  $\beta$  are uniform along the root length. This assumption may not be valid at the root tip, where the endodermis is not yet developed and water may flow mainly through the apoplast. The radial fluxes and diffusion coefficients are fitted for each longitudinal position along a root with intervals of 0.1 cm.

#### **Model Implementation**

A single root and the surrounding soil were modeled in cylindrical coordinates. To numerically solve Equations 7 and 8, each variable was represented in a two-dimensional matrix. Each element of the matrix encodes the identity of a specific portion of the root in radial and longitudinal positions. In our model, the soil was extended for 1 cm from the root surface. The root cortex extended from the root surface to the endodermis. The stele extended from the inner radius of the endodermis to the surface of xylem. We described the xylem as a single cylinder with a cross-sectional area corresponding to the total cross-sectional area of xylem vessels. The radii of the root, the endodermis, and the cortical cells and the cross-sectional area of the xylem were calculated from microscopic observation of the root cross section (Fig. 2C).

Equations 7 and 8 were solved numerically using a centered finite difference method. We used a rectangular computational grid with the number of equally spaced grid elements along the root radius (*N*) and the number of grid elements along the root length (*M*). The space discretization values along the root length and root radius were 0.1 and 0.0006 cm, respectively. The time derivatives were discretized with an explicit method. To ensure the stability of the simulations, we used a time step of  $10^{-3}$  s.

The inverse problem was solved with a linear leastsquares method using the lsqlin Solver in Matlab. The lsqlin Solver is based on the Levenberg-Marquardt algorithm, which starts by searching the minimum along the steepest gradient of the objective function and gradually switches to a direction based on a first-order approximation of the objective function. The objective function to minimize was the difference between measured and simulated concentrations of  $D_2O$  along the root over time.

Different objective functions were used to estimate different parameters of the model. We used the difference between measured and simulated concentrations of D<sub>2</sub>O along a root at different times as an objective function to estimate  $D_{e}(x)$  and  $j_{R}(x)$ . When the root was partly immersed in D<sub>2</sub>O<sub>2</sub> to estimate the axial flux of normal water coming to the root segment immersed in  $D_2O_2$ , the objective function was the difference between the average measured and simulated concentrations of  $D_2O$  in the root segment immersed in  $D_2O$ . Note that the final concentration of D<sub>2</sub>O in the root segment immersed in D<sub>2</sub>O depends on the axial flux of normal water coming into the root segment immersed in  $D_2O$ . The difference between average measured and simulated concentrations of D<sub>2</sub>O in the root segment beyond the capillary barrier was used as the objective function to estimate  $\lambda$ .

We ran a sensitivity analysis to understand whether the composite transport model was sensitive to the parameters  $\lambda$  and  $\beta$ . To this end, as a first step we fitted the increase of D<sub>2</sub>O concentration into 15 roots during the nighttime. After solving the inverse problem, we obtained the distribution of the diffusion coefficients along the root length. We used these diffusion coefficients to simulate the transport of D<sub>2</sub>O in the root for varying parameters  $J_R$ ,  $\lambda$ , and  $\beta$ . The objective of the sensitivity analysis was to understand if the composite transport model is needed or if the simplified model can replace it without loss of precision.

#### RESULTS

We first show the results of the sensitivity analysis. Figure 3 shows the simulated concentrations of D<sub>2</sub>O in a root segment immersed in D<sub>2</sub>O (Fig. 3A) and in the next root segment beyond the capillary barrier (Fig. 3B). We chose a range of reasonable values for  $j_R$  and  $\beta$ , and we let  $\lambda$  vary from the minimum value of 0 to the maximum value of 1. For the sensitivity analysis, we assumed that  $j_R$  was constant along *x*.

