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A conserved interdomain microbial network underpins cadaver decomposition despite environmental variables

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SUPPLEMENTARY TABLES AND LEGENDS

Supplementary Table 1. (separate file)

- Sample metadata. Table includes data taken during intake and over the course of the study.
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Supplementary Table 2. (separate file)

- ANCOM-BC differential abundance analysis results of cadaver skin metabolite log-ratio change
- over decomposition stages. Initial day 0 samples were used as the reference level and the
- intercept. Results include log-ratio changes of day 0 metabolites to early, active, and advanced
- decomposition stages, P-values, Holm–Bonferroni-corrected P-values (Q-values), standard
- errors, and W-values.
-

Supplementary Table 3. (separate file)

- ANCOM-BC differential abundance analysis results of cadaver-associated soil metabolite log-
- ratio change over decomposition stages. Initial day 0 samples were used as the reference level
- and the intercept. Results include log-ratio changes of day 0 metabolites to early, active, and
- advanced decomposition stages, P-values, Holm–Bonferroni-corrected P-values (Q-values),
- standard errors, and W-values.
-

Supplementary Table 4. (separate file)

- List of samples used to generate shotgun metagenomic data.
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Supplementary Table 5.

- Assembly statistics and GTDB taxonomic classification of genomic bins (metagenome-
- assembled genomes; MAGs) co-assembled from the metagenomic samples. Table includes
- completeness and contamination of each MAG.
-

Supplementary Table 6. (separate file)

- TPM-normalized count abundance of MAGs within metagenomic samples.
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Supplementary Table 7. (separate file)

- Linear mixed-effects model statistics for testing response variable change of ATP per C-mol
- amino acids calculated from metagenomic data over ADD at each facility and a random intercept
- for each individual body to account for repeated measures to test whether the metabolism
- 64 efficacy shifts within each facility. Formula: " $ATPm \sim ADD + (1|body ID)$ ".
-

Supplementary Table 8. (separate file)

- Linear mixed-effects model statistics for testing response variable change of ATP per C-mol
- carbohydrates calculated from metagenomic data over ADD at each facility and a random
- intercept for each individual body to account for repeated measures to test whether the
- 70 metabolism efficacy shifts within each facility. Formula: "ATPm \sim ADD + (1|body ID)".
-

Supplementary Table 9. (separate file)

- Linear mixed-effects model statistics for testing response variable change of ATP per C-mol
- lipids calculated from metagenomic data over ADD at each facility and a random intercept for
- 75 each individual body to account for repeated measures to test whether the metabolism efficacy
- 76 shifts within each facility. Formula: "ATPm \sim ADD + (1|body ID)".
- 77
- 78 **Supplementary Table 10.**
- 79 Kruskal-Wallis rank sum test statistics for comparison of βNTI distance values between
- 80 decomposition stages at each facility. The tests used were Kruskal-Wallis rank sum tests.

81

82 **Supplementary Table 11.**

- 83 Dunn multiple comparison with Benjamini-Hochberg adjustment test statistics for comparison of
- 84 βNTI distance values between decomposition stages at each facility.

85

86 **Supplementary Table 12.**

- 87 Kruskal-Wallis rank sum test statistics for comparison of metabolic resource overlap (MRO) and
- 88 metabolic interaction potential (MIP) values between decomposition stages at each facility. The
- 89 tests used were Kruskal-Wallis rank sum tests.

Supplementary Table 13.

- Dunn's multiple comparison with Benjamini-Hochberg adjustment test statistics for comparison
- of metabolic resource overlap (MRO) and metabolic interaction potential (MIP) values between
- decomposition stages at each facility.

