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## Simultaneous $T_1$ and $T_2$ Mapping of Hyperpolarized $^{13}\text{C}$ Compounds using the bSSFP Sequence

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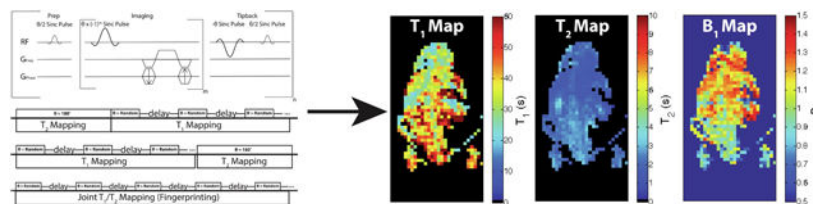
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### Abstract

As in conventional  $^1\text{H}$  MRI,  $T_1$  and  $T_2$  relaxation times of hyperpolarized (HP)  $^{13}\text{C}$  nuclei can provide important biomedical information. Two new approaches were developed for simultaneous  $T_1$  and  $T_2$  mapping of HP  $^{13}\text{C}$  probes based on balanced steady state free precession (bSSFP) acquisitions: a method based on sequential  $T_1$  and  $T_2$  mapping modules, and a model-based joint  $T_1/T_2$  approach analogous to MR fingerprinting. These new methods were tested in simulations, HP  $^{13}\text{C}$  phantoms, and in vivo in normal Sprague-Dawley rats. Non-localized  $T_1$  values, low flip angle EPI  $T_1$  maps, bSSFP  $T_2$  maps, and Bloch-Siegert  $B_1$  maps were also acquired for comparison.  $T_1$  and  $T_2$  maps acquired using both approaches were in good agreement with both literature values and data from comparative acquisitions. Multiple HP  $^{13}\text{C}$  compounds were successfully mapped, with their relaxation time parameters measured within heart, liver, kidneys, and vasculature in one acquisition for the first time.

### Graphical Abstract



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## Keywords

$^{13}\text{C}$ ; hyperpolarized;  $T_1$ ;  $T_2$ ; Mapping; SSFP

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## 1. Introduction

The development of hyperpolarized (HP)  $^{13}\text{C}$  imaging with dissolution dynamic nuclear polarization, which provides a >10,000-fold signal enhancement for injected substrates, has enabled monitoring of various physiological processes for a wide range of diseases [1-3]. Probes such as pyruvate and urea inform on metabolism and perfusion [4-6], respectively, with several new probes currently being developed for additional applications [7-9]. Recent phase I and phase II human clinical trials have shown successful translation of [1- $^{13}\text{C}$ ]pyruvate for monitoring metabolic conversion to [1- $^{13}\text{C}$ ]lactate, [1- $^{13}\text{C}$ ]alanine, and [1- $^{13}\text{C}$ ]bicarbonate in prostate, brain, and liver cancer, and in the heart [10-15].

$^{13}\text{C}$   $T_1$ 's and  $T_2$ 's are important parameters for characterizing new probes, pulse sequence optimization, calculations of rate constants such as  $k_{\text{PL}}$  [16], and could also be used for assessment of healthy versus diseased tissue, as is commonly done in  $^1\text{H}$  imaging [17-20]. The development of quantitative MRI has indicated the advantage of direct quantitation of these parameters for a wide variety of clinical applications. Estimation of these parameters for  $^1\text{H}$  has been well studied and can be done either individually [21-26] or simultaneously with MR fingerprinting with the balanced steady-state free precession (bSSFP) sequence [27-29]. High spatial resolution  $T_2$  mapping has been recently developed for calculating in vivo  $^{13}\text{C}$   $T_2$ 's using bSSFP [30-34], while  $T_1$  values for  $^{13}\text{C}$  compounds, which represent decay of the hyperpolarization towards thermal equilibrium, have been reported on a non-localized basis. Furthermore, mapping the distribution of both parameters in vivo in one acquisition has not been investigated to our knowledge. Simultaneous acquisition of  $T_1$  and  $T_2$  data is challenging for multiple reasons, such as the limited lifetime of the HP magnetization, conversion of metabolically-active compounds, and flow.

bSSFP has previously been shown to provide high SNR imaging of  $^{13}\text{C}$  compounds [30,31,35] in an efficient and rapid fashion and has attractive properties for simultaneous mapping of  $T_1$  and  $T_2$  by analogy with its use in  $^1\text{H}$  MR fingerprinting. In this study, we aimed to develop and apply simultaneous in vivo  $T_1$  and  $T_2$  mapping of multiple hyperpolarized  $^{13}\text{C}$  probes using two new approaches based on specialized bSSFP acquisitions: a method based on sequential  $T_1$  and  $T_2$  mapping modules, and a model-based joint  $T_1/T_2$  approach analogous to MR fingerprinting. These two different approaches were successfully tested in HP  $^{13}\text{C}$  phantoms and normal rats, producing high spatial resolution  $T_1$  and  $T_2$  maps of heart, liver, kidneys, and vasculature.

## 2. Methods

### 2.1 Sample Preparation

[2- $^{13}\text{C}$ ]pyruvate, [ $^{13}\text{C}$ ]urea, [ $^{13}\text{C},^{15}\text{N}_2$ ]urea, and HP001 were prepared as described previously [31,36]. The compounds were individually polarized in a HyperSense system

(Oxford Instruments, Abingdon, UK) operating at 1.35 K and 3.35 T to achieve polarizations of ~15-20% for each compound. The compounds were then dissolved in appropriate media: 4.5 mL of 80 mM NaOH/40 mM Tris buffer for [2-<sup>13</sup>C]pyruvic acid resulting in 80 mM [2-<sup>13</sup>C]pyruvate (hereafter referred to as C<sub>2</sub>-pyruvate); 5 mL of 1x phosphate-buffered saline for [<sup>13</sup>C]urea resulting in 110 mM [<sup>13</sup>C]urea; 5 mL of 1x phosphate-buffered saline for [<sup>13</sup>C,<sup>15</sup>N<sub>2</sub>]urea resulting in 110 mM [<sup>13</sup>C,<sup>15</sup>N<sub>2</sub>]urea; and 5 mL of 1x phosphate-buffered saline for HP001 resulting in 100 mM HP001.

## 2.2 Animal Preparation and Hardware

All animal studies were done under protocols approved by the University of California San Francisco Institutional Animal Care and Use Committee (IACUC). Normal female Sprague-Dawley rats (Charles River Laboratories, Wilmington, MA, Age: ~ 1 year old, Average Weight: ~284 g), anesthetized using isoflurane (1.5%, gas flow rate 1 L/min) and inserted with lateral tail vein catheters, were used during the course of these experiments.

All experiments were performed on a GE MR750 3 Tesla clinical MRI scanner (GE Healthcare, Waukesha, WI) using custom dual-tuned <sup>13</sup>C/<sup>1</sup>H quadrature transceiver radiofrequency (RF) coils with an 8 cm diameter. For the duration of the experiments, all animals were placed in a supine position on a heated pad within the coil, centered at the level of the kidneys. A 1 mL enriched [<sup>13</sup>C]urea vial phantom (6.0 M) was placed adjacent to the abdomen and used for frequency and power calibration.

