

# Pressure-tuned quantum criticality in the antiferromagnetic Kondo semimetal CeNi<sub>2−δ</sub>As<sub>2</sub>

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The easily tuned balance among competing interactions in Kondolattice metals allows access to a zero-temperature, continuous transition between magnetically ordered and disordered phases, a quantum-critical point (QCP). Indeed, these highly correlated electron materials are prototypes for discovering and exploring quantumcritical states. Theoretical models proposed to account for the strange thermodynamic and electrical transport properties that emerge around the QCP of a Kondo lattice assume the presence of an indefinitely large number of itinerant charge carriers. Here, we report a systematic transport and thermodynamic investigation of the Kondo-lattice system CeNi<sub>2−δ</sub>As<sub>2</sub> ( $\delta \approx 0.28$ ) as its antiferromagnetic order is tuned by pressure and magnetic field to zero-temperature boundaries. These experiments show that the very small but finite carrier density of  $\sim$  0.032 e<sup>−</sup>/formular unit in CeNi<sub>2−δ</sub>As<sub>2</sub> leads to unexpected transport signatures of quantum criticality and the delayed development of a fully coherent Kondo-lattice state with decreasing temperature. The small carrier density and associated semimetallicity of this Kondo-lattice material favor an unconventional, localmoment type of quantum criticality and raises the specter of the Nozières exhaustion idea that an insufficient number of conduction-electron spins to separately screen local moments requires collective Kondo screening.

Kondo effect | quantum criticality | heavy Fermion | Nozières exhaustion | anomalous Hall effect

During the past decade or so, particular interest in Kondo-lattice systems has focused on those in which a moderate hybridization  $(J_f c)$  between magnetic f electrons and a sea of itinerant charge carriers allows their tuning by a nonthermal control parameter to a quantum-critical point (QCP) where non-Fermi-liquid (NFL) signatures appear in transport and thermodynamic properties (1). Although several models of quantum criticality have been proposed to account for various NFL properties  $(2, 3)$ , a common assumption of these models is that the material is metallic. In these metals, the magnetic order that is tuned toward zero temperature is either of a local-moment type derived from Ruderman–Kittel–Kasuya–Yosida (RKKY) interactions when  $J_{fc}$ is relatively weak or a spin-density-wave (SDW) instability of a large Fermi surface to which the delocalized 4f state contributes when  $J_f$  is stronger. An interesting question is what might be expected in a system with a very low carrier density and, additionally, how the low carrier density might influence the signatures of quantum criticality. A related issue is the nature of the magnetism that is being tuned in such a system. A low carrier density implies a dearth of conduction electrons and, consequently, a small Fermi wave vector. Under these circumstances SDW order is unlikely (but not impossible in principle); however, because the RKKY interaction depends on electrons near as well as deeper inside the Fermi sea (4), RKKY-mediated order is more favorable. Additionally, the cross-over from a low-temperature Fermi-liquid (FL) state to high-temperature local-moment state in a Kondo lattice can be slowed in the low carrier density limit, i.e., so-called protracted Kondo screening (5–7). New materials with tunable long-range magnetism and low carrier density are, therefore, of some interest.

At room temperature, CeNi<sub>2−δ</sub>As<sub>2</sub> ( $\delta \approx 0.28$ ) crystallizes in the well-known ThCr<sub>2</sub>Si<sub>2</sub>-type structure (I4/mmm, no. 139) but may undergo a very weak orthorhombic distortion at low temperature (8). Well below this possible orthorhombic distortion, Ce moments order antiferromagnetically at  $T_N \approx 5$  K ([Fig. S1](http://www.pnas.org/lookup/suppl/doi:10.1073/pnas.1509581112/-/DCSupplemental/pnas.201509581SI.pdf?targetid=nameddest=SF1)A) (8, 9), with the c axis being the magnetic easy axis. In the presence of an external magnetic field  $\bf{B} \parallel c$ , the ordered Ce moments undergo a weakly first-order spin–flop transition from an antiferromagnetic (AFM) ground state to a polarized paramagnetic state. A magnetic structure was proposed in ref. 8 but remains to be confirmed; nevertheless, the existence of a spin–flop transition below  $T_N$  suggests that the order is of a local-moment type, which is also consistent with a modest zero-temperature Sommerfeld coefficient of 65 mJ/mol $\cdot$ K<sup>2</sup> estimated by extrapolating the specific heat divided by temperature from above  $T_N$  (8). The magnetic entropy below  $T_N$  of ∼0.6R ln 2 indicates magnetic order in a crystalline electric field (CEF) doublet ground state and some f-c hybridization. Herein, we report the effects of hydrostatic pressure and applied magnetic field on the transport and thermodynamic properties of CeNi2−<sup>δ</sup>As2. At atmospheric pressure, a pronounced anomalous Hall effect (AHE) scales well to a magnetization anomaly at the spin–flop, and it provides a useful means to track the pressure dependence of magnetic order at low temperatures, whereas the normal Hall coefficient confirms a low carrier density in  $CeNi<sub>2−δ</sub>As<sub>2</sub>$ . The AFM order is suppressed gradually under pressure and vanishes at  $p_c = 2.7$  GPa, above which an FLlike  $T<sup>2</sup>$  resistivity develops. We discuss the possibility of a pressure-driven QCP in this low carrier density Kondo lattice and its relation to a field-induced  $T = 0$  boundary at  $B_c = 2.8$  T under atmospheric pressure.

