1	SUPPORTING INFORMATION
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6	Understanding the pathways switch of oxygen reduction reaction from
7	single- to double/triple-atom catalysts: dual channel for electron
8	acceptance-backdonation
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#### **1** Section 1 Supplementary Method

### 2 S1.1 Gibbs free energy computations

The Gibbs free energy (*G*) of the intermediates was calculated by using the computational hydrogen electrode (CHE) model proposed by Nørskov et al. The chemical potential of the  $H^+/e^-$  pair in aqueous solution is related to that of half of the H<sub>2</sub> gas molecule at standard hydrogen electrode (SHE) conditions. H<sub>2</sub> at standard temperature and pressure and H<sub>2</sub>O at its standard vapor pressure were used as references for H and O, respectively. According to this method, the G value can be determined as follows:

10 
$$\Delta G = \Delta E - T\Delta S + \Delta E_{ZPE} + \Delta E_{solv}$$

11 where  $\Delta E$  is the reaction energy directly obtained from DFT calculations, and T is the 12 temperature (T=298.15 K).  $\Delta E_{ZPE}$  and  $\Delta S$  are the differences between the adsorbed 13 species and the gas phase molecules in zero-point energy and entropy, respectively. 14  $E_{solv}$  represents the solvation effects that were simulated by using the Poisson-15 Boltzmann continuum-solvation model in the VASPsol code. We take pH=0 in our 16 calculations for ORR in an acidic electrolyte.

17

#### 18 S1.2 Pre-adsorption phase diagram

In this study, we present and discuss the surface preadsorption phase diagram
which allows to analyze the free energy dependence of the various electrochemical
intermediates at varying potential:

$$\Delta G = \Delta G_{[U=0,pH=0]} - meU$$

The intermediate with the lowest free energy at a given set of potential determines the stable form of the surface in those conditions. Instead of plotting three-dimensional graphs, one generally first investigates the dependence with the potential fixing pH = 0. Each intermediate species along the catalytic path for ORR on N-doped graphene is characterized by a straight line with a negative slope which is determined by the number *m* of electrons to be transferred (1 for *m*-*G*(OH\*), 2 for *m*-*G*(O\*), and 4 for *m*-*G*(O<sub>2</sub>\*)). In different potential ranges, a different intermediate is found to be the most stable (i.e.,
the lowest line at a given potential). The resulting surface Pourbaix diagram at T =
298.15 K and U=0.9V shows clearly which is the most stable form as a function of the
potential.

5

## 6 S1.3 Polarization curve simulation.

Following the kinetic model developed by Hansen et al.<sup>1</sup>, we simulated the polarization curve of Fe/Co SAC and Fe-Co DACs/TACs. Here, we highlight the construction of a complete ORR pathway on Fe-Co DACs/TACs, and electrochemical  $O_2^*$  protonation producing O\*+OH\* is identified to be quite thermodynamically and kinetically favorable. The  $O_2$  molecule diffusion adsorption, and electrochemical reduction steps are listed by the following equations:

13 R1: 
$$O_{2(aq)} \frac{k1}{k-1} O_{2(dl)}$$
  
14 R2:  $O_{2(dl)} + * \frac{k2}{k-2} O_{2}^{*}$   
15 R3:  $O_{2}^{*} + H^{+} + e^{-} \frac{k3}{k-3} OOH^{*}$   
16 R4:  $O_{2}^{*} + H^{+} + e^{-} \frac{k4}{k-4} [O^{*} + OH^{*}]$   
17 R5:  $OOH^{*} + H^{+} + e^{-} \frac{k5}{k-5} O^{*} + H_{2}O$   
18 R6:  $OOH^{*} + H^{+} + e^{-} \frac{k6}{k-6} [2OH^{*}]$   
19 R7:  $[O^{*} + OH^{*}] + H^{+} + e^{-} \frac{k7}{k-7} [2OH^{*}]$   
20 R8:  $[O^{*} + OH^{*}] + H^{+} + e^{-} \frac{k8}{k-8} O^{*} + H_{2}O$   
21 R9:  $O^{*} + H^{+} + e^{-} \frac{k9}{k-9} OH^{*}$   
22 R10:  $[2OH^{*}] + H^{+} + e^{-} \frac{k10}{k-10} OH^{*} + H_{2}O$   
23 R11:  $OH^{*} + H^{+} + e^{-} \frac{k11}{k-11} H_{2}O + *$   
24 R12:  $OH^{*} + H^{+} + e^{-} \frac{k12}{k-12} H_{2}O_{2} + *$ 

