

# Using a Hybrid Neural System to Reveal Regulation of Neuronal Network Activity by an Intrinsic Current

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The generation of rhythmic patterns by neuronal networks is a complex phenomenon, relying on the interaction of numerous intrinsic and synaptic currents, as well as modulatory agents. To investigate the functional contribution of an individual ionic current to rhythmic pattern generation in a network, we constructed a hybrid system composed of a silicon model neuron and a heart interneuron from the heartbeat timing network of the medicinal leech. When the model neuron and a heart interneuron are connected by inhibitory synapses, they produce rhythmic activity similar to that observed in the heartbeat network. We focused our studies on investigating the functional role of the hyperpolarization-activated inward current ( $I_h$ ) on the rhythmic bursts produced by the network. By introducing changes in both the model and the heart interneuron, we showed that  $I_h$  determines both the period of rhythmic bursts and the balance of activity between the two sides of the network, because the amount and the activation/deactivation time constant of  $I_h$  determines the length of time that a neuron spends in the inhibited phase of its burst cycle. Moreover, we demonstrated that the model neuron is an effective replacement for a heart interneuron and that changes made in the model can accurately mimic similar changes made in the living system. Finally, we used a previously developed mathematical model (Hill et al. 2001) of two mutually inhibitory interneurons to corroborate these findings. Our results demonstrated that this hybrid system technique is advantageous for investigating neuronal properties that are inaccessible with traditional techniques.

**Key words:** VLSI; hybrid systems analysis; silicon neurons; leech; h-current; half-center oscillator; model neurons; dynamic clamp

## Introduction

Modeling and experiment have been viewed traditionally as separate, albeit complementary, fields. Neuronal models suggest new experimental directions, and experiments, in turn, suggest refinements to the models. Recent advances in technology, however, have facilitated the creation of models that operate in real time, allowing models to play a direct role in experiments (Yarom, 1991; Le Masson et al., 1999; Manor and Nadim, 2001). Numerous studies with the dynamic clamp, for example, have shown how the addition of a model conductance can affect the activity of a neuron or neuronal network (Sharp et al., 1993, 1996). Other studies have used real-time model neurons to investigate such phenomena as the role of feedback in thalamic circuits (Le Masson et al., 2002), period regulation in pacemaker networks (Nadim and Manor, 2001), and regularization of chaos in motor pattern-generating networks (Szucs et al., 2000). These approaches allow the investigator to perform experiments that would be impossible or prohibitively difficult with traditional neurophysiological techniques, while providing a biological realism and relevance not achievable through modeling alone.

Our primary focus is on understanding mechanisms of motor pattern generation. We have studied the network that paces the heartbeat of the medicinal leech (Calabrese et al., 1995). Two coupled oscillators in the third and fourth segmental ganglia generate the timing in this network. Each oscillator comprises two heart interneurons connected by reciprocal inhibitory synapses, a structure referred to as a half-center oscillator (Hill et al., 2003). These small networks produce rhythmic antiphasic bursts. When one neuron is active, it inhibits the activity of its partner; eventually, the inhibited neuron is released or escapes from inhibition and begins firing, inhibiting the first neuron. This first neuron then is released or escapes from inhibition, and the cycle repeats.

To understand the cellular mechanisms that underlie these oscillations, we have created a hybrid system consisting of a heart interneuron and a silicon neuron, a model of the heart interneuron implemented using custom microelectronic circuits (Simoni et al., 2002, 2004). The silicon neuron provides real-time operation and implements a version of the Hodgkin–Huxley formalism (Hodgkin and Huxley, 1952). This mechanistic approach to modeling facilitates investigation of biophysical properties underlying neuronal activity. When the silicon neuron and a heart interneuron are connected with reciprocal inhibitory synapses of appropriate strength, they form a hybrid half-center oscillator that produces oscillations remarkably similar to those seen in the living system.

We focused our experiments on the hyperpolarization-activated inward current ( $I_h$ ), which has been shown to exert

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**Table 1. Silicon neuron current parameters**

SIN current	Reversal potential $E_{ion}$ (V)	Maximal conductance $\bar{g}$ ( $10^{-9}$ S)	Half-activation voltage (V)	Half-inactivation voltage (V)	Activation time constant $\tau_m$ (sec)	Inactivation time constant $\tau_h$ (sec)
$I_{Na}$	0.045	57.0	−0.028	−0.023	0	0.005
$I_p$	0.030	6.0	−0.034		0.034	
$I_{K1}$	−0.059	70.0	−0.030	−0.020	0.01	0.5
$I_{K2}$	−0.081	42.4	−0.018		0.25	
$I_{Ca}$	0.134	2.4	−0.045	−0.050	0.086	2.5
$I_h$	−0.028	4.0	−0.050		2.0	
$I_{leak}$	−0.060	8.0				

pacemaker effects in numerous vertebrate and invertebrate systems (Luthi and McCormick, 1998). By introducing changes in the maximal conductance ( $\bar{g}_h$ ) and the activation/deactivation time constant ( $\tau_h$ ) of  $I_h$ , we reveal how  $I_h$  controls the period and burst duration of the heart interneurons in a heartbeat half-center oscillator. Moreover, by inducing similar changes in both model and heart interneurons, we demonstrate that the silicon neuron can serve as a replacement for a living heart interneuron; changes made to the silicon neuron can describe how similar changes in the living network affect the generation of rhythmic activity.

## Materials and Methods

The silicon neuron was fabricated through an integrated-circuit brokerage service in the AMI Semiconductor (Pocatello, ID) 1.2  $\mu$ m process (MOSIS, Marina del Rey, CA). It was designed to produce electrical activity similar to a leech heart interneuron by emulating its major ionic currents (Table 1) with a Hodgkin–Huxley-like formalism (Hodgkin and Huxley, 1952; Simoni et al., 2004). The silicon neuron provides emulation of several currents contained in a previously published model of an oscillator heart interneuron (Hill et al., 2001): passive leak current ( $I_{leak}$ ); fast sodium current ( $I_{Na}$ ); inactivating potassium current ( $I_{K1}$ ); slow, non-inactivating potassium current ( $I_{K2}$ ); persistent sodium current ( $I_p$ ); slowly inactivating low-threshold calcium current ( $I_{CaS}$ ); and hyperpolarization-activated inward current ( $I_h$ ). The design, details, and many of the characteristics of the silicon neuron used in this study were described by Simoni et al. (2004). Parameter values of the silicon neuron were set using 16-bit, four-channel digital-to-analog converters (Analog Devices, Norwood, MA). Digital-to-analog converters were interfaced to a personal computer via PIC microcontrollers (Microchip, Chandler, AZ). A user interface and software to communicate with PIC microcontrollers was written with the Java programming language (Sun Microsystems, Santa Clara, CA). Membrane potential measurement of and current injection into the silicon neuron were accomplished by direct connection to the headstages of an Axoclamp-2A electrophysiology amplifier (Axon Instruments, Union City, CA). State variables were measured through a current preamplifier (Stanford Research System, Sunnyvale, CA). The canonical parameter values for the silicon neuron are shown in Table 1.

In voltage-clamp experiments on the silicon neuron, conductances were isolated by setting all other maximal conductances to 0 nS. For all activation variables, except  $m_h$ , the membrane potential ( $V_m$ ) was held at −85 mV and then stepped up to command potentials. Because  $I_h$  is hyperpolarization activated,  $V_m$  was held at 30 mV and stepped down to command potentials. For currents possessing an inactivation variable, the time constants of activation were much faster than the time constant of inactivation, which allowed us to approximate the steady-state value of the current with its peak value. In currents with only activation variables, the current at the end of the command step was taken as the steady-state value. To analyze the inactivation variables,  $V_m$  was held at various holding potentials for a time sufficient to ensure that steady-state inactivation was reached, then stepped to a command potential of 50 mV. The peak value of the current was taken as the steady-state value. Current waveforms were fit to a first- or second-order exponential to assess the value of time constants.

Mathematical modeling was performed in the GENESIS simulation

environment (Bower and Beeman, 1998). Two single-compartment isopotential heart interneurons connected by mutually inhibitory synapses were modeled. Differential equations were integrated using the exponential Euler method with a time step of  $10^{-4}$  sec. For each experiment, simulation parameters were set to default values and  $\bar{g}_h$  was then changed. The simulation was run for 100 sec for the activity to settle, and then 400 sec of data were recorded. Details of the model structure and simulation parameters were described by Hill et al. (2001).

Leeches (*Hirudo medicinalis*) were obtained from a supplier (Leeches USA, Westbury, NY; and Biopharm, Burlington, NC) and maintained in artificial pond water at 15°C. After the animals were anesthetized in ice-cold saline, individual ganglia were dissected and pinned ventral side up in Petri dishes lined with Sylgard (bath volume, 0.5 ml). The methods for preparing and maintaining leech ganglia and for identifying heart interneurons for electrophysiological recording have been described previously (Olsen and Calabrese, 1996) (Fig. 1).

The ganglionic sheath over the cell bodies was removed with fine microscissors or scalpels. Ganglia were superfused continuously with normal leech saline containing (in mM) 115 NaCl, 4 KCl, 1.8 CaCl<sub>2</sub>, 10 glucose, and 10 HEPES buffer, adjusted to pH 7.4. All experiments were performed on heart interneurons in an isolated midbody segmental ganglion 3 or 4. Heart interneurons were isolated pharmacologically with  $2.5 \times 10^{-4}$  M bicuculline methiodide (Sigma, St. Louis, MO) added to normal saline. In some experiments, 2 mM CsCl was added to the saline to block  $I_h$ .

Heart interneurons were penetrated with sharp microelectrodes made from borosilicate glass tubes [1 mm outer diameter, 0.75 mm inner diameter; filled with 4 M potassium acetate with 20 mM KCl (20–35 M $\Omega$ ); A-M Systems, Everett, WA]. Currents were injected using discontinuous single-electrode current clamp (Axoclamp 2A; Axon Instruments, Foster City, CA). Sample rates were between 2.5 and 3 kHz. The electrode potential was monitored on an oscilloscope to ensure that it had settled between current injection cycles. Only neurons with an input resistance >60 M $\Omega$  were accepted. At the end of the experiment, microelectrodes were withdrawn from the cell, and only when the bath potential measured by the electrode was within the range  $\pm 5$  mV were the data accepted.

