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# Experimental realization of deep-subwavelength confinement in dielectric optical resonators

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The ability to highly localize light with strong electric field enhancement is critical for enabling higher-efficiency solar cells, light sources, and modulators. While deep-subwavelength modes can be realized with plasmonic resonators, large losses in these metal structures preclude most practical applications. We developed an alternative approach to achieving subwavelength localization of the electric and displacement fields that is not accompanied by inhibitive losses. We experimentally demonstrate a dielectric bowtie photonic crystal structure that supports mode volumes commensurate with plasmonic elements and quality factors that reveal ultralow losses. Our approach opens the door to the extremely strong light-matter interaction regime with, simultaneously incorporating both an ultralow mode volume and an ultrahigh quality factor, that had remained elusive in optical resonators.

## **INTRODUCTION**

Light-matter interaction in an optical resonator is enhanced through two confinement mechanisms: (i) temporal confinement, which is the photon cavity lifetime and is characterized by the quality factor (Q), and (ii) spatial confinement, which is the ability to localize light into a tightly confined space and is characterized by the modal volume ( $V<sub>m</sub>$ ). Here, the traditional definition of mode volume  $(V_m)$  is considered using Eq. 1 (where E is the electric field and  $\varepsilon$  is the permittivity), which is most strongly scaled by peak electric field energy and is most relevant for applications relying on Purcell enhancement and strongly enhanced nonlinear optical processes

$$
V_{\rm m} = \frac{\int \varepsilon E^2 dV}{\max(\varepsilon E^2)}\tag{1}
$$

Simultaneously achieving high confinement in both categories has been a long-time pursuit in nanophotonics research and holds the promise for revolutionary advances in generating, modulating, and detecting light, including higher-efficiency light sources  $(1-4)$ and solar cells (5–8), as well as faster and lower power consumption optical switches and modulators (9–13). Plasmonic and metal-based metamaterial structures are capable of concentrating light into deepsubwavelength volumes [that is, mode volume =  $V_m \sim 10^{-3} (\lambda/n_{air})^3$ ] by accessing a surface plasmon resonance (6, 14, 15). However, resistive heating losses lead to poor temporal confinement (that is, quality factor =  $Q \sim 10$ ) and prohibit the realization of practical devices that require propagation of energy (16). Recent work replacing metals with all-dielectric materials has led to encouraging progress for enhanced spatial light localization through scattering in high-index dielectric nanoparticles, but the lack of an intrinsic confinement mechanism within these dielectric structures has prevented light concentration on par with plasmonics. Furthermore, the scattering mechanism in these

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subwavelength dielectric nanoparticles is incapable of providing temporal confinement (17–19).

Historically, low-loss dielectric structures, such as interferometers and ring resonators, have been the building blocks of photonic technologies, but they are diffraction-limited and are therefore unable to focus light below  $\lambda/2n_d$ , where  $n_d$  is the refractive index of the dielectric material in which the optical mode is confined. Photonic crystals have provided the best confinement in lossless dielectric materials to date (20). Typical photonic crystals use a simple unit cell geometry—circles or rectangles (21–23)—and have a  $V_m \sim 1$  ( $\lambda/n_d$ )<sup>3</sup>. Slotted photonic crystal cavities can further squeeze light into a nanoscale low-index region by designing an abrupt index discontinuity along the electric field polarization direction. Slotted photonic crystal cavities reduce the  $V<sub>m</sub>$  to ~0.01  $(\lambda/n_{\text{air}})^3$ , almost two orders of magnitude lower than traditional photonic crystal cavities (24, 25). However, it is difficult to achieve deeper subwavelength confinement via a slot configuration alone. In addition, because slotted photonic structures inherently confine cavity modes within a low-index region, they are not suitable for applications requiring strong light-matter interaction in high-index materials, such as silicon or many highly nonlinear optical materials.