## 2.3 MR Experiments

A custom bSSFP sequence was developed for this study, consisting of three portions for dynamic imaging (Figure 1A): preparatory portion consisting of a  $\theta/2$ -TR/2 pulse for catalyzation, imaging portion consisting of alternating phase sinc pulses and balanced gradients, and a tipback portion consisting of a  $\theta$ -TR- $\theta/2$ -TR/2 sequence for storing the magnetization along the longitudinal axis for imaging multiple time-points. Each acquisition consisted of one of two approaches: either two independent scanning modules (dual module) (Figure 1B and 1C) or modified MR fingerprinting (model-based joint T<sub>1</sub>T<sub>2</sub> approach) (Figure 1D). The dual module approach featured one T<sub>2</sub> mapping module and one T<sub>1</sub> mapping module (in either order). The T<sub>2</sub> mapping module was acquired as described previously [31], The T<sub>1</sub> module specifically involved using delays between imaging, whereby the magnetization tipped back onto the longitudinal axis after imaging would decay by T<sub>1</sub>. Initial studies utilized both constant and variable delays, ranging from 1-10 s, as well as constant and variable flip angles, ranging from 10-180° ( $\theta$ ) during the T<sub>1</sub> mapping module, to investigate potential in vivo SNR limitations and consequent signal fitting. Figure 2A shows an example set of delays and flip angles for a T<sub>2</sub> followed by T<sub>1</sub> mapping acquisition, with variable delays and flip angles for the T<sub>1</sub> mapping portion, while Figure 2B shows the delays and flip angles for a T<sub>1</sub> followed by T<sub>2</sub> mapping acquisition. Initial studies of the modified MR fingerprinting approach involved random delays between imaging, ranging from 1-9 s, and random flip angles, ranging from 10-180° ( $\theta$ ), throughout the entire acquisition, with Figure 2C showing an example set of delays and flip angles for one acquisition. Simulations were performed for the modified MR fingerprinting approach to generate potential combinations of flip angles, delays, and total time-points using the signal

equation detailed below. All simulations had added Gaussian noise to mimic in vivo conditions and combinations resulting in calculated  $T_1$ ,  $T_2$ , and  $B_1$  values within 10% of the inputted values were subsequently utilized. The  $B_1$  value represents the  $B_1$  ratio, where a ratio of 1.0 would represent the exact flip angle intended.

All in vivo acquisitions were acquired as 2D coronal projections (no slice-select gradient) and featured the following parameters:  $14 \times 7 \text{ cm}^2$  FOV,  $1.25 \times 1.25 - 4 \times 4 \text{ mm}^2$  in-plane spatial resolution, 1.6 ms sinc pulse with a TBW = 4, 5.6-6.4 ms TR, 40-90 time-points, scans starting at 30 s after start of injection, with ~3 mL injected over 12 s. For comparison, individual  $T_1$  maps,  $T_2$  maps, and  $B_1$  maps were acquired using echo-planar imaging (EPI) [37], bSSFP [31], and Bloch-Siegert  $B_1$  mapping [38,39], respectively. Single-shot echo-planar imaging (EPI)  $T_1$  maps were also acquired as coronal projections and featured the following parameters:  $2.5 \times 2.5 \text{ mm}^2$  in-plane spatial resolution, 3.2 ms sinc pulse with a TBW = 4, constant  $5^\circ$  flip angle, 1 s TR, 80 time-points, scans starting at 30 s after start of injection. bSSFP  $T_2$  maps were acquired with the following parameters:  $14 \times 7 \text{ cm}^2$  FOV,  $2.5 \times 2.5 \text{ mm}^2$  in-plane spatial resolution, 1.6 ms sinc pulse with a TBW = 4, 5.6 ms TR, 100 time-points, scans starting at 30 s after start of injection. Bloch-Siegert  $B_1$  maps were acquired in the coronal plane with a single-band spectral-spatial excitation pulse and a single-shot spiral readout and featured the following parameters:  $8.5 \times 8.5 \text{ cm}^2$  FOV,  $2.5 \times 2.5 \text{ mm}^2$  in-plane spatial resolution, 1 cm slice thickness, fermi pulse duration  $T_{RF}$  of 12 ms, frequency offset  $\omega_{RF}$  of  $\pm 4.5 \text{ kHz}$ ,  $10^\circ$  flip angle, 200 ms TR, scans starting at 15 s after start of injection. Non-localized  $T_1$  values were also acquired using a 500  $\mu\text{s}$  hard pulse,  $5^\circ$  flip angle, 3 s TR, and 100 time-points. For anatomic reference, 3D bSSFP proton images ( $16 \times 8 \times 4.8 \text{ cm}$ ,  $256 \times 128 \times 80$ , 5.1 ms TR,  $50^\circ$  flip angle) were acquired.

## 2.4 Phantom Experiments

All hyperpolarized phantom ( $[^{13}\text{C}, ^{15}\text{N}_2]\text{urea}$ ) acquisitions were also acquired as 2D coronal projections and featured the following parameters:  $14 \times 7 \text{ cm}^2$  FOV,  $1 \times 1 \text{ mm}^2$  in-plane spatial resolution, 1.6 ms sinc pulse with a TBW = 4, 7.7 ms TR, 80-110 time-points, scans starting at 20 s after the syringe was placed into the coil.

## 2.5 Signal Model and Fitting

All data was reconstructed and analyzed in Matlab (MathWorks, Natick, Massachusetts, USA). The signal train for each approach was modeled using the bSSFP signal equation developed by Scheffler [40], adopted for hyperpolarized  $^{13}\text{C}$  imaging (i.e. transient state with negligible  $T_1$  recovery):

$$M_{xy,n} = M_{z,0} * \sin \theta/2 * \left[ (\cos \theta/2)^2 + E_2(\sin \theta/2)^2 \right]^n \quad [1]$$

where  $\theta$  is the flip angle,  $E_1 = \exp(-\text{TR}/T_1)$ ,  $E_2 = \exp(-\text{TR}/T_2)$ , and  $n$  is the pulse number (i.e. phase encode). During the delay portion of the  $T_1$  mapping module and the modified MR fingerprinting approach, the magnetization was assumed to decay by  $\exp(-\text{delay}/T_1)$ .  $M_{z,0}$  corresponded to the initial longitudinal magnetization for each time-point, after accounting for the delay portion.

An initial SNR threshold, which varied from 5-20 depending on the compound, was used to filter out low SNR voxels. Additionally, respiratory motion correction in the superior/inferior direction was performed using rigid translation via mutual information, as described previously [41]. All fitting was done on a voxel-by-voxel basis and only voxels with fits of  $R^2 > 0.9$  were kept. The fitting of the dual module approach acquisitions was done by first fitting the  $T_2$  mapping portion to a single exponential fit, and then feeding in the resulting values into the fitting of the  $T_1$  mapping portion. The fitting for the  $T_1$  mapping portions of the dual module approach, as well as the modified MR fingerprinting, was done using non-linear least squares with the trust-region-reflective algorithm. The initial guesses for the algorithm were based on known non-localized  $T_1$  values for each compound, as well as previously acquired mean  $T_2$  maps in the case of the modified MR fingerprinting. For comparison for the modified MR fingerprinting,  $T_1$  and  $T_2$  were fit using dictionary matching via the maximum inner product method [42], where the dictionary was created with a range of  $T_1$ 's (200 ms increments from 10-100 s),  $T_2$ 's (100 ms increments from 0.1 to 10 s), and  $B_1$ 's (2% increments from 50-150%), where  $B_1$  is the ratio of the obtained flip angle to the desired flip angle [28].

EPI  $T_1$  maps were calculated on a voxel-by-voxel basis by fitting to a mono-exponential curve after respiratory motion and flip angle correction. bSSFP  $T_2$  maps were calculated as described previously [31], with the mean  $T_2$  maps used for comparison.