respectively. Note that equations R<sub>1</sub> and R<sub>2</sub> are non-electrochemical steps, and the rest
 of equations are electrochemical steps. θ represents the coverage of the species. Based
 on the above reduction steps, we can gained the rate equations of each species, such as,

4 
$$\frac{\partial \chi_{O2(dl)}}{\partial t} = k_1 \chi_{O2(aq)} - k_{-1} \chi_{O2(dl)} - k_2 \chi_{O2(dl)} \theta^* + k_{-2} \theta_{0_2^*}$$
  
5 
$$\frac{\partial \theta_{0_2^*}}{\partial t} = k_2 \chi_{O2(dl)} \theta^* - k_{-2} \theta_{0_2^*} - k_3 \theta_{0_2^*} + k_{-3} \theta_{00H}^* - k_7 \theta_{0_2^*} - k_{-7} \theta_{[0^* + 0H^*]}$$
  
6 In these equations  $\chi_{H2O} = 1$  and  $\chi_{O2(aq)} = 2.34*10^{-5}$  corresponding to 1 atm O<sub>2</sub>(g) in

- 7 equilibrium with O<sub>2</sub>(aq). Additionally, site conservation on the Fe/Co SAC site and Fe-
- 8 Co DACs/TACs sites must be satisfied

9 
$$1 = \theta_{02*} + \theta_{00H*} + \theta_{0*} + \theta_{0H*} + \theta_* + \theta_{[0*+0H*]} + \theta_{[20H*]}$$

The rate equations are solved numerically at steady state, and further infer the turn overfrequency(TOF).

12 For non-electronchemical step i, its equilibrium constant (K) can be expressed as:

13 
$$K_i = \exp\left(-\frac{\Delta Gi}{k_BT}\right)$$

14 where  $riangle G_i$  is the free energy change of step i, and  $k_B$  is the Boltzmann constant. The

15 rate constant  $(k_i)$  is given by:

16 
$$k_i = \frac{k_B T}{h} \exp\left(-\frac{E_{a,i}}{k_B T}\right)$$

17 where  $E_{a,i}$  is the activation energy.

While for electrochemical step, K<sub>i</sub> is associated with the reaction potential (U vs RHE),
given by:

20 
$$K_i = \exp\left(-\frac{e(U-Ui)}{k_BT}\right)$$

where  $U_i$  is the reversible potential of step i deduced by  $U_i$ =- $G_i$ /e. And the  $k_i$  is written as:

23 
$$k_{i} = \frac{k_{B}T}{h} \exp\left(-\frac{E_{a,i}}{k_{B}T}\right) \exp\left(-\frac{e\beta i(U-Ui)}{k_{B}T}\right)$$

where β<sub>i</sub> is the symmetric factor taken as 0.5<sup>2</sup>. Since the E<sub>a,i</sub> of electrochemical ORR
steps are generally small range from 0.10 to 0.26 eV<sup>2-4</sup>, we adopted E<sub>a,i</sub>=0.26 eV for all
the electrochemical steps of ORR on Fe/Co SAC and Fe-Co DACs/TACs.
Moreover, the rate constants for all the reverse reaction (k<sub>i</sub>),can be deduced by:

$$k_{-i} = \frac{k_i}{K_i}$$

2 Finally, the current density (j) can be calculated by:

3  $j = e\rho TOF_{e}$ 

#### 4 S1.4 Degree of Rate Control

The degree of rate control (DRC) developed by Campbell was used to quantify the impact of the free energy perturbation  $\delta G_i$  of a specific species i on the total reaction rate, which has been widely adopted to identify the rate-controlling transition states (TS) and intermediates. We slightly modify the original DRC equation to express the impact of the reaction energy changes on the total reaction rate. The DRC<sub>r</sub> is defined as