Dynamic-clamp synapses were implemented according the following equations (Cymbalyuk et al., 2002a,b):

$$I_{syn} = \bar{g}_{syn} Y_{post} M_{post} (V_{post} - E_{syn}), \quad (1)$$

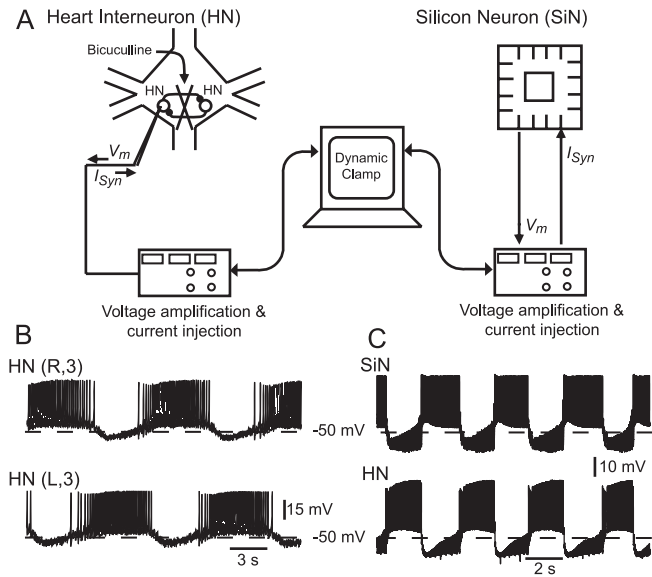
$$\frac{dX_{post}}{dt} = \frac{X_{\infty}(V_{pre}) - X_{post}}{\tau_1}, \quad (2)$$

$$\frac{dY_{post}}{dt} = \frac{X_{post} - Y_{post}}{\tau_2}, \quad (3)$$

$$\frac{dM_{post}}{dt} = \frac{M_{\infty}(V_{pre}) - M_{post}}{0.2}, \quad (4)$$

$$M_{\infty}(V_{pre}) = 0.1 + \frac{0.9}{1 + e^{-1000(V_{pre}+0.04)}}, \quad (5)$$

$$X_{\infty}(V_{pre}) = \frac{1}{1 + e^{-1000(V_{pre}+0.01)}}, \quad (6)$$



**Figure 1.** Design and activity of hybrid half-center oscillator. *A*, Heart interneurons (HN), in an isolated ganglion preparation, were pharmacologically isolated with bicuculline. Voltage/current-clamp amplifiers were used for recording and current injection into heart interneurons and the silicon neuron (SiN). A single sharp microelectrode in discontinuous current-clamp mode was used for voltage recording and current injection into an isolated heart interneuron. Voltage recording and current injection into the silicon neuron were provided by direct connection to amplifier headstages (two-electrode current-clamp mode). Dynamic clamp provided real-time control signals to create artificial synapses between a heart interneuron and the silicon neuron. *B*, Activity of a living heart interneuron half-center oscillator in an isolated ganglion 3 (heart interneurons indexed by body side and ganglion number). *C*, Activity of a hybrid half-center oscillator.

where  $\tau_1 = 0.002$  sec,  $\tau_2 = 0.011$  sec,  $\bar{g}_{\text{syn}} = 500$  nS, and  $E_{\text{syn}} = -0.062$  V.

Dynamic-clamp  $I_h$  was implemented as follows:

$$I_h = \bar{g}_h m_h (V_m - E_h), \quad (7)$$

$$\frac{dm_h}{dt} = \frac{m_{\infty} - m_h}{\tau_{m,h}}, \quad (8)$$

$$m_{\infty} = \frac{1}{1 + e^{180(V_m + 0.047)} + e^{500(V_m + 0.047)}}, \quad (9)$$

$$\tau_{m,h} = 0.7 + \frac{1.7}{1 + e^{-100(V_m + 0.073)}}, \quad (10)$$

where  $E_h = -0.02$  V.

All dynamic-clamp calculations were performed on a dedicated real-time signal processing controller board (DS1104; DSPACE, Detroit, MI).

All experimental data were digitized and stored using pCLAMP software (Axon Instruments, Union City, CA). For both hybrid experiments and mathematical modeling, analyses of burst characteristics were performed off-line with scripts written in Matlab (MathWorks, Natick, MA). Action potentials (spikes) were detected by determining when the membrane potential rose and then fell across a threshold of  $-20$  mV. If this sequence of two crossings occurred with an interval shorter than 1 msec, the event was taken to be spurious because of digitization error or noise and was discarded. All other such events were considered to be spikes. The time of occurrence of the spike was taken as the time when the maximum membrane potential was reached. This method was verified by eye for 630 sec of recorded data; in that data, all spikes had a width of at least 2 msec above  $-20$  mV, and no spurious events registered as spikes. For all detected spikes in a continuous record, the mean and SD of the interspike interval (ISI) was calculated. ISIs  $>0.5$  sec were used to mark the end of one burst and the beginning of the next burst; however, when two successive ISIs were  $>0.5$  sec, the middle spike was considered

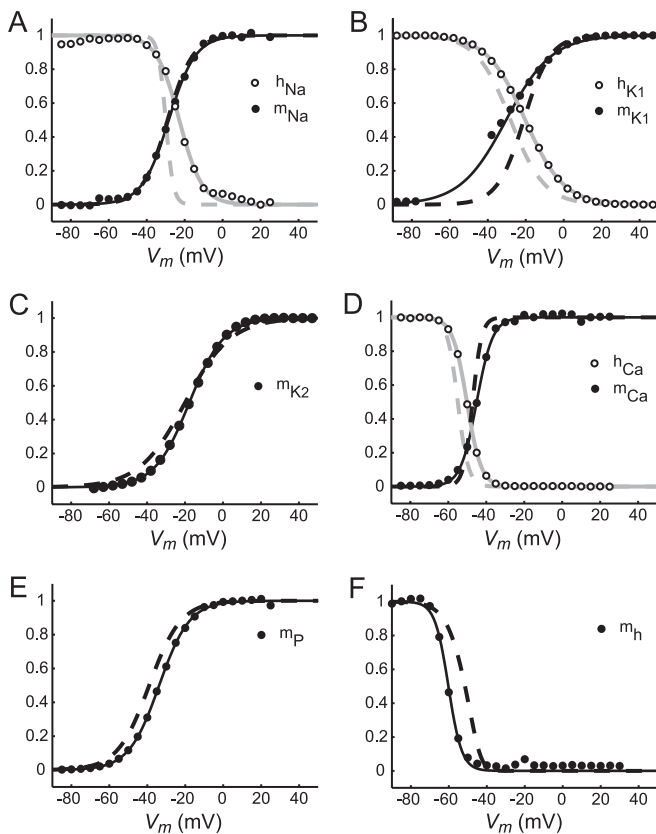
to be spurious and was discarded. All ISIs within a burst had values within the mean ISI  $\pm 2$  SDs. We verified this method manually for 630 sec of recorded data, and it was found to be highly accurate for detecting both spikes and bursts of spikes. At least eight burst cycles were detected and analyzed per experimental trial. For each experimental trial, cycle period, burst duration, duration of the inhibited phase, and final spike frequency at burst transition was calculated. Burst period was calculated as the time between the median spike of one burst and the median spike of the next burst. Burst duration was calculated as the time between the first spike of the burst and the last spike of the burst. Duration of the inhibited phase was calculated as the time between the last spike of a burst and the first spike of the next burst. The final spike frequency was defined as the instantaneous spike frequency for the last two spikes of a burst. In experiments in which the maximal conductance of the h-current ( $\bar{g}_h$ ) was varied directly in the silicon neuron or in the heart interneuron with dynamic clamp, we measured/calculated the activation variable ( $m_h$ ) and determined the percentage of the inhibited phase at which it first reached its maximal value. For heart interneurons, even when  $\bar{g}_h$  was set to zero or a negative value in dynamic clamp,  $m_h$  of the h-current was calculated, and this point of maximal activation was determined to estimate when endogenous h-current would activate. Values reported here are the mean and SD across experiments, except as indicated. Statistical analysis was performed by using a one-way ANOVA and a multiple comparison of means using the Bonferroni  $t$  test. A cutoff of  $p = 0.05$  was used to evaluate statistical significance. To simplify the presentation of the multiple comparisons, comparisons to a single chosen value of the varied parameter are indicated on the figures. The chosen value of the parameter for comparison was usually the minimum value, except when varying silicon neuron (SiN)  $\tau_h$ . Here, the value chosen was 0.5 sec because some of the measured characteristics varied non-monotonically with SiN  $\tau_h$ , and with SiN  $\tau_h$  set at 0.05 sec, these measured characteristics were at their minimum value.