#### **Significance**

An unconventional quantum-critical point involves a critical destruction of the Kondo entanglement and a reconstruction of Fermi surface topology. A description of such quantum criticality requires a broader experimental basis and a theoretical model that includes critical fermionic degrees of freedom. We provide a rare example of peculiar quantum-critical behavior in the low carrier density limit. Most significantly, the similarity between our CeNi<sub>2−δ</sub>As<sub>2</sub> and the well-known quantum-critical Kondolattice system CeCu6−xAu<sup>x</sup> indicates that a condition favorable for the unconventional quantum criticality is a "small" Fermi volume which disfavors the conventional Hertz–Millis-type spindensity-wave criticality. This insight provides new guidance for where new examples of unconventional quantum criticality could be found.

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## Results

The temperature-dependent resistivity  $\rho_{xx}(T)$  of CeNi<sub>2−δ</sub>As<sub>2</sub> under various pressures is plotted in Fig. 1A. At ambient pressure, the large  $\rho_{xx}(T)$  increases slowly with decreasing T, typical of semimetallic behavior, and there is a broad hump centered around 110 K. Such a broad hump in resistivity is ascribed to Kondo scattering on excited CEF levels. Below 50 K,  $\rho_{xx}(T)$  increases approximately logarithmically with decreasing  $T$ , characteristic of Kondo scattering in the CEF doublet ground state.  $\rho_{xx}(T)$  develops a sharp peak at  $T_N = 5.1$  K, indicative of the reduction of spin scattering due to the formation of long-range order of Ce moments. As a function of pressure, five prominent tendencies are apparent.  $(i)$  Overall, the magnitude of resistivity increases with pressure, except for a narrow pressure range around 3 GPa and at very low temperatures, isobaric curves do not cross. This is not typical of the pressure response of Ce-based Kondo-lattice metals.  $(ii)$  The hump due to CEF splitting tends to be smeared but its position changes only slightly. (iii) The sharp peak at  $T_N$  is suppressed by pressure and is hardly observable when p exceeds 1.1 GPa (Fig. 1B). (iv) With further increasing pressure, an "inflection" appears below 2 K and  $\rho_{xx}(T)$  turns up (Fig. 1C), signaling a further decrease in carrier concentration and/or an increase in scattering rate. Note that the evolution from peak to upturn seems continuous. Hall effect and ac heat capacity measurements, discussed below, indicate that in this pressure region Ce moments still order antiferromagnetically at low temperature.  $(v)$  For even higher pressure, the upturn in  $\rho_{xx}(T)$  is absent and FL-like behavior with  $\rho_{xx}(T)$  =  $\rho_0 + \Delta \rho = \rho_0 + AT^2$  is observed below a resistivity maximum at  $T_{coh}$ 