While spatial localization of photons typically occurs due to a single physical mechanism, such as total internal reflection in waveguides and photonic bandgap confinement in photonic crystals, it is apparent from previous work that a second level of spatial localization is possible (6, 15, 24–26). In the case of slotted photonic crystal waveguides, light is first confined in the dielectric mode by the photonic bandgap effect such that light is spatially localized in the dielectric region between the lattice holes. Then, introduction of an air slot that cuts through the dielectric region further localizes the light within this air slot due to electromagnetic boundary conditions. Our previously reported theoretical study suggests that this two-step light confinement effect can be best exploited to achieve low mode volume by using subwavelength modifications of the photonic crystal lattice holes rather than the dielectric region between lattice holes (26). In that study, light is first confined in the air mode by the photonic bandgap effect such that light is spatially localized inside the lattice air holes. Then, a bowtieshaped subwavelength dielectric inclusion added to the lattice holes enables redistribution of the optical mode to the tips of the bowtie as a result of electromagnetic boundary conditions. The two-step light localization process in photonic crystals preserves the high-Q nature of the photonic crystal cavity. A later theoretical study also found that a

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bowtie-shaped subwavelength dielectric inclusion in the center of a slotted photonic crystal nanobeam with a 1-nm air gap between the bowtie tips enables extremely high  $Q/V<sub>m</sub>$  values (27). Here, we introduce design improvements to bowtie-shaped photonic crystal unit cells that enable additional mode confinement in the out-of-plane direction accompanied by a commensurate increase in the peak electric field strength, and we experimentally demonstrate a bowtie photonic crystal cavity with a loaded Q factor on the order of  $10<sup>5</sup>$  and record deepsubwavelength mode confinement in silicon  $[V_m \sim 10^{-3} (\lambda/n_{Si})^3]$ that is verified by optical near-field measurements. This extreme light concentration is on par with plasmonic resonators, yet the low-loss dielectric material allows a concurrent ultrahigh Q factor (26).

### RESULTS

#### Bowtie photonic crystal cavity design

To achieve improved out-of-plane modal confinement in the bowtie unit cell compared to our previous design of a bowtie photonic crystal, a thickness modulation is added in the bowtie tip region to form a v-groove cross-sectional profile that is experimentally realizable. Figure 1 compares the energy distribution in the v-groove bowtie unit cell to a traditional circular unit cell with and without an air slot. The extreme light localization at the bowtie tips leads to an 80-fold increase in the peak electric field amplitude compared to the circular unit cell and an eightfold increase compared to the slotted unit cell.

A silicon photonic crystal cavity is designed using the bowtie-shaped unit cell with the v-groove by slowly varying the radius of the unit cell, as shown in Fig. 2A. Because the dielectric bowtie element is inside the envelope of a traditional air hole, the photonic crystal is designed to confine the air mode such that light is localized into the air hole region





and then further localized to the tips of the dielectric bowtie within the air hole region. The band diagram in Fig. 2B shows that the air mode of the bowtie photonic crystal cavity unit cell lies within the mode gap of the mirror unit cells, providing the requisite confinement for the cavity mode. The wavelength of the cavity air mode is approximately 1570 nm at the band edge  $[k_x = 0.5(2\pi/a)]$ . As is the case for all one-dimensional (1D) photonic crystal cavities, the Q factor of the bowtie photonic crystal cavity is governed in large part by the band gap tapering from the cavity to mirror unit cells. We choose to transition between the center and mirror unit cells in a quadratic fashion, similar to the approach followed in other high-Q photonic crystal designs (21–23).