## Results

### Properties of the isolated silicon neuron

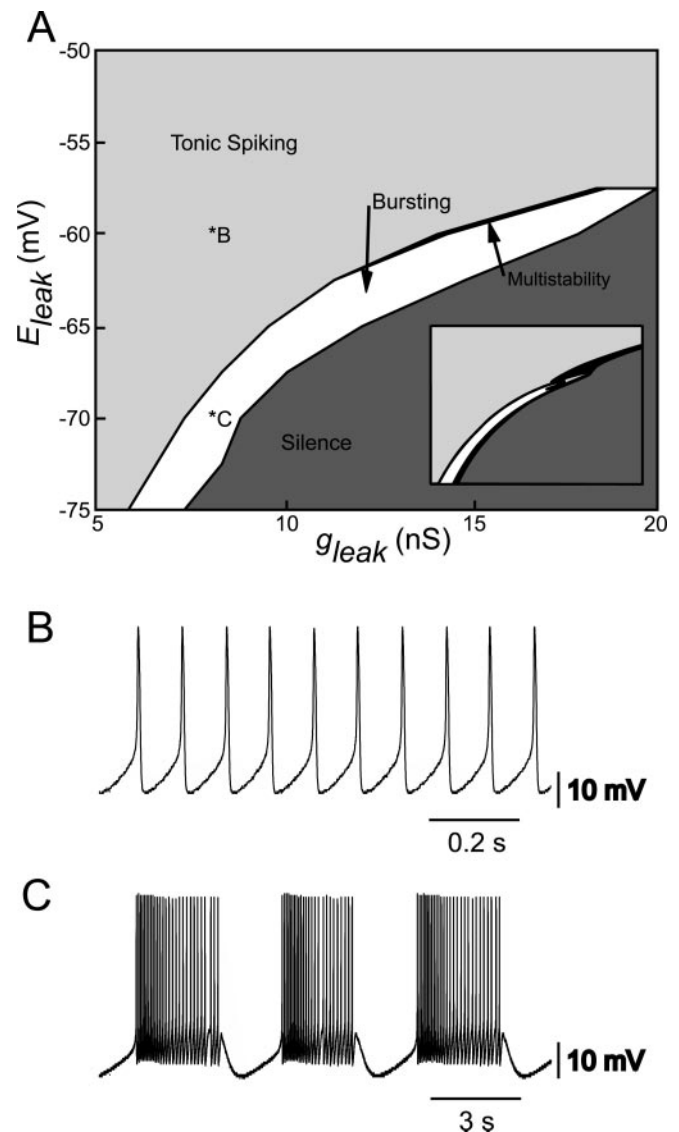
Silicon neurons are real physical systems; they take voltages and currents as inputs and produce voltages and currents as outputs (Mahowald and Douglas, 1991; Patel and DeWeerth, 1997; Rasche and Douglas, 2000; Douglas and Rasche, 2002; Simoni et al., 2004). This approach differs from traditional mathematical modeling in that a model parameter value is represented by a voltage or current within the circuit, rather than an exact value in a numerical simulation. To assess the relationship between control voltages applied to the silicon neuron and the parameters of the emulated voltage-gated currents (Hodgkin–Huxley parameters), we measured the current-voltage relationships at the parameter inputs of the silicon neuron. These analyses produced data that a computer interface uses to translate Hodgkin–Huxley parameters to voltages that are applied to the circuit. Using this interface, we tuned the silicon neuron to the parameters derived from a mathematical oscillator heart interneuron model (Nadim et al., 1995; Hill et al., 2001). The time constants of activation and inactivation in the silicon neuron are fixed values and were set to the average values from the mathematical model (Table 1). With this set of parameters, the silicon neuron produced the desired tonic firing, but the action potentials were too wide (15 msec) and the firing frequency was too high (25 Hz). We adjusted the half-maximal activation and inactivation voltages and time constants of the fast currents to fix these discrepancies and to produce more realistic firing. This adjustment provided us with the canonical set of parameters that were used as a basis in all experiments (Table 1).

Differences between transistors can cause mismatches within the silicon neuron that can alter significantly the behavior of the



**Figure 2.** Steady-state activation and inactivation curves for the silicon neuron. The circles represent data from voltage clamp. Solid lines denote best fit of data to the activation/inactivation equations of Hill et al. (2001). The dashed lines show steady-state activation and inactivation curves for the currents of the canonical mathematical heart interneuron model. *A*, Fast sodium current ( $I_{Na}$ ). *B*, Inactivating potassium current ( $I_{K1}$ ). Data points from  $-75$  to  $-45$  mV are not shown because of large conductance/low current artifact. *C*, Slow, non-inactivating potassium current ( $I_{K2}$ ). *D*, Slowly inactivating low-threshold calcium current ( $I_{CaS}$ ). *E*, Persistent sodium current ( $I_P$ ). *F*, Hyperpolarization-activated inward current ( $I_h$ ).

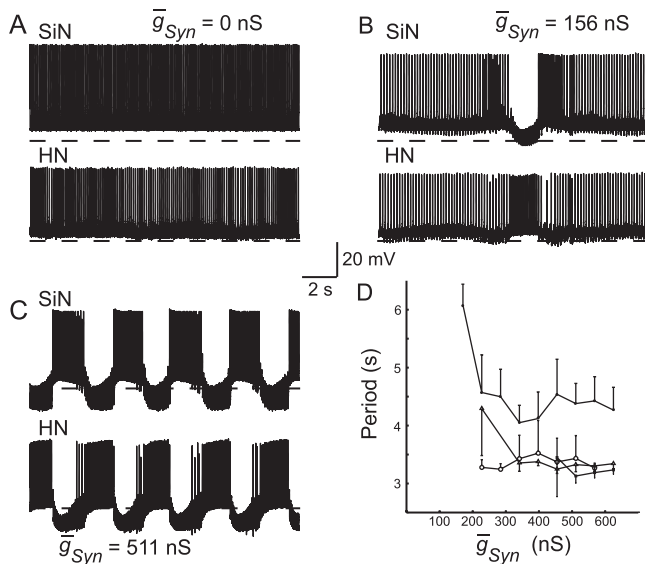
circuit (Rasche et al., 1998; Patel and DeWeerth, 1999; Simoni et al., 2004). These differences come about as part of the circuit manufacturing process, and although circuit design techniques seek to minimize them, they are ultimately impossible to avoid. To assess the effects of transistor mismatch, we performed voltage-clamp analysis on the voltage-gated conductances of the silicon neuron. The results of this analysis (Fig. 2) show that the steady-state activation of the fast sodium current ( $m_{\infty Na}$ ) is nearly identical to the mathematical model, although its steady-state inactivation ( $h_{\infty Na}$ ) has a much shallower slope than its model counterpart (Fig. 2*A*). This difference could explain the wider spikes produced by the silicon neuron.  $m_{\infty K1}$  and  $h_{\infty K1}$  are relatively well matched, although there are both differences in slope and small offsets in the half-maximal voltages (Fig. 2*B*).  $m_{\infty K2}$ ,  $m_{\infty CaS}$ ,  $h_{\infty CaS}$ ,  $m_{\infty P}$ , and  $m_{\infty h}$  are all very similar to their mathematical model counterparts (Fig. 2*C–F*). The most noticeable effects of transistor mismatch are observed in the fast currents  $I_{Na}$  and  $I_{K1}$ , particularly in the slopes of  $h_{\infty Na}$  and  $m_{\infty K1}$ . Unfortunately, because of manufacturing limitations in the number of inputs available for the silicon neuron, the slope of all steady-state activation and inactivation curves were set as a global parameter; adjusting the slope of these curves would adversely affect the well matched slope of the other curves. Using the canonical parameters, the silicon neuron fired tonically with a spike frequency of 10–12 Hz.



**Figure 3.** Activity of the silicon neuron depends on leak current parameters. *A*, Different types of activity, tonic spiking, bursting, and silence are expressed depending on the values of the leak reversal potential ( $E_{leak}$ ) and the leak conductance ( $g_{leak}$ ). The regions of silence and tonic spiking are separated by a region of intrinsic bursting. A small region, indicated in black (multistability), where bursting coexisted with tonic spiking was also observed. Inset, Similar activity map for the mathematical model of a heart interneuron (Cymbalyuk et al., 2002a). *B*, Typical activity of the silicon neuron when firing tonically. *C*, Typical activity of the silicon neuron when bursting intrinsically. Leak parameter values for the activity in *B* and *C* are indicated on the map in *A*.

Bifurcation analysis has proven to be an effective tool in analyzing transitions between different types of activity in heart interneurons (Cymbalyuk et al., 2002a). Activity in the mathematical model is sensitive to leak parameters  $E_{leak}$  and  $g_{leak}$  and produces bursting activity only in a narrow peninsula of this parameter space. This region of bursting in the parameter space  $E_{leak}$  versus  $g_{leak}$  separates areas of silence and tonic spiking (Fig. 3*A*, inset). To determine whether the silicon neuron behaves similarly to the mathematical model, we varied  $E_{leak}$  ( $-75$  to  $-50$  mV in steps of 2.5 mV) and  $g_{leak}$  (5–20 nS in steps of 1 nS) in the silicon neuron, and the resultant activity at each point was analyzed (Fig. 3*A*). As in the mathematical model, the silicon neuron displays bursting (Fig. 3*C*) in a narrow peninsula of these parameters that separates regions of silence and tonic firing (Fig. 3*B*). In





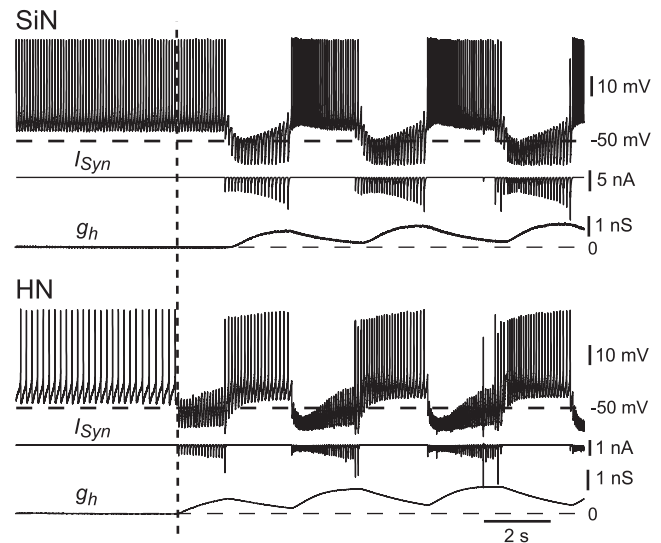
**Figure 4.** Dynamic-clamp-mediated inhibitory synapses of sufficient strength transform tonic firing into rhythmic antiphase bursting in a hybrid half-center oscillator. *A*, Both the silicon neuron (SiN) and the pharmacologically isolated heart interneuron (HN) fire tonically in the absence of artificial synapses ( $\bar{g}_{Syn} = 0$  nS). *B*, Weak artificial synapses (small  $\bar{g}_{Syn}$ ) result in sporadic lapses in activity but not rhythmic bursting. *C*, Strong artificial synapses (large  $\bar{g}_{Syn}$ ) result in stable alternating rhythmic bursting. The dashed line in *A–C* indicates  $-50$  mV. *D*, Results of four experiments in which  $\bar{g}_{Syn}$  was varied between 0 and 625 nS. Different symbols represent different experiments. The period of rhythmic oscillations settle to a value that remains relatively unchanged with additional variations of  $\bar{g}_{Syn}$ . The error bars indicate the SD of the period over  $n \geq 8$  cycles for each trial of the four individual experiments.

addition, a narrow bistable region was found at the boundary between tonic firing and bursting, wherein the neuron could exhibit either tonic firing or rhythmic bursting, depending on the activity as the region was approached. Despite the differences in voltage-gated current parameters described before, these results are very similar to those from the mathematical model.

