

## CROSSTALK

### CrossTalk proposal: Diffusion limitation of O<sub>2</sub> from microvessels into muscle does contribute to the limitation of $\dot{V}_{O_2\max}$

Peter D. Wagner

Department of Medicine, Division of Physiology, University of California, San Diego, 9500 Gilman Drive, La Jolla, CA 92093-0623, USA

Email: pdwagner@ucsd.edu

At maximal oxygen uptake ( $\dot{V}_{O_2\max}$ ) we know that (1) muscle O<sub>2</sub> extraction is not 100%, yet (2) hyperoxia increases  $\dot{V}_{O_2\max}$ . The reason for (1) is diffusion limitation of O<sub>2</sub> from the muscle microvessels to the mitochondria. This does not exclude 'central' factors from also affecting  $\dot{V}_{O_2\max}$ , as will be explained.

Two simple, direct, published, and undisputed observations document the first point. They are that, when the inspired O<sub>2</sub> fraction ( $F_{IO_2}$ ) is acutely altered (in random order within a single day):

- (1)  $\dot{V}_{O_2\max}$  is higher in hyperoxia and lower in hypoxia, compared to room air (Welch, 1982, 1987; Knight *et al.* 1993).
- (2) Muscle venous blood still contains significant amounts of O<sub>2</sub> at  $\dot{V}_{O_2\max}$ , in hypoxia, normoxia and hyperoxia (Roca *et al.* 1989; Knight *et al.* 1993).

This shows unequivocally that the muscles are capable of using more O<sub>2</sub> in normoxia (or hypoxia) than they can extract, proving the existence of an extraction limit, contributing to  $\dot{V}_{O_2\max}$  limitation.

The extraction limit could result from any of three possibilities: (a) shunting of arterial blood around exercising muscle; (b) heterogeneity in the distribution of blood flow with respect to metabolic demand; (c) diffusion limitation of O<sub>2</sub> transport from microvessels to mitochondria.

While there may be minor contributions from the first two, diffusion limitation appears to be the major basis of limited extraction. The most compelling evidence comes from studies of isolated *in situ*, canine gastrocnemius muscle in which maximal contractions (and  $\dot{V}_{O_2}$ ) were produced by nerve stimulation, holding O<sub>2</sub> delivery into the muscle constant while one factor was varied – haemoglobin O<sub>2</sub> affinity defined by ( $P_{50}$ ) (Hogan *et al.* 1991; Richardson *et al.* 1998). Arterial [O<sub>2</sub>] and blood flow were kept constant (animals breathed 100% O<sub>2</sub>; muscle blood flow was pump-controlled). Hogan's study reduced  $P_{50}$  (to impair diffusive extraction by reducing microvascular  $P_{O_2}$ ); Richardson's study increased  $P_{50}$  (to enhance diffusive extraction by increasing microvascular  $P_{O_2}$ ). Importantly, neither shunting nor heterogeneity would alter extraction at constant O<sub>2</sub> delivery and blood flow, as only  $P_{50}$  is varied. As predicted,  $\dot{V}_{O_2\max}$  increased as  $P_{50}$  was raised, and fell when  $P_{50}$  was reduced. Moreover, the amount by which  $\dot{V}_{O_2\max}$  changed was predicted by the laws of diffusion from the concomitant changes in mean microvascular  $P_{O_2}$ :  $\dot{V}_{O_2\max}$  was proportional to mean microvascular  $P_{O_2}$ , a finding also noted in humans (Roca *et al.* 1989; Knight *et al.* 1993).

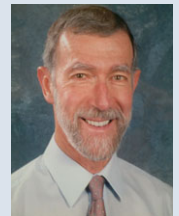
Additional evidence for diffusion limitation of O<sub>2</sub> between muscle microvessels and mitochondria comes from computational modelling (Groebbe & Thews, 1990), frozen myoglobin spectroscopy (Gayeski & Honig, 1988) and magnetic resonance spectroscopy (Richardson *et al.* 1995).

Scientific progress calls for not only supporting one's views with data, but also reconciling them with other views. The major difference with others' opinions is in understanding the role of cardiac output in limiting  $\dot{V}_{O_2\max}$ . That cardiac output contributes to  $\dot{V}_{O_2\max}$  limitation is not in

dispute. Pericardiectomy in dogs increases maximal cardiac output and  $\dot{V}_{O_2\max}$  (Stray-Gundersen *et al.* 1986). The Saltin group, comparing two-legged and one-legged cycling (Rowell *et al.* 1986), showed that specific  $\dot{V}_{O_2\max}$  is higher in one-legged than two-legged cycling, associated with higher specific muscle blood flow. Additionally, Powers *et al.* (1989) showed that pulmonary gas exchange inefficiency affected  $\dot{V}_{O_2\max}$ ; severe anaemia is also well known to reduce exercise capacity. That is exactly what would be expected of an in-series O<sub>2</sub> transport system – every step must play a role in affecting overall outcome ( $\dot{V}_{O_2\max}$ ).