The results show that the increase of  $D_2O$  inside the root immersed in  $D_2O$  was affected by the radial flux  $j_R$ . Note that in Figure 3 and in all the subsequent figures,  $j_R$  refers to the water fluxes at the root surface. When  $j_R = 0$ , the increase of  $D_2O$  was driven by diffusion and was visibly slower. The increase of  $D_2O$  was faster as  $j_R$  increased. Almost no differences were observed in the average concentration of  $D_2O$  in the root segment immersed in  $D_2O$  when the water flow changed from the purely apoplastic pathway ( $\lambda = 0$ ) to the purely cell-to-cell pathway ( $\lambda = 1$ ). Similarly, the concentrations of  $D_2O$  were not

sensitive to  $\beta$ . We varied  $\beta$  from a value of 3 to 8, corresponding to a hollow cylinder and a solid cylinder, respectively (van Genuchten, 1985; Gerke and van Genuchten, 1996).

When the radial flux increased by a factor of 5,  $D_2O$  concentration beyond the capillary barrier equilibrated to a lower value (Fig. 3B). The time needed to reach equilibrium was faster. This observation is explained by the convective radial fluxes into the root that opposes the diffusion of  $D_2O$  from the xylem to the rest of

root tissue. In other words, the higher the convective fluxes, the lower the equilibrium concentration of  $D_2O$  beyond the capillary barrier. The pathway of water through the tissue plays a role in this process: if the main pathway is cell to cell ( $\lambda = 1$ ), the convective transport efficiently limits the diffusion; instead, if the main pathway is apoplastic ( $\lambda = 0$ ), the convective fluxes bypass the root cells and are less efficient in opposing the diffusion of  $D_2O$  out of the xylem. This is visible in Figure 3B, where the equilibrium value of the  $D_2O$ 

**Figure 3.** Sensitivity analysis of the composite transport model. Average concentrations of  $D_2O$  in the root segment immersed in  $D_2O$  (A) and in the root segment beyond the capillary barrier (B) are shown.





**Figure 4.** Diffusion coefficient obtained from the best fit of the simplified model to the experimental data of  $D_2O$  concentration across the root tissue during the nighttime. Note that we assumed that in the first 1.5 cm near the root tip, the diffusion of the endodermis is equal to that of the cortex. The data were obtained from 15 roots.

concentration was lower for  $\lambda = 1$  than for  $\lambda = 0$ . However, for the used diffusion coefficients and root radii, the differences between the simulations with  $\lambda = 1$  and  $\lambda = 0$ probably lie within our measurement errors. The same conclusion holds for  $\beta$ .

This sensitivity analysis showed that the composite transport is not sufficiently sensitive to the pathways of water through the root tissue. Therefore, to reduce the numbers of unknown parameters, we used the simplified model to quantify the transport of  $D_2O$  into roots.

Figure 4 shows the diffusion coefficients of the endodermis as a function of distance from the root tip  $D_e(x)$ . The data are obtained from the best fit of the simplified model to the observed average  $D_2O$  concentration of 15 roots measured during the nighttime. Figure 4 shows that  $D_e(x)$  was higher in the distal root segments and decreased 10 times toward the proximal segment.

We used the diffusion coefficients estimated from the night measurements to simulate the transport of  $D_2O$  into the roots during the day. The parameter to be fitted for the day measurements was  $j_R(x)$ . We let  $j_R(x)$  be free to change along the roots and inversely estimated it by finding the best fit of the simplified model to the observed average  $D_2O$  concentration in roots measured during the daytime. The simulated two-dimensional distribution of the  $D_2O$  concentration is a root of 14 cm at different time steps after  $D_2O$  injection is shown in Figure 5. The images show that as  $D_2O$  reached the xylem, it was transported axially along the root and then diffused back in the segment beyond the barrier that was immersed in water.

Figure 6 shows a comparison between the simulations shown in Figure 5 and the experimental data obtained from neutron radiographs. The location of  $D_2O$  injection is illustrated in Figure 7A. The average concentrations of  $D_2O$  in the root segment immersed in  $D_2O$  (Fig. 6A) and in the root segment beyond the capillary barrier (Fig. 6B) showed a good agreement with the experimental data.