#### Hybrid system: half-center oscillator

Dynamic clamp was used to implement artificial synaptic conductances between the silicon neuron and an intracellularly recorded oscillator heart interneuron (Cymbalyuk et al., 2002b). We discovered after several trials that cell input resistance ( $R_{in}$ ) after sharp electrode penetration was critical to the success of establishing rhythmic bursting in the hybrid system. Poorly penetrated heart interneurons ( $R_{in} < 60$  M $\Omega$ ) fired at a high frequency and dominated the silicon neuron in the hybrid half-center. Moreover, the low resistance resulted in a fast membrane time constant and, therefore, poor synaptic integration. All results reported are from heart interneurons having  $R_{in} > 60$  M $\Omega$ . When pharmacologically isolated in bicuculline, the heart interneurons ( $R_{in} > 60$  M $\Omega$ ) fired tonically with an average frequency of  $10.3 \pm 1.1$  Hz ( $n = 5$  trials) (Fig. 4*A*, bottom trace).

To determine appropriate synaptic strength for hybrid oscillations, the maximal synaptic conductance ( $\bar{g}_{Syn}$ ) for both artificial synapses was varied between 0 and 625 nS in 12 equal steps for four separate preparations (Fig. 4). For low values of synaptic conductance, the two neurons continued to fire tonically, with occasional lapses in activity (Fig. 4*B*). Once sufficient synaptic strength had been reached, the neurons began alternating oscillations (Fig. 4*C*). Once stable oscillations were established, their period varied little with increasing  $\bar{g}_{Syn}$  (Fig. 4*D*). The oscillations observed at  $\bar{g}_{Syn} = 511$  nS were regular; the coefficient of varia-



**Figure 5.** Strong artificial inhibitory synapses cause an immediate transition from tonic firing to rhythmic bursting in a hybrid half-center oscillator. Membrane potential, synaptic current ( $I_{Syn}$ ), and h-current conductance ( $g_h$ ) are shown for the silicon neuron (SiN) and the heart interneuron (HN). The vertical dashed line indicates the time at which the dynamic clamp was activated to enable the mutual inhibitory synapses. When one of the neurons is inhibited, its  $I_h$  activates, driving it back toward the firing threshold. Once it begins to fire, the other neuron is inhibited, its  $I_h$  activates, driving it back toward firing threshold so that it inhibits the first neuron, and the cycle repeats.

tion of the period ranged from 3.7 to 11.5% with a mean of 6.8% for the four preparations (Fig. 4*D*). We selected 500 nS as the value of  $\bar{g}_{Syn}$  for all additional experiments.

Using canonical parameters for the silicon neuron and with  $\bar{g}_{Syn}$  set at 500 nS, rhythmic antiphase bursting was obtained with all heart interneurons ( $R_{in} > 60$  M $\Omega$ ). To initiate antiphase bursting, the synapses were activated by moving their maximal conductances from 0 to the canonical operating value (Fig. 5). Activating the synapses caused one of the neurons to be inhibited while the other continued to fire tonically. Once a neuron was inhibited, its  $I_h$  was activated; meanwhile, the spike rate of the active neuron rapidly increased and then slowly decreased because of the activation and subsequent inactivation of  $I_{CaS}$ . Once the spike rate in the active neuron was low enough, the inhibited neuron escaped from inhibition and began firing, inhibiting the other neuron. This process then repeated, resulting in antiphase bursting.

The silicon neuron was thus suitable for investigating the role of intrinsic currents in the production and regulation of rhythmic bursting activity in a hybrid half-center oscillator. We chose to study  $I_h$  because it has been implicated as playing an important pacemaker function in a variety of systems (Luthi and McCormick, 1998). Our strategy was to vary  $I_h$  unilaterally in each member of the hybrid half-center oscillator.

#### Unilateral variation of $\bar{g}_h$ in the silicon neuron

To assess experimentally the effects of varying  $\bar{g}_h$  of the silicon neuron (SiN  $\bar{g}_h$ ), we established rhythmic antiphase bursting between the silicon neuron and an isolated heart interneuron. In five separate experimental preparations, we varied SiN  $\bar{g}_h$  from 0 to 8 nS in increments of 2 nS (canonical SiN  $\bar{g}_h = 4$  nS). At each interval, we assessed the cycle period, the burst duration, and the final spike frequency for each neuron. Typical activities at different values of SiN  $\bar{g}_h$  are shown in Figure 6*A*.

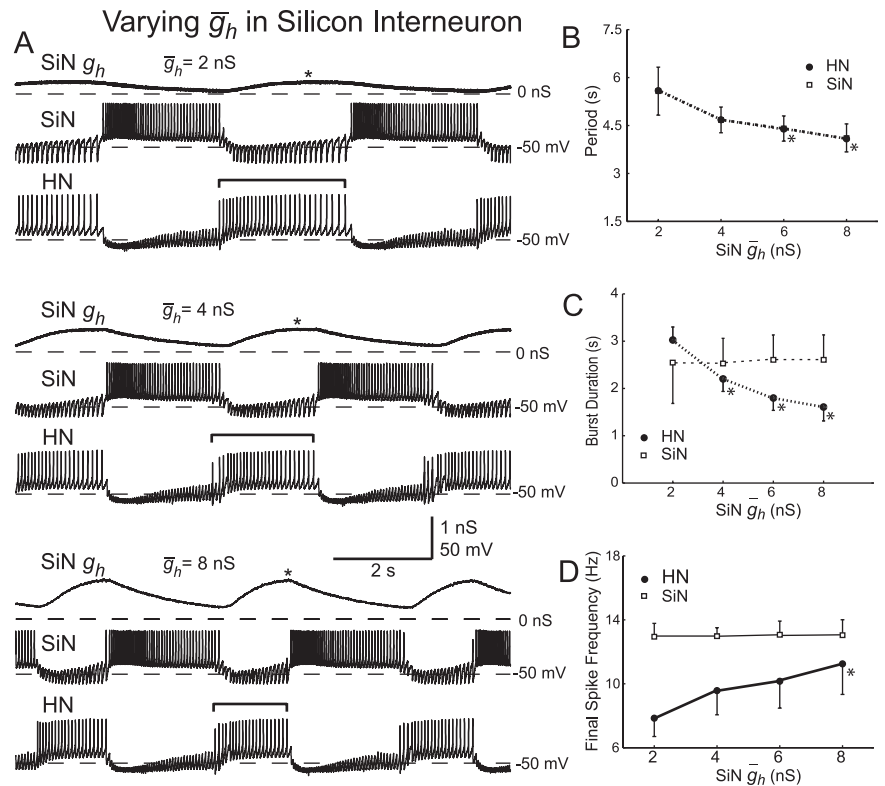
With canonical parameter values, the cycle period was  $4.7 \pm$

0.4 sec (mean  $\pm$  SD). This period is shorter than both the average period observed in the biological system and the period of the mathematical model (8.8 and 8.6 sec, respectively), although the period is close to the low end of the range observed in the biological system (6.4 sec) (Hill et al., 2001; Cymbalyuk et al., 2002a). There are several possible factors that might explain this difference. For example, sharp microelectrode penetration of the heart interneuron causes a decrease in the membrane time constant, reducing the efficacy of spike-mediated synaptic transmission. Limitations in the silicon neuron, such as the lack of voltage-dependent time constants, or in the dynamic-clamp synapses, such as the lack of graded synaptic transmission (Hill et al., 2001), could also play a role.

With increasing SiN  $\bar{g}_h$ , the oscillator cycle period decreased (Fig. 6A,B); there was a statistically significant effect of varying SiN  $\bar{g}_h$  on the period of the system (ANOVA) (Table 2). With complete removal of  $I_h$  (SiN  $\bar{g}_h = 0$ ), the silicon neuron was not always able to escape from inhibition ( $n = 2$ ); in the cases in which it was able to escape ( $n = 3$ ), the cycle period was greatly elongated ( $13.3 \pm 1.8$  sec). When SiN  $\bar{g}_h$  is varied, the change in the cycle period of the hybrid half-center oscillator is, mostly accounted for by the change in the duration of the inhibited phase of the silicon neuron (see Fig. 9D).

In this hybrid half-center oscillator, the duration of the inhibited phase of one cell is approximately equal to the burst duration of the opposing cell. With canonical parameters, the burst duration of the silicon neuron and the burst duration of the heart interneuron were similar ( $2.5 \pm 0.5$  and  $2.2 \pm 0.3$  sec, respectively). With increasing SiN  $\bar{g}_h$ , the burst duration of the heart interneuron decreased, corresponding to a decrease in the inhibited phase of the silicon neuron (Fig. 6A,C). The final spike frequency of the heart interneuron also increased (Fig. 6A,D). There was a statistically significant effect of varying SiN  $\bar{g}_h$  on the burst duration and final spike frequency of the heart interneuron but no apparent effect on these characteristics in the silicon neuron (ANOVA) (Table 2). The absence of a significant change in the burst duration of the silicon neuron indicates that variations in SiN  $\bar{g}_h$  selectively influence the inhibited phase of the oscillation. The increase in the final spike frequency of the heart interneuron indicates that with a higher  $\bar{g}_h$  the silicon neuron is able to overcome a higher frequency of inhibition from the heart interneuron and escape into its burst. Variations in SiN  $\bar{g}_h$  change the balance of oscillations; with higher values of SiN  $\bar{g}_h$ , the silicon neuron has a relatively longer burst duration (duty cycle), and with lower values of SiN  $\bar{g}_h$ , the heart interneuron has a relatively longer burst duration (duty cycle).