### 3. Results

Figure 3 shows the calculated parameter maps for the hyperpolarized [ $^{13}\text{C},^{15}\text{N}_2$ ]urea phantom acquisitions of all three approaches. The dual module approach with the  $T_2$  module followed by the  $T_1$  module is shown in parts A and B, while the dual module approach with the  $T_1$  module followed by the  $T_2$  module is shown parts C and D. The modified MR fingerprinting approach is shown in parts E-G. The acquisitions were similar to those shown in Figure 2, albeit with more  $T_1$  and  $T_2$  mapping time-points due to the longer solution state  $T_1$  and  $T_2$  compared to in vivo for [ $^{13}\text{C},^{15}\text{N}_2$ ]urea. The mean and intra-map standard deviation of the  $T_1$  and  $T_2$  maps from all three acquisitions matched up well among each other and the literature values. The  $B_1$  map in part G, with a mean value of 1.0, matched up well with the expected profile of the syringe within the volume coil, with some drop-off near the edge of the coil as seen at the bottom of the syringe. Deviations within the maps can be attributed to some  $B_0$  inhomogeneity along the S/I dimension.

Figure 4 shows results for an HP001 acquisition of the dual module approach ( $T_2$  mapping followed by  $T_1$  mapping), including a  $^1\text{H}$  anatomical slice (A), representative time-point (B),  $T_1$  map (C), EPI  $T_1$  map (D),  $T_2$  Map (E), and bSSFP  $T_2$  map (F). The  $T_1$  mapping module featured variable delays and flip angles, as seen in Figure 2A. The relevant anatomical structures are outlined, with the location being similar in all in vivo acquisitions in the study. The mean and intra-map standard deviation of the  $T_1$  map was  $44.6 \pm 7.6$  s, which was close to the non-localized  $T_1$  of 37.1 s, with the  $T_1$  distribution matching well with the EPI  $T_1$  map in the abdomen. The  $T_2$  maps also agreed well with each other in terms of distribution and  $T_2$ 's and mean and intra-map standard deviation. The Bland-Altman plots in Supporting Figure 1A and 1B show good agreement between the dual module and comparative

acquisitions on a voxel-by-voxel basis, with most voxels agreeing to within a few seconds (for  $T_1$ )/less than 0.5 s (for  $T_2$ ) of each other, except for voxels corresponding to long  $T_1$ 's and  $T_2$ 's in the kidneys that can be attributed to both renal filtration effects and some low SNR fitting of the dual module approach. Supporting Video 1 shows all the time-points of the acquisition, along with the signal train for a representative voxel within the kidney, where rapid  $T_2$  decay occurs first, followed by slower  $T_1$  decay.

Figure 5 shows results for an HP001 acquisition of a different iteration of the dual module approach ( $T_1$  mapping followed by  $T_2$  mapping), including a  $^1\text{H}$  anatomical slice (A), representative time-point (B),  $T_1$  map (C), EPI  $T_1$  Map (D),  $T_2$  map (E), and bSSFP  $T_2$  map (F). The  $T_1$  mapping portion was done with a constant delay of 3 s and constant flip angle of  $5^\circ$  as illustrated in Figure 2B. The mean and intra-map standard deviation of the  $T_1$  map was  $30.3 \pm 5.3$  s, with the  $T_1$  and  $T_2$  distribution matching well with the EPI  $T_1$  map and bSSFP  $T_2$  map, respectively. As with the dual module approach in Figure 4, the Bland-Altman plots in Supporting Figure 1C and 1D show good agreement between this iteration of the dual module approach and the comparative acquisitions on a voxel-by-voxel basis, with most voxels agreeing to within a few seconds (for  $T_1$ )/less than 0.5 s (for  $T_2$ ) of each other, except for voxels corresponding to long  $T_1$ 's and  $T_2$ 's in the kidneys. The  $T_2$  maps in particular demonstrate the effects of renal filtration since the dual module  $T_2$  map was effectively acquired at 1 minute after the start of the acquisition and compared to the start of the comparative bSSFP  $T_2$  map, which gave rise to considerably longer  $T_2$  values in the kidneys. Supporting Video 2 shows all the time-points of the acquisition, along with the signal train for a representative voxel within the kidney, where slower  $T_1$  decay occurs first, followed by rapid  $T_2$  decay.

Figure 6 shows the representative time-point,  $T_1$  map, and  $T_2$  map of [ $^{13}\text{C},^{15}\text{N}_2$ ]urea (A-C), [ $^{13}\text{C}$ ]urea (D-F), and [ $2\text{-}^{13}\text{C}$ ]pyruvate (G-H) acquired with a dual module acquisition ( $T_1$  mapping followed by  $T_2$  mapping). The non-localized  $T_1$  was close to or within the mean and intra-map standard deviation of the  $T_1$  map, and  $T_2$  maps matched up with previously acquired maps [30,31,41], although some of the longer  $T_2$  values in the kidneys can be attributed to renal filtration over the course of the acquisition. Even with the relatively shorter  $T_1$  and  $T_2$ 's of [ $2\text{-}^{13}\text{C}$ ]pyruvate, as well as the short  $T_2$ 's of [ $^{13}\text{C}$ ]urea, the tailored acquisition resulted in enough high SNR time-points for accurate fitting of both parameters in the kidneys.

Figure 7 shows results for an HP001 acquisition of the modified MR fingerprinting approach and associated comparison maps, including a  $^1\text{H}$  anatomical slice (A), representative time-point (B),  $T_1$  map (C),  $T_2$  map (D),  $B_1$  Map (E), EPI  $T_1$  map (F), bSSFP  $T_2$  map (G), Bloch-Siegert  $B_1$  map (H), and an example signal fit from a kidney voxel (I). The mean and intra-map standard deviation of the  $T_1$  map was  $32.9 \pm 5.9$  s, which is close to the non-localized  $T_1$  of 37.1 s, and matches well with the EPI  $T_1$  map. The Bland-Altman plot in Supporting Figure 1E indicates good agreement between the two acquisitions on a voxel-by-voxel basis as well, with most voxels agreeing to within a few seconds of each other, except for voxels corresponding to long  $T_1$ 's in the kidneys that can be attributed to renal filtration effects. Similarly, the calculated  $T_2$  map matched up well with the bSSFP  $T_2$  map based on the calculated means and intra-map standard deviations, as well as qualitatively based on the

distribution of the  $T_2$ 's within the anatomy. The Bland-Altman plot in Supporting Figure 1F also indicates good agreement between the two acquisitions on a voxel-by-voxel basis, with most voxels agreeing to less than 0.5 seconds of each other. The additional  $B_1$  map calculated with this approach matched up with the expected coil profile for a rat heart/abdomen acquisition and the Bloch-Siebert  $B_1$  map within the kidneys, although deviation is visible within the liver due to potential motion effects during the readout of the Bloch-Siebert  $B_1$  mapping. Supporting Video 3 shows all the time-points of the acquisition, along with the signal train for a representative voxel within the kidney, with the signal exhibiting initial  $T_1$  decay and  $T_2$  decay as part of the “mini” modules depicted in Figure 2C, followed by random flip angles and delays for the remaining time-points. Dictionary matching was also able to successfully calculate all three maps (Figure 8), although the spatial smoothness of the  $T_1$  map was lower compared to non-linear least squares fit as evidenced by the larger intra-map standard deviation.

Table 1 shows a summary of the  $T_1$  and  $T_2$  values calculated here for the four compounds studied and the comparative global/gold standard/literature values. We also added values for  $[1-^{13}\text{C}]$ pyruvate due to its importance in the hyperpolarized  $^{13}\text{C}$  community, although we did not use the compound here.

