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## Electron Redistribution within the Nitrogenase Active Site FeMo-Cofactor During Reductive Elimination of H<sub>2</sub> to Achieve N=N Triple-Bond Activation

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## Abstract

Nitrogen fixation by nitrogenase begins with the accumulation of four reducing equivalents at the active-site FeMo-cofactor (FeMo-co), generating a state (denoted  $E_4(4H)$ ) with two [Fe—H—Fe] bridging hydrides. Recently, photolytic reductive elimination (*re*) of the  $E_4(4H)$  hydrides showed that enzymatic *re* of  $E_4(4H)$  hydride yields an H<sub>2</sub>-bound complex ( $E_4(H_2,2H)$ ), in a process corresponding to a formal 2-electron reduction of the metal-ion core of FeMo-co. The resulting electron-density redistribution from Fe—H bonds to the metal ions themselves enables N<sub>2</sub> to bind with concomitant H<sub>2</sub> release, a process illuminated here by QM/MM molecular dynamics simulations. What is the nature of this redistribution? Although  $E_4(H_2,2H)$  has not been trapped, cryogenic photolysis of  $E_4(4H)$  provides a means to address this question. Photolysis of  $E_4(4H)$  causes hydnde-*re* with release of H<sub>2</sub>, generating doubly reduced FeMo-co (denoted  $E_4(2H)^*$ ), the

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Supporting Information

The Supporting Information is available free of charge at https://pubs.acs.org/doi/10.1021/jacs.0c07914.

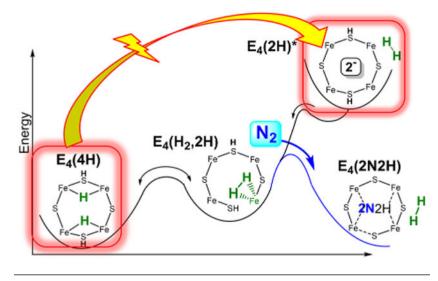
EPR linebroadening, DFT model adopted in the QM/MM molecular dynamics simulation, natural bond orbital analysis of the electron density, and coordinates of the QM core of the representative structures reported in Figure 7 (PDF)

The authors declare no competing financial interest.

Nitrogenase molybdenum-iron protein alpha chain, NifD, UniProtKB P07328; nitrogenase molybdenum-iron protein beta chain, NifK, UniProtKB P07329; nitrogenase iron protein 1, NifH, UniProtKB P00459

extreme limit of the electron-density redistribution upon formation of  $E_4(H_2,2H)$ . Here we examine the doubly reduced FeMo-co core of the  $E_4(2H)^*$  limiting-state by <sup>1</sup>H, <sup>57</sup>Fe, and <sup>95</sup>Mo ENDOR to illuminate the partial electron-density redistribution upon  $E_4(H_2,2H)$  formation during catalysis, complementing these results with corresponding DFT computations. Inferences from the  $E_4(2H)^*$  ENDOR results as extended by DFT computations include (i) the Mo-site participates negligibly, and overall it is unlikely that Mo changes valency throughout the catalytic cycle; and (ii) two distinctive  $E_4(4H)$  <sup>57</sup>Fe signals are suggested as associated with structurally identified "anchors" of one bridging hydride, two others with identified anchors of the second, with NBOanalysis further identifying one anchor of each hydride as a major recipient of electrons released upon breaking Fe—H bonds.

#### **Graphical Abstract**



## INTRODUCTION

Nitrogen fixation by nitrogenase, the reduction of N<sub>2</sub> to two NH<sub>3</sub>, is initiated by the accumulation of four reducing equivalents at the active site FeMo-cofactor (FeMo-co).<sup>1</sup> We have demonstrated that this generates a state (denoted  $E_4(4H)$ , the Janus intermediate) with two [Fe—H—Fe] bridging hydrides, two sulfur-bound protons, and a metal-ion core that is formally at the resting-state redox-level.<sup>2-4</sup> This state is activated for the highly endergonic N<sub>2</sub> binding/ cleavage of the N $\equiv$ N triple bond by the mechanistically coupled reductive elimination (*re*) of the hydrides and exergonic release of H<sub>2</sub>. This process and its reverse, the oxidative addition (*oa*) of H<sub>2</sub> by E<sub>4</sub>(2N2H) with release of N<sub>2</sub>, together form an approximately isoenergetic *re/oa* equilibrium, Figure 1, which is central to nitrogenase catalysis and whose operation implies the limiting stoichiometry of eight electrons/protons for the reduction of N<sub>2</sub> to two NH<sub>3</sub> (eq 1).<sup>2-4</sup>

$$N_2 + 8e^- + 16ATP + 8H^+$$
  
 $\rightarrow 2NH_3 + H_2 + 16ADP + 16P_i$ 
(1)

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As dihydride *re* and the release of  $H_2$  are the key to nitrogen fixation, the details are of central importance. By exploiting the ability of the dihydride metal complex to undergo photolytic reductive elimination of  $H_2^{5}$  our photolytic studies of nitrogenase have shown<sup>6-8</sup> that during catalysis the *re* of hydrides converts  $E_4(4H)$  to an  $H_2$ -bound complex, denoted  $E_4(H_2,2H)$ , on the ground (catalytic) adiabatic potential energy surface (PES) (Figure 2). The *re* of the two  $E_4(4H)$  hydrides, which corresponds to a 2-electron reduction of the metal-ion core of  $E_4(H_2,2H)$ , which formally makes it doubly reduced relative to  $E_0$ , redistributes electron density from the metal-hydride bonds of  $E_4(4H)$  to the metal ions themselves. This redistribution enables  $N_2$  to bind and react with  $E_4(H_2,2H)$  to form  $E_4(2N2H)$  and release  $H_2$ .

One might imagine several alternatives for the process by which N2 is bound and H2 is lost during the conversion of  $E_4(H_2, 2H)$  to  $E_4(2N2H)$ . Early experiments<sup>1</sup> showed that this conversion does not occur by the following two discrete, successive steps: (i) loss of H<sub>2</sub>, which carries away two of the accumulated electrons to form a high-energy state, denoted  $E_4(2H)^*$ , in which the core is doubly reduced relative to the resting state; (ii) subsequent N<sub>2</sub> binding/reduction by this activated cofactor. In such a two-step mechanism, operation of the re/oa equilibrium would require that during turnover under D<sub>2</sub> in the absence of N<sub>2</sub>, the D<sub>2</sub> would react with E<sub>4</sub>(2H)\* through *oa*, generating the E<sub>4</sub> state with two bridging deuterides that can relax with release of HD, but it has long been known that this does not occur.<sup>1</sup> Thus, during catalysis N2 must concertedly bind-to/react-with the H2 complex, through a combination of N<sub>2</sub>-cofactor bond-making and H<sub>2</sub>-cofactor bond-breaking that leads to H<sub>2</sub> release and N<sub>2</sub> triplebond cleavage (Figure 2). This picture is given in microscopic form through density functional theory (DFT) computations, which show why  $H_2$  cannot simply he released from  $E_4(H_2, 2H)$  to form a doubly reduced FeMo-co,  $E_4(2H)^*$ , the high-energy product of H<sub>2</sub> reductive elimination (Figure 2): it is not energetically feasible.<sup>9</sup> The shift of electron density from the Fe-H-Fe linkages to the metal-ion core upon formation of E<sub>4</sub>(H<sub>2</sub>,2H) must instead be sufficient to enable N<sub>2</sub> binding to form a transient state with both  $H_2$  and  $N_2$  bound (denoted here as  $E_4(H_2, N_2, 2H)$ ), which releases  $H_2$  to form  $E_4(2N2H)$ . More recent computations by Bjornsson and co-workers identified  $E_4(H_2, 2H)$  as the lowestenergy E4 isomer but suggested that N2 binds to an higher energy E4 isomer having two geminal bridging hydrides, which after N<sub>2</sub> coordination releases H<sub>2</sub> by re.<sup>10</sup>

What is the nature of the increase in electron density on the FeMo-co core when the two hydrides of  $E_4(4H)$  are reductively eliminated to form the bound  $H_2$  of  $E_4(H_2,2H)$ ? Although  $E_4(H_2,2H)$  itself has not yet been trapped for study, the photolysis of  $E_4(4H)$  has given us a means to address this question. Photolysis of  $E_4(4H)$  at cryogenic temperatures causes the reductive elimination and release of  $H_2$  to form an excited  $H_2$  complex on the excited potential energy surface (PES) which goes on to release the  $H_2$  and relax to the high-energy  $E_4(2H)^*$  state on the catalytic (ground) PES (Figure 2). The high-energy S = 1/2  $E_4(2H)^*$  state achieves a full 2-electron reduction of the FeMo-co core relative to the resting state (Scheme 1).<sup>6-8</sup> The  $S = 1/2 E_4(2H)^*$  state, with its doubly reduced core and two protons on sulfides, is formed in a cryogenically frozen matrix and therefore is unable to relax to the "isomeric" S = 3/2,  $E_2(2H)$  state generated by two sequential steps of  $[e^-/H^+]$  delivery during turnover. Whereas  $E_2(2H)$  is relatively unreactive because the two electrons are "stabilized" by forming a bridging [Fe-H-Fe] hydride (one proton is bound to

sulfide), the  $E_4(2H)^*$  state represents the extreme form of reductive activation of the FeMoco core that occurs through the increase in and redistribution of electron density that occurs upon formation of  $E_4(H_2, 2H)$  on the catalytic PES (Figure 2).

We have examined the doubly reduced FeMo-co core of the  $E_4(2H)^*$  limiting state to shed light on the partial electron density redistribution during catalysis. In this report, we describe <sup>1</sup>H, <sup>57</sup>Fe, and <sup>95</sup>Mo electron-nuclear double resonance spectroscopy (ENDOR) of  $E_4(2H)^*$ and compare these properties to those of the FeMo-co core of the Janus intermediate precursor,  $E_4(4H)$ , which is formally at the resting state valency, and to the  $E_0$  resting state itself. We complement these results with corresponding DFT comparisons of these states, which associate two <sup>57</sup>Fe  $E_4(4H)$  ENDOR signals with structurally identified "anchors" of one bridging hydride, two others with anchors of the second, while identifying one anchor of each hydride as a major recipient of electrons released upon breaking Fe—H bonds.

## MATERIALS AND METHODS

#### Preparation of Turnover Samples for EPR and ENDOR Measurements.

The samples of V70I  $E_4(4H)$  employed here were described previously: natural abundance and <sup>95</sup>Mo-enriched<sup>11</sup> and <sup>57</sup>Fe-enriched.<sup>12</sup> The  $E_4(2H)^*$  state was generated for X/Q-band electron paramagnetic resonance (EPR) and Q-band ENDOR spectroscopy examination by 4S0 nm illumination of a Q-band tube of the corresponding  $E_4(4H)$  intermediate for about 1 h in the X-band EPR cavity at 12 K,<sup>6-8</sup> which caused ~80% conversion. The photolyzed samples were stored for characterization in liquid nitrogen, where the  $E_4(2H)^*$  state is stable indefinitely.