and typical of coherence in a Kondo lattice (data shown in Fig. 2B, *Inset* and [Fig. S2](http://www.pnas.org/lookup/suppl/doi:10.1073/pnas.1509581112/-/DCSupplemental/pnas.201509581SI.pdf?targetid=nameddest=SF2)). The fitted A coefficient for  $P = 3.80$  GPa is 0.302  $\mu\Omega \cdot \text{cm/K}^2$ . From the Kadowaki–Woods ratio for a Kramers doublet ground state  $(10, 11)$ , this A coefficient implies a Sommerfeld coefficient  $\gamma = 170 \text{ mJ/(mol} \cdot \text{K}^2)$ , a value nearly three times that at ambient pressure [ $\sim 65 \text{ mJ/(mol} \cdot \text{K}^2)$ ] (8). We also point out that the smaller cell volume, isostructural analog CeNi<sub>2</sub>  $P_2$ , is an intermediate valence compound (9). Our hydrostatic pressure experiment on  $CeNi<sub>2−δ</sub>As<sub>2</sub>$  is qualitatively consistent with a chemical pressure effect induced by P/As doping (12).

Fig. 2A and B summarizes the effect of pressure on the fielddependent Hall resistivity  $\rho_{yx}(B)$  at  $T = 0.3$  K. The exchange interaction among Ce moments serves as an "effective internal field" that produces an AHE in addition to the normal Hall effect induced by a Lorentz force. For example, in Fig. 2C we show  $\rho_{\alpha}(B)$  at  $T = 2$  K under ambient pressure. The step-like increase in  $\rho_{yx}(B)$  near  $B = 2.55$  T is reminiscent of the spin–flop transition (8) observed in isothermal magnetization  $M_c(B)$  plotted in Fig. 2C, Inset. Indeed, the  $\rho_{\text{vx}}(B)$  curve can be well fit to the relation (13, 14)

$$
\rho_{yx}(B) = R_H B + R_S \mu_0 M_c(B), \qquad [1]
$$

in which  $R_H$  is the normal Hall coefficient and the second term characterizes the AHE contribution. The best fit leads to  $R_H$  =  $-1.58 \times 10^{-8}$  m<sup>3</sup>/C, and  $R_s = 2.8 \times 10^{-6}$  m<sup>3</sup>/C. The critical field  $B_c$  for the spin–flop transition can therefore be defined from the peak in  $d\rho_{yx}/dB$  as depicted in Fig. 2D. Obviously,  $B_c$  moves to



Fig. 2. Pressure-dependent Hall effect measurements on CeNi<sub>2−δ</sub>As<sub>2</sub>. (A and B) Hall resistivity  $\rho_{yx}$  as a function of magnetic field at  $T = 0.3$  K. (C) Fit of  $\rho_{vx}(B)$  to Eq. 1. (Inset) Plot of isothermal magnetization at  $T = 2$  K with **B** c. (D) The derivative of  $\rho_{vx}(B)$ . The peak in  $d\rho_{vx}/dB$  defines the critical field of a spin–flop transition. (B, Inset) Local exponent  $n$  $= d(\ln \Delta \rho)/d(\ln T)$  (Left) and  $\rho_{xx}$  (Right) as functions of T for P = 3.8 GPa;  $T_{FL}$  and  $T_{coh}$  are defined as the temperatures where  $n = 1.8$  and 0, respectively.



Fig. 3. B-p-T phase diagram of CeNi<sub>2−δ</sub>As<sub>2</sub>. For clarity, we plot  $B_c(p)$  in the  $T = 0$  plane instead of the  $T = 0.3$  K plane where measurements were made.

lower fields as p increases and terminates near 2.7 GPa as shown in Fig. 3. Taking a single band approximation for simplicity (which is also the upper bound of a multiband interpretation), the large magnitude of  $R_H$  corresponds to a low carrier density  $n_c = 3.94 \times$  $10^{20}$  cm<sup>-3</sup>, i.e., there are only ~ 0.032 conduction electrons per formula unit, which corroborates the semimetallicity of  $\text{CeNi}_{2-\delta}\text{As}_{2}$ . The reason for such a low carrier density in  $CeNi<sub>2−δ</sub>As<sub>2</sub>$  is still unclear, but it is possible that Ni deficiency (8, 9) has shifted the Fermi level, leaving only a few carriers in the bottom of the renormalized conduction band. At pressures close to and well above 2.7 GPa, the transverse Hall resistivity remains nonlinear in field, reflecting the sum of skew scattering due to strong paramagnetism of Ce moments and a contribution from the normal Hall effect.