## 5. Discussion and Conclusion

We have developed two successful approaches for in vivo high spatial resolution simultaneous  $T_1$  and  $T_2$  mapping using the bSSFP sequence: dual module approach and modified MR fingerprinting. Two iterations of the dual module approach were demonstrated, with individual  $T_1$  and  $T_2$  mapping portions performed in a sequential manner, and with each portion being acquired in either order. The modified MR fingerprinting successfully extracted  $T_1$ ,  $T_2$ , and  $B_1$  maps by fitting the acquired signal to the analytical bSSFP model after a randomized delay/flip angle acquisition. The distribution of these parameters from several HP  $^{13}\text{C}$  compounds, with a wide range of  $T_1$ 's and  $T_2$ 's, was shown within the kidneys, liver, heart, and vasculature. The approaches developed here can be used for quantitative  $^{13}\text{C}$  MRI by using  $T_1$  and  $T_2$  relaxometry to monitor various biological processes, such as intracellular versus extracellular uptake [44] and renal urea handling [41]. We were also able to validate the initial implementation of these approaches in vivo using EPI (for  $T_1$  values), bSSFP (for  $T_2$  values), and Bloch-Siebert (for  $B_1$  values).

Each of the described approaches has advantages that can be exploited for mapping specific compounds as well as achieving the highest in vivo distribution of these parameters. The advantage of the dual module approach was the straightforward manner of extracting the  $T_1$  and  $T_2$  maps since each parameter was sampled individually within different modules of the acquisition. Therefore only one parameter was being fit at one time, making the data analysis much less complicated. Furthermore, the exact timing of each module can be designed prior to the acquisition based on known estimates of the parameters for a given compound, thereby allowing proper sampling of each parameter, i.e. sampling for about 2-3  $T_1$ 's and  $T_2$ 's for accurate fitting. Of the two iterations presented here, the one with the  $T_1$  mapping module first via the acquisition detailed in Figure 5 was seen to be the most advantageous with regards to achieving a high and accurate distribution of each parameter at

various spatial resolutions for multiple compounds. The magnetization usage of this approach was more optimal compared to acquiring the  $T_2$  mapping module first because more magnetization remained for the  $T_2$  mapping module as compared to the other iteration where the  $T_2$  mapping module would use up considerable magnetization, thereby limiting the SNR of the subsequent  $T_1$  mapping module. This is further illustrated in the Bland-Altman plot in Supporting Figure 1A, where some of the  $T_1$  map voxels matched up poorly with the comparative EPI  $T_1$  map due to some low SNR fits that led to some overfitting. A limitation of the dual module approach was the lack of sensitivity to high spatial resolution  $B_1$  mapping since the acquisition did not have the necessary train of flip angles necessary for calculating  $B_1$  variation accurately [28]. A variable flip angle  $T_1$  mapping module would be a possibility for additionally mapping  $B_1$ , although we noticed difficulty in fitting both  $T_1$  and  $B_1$  simultaneously with this approach due to low SNR and limited time-points available for fitting.

The main advantage of the modified MR fingerprinting approach was the ability to map  $T_1$ ,  $T_2$ , and  $B_1$  at a high spatial resolution without any loss in the spatial distribution of any parameters, unlike what was seen in the dual module approach within the module that was acquired second. However, the data fitting was more difficult compared to the dual module approach since three parameters were being fit simultaneously. As with the dual module approach, the choice of temporal resolution between samples is crucial towards being sensitive in detecting the three parameters, with the set of variable flip angles and delays simulated prior to the acquisition. Based on the different schemes tried, the best results were seen with a delay ranging from 1-3 s and flip angles (theta) ranging from 20-120°, which allowed the magnetization to last for ~60-90 time-points or ~120-180 s (Figure 6). This scheme also featured additional “mini”  $T_1$  and  $T_2$  mapping modules (acquired on the order of one  $T_1$  and one  $T_2$ ) (Fig. 2C) that provided better initial estimates, as well as upper and lower bounds, for the non-linear least squares fit. This provided sufficient parameter sensitivity, due to long enough inter-imaging delays relative to the  $^{13}\text{C}$   $T_1$ , and variation in low and high flip angles that provided additional sensitivity to  $T_1$  (low flip angles), as well as  $T_2$  (high flip angles) and  $B_1$  (variation in the flip angles that induce signal oscillations). This scheme also provided a large amount of high SNR time-points, which was seen to be necessary for accurate fitting of the parameters as too few time-points, which was acquired in a few animals with long (up to 9 s) delay acquisitions or too many low flip angles, resulted in several voxels having visibly inaccurate  $T_1$ 's and  $T_2$ 's due to an inability of the algorithm to distinguish an expected fit from an inaccurate one (Supporting Fig. 2). Based on experience and literature,  $T_1$  mapping requires ~2-3  $T_1$  of samples spaced ~3 s for accurate fitting. Therefore, design of the acquisition needs to have the required sensitivity to the  $T_1$  of the probe via low flip angles and proper sampling timing. However, since SNR can be a limiting factor in all these acquisitions, and  $T_1$  takes the longest amount of time to sample (whether in dual module approach or utilizing the “mini” modules), then  $T_1$  becomes challenging to accurately measure when also trying to measure  $T_2$  (and  $B_1$ ) because the whole acquisition needs to be optimized to have accurate SNR and sampling to measure each parameter.  $T_1$  measurement can also be very sensitive to the flip angle chosen as correcting for  $T_1$  with an incorrect flip angle (even by a few degrees) can cause a change of ~5-10 s in the  $T_1$  calculation. Based on these challenges, further work is needed to balance



the length of the “mini” modules with the length of the random train of delays and flip angles to generate enough high SNR time-points for fitting, as well as further optimize the random train to improve  $B_1$  sensitivity [45].

Based on the results of all three methods presented here, we believe the most stable approach is using the dual module approach with  $T_1$  mapping followed by  $T_2$  mapping because of the ease and stability of the subsequent fittings. This approach appeared to be best validated by our gold standards (EPI and bSSFP) compared to the other two. One aspect of future work will focus on improving the model for more accurate fitting of the acquired in vivo data. In general, this could help resolve some of the differences seen between the developed approaches and “gold” standard acquisitions (EPI, bSSFP, Bloch-Siebert) at long  $T_1$  and  $T_2$  values, as illustrated by via the Bland-Altman plots. The purpose of this study was to demonstrate the feasibility of mapping multiple parameters from one acquisition, and as such we used the simple, but straightforward, bSSFP analytical model for signal fitting and a fully sampled acquisition for easy reconstruction. We did not incorporate  $B_0$  into the model because the frequency response of our acquisitions showed minimal variations over  $\pm 25$  Hz based on the pulse width, time-bandwidth product, TR, and range of flip angles used (Supporting Fig. 3). Future acquisitions could incorporate a linear ramp of  $\sim 5$  preparation pulses into the “prep” portion of the imaging sequence for additional off-resonance insensitivity [46,47].  $B_0$  can also be added to the model via Bloch simulations as is currently done in  $^1\text{H}$  MR fingerprinting, at the expense of a more complicated data analysis. Additionally, based on the differences between the modified MR fingerprinting and Bloch-Siebert acquisitions, the  $B_1$  term in the model can be considered a “nuisance” parameter that accounts for  $B_1$ , as well as other effects, such as  $B_0$  and motion. The signal fits and parameter maps were better with the  $B_1$  term included compared to without, but the calculated values might be slightly off of the true  $B_1$  measured by the Bloch-Siebert, such as  $\sim 1.1$  versus  $\sim 1$  in a kidney voxel as seen in Figures 7D and 7G. However, incorporation of  $B_0$  into the model could lead to an improved  $B_1$  estimation by allowing us to tease out the effects of  $B_0$  and  $B_1$  on the calculation of  $T_1$  and  $T_2$ .