Pro-cardiac-output-is-the-limiting-factor-advocates (PCOITLFA) cite the Fick principle (O<sub>2</sub> uptake = blood flow × arteriovenous [O<sub>2</sub>] difference) applied to elite athletes *versus* the rest of us. The main, undisputed, difference is in cardiac output (blood flow) and not in arteriovenous [O<sub>2</sub>] difference. Ergo, the PCOITLFA conclude that cardiac output, not extraction, explains the differences in  $\dot{V}_{O_2\max}$ . What the PCOITLFA forget is that if all else were similar between us, the elite athlete's higher cardiac output would shorten red cell transit time for O<sub>2</sub> unloading in the muscle microvessels. This would offset much of the benefit of higher blood flow by reducing diffusive O<sub>2</sub> unloading (Wagner, 1996). However, despite higher blood flow, athletes are able to extract higher amounts of O<sub>2</sub>: femoral venous  $P_{O_2}$  is usually lower than in the rest of us. This means that the athlete's diffusive conductance supporting O<sub>2</sub> movement from microvessels to mitochondria is greater than in the rest of us, allowing the maintenance of a large arteriovenous [O<sub>2</sub>] difference in the face of higher blood flow. But even so, elite athletes increase  $\dot{V}_{O_2\max}$  with added O<sub>2</sub>, which takes us back to the initial arguments of this article.

**Peter Wagner** is Distinguished Professor of Medicine and Bioengineering at the University of California, San Diego. His research addresses the theoretical and experimental basis of oxygen transport and its limitations in the lungs and skeletal muscles in health and disease. A particular focus is muscle capillary growth regulation using molecular biological approaches in integrated systems: the role of O<sub>2</sub>, microvascular haemodynamics, physical factors, nitric oxide and inflammatory mediators in transcriptional regulation of angiogenic growth factors. Of particular interest is the role of VEGF in both pulmonary and skeletal muscle structure and function.



The simplest way to understand how the  $O_2$  transport system works, with every step contributing to limiting  $\dot{V}_{O_2\max}$ , is graphically, using a diagram relating  $\dot{V}_{O_2}$  to muscle venous  $P_{O_2}$  on the basis of the two main transport equations involved. One underlies the previously mentioned Fick principle ( $O_2$  uptake = blood flow  $\times$  arteriovenous  $[O_2]$  difference), i.e.

$$\dot{V}_{O_2} = \dot{Q} \times (C_{aO_2} - C_{vO_2}) \quad (1)$$

And the second is the equation underlying the Fick law of diffusion:

$$\dot{V}_{O_2} = D_{MO_2} \times (P_{O_2\text{microvascular}} - P_{O_2\text{mitochondrial}}) \quad (2)$$

$D_{MO_2}$  is muscle  $O_2$  diffusional conductance,  $P_{O_2\text{microvascular}}$  is mean microvascular  $P_{O_2}$  within muscle, and  $P_{O_2\text{mitochondrial}}$  is mitochondrial  $P_{O_2}$ , which appears to be so low compared to  $P_{O_2\text{microvascular}}$  (Richardson *et al.* 1995) that it can here be neglected. Because  $P_{O_2\text{microvascular}}$  and muscle venous  $P_{O_2}$  rise and fall in proportion to one another (Roca *et al.* 1989), we can replace  $P_{O_2\text{microvascular}}$  by  $P_{vO_2}$ , the venous  $P_{O_2}$ , times a constant, say,  $k$ . With these approximations, eqn (2) may be re-written:

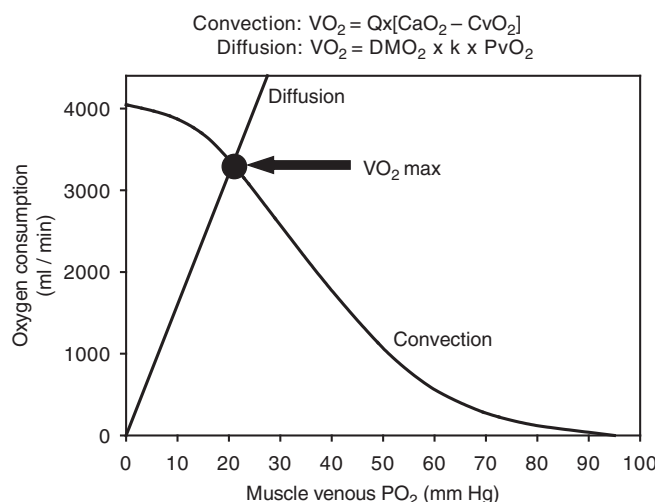
$$\dot{V}_{O_2} = D_{MO_2} \times k \times P_{vO_2} \quad (3)$$