With canonical parameters, the final spike frequency is noticeably higher for the silicon neuron than for the heart interneuron; the heart interneuron is generally able to escape from a higher frequency of inhibition. This difference is most likely at-



**Figure 6.** Variation of  $\bar{g}_h$  in the silicon neuron (SiN  $\bar{g}_h$ ) of a hybrid half-center oscillator. *A*, Typical activity at three different values of SiN  $\bar{g}_h$ . Voltage traces for the silicon neuron (SiN) and the heart interneuron (HN) and h-current conductance (SiN  $\bar{g}_h$ ) for the silicon neuron are shown. As SiN  $\bar{g}_h$  increases, the burst duration (indicated by brackets) of the unaltered heart interneuron decreases. The asterisks indicate when during the inhibited phase h-current first reaches its maximal level of activation. *B*, Increasing SiN  $\bar{g}_h$  decreases the oscillator period. The period of the silicon neuron and the heart interneuron are the same. *C*, Increasing SiN  $\bar{g}_h$  decreases the burst duration of the heart interneuron, which is equivalent to the duration of the inhibited phase of the silicon neuron. *D*, Increasing SiN  $\bar{g}_h$  increases the final spike frequency of the heart interneuron, whereas the final spike frequency of silicon neuron remains relatively constant. In *B–D*, a thick line connecting data points indicates a significant effect of varying SiN  $\bar{g}_h$  as determined by ANOVA ( $p < 0.05$ ), and asterisks indicate a significant difference ( $p < 0.05$ ) between the measured value and the corresponding value when SiN  $\bar{g}_h$  was at its smallest value (2 nS) in pairwise comparisons.

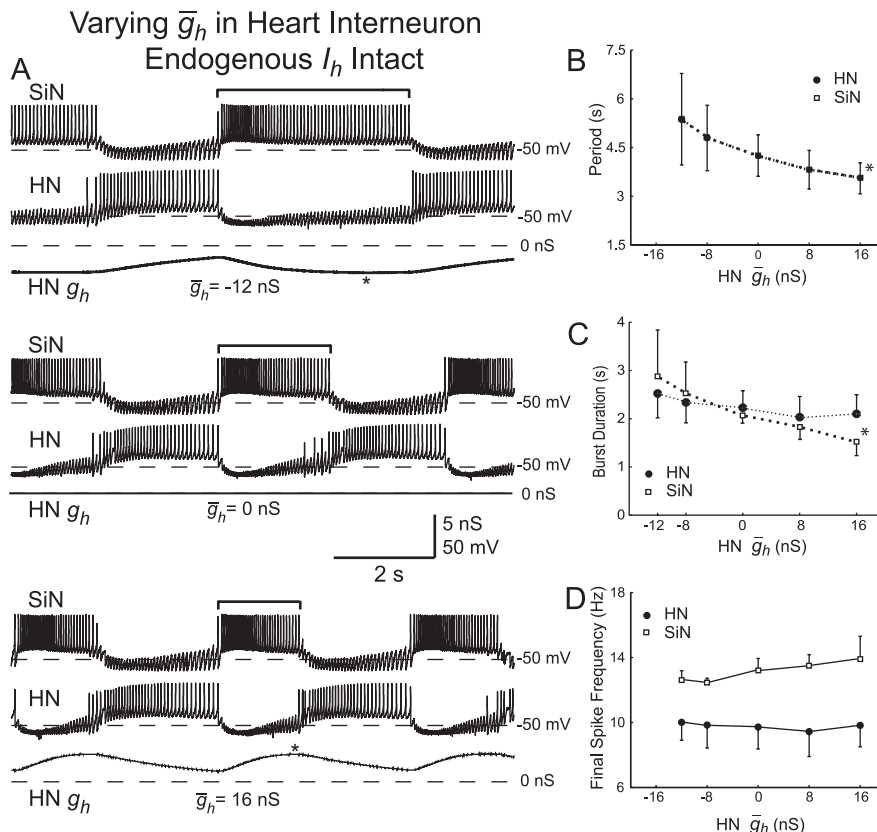
tributable to the difference in membrane time constants and input resistance, which determines the efficacy of dynamic-clamp synaptic currents in altering membrane potential.

At low values of SiN  $\bar{g}_h$ , the time point during the inhibited phase of the burst cycle at which  $I_h$  attained its maximal level of activation was well before the burst transition occurred (Fig. 6A). We expressed this time point as a percentage of the inhibited phase (see Fig. 9A–C). This observation indicates that the silicon neuron was “waiting” for a decrease in the inhibition it receives from the heart interneuron before it could begin firing. Therefore, the dynamics of spike frequency adaptation in the heart interneuron were determining the duration of the inhibited phase of the silicon neuron rather than the dynamics of  $I_h$  activation. As SiN  $\bar{g}_h$  increased,  $I_h$  attained its maximal level of activation at relatively later and later time points in the inhibited phase. [The absolute amount of time necessary to attain maximal activation was nearly invariant, but this maximal activation occurred at a greater percentage of the inhibited phase (see Fig. 9A).] At high values of SiN  $\bar{g}_h$ ,  $I_h$  attained its maximal level of activation practically at the end of the inhibited phase (Fig. 6A). This observation indicates that at high values of SiN  $\bar{g}_h$  the dynamics of  $I_h$  activation were determining the duration of the inhibited phase of the silicon neuron rather than the dynamics of spike frequency adaptation in the heart interneuron.

**Table 2. One-way ANOVA (*p* values)**

Experiment	Varied neuron period	Unvaried neuron period	Varied neuron burst duration	Unvaried neuron burst duration	Varied neuron final spike frequency	Unvaried neuron final spike frequency
$\bar{g}_h$ SiN	<b>0.003</b>	<b>0.002</b>	0.995	<b>2.4e-6</b>	0.997	<b>0.027</b>
$\bar{g}_h$ HN	<b>0.029</b>	<b>0.030</b>	0.474	<b>0.006</b>	0.973	0.080
$\bar{g}_h$ HN (w/Cs)	<b>9.7e-9</b>	<b>9.7e-9</b>	0.180	<b>1.53e-10</b>	0.949	<b>8.7e-4</b>
$\tau_h$ SiN	<b>0.003</b>	<b>0.002</b>	<b>3e-7</b>	0.068	0.828	0.170

Values in bold indicate statistical significance.



**Figure 7.** Variation of  $\bar{g}_h$  in the heart interneuron (SiN  $\bar{g}_h$ ) of a hybrid half-center oscillator with endogenous  $I_h$  present. *A*, Typical activity at three different values of  $HN \bar{g}_h$ . Voltage traces for the silicon neuron (SiN) and the heart interneuron (HN) and h-current conductance ( $HN g_h$ ) for the heart interneuron are shown. As  $HN \bar{g}_h$  increases, the burst duration (indicated by brackets) of the unaltered silicon neuron decreases. The asterisks indicate when during the inhibited phase h-current first reaches its maximal level of activation. *B*, Increasing  $HN \bar{g}_h$  decreases the oscillator period. The period of the silicon neuron and the heart interneuron are the same. *C*, Increasing  $HN \bar{g}_h$  decreases burst duration of the silicon neuron, which is equivalent to the duration of the inhibited phase of the heart interneuron. *D*, Increasing  $HN \bar{g}_h$  increases the final spike frequency of the silicon neuron, whereas the final spike frequency of the heart interneuron is relatively constant. In *B–D*, a thick line connecting data points indicates a significant effect of varying  $HN \bar{g}_h$  as determined by ANOVA ( $p < 0.05$ ), and asterisks indicate a significant difference ( $p < 0.05$ ) between the measured value and the corresponding value when  $HN \bar{g}_h$  was at its smallest value ( $-12$  nS) in pairwise comparisons.

### Unilateral variation of $\bar{g}_h$ in the heart interneuron

To vary the strength of  $\bar{g}_h$  in the heart interneuron, we used dynamic clamp to create a model  $I_h$ , which could be used in conjunction with the endogenous  $I_h$  of the heart interneuron. By setting the maximal conductance of the dynamic clamp  $I_h$ , heart interneuron (HN)  $\bar{g}_h$ , to be greater than zero, we added to the endogenous  $I_h$ . We subtracted from the endogenous  $I_h$  by setting  $HN \bar{g}_h$  to negative values. Subtracting  $I_h$  in excess of the effective endogenous  $I_h$  created a positive feedback system, driving the cell to an extremely hyperpolarized state. Several cells were tested, and it was found that an artificial maximal conductance of  $-16$  nS would almost always cause this undesirable condition to occur, but  $-12$  nS would not;  $-12$  nS was therefore chosen as the

maximal “negative conductance.” Furthermore, the heart interneuron required a larger variation in  $I_h$  than did the silicon neuron to observe similar effects, so  $HN \bar{g}_h$  was varied over a larger range than in the case for the silicon neuron.

In five experiments, hybrid oscillations were established, and  $HN \bar{g}_h$  was varied between  $-12$  and  $+16$  nS. SiN  $\bar{g}_h$  was kept constant at the canonical value of 4 nS. Typical activity for different levels of  $HN \bar{g}_h$  is shown in Figure 7*A*. With no addition or subtraction to the endogenous  $I_h$  ( $HN \bar{g}_h = 0$  nS), the cycle period of the hybrid oscillator was  $4.24 \pm 0.6$  sec, and the burst duration of the silicon neuron ( $2.1 \pm 0.3$  sec) was similar to the burst duration of the heart interneuron ( $2.2 \pm 0.4$  sec). With increasing  $HN \bar{g}_h$ , the period of the system decreased (Fig. 7*A,B*); there was a statistically significant effect of varying  $HN \bar{g}_h$  on period (ANOVA) (Table 2). Moreover, with increasing  $HN \bar{g}_h$ , the burst duration of the silicon neuron decreased, corresponding to a decrease in the inhibited phase of the heart interneuron, and the final spike frequency of the silicon neuron increased (Fig. 7*A,C,D*). There was a statistically significant effect of varying  $HN \bar{g}_h$  on the burst duration of the silicon neuron, but the effect on final spike frequency of the silicon neuron was not statistically significant ( $p = 0.08$ ; ANOVA) (Table 2). There was no apparent effect of varying  $HN \bar{g}_h$  on burst duration or final spike frequency in the heart interneuron (ANOVA) (Table 2).

As observed when varying SiN  $\bar{g}_h$ , the change in period when varying  $HN \bar{g}_h$  was attributable to a change in the duration of the inhibited phase of the modified neu-

ron (Fig. 9*D*). The duration of the inhibited phase of the heart interneuron, which is equivalent to the burst duration of the silicon neuron, decreased, whereas the burst duration of the heart interneuron remained relatively constant. These results are remarkably similar to the case when SiN  $\bar{g}_h$  was varied; increasing  $HN \bar{g}_h$  caused  $I_h$  to attain its maximal level of activation at a relatively later point of the inactive phase of the burst cycle (Fig. 9*B*). Although the effect here is not as striking as in the SiN  $\bar{g}_h$  case, it is still apparent.