Supplementary Table 14. (separate file)

Number of predicted exchanges for cross-fed compounds at each facility during late

- decomposition. Late decomposition was defined as the advanced decomposition stage at STAFS
- and ARF and the active decomposition stage at FIRS.
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Supplementary Table 15. (separate file)

Linear mixed-effects model statistics for testing response variable change of Generalized

UniFrac PC1 distances calculated from 16S rRNA gene data over ADD at each facility with

sampling site (i.e., soil adjacent to hip vs. soil control) as an independent variable (fixed effect)

and a random intercept for each individual body to account for repeated measures. The models

measure the sampling site and ADD variables individually and the interaction between the

variables. The interaction between the variables was used to test whether the sampling sites

108 respond differently to decomposition. Formula: "diversity metric \sim ADD $*$ sampling site +

- (1|body ID)".
-

Supplementary Table 16. (separate file)

Linear mixed-effects model statistics for testing response variable change of ASV richness

calculated from 16S rRNA gene data over ADD at each facility with sampling site (i.e., soil

- adjacent to hip vs. soil control) as an independent variable (fixed effect) and a random intercept
- for each individual body to account for repeated measures. The models measure the sampling
- site and ADD variables individually and the interaction between the variables. The interaction
- 117 between the variables was used to test whether the sampling sites respond differently to
- 118 decomposition. Formula: "diversity metric \sim ADD $*$ sampling site + (1|body ID)".
- 119

120 **Supplementary Table 17.**

- 121 Permutational multivariate analysis of variance model statistics using vegan-R adonis in QIIME2
- 122 v. 2022.2 (permutations = 5000) with the combined multi-omics Joint-RPCA distance matrix as
- 123 the response variable. Formula: "distance matrix \sim decomp_group * climate * facility * season".

124

125 **Supplementary Table 18.**

- 126 Permutational multivariate analysis of variance model statistics using vegan-R adonis in QIIME2
- 127 v. 2022.2 (permutations = 5000) with the 16S rRNA gene abundances RPCA distance matrix as
- 128 the response variable. Formula: "distance matrix ~ decomp_group * climate * facility * season".

129 130

131 **Supplementary Table 19.**

- 132 Permutational multivariate analysis of variance model statistics using vegan-R adonis in QIIME2
- 133 v. 2022.2 (permutations = 5000) with the 18S rRNA gene abundances RPCA distance matrix as
- 134 the response variable. Formula: "distance matrix \sim decomp_group * climate * facility * season".

135

136 **Supplementary Table 20.**

137 Permutational multivariate analysis of variance model statistics using vegan-R adonis in QIIME2

138 v. 2022.2 (permutations = 5000) with the MAG abundances RPCA distance matrix as the

139 response variable. Formula: "distance matrix ~ decomp_group * climate * facility * season".

140

141

142 **Supplementary Table 21.**

- 143 Permutational multivariate analysis of variance model statistics using vegan-R adonis in QIIME2
- 144 v. 2022.2 (permutations = 5000) with the MAG gene abundances RPCA distance matrix as the
- 145 response variable. Formula: "distance matrix ~ decomp_group * climate * facility * season".

146

147 **Supplementary Table 22.**

148 Permutational multivariate analysis of variance model statistics using vegan-R adonis in QIIME2

149 v. 2022.2 (permutations = 5000) with the MAG gene module abundances RPCA distance matrix

150 as the response variable. Formula: "distance matrix \sim decomp_group * climate * facility *

151 season".

152

153

154 **Supplementary Table 23.**

- 155 Permutational multivariate analysis of variance model statistics using vegan-R adonis in QIIME2
- 156 v. 2022.2 (permutations = 5000) with the soil metabolites abundance with predicted chemical
- 157 abundances RPCA distance matrix as the response variable. Formula: "distance matrix \sim
- 158 decomp_group * climate * facility * season".

159

160 **Supplementary Table 24.**

- 161 Test statistics for comparison of Joint-RPCA PC values from Axes 1 through 4 on metadata
- 162 variables season, climate, decomposition stage, and facility. The tests used were two-tailed
- 163 Kruskal-Wallis H tests and Mann-Whitney U tests and no multiple comparison adjustments.

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- $\frac{206}{207}$ **Supplementary Table 33. (separate file)**
- Presence of universal decomposers in a few other studies focused on mammalian decomposition
- environments. A search for the 35 universal PMI decomposer ASVs was conducted within each
- dataset. The relative abundance of each decomposer ASV was first averaged across all samples
- within a specific metadata category. The average relative abundances were then summed across
- each decomposer genus. Prevalence tables were constructed by summing the number of samples
- across a specific metadata category in which each universal decomposer ASV was present.