Equations (1) and (3) embody the same undisputed law: conservation of  $O_2$  mass during its transport. As a consequence they

apply simultaneously: at their solution, both  $\dot{V}_{O_2}$  and  $P_{vO_2}$  must be the same in the two equations. Because they both relate  $\dot{V}_{O_2}$  to muscle venous  $O_2$  levels, they can be plotted on one diagram with  $\dot{V}_{O_2}$  on the ordinate and  $P_{vO_2}$  on the abscissa (Fig. 1, modified from Wagner, 1996). Their intersection point is the only point where conservation of mass exists – the same  $\dot{V}_{O_2}$  at the same  $P_{vO_2}$  – indicating the value of  $\dot{V}_{O_2\max}$  for the given values of  $\dot{Q}$ ,  $C_{aO_2}$  and  $D_{MO_2}$ . Change any one of these three, and the lines will shift, yielding a different intersection point (i.e. different  $\dot{V}_{O_2\max}$ ). Since  $\dot{Q}$  represents cardiac function,  $C_{aO_2}$  represents pulmonary gas exchange and blood [Hb], and  $D_{MO_2}$  represents muscle  $O_2$  diffusional properties, it is evident that all steps of the  $O_2$  pathway significantly impact  $\dot{V}_{O_2\max}$ . That is how an in-series system must work, and why muscle  $O_2$  diffusion limitation *does* contribute to limitation of  $\dot{V}_{O_2\max}$ .

### Call for comments

Readers are invited to give their views on this and the accompanying CrossTalk articles in this issue by submitting a brief (250 word) comment. Comments may be submitted up to 6 weeks after publication of the article, at which point the discussion will close and the CrossTalk authors will be invited to submit a 'Last Word'. Please email your comment, including a title and a declaration of interest to [jphysiol@physoc.org](mailto:jphysiol@physoc.org). Comments will be moderated and accepted comments will be published online only as



**Figure 1. Determinants of  $\dot{V}_{O_2\max}$**

Plot of  $O_2$  consumption ( $\dot{V}_{O_2}$ ) against muscle venous  $P_{O_2}$  showing the two conservation of mass equations describing convective flow of  $O_2$  into the muscle microcirculation (Fick principle), and subsequent diffusive flow of  $O_2$  from the microcirculation to the mitochondria (Fick law of diffusion). Conservation of mass occurs only at their point of intersection, indicating the value of  $\dot{V}_{O_2\max}$  when the independent variables  $\dot{Q}$ ,  $C_{aO_2}$  and  $D_{MO_2}$  are those at  $\dot{V}_{O_2\max}$  (modified from Wagner, 1996).

'supporting information' to the original debate articles once discussion has closed.

### References

- Gayeski TE & Honig CR (1988). Intracellular  $PO_2$  in long axis of individual fibers in working dog gracilis muscle. *Am J Physiol* **254**, H1179–H1186.
- Groebe K & Thews G (1990). Calculated intra- and extracellular gradients in heavily working red muscle. *Am J Physiol* **259**, H84–H92.
- Hogan MC, Bebout DE & Wagner PD (1991). Effect of increased Hb- $O_2$  affinity on  $VO_{2\max}$  at constant  $O_2$  delivery in dog muscle in situ. *J Appl Physiol* (1985) **70**, 2656–2662.
- Knight DR, Schaffartzik W, Poole DC, Hogan MC, Bebout DE & Wagner PD (1993). Effects of hyperoxia on maximal leg  $O_2$  supply and utilization in men. *J Appl Physiol* (1985) **75**, 2586–2594.
- Powers SK, Lawler J, Dempsey J, Dodd JA & Landry G (1989). Effects of incomplete pulmonary gas exchange on  $VO_2$  max. *J Appl Physiol* (1985) **66**, 2491–2495.
- Richardson RS, Noyszewski EA, Kendrick KF, Leigh JS & Wagner PD (1995). Myoglobin  $O_2$  desaturation during exercise: evidence of limited  $O_2$  transport. *J Clin Invest* **96**, 1916–1926.
- Richardson RS, Tagore K, Haseler L, Jordan M & Wagner PD (1998). Increased  $VO_{2\max}$  with a right shifted Hb- $O_2$  dissociation curve at a constant  $O_2$  delivery in dog muscle in situ. *J Appl Physiol* (1985) **84**, 995–1002.
- Roca J, Hogan MC, Story D, Bebout DE, Haab P, Gonzalez R, Ueno O & Wagner PD (1989). Evidence for tissue diffusion limitation of  $VO_{2\max}$  in normal humans. *J Appl Physiol* (1985) **67**, 291–299.
- Rowell LB, Saltin B, Kiens B & Christensen NJ (1986). Is peak quadriceps blood flow in humans even higher during exercise with hypoxemia? *Am J Physiol* **251**, H1038–H1044.
- Stray-Gundersen J, Musch TI, Haidet GC, Swain DP, Ordway GA & Mitchell JH (1986). The effect of pericardiectomy on maximal oxygen consumption and maximal cardiac output in untrained dogs. *Circ Res* **58**, 523–530.
- Wagner PD (1996). A theoretical analysis of factors determining  $VO_{2\max}$  at sea level and altitude. *Respir Physiol* **106**, 329–343.
- Welch HG (1982). Hyperoxia and human performance: a brief review. *Med Sci Sports Exerc* **14**, 253–262.
- Welch HG (1987). Effects of hypoxia and hyperoxia on human performance. *Exerc Sports Sci Rev* **15**, 191–221.

### Additional information

#### Competing interests

The author has no conflicts of interest associated with this manuscript.

#### Funding

Funding was provided by NIH HL091830.