Figure 2 (C and D) shows the top and side view profiles of the optical mode in the center cavity unit cell, and the electric energy (proportional to  $\epsilon E^2$ ) across the bowtie photonic crystal cavity is shown in Fig. 2 (E and F) and fig. S2 (A and B). We note that, because the dimensions of the bowtie photonic crystal are the same for all simulations, the electric energy is directly proportional to electric energy density. In this simulation, there are 20 tapering unit cells between the central cavity unit cell and the 10 mirror unit cells on each side of the cavity; not all unit cells are shown in the figures. The mode is highly confined between the bowtie tips in the central cavity unit cell (fig. S2, C and D) and decays gradually into the mirror segments, giving a Gaussian-shaped electric energy profile that minimizes radiation losses (fig. S2E). At the resonance wavelength of  $\lambda$  = 1561.12 nm, the simulated Q factor is  $6.55 \times 10^6$ . The  $V_m$  is calculated to be 6.09  $\times$  10<sup>-4</sup> µm<sup>3</sup> using Eq. 1. Given the small dimensions of the bowtie tip, the mode extends partially in air and partially in silicon. Hence, the normalized mode volume should fall between that of the mode volume normalized to the wavelength in silicon  $[V_m = 6.7 \times$  $10^{-3}$  ( $\lambda/n_{\text{Si}}$ )<sup>3</sup>] and the mode volume normalized to the wavelength in air  $[V_{\text{m}} = 1.6 \times 10^{-4} (\lambda/n_{\text{air}})^3]$ . This mode volume is about two orders of magnitude smaller than those of other photonic crystal cavities, as shown in table S1 (22–24, 28, 29).

## Fabricated bowtie photonic crystal cavity and measured Q factor

Figure 3A shows a scanning electronic microscope (SEM) image of the fabricated bowtie photonic crystal with 20 tapering unit cells and 10 mirror unit cells on each side of the central cavity unit cell. The width of the bowtie tip connection is estimated to be approximately 12 nm (Fig. 3B). Given that there are only a few pixels comprising the bowtie tip, this value has a relatively large error bar of  $\pm$ 5 nm. The bowtie angle is estimated to be approximately 57°. The radii of center and mirror unit cells are measured to be 147 and 190 nm, respectively. The width of waveguide is measured to be 691 nm. Figure 3C shows a titled SEM image that reveals the v-shaped structure at the bowtie tip; the unit cells shown in this image are from a photonic crystal fabricated by the same process as the one in Fig. 3A but released from the oxide substrate using a buffered hydrofluoric acid etch. Transmission measurements carried out on the bowtie photonic crystal show that the fundamental mode at  $\lambda_r = 1578.85$  nm has a loaded Q of approximately  $1 \times 10^5$  (Fig. 3D). The modes supported by the photonic crystal are located near the short wavelength band edge (~1520 nm), which is consistent with design (Figs. 2B and 3D). The transmission intensity of the resonance peaks is low compared to that of the band edge (fig. S3) due to the high mirror confinement in the cavity. We anticipate that higher Q resonances can be designed and measured by using alternate coupling techniques



Fig. 2. Design of silicon photonic crystal using a bowtie-shaped unit cell. (A) The cavity is formed with a center unit cell of 180 nm radius and mirror unit cells of 187 nm radii on both sides of the cavity. The radius is gradually tapered from the center to the mirror segments. The photonic crystal lattice spacing is  $a = 450$  nm, and the width of the wavequide is 700 nm. The structure is designed with a 220-nm silicon device layer and a 2-µm-thick buried oxide layer. (B) Optical band structures of the cavity unit cell (red curve) and mirror unit cell (blue curve). (C) Top view (xy plane) and (D) cross-sectional view (yz plane) schematics and associated air band edge electrical energy in the center unit cell. (E) Log plot of the photonic crystal cavity electric energy distribution at the resonance wavelength in the xy plane at  $z = 0$  (v-groove tip). (F) Log plot of the photonic crystal cavity electric energy distribution at the resonance wavelength in the  $xz$  plane at  $y = 0$  (bowtie tip). Figure S2 (A and B) shows the same mode profiles using a linear scale.