We fitted the profiles of  $D_2O$  concentration along six roots during the daytime. We selected roots that had similar root lengths and were located at similar soil depths. Root lengths and locations of  $D_2O$  injection are shown in Figure 7. We chose three roots that were partly immersed in  $D_2O$  at their middle parts (Fig. 7A) and three roots that were partly immersed in  $D_2O$  at their proximal parts (Fig. 7B). The fitted radial fluxes along the six roots are plotted in Figure 8. The results show that water uptake along the lateral roots was not



**Figure 5.** Simulated concentration of  $D_2O$  across the root tissue at different times after  $D_2O$  injection. The color bar shows the concentration of  $D_2O$  in the root. The length of the root and the location of  $D_2O$  injection are presented in Figure 7A. Figure 6. Measured concentration of D<sub>2</sub>O (dots) and the best fit of the simplified model (solid lines) for roots partly immersed in D2O. The simulated concentrations refer to the root in Figure 5. Root length and location of D2O injection are illustrated in Figure 7A. A, Average D<sub>2</sub>O concentration in the root segment immersed in D<sub>2</sub>O with the best fit of the model.  $B_{1}$  Average  $D_{2}O$ concentration in the root segment beyond the capillary barrier with the best fit of the model. C, Average D<sub>2</sub>O concentration across the root as a function of distance to the root tip at different time steps after D<sub>2</sub>O injection. Each line refers to a different time step after D<sub>2</sub>O injection.



uniform. Water flux was higher in the proximal segments and decreased toward the distal segments. Remarkably, the radial fluxes predicated for the root segmented beyond the capillary barrier for the roots that were immersed in  $D_2O$  at the middle parts (Fig. 7A) were in line with the fluxes predicted for the roots that were immersed in  $D_2O$  at the proximal parts (Fig. 7B; i.e. compare the white and black symbols at 10–16 cm from the root tip in Fig. 8). This agreement shows the validity of our method in estimating the radial fluxes for the root segment immersed in  $D_2O$  and the root segment beyond the capillary barrier.

Additionally, the profile of  $j_R(x)$  along the root was in agreement with the results of Zarebanadkouki et al. (2013). In Figure 8, we compared the results of Zarebanadkouki et al. (2013) with those of the new model. In Zarebanadkouki et al. (2013), the radial fluxes were calculated for the radius of the endodermis. Here, they have been scaled



**Figure 7.** Schematic representation of the roots measured during the daytime and whose results are shown in Figure 8.



**Figure 8.** Radial flux into the root as a function of distance from the root tip. The radial flux is calculated for two different sets of roots presented in Figure 7. Set a refers to roots that were partly immersed in  $D_2O$  at the middle parts, and set b refers to roots that were partly immersed in  $D_2O$  at the proximal parts. The bar lines show the range of radial fluxes for different positions of root calculated by Zarebanadkouki et al. (2013).

for being comparable to  $j_{R}(x)$ . The results of the two models match well.

#### DISCUSSION

We have implemented a new model of  $D_2O$  transport in the roots to quantify the water fluxes from neutron radiographs. The model describes the transport of  $D_2O$ with a diffusion-convection equation in cylindrical coordinates, and it includes different pathways: the apoplastic pathway and the cell-to-cell pathway.

A sensitivity analysis indicated that the transport of  $D_2O$  was not sensitive to the parameter  $\lambda$ , which describes the relative importance of the apoplastic and cell-to-cell pathways. Therefore, to reduce the number of parameters, we used a simplified model in which there is only one lumped pathway of water across the root tissue. The model was sensitive to both the diffusional coefficient of D<sub>2</sub>O across the root tissue and the radial water flux into the root. Fitting for the diffusion coefficient the nighttime measurements and using the same coefficients for the daytime measurements allowed us to calculate the radial flux of water into the root as a function of distance from the root tip. The results showed that the diffusion coefficient was higher near the root tip and decreased toward the proximal parts. The diffusion coefficient of the tip root was  $6.7 \times 10^{-11}$  m<sup>2</sup> s<sup>-1</sup>, and it decreased to  $6.5 \times 10^{-12}$  m<sup>2</sup> s<sup>-1</sup> at a distance of 14 cm from the root tip. Oppositely, the radial flux of water was lower in the distal segments than in the proximal segments. It was  $3 \times 10^{-8}$  m s<sup>-1</sup> at a distance of 6 cm from the root tip, and it increased to  $1.6 \times 10^{-7}$  m s<sup>-1</sup> at a distance of 15 cm from the root tip. The results are in agreement with those obtained with the previous model of Zarebanadkouki et al. (2013; Fig. 8).