In six additional experiments, we blocked the endogenous  $I_h$  of the heart interneuron with 2 mM Cs<sup>+</sup>, and the dynamic clamp was then used to reintroduce a completely artificial  $I_h$  into the

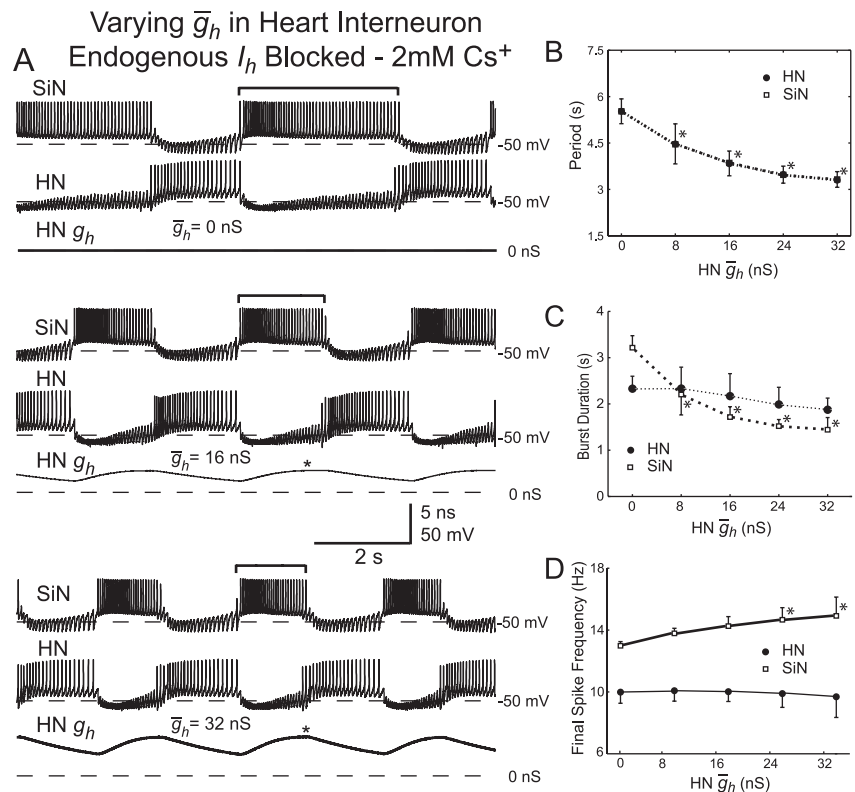
heart interneuron.  $\text{HN } \bar{g}_h$  was then varied from 0 to 32 nS in 8 nS increments. Typical activity for different levels of  $\text{HN } \bar{g}_h$  is shown in Figure 8A. As observed in the other experiments in which  $\bar{g}_h$  was varied, increasing  $\text{HN } \bar{g}_h$  decreased the cycle period of the system (Fig. 7A, B); there was a statistically significant effect of varying  $\text{HN } \bar{g}_h$  on the period (ANOVA) (Table 2). Moreover, with increasing  $\text{HN } \bar{g}_h$ , the burst duration of the silicon neuron decreased, corresponding to a decrease in the inhibited phase of the heart interneuron, and the final spike frequency of the silicon neuron increased (Fig. 7A, C, D). There was a statistically significant effect of varying  $\text{HN } \bar{g}_h$  on the burst duration and final spike frequency of the silicon neuron but no apparent effect on these characteristics in the heart interneuron (ANOVA) (Table 2). As in the previous experiments, the change in period was attributable to a change in the duration of the inhibited phase of the modified neuron (Fig. 9D). Increasing  $\text{HN } \bar{g}_h$  also led to an increase in the percentage of the inhibited phase at which  $I_h$  attained its maximal level in the heart interneuron (Figs. 8A, 9C), which was very similar to when  $\bar{g}_h$  was varied in the silicon neuron.

The remarkable similarity in results when  $\bar{g}_h$  was varied in the silicon neuron and the living heart interneuron, both with endogenous  $I_h$  present and when it was blocked by  $\text{Cs}^+$ , demonstrates that the dynamics of dynamic clamp  $I_h$  are compatible with the intrinsic currents in the living neuron and that  $I_h$  serves a similar function in the heart interneuron and in the model neuron.

#### Unilateral variation of $I_h$ in mathematical model of a half-center oscillator

To corroborate our results from the hybrid systems analysis, we investigated the effects of unilateral variation in a mathematical model of a leech heartbeat half-center oscillator (Hill et al., 2001). Previous modeling studies indicated that  $\bar{g}_h$  determines the final spike frequency, the firing frequency at which a heart interneuron escapes the inhibition of the other neuron in the half-center oscillator (Hill et al., 2001). However, these studies investigated only the effects of bilateral variation of parameters, not the unilateral variations that we used in our hybrid systems analysis. Using the GENESIS neural simulation environment, we varied  $\bar{g}_h$  of one model neuron of a model half-center oscillator from 0 to 8 nS (4 nS canonical) in 0.5 nS increments. We then assessed the resultant activity for cycle period, burst duration, duration of the inhibited phase, and final spike frequency.

Unilateral variation of  $\bar{g}_h$  in the model revealed effects similar to those observed in the hybrid system (Fig. 10). Increasing  $\bar{g}_h$  unilaterally resulted in a decrease in the burst duration of the unmodified (constant) model cell corresponding to a decrease in the duration of the inactive phase of the modified model neuron (Fig. 10B). The burst duration of the modified model neuron, however, exhibited virtually no change. This selectivity for influ-



**Figure 8.** Variation of  $\bar{g}_h$  in the heart interneuron ( $\text{HN } \bar{g}_h$ ) of a hybrid half-center oscillator with endogenous  $I_h$  blocked by 2 mM  $\text{Cs}^+$ . *A*, Typical activity at three different values of  $\text{HN } \bar{g}_h$ . Voltage traces for the silicon neuron (SiN) and the heart interneuron (HN), and h-current conductance ( $\text{HN } g_h$ ) for the heart interneuron are shown. As  $\text{HN } \bar{g}_h$  increases, the burst duration (indicated by brackets) of the unaltered silicon neuron decreases. The asterisks indicate when during the inhibited phase h-current first reaches its maximal level of activation. *B*, Increasing  $\text{HN } \bar{g}_h$  significantly decreases the oscillator period. The cycle period of the silicon neuron and the heart interneuron are the same. *C*, Increasing  $\text{HN } \bar{g}_h$  decreases the burst duration of the silicon neuron, which is equivalent to the duration of the inhibited phase of the heart interneuron. There is also a slight decrease in the burst duration of the heart interneuron. *D*, Increasing  $\text{HN } \bar{g}_h$  increases the final spike frequency of the silicon neuron, whereas the final spike frequency of the heart interneuron remains relatively constant. In *B–D*, a thick line connecting data points indicates a significant effect of varying  $\text{HN } \bar{g}_h$  as determined by ANOVA ( $p < 0.05$ ), and asterisks indicate a significant difference ( $p < 0.05$ ) between the measured value and the corresponding value when  $\text{HN } \bar{g}_h$  was at its smallest value (0 nS).

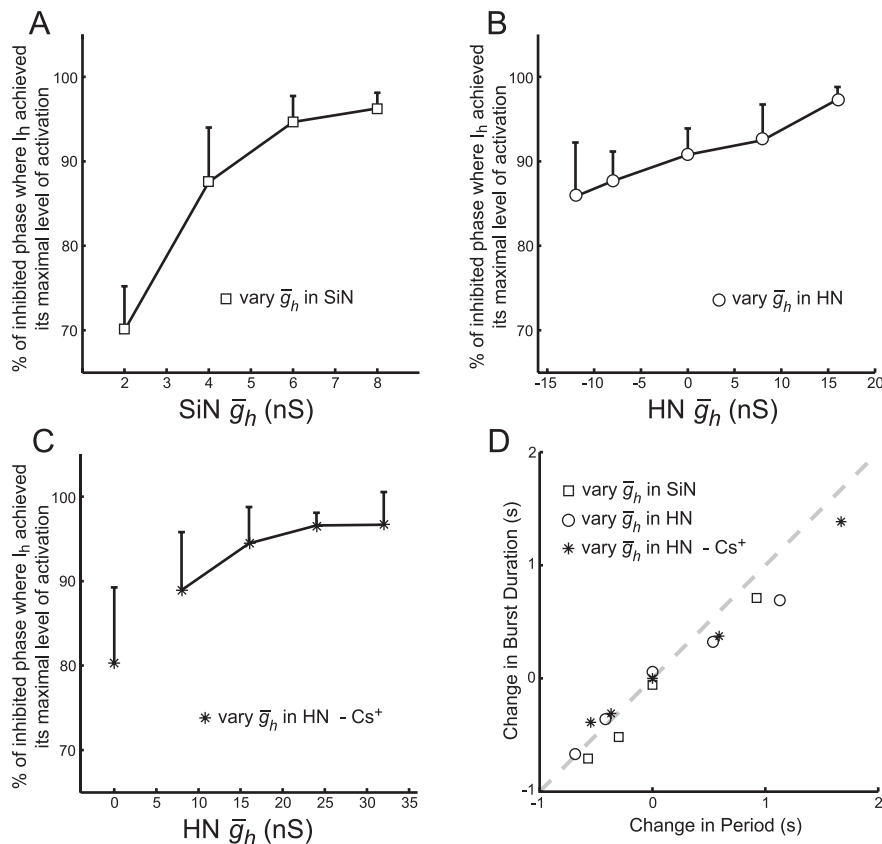
encing the inactive phase of the burst was not apparent when  $\bar{g}_h$  was varied bilaterally (Fig. 10B, inset). Final spike frequency increased nearly linearly for the constant model neuron but remained constant for the varied model neuron (Fig. 10C). The changes in final spike frequency in the unmodified model neuron for unilateral variation of  $\bar{g}_h$  corresponded closely to the changes in final spike frequency observed for symmetric variation of  $\bar{g}_h$  (Fig. 10C, inset). These modeling results for asymmetric variation of  $\bar{g}_h$  further support the hypothesis developed from symmetric variation of  $\bar{g}_h$  in the model (Hill et al., 2001) and from our hybrid system analysis that  $\bar{g}_h$  sets the final spike frequency from which an inhibited neuron escapes.