Fig. 3. Transmission of fabricated bowtie photonic crystal. (A) SEM image of the bowtie photonic crystal. (B) Zoomed-in image of a single unit cell in the red box in (A). (C) Tilted SEM image of an undercut bowtie photonic crystal revealing the out-of-plane profile. (D) Measured transmission spectrum. The fundamental mode has Q ~ 100,000 at  $\lambda$  = 1578.85 nm. The second-order and third-order peaks are located at 1562.20 and 1546.96 nm, with Q factors of 21,800 and 5156, respectively. a.u., arbitrary units.

that allow light to be coupled directly into the cavity instead of first passing through the mirror unit cells (for example, side coupling or evanescent coupling from a fiber).

## Near-field measurements

To experimentally verify the simulated optical field distribution of the bowtie photonic crystal resonators, we used apertureless nearfield scanning optical microscopy (NSOM) to probe the resonance mode. Considering the practical constraints of the NSOM system, the structure shown in Fig. 3 is not ideal for NSOM measurements due to the narrow resonance linewidth  $(-15 \text{ pm})$  and low transmission intensity  $(\sim 0.04)$ . Accordingly, a bowtie photonic crystal is designed and fabricated with reduced mirror confinement (five mirror unit cells on each side of the cavity) to increase both the linewidth  $(-50 \text{ pm})$  and transmission intensity  $(-0.2)$ , as shown in fig. S4. Because the mode is tightly confined in the cavity, the mode volume is not changed by reducing the number of mirror unit cells ( $V<sub>m</sub> = 6.09 \times 10^{-4} \mu m<sup>3</sup>$ for five mirror unit cells). Consequently, conclusions drawn from NSOM measurements on the five-mirror unit cell bowtie photonic crystal are also applicable to the higher Q cavities with additional mirror unit cells. The NSOM operates in a tapping mode in which the tip oscillates from 0 to 30 nm above the sample surface. Therefore, the near field measured by the NSOM does not directly correspond to the calculated mode volume within the bowtie (Fig. 2E). To correlate experiment and simulation, we simulate the electric energy localization in the central unit cell of bowtie photonic crystal at 15 nm above the silicon surface as an estimate of the expected average scattering field that can be detected by the NSOM (Fig. 4A). The calculated size of the electric energy localization, which is estimated by the full width at half maximum (FWHM) of the electric energy distribution in the unit cell, linearly increases from the center of the silicon slab (fig. S5) and is estimated to be ~183 nm along the  $y$  direction and 143 nm along the  $x$  direction at a distance of 15 nm above the silicon surface. Figure 4 (B and C) shows the atomic force microscope (AFM) topology and simultaneously

measured optical near-field mapping of the bowtie photonic crystal cavity, respectively. The shape of the bowties shown in Fig. 4B is distorted due to the resolution limit of the AFM mode of the NSOM when measuring bowtie features that reside below the surface of the sample using a tapping mode above the surface of the sample. The SEM image shown in the inset of Fig. 4B reveals the actual shape of one of the bowtie unit cells in this sample. The measured electric energy (Fig. 4C) is confined at the bowtie tips, in agreement with the simulated electric energy (Fig. 4A) distribution in the cavity. Figure 4 (D and E) shows the measured electric energy profiles along  $x$  and  $y$  slices of the central unit cell. We identify the silicon region as the shaded area in Fig. 4 (D and E), based on AFM measurements (Fig. 4, D and E, dotted line). The simulated electric energy profiles are shown by the blue curves in Fig. 4 (D and E). The NSOM-measured profile (red markers) along the  $y$  slice through the center of the cavity shows a sharp tip of the field at the bowtie center, indicating a concentrated electric energy. The size is estimated to be ~175 nm by considering the FWHM of the electric energy distribution in the central cavity unit cell, which is in agreement with simulation. The NSOM-measured field profile along the  $x$  slice through the center of the cavity has an FWHM of  $\sim$ 267 nm. We attribute



Fig. 4. Analysis of spatial confinement via NSOM measurements. (A) Schematic of bowtie photonic crystal cavity with overlay of simulated electric energy 15 nm above the silicon surface, where the NSOM measures the scattered field. (B) AFM measurement and (C) corresponding electric energy distribution, as measured by NSOM. The inset in (B) shows a higher-resolution SEM image of one of the bowtie unit cells from the measured cavity. (D and E) Simulated and NSOM-measured nearfield profile along the y direction and x direction, respectively, along with superimposed AFM line scan.