10  
$$DRC_{r,n} = \left(\frac{\partial lnr}{\partial \left(-\frac{G_n}{k_BT}\right)}\right)_{G_{m \neq n}, G_l^{TS}}$$

11 where  $G_n$  is the reaction energy and  $G_i^{TS}$  is the free energy of a transition state. It 12 describes the sensitivity of the total reaction rate to the reaction energy.

#### 13 S1.5 Electronic Structure Analysis

The valance state of Fe-site was investigated by Bader charge analysis (Figure S15). Here, we found that the valence states of Fe are linear correlated to Fe site transferred charge (namely,  $\triangle e$ ) by Bader charge analysis, so that we can draw a linear fit curve based on three standard samples (Fe, FeO and Fe<sub>2</sub>O<sub>3</sub>). After calculating the residual charge (Re) of Fe site in Fe<sub>1</sub>Co<sub>1</sub>-1, Fe<sub>2</sub>-1, Fe<sub>2</sub>-2 and Fe<sub>3</sub>-1, we found that their corresponding valence states of Fe site are +2.87, +2.6, +2.59, and +2.63. The  $\triangle e$  is defined as

 $\Delta e = 8 - \mathrm{R}e$ 

where the valence electron number of an metallic Fe atom is 8 and the residual charge (Re) that
is the electric charge of Fe site in the corresponding system.

The crystal orbital Hamilton population (COHP) analysis was further calculated to obtain
the bonding and antibonding information of the electron densities, which was performed using
the LOBSTER code<sup>5</sup>. The integrated values of the COHP (ICOHP) are convenient to quantify
bond order and compare bond strength."

- 23 Section 2 Supplementary Figures



Figure S1. Adsorption configuration. The adsorption energy of O<sub>2</sub>\* with end-on, , and side-on
 configuration 10 Fe<sub>x</sub>Co<sub>2-x</sub>-NC/ Fe<sub>x</sub>Co<sub>3-x</sub>-NC systems.



Figure S2. (a) Partial density of states (PDOS) for O<sub>2</sub>. (b) Partial differential charge density
 projecting to specific energy level, projected density of state between OOH and Fe<sub>1</sub>Co<sub>1</sub>-DAC.



**Figure S3.** Potential-dependence of the reaction free energy ( $\Delta G$ ) for ORR on Fe-Co DAC to form (a)  $\Delta G$ (  $O_2^*$ - OOH\*) and  $\Delta G$ (  $O_2^*$ - O\*+OH\*), (b)  $\Delta G$ (OOH\*- O\*) and  $\Delta G$ (OOH\*- 2OH\*) as predicted by DFT-PBE. Triangles represent the intersection points of these horizontal lines with their corresponding  $\Phi$ -dependent reaction free energies within DFT-PBE. The vertical dashed lines indicate  $\Phi$  associated with applied potentials of 0.0 and 0.9 V as labeled. Squares represent data extrapolated to an applied potential of 0.9 V.

- 13
- 14 15



Figure S4. The polarization curves of (a) Fe<sub>1</sub>Co<sub>1</sub>-1 DAC, (c) Fe<sub>2</sub>-2 and (e) Co<sub>3</sub>-1 TAC were
calculated with an activation energy of 0.26 eV, and polarization curves of (b) Fe<sub>1</sub>Co<sub>1</sub>-1 DAC, (d)
Fe<sub>2</sub>-2 and (f) Co<sub>3</sub>-1 TAC were calculated with the corresponding O–O bond breaking activation
barriers.