We did not account for metabolism, such as for  $[2-^{13}\text{C}]$ pyruvate, where conversion to compounds with short  $T_1$ 's and  $T_2$ 's, such as  $[2-^{13}\text{C}]$ lactate, would result in an apparent decrease of the calculated  $[2-^{13}\text{C}]$ pyruvate  $T_1$ 's and  $T_2$ 's, since we utilized an RF pulse with a wide spectral bandwidth. We also did not account for renal filtration, which causes a dynamic elongation of  $T_1$  and  $T_2$  in the kidneys, particularly in the renal pelvis (Fig. 6), due to a removal of red blood cells and proteins that causes  $T_1$  and  $T_2$  to lengthen back towards solution state values [30,41]. Metabolism can be accounted for by incorporating a metabolic conversion rate to the  $T_1$  portion of the model as is currently done with calculation of  $k_{PL}$  [6]. Renal filtration can be accounted for within the kidney voxels by having  $T_1$  and  $T_2$  not be restricted to one value (representing a constant in vivo value), but to a vector of increasing values resulting in time-varying  $T_1$  and  $T_2$  maps. In general, the  $T_1$ 's and  $T_2$ 's measured here can be considered to be approximate or “apparent” values due to some confounding effects, such as RF transmitter variation and vascular contributions to some voxels [30].

Flow and perfusion are other sources of confounding effects that can cause deviations in relaxation measurements. The bSSFP sequence is first moment flow compensated along the frequency direction, so phase induced by flow along this direction should be fully rephased. However, flow along the phase encode direction will cause some dephasing in the voxel, which would lead to signal loss and a decrease in the apparent relaxation measurement, particularly  $T_2$  [30]. Perfusion into tissues over the course of the imaging sequence would cause changes in the local microenvironment for a particular probe. This could have a variety of effects, such as elongation of the  $T_2$  for urea due to perfusion within the kidneys, or perfusion into more metabolic regions of the body, which could be accounted for in the model as described above.

The clinical utility in this method can be looked at from two perspectives. One, as mentioned in the introduction, changes in these relaxation parameters can reveal differences in healthy versus diseased tissue, with a high resolution spatial distribution being necessary to identify where any abnormalities area, as demonstrated previously [32,34,41]. Second, we can use the distribution of relaxation parameters to help improve subsequent acquisitions, such as EPI or 3D bSSFP. For example, the spatial parameter information can be used to design an appropriate, on-the-fly, patient-specific, variable flip angle schedule to maximize the spatiotemporal SNR for and/or (if the same flip angle scheme is used for all patients) more accurately calculate other parameters that rely on these relaxation parameters, such as  $k_{PL}$ , post-acquisition. However, to obtain this parameter information, an additional injection would be required, which would make widespread use a challenge, although any information from patients would be beneficial for the hyperpolarized  $^{13}\text{C}$  community. Additionally, more work would need to be done to adapt our technique to  $[1-^{13}\text{C}]\text{pyruvate}$  and associated metabolites due to these metabolites resonating close to one another at 3T.

Another aspect of future work will focus on adding undersampling to improve the spatial resolution. Undersampling  $^1\text{H}$  parameter mapping [21,22] and MR fingerprinting acquisitions [27-29] is commonly done to speed up these acquisitions without any loss in pattern recognition and serves as a basis for undersampling HP acquisitions. While HP acquisitions are already fast due to rapid inherent decay of the HP signal, undersampling would reduce the number of phase encodes needed for higher spatial resolution (e.g.  $1 \times 1 \text{ mm}^2$ ), thereby preserving more magnetization for acquisition of multiple time-points. We have previously showed both 2D and 3D  $T_2$  mapping using a locally low rank plus sparse reconstruction that featured matrix sizes of  $140 \times 70 \times 20$  (2D) and  $120 \times 60 \times 18 \times 20$  (3D). Several types of reconstructions can be leveraged, with some initial retrospective simulations (Supporting Fig. 4) indicating both a temporal subspace and low rank reconstruction [22] and model-based reconstruction [21] being viable options going forward.

## Supplementary Material

Refer to Web version on PubMed Central for supplementary material.

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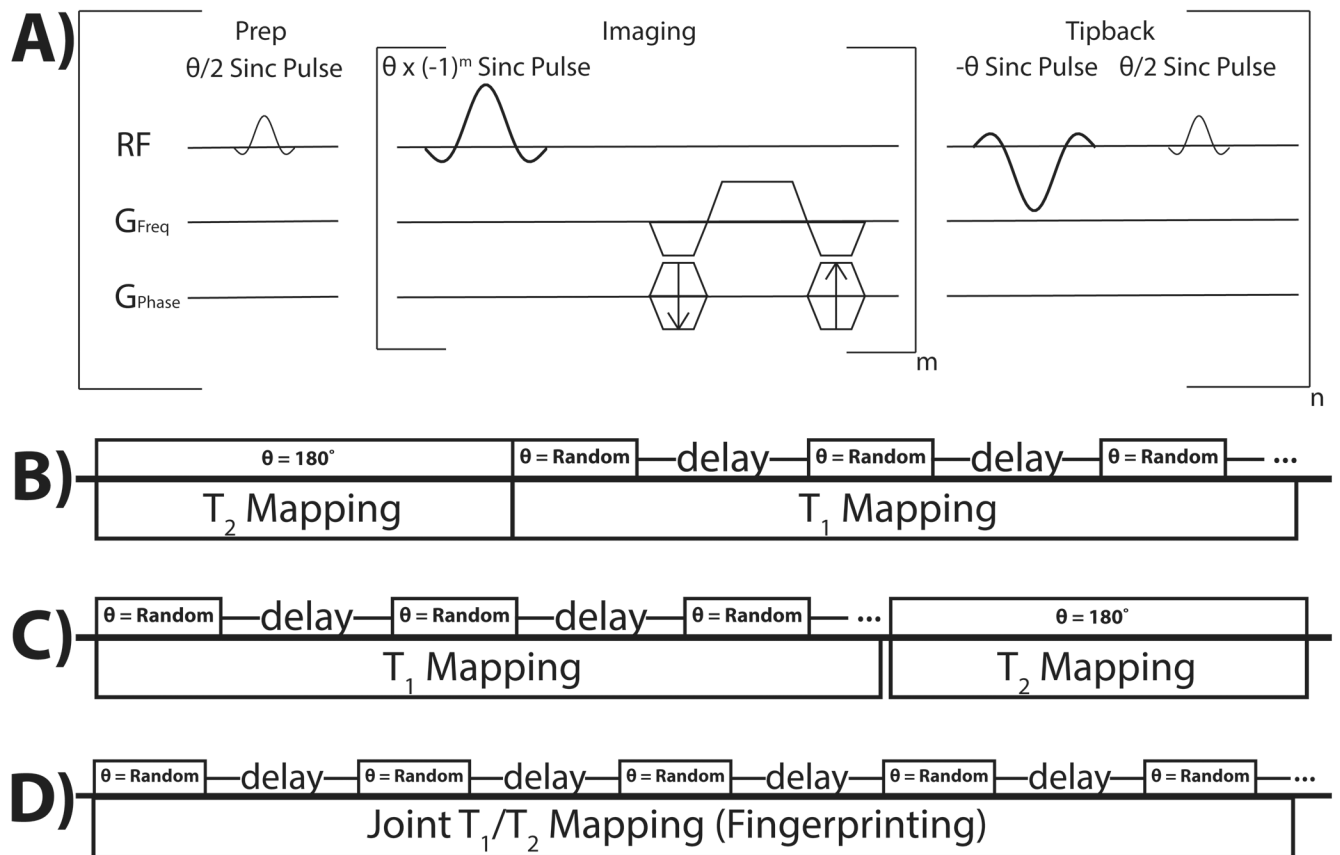
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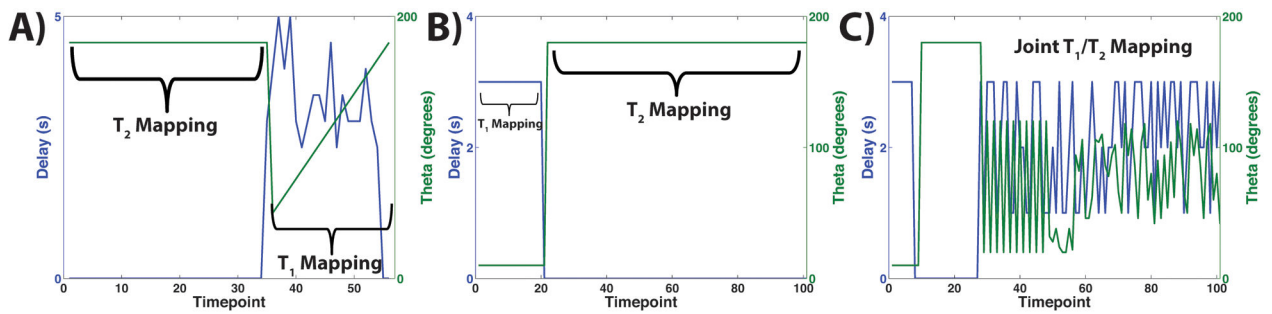
### Highlights