A global B-p-T phase diagram is plotted in Fig. 3. The field dependence of  $T_N$  at ambient pressure (on the B-T plane) is derived from combinations of  $\rho_{xx}(T)$  at fixed B and  $\rho_{ii}(B)$  at fixed T, whereas  $T_N(p)$  is determined from  $\rho_{xx}(T)$  and ac heat capacity measurements discussed below. The  $B-p$  boundary is defined from the pressure dependence of  $d\rho_{yx}/dB$ . At the zero-pressure critical field,  $B_c(0) = 2.8$  T, the T-linear specific heat is a maximum [ $\gamma_0 =$ 657 mJ/(mol · K<sup>2</sup>), as shown in Fig. 4A] and  $\rho_{xx}(T)$  increases as  $T^{1.53}$ , indicative of a state similar to that found at field-tuned quantum criticality in metamagnetic systems (15–18). [Fig. S3](http://www.pnas.org/lookup/suppl/doi:10.1073/pnas.1509581112/-/DCSupplemental/pnas.201509581SI.pdf?targetid=nameddest=SF3) provides more details. The  $B_c(p)$  line at 0.3 K is continuous and terminates in zero field at  $p_c = 2.7$  GPa, at which point  $T_{coh}(p)$ and  $T_{FL}(p)$ , defined by data such as plotted in Fig. 2B, Inset, approach the  $T = 0$  (0.3 K) plane. Combined with the recovery of FL-like behavior and the enhancement of quasi-particle effective mass,  $p_c$  defines a zero-field magnetic QCP. The question is, however, what is the nature of the two quantum criticalities, one in zero pressure at 2.8 T and the other in zero field at 2.7 GPa?

The presence of a spin–flop transition and the high magnetic anisotropy (8) at atmospheric pressure suggest that the magnetic order is of a local-moment type. On the other hand, this spin–flop transition, driven by a magnetic field, lacks spontaneous timereversal symmetry breaking at the critical field: before the system reaches an intrinsic paramagnetic state, the moments already have been polarized (Fig. 4A). And, moreover, considering the weakly first-order nature of this field-induced spin–flop transition even at the low temperature of 0.3 K [\(Fig. S1](http://www.pnas.org/lookup/suppl/doi:10.1073/pnas.1509581112/-/DCSupplemental/pnas.201509581SI.pdf?targetid=nameddest=SF1)C),  $B_c = 2.8$  T is probably very close to a QCP.

In the absence of magnetic field, the pressure-induced quantumphase transition at  $p_c = 2.7$  GPa should be a second-order QCP. To further address this, we show ac heat capacity data  $(C_{ac}/T)$  in Fig.  $4B$ . It is clearly seen that the  $\lambda$ -shaped peak corresponding to the AFM transition is gradually suppressed by pressure, and becomes undetectable at 2.72 GPa. We also note that  $C_{ac}/T$  at this pressure roughly obeys a  $-\log T$  law at low temperature, strongly demonstrating an NFL behavior with divergent Sommerfeld coefficient that is in contrast with the one induced by field at  $B_c = 2.8$  T (Fig. 4A and [Fig. S4\)](http://www.pnas.org/lookup/suppl/doi:10.1073/pnas.1509581112/-/DCSupplemental/pnas.201509581SI.pdf?targetid=nameddest=SF4).

## **Discussion**

The disparity between  $B$ - and  $p$ -induced quantum criticalities is reminiscent of  $CeCu<sub>6−x</sub>Au<sub>x</sub>$  in which Au doping induces localmoment–like antiferromagnetism for  $x > 0.1$  and non-SDW criticality, yet the field-induced critical behavior is characteristic of a 3D SDW QCP (19). In this regard, it is interesting that the nominally isoelectronic Au substitution for Cu results in a large reduction in carrier concentration, with  $n_c = -0.73$ /formular unit (f.u.) for  $x =$ 0 and  $+$  0.061/f.u. for  $x = 0.2$ , which is accompanied by a nearly fivefold increase in the low-temperature resistivity (20, 21). This change is not due to the emergence of AFM (20). An apparent dichotomy in the nature of the  $T = 0$  boundaries as a function of doping (or pressure) versus that of field in  $CeCu<sub>6-x</sub>Au<sub>x</sub>$  is found as well in  $CeNi_{2-\delta}As_2$ .