#### **EPR and ENDOR Measurements.**

Continuous wave (CW) X-hand EPR spectra were collected on a Bruker ESP 300 spectrometer equipped with a continuous helium flow cryostat Oxford Instruments ESR 900. The CW 35 GHz EPR and ENDOR spectra were obtained on a modified Varian E-110 spectrometer equipped with a helium immersion Dewar at 2 K under "rapid passage" conditions using 100 kHz magnetic field modulation.<sup>13</sup> Pulsed 35 GHz ENDOR spectra were recorded at 2 K on a locally constructed spectrometer.<sup>14</sup>

<sup>1</sup>H and <sup>57</sup>Fe nuclei have nuclear spin I = 1/2, and the ENDOR spectrum from a single orientation of the paramagnetic center relative to the external field is a doublet centered at the nuclear Larmor frequency,  $v_N$  and split by the orientation-dependent hyperfine coupling, A. <sup>95</sup>Mo has a nuclear spin, I = 5/2, and for <sup>95</sup>Mo ENDOR spectra in principle, a single orientation can exhibit a pattern of 2I = 10 lines whose frequencies depend on the nuclear Larmor frequency, hyperfine coupling, and nuclear quadrupole coupling. However, <sup>95</sup>Mo ENDOR spectra of nitrogenase are dominated by a doublet associated with the nuclear spin projection values,  $m_I = \pm 1/2$  centered at the nuclear Larmor frequency,  $v_{Mo}$  and split by the orientation-dependent hyperfine coupling, A; the other, "satellite" transitions are absent in most spectra and when present are seen only as unresolved ENDOR intensity; these features are attributable to a large quadrupole coupling with distributed values of the tensor components/orientation.<sup>44,45</sup> The properties of the orientation-dependent hyperfine coupling

tensor were estimated by examining a 2D field-frequency pattern of ENDOR spectra taken across the EPR spectrum.

Signs of the hyperfine couplings (more specifically, the sign of  $g_{Nuc}A_{Nuc}$ ) were obtained by the PESTRE protocol,<sup>15</sup> a pulsed-ENDOR multisequence comprising multiple Davies ENDOR sequences, carried out in three distinct experimental phases: (I) an EPR saturation phase (RF off) in which spin–echo intensities quickly converge to the steady-state "baseline" (BSL); (II) sequences that contain a fixed RF frequency; and (III) an EPR recovery phase (RF off) during which the spin echo intensity, the "dynamic reference level (DRL)", relaxes to BSL. The sign of  $A_{Nuc}$  is unambiguously given by the sign of the decaying difference in echo intensities, (DRL – BSL), as observed in III. When  $A_{Nuc} > 0$  (and  $g_{Nuc} > 0$ ), if  $\nu_{+}/\nu_{-}$  is being interrogated, the DRL relaxes to the BSL from below/above. When  $A_{Nuc} < 0$ , the opposite behavior is observed.

#### **Computational Details.**

Hybrid QM/MM Metadynamics Simulations.-The thermal reorganization of hydrogen atoms in the E4 state was investigated via ab initio QM/MM Born-Oppenheimer metadynamics molecular dynamics simulations.<sup>16-22</sup> The FeMo-co, its environment, and the four accumulated hydrogens were treated at the QM level, whereas the rest of the nitrogenase complex, solvent, and counterions were described according to the amber force field.<sup>23</sup> As discussed in detail elsewhere,<sup>9</sup> the QM region comprises the FeMo-co with truncated modifications of the a-275<sup>Cys</sup>, a-442<sup>His</sup> ligands (Azotobacter vinelandii numbering), R-homocitrate, and all of the MoFe protein residues and water molecules that are either hydrogen-bonded to the FeMo-co as obtained from molecular dynamics simulations or are known to be important of the catalytic activity (a-70<sup>Val</sup> and a-96<sup>Arg</sup>). The parts of the protein that interact with FeMo-co via hydrogen bonds residues are a-278<sup>Ser</sup> (interacting with the S atom of a-275<sup>Cys</sup>), a-195<sup>His</sup> (interacting with S2B atom of FeMoco), and the backbone of *a*-356<sup>Gly</sup>, *a*-357<sup>Gly</sup>, 358<sup>Leu</sup>, and *a*-359<sup>Arg</sup> (which interacts with S3A). The side chain of  $\alpha$ -359<sup>Arg</sup>, which is adjacent to the Fe<sub>3</sub>-Fe<sub>7</sub> side, was also included. Additionally, water molecules (three molecules) present in the pocket next to the  $Fe_3$ - $Fe_7$ side and a molecule bridging the homocitrate and S5A were explicitly treated at the OM level. Residues a-278<sup>Ser</sup>, a-275<sup>Cys</sup>, a-195<sup>His</sup> were truncated at the Ca-C<sub>β</sub> bond; a-96<sup>Arg</sup> was truncated at the C $\delta$ -C $\gamma$  bond; a-359<sup>Arg</sup> was included in its entirety; only the backbone  $a-356^{\text{Gly}}$ ,  $a-357^{\text{Gly}}$ ,  $358^{\text{Leu}}$  was included; finally homocitrate was truncated at the C<sub>1</sub>—C<sub>2</sub> and  $C_4$ — $C_5$  bonds. The adopted QM model contains 148 atoms, and it is illustrated in Figure S3. The generalized hybrid orbital method for the treatment of the QM/MM boundary atoms was adopted.<sup>24</sup>

The Amber FF14SB force field was adopted to describe the protein<sup>25</sup> along with the TIP3P model for water molecules,<sup>26</sup> whereas the force field parameters for the P cluster, FeMo-co, and cubane were taken from our previous work.<sup>27</sup> The QM calculations were performed in the broken symmetry (BS)-density functional theory (DFT) framework with the BP86 exchange and correlation functional, augmented with Grimme's correction for the dispersion energy (BP86+D3).<sup>28-31</sup> The Kohn–Sham wave functions of the valence electrons were expanded with a triple- $\zeta$  Gaussian basis set with added polarization functions and an

The QM/MM simulations where started from an equilibrated snapshot obtained from forcefield-only molecular dynamics simulations and using the lowest energy BP86 BS solution as found in ref 9 (Fe<sub>1</sub> $\downarrow$ , Fe<sub>2</sub> $\uparrow$ , Fe<sub>3</sub> $\uparrow$ , Fe<sub>4</sub> $\uparrow$ , Fe<sub>5</sub> $\downarrow$ , Fe<sub>6</sub> $\uparrow$ , Fe<sub>7</sub> $\downarrow$ , Mo $\downarrow$ , where the arrows indicates spin up or down). The QM/MM system was equilibrated at 298 K for 15 ps using a Nosé-Hoover chain of thermostats.<sup>34</sup> To reconstruct the free energy landscape for the hydrogen exchange at room temperature, an adaptive biasing force technique based on a coarsegrained history-dependent dynamics (metadynamics) was employed (see the Supporting Information for more details).<sup>16,17</sup> The coordination numbers of the pairs Fe<sub>2</sub>/Fe<sub>6</sub> and Fe<sub>3</sub>/Fe<sub>7</sub> to the hydrogen atoms were employed to study the hydrogen movement between the Fe<sub>2</sub>/Fe<sub>6</sub> and Fe<sub>3</sub>/Fe<sub>7</sub> sides of the reactive free of the FeMo-co. A (continuous) coordination coordinate based on the Fe-H distances was introduced for each pair of Fe atoms, which assumes the ideal values 0, 1, and 2, if no, one, or two hydrogens are coordinated to a given pair.<sup>16</sup> As discussed in the Supporting Information and defined there in eq S1, the coordination number can assume values that deviate appreciably from the ideal values listed above. This is a feature that allows discriminating between various  $E_4$  isomers. For instance it is larger than 2 if two hydrogen atoms are equally shared between two Fe atoms as is the case for the geminal bridging dihydride  $E_4(4H)^{(c)}$  (see the Supporting Information for further information). Gaussian functions of 0.4 kJ/mol height and 0.05 width were added every 50 fs to bias the coordination number space. The metadynamics simulations were started from an equilibrated QM/MM configuration of the  $E_4(4H)^{(a)}$  isomer and interrupted when the system returned to the  $E_4(4H)^{(a)}$  state (after about 32 ps). All QM/MM simulations were performed with a time step of 0.25 fs using the CP2K package.<sup>18</sup> The OM/MM trajectories will be made available upon request.

**Natural Bond Orbital Analysis of the Electron Density.**—The electron distribution for the various  $E_4$  isomers was analyzed with the natural bond orbital (NBO) theory using truncated QM models;<sup>35</sup> for further discussion of the NBO analysis, see the Supporting Information. The QM models are as in the QM/MM simulation above. The Ahlrichs VTZ basis set was used for all Fe atoms; the LANL2TZ basis set with an effective core potential was employed for the Mo atom, and the 6-311++G\*\* basis set was employed for all atoms coordinated to metal atoms and finally the 6-31G\* basis set was adopted for all other atoms. <sup>36-38</sup> All QM calculations were performed with the NWChem quantum chemistry package and the NBO analysis carried out with NBO6.0 software.<sup>39,40</sup>

## RESULTS

EPR.

The  $S = 1/2 E_4(4H)$  produced by Ar turnover was subject to prolonged irradiation with hght of 450 nm at cryogenic temperatures, which converts  $E_4(4H)$ , g = [2.150, 2.007, 1.965], almost completely into  $S = 1/2 E_4(2H)^*$ , g = [2.098, 2.000, 1.956] (Figure 3). Additional intensity to higher field than these two signals is associated with the electron-delivery reduced Fe protein. We earlier showed that  $E_4(4H)$  is the ground state, with no low-lying

states becoming populated before the signal broadens and disappears at ~25 K,<sup>12</sup> and the same is true for  $E_4(2H)^*$ .

#### <sup>1</sup>H Couplings in E<sub>4</sub>(2H)\*.

We recall here that the large, rhombic <sup>1</sup>H hyperfine couplings to the two [Fe—H—Fe] of  $E_4(4H)$  seen as splittings in its EPR spectrum (Figure S1) and fully characterized by ENDOR spectroscopy<sup>41</sup> are absent in  $E_4(2H)^*$ , observations which defined  $E_4(2H)^*$  as the product of photoinduced *re* of the hydrides and loss of H<sub>2</sub>.<sup>7,8</sup> Examination of the remaining <sup>1</sup>H ENDOR responses of  $E_4(2H)^*$  shows signals from bridging or terminal SH with couplings similar to those of  $E_4(4H)$  (maximum couplings of 8–10 MHz).

## <sup>95</sup>Mo Hyperfine Coupling in E<sub>4</sub>(2H)\*.

The Mo of resting-state  $E_0$  cofactor has been identified as a non-Hund's-rule Mo (III),<sup>42,43</sup> but as explained below, it shows the small <sup>95</sup>Mo coupling measured in the earliest nitrogenase ENDOR studies:  $a_{iso} \sim -6$  MHz upon correcting the sign of the nuclear *g*-factor used previously to  $-0.3656.^{44,45}$  The sign of the <sup>95</sup>Mo hyperfine coupling for the  $S = 3/2 E_0$  was determined through analysis of the pseudonuclear Zeeman effect, which converts the intrinsic <sup>95</sup>Mo Larmor frequency  $v(^{95}Mo)^0$  into an experimentally observed larger effective frequency  $v(^{95}Mo)$  for negative hyperfine coupling;<sup>46</sup> this effect is not operative in the  $S = 1/2 E_4(4H)$  and the negative sign for this state is assumed to be the same as for  $E_0$  because they are formally at the same redox state. Later 35 GHz CW ENDOR measurements<sup>47,44,45</sup> revealed that the <sup>95</sup>Mo enriched  $S = 1/2 E_4(4H)$  intermediate exhibits a very small and essentially isotropic <sup>95</sup>Mo hyperfine coupling,  $a_{iso} \sim -4$  MHz, Figure 4, not meaningfully different from the <sup>95</sup>Mo coupling of the WT  $E_0$  state.