the discrepancy between the experimental and simulation results to a combination of the influence of the NSOM tip itself on the electric energy distribution and to the fact that NSOM preferably detects the  $E<sub>z</sub>$  signal, while the photonic crystal is designed for transverse electric (TE)–polarized light (that is, mainly  $E_y$  component). We note that the measured dimensions of the electric energy localization along the  $x$  and  $y$  directions of the bowtie photonic crystal are within a factor of 2 of those of plasmonic resonators measured using NSOM systems, as shown in table S2 (14, 30, 31). Moreover, although the field distribution for the bowtie photonic crystal and plasmonic bowties is different, the calculated mode volume, which, in the case of the photonic crystal, spans multiple unit cells, is nearly identical.

### **DISCUSSION**

Our work demonstrates that a dielectric resonator can serve as a promising alternative to lossy metals for extreme light concentration and manipulation. Further optimization of the design and fabrication parameters may lead to bowtie photonic crystals with an even higher Q/  $V<sub>m</sub>$  ratio. We believe that our work provides two specific contributions for future research. First, it showcases the power of combining subwavelength dielectric structure with photonic band theory. Engineering the photonic bandgap overcomes the challenges encountered while confining optical modes in nanoscatterers, enabling the design of nanoscatterers that are able to precisely adjust the optical mode distributions at subwavelength scales. Second, we prove that it is possible in a single, low-loss structure to achieve a mode volume commensurate with plasmonic elements while maintaining a quality factor that is characteristic of traditional photonic crystal cavities. Such an unprecedented strong light-matter interaction platform can facilitate the advancement of science in a broad range of applications, including low-power optoelectronics  $(1, 3, 4, 9-12)$ , nonlinear optics  $(6, 13, 20)$ , and quantum optics (32, 33).

#### MATERIALS AND METHODS

#### Finite-difference time-domain simulations

The numerical simulations presented in this study were carried out with three-dimensional finite-difference time-domain (FDTD) analysis using commercial software, Lumerical FDTD (Lumerical Solutions Inc.). The band structures and mode profiles of the unit cells in Fig. 2 were calculated using FDTD. The center  $xy$  plane of the silicon slab was defined as the  $z = 0$  plane, and the bowtie tip of the central unit cell was defined as the origin point  $x = 0$ ,  $y = 0$  in the paper. The photonic crystal lattice spacing is  $a = 450$  nm, and the width of the waveguide is 700 nm. The radius of the center unit cell is 150 nm, and the radii of the mirror unit cells are 187 nm. The bowtie tip angle is designed to be 60°. The out-of-plane height of the bowtie tip center is defined to be half of the thickness of the silicon slab to be consistent with the dimensions of the fabricated structures. The bowtie height is linearly tapered over an in-plane distance equal to 75 nm such that the vertical angle is 34° (see Figs. 2D and 3C). The mesh size within the photonic crystal lattice holes was chosen to be a uniform 4 nm per grid, while the remainder of the simulation space is meshed by the Lumerical default conformal mesh. For the cavity simulation, symmetric boundary conditions were applied along the  $x$  direction, and antisymmetric boundary conditions were applied along the  $y$  direction to reduce the calculation time. The source was defined as a magnetic dipole  $H_z$  at the (225 nm, 0 nm, 0 nm) coordinate.

## Photonic crystal design

The photonic crystal tapering follows the quadratic tapering

$$
r_i = r_0 \left( 1 + \left( \frac{i}{m} \right)^2 \right) \tag{2}
$$

where

$$
m = \frac{N_c}{\sqrt{\frac{r_m}{r_0} - 1}}\tag{3}
$$

In the above expressions,  $r_0$  and  $r_m$  are the radii of the cavity and mirror unit cells, respectively, and  $N_c$  is the number of taper unit cells on each side of the cavity. In our design,  $r_0 = 150$  nm,  $r_m = 187$  nm,  $N_c = 20$ , and there are 10 mirror unit cells on each side of the cavity. Transmission measurements become challenging for a larger number of taper unit cells or larger number of mirror unit cells as the intensity of the fundamental mode approaches the noise floor.