The sensitivity analysis showed that the D<sub>2</sub>O transport was not sensitive to the pathways of water across the root tissue. The low sensitivity of the model was caused by the significant contribution of diffusion to the movement of D<sub>2</sub>O into the root. However, our sensitivity analysis is limited to the special case studied here and cannot be generalized to all roots. For example, the pathways of water may become important for thicker roots with low diffusion coefficients, in which convection is likely to become more important than diffusion. Some sensitivity was observed for the root segment after the barrier (i.e. in the segments after the region immersed in  $D_2O$ ; Fig. 3B). If the sensitivity increases and the error in our measurements decreases thanks to future technical improvements, it may become possible to estimate the relative importance of the pathways.

Another issue is that our sensitivity analysis is constrained to our assumptions. One of our assumptions is that the apoplastic pathway was completely blocked by the endodermis. In case the endodermis did not fully block the apoplast, our model should become more sensitive to  $\lambda$ . We also assumed that the diffusion coefficient



**Figure 9.** Neutron radiograph of the sample used during daytime measurement. The radiograph was obtained from stitching four radiographs with marginal overlap. The higher gray value corresponds to the higher soil water content (dark = wet). The compartments marked with stars were used for  $D_2O$  injection during the daytime. The bright horizontal and vertical strips show the location of the capillary barrier used to stop the transport of  $D_2O$  in soil. Note that we irrigated the dry compartments 1 d before the  $D_2O$  injection experiment started.

of the cortical cells was constant along the roots. However, as roots get older, their cell membrane becomes less permeable (Bramley et al., 2009). This overestimation of the diffusion coefficient of the cortical cells in the proximal root segments would result in a quick equilibrium between the  $D_2O$  concentrations in the apoplastic and cell-to-cell pathways. In this case, the concentration of  $D_2O$  in the root is independent from the pathways of water, due to the similar concentration of  $D_2O$ in both pathways.

The advantage of our new model compared with the previous version is that it fully solves the diffusion and convection of  $D_2O$  in both radial and axial directions. In the previous model,  $D_2O$  diffusion was strongly simplified. There, we assumed an immediate transport of  $D_2O$  through the apoplast. We also assumed that the concentration of  $D_2O$  in the root stele (45% of root volume) was uniform. In our new model, we explicitly solved the diffusion from the root surface to the xylem, including the endodermis as a layer with reduced diffusion coefficient.

Our new model includes the back diffusion of normal water from the xylem to the rest of the tissue. The back diffusion of  $D_2O$  from the xylem to the rest of the root tissue becomes significant when roots are partly immersed in D<sub>2</sub>O. In this case, normal water is transported into the segments of the xylem immersed in D<sub>2</sub>O. This normal water will diffuse through the root tissue, and the D<sub>2</sub>O concentration in the root will not converge to the concentration of D<sub>2</sub>O in soil. Additionally, in our new model, the axial transport of  $D_2O$ is fully solved. This allows estimating the profile of radial flux along the root length with a higher spatial resolution compared with the previous model. The previous model estimated the fluxes based on the average concentration of D<sub>2</sub>O in the root segment immersed in D<sub>2</sub>O and had a spatial resolution of around 5 cm.