As the first probe of the  ${}^{95}$ Mo hyperfine coupling in the two-electron reduced cofactor of  $E_4(2H)^*$  and for a possible increase in the coupling because of valency and/or spin-coupling changes at Mo upon FeMo-co reduction, we looked for EPR line-broadening in  ${}^{95}$ Mo enriched samples. Comparison between the EPR spectra of natural-abundance and  ${}^{95}$ Mo-enriched  $E_4(2H)^*$  shows no noticeable broadening upon the  ${}^{95}$ Mo enrichment (Figure S1), demonstrating that there is no appreciable increase in the  ${}^{95}$ Mo coupling in the two-electron reduced state  $E_4(2H)^*$  (see the Supporting Information) and thus to a first approximation the coupling must remain roughly isotropic.

This conclusion was confirmed and the <sup>95</sup>Mo coupling of  $E_4(2H)^*$  accurately determined by 35 GHz CW ENDOR measurements. Figure 4 compares the ENDOR spectra of <sup>95</sup>Moenriched  $E_4(4H)$  formed during V70I Ar turnover with those taken after  $\gtrsim$ 70% photolytic conversion of  $E_4(4H)$  to  $E_4(2H)^*$ . The spectra of  $E_4(4H)$  show the low-frequency <sup>95</sup>Mo signals reported previously.<sup>47</sup> The clearest comparison between the two states is provided by ENDOR measurements at fields corresponding to their  $g_3$  values. In the EPR spectrum of  $E_4(2H)^*$ , the  $g_3$  feature does not overlap with that of residual  $E_4(4H)$ , whose value of  $g_3$  is slightly larger (Figure 3), and thus the  $g_3$  ENDOR spectra of the initial  $E_4(4H)$  state and the photoinduced  $E_4(2H)^*$  can be unambiguously compared.

A comparison of  $g_3$  ENDOR spectra of natural-abundance and <sup>95</sup>Mo-enriched E<sub>4</sub>(2H)\* cleanly shows that enrichment introduces a <sup>95</sup>Mo doublet centered at the NMR frequency of

<sup>95</sup>Mo and split by  $A_3 = -2.7$  MHz (Figure 4, Figure S2), within error unchanged from that of E<sub>4</sub>(4H) (although the signal from the latter is broader) and unchanged from that of E<sub>0</sub> as well. Spectra taken across the EPR spectrum of E<sub>4</sub>(2H)\* show that the <sup>95</sup>Mo hyperfine coupling indeed remains essentially isotropic, Figure 4, Figure S2, and as inferred from the EPR spectra of Figure S1, with  $|a_{iso}| \sim 3$  MHz, little changed from that of E<sub>4</sub>(4H).

Our recent X-ray spectroscopic study of  $E_1(H)^{48}$  showed that Mo retains the  $E_0$  Mo (III) formal valence after the first stage of reduction, and our previous <sup>95</sup>Mo ENDOR study of  $E_4(4H)$  suggested the same is true after four  $[e^-/H^+]$  additions to FeMo-co to generate  $E_4(4H)$ .<sup>47</sup> The equivalence of the <sup>95</sup>Mo couplings in  $E_4(2H)^*$ ,  $E_4(4H)$ , and  $E_0$  extends this picture by indicating that the valence of Mo in the cofactors of  $E_4(4H)$  and  $E_4(2H)^*$  is the same as in resting state  $E_0$ . In particular, this invariance indicates that the valency and electronic structure of Mo in  $E_4(2H)^*$  is not changed from that of  $E_4(4H)$  by the photoinduced dihydride *re* and loss of  $H_2$ , with the attendant two-electron reduction of FeMo-co. This in turn indicates that the added electrons are distributed among the Fe ions, a conclusion that is consistent with the large changes in <sup>57</sup>Fe couplings described below. Although we thus infer that the Mo retains the  $E_0$  Mo(III) formal valence in  $E_4(2H)^*$  and in  $E_4(4H)$ ,<sup>47</sup> the Mo in  $E_4(2H)^*$  does sense the reduction, presumably through the influence of Mo–Fe bonding, as the small anisotropy in the <sup>95</sup>Mo coupling does change. The coupling for  $E_4(4H)$  increases slightly at  $g \sim g_2$  but decreases slightly for  $E_4(2H)^*$ .

#### FeMo-co Spin Coupling and Metal-Ion Hyperfine Interactions.

To analyze the metal-site ENDOR results for FeMo-co, we recall that the experimentally observed isotropic hyperfine coupling to the  $^{95}$ Mo, or to an  $^{57}$ Fe nucleus of site *i* (see next subsection below) within the FeMo-co multinuclear spin-coupled cluster,  $a_i$ , is proportional to the intrinsic isotropic hyperfine coupling for the uncoupled metal ion site,  $a_i^{un}$ , multiplied by the projection of the total spin onto the local spin as a scaling factor, denoted  $K_i$ , with these projection factors subject to a normalization condition,

$$a_i = K_i a_i^{\text{un}}; \quad \sum_{i=1}^n K_i = 1$$
 (2)

where the summation is over n, the number of coupled metal ions.<sup>49</sup>

The Mo of resting-state cofactor recently has been identified as a non-Hund's-rule Mo (III), <sup>42,43</sup> and using the crudely estimated value  $|a_{iso}|^{95}Mo)^{un}| > 100$  MHz according to eq 2 the vector-coupling coefficient for Mo in each of these spin-coupled FeMo-co states must be very small, just as we concluded previously for E<sub>0</sub> (S = 3/2)<sup>44,45</sup> and E<sub>4</sub>(4H) (S = 1/2).<sup>47</sup> Physically, a small vector-coupling coefficient  $K_{Mo}$  implies that the local Mo electron-spin is essentially orthogonal to the total cluster spin. For calculations with eq 2, a small  $K_{Mo}$ implies we may omit the contribution of the Mo site to the normalization sum over the  $K_i$  in this equation. This small coupling coefficient  $K_{Mo}$  of E<sub>4</sub>(4H) was instrumental in the analysis that showed the two hydrides of this intermediate are not coordinated to Mo;<sup>47</sup> the symmetry of the hydride dipolar-interaction tensors identified the hydrides as bridging two iron ions, namely, are present as [Fe—H—Fe] moieties.<sup>41,50,51</sup>

Regarding the <sup>57</sup>Fe isotropic couplings, for second-row transition ions, and <sup>57</sup>Fe in particular the site (uncoupled) isotropic couplings are negative, <sup>52</sup>  $a_i^{\text{un}} < 0$ . Hence, according to eq 2, FeMo-co Fe sites with  $a_i < 0$  have vector-coupling coefficients  $K_i > 0$ , while sites with positive coupling have  $K_i < 0$ .

#### <sup>57</sup>Fe ENDOR.

X-band EPR spectra of the <sup>57</sup>Fe-enriched V70I E<sub>4</sub>(4H) and E<sub>4</sub>(2H)\* states, compared with spectra of the their natural abundance isotopomers (Figure S1) show the expected marked broadening induced by strong hyperfine interaction with multiple <sup>57</sup>Fe. CW ENDOR comparison of E<sub>4</sub>(2H)\* samples prepared with and without <sup>57</sup>Fe enrichment show the absence of any background signals in the low-frequency range of the <sup>57</sup>Fe signals (Figure S2). Complete 2D field-frequency plots of <sup>57</sup>Fe Q/band Davies ENDOR spectra were collected across the EPR envelope of E<sub>4</sub>(4H) and the photolyzed E<sub>4</sub>(2H)\*-containing sample (Figure S3), with spectra collected at the canonical *g*-values shown in Figure 5. The amount of residual E<sub>4</sub>(4H) state after illumination is so low that it can only noticeably contribute to the <sup>57</sup>Fe ENDOR spectra of the illuminated sample in a narrow range of fields near the maximum of the E<sub>4</sub>(4H) EPR spectrum at *g*<sub>2</sub>. Even in those spectra, residual signals were readily identified by reference to the <sup>57</sup>Fe ENDOR pattern of E<sub>4</sub>(4H)<sup>12</sup> (Figure 5, Figure S3), thus enabling unambiguous identification and characterization of the E<sub>4</sub>(2H)\*<sup>57</sup>Fe responses in ENDOR spectra collected across the EPR envelope.

Comparison of the 35 GHz Davies pulsed ENDOR spectra taken at the three canonical gvalues of the E<sub>4</sub>(4H) and E<sub>4</sub>(2H)\* states reveals significant changes in the <sup>57</sup>Fe ENDOR spectra upon the conversion to  $E_4(2H)^*$  (Figure 5). The most distinctive change is the absence of <sup>57</sup>Fe signals above 18 MHz for  $E_4(2H)^*$ , as is most dramatically seen in the corresponding low-field,  $g_1$  spectra. Whereas one of the <sup>57</sup>Fe of E<sub>4</sub>(4H), designated as a exhibits an ENDOR doublet centered at ~20 MHz at  $g_1$  which corresponds to a hyperfine coupling of ~40 MHz, the largest coupling for the  $E_4(2H)^*$  at  $g_1$  is associated with an <sup>57</sup>Fe doublet centered at ~13-14 MHz, corresponding to A ~ 27 MHz. Looking more broadly at the 2D patterns in Figure 5, Figure S3, for both centers the doublet with the largest coupling at the high-field,  $g_3$  edge of the EPR spectrum is the overlap of doublets from two sites, and the hyperfine coupling to those two sites is about the same: A = 29 MHz for  $E_4(4H)$ , A = 30MHz for  $E_4(2H)^*$ . However, these sites have very different hyperfine anisotropy in the two states. For E<sub>4</sub>(4H), the couplings of the two sites still differ slightly at  $g_2$ , but at  $g_1$  the coupling to one (a) has sharply increased to the strong coupling just discussed,  $A \sim 40$ MHz, while the coupling to the other ( $\beta$ ) has sharply decreased to  $A \sim 23$  MHz. In contrast, for  $E_4(2H)^*$ , these two sites show similar couplings across the EPR envelope, which decrease minimally at  $g_1$ , to  $A \sim 26$  MHz.