2

**3** Figure S5. Stability of the intermediates of ORR on 10 Fe<sub>x</sub>Co<sub>2-x</sub>-NC/ Fe<sub>x</sub>Co<sub>3-x</sub>-NC systems at pH

<sup>4 = 0</sup> at varying electrode potential.



Figure S6. The resulting surface pre-adsorption diagram at T = 298 K shows clearly which is the
most stable form. Color scheme: C, gray; N, blue; pink, Fe; green, Co; red, O; white, H.



Figure S7. (a) Partial differential charge density projecting to specific energy level, projected density of state between O<sub>2</sub> on Co<sub>3</sub>-TAC. (b) The O-O bond cleavage barrier of Co-SAC and Co<sub>3</sub>-TAC. (c) The coverage and (d) degree of rate control for each elementary step intermediate in reaction network as a function of output potential on Co<sub>3</sub>-TAC. Coverage and degree of rate control profiles for only the relevant states are shown in the respective panel for each metal, and those not explicitly shown indicate zero coverage.



9

Figure S8. (a) The coverage and (b) degree of rate control for each elementary step intermediate in reaction network as a function of output potential on Fe<sub>2</sub>-2 DAC. Coverage and degree of rate control profiles for only the relevant states are shown in the respective panel for each metal, and those not explicitly shown indicate zero coverage. The coverage profiles (except for OH\*) is the result of twice uniformization.



Figure S9. Calculated free energy profiles of complete reaction pathways I-IV for ORR.



2 Figure S10. Simulated polarization curves of Fe<sub>x</sub>Co<sub>2-x</sub>-NC/ Fe<sub>x</sub>Co<sub>3-x</sub>-NC systems.



![](_page_15_Figure_0.jpeg)

![](_page_16_Figure_0.jpeg)

**Figure S12.** (a) Scaling relations between the free energies of OH\*, O\*, 2OH\*, O\*+OH\*, and OOH\* on Fe-Co DACs/TACs. (b-e) Scaling relations between free energies changes of each elementary step along the four reaction pathways and  $a^{*}\Delta G(O^{*}) + b^{*}\Delta G(OH^{*})$ . Fit variance of the solid lines and a/b in  $a^{*}\Delta G(O^{*}) + b^{*}\Delta G(OH^{*})$  are shown in Tables S7.

![](_page_16_Figure_3.jpeg)

![](_page_16_Figure_4.jpeg)

8 Figure S13. (a) The d-electron configurations of iron cations with intermediate and low spin 9 polarization. (b) The orbital interactions between Fe cations with intermediate magnetic moment 10 and OH\* intermediate. (c) The orbital interactions between Fe cations with low magnetic moment 11 and OH\* intermediate. (d) Linear relationship between  $\Delta G$ (OH\*) and on-site magnetic moments of 12 the Fe center on DACs/TACs(namely, mag-Fe).

![](_page_17_Figure_0.jpeg)

Figure S14. Bader charge analysis reveal Fe site transferred charge (namely,  $\Delta e$ ) in Fe<sub>1</sub>Co<sub>1</sub>-1, Fe<sub>2</sub>-1,Fe<sub>2</sub>-2 and Fe<sub>3</sub>-1 and linear fitting were carried out to obtain the valence state of Fe atoms in the corresponding system.

![](_page_17_Figure_2.jpeg)

![](_page_17_Figure_3.jpeg)

![](_page_17_Figure_4.jpeg)

# **1** Section 3 Supplementary Tables

2

- **3** Table S1. The dissociation barriers of O-O for different elementary reaction on Fe<sub>1</sub>Co<sub>1</sub>-
- 4 1 DAC, Fe<sub>2</sub>-2 DAC and CO<sub>3</sub>-1 TAC with consideration of OH\* preadsorption .