- Two new approaches were developed for simultaneous  $T_1$  and  $T_2$  mapping of HP  $^{13}\text{C}$  probes based on balanced steady state free precession (bSSFP) acquisitions: a method based on sequential  $T_1$  and  $T_2$  mapping modules, and a model-based joint  $T_1/T_2$  approach analogous to MR fingerprinting
- $T_1$  and  $T_2$  maps acquired using both approaches were in good agreement with both literature values and data from comparative acquisitions.
- Multiple HP  $^{13}\text{C}$  compounds were mapped, with their relaxation time parameters measured within heart, liver, kidneys, and vasculature in healthy rats.

**Figure 1:**

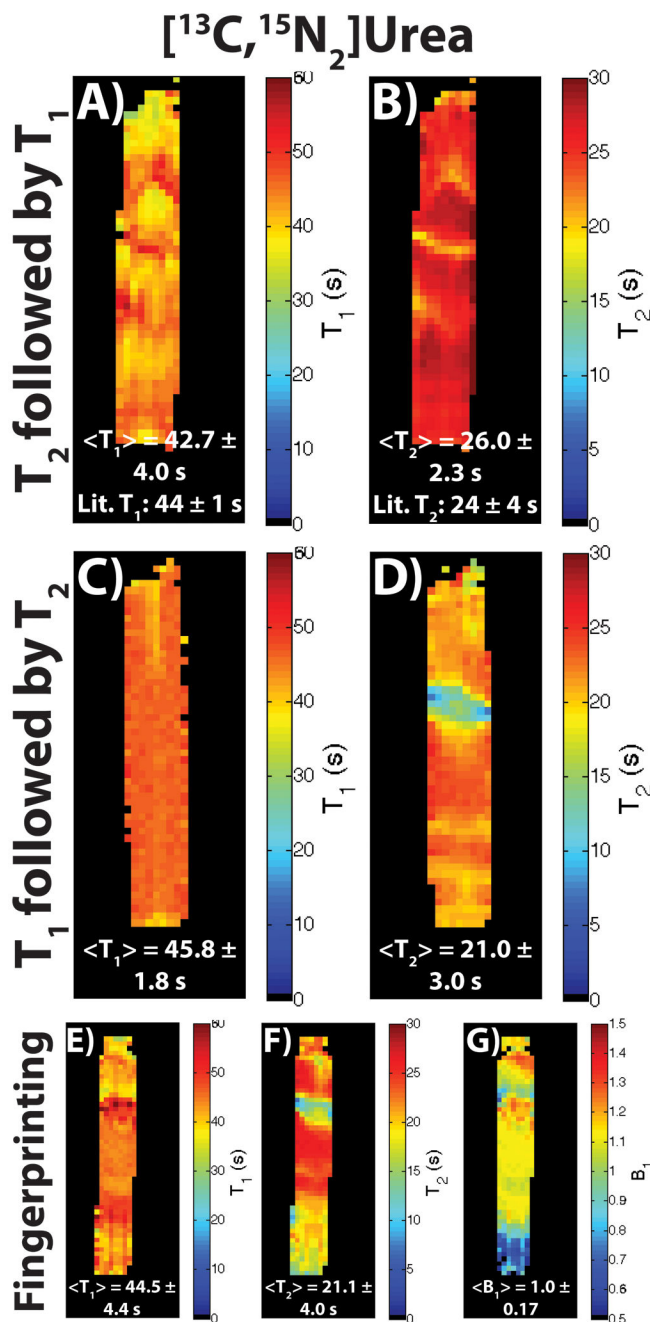
bSSFP-based methods for simultaneous  $T_1$  and  $T_2$  mapping of  $HP^{13}C$  probes. (A) Depiction of the bSSFP sequence used in this study, with the preparatory pulse, imaging portion, and tipback pulses for storing the magnetization during the delay portions. (B) Schematic of the dual module approach, with  $T_2$  mapping followed by  $T_1$  mapping. (C) Schematic of a different iteration of the dual module approach, with  $T_1$  mapping followed by  $T_2$  mapping. (D) Schematic of the modified MR fingerprinting approach that jointly estimated  $T_1$ ,  $T_2$ , and  $B_1$ . The rectangles in B-D represent the image acquisition portions with the depicted  $\theta$ .





**Figure 2:**

Depiction of representative sequence delays and flip angles used for each approach. (A) Delay and flip angles for a T<sub>2</sub> mapping module followed by a T<sub>1</sub> mapping module. The first 16 time-points represent the T<sub>2</sub> mapping module and featured no delay and  $\theta = 180^\circ$ . The rest of the time-points represent the T<sub>1</sub> mapping module, which featured random delays between 6 and 10 s, and a ramping variable flip angle scheme. (B) Delay and flip angles for a T<sub>1</sub> mapping module followed by a T<sub>2</sub> mapping module. The first 20 time-points represent the T<sub>1</sub> mapping module and featured a constant 3 s delay and  $\theta = 10^\circ$ . The rest of the time-points represent the T<sub>2</sub> mapping module, which featured no delay and  $\theta = 180^\circ$ . (C) Delay and flip angles for a modified MR fingerprinting approach. The first 8 time-points featured a constant 3 s delay and  $\theta = 10^\circ$  and served as a “mini” T<sub>1</sub> mapping module. The next 22 time-points featured no delay and  $\theta = 180^\circ$  and served as a “mini” T<sub>2</sub> mapping module. The rest of the time-points featured random delays between 1 and 3 s, and random flip angles between  $20^\circ$  and  $120^\circ$ .