On the  $B_c(p)$  line connecting  $B_c$  and  $p_c$ , there is a slight bump beginning at 1.37 GPa where a bump also appears on the line of  $T_N(p)$ . This pressure also coincides with a change in the resistive signature for magnetic order (Fig. 1 B and C) where at 1.37 GPa  $\rho_{xx}(T)$ turns up through an inflection at  $T_{up}$  as it does in CeCu<sub>5.8</sub>Au<sub>0.2</sub> (19). In the case of  $CeCu<sub>5.8</sub>Au<sub>0.2</sub>$ , an upturn in resistivity at the AFM transition was attributed to current flow with a component along the ordering wave vector Q, whereas the resistivity turns down below  $T_N$  when current flow is perpendicular to Q (21, 22). This provides a possible explanation for the pressure-induced evolution of the resistive signature for AFM in CeNi<sub>2−δ</sub>As<sub>2</sub>, namely that



Fig. 4. (A) Atmospheric pressure specific heat of CeNi<sub>2−δ</sub>As<sub>2</sub> under various magnetic fields, with  $B \parallel c$ . (B) Temperature-dependent ac heat capacity under pressure; the arrows mark the positions of the AFM transitions.

a modest pressure induces a change in ordering wave vector for  $p > 1.37$  GPa. By measuring magnetoresistivity in the configurations of **B**  $\parallel$  c and **B**  $\parallel$  ab [\(Fig. S5](http://www.pnas.org/lookup/suppl/doi:10.1073/pnas.1509581112/-/DCSupplemental/pnas.201509581SI.pdf?targetid=nameddest=SF5)), we indeed find evidence for a magnetic order change from the c axis being the easy axis at low pressures to the ab plane being an easy plane at moderate pressures. Whether Q also changes simultaneously with pressure needs to be clarified in the future by microscopic techniques. This signature for AFM order persists to 2.02 GPa, above which  $\rho_{xx}(T)$  evolves smoothly from above to below  $T_{up}$  (Fig. 1C). [Fig. S2](http://www.pnas.org/lookup/suppl/doi:10.1073/pnas.1509581112/-/DCSupplemental/pnas.201509581SI.pdf?targetid=nameddest=SF2)A provides a closer look of resistivity upturn in this pressure region. An extrapolation of  $T_{up}(p)$ for  $p \le 2.02$  GPa to  $T = 0$  intersects the pressure axis at  $p_c$  (Fig. 3), providing additional evidence for a pressure-tuned QCP at  $p_c$ . Nevertheless, above 2.02 GPa,  $T_{up}(p)$  deviates from this extrapolation and forms an extra dome ranging from 2.02 to 3.51 GPa that we interpret to be a consequence of the low carrier concentration (see below). In this pressure range  $T_{up}(p)$  is not a thermodynamic phase boundary.

Pressure, in general, promotes f-c hybridization in Ce-Kondo lattices and eventually suppresses AFM order as Kondo compensation of Ce moments begins to dominate. In CeNi<sub>2−δ</sub>As<sub>2</sub>, pressure also appears to reduce the low carrier density even further, as witnessed by an overall increase in  $\rho_{xx}(T,p)$  and the variation in  $\rho_{yx}(B, p)$ , and this counters the tendency for stronger hybridization by decreasing the Kondo-impurity temperature scale and, even more dramatically, the Kondo-lattice temperature scale below which a heavy Fermi liquid develops (23). A result of this protracted Kondo screening, which is related to the Nozières exhaustion idea that insufficient conduction states are available to screen all of the moments in a Kondo lattice (24), is the stabilization of RKKY-driven AFM order (23), which could include a change in ordering wave vector and provide a reasonable interpretation of the origin of a bump in  $T_N(p)$  and  $B_c(p)$ lines near 1.37 GPa. This concept of protracted screening also provides an appropriate explanation for the deviation of  $T_{up}(p)$ from an extrapolation above 2.02 GPa. In this pressure regime,  $T_{up}(p)$  reflects the temperature below which already strong scattering in the incoherent Kondo lattice is enhanced by the proliferation of magnetic fluctuations emerging from the projected QCP at  $p_c$  established by specific heat measurements. The evolution of conventional resistive signatures of quantum criticality is masked by this scattering. At pressures sufficiently above  $p_c$ , signatures of a coherent Kondo lattice  $(T_{coh}$  and  $T_{FL}$ ) begin to appear, signaling that Kondo hybridization finally has overcome the counter tendency due to a reduced carrier density.