The spectra of  $E_4(2H)^*$  show increased "congestion" compared to those of  $E_4(4H)$  not only at the two single-crystal-like orientations  $g_1$  and  $g_3$  (Figure 5) but throughout the 2D pattern of spectra (Figure S3), because the hyperfine couplings of the <sup>57</sup>Fe sites of  $E_4(2H)^*$  are more similar in magnitude and show smaller anisotropy. However, one can assign resolved signals throughout the 2D pattern to four of the seven irons of its cofactor and through much of the pattern to a fifth, denoted sites a–e (Figure 5). The <sup>57</sup>Fe ENDOR doublets for sites c,

d, and e, observed in the lower frequency range at  $g_3$ , exhibit anisotropy broadening with increasing *g*-value (decreasing magnetic field), but like the sites a and b, the c, d, and e sites also do not exhibit strong anisotropy in their hyperfine interaction. The isotropic couplings derived from the 2D pattern for these five sites are listed in Table 1, with signs determined as described in the next paragraph. The values of  $a_{iso}$  for  $E_4(4H)$  and  $E_0$  determined previously also are listed in the table.

The g<sub>3</sub> spectrum of E<sub>4</sub>(2H)\* in particular exhibits well-resolved <sup>57</sup>Fe signals from the five <sup>57</sup>Fe sites, designated as a–e (Figure 5), and this resolution of individual peaks enabled determination of the signs of their hyperfine interactions by the PESTRE technique.<sup>15</sup> As all the <sup>57</sup>Fe hyperfine coupling tensors are dominated by the isotropic coupling, determination of the sign at a single field determines the sign of  $a_{iso}$  and all tensor components. PESTRE traces have been obtained for the  $v_+$  and  $v_-$  transitions of the <sup>57</sup>Fe Davies doublets of the a– e Fe ions of E<sub>4</sub>(2H)\* at  $g_3$  (Figure 6). Taking into account  $g_N > 0$  for <sup>57</sup>Fe, through use of the analysis procedure described in the Materials and Methods, these results assign A < 0 for a–d <sup>57</sup>Fe, but A > 0 for e <sup>57</sup>Fe. Table 1 lists the signed values of  $a_{iso}$  for these sites. As noted above, the isotropic coupling for an uncoupled Fe ion is negative, <sup>52</sup> so according to eq 2 Fe sites with  $a_i < 0$  as determined by PESTRE have vector-coupling coefficients  $K_i > 0$ , while sites with positive coupling have  $K_i < 0$ .

#### Spin-Coupling Estimates of a<sub>i</sub> for the Two Unresolved Fe Sites.

The isotropic coupling for the two Fe sites for which  $a_{iso}$  has not been determined by ENDOR can be estimated by employing a second sum-rule, which derives from eq 2 and defines an "average site-coupling", denoted, for the  $a_{test}$ , for the n = 7 Fe ions of the cluster, 49

$$a_{\text{test}} \equiv \sum_{i=1}^{7} a_{\text{iso}} \tag{3}$$

Upon adopting a value for  $a_{\text{test}}$ , we use this equation and the five measured isotropic couplings (here labeled, i = 1-5) to estimate  $a_{\text{iso}}$  for the remaining two <sup>57</sup>Fe. For the resting state, WT FeMo-co,<sup>53</sup>  $a_{\text{test}} = -17.9$  MHz. The values compiled by Mouesca et al.<sup>49</sup> include  $a_{\text{test}} = -21(3)$  MHz for FeS systems such as 1Fe (rubredoxin), and most [Fe<sub>4</sub>S<sub>4</sub>]<sup>1+</sup> and [Fe<sub>3</sub>S<sub>4</sub>]<sup>0,1+</sup> clusters. For E<sub>4</sub>(4H) we considered the range,  $-15 = a_{\text{test}} = -25$  MHz, while recognizing that "the middle of this range is the more likely". For concreteness, for FeMo-co in the E<sub>4</sub>(2H)\* state, we thus adopt the plausible value,  $a_{\text{test}} \sim -20$  MHz, no qualitative differences are introduced by modest variations. Using the measured  $a_{\text{iso}}$  for the five Fe sites, a–e (i 1–5) of E<sub>4</sub>(2H)\* in Table 1, we obtain the sum of the  $a_{\text{iso}}$  for the two uncharacterized sites,

$$a_{6} + a_{7} = a_{\text{test}} - \sum_{i=1}^{5} a_{\text{iso}}$$

$$\sim -20 - \sum_{i=1}^{5} a_{\text{iso}}$$

$$\sim +50 \,\text{MHz}$$
(4)

Examination of Figure 5, Figure S3 shows that the two uncharacterized <sup>57</sup>Fe sites must have  $|a_i| < 20-30$  MHz, given that their signals are undetected at any field of observation. Sites with larger coupling would give peaks in the higher-frequency range, which is empty of unassigned signals, while high-frequency ENDOR signals are generally easily detected. In contrast, the congestion in the lower-frequency range could easily hide the unidentified signals. Overall, with these constraints, to satisfy eq 4, the two sites must both have  $a_{iso} > 0$  and the values for the two must be comparable,

$$a_6 \sim a_7 \sim + 25 \text{ MHz}$$

with the uncertainty in  $a_{\text{test}}$  of little consequence to this estimate. Table 1 summarizes the final results for the isotropic couplings for the seven Fe sites of FeMo-co in the E<sub>4</sub>(2H)\* intermediate as determined in this work, along with the couplings for the seven sites in E<sub>0</sub> and E<sub>4</sub> (4H). For discussion below, the table further includes for the two sites with the highest-magnitude  $a_{\text{iso}}$ , the signed anisotropy,  $\delta A(\%) = 100^*(A_{\text{m}} - A_1)/a_{\text{iso}}$ , where  $A_1$  is in each case an extreme value (max or min) and m = 2 or 3, whichever is the other extreme.

The key lessons we glean from these results are as follows.

(1) The Mo of FeMo-co retains the Mo(III) valence of the  $E_0$  resting state<sup>42,43</sup> in the  $E_4$ (4H) state,<sup>47</sup> in which the metal-ion core is formally at the  $E_0$  valency and also in the singly reduced  $E_1$ (H) state,<sup>48</sup> and here is seen to retain this valence in the doubly reduced  $E_4$ (2H)\* state. These findings strongly suggest that the Mo of FeMo-co is not redox-active throughout the catalysis, while nonetheless tuning the properties of FeMo-co.

(2) The <sup>57</sup>Fe isotropic couplings of the high-spin  $E_0$  state (S = 3/2) are uniformly of smaller magnitude than those of the low-spin (S = 1/2) states, namely, the large negative coupling sites for S = 1/2 ( $a_{iso} < 0$ , K > 0) are of greater magnitude than those for S = 3/2  $E_0$  and likewise for the sites with large positive coupling ( $a_{iso} > 0$ , K < 0). Collectively, this difference in magnitude is reflected in the inequality:  $|a_{test}(E_0)| < |a_{test}(E_4(4H))|$ . As  $E_0$  and  $E_4(4H)$  have the same formal valence, this suggests that the difference in isotropic couplings reflect the different spin-coupling schemes for the S = 3/2 and S = 1/2 states.

(3) The multiple FeMo-co states whose <sup>57</sup>Fe isotropic couplings have been measured have two <sup>57</sup>Fe sites with noticeably larger magnitudes for  $a_{iso}$  and with hyperfine anisotropies of distinctly greater magnitude than for the remaining sites: E<sub>0</sub>, E<sub>4</sub>(4H), and E<sub>4</sub>(2H)\* (Table 1) as well as states trapped during turnover with C<sub>2</sub>H<sub>2</sub> and CO (see ref 12). As the hyperfine coupling to a high-spin <sup>57</sup>Fe<sup>3+</sup> is nearisotropic, whereas that to a high-spin <sup>57</sup>Fe<sup>2+</sup> ion is

highly anisotropic,<sup>54</sup> this indicates that such sites,  $A^{1}/A^{2}$  in  $E_{0}$ ,  $a/\beta$  in  $E_{4}(4H)$ , and a/b in  $E_{4}(2H)^{*}$ , are formally assignable as ferrous ions; nothing can be persuasively said about the sites of the S = 1/2 states with smaller  $a_{iso}$ , as the anisotropies for these sites are not well determined.

(4) The dramatic difference between the 2D field-frequency ENDOR patterns of  $a/\beta$  in  $E_4(4H)$ , and a/b in  $E_4(2H)^*$  arises in part from sharp decreases in the hyperfine anisotropies,  $\delta A$ , of a/b ( $E_4(2H)^*$ ) listed in Table 1 compared to those of  $a/\beta$  ( $E_4(4H)$ ), with only a modest change in  $a_{iso}$ , but more strikingly, result from a change in the sign of  $\delta A$  for the a site of  $E_4(2H)^*$  compared to that for the corresponding site a of  $E_4(4H)$  (Table 1). These changes suggest that a and  $\beta$  correspond to Fe sites involved in hydride binding and that the changes arise from the change in ligation upon loss of the hydrides as  $H_2$ , as coupled with the influence on these sites of the cofactor reduction upon  $E_4(4H) \rightarrow E_4(2H)^*$  conversion.

#### Hydride Dynamics via First-Principles Molecular Dynamics.

The dynamics of the thermal reorganization of hydrogen atoms in the E4 state was explored with DFT-based QM/MM metadynamics simulations. These simulations build on our previous DFT investigations on large truncated structural models of the E4 state9 that suggested a variety of low-lying  $E_4(4H)$  isomers, including those illustrated in Figure 7:  $E_4(4H)^{(a)}$ ,  $E_4(4H)^{(b)}$ ,  $E_4(4H)^{(c)}$ , and  $E_4(H_2, 2H)$ , with  $E_4(4H)^{(a)}$  being the most stable. More recent static QM/MM investigations by the groups of Ryde and Bjornsson<sup>10,41,51,55-57</sup> suggested that  $E_4(4H)$  may exhibit an even higher number of low-energy isomers. In particular, Bjornsson and co-workers<sup>10</sup> proposed a structure similar to  $E_4(H_2, 2H)$  as the most stable  $E_4(4H)$  form, while Cao and Ryde<sup>55</sup> proposed as the lowest energy  $E_4(4H)$  form a dihydride species with bridging dihydrides as in  $E_4(4H)^{(a)}$ , but with the Fe2—H—Fe<sub>6</sub> hydride directed toward the Fe<sub>5</sub> side of FeMo-co rather than parallel to Fe<sub>3</sub>—H—Fe<sub>7</sub> as in E<sub>4</sub>(4H)<sup>(a)</sup> and the protons on the Fe<sub>2</sub>—S—Fe<sub>6</sub> and Fe<sub>3</sub>—S—Fe<sub>7</sub> bridging sulfides pointing down rather than up as in  $E_4(4H)^{(a)}$ . A low-lying dihydride structure with one hydride bridging Fe<sub>2</sub> and Fe<sub>5</sub> (instead Fe<sub>2</sub> and Fe<sub>6</sub>) was also found by Cao and Ryde.<sup>55</sup> Our synergistic combination of DFT structural models with the analysis of the hydride ENDOR results uniquely suggests that the  $E_4(4H)$  state populated and studied at low temperature (T  $\lesssim 25 \text{ K}$ )<sup>41</sup> must have two parallel hydrides bridging Fe<sub>2</sub>—H—Fe<sub>6</sub> and Fe<sub>3</sub>—H—Fe<sub>7</sub> as in  $E_4(4H)^{(a)}$ . Cao and Ryde<sup>55</sup> have subsequently shown that  $E_4(4H)$  forms differing from  $E_4(4H)^{(a)}$  in the orientation of the protons on the  $Fe_2$ —S—Fe<sub>6</sub> and  $Fe_3$ —S—Fe<sub>7</sub> bridging sulfides provides equally satisfactory agreement with the ENDOR data.