	Fe <sub>1</sub> Co <sub>1</sub> -1 DAC	Fe <sub>2</sub> -2 DAC	Co <sub>3</sub> -1 TAC
O <sub>2</sub> *+H*→	0.56eV	0.83eV	0.11eV
O*+OH*			
OOH*+H*→	0.25eV	0.28eV	0.38eV
20H*			

5

6 Table S2. Half-wave potentials ( $E_{1/2}$ ) and  $E_{onset}$  for ORR of Fe/Co SAC and Fe-Co

-	DAG	1 1	C	•	•	1	1	• ,
/		obtained	trom	various	simii	lations	and	evneriments
1	$D_{IIC}$	obtained	nom	various	Sinna	ianons	ana	experiments.
								1

	E <sub>1/2</sub> (V vs RHE)	Fe SAC	Co	SAC	FeCo DAC	References
	Simulations	0.8	0.	69	0.96	
	Experiments	0.75	0.	75	0.86	6
8						
	$E_{onset}$ ( $eV$ )	Pathway	Fe SAC	Co SAC	FeCo DAC	References
		Ι	0.84	0.79	0.67	
	Simulations	II			0.67	
		III			0.91	
		VI			0.92	
	Experiments	association	0.9	0.88	1.02	7

## 9

10 **Table S3.** Computed anti-aggregation energy  $(E_{anti-agg})$  and dissolution potential  $(U_{diss})$ 

11 are also listed.

Systems	$E_{amti-agg}$ (eV)	U <sub>diss</sub> (V)
Fe <sub>2</sub> -1	-1.45	0.28
FeCo-1	-6.99	3.05
Co <sub>2-</sub> 1	-2.48	0.96
Fe <sub>2</sub> -2	-2.75	0.28
FeCo-2	-2.52	0.98
Co <sub>2</sub> -2	-1.82	0.63
Fe <sub>2</sub> -3	0.73	-0.81
FeCo-3	0.18	-0.54
Co <sub>2</sub> -3	-0.82	-0.03
Fe <sub>2</sub> -4	0.57	-0.73

FeCo-4	0.76	-0.83
Co <sub>2</sub> -4	-0.21	-0.18
Fe <sub>2</sub> -5	1.13	-1.01
FeCo-5	0.26	-0.58
Co <sub>2</sub> -5	0.09	-0.32
Co <sub>3</sub> -1	-3.42	1.43
$Co_2Fe_1-1$	-3.36	1.40
$Co_1Fe_2-1$	-2.26	0.68
Fe <sub>3</sub> -1	-2.62	0.86
Co <sub>3</sub> -2	0.56	-0.56
$Co_2Fe_1-2$	1.14	-0.85
$Co_1Fe_2-2$	1.22	-1.06
Fe <sub>3</sub> -2	1.51	-1.20
Co <sub>3</sub> -3	-0.33	-0.11
$Co_2Fe_1-3$	-0.25	-0.15
$Co_1Fe_2-3$	0.53	-0.71
Fe <sub>3</sub> -3	0.26	-0.57
Co <sub>3</sub> -4	5.19	-2.88
$Co_2Fe_1-4$	0.57	-0.56
$Co_1Fe_2-4$	2.17	-1.53
Fe <sub>3</sub> -4	7.23	-4.06
Co <sub>3</sub> -5	1.37	-0.96
$Co_2Fe_1-5$	0.59	-0.58
$Co_1Fe_2-5$	1.09	-0.99
Fe <sub>3</sub> -5	2.21	-1.56

2 I abic 57. Olisci polentials (Lonset) for OKK of 10-C0 DAC/ TAC when considering t	2 Table	S4. Onset potentials	(E <sub>onset</sub> ) for ORR	of Fe-Co DAC/TAC wh	en considering the
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3 complete pathways and single-site association pathway only, respectively.