Finally, the changes in cycle period of the model half-center oscillator observed under bilateral and unilateral variation of  $\bar{g}_h$  are qualitatively very similar (data not shown). Essentially, the change in period for a bilateral change in  $\bar{g}_h$  is double that for a unilateral change in  $\bar{g}_h$ .

#### Unilateral variation of $\tau_h$ in the silicon neuron.

We assessed the effect of varying  $\tau_h$  (the time constant of activation and deactivation of  $I_h$ ) on the rhythmic activity of the hybrid oscillator only by varying this parameter in the silicon neuron, having demonstrated that alterations of the properties of the silicon neuron can describe similar changes in the heart interneuron.





**Figure 9.** *A–C*,  $\bar{g}_h$  determines when  $I_h$  reaches its maximal level of activation during the inhibited phase of the burst cycle of a hybrid half-center oscillator. We measured this timing as the percentage of the inhibited phase at which  $I_h$  achieved its maximal level of activation. *A*, SiN  $\bar{g}_h$  varied. *B*, HN  $\bar{g}_h$  varied in the presence of endogenous  $I_h$ . *C*, HN  $\bar{g}_h$  varied with endogenous  $I_h$  blocked by 2 mM  $\text{Cs}^+$ . The data point at HN  $\bar{g}_h = 0$  nS is rather fanciful because there is no endogenous h-current and none is added or subtracted with dynamic clamp. Thus, this point is not connected to the rest by a line segment. *D*, Changes in the oscillator period caused by variation of  $\bar{g}_h$  are primarily attributable to changes in burst duration of the non-modified “neuron” (equivalent to duration of the inactive phase in the modified neuron). The change in burst duration from the canonical operating point for the non-modified neuron is plotted versus the change in the oscillator period. The dashed line indicates that all of the change in the oscillator period is attributable to change in the burst duration of the non-modified neuron. The data points all lie near this line, indicating that  $I_h$  is selectively acting to shorten the inhibited phase of the burst cycle of the oscillator.

In seven experiments, we varied  $\tau_h$  of the silicon neuron (SiN  $\tau_h$ ) from 0.25 to 8 sec (canonical  $\tau_h = 2$  sec). Typical activity at different values of SiN  $\tau_h$  is shown in Figure 11A. With canonical parameter values, the oscillator cycle period was  $4.19 \pm 0.42$  sec, and the burst duration of the silicon neuron ( $1.9 \pm 0.1$  sec) and the heart interneuron were similar ( $2.1 \pm 0.4$  sec) (Fig. 11A). Alterations of SiN  $\tau_h$  had no statistically significant effect of the final spike frequency for either cell (Fig. 11D) (ANOVA) (Table 2). There was a statistically significant effect of varying SiN  $\tau_h$  on the period of the system (ANOVA) (Table 2), but this effect was complex (Fig. 11A). Between 0.5 and 8 sec, increases in SiN  $\tau_h$  led to increases in period, but below 0.5 sec period decreased with increasing  $\tau_h$ , although pairwise comparisons showed that this increase did not quite reach significance between SiN  $\tau_h = 0.5$  and 0.25 sec ( $p = 0.06$ ). There was also no statistically significant effect of varying SiN  $\tau_h$  on burst duration of the unvaried heart interneuron ( $p = 0.07$ ) (ANOVA) (Table 2), although a trend in the data similar to the effect on period is apparent (Fig. 11C). Surprisingly, there was a very small, but statistically significant, effect of SiN  $\tau_h$  on the burst duration of the silicon neuron (ANOVA) (Table 2; Fig. 11C); this effect reflects the slow deactivation of  $I_h$  during the burst, especially when SiN  $\tau_h$  is large, that prolongs the burst. Decreasing SiN  $\tau_h$  below the canonical value

also led to a decrease in the percentage of the inhibited phase at which  $I_h$  attained its maximal level of activation in the heart interneuron, but no effect was noted with increases of SiN  $\tau_h$  above the canonical value (Fig. 11A) (group data not shown).

The increase in oscillator period for low values of  $\tau_h$ , seen as a trend in the data of Figure 11C, was seen as a qualitatively similar effect in the mathematical model. As  $\tau_h$  decreases,  $I_h$  activates faster. Up to a certain point, this means that the depolarizing current will be present at an earlier time during the inhibited phase of the burst. The duration of the inhibited phase will be shortened, and the period of oscillations will decrease. As  $\tau_h$  decreases beyond a certain level, however, the activation level of  $I_h$  begins to approximate its steady-state value. The depolarizing effects of  $I_h$  move the membrane potential to a level at which  $I_h$  deactivates before the neuron reaches threshold. Thus, very little depolarizing current will be available to drive the neuron out of inhibition, and the duration of the inhibited phase will therefore increase.

## Discussion

We have constructed a hybrid half-center oscillator using a living heart interneuron from the medicinal leech and a silicon model neuron. Using this hybrid half-center oscillator, we investigated the role of the hyperpolarization-activated inward current  $I_h$  in rhythm generation and the control of period and burst duration. We varied three parameters of  $I_h$  in the silicon neuron:  $\bar{g}_h$  (the maximal conductance of  $I_h$ ) and  $\tau_h$  (the time constant of  $I_h$  activation/deactivation). Using dynamic clamp,

we also varied  $\bar{g}_h$  in the heart interneuron, both with endogenous  $I_h$  present and with endogenous  $I_h$  blocked, thereby demonstrating that the heart interneuron and the silicon neuron were functionally similar. Increasing  $\bar{g}_h$  increased the firing frequency of the active (unvaried) neuron at which the inhibited (varied) neuron escaped from inhibition. As a result, increasing  $\bar{g}_h$  decreased the duration of the inhibited phase in the varied neuron and decreased the cycle period. Varying  $\tau_h$  had no effect on the spike frequency at transition; as it decreased, however, the cycle period of the hybrid oscillator initially decreased but then increased.

## Validity of the hybrid neuronal network

For several years, numerous efforts have been made to construct hybrid networks for neuronal network investigations. The goal of such investigations has been to use the controllability and well defined structure of a model to better understand neuronal function, while still retaining the realism provided by living neurons. In general, these efforts have taken two different approaches. The first approach has used nonphysiological models, such as nonlinear oscillators or phenomenological model neurons, coupled with a neuron or a neuronal network (Yarom, 1991; Szucs et al., 2000). The relative simplicity of these models facilitates the study of dynamical proper-

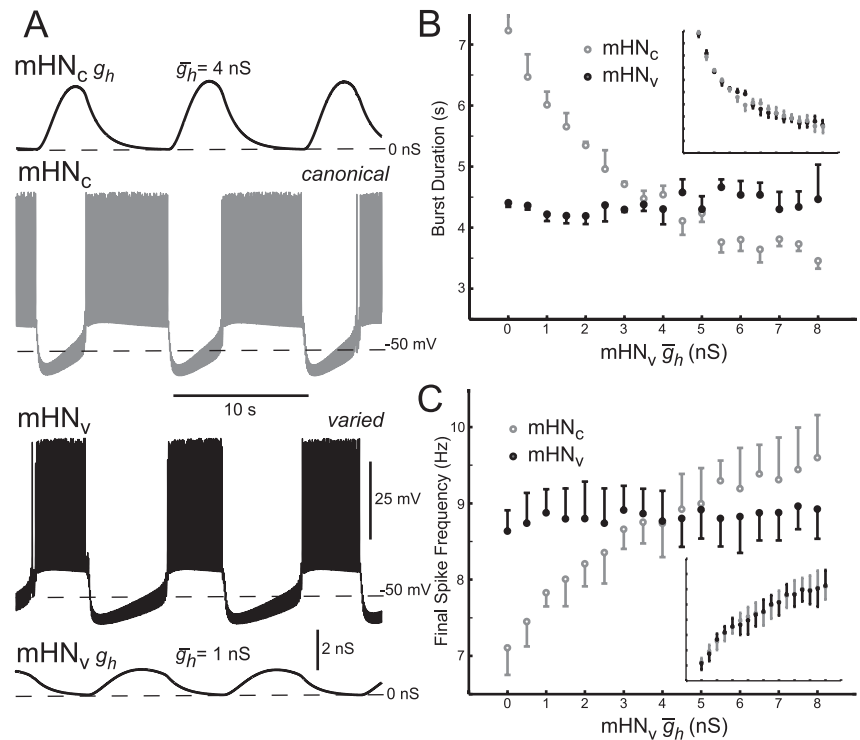
ties; such study is extremely difficult with more complicated models. The second approach has been to use physiologically realistic, conductance-based model neurons. This approach facilitates the investigation of both the mechanisms by which activity is produced and the functional role of different conductances (Renaud-LeMasson et al., 1993; Le Masson et al., 1995, 2002; Nadim and Manor, 2001; Manor and Nadim, 2001; Derjean et al., 2003).

Our hybrid system used an analog silicon neuron that implemented a realistic conductance-based model based on the Hodgkin–Huxley formalism (Hodgkin and Huxley, 1952; Simoni et al., 2004). This mechanistic approach to modeling was necessary because we were interested in studying how intrinsic ionic currents contribute to generating rhythmic oscillatory activity. Whereas this goal could have been accomplished with a more common digital model, the silicon neuron provides several advantages in terms of scalability and power consumption that will be important in expanding the scale of the model in future hybrid systems. Although there are often many difficulties in working with silicon neurons, great care was taken to ensure that the properties of our silicon neuron were closely matched to those of the heart interneuron. Voltage-clamp analysis performed on the silicon neuron revealed that its intrinsic currents are well matched to those of a mathematical model of a heart interneuron. As a result, when the tonically firing model neuron and tonically firing biological neuron were coupled with inhibitory synapses using dynamic clamp, they produced alternating rhythmic bursting. This transformation in activity is analogous to results observed when inhibitory synaptic transmission is reversibly blocked in heart interneurons recorded by sharp microelectrode penetration (Schmidt and Calabrese, 1992; Cymbalyuk et al., 2002a).