The present QM/MM simulations indicate that  $E_4(4H)^{(b)}$ ,  $E_4(4H)^{(c)}$ , and  $E_4(H_2,2H)$  are at comparably higher energies on the free energy landscape (Figure 7, left), that at room temperature the three become populated, and that they can rapidly interconvert, giving rise to a highly fundonal state,  $E_4'(4H)$ , in which the hydrides are delocalized between Fe<sub>2</sub> and Fe<sub>6</sub>. The fluxional  $E_4'(4H)$  state occupies a rather shallow, highly anharmonic free energy basin whose minimum lays only 4 kJ/mol above  $E_4(4H)^{(a)}$ . The structure that most closely resembles the  $E_4'(4H)$  minimum is  $E_4(4H)^{(b)}$ . The location of the points in the free energy landscape closest to  $E_4(4H)^{(b)}$ ,  $E_4(4H)^{(c)}$ , and  $E_4(H_2,2H)$  is shown in Figure 7, where the assignment was based on the comparison of the Fe—H distances for the optimized truncated

models and those from the MD trajectory. The states  $E_4(4H)^{(a)}$  and  $E_4'(4H)$  are separated by a free energy hairier of only 49 kJ/mol, and transitions between them are expected to occur rapidly at room temperature. It is important to point out that the free energy landscape of Figure 7 is obtained from a classical description of nuclear motions. Nuclear quantum effects (zero point energy and tunneling) are expected to further broaden the free energy basins of both  $E_4(4H)^{(a)}$  and  $E_4'(4H)$ , and thereby appreciably reduce the free energy barrier between them.

Importantly, the metadynamics simulation further shows that the system transiently visits the unstable  $E_4(2H)^*$  state located at about 48 kJ/mol above  $E_4(4H)^{(a)}$  (Figure 7). This state is formed by dissociation of H<sub>2</sub> from  $E_4'(4H)$  in a process that proceeds through the limiting  $E_4'(4H)$  structure  $E_4(H_2,2H)$ . In the computations, this state promptly decays to  $E_4'(4H)$ . H<sub>2</sub> never leaves the environment of FeMo-co but remains confined in a pocket defined by FeMo-co, *a*-195<sup>His</sup>, *a*-278<sup>Ser</sup>, and *a*-70<sup>Val</sup> (at a distance within 4 Å from Fe<sub>2</sub>) and it easily rebinds to FeMo-co by crossing a free energy barrier of only about 10 kJ/mol.

We note that we used the two coordination numbers,  $n(\text{Fe}_2/\text{F}_6)$  and  $n(\text{Fe}_3/\text{Fe}_7)$  as a means of exploring the organization of the hydrides on the Fe2367 face, specifically capturing the "side–side" (Fe26 vs Fe37) and "bridging vs terminal" distribution of the hydrides. As a result, the metadynamics simulation is not able to capture any process not described by these two parameters or that takes place on time scale longer than the simulation time. That said, however, the results of this simulation are in remarkable agreement with behavior on the ground PES of Figure 2 as deduced through photolytic *re* of H<sub>2</sub> from E<sub>4</sub>(4H) (Figure 7). In the absence of N<sub>2</sub>, at ambient temperatures E<sub>4</sub>(4H) interconverts with E<sub>4</sub>(H<sub>2</sub>,2H), but cannot release the H<sub>2</sub> because the resulting high-energy E<sub>4</sub>(2H)\* state promptly rebinds H<sub>2</sub>. At cryogenic temperatures, we can, however, photolytically populate the E<sub>4</sub>(2H)\* state, in which H<sub>2</sub> is trapped in the frozen matrix near to the doubly reduced FeMo-co. At such temperatures this E<sub>4</sub>(2H)\* state is stable indefinitely, but H<sub>2</sub> rebinding is indeed easy: the system relaxes to E<sub>4</sub>(4H) when the frozen solid is cryoannealed to T > 175 K.

#### Loss of Fe-Hydrides: Electron Redistribution and Changes in Spin Coupling.

To understand the electron redistribution that occurs upon  $E_4(4H) \uparrow E_4(2H)^*$  conversion, we revisit and extend our previous BS-DFT analysis of the electron distribution of various  $E_4$ isomers. This analysis is based on the limiting structures obtained from geometry optimization of truncated models of the active site (reported in the Supporting Information). As has been discussed extensively in the literature, deficiencies in the current exchange and correlation functionals, along with the single determinant nature of the Kohn–Sham formulation of DFT and electron self-interaction issues, makes its application to multireference systems, such as FeMo-co, problematic quantitatively. That said, it nonetheless is illuminating to apply DFT here because it yields instructive qualitative information on how the electron density redistributes upon hydrogen reorganization within the  $E_4$  isomers.

The analysis of the bonding properties of the  $E_4$  states based on a natural bond orbital (NBO) framework vividly indicate that the Fe—H bonds can be classified as either 2 electrons/2 centers (terminal Fe—H hydrides) or 2 electrons/3 centers (bridging Fe—H—Fe

hydrides) covalent bonds with a charge polarization as expected from the difference in electronegativity between Fe and H atoms.<sup>9</sup> As such, they are neither directly available to bind and activate  $N_2$  nor are the hydrides readily protonated by a proton bound to a sulfide or delivered by a nearby residue, energetically favorable processes that lead to nonproductive release of H<sub>2</sub> and return of the system to the E<sub>2</sub>(2H) state and thence on to E<sub>0</sub>.

As  $E_4(4H)$  undergoes  $H_2$  formation and release via reductive elimination, two electrons are first stored in and then depart with the H2 molecule. This process leaves two reducing equivalents (i.e., the electrons and attendant S-bound protons) on FeMo-co. To probe the resulting electron redistribution, we analyzed the occupation of nonbonded orbitals localized on the Fe atoms (3d and 4s orbitals) using the structural models reported in ref 9 (see also the Supporting Information). Here, we focus mainly on  $E_4(4H)^{(a)}$ ,  $E_4(2H)^*$ , and  $E_4(H_2, 2H)$ , the latter representing the prelude to the release of H<sub>2</sub>. A more complete analysis, which includes further details as well as the other low energy limiting structures, is presented in the Supporting Information. The number of nonbonded electrons assigned to each Fe center as inferred from the NBO analysis is provided in Table 2.  $E_4(4H)^{(a)}$  features two bridging hydrides between the Fe<sub>2</sub>/Fe<sub>6</sub> and Fe<sub>3</sub>/Fe<sub>7</sub> centers. Formation of H<sub>2</sub> in E<sub>4</sub>(H<sub>2</sub>,2H) and  $E_4(2H)^*$  results in the accumulation of an additional electron in a nonbonded 3d orbital in both Fe2 and Fe7 and a shift of one nonbonded electron from Fe4 to Fe5. In short, this analysis indicates that the photoinduced  $H_2$  formation and release from  $E_4(4H)$  produces an additional nonbonded electron on one "anchor" Fe ion of each the two E<sub>4</sub>(4H) [Fe-H-Fe] bridging hydrides.

Possible correlations between the observed  $E_4(4H)$  <sup>57</sup>Fe signals and hydride anchor sites on the  $E_4(4H)$  FeMo-co can be inferred by consideration of the changes in <sup>57</sup>Fe isotropic couplings upon  $E_4(4H) \rightarrow E_4(2H)^*$  conversion through application of the analysis that revealed the structure of the  $E_4(4H)$  intermediate.<sup>41,51</sup> In this analysis, <sup>1,2</sup>H-ENDOR measurements of E<sub>4</sub>(4H), coupled to DFT structural models through an analytical pointdipole Hamiltonian for the hydride electron-nuclear dipolar interaction with its anchoring Fe ions, allowed us to assign the ground-state structure of the E<sub>4</sub>(4H) intermediate as containing [Fe2—H—Fe6] and [Fe3—H—Fe7] hydride bridges whose planes are essentially perpendicular to the Fe2,3,6,7 FeMo-co face and parallel to each other; the proposed DFT structure is presented in Figure 8.41,51 Among a number of alternative structures considered, only this one could accurately account for the observed presence of two bridging hydrides with rhombic anisotropic tensors that are coaxial but with permuted tensor components. This point-dipole analysis further shows that the vector-coupling coefficients  $K_i$  for the "anchor" Fe ions of the hydride bridges in the E<sub>4</sub>(4H)<sup>(a)</sup> structure must have opposite signs (-/+) for [Fe2-HI-Fe6] and same signs (+/+) for [Fe3—H2—Fe7], with the corresponding  $a_{iso}$  having opposite signs to the  $K_{i}$  eq 2.

The obvious interpretation of the large changes in the  $\alpha/\beta$  signals upon H<sub>2</sub> elimination from E<sub>4</sub>(4H) is that these represent two of the anchor Fe of the two hydrides with K > 0,  $a_{iso} < 0$ , and application of the point-dipole analysis suggests how they are to be assigned. Given the asymmetric binding of the [Fe3—H2—Fe7] hydride (Figure 8), the point-dipole model requires that the vector coupling coefficients  $0 < K_7 < K_3$ , with a large value for  $K_3$ , and

large negative value for its  $a_{iso}$ . Thus, it is plausible to assign  $\alpha/\beta$  to Fe3/Fe7. This assignment is supported by the model's suggestion that neither of  $\alpha/\beta$  could be associated with [Fe2—H—Fe6], as we now show.

In the E<sub>4</sub>(4H)<sup>(a)</sup> structure, the [Fe2—H—Fe6] hydride is symmetrically bound with short Fe—H distances. To achieve a rhombic dipolar tensor with this geometry, the  $K_i$  for the anchors must be roughly equal in magnitude and of opposite sign. In addition, for the hydride to exhibit tensor components of the magnitude observed, the dipole model indicates that the  $|K_i|$  for the Fe6,7 anchors, and thus  $|a_{iso}|$  of the two, have intermediate values. One is therefore led to assigning these anchor sites to  $\gamma^2$  (K > 0) and  $\delta$  or  $\lambda$  (K < 0). Unfortunately, it is not possible to correlate the Fe responses of E<sub>4</sub>(4H) and E<sub>4</sub>(2H)\* in the congested <sup>57</sup>Fe ENDOR region so as to reveal the site changes with H<sub>2</sub> release that would be anticipated.

Accurate calculations based on correlated wave function approaches would be necessary to quantitatively test these suggestions. Recent progress in many-electron wave function methods, such as the density matrix renormalization group and their application to Fe/S clusters like the nitrogenase P-cluster,<sup>58,59</sup> suggest that a precise theoretical interpretation of FeMo-co ENDOR data should be possible in the near future.