Systems	complete pathways	conventional pathway
Fe <sub>2</sub> -1-2OH	0.79eV	0.79eV
Co <sub>2</sub> -1	0.88eV	1.09eV
Fe <sub>1</sub> Co <sub>1</sub> -1-OH	0.67eV	0.92eV
Fe <sub>2</sub> -2-2OH	0.75eV	0.75eV
Co <sub>2</sub> -2	0.92eV	1.05eV
Fe <sub>1</sub> Co <sub>1</sub> -2-OH	0.55eV	0.80eV
Fe <sub>3</sub> -1-2OH	0.58eV	0.87eV
Fe <sub>2</sub> Co <sub>1</sub> -1-2OH	0.71eV	1.09eV
$Fe_1Co_2-1$	0.66eV	1.03eV
Co <sub>3</sub> -1	0.84eV	1.11eV

**Table S5.** Half-wave potentials (E1/2) for ORR of Fe-Co DAC/TAC when considering

Systems	complete pathways	conventional pathway
Fe <sub>2</sub> -1-2OH	0.6V	0.49V
Co <sub>2</sub> -1	0.82V	1.07V
Fe <sub>1</sub> Co <sub>1</sub> -1-OH	0.93V	0.81V
Fe <sub>2</sub> -2-2OH	0.83V	0.72V
Co <sub>2</sub> -2	1.11V	1.04V
Fe <sub>1</sub> Co <sub>1</sub> -2-OH	0.80V	0.23V
Fe <sub>3</sub> -1-20H	0.91V	0.61V
Fe <sub>2</sub> Co <sub>1</sub> -1-2OH	0.76V	0.73V
Fe <sub>1</sub> Co <sub>2</sub> -1	0.86V	0.42V
Co <sub>3</sub> -1	1.06V	0.85V

2 the complete pathways and single-site association pathway only, respectively.

**Table S6.** Adsorption free energy ( $\Delta G$  in eV) for the ORR intermediates on 10

	OOH*	O*+OH*	0*	20H*	OH*
Fe <sub>2</sub> -1	3.87	3.80	2.29	1.92	0.79
$Fe_1Co_1-1$	4.25	3.73	2.1	2.11	1.19
Co <sub>2</sub> -1	4.04	3.83	2.67	2.36	1.12
Fe <sub>2</sub> -2	3.79	3.2	1.96	1.94	0.76
$Fe_1Co_1-2$	4.37	3.14	2.07	1.97	0.71
Co <sub>2</sub> -2	4.00	3.3	2.75	2.21	1.05
Fe <sub>3</sub> -1	4.33	4.05	2.57	3.16	1.11
$Fe_2Co_1-1$	4.21	3.82	2.58	2.39	1.10
$Fe_1Co_2-1$	4.54	3.56	1.64	2.22	0.91
Co <sub>3</sub> -1	4.08	3.47	2.28	2.07	1.11

5 FexCo<sub>2-x</sub>-NC/ FexCo<sub>3-x</sub>-NC systems in this study.

#### 

**Table S7.** Fit variance of the solid lines and a/b in  $a^*\Delta G(O^*) + b^*\Delta G(OH^*)$  in this

study.		
Pathway I	a	b
O <sub>2</sub> -OOH*	0.00293	-0.92588
OOH*-O*	-1.00293	0.925881
O*-OH*	1	-1
OH*-H <sub>2</sub> O	3.75558E-6	1
Pathway II	a	b
O <sub>2</sub> -OOH*	0.07025	-0.92076
OOH*-2OH*	-0.32853	0.61174
20H*-OH*	-0.32853	0.61174
OH*-H <sub>2</sub> O	-3.63638E-18	1

Pathway III	a	b
O <sub>2</sub> -O*+OH*	0.15876	-0.78324
O*+OH*-O*	-1.15876	0.78324
O*-OH*	1	-1
OH*-H <sub>2</sub> O	-1.05147E-18	1
Pathway IV	a	b
O2-O*+OH*	0.15876	-0.78324
O*+OH*-2OH*	-0.38395	0.5153
2OH*-OH*	0.22733	-0.73456
OH*-H <sub>2</sub> O	-7.2831E-18	1

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