We cannot discount the possible role of Ni deficiencies and the associated disorder-induced Griffiths-phase singularities, but clearly Kondo physics in a low carrier system is primarily responsible for the  $B-p-T$  phase diagram of CeNi<sub>2−δ</sub>As<sub>2</sub>. We note that the specific heat anomaly at  $T_N$  is quite sharp (Fig. 4A), demonstrating a well-defined second-order phase transition, and that the deficiencies reside in the Ni–As conduction layer whereas the Ce sublattice is free of deficiency. Assuming a spherical Fermi surface topology for simplicity and using the carrier density  $n_c = 3.94 \times$ 10<sup>20</sup> cm<sup>-3</sup>, residual resistivity  $ρ_0 = 125 μΩ$  cm, and Sommerfeld coefficient  $\gamma = 65$  mJ/mol  $\cdot$ K<sup>2</sup> at atmospheric pressure, we estimate a Fermi wave vector  $k_F = 0.227 \text{ Å}^{-1}$ , effective mass  $m^* =$ 55  $m_0$ , and mean-free path  $l = 189$  Å. Although this mean-free path is shorter than in very clean heavy-Fermion compounds, it is much longer than the average separation between Ni-site vacancies  $(2a \approx 8 \text{ Å})$ , suggesting that potential scattering by Ni deficiencies does not dominate the magnitude of the resistivity. In CeNi<sub>2−δ</sub>As<sub>2</sub>, the RKKY-driven AFM order of Ce moments, partially compensated by protracted Kondo screening, can be tuned by field or pressure to zero-temperature boundaries. Complications of competing pressure-enhanced hybridization and reduced carrier concentration prevent identification of the precise nature of criticality at  $p_c$ . Nonetheless, the emergence of a signature for Kondo coherence from  $p_c$  and a  $-\log T$  dependence of  $C_{ac}/T$  at  $p_c$ suggest a condition unfavorable to SDW criticality but consistent with a local-moment type of criticality (2, 3, 12). A measure of the Fermi surface evolution around  $p_c$  would be instructive.

## Conclusion

To summarize, we have mapped out the global  $B-p$ -T phase diagram of the low carrier density AFM Kondo semimetal CeNi<sub>2−δ</sub>As<sub>2</sub> by transport and thermodynamic measurements. There are two  $T = 0$ boundaries on this phase diagram, one induced by magnetic field and the other by pressure. The field-tuned boundary at  $B_c = 2.8$  T, of weakly first-order nature, is probably very close to a  $T = 0$  QCP of some type, whereas the pressure-tuned QCP at  $p_c = 2.7$  GPa is accompanied by the development of Kondo coherence and divergent quasi-particle effective mass, and thus points to an unconventional QCP. The competition between low carrier density and pressure-enhanced Kondo hybridization plays an important role in the evolution of Néel order and signatures of criticality. CeNi<sub>2−δ</sub>As<sub>2</sub> provides an interesting paradigm of quantum criticality in the limit of low carrier density, evoking the need for a reexamination of the Nozières exhaustion problem and its possible consequences for quantum criticality.

## Materials and Methods

Millimeter-sized single crystals of ThCr<sub>2</sub>Si<sub>2</sub>-type CeNi<sub>2−δ</sub>As<sub>2</sub> were synthesized by a NaAs-flux method as described elsewhere (8). Rietveld analysis of X-ray spectra obtained on powdered single crystals confirms the I4/mmm structure and indicates that the Ni site occupancy is 0.856, close to the result of 0.86 obtained from energy-dispersive X-ray microanalysis measurements. Electrical transport measurements were made on two samples (denoted by S1 and S2) as functions of pressure and field. S1 was pressurized in an indenter-type cell up to 3.80 GPa in the configuration  $B \parallel c$ , whereas measurements on S2 were performed in a piston-clamp cell up to 2.65 GPa with B perpendicular to c. Data on both samples agree quantitatively. Ohmic contacts were made in a Hall-bar geometry, and in-plane electrical resistivity  $(\varphi_{xx})$  and Hall resistivity  $(\varphi_{xx}, S1$  only) down to 0.3 K were measured by an LR-700 ac resistance bridge. Heat capacity of CeNi<sub>2−δ</sub>As<sub>2</sub> under pressure (up to 2.72 GPa) was measured by an ac calorimetric method. For all these measurements, Daphne oil 7474 was used as a pressure-transmitting medium, and the pressure was determined by measuring the superconducting transition of Pb.

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