#### SUMMARY

QM/MM metadynamics simulations are in remarkable agreement with behavior on the PES of catalysis of Figure 2 as deduced through photolytic *re* of H<sub>2</sub> from E<sub>4</sub>(4H) (Figure 7).<sup>6-8</sup> In the absence of N<sub>2</sub>, at ambient temperatures, E<sub>4</sub>(4H) interconverts with E<sub>4</sub>(H<sub>2</sub>,2H) but cannot release the H<sub>2</sub> because the resulting high-energy E<sub>4</sub>(2H)\* state promptly rebinds H<sub>2</sub>. Nitrogen fixation is initiated by the binding of N<sub>2</sub> to E<sub>4</sub>(H<sub>2</sub>,2H) accompanied by the loss of H<sub>2</sub>.

The inferences regarding electronic structure changes to FeMo-co upon  $[E_4(4H) \rightarrow E_4(2H)^*$ + H<sub>2</sub>] conversion that flow from the ENDOR results for E<sub>4</sub>(2H)\* as extended by the DFT computations are as follows. (i) The Mo site participates negligibly in the electron redistribution that is associated with hydride re from E<sub>4</sub>(4H) and that activates FeMo-co for reaction with N2. Given this invariance involves a formal two-electron reduction of the FeMo-co core, whereas each catalytic step involves only a one-electron reduction, when combined with earlier measurements, <sup>43,47,48</sup> we are led to infer that it is highly unlikely that Mo changes valence throughout the nitrogenase cycle. (ii) Two Fe sites  $\alpha/\beta$  suggested by <sup>57</sup>Fe ENDOR to behave as ferrous ions undergo a drastic change in their hyperfine interactions upon hydride reductive elimination and H<sub>2</sub> release. (iii) Considerations of the isotropic couplings/vector-coupling coefficients expected for the "anchor" Fe ions of the  $E_4(4H)$  bridging hydrides suggest  $\alpha/\beta$  correspond to the crystallographically identified Fe anchors of the [Fe3—H—Fe7] moiety, while  $\gamma 2/\delta$ -or-  $\lambda$  correspond to the [Fe2—H—Fe6] anchors. (iv) Based on the NBO analysis, Fe2 and Fe7, each an anchor of one [Fe-H-Fe] of  $E_4(4H)$ , is a major recipient of the electrons involved in Fe—H bonding in  $E_4(4H)$ . (v) We finally suggest that this picture of the limiting electron redistribution upon conversion of hydride elimination and loss of  $H_2$  from  $E_4(4H)$  to form  $E_4(2H)^*$  is an accentuation of the

partial electron redistribution that activates one or both of these Fe to bind  $N_2$  in the catalytically central  $H_2$  complex,  $E_4(H_2, 2H)$ , initiating the coupled loss of  $H_2$  and reduction of  $N_2$ .

#### Supplementary Material

Refer to Web version on PubMed Central for supplementary material.

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## REFERENCES

- Burgess BK; Lowe DJ Mechanism of Molybdenum Nitrogenase. Chem. Rev 1996, 96 (7), 2983– 3012. [PubMed: 11848849]
- (2). Seefeldt LC; Yang Z-Y; Lukoyanov DA; Harris DF; Dean DR; Raugei S; Hoffman BM Reduction of Substrates by Nitrogenases. Chem. Rev 2020, 120, 5082–5106. [PubMed: 32176472]
- (3). Hoffman BM; Lukoyanov D; Yang ZY; Dean DR; Seefeldt LC Mechanism of nitrogen fixation by nitrogenase: the next stage. Chem. Rev 2014, 114 (8), 4041–62. [PubMed: 24467365]
- (4). Hoffman BM; Lukoyanov D; Dean DR; Seefeldt LC Nitrogenase: a draft mechanism. Acc. Chem. Res 2013, 46 (2), 587–95. [PubMed: 23289741]
- (5). Perutz RN; Procacci B Photochemistry of Transition Metal Hydrides. Chem. Rev 2016, 116 (15), 8506–44. [PubMed: 27380829]
- (6). Lukoyanov DA; Krzyaniak MD; Dean DR; Wasielewski MR; Seefeldt LC; Hoffman BM Time-Resolved EPR Study of H<sub>2</sub> Reductive Elimination from the Photoexcited Nitrogenase Janus E<sub>4</sub>(4H) Intermediate. J. Phys. Chem. B 2019, 123 (41), 8823–8828. [PubMed: 31549504]
- (7). Lukoyanov D; Khadka N; Dean DR; Raugei S; Seefeldt LC; Hoffman BM Photoinduced Reductive Elimination of H<sub>2</sub> from the Nitrogenase Dihydride (Janus) State Involves a FeMocofactor-H<sub>2</sub> Intermediate. Inorg. Chem 2017, 56 (4), 2233–2240. [PubMed: 28177622]
- (8). Lukoyanov D; Khadka N; Yang ZY; Dean DR; Seefeldt LC; Hoffman BM Reversible Photoinduced Reductive Elimination of H<sub>2</sub> from the Nitrogenase Dihydride State, the E<sub>4</sub>(4H) Janus Intermediate. J. Am. Chem. Soc 2016, 138 (4), 1320–7. [PubMed: 26788586]
- (9). Raugei S; Seefeldt LC; Hoffman BM Critical computational analysis illuminates the reductiveelimination mechanism that activates nitrogenase for N<sub>2</sub> reduction. Proc. Natl Acad. Sci. U. S. A 2018, 115 (45), No. E10521. [PubMed: 30355772]
- (10). Thorhallsson AT; Benediktsson B; Bjornsson R A model for dinitrogen binding in the E<sub>4</sub> state of nitrogenase. Chem. Sci 2019, 10 (48), 11110–11124. [PubMed: 32206260]
- (11). Lukoyanov D; Dikanov SA; Yang ZY; Barney BM; Samoilova RI; Narasimhulu KV; Dean DR; Seefeldt LC; Hoffman BM ENDOR/HYSCORE studies of the common intermediate trapped during nitrogenase reduction of N<sub>2</sub>H<sub>2</sub>, CH<sub>3</sub>N<sub>2</sub>H, and N<sub>2</sub>H<sub>4</sub> support an alternating reaction pathway for N<sub>2</sub> reduction. J. Am. Chem. Soc 2011, 133 (30), 11655–64. [PubMed: 21744838]
- (12). Doan PE; Telser J; Barney BM; Igarashi RY; Dean DR; Seefeldt LC; Hoffman BM <sup>57</sup>Fe ENDOR Spectroscopy and 'Electron Inventory' Analysis of the Nitrogenase E<sub>4</sub> Intermediate Suggest the

Metal-Ion Core of FeMo-cofactor Cycles Through Only One Redox Couple.J. Am. Chem. Soc 2011, 133 (43), 17329–17340. [PubMed: 21980917]

- (13). Werst MM; Davoust CE; Hoffman BM Ligand spin densities in blue copper proteins by Q;band <sup>1</sup>H and <sup>14</sup>N ENDOR spectroscopy. J. Am. Chem. Soc 1991, 113 (5), 1533–1538.
- (14). Davoust CE; Doan PE; Hoffman BM Q-Band Pulsed Electron Spin-Echo Spectrometer and Its Application to ENDOR and ESEEM. J. Magn. Reson., Ser. A 1996, 119, 38–44.
- (15). Doan PE Combining steady-state and dynamic methods for determining absolute signs of hyperfine interactions: Pulsed ENDOR Saturation and Recovery (PESTRE). J. Magn. Reson 2011, 208 (1), 76–86. [PubMed: 21075026]
- (16). Laio A; Gervasio FL Metadynamics: a method to simulate rare events and reconstruct the free energy in biophysics, chemistry and material science. Rep. Prog. Phys 2008, 71 (12), 126601.
- (17). Laio A; Parrinello M Escaping free-energy minima. Proc. Natl. Acad. Sci. U. S. A 2002, 99 (20), 12562. [PubMed: 12271136]
- (18). VandeVondele J; Krack M; Mohamed F; Parrinello M; Chassaing T; Hutter J Quickstep: Fast and accurate density functional calculations using a mixed Gaussian and plane waves approach. Comput. Phys. Commun 2005, 167 (2), 103–128.
- (19). Lippert G; Hutter J; Parrinello M The Gaussian and augmented-plane-wave density functional method for ab initio molecular dynamics simulations. Theor. Chem. Acc 1999, 103 (2), 124–140.
- (20). Lippert G; Hutter J; Parrinello M hybrid Gaussian and plane wave density functional scheme. Mol. Phys 1997, 92 (3), 477–487.
- (21). Laino T; Mohamed F; Laio A; Parrinello M An Efficient Linear-Scaling Electrostatic Coupling for Treating Periodic Boundary Conditions in QM/MM Simulations. J. Chem. Theory Comput 2006, 2 (5), 1370–1378. [PubMed: 26626844]
- (22). Laino T; Mohamed F; Laio A; Parrinello M An Efficient Real Space Multigrid QM/MM Electrostatic Coupling. J. Chem. Theory Comput 2005, 1 (6), 1176–1184. [PubMed: 26631661]
- (23). Maier JA; Martinez C; Kasavajhala K; Wickstrom L; Hauser KE; Simmerling C ff14SB: Improving the Accuracy of Protein Side Chain and Backbone Parameters from ff99SB. J. Chem. Theory Comput 2015, 11 (8), 3696–3713. [PubMed: 26574453]
- (24). Gao J; Amara P; Alhambra C; Field MJ A Generalized Hybrid Orbital (GHO) Method for the Treatment of Boundary Atoms in Combined QM/MM Calculations. J. Phys. Chem. A 1998, 102 (24), 4714–4721.
- (25). Maier JA; Martinez C; Kasavajhala K; Wickstrom L; Hauser KE; Simmerling CJ Chem. Theory Comput 2015, 11, 3696–3713.
- (26). Price DJ; Brooks CL 3rd A modified TIP3P water potential for simulation with Ewald summation. J. Chem. Phys 2004, 121, 10096–10103. [PubMed: 15549884]
- (27). (a)Smith D; Danyal K; Raugei S; Seefeldt LC Substrate Channel in Nitrogenase Revealed by a Molecular Dynamics Approach. Biochemistry 2014, 53 (14), 2278–2285. [PubMed: 24654842]
  (b)Cornish AJ; Ginovska B; Thelen A; da Silva JCS; Soares TA; Raugei S; Dupuis M; Shaw WJ; Hegg EL Single-Amino Acid Modifications Reveal Additional Controls on the Proton Pathway of [FeFe]-Hydrogenase. Biochemistry 2016, 55 (22), 3165–3173. [PubMed: 27186945]
  (c)Ginovska-Pangovska B; Ho M-H; Linehan JC; Cheng Y; Dupuis M; Raugei S; Shaw WJ Molecular dynamics study of the proposed proton transport pathways in [FeFe]-hydrogenase. Biochim. Biophys. Acta, Bioenerg 2014, 1837 (1), 131–138.
- (28). Ehrlich S; Moellmann J; Reckien W; Bredow T; Grimme S System-Dependent Dispersion Coefficients for the DFT-D3 Treatment of Adsorption Processes on Ionic Surfaces. ChemPhysChem 2011, 12 (17), 3414–3420. [PubMed: 22012803]
- (29). Perdew JP Erratum: Density-functional approximation for the correlation energy of the inhomogeneous electron gas. Phys. Rev. B: Condens. Matter Mater. Phys 1986, 34 (10), 7406.
- (30). Perdew JP Density-functional approximation for the correlation energy of the inhomogeneous electron gas. Phys. Rev. B: Condens. Matter Mater. Phys 1986, 33 (12), 8822–8824.
- (31). Becke AD Density-functional exchange-energy approximation with correct asymptotic behavior. Phys. Rev. A: At., Mol, Opt. Phys 1988, 38 (6), 3098–3100.
- (32). Goedecker S; Teter M; Hutter J Separable dual-space Gaussian pseudopotentials. Phys. Rev. B: Condens. Matter Mater. Phys 1996, 54, 1703–1710.