**Figure 3:** Resulting T<sub>1</sub>, T<sub>2</sub>, and B<sub>1</sub> maps in a hyperpolarized [<sup>13</sup>C, <sup>15</sup>N<sub>2</sub>]urea phantom for all three types of acquisitions described. (A,B) T<sub>1</sub> and T<sub>2</sub> maps for a dual module acquisition (T<sub>2</sub> mapping module followed by a T<sub>1</sub> mapping module). The acquisition was similar to the one depicted in Figure 2A, except with more T<sub>2</sub> time-points acquired due to the long solution state T<sub>2</sub> of the compound. (C,D) T<sub>1</sub> and T<sub>2</sub> maps for a different iteration of the dual module acquisition (T<sub>1</sub> mapping module followed by a T<sub>2</sub> mapping module). The acquisition was similar to the one depicted in Figure 2B, except with more T<sub>1</sub> and T<sub>2</sub> time-points acquired due to the long solution state T<sub>1</sub> and T<sub>2</sub> of the compound. (E-G) T<sub>1</sub>, T<sub>2</sub>, and B<sub>1</sub> maps for a

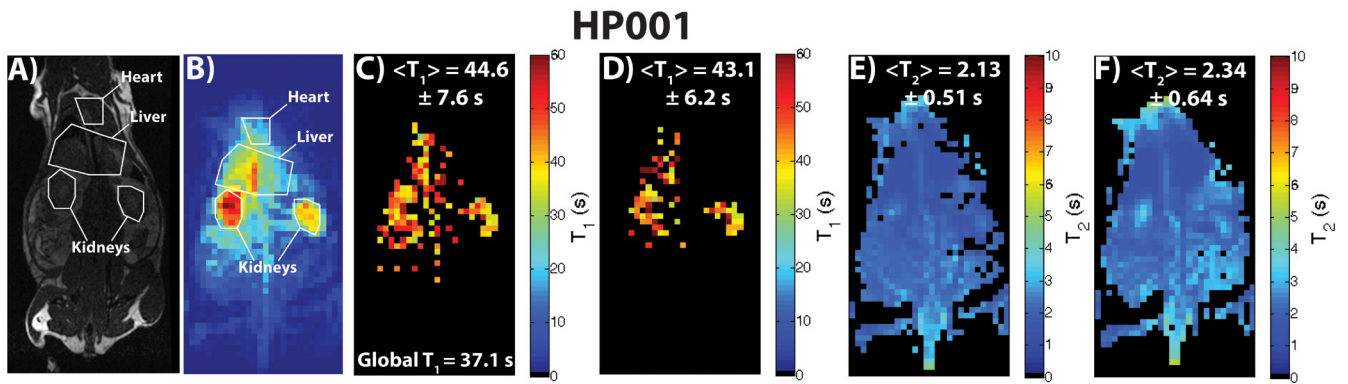
modified MR fingerprinting approach, with the acquisition similar to the one depicted in Figure 2C, except with more  $T_1$  and  $T_2$  time-points acquired due to the long solution state  $T_1$  and  $T_2$  of the compound. For all three acquisitions, the resulting mean  $\pm$  intra-map standard deviation agreed well with the literature value for all the  $T_1$  and  $T_2$  maps. The  $B_1$  also had a mean of 1.0, which is expected with a stationary syringe centered in a volume coil. Deviations in values in the S/I direction for all maps can be attributed to some  $B_0$  inhomogeneity, as well as some  $B_1$  drop-off at the edge of the coil.

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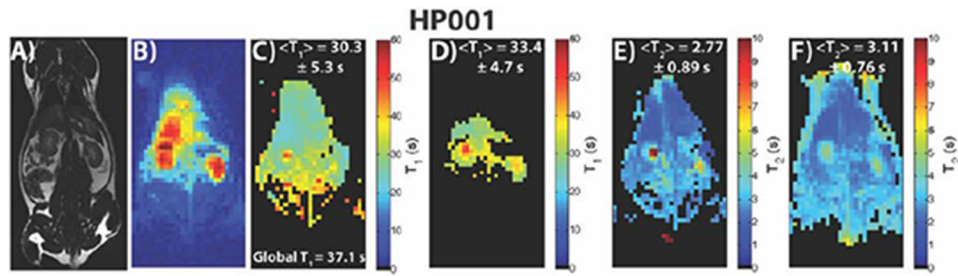
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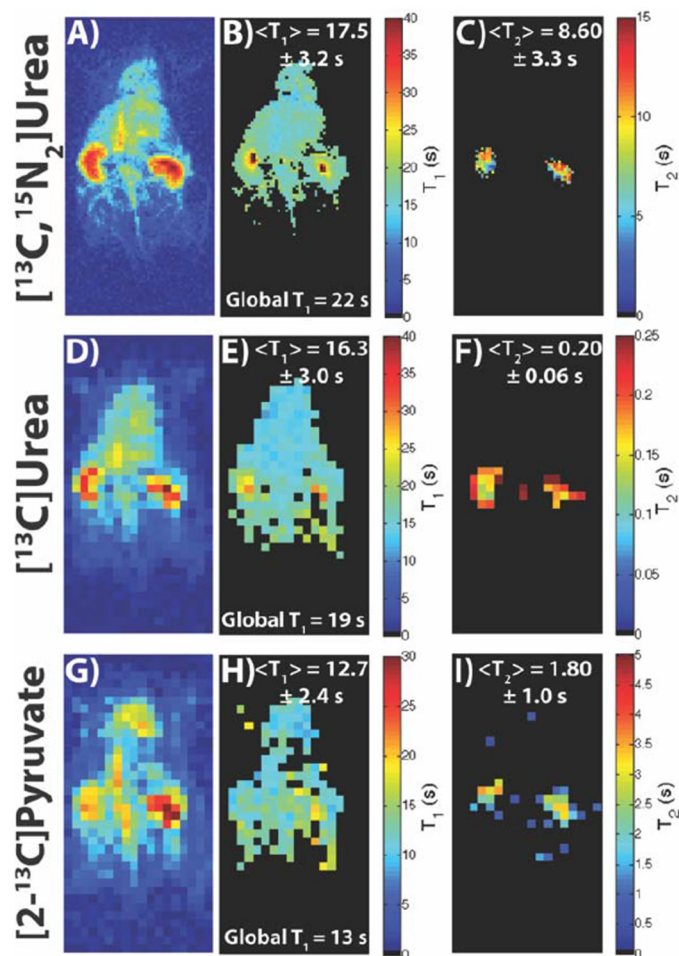
**Figure 4:**

Depiction of a  $^1\text{H}$  anatomical slice (A), representative time-point (B),  $T_1$  map (C), EPI  $T_1$  Map (D), dual module  $T_2$  map (E), and individually acquired  $T_2$  map (F) for a dual module ( $T_2$  mapping followed by  $T_1$  mapping) HP001 acquisition in a normal Sprague-Dawley rat with  $2.5 \times 2.5 \text{ mm}^2$  in-plane spatial resolution ( $N = 3$ ). The acquisition featured both a variable delay and flip angle during the  $T_1$  mapping module, as seen in Figure 2A. The distribution as well as mean and intra-map standard deviation of the dual module  $T_1$  map (C) matched up well with the EPI  $T_1$  map (D), with the highest  $T_1$  values seen within the kidneys. The  $T_2$  maps in E and F also matched up well in terms of distribution and mean and intra-map standard deviation.