The oscillations produced by our hybrid system were very similar to those observed in the living heart interneuron half-center oscillator. Furthermore, we demonstrated that qualitatively similar changes in cycle period, burst duration, and final spike frequency were observed when  $\bar{g}_h$  was varied either in the silicon neuron or in the heart interneuron. This demonstration of symmetry in observed effects between the model neuron and a heart interneuron indicates that conclusions drawn from the model can be applied confidently to the living system.

### Role of $I_h$ in heart interneuron half-center oscillators

$I_h$  has been implicated in the generation of rhythmic activity in numerous vertebrate and invertebrate systems (Pape, 1996; Sharp et al., 1996; Luthi and McCormick, 1998; Robinson and Siegelbaum, 2003). In the thalamus, for example, the interaction of  $I_h$  with a low-threshold  $\text{Ca}^{2+}$  current leads to the generation of oscillatory bursting activity that plays an important role in sleep (McCormick and Huguenard, 1992). Additionally, it has been shown that  $I_h$  can influence or pace rhythmic activity within the inferior olive, the hippocampus, and the pre-Botzinger complex

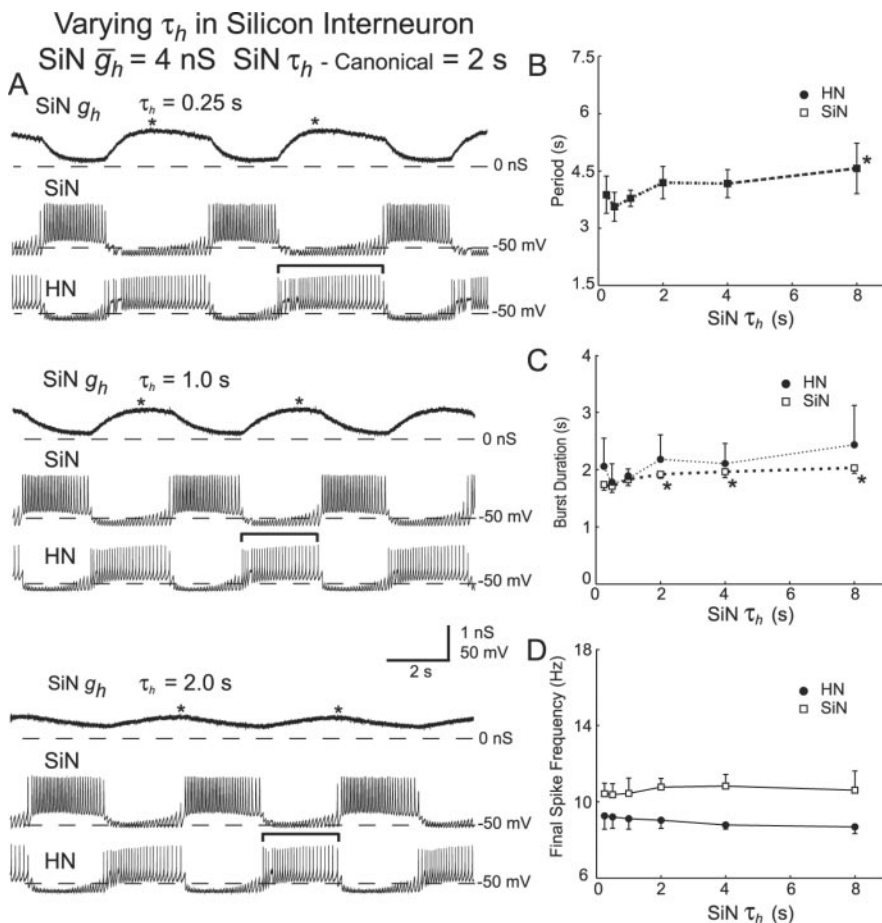


**Figure 10.** Unilateral variation of  $\bar{g}_h$  in the mathematical model of a heart interneuron half-center oscillator. *A*, Typical activity for an unbalanced half-center oscillator: membrane potential and h-current conductance ( $g_h$ ) for both the varied ( $mHN_v$ ) and the canonical (unvaried;  $mHN_c$ ) model heart interneuron. *B*, Increasing  $\bar{g}_h$  causes a decrease in burst duration of the unvaried canonical “neuron,” which is equivalent to the duration of the inactive phase of the varied neuron. Varied neuron burst duration remains constant. Inset, Results for symmetric variation of  $\bar{g}_h$  plotted with the same axes values. *C*, Final spike frequency of unvaried canonical neuron increases with increasing  $\bar{g}_h$ . Final spike frequency of varied neuron remains relatively constant. Inset, Results for symmetric variation of  $\bar{g}_h$  plotted with the same axes values. The error bars indicate the SD over  $n \geq 25$  cycles for the individual modeling trial.

of the mammalian brain (Maccaferri and McBain, 1996; Bal and McCormick, 1997; Thoby-Brisson et al., 2000). Given the widespread distribution of  $I_h$  and its importance in the generation of rhythmic activity, it is not surprising that  $I_h$  appears to be a frequent target of modulation (Kiehn and Harris-Warrick, 1992; Harris-Warrick et al., 1995; Wang et al., 2002).

Previous modeling and physiological studies in our laboratory indicate that  $I_h$  exerts an important control on period in heart interneuron half-center oscillators (Olsen and Calabrese, 1996; Hill et al., 2001). By making unilateral changes in this analysis, we have supplemented the previous work to demonstrate the selectivity of  $I_h$  in controlling the inhibited phase of the heart interneuron burst cycle. In both the mathematical model and the hybrid system, modulation of  $I_h$  by  $\bar{g}_h$  and  $\tau_h$  substantially affect the duration of the inhibited phase of the oscillation, with little or no effect on burst duration of the varied neuron. Thus, in addition to its role as a period regulator,  $I_h$  can also alter the balance of activity (duty cycle) in a half-center oscillator. Our results are consistent with other investigations into the functional role of  $I_h$ , which demonstrated that increasing  $I_h$  decreases cycle period and increases the duty cycle of affected cell (MacLean et al., 2003; Zhang et al., 2003). Because leech heartbeat half-center oscillators always produce equally balanced rhythmic oscillations, any modulatory process that acts on  $\bar{g}_h$  or  $\tau_h$  would have to either act bilaterally or additionally effect some other property to maintain an appropriate balance of activity.

Overall, the results produced by experiments with the hybrid system were very similar to the results observed in simulated



**Figure 11.** Variation of  $\tau_h$  in the silicon neuron (SiN  $\tau_h$ ) of a hybrid half-center oscillator. *A*, Typical activity at three different values of HN  $\bar{g}_h$ . Voltage traces for the silicon neuron (SiN) and the heart interneuron (HN) and h-current conductance (SiN  $g_h$ ) for the heart interneuron are shown. The burst duration of the unaltered heart interneuron is indicated by brackets. *B*, Variations in SiN  $\tau_h$  have a significant effect on the cycle period. Decreasing SiN  $\tau_h$ , down to 0.5 sec, causes a decrease in the cycle period. An additional decrease in SiN  $\tau_h$ , however, causes an increase in the cycle period. *C*, Decreasing SiN  $\tau_h$  decreases the burst duration of the heart interneuron and also causes a slight decrease in the burst duration of the silicon neuron. *D*, Variations in SiN  $\tau_h$  have no significant effect on the final spike frequency of either the silicon neuron or the heart interneuron. In *B–D*, a thick line connecting data points indicates a significant effect of varying SiN  $\tau_h$  as determined by ANOVA ( $p < 0.05$ ), and asterisks indicate a significant difference ( $p < 0.05$ ) between the measured value and the corresponding value when SiN  $\tau_h$  was set at 0.5 sec in pairwise comparisons.

experiments with the mathematical model. There was, however, one prominent difference that provides some insight into the role of  $I_h$  in heart interneuron half-center oscillators. The hybrid system oscillates at a substantially shorter period than the mathematical model, although the average period of the hybrid system is close to the lower limit of periods observed in the biological oscillator (Cymbalyuk et al., 2002a). Despite this difference, the qualitative effects of  $\bar{g}_h$  and  $\tau_h$  on period, burst duration, and final spike frequency are the same in both the hybrid system and in the mathematical model. This result not only demonstrates the validity of the hybrid system but also reveals that the qualitative effects of  $\bar{g}_h$  and  $\tau_h$  variation are apparently independent of the cycle period. Modulatory mechanisms are often dependent on the state of the neuron (Goldman et al., 2001). Identifying mechanisms that are state independent is important because they provide a means for the network to modulate its activity regardless of other factors that may be affecting the period. For example, the heartbeat of juvenile leeches is significantly faster than that of adults (Wenning et al., 2004). Both juvenile and adult leeches could therefore use  $\bar{g}_h$  and  $\tau_h$  to modulate their heart rate.

When  $\bar{g}_h$  was at canonical/normal values or smaller, we observed many cases in which  $I_h$  reached its maximal level of activation in the varied neuron long before a burst transition occurred, indicating that no transition was possible until spike frequency of the opposite interneuron declined to a low enough level to reduce inhibition in the varied neuron to the point that it could be overcome by the fully activated  $I_h$  (Figs. 6–9). When  $\bar{g}_h$  was increased, however,  $I_h$  reached its maximal level of activation at or just before the burst transition in the varied neuron; this did not represent a change in the amount of time necessary for  $I_h$  to activate but rather the higher final frequency that could be overcome. These results indicate that time course of inactivation of the low-threshold slowly inactivating  $Ca^{2+}$  current that supports the burst (Angstadt and Calabrese, 1991; Hill et al., 2001) is critical in determining the burst duration of a heart interneuron and thus the period of a half-center oscillator, a hypothesis that may be tested in future hybrid system experiments.

In conclusion, we demonstrated that a hybrid system composed of both biological and modeled neurons can produce realistic activity, and that alterations in the properties of the model neuron accurately reflect similar alterations of the biological neuron. Furthermore, we have demonstrated how  $I_h$  can serve as a regulator of network activity, with increasing levels of  $I_h$  decreasing cycle period and increasing the duty cycle of affected neurons.

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