- (33). VandeVondele J; Hutter J Gaussian basis sets for accurate calculations on molecular systems in gas and condensed phases. J. Chem. Phys 2007, 127 (11), 114105. [PubMed: 17887826]
- (34). Martyna GJ; Klein ML; Tuckerman M Nosé-Hoover chains: The canonical ensemble via continuous dynamics. J. Chem. Phys 1992, 97 (4), 2635–2643.
- (35). Reed AE; Curtiss LA; Weinhold F Intermolecular interactions from a natural bond orbital, donoracceptor viewpoint. Chem. Rev 1988, 88 (6), 899–926.
- (36). Roy LE; Hay PJ; Martin RL Revised Basis Sets for the LANL Effective Core Potentials. J. Chem. Theory Comput 2008, 4 (7), 1029–31. [PubMed: 26636355]
- (37). Ditchfield R; Hehre WJ; Pople JA Self-Consistent Molecular-Orbital Methods. IX. An Extended Gaussian-Type Basis for Molecular-Orbital Studies of Organic Molecules. J. Chem. Phys 1971, 54 (2), 724–728.
- (38). Schäfer A; Horn H; Ahlrichs R Fully optimized contracted Gaussian basis sets for atoms Li to Kr. J. Chem. Phys 1992, 97 (4), 2571–2577.
- (39). Wisconsin U. o. Natural Bond Orbital 7.0 http://nbo6.chem.wisc.edu/ (accessed June).
- (40). Valiev M; Bylaska EJ; Govind N; Kowalski K; Straatsma TP; Van Dam HJJ; Wang D; Nieplocha J; Apra E; Windus TL ; de Jong WA NWChem: A comprehensive and scalable open-source solution for large scale molecular simulations. Comput. Phys. Commun 2010, 181 (9), 1477–1489.
- (41). Hoeke V; Todu L; Case DA; Seefeldt LC; Raugei S; Hoffman BM High-Resolution ENDOR Spectroscopy Combined with Quantum Chemical Calculations Reveals the Structure of Nitrogenase Janus Intermediate E<sub>4</sub>(4H). J. Am. Chem. Soc 2019, 141 (30), 11984–11996. [PubMed: 31310109]
- (42). Bjornsson R; Neese F; Schrock RR; Einsle O; DeBeer S The discovery of Mo(III) in FeMoco: reuniting enzyme and model chemistry. JBIC, J. Biol. Inorg. Chem 2015, 20, 447–460. [PubMed: 25549604]
- (43). Bjornsson R; Lima FA; Spatzal T; Weyhermuller T; Glatzel P; Bill E; Einsle O; Neese F; DeBeer S Identification of a spin-coupled Mo(III) in the nitrogenase iron-molybdenum cofactor. Chem. Sci 2014, 5 (8), 3096–3103.
- (44). Venters RA; Nelson MJ; McLean PA; True AE; Levy MA; Hoffman BM; Orme-Johnson WH ENDOR of the Resting State of Nitrogenase Molybdenum-Iron Protein from *Azotobacter* vinelandii, Klebsiella pneumoniae, and Clostridium pasteurianum: <sup>1</sup>H, <sup>57</sup>Fe, <sup>95</sup>Mo, and <sup>33</sup>S Studies. J. Am. Chem. Soc 1986, 108 (12), 3487–3498.
- (45). Hoffman BM; Roberts JE; Orme-Johnson WH <sup>95</sup>Mo and <sup>1</sup>H Endor Spectroscopy of the Nitrogenase MoFe Protein. J. Am. Chem. Soc 1982, 104, 860–862.
- (46). The V70I resting state exhibits a second conformer, with slightly higher  $g_1$  and  $a_{iso}(95Mo) \sim -7$  MHz.
- (47). Lukoyanov D; Yang Z-Y; Dean DR; Seefeldt LC; Hoffman BM Is Mo involved in hydride binding by the four-electron reduced (E<sub>4</sub>) intermediate of the nitrogenase MoFe protein? J. Am. Chem. Soc 2010, 132 (8), 2526–2527. [PubMed: 20121157]
- (48). Van Stappen C; Davydov R; Yang Z-Y; Fan R; Guo Y; Bill E; Seefeldt LC; Hoffman BM; DeBeer S Spectroscopic Description of the E<sub>1</sub> State of Mo Nitrogenase Based on Mo and Fe Xray Absorption and Mössbauer Studies. Inorg. Chem 2019, 58, 12365–12376. [PubMed: 31441651]
- (49). Mouesca JM; Noodleman L; Case DA; Lamotte B Spin-Densities and Spin Coupling in Iron-Sulfur Clusters - a New Analysis of Hyperfine Coupling-Constants. Inorg. Chem 1995, 34 (17), 4347–4359.
- (50). Igarashi RY; Laryukhin M; Dos Santos PC; Lee HI; Dean DR; Seefeldt LC Hoffman BM Trapping H- bound to the nitrogenase FeMo-cofactor active site during H<sub>2</sub> evolution: characterization by ENDOR spectroscopy. J. Am. Chem. Soc 2005, 127 (17), 6231–6241. [PubMed: 15853328]
- (51). Hoeke V; Tociu L; Case DA; Seefeldt LC; Raugei S; Hoffman BM Correction to "High-Resolution ENDOR Spectroscopy Combined with Quantum Chemical Calculations Reveals the Structure of Nitrogenase Janus Intermediate E<sub>4</sub>(4H). J. Am. Chem. Soc 2019, 141 (50), 19950– 19950. [PubMed: 31820971]

- (52). Mouesca JM; Noodleman L; Case DA Analysis of the 57Fe Hyperfine Coupling Constants and Spin States in Nitrogenase P-Clusters. Inorg. Chem 1994, 33 (22), 4819–30.
- (53). Yoo SJ; Angove HC; Papaefthymiou V; Burgess BK; Münck E Mössbauer Study of the MoFe Protein of Nitrogenase from *Azotobacter vinelandii* Using Selective <sup>57</sup>Fe Enrichment of the M-Centers. J. Am. Chem. Soc 2000, 122 (20), 4926–4936.
- (54). Cutsail GE 3rd; Telser J; Hoffman BM Advanced paramagnetic resonance spectroscopies of ironsulfur proteins: Electron nuclear double resonance (ENDOR) and electron spin echo envelope modulation (ESEEM). Biochim. Biophys. Acta, Mol. Cell Res 2015, 1853 (6), 1370–1394.
- (55). Cao L; Ryde U What Is the Structure of the E<sub>4</sub> Intermediate in Nitrogenase? J. Chem. Theory Comput 2020, 16 (3), 1936–1952. [PubMed: 32003999]
- (56). Cao L; Caldararu O; Ryde U Protonation and reduction of the FeMo cluster in nitrogenase studied by QM/MM calculations. J. Chem. Theory Comput 2018, 14, 6653–6678. [PubMed: 30354152]
- (57). Cao L; Ryde U Extremely large differences in DFT energies for nitrogenase models. Phys. Chem. Chem. Phys 2019, 21 (5), 2480–2488. [PubMed: 30652711]
- (58). Sharma S; Sivalingam K; Neese F; Chan GK-L Low-energy spectrum of iron-sulfur clusters directly from many-partide quantum mechanics. Nat. Chem 2014, 6 (10), 927–933. [PubMed: 25242489]
- (59). Li Z; Guo S; Sun Q; Chan GK-L Electronic landscape of the P-cluster of nitrogenase as revealed through many-electron quantum wavefunction simulations. Nat. Chem 2019, 11 (11), 1026– 1033. [PubMed: 31570817]

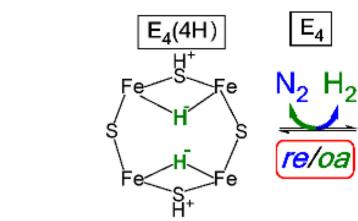
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 $E_4(2N2H)$ 

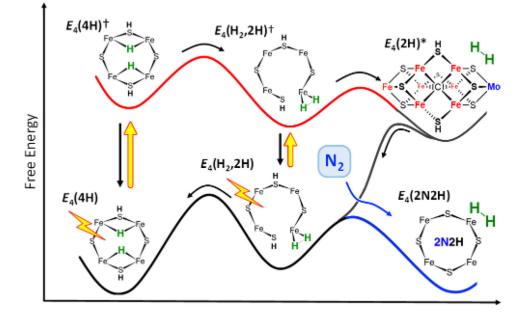
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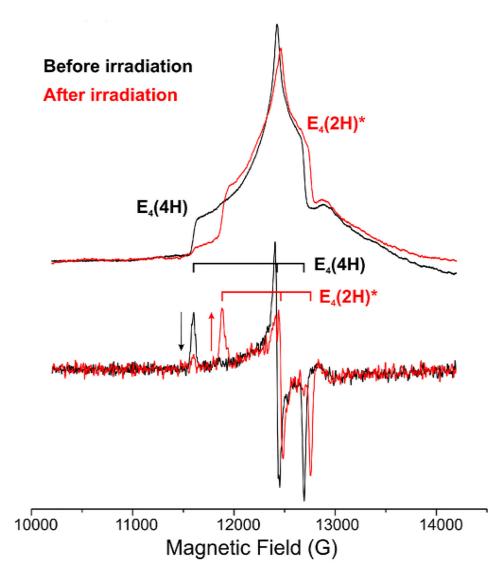
#### Figure 1.

Representation of the *re/oa* equilibrium that activates nitrogenase to break the N $\equiv$ N triple bond. Cartoons represent the Fe 2,3,6,7 face of FeMo-co, with E<sub>4</sub>(4H) representing the actual structure and E<sub>4</sub>(2N2H) merely representing the stoichiometry for the unknown structure.



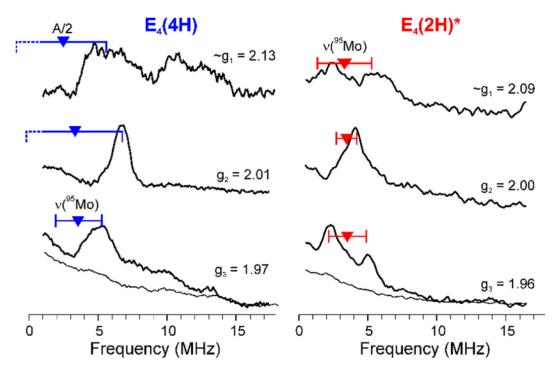
## Figure 2.

Schematic representation of ground (black and blue) and photoexcited (red) free energy surface for *re/oa* equilibrium, where (†) represents a photoexcited state and (\*) the high-energy product of  $H_2$  release on the ground surface (ref 9).