#### Fabrication

The photonic crystals were fabricated on 8-inch silicon-on-insulator wafers with a 220-nm device layer and 2-µm-thick buried oxide layer (Soitec) using an electron beam lithography process on a Leica VB6-HR 100kV system. We note that, to obtain the v-groove shape at the bowtie tip, a dose gradient was manually assigned to create a grayscale height profile in the electron beam photoresist. After patterns were transferred to the device layer through a reactive ion etch process, a second lithography step was carried out to define an SU8 polymer mode coupler. The SU8 coupler was designed to be  $3 \mu m$  wide and  $2 \mu m$  thick to match the optical mode of the lensed fiber tip.

To attain a high-resolution SEM image of the v-groove at the bowtie tip center, an undercut process was performed to remove the buried oxide layer on one of the bowtie photonic crystal samples. For the undercut procedure, an additional lithography step was carried out to open a window for the undercut region. The sample was soaked in buffered oxide etchant  $(10:1)$  for 20 min to etch away approximately 1  $\mu$ m of the buried oxide layer.

#### Measurements

In preparation for optical measurements, samples were cleaved across each end of the bus waveguide, several millimeters away from the central device, and mounted on an XY positioning stage. Piezo-controlled XYZ stages were used to position and couple light to/from polarizationmaintaining lensed fibers (OZ Optics Ltd.). A tunable continuous-wave laser (Santec TSL-510) was used to perform passive transmission measurements, using quasi-TE polarization, over the wavelength range of 1500 to 1630 nm.

For the optical near-field measurements, a high-quality etched silicon AFM probe (Bruker TESPA-V2) with a nominal tip radius of 8 nm was put in intermittent contact at a frequency  $f_0$  near the surface of the samples. The changes in the in-line transmission measurements due to the intermittent perturbation of the optical mode by the AFM probe were recorded with a near-infrared high-sensitivity avalanche photodetector (APD module Hamamatsu C5460SPL) and demodulated with a lock-in amplifier locked at a frequency  $f_0$ . The transmitted signal is related to the amplitude squared of the local electric near field

normalized to the power carried by the optical mode. An optical image is constructed based on the demodulated in-line transmission measurements as the AFM probe raster scans the sample (scan direction is  $x$  direction) at an average distance of 15 nm from its surface. A topography image was recorded simultaneously to the optical near-field image. A tunable continuous wave laser (Photonetics Tunics ECL 1560) was used to perform the in-line transmission measurements, using quasi-TE polarization, over the wavelength range of 1500 to 1630 nm.

## SUPPLEMENTARY MATERIALS

Supplementary material for this article is available at [http://advances.sciencemag.org/cgi/](http://advances.sciencemag.org/cgi/content/full/4/8/eaat2355/DC1) [content/full/4/8/eaat2355/DC1](http://advances.sciencemag.org/cgi/content/full/4/8/eaat2355/DC1)

Fig. S1. Design of photonic crystal cavity in an FDTD simulation.

Fig. S2. Resonance mode profile.

Fig. S3. Broadband transmission spectrum of bowtie photonic crystal cavity shown in Fig. 3D. Fig. S4. SEM image and transmission of the bowtie photonic crystal cavity characterized by NSOM.

Fig. S5. Position-dependent electric energy distribution in the central cavity unit cell of the silicon bowtie photonic crystal.

Table S1. Calculated mode volume  $(V_m)$  and measured quality factor (Q) of different photonic crystal (PhC) cavities including the bowtie photonic crystal cavity presented in this work. Table S2. NSOM-measured mode sizes of plasmonic structures in comparison to dielectric bowtie photonic crystal reported in this work.

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