To calculate  $j_{\rm R}(x)$ , we assumed that the diffusion coefficient of cortical cells and endodermis was constant during the day and night. Although this choice allows one to reduce the uncertainty in the parameter estimation, the validity of this assumption should be critically discussed. In fact, changes in aquaporin's activity in response to variations in the transpiration demand may alter the diffusion of D2O through the cell-to-cell pathway, the exchange of  $D_2O$  between the apoplastic and cell-to-cell pathways, and the fraction of water flow through the cell-to-cell pathway  $\lambda$ . In the case of an increased aquaporin activity during the day and a consequent increase in the diffusion coefficients, our approach would result in an overestimation of  $j_{\rm R}(x)$ . This is probably the most critical problem of our approach, and it is our priority to properly address it.

Our method and assumptions could be improved by three-dimensional imaging of  $D_2O$  transport in the root. A three-dimensional profile of  $D_2O$  concentration in roots might open new possibilities to estimate the relative importance of the apoplastic and cell-to-cell pathways. In our study, we derived the average concentration of  $D_2O$  across roots from two-dimensional radiography, and the model was employed to best fit the average concentration. However, an average concentration of  $D_2O$ in the root is obviously not sufficient to estimate the spatial distribution of  $D_2O$  across the root tissue. New advancements in neutron tomography imaging could also allow quantifying the diffusion coefficient of cortical cells along the root. To this end, tomography faster than 1 min would be required. While waiting for future advancements in neutron imaging, we can use our modeling approach to reconstruct the water transport through the entire root systems.

In conclusion, the significance of this study is the description of a new method to locally quantify the flow of water into living roots grown in soil. Thanks to this method, we can measure where roots take up water from soil. So far, we employed the method to study lupines growing in sandy, wet soils. As the soil dries, the hydraulic conductivity of roots and their rhizosphere is expected to decrease, affecting root water uptake. In these circumstances, the location of root water uptake may shift to different root segments, for instance to young and distal root segments covered with hydrated mucilage, as proposed by Carminati and Vetterlein (2013). This method would allow testing such a hypothesis. It would also be of high interest to employ the method to study water uptake in plants with contrasting root architectures and growing in different soil conditions. The measured water fluxes into the roots can be used to reconstruct the profile of axial and radial hydraulic conductivities as well as the xylem water potential along the root system, as done by Doussan et al. (1998). Hopefully, such information will help to identify the root traits that best increase the plant efficiency in taking up water from soil.

# MATERIALS AND METHODS

# **Experimental Setup**

Soil and plant preparation and image processing were described in detail by Zarebanadkouki et al. (2012, 2013). Lupine (Lupinus albus) was grown in 25-cmwide, 30-cm-high, and 1-cm-thick aluminum containers filled with a sandy soil. The soil was partitioned into 16 compartments using 1-cm layers of coarse sand as capillary barriers, which served to limit the diffusion of D2O in selected regions (Fig. 9). The measurements with neutron radiography were conducted when plants were 18 to 21 d old. The plants were regularly irrigated during growth. The soil water content in each compartment ranged from 0.1 to  $0.2 \text{ cm}^3 \text{ cm}^{-3}$  at the beginning of the neutron radiography experiment. We injected D<sub>2</sub>O in selected soil regions, and its transport into the roots was monitored for 2 h using time-series neutron radiography at the imaging station ICON at the Paul Scherrer Institute in Switzerland. The measurements were performed during the daytime when plants fully transpired and during the nighttime when transpiration was reduced. The sharp contrast between roots and the surrounding soil allowed us to distinguish and segment the roots from the soil. The segmented roots were skeletonized, and their lengths and diameters were calculated using the Euclidean distance. Neutron attenuation in the pixels containing roots was the sum of the attenuation coefficients of the roots and of the soil in front of and behind the roots in the beam direction (across soil thickness). The actual contributions of water and D<sub>2</sub>O in the roots were calculated assuming that the amounts of water and D2O in the soil in the front of and behind the roots were equal to those of the soil at the sides of the roots. We calculated the volumetric concentration of D2O in roots  $(C_r)$  and soil  $(C_0)$  as the thickness of D<sub>2</sub>O divided by the total liquid thickness in roots and soil, respectively. More details about the image processing are found in Zarebanadkouki et al. (2012).

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