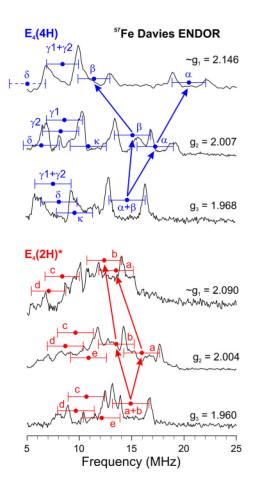
#### Figure 3.

Q-band CW EPR spectra of <sup>57</sup>Fe enriched V70I nitrogenase trapped during turnover under Ar taken at 2 K before (black) and after (red) irradiation with 450 nm laser diode at 12 K. The spectra were obtained in dispersion mode under rapid passage conditions, which yields the upper absorption-display spectra; the lower traces are digital derivatives. EPR conditions: microwave frequency, 35.08 GHz; microwave power, 10  $\mu$ W; modulation amplitude, 1 G; time constant, 128 ms; scan time, 4 min.



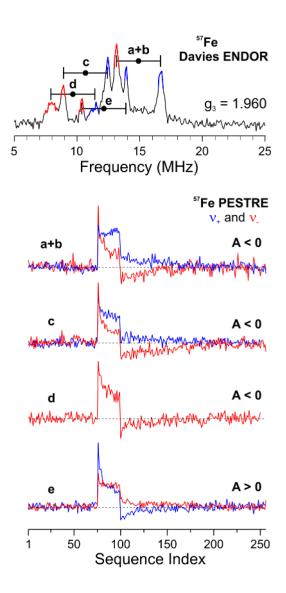
#### Figure 4.

Comparison of <sup>95</sup>Mo CW ENDOR acquired at the three major *g*-values for E<sub>4</sub>(4H) state trapped during Ar turnover of <sup>95</sup>Mo enriched V70I, as reported<sup>47</sup> and for E<sub>4</sub>(2H)\* photogenerated from E<sub>4</sub>(4H) by irradiation with 450 nm laser diode at 12 K. "Goalposts" indicate <sup>95</sup>Mo (I=5/2) transition between the  $m_I = \pm 1/2$  nuclear sublevels with frequencies  $v_{\pm} = |v|^{95}MO| \pm A/2|$ . Most of the spectra show the higher-frequency ( $v_{\pm}$ ) partner; the lower-frequency ( $v_{-}$ ) partner is at such a low frequency that it is not reliably detected. Spectra from unenriched enzyme are featureless, as demonstrate by the one included from g<sub>3</sub>. Conditions; T=2 K; microwave frequency, 35.1 and 34.8 GHz for E<sub>4</sub>(4H) and E<sub>4</sub>(2H)\* correspondingly; microwave power, 1  $\mu$ W and 0.1  $\mu$ W; modulation amplitude, 4 and 1 G; RF sweep speed, 1 MHz/s and 2 MHz/s; time constant, 64 ms; RF bandwidth-broaden to 100 kHz.



#### Figure 5.

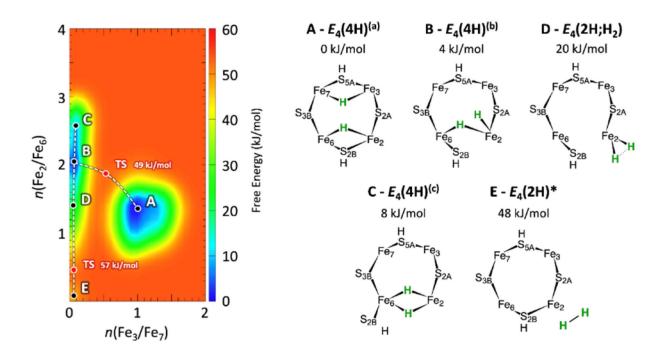
Comparison of <sup>57</sup>Fe Davies ENDOR acquired at three major *g*-values for E<sub>4</sub>(4H) state trapped during Ar turnover of <sup>57</sup>Fe enriched V70I<sup>12</sup> and for E<sub>4</sub>(2H)\* photogenerated from E<sub>4</sub>(4H) by irradiation with 450 nm laser diode at 12 K. "Goalposts" indicate response from one iron centered at half of its hyperfine coupling and split by  $2v(^{57}Fe)$ . Conditions: T = 2 K; microwave frequency, 34.81 and 34.90 GHz for E<sub>4</sub>(4H) and E<sub>4</sub>(2H)\* correspondingly;  $t(\pi/2) = 40$  ns,  $\tau = 600$  ns;  $T_{RF} = 35 \mu s$ ; repetition time, 100 and 25 ms; 200–400 scans.



#### Figure 6.

Davies ENDOR of E<sub>4</sub>(2H)\* at  $g_3$  showing resolved <sup>57</sup>Fe centers (top) and their hyperfine couplings signing by PESTRE technique (low), where (Materials and Methods) phase I is sequences 1–75, phase II is 76–99, and III is 100 onward. PESTRE conditions: T = 2 K; microwave frequency, 34.90 GHz;  $t(\pi/2) = 40$  ns,  $\tau = 600$  ns;  $T_{\rm RF} = 35 \ \mu$ s; repetition time, 100 ms; 100–200 scans.

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#### Figure 7.

(Left) Free energy landscape for the thermal hydrogen reorganization in the  $E_4$  intermediate as obtained from hybrid QM/MM metadynamics simulations. The simulation was performed using the number of hydrogen atoms coordinated to either Fe<sub>2</sub> or Fe<sub>6</sub>, n(Fe<sub>2</sub>/Fe<sub>6</sub>), and those coordinated to either Fe<sub>3</sub> or Fe<sub>7</sub>, n(Fe<sub>3</sub>/Fe<sub>7</sub>), are used as collective variables to describe to hydrogen location. The coordination numbers are defined with a continuous function (eq S1) that assumes the values of 0, 1, and 2 if no, one, or two hydrogens are located on given side of the Fe<sub>2</sub>/Fe<sub>3</sub>/Fe<sub>6</sub>/Fe<sub>7</sub> face of FeMo-co: the Fe<sub>2</sub>/Fe<sub>6</sub> side for n(Fe<sub>2</sub>/Fe<sub>6</sub>) and the Fe<sub>3</sub>/Fe<sub>7</sub> side for n(Fe<sub>3</sub>/Fe<sub>7</sub>). For further discussion of coordination numbers, see the Supporting Information. (Right) Schematic structure of the limiting forms of E<sub>4</sub> isomers (all S = 1/2) identified in previous studies as minima of the potential energy surface on the left panel is marked with corresponding letters. Note that the states C and D are not local minima on the free energy landscape, as obtained from the present QM/MM metadynaxnics computations.

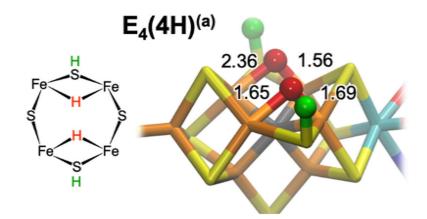
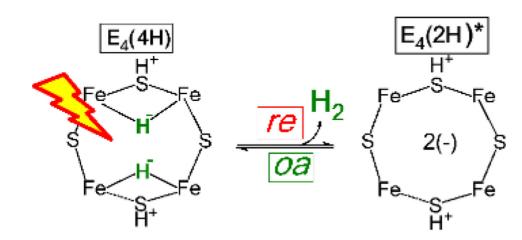


Figure 8. DFT/BP86 structure of  $E_4(4H)$ , denoted  $E_4(4H)^{(a)}$ , adapted from ref 9.



Scheme 1.

#### Table 1.

Isotropic <sup>57</sup>Fe Hyperfine Couplings<sup>*a*</sup>

E <sub>4</sub> (2H)* <sup>b</sup>		E <sub>4</sub> (4H) <sup>c</sup>		$\mathbf{E_0}^d$	
<sup>57</sup> Fe	a <sub>iso</sub> / <b>b</b> A <sup>e</sup> (MHz/%)	<sup>57</sup> Fe	a <sub>iso</sub> / <b>&amp;</b> A <sup>e</sup> (MHz/%)	<sup>57</sup> Fe	a <sub>iso</sub> / <b>&amp;</b> A <sup>e</sup> (MHz/%)
a	-30/+17	а	-35/-34	$\mathbf{A}^1$	-18/+41
b	-27/+18	β	-27/+26	$A^2$	-17.1/23
e	+23	κ	~+20 <sup>g</sup>	A <sup>3</sup>	-11.8
f	~+25 <sup>f</sup>	γl	+17	$\mathbf{B}^1$	+11.7
g	~+25 <sup>f</sup>	$\gamma^2$	-16	$\mathbf{B}^1$	+11.7
c	-19	δ	+13	$\mathbf{B}^2$	+9.3
d	-17	λ	~+8 <sup>g</sup>	$A^4$	-3.7

<sup>*a*</sup>Isotropic hyperfine couplings ( $a_{1SO}^{i}$ ) or <sup>57</sup>Fe sites of photoreduced E4(2H)\*, Janus intermediate E4(4H), and resting state E0, arranged in order of absolute values; it is argued in the text that a/b,  $\alpha/\beta$  and A<sup>1</sup>/A<sup>2</sup> refer to the same pair of Fe sites.

b Isotropic coupling reported as average of coupling observed at canonical g-values in ENDOR; signs determined by PESTRE measurements.

<sup>C</sup>As reported; obtained through ENDOR, PESTRE, and Triple.<sup>12</sup>

 $^{d}$ As reported; determined by Mossbauer spectroscopy.<sup>53</sup>

 ${}^{e}\delta A(\%) = 100 \times (A_{\rm m} - A_{\rm 1})/a_{\rm iSO}$ , where  $A_{\rm 1}$  corresponds to  $g_{\rm 1}$  and is in each case an extreme value (max or min) and m = 2 or 3 is the other extreme, as observed in the 2D plots of  ${}^{57}$ Fe ENDOR spectra for E4(2H)\* and E4(4H) of Figure 5, Figure S3 and as reported for E0. ${}^{53}$ 

fCalculated from eqs 3 and 4 using  $a_{\text{test}} = -20$  MHz as described in the text; listed below site e because of uncertainties thus introduced.

<sup>g</sup>Sign of  $a_{iSO}$  for  $\kappa$  and value for  $\lambda$  calculated from eq 3 and the analogues to eq 4 for one unknown  $a_{iSO}$ , using  $a_{test} = -20$  MHz.

## Table 2.

Number of Nonbonded Electrons Assigned to Each Fe Center of  $E_4(4H)^{(a)}$ ,  $E_4(H_2,2H)$ , and  $E_4(2H)^*$ According to a Natural Bond Orbital Analysis of the Electronic Structure

	$E_4(4H)^{(a)}$	E <sub>4</sub> (H <sub>2</sub> ,2H)	E <sub>4</sub> (2H)*
Fe <sub>1</sub>	4.8	5.1	5.0
$\operatorname{Fe}_2$	3.8	4.9	4.8
Fe <sub>3</sub>	4.4	3.8	4.3
$\mathrm{Fe}_4$	4.7	4.2	4.1
Fe <sub>5</sub>	3.4	4.4	3.9
Fe <sub>6</sub>	3.3	3.5	2.8
Fe <sub>7</sub>	1.7	2.9	3.3