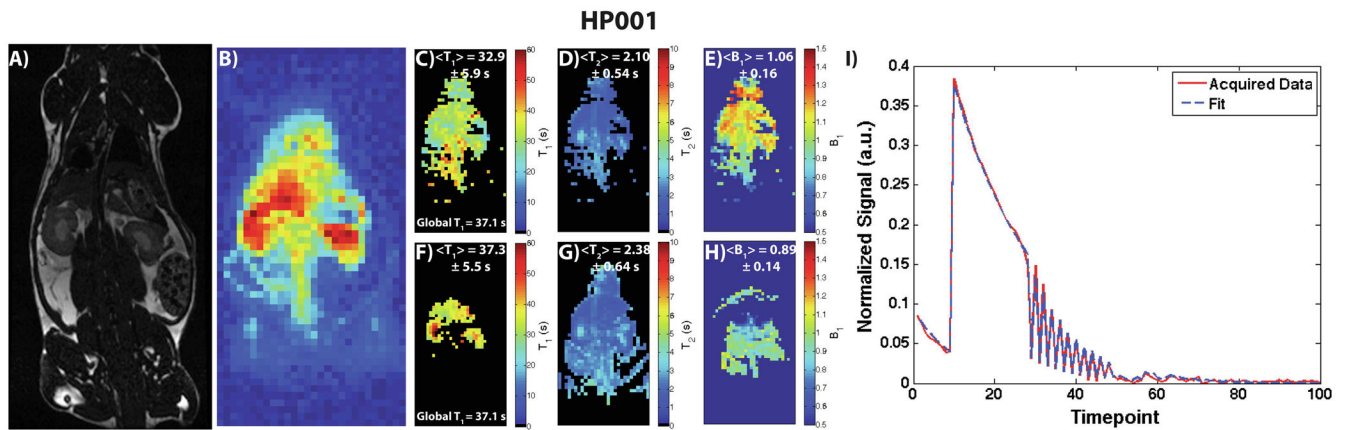
**Figure 5:**

Depiction of a  $^1\text{H}$  anatomical slice (A), representative time-point (B),  $T_1$  map (C), EPI  $T_1$  Map (D), dual module  $T_2$  map (E), and individually acquired  $T_2$  map (F) for a dual module ( $T_1$  mapping followed by  $T_2$  mapping) HP001 acquisition in a normal Sprague-Dawley rat with  $2.5 \times 2.5 \text{ mm}^2$  in-plane spatial resolution ( $N = 3$ ). The distribution within the  $T_1$  maps in parts C and D matched up well with each other within the liver and kidneys. The  $T_2$  maps in parts E and F also matched up well, with renal filtration over the course of the acquisition resulting in comparatively longer  $T_2$ 's in the kidneys of part E.



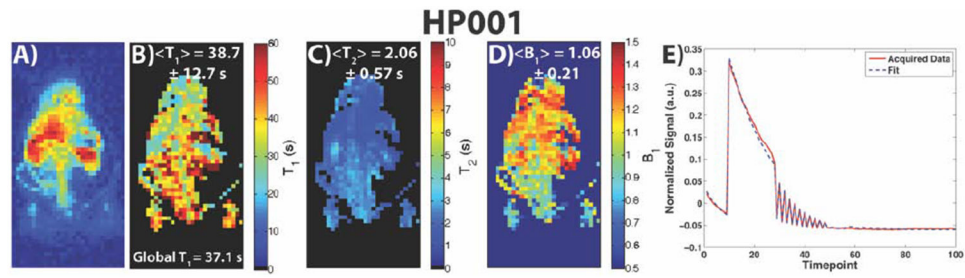
**Figure 6:**

Depiction of a representative time-point, T<sub>1</sub> map, and T<sub>2</sub> map for [1<sup>3</sup>C, <sup>15</sup>N<sub>2</sub>]urea (A-C), [1<sup>3</sup>C]urea (D-F), and [2-<sup>13</sup>C]pyruvate (G-I) from a dual module acquisition (T<sub>1</sub> mapping followed by T<sub>2</sub> mapping) (N = 1 for all compounds). The T<sub>1</sub> maps matched up well with the global T<sub>1</sub> as well as the HP001 T<sub>1</sub> maps in Figures 4-5, with the longest T<sub>1</sub>'s seen in the kidneys. The T<sub>2</sub> maps of each compound matched up well with previously acquired maps, with the longest T<sub>2</sub> values seen in the kidneys due to renal filtration. Additionally, the [1<sup>3</sup>C, <sup>15</sup>N<sub>2</sub>]urea maps showed the capability of 1.25 x 1.25 mm<sup>2</sup> spatial resolution for T<sub>1</sub>/T<sub>2</sub> mapping. For <sup>1</sup>H anatomical image, see Figure 7A.



**Figure 7:**

Depiction of a  $^1\text{H}$  anatomical slice (A), representative time-point (B),  $T_2$  map (C),  $T_1$  map (D), and  $B_1$  Map (E), and for a modified MR fingerprinting HP001 acquisition in a normal Sprague-Dawley rat with  $2.5 \times 2.5 \text{ mm}^2$  in-plane spatial resolution ( $N = 3$ ). The fitting was done using nonlinear least squares via the trust-region-reflective algorithm. An EPI  $T_1$  map (F), bSSFP  $T_2$  map (G), and Bloch-Siegert  $B_1$  map (H) (resized for display purposes) are shown here for comparison. The distribution in the modified MR fingerprinting  $T_1$  and  $T_2$  maps match up well with the comparison maps, as well as maps in Figures 4 and 5. The  $B_1$  map matches up well with the Bloch-Siegert map and with the expected coil profile of a rat acquisition, although some deviations do exist within the liver and kidneys. An example signal fit from a kidney voxel (I) is also shown here, indicating a good agreement between the acquired signal and least-squares fit.



**Figure 8:**

Depiction of a representative time-point (A),  $T_2$  map (B),  $T_1$  map (C),  $B_1$  Map (D), and an example signal fit from a kidney voxel (E) for the same acquisition as Figure 7 (HP001 acquisition in a normal Sprague-Dawley rat with  $2.5 \times 2.5 \text{ mm}^2$  in-plane spatial resolution). The fitting was done using dictionary matching via the inner product method. The distribution in the  $T_2$  and  $B_1$  maps match up well with maps in Figure 7, while the  $T_1$  map shows considerable difference from the  $T_1$  map in Figure 7, with lower spatial smoothness and overestimation of the  $T_1$  values based on the mean and intra-map standard deviation.



**Table 1:**

Compilation of  $T_1$  and  $T_2$  values calculated in this publication (Meas.) and comparative global/literature values (Global/Lit.). These values are for health Sprague-Dawley rats acquired at 3T. We also added literature values of  $[1-^{13}\text{C}]$ pyruvate due its widespread use in HP  $^{13}\text{C}$  research and clinical trials. These values are strongly reflective of kidney parameter values, particularly  $T_2$ , and some discrepancies may be due to renal filtration (see discussion).

	$[1-^{13}\text{C}]\text{Pyr}$	$[2-^{13}\text{C}]\text{Pyr}$	HP001	$[^{13}\text{C},^{14}\text{N}_2]\text{Urea}$	$[^{13}\text{C},^{15}\text{N}_2]\text{Urea}$
$T_1$ (s) (Meas.)	N/A	12.7	35.9 (mean of Fig. 4C, 5C, and 7C)	16.3	17.5
$T_1$ (s) (Global/Lit.)	~30 [43]	13 (Global)	37.1 (Global) 37.9 (mean of Fig. 4D, 5D, and 7F) 32 [36]	19 (Global)	22 (Global)
$T_2$ (s) (Meas.)	N/A	1.8	2.3 (mean of Fig. 4E, 5E, and 7D)	0.20	8.6
$T_2$ (s) (Lit.)	~0.6 [33]	0.8 [31]	2.6 (mean of Fig. 4F, 5F, and 7G)	~0.25 [30]	See [30] for distributions in kidney

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