Supplementary Table 34. (separate file)

- The average ADD per calendar day calculated for each cadaver at each facility. The average
- ADD per calendar day was calculated by dividing the final maximum ADD values by the total
- number of days (i.e., 21). The average ADD per day was calculated for each cadaver, season and
- facility, each climate type, and as a study-wide average.
-

Supplementary Table 35. (separate file)

- The average ADD per calendar day calculated for each cadaver at each facility for the
- independent test set. The average ADD per calendar day was calculated by dividing the final
- maximum ADD values by the total number of sampling days. The average ADD per day was
- calculated for each cadaver, facility, and as a study-wide average.
-

Supplementary Table 36. (separate file)

- Metabolite identification information for metabolites that had a predicted chemical formula or
- matched to a compound in the database library. When available, chemical formulas in the
- database library took precedence over predicted chemical formulas for calculating NOSC and
- major biochemical classes based on the molar H:C and O:C ratios.
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Supplementary Table 37. (separate file)

- Soil metabolite feature table normalized with sum normalization then scaled with pareto scaling.
- Table includes chemical formulas and major biochemical classes based on the molar H:C and O:C ratios.
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Supplementary Table 38. (separate file)

- Skin metabolite feature table normalized with sum normalization then scaled with pareto scaling.
- Table includes chemical formulas and major biochemical classes based on the molar H:C and 241 O:C ratios.
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Supplementary Table 39. (separate file)

- Sample metadata for machine learning independent test set. Table includes data taken during
- intake and over the course of the study.
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SUPPLEMENTARY TEXT

¹ Methods

Preprocessing. Prior to joint factorization, we first split the data into training j_{train} and ³ testing j_{test} samples set from the total set of shared samples k across all N input data matrix $X_{ij}^1, X_{ij}^2, \ldots, X_{ij}^N$. Each matrix X_{ij}^k is then transformed, through the robust centered log-⁵ ratio transformation (robust-clr) to center the data around zero and approximate a normal ϵ distribution $|1|$.

$$
rclr(x) = \left[\log \frac{x_1}{g_r(x)}, \dots, \log \frac{x_D}{g_r(x)}\right]
$$
\n(1)

$$
g_r(x) = \left(\prod_{i \in \Omega_x} x_i\right)^{1/|\Omega_x|} \tag{2}
$$

⁷ where x_i is the abundance of feature (e.g., microbe, metabolite, or gene) i, Ω_x is the set of 8 observed microbes in sample x and $g_r(x)$ is the geometric mean only defined on microbes $\frac{1}{2}$ with abundance > 0 . Unlike the traditional clr transformation, the robust-clr handles the ¹⁰ sparsity often found in biological data without requiring imputation. The rclr transformation ¹¹ is applied to the training and test set matrices $rclr(X_{ij_{train}}^k)$ and $rclr(X_{ij_{test}}^k)$ independently ¹² to give $Y_{ij_{train}}^k$ and $Y_{ij_{test}}^k$.

$$
1\\3
$$

¹⁴ Joint matrix factorization. The joint factorization used here is built upon the OptSpace ¹⁵ matrix completion algorithm which is a singular value decomposition (SVD) optimized on a $_{16}$ local manifold [\[2,](#page-12-0) [1\]](#page-12-0).

$$
\min_{\substack{\text{U} \text{shared}, \text{V}_k}} \frac{\sum_{k=1}^{N} \left| \Lambda \left(\boldsymbol{Y}^k - \boldsymbol{U}_{shared} \boldsymbol{S} \boldsymbol{V}^{k^T} \right) \right|_2^2}{N}
$$
(3)

¹⁷ where U_{shared} is the matrix being estimated across the shared samples of all input matrices, ¹⁸ W^k are the matrices being estimated corresponding to each respective to input matrix, and S is analogous to a matrix of shared eigenvalues across all input matrices. For each matrix Y^k 19 the observed values and Λ is a function such that the errors between Y^k and $U_{shared}SV^{k^T}$ 20 ²¹ are only computed on the nonzero entries and then averaged for each matrix, such that the 22 minimized shared estimated matrices U_{shared} and S are optimized across all matrices. The ²³ minimization is performed across iterations by gradient decent. To ensure the rotation of ²⁴ the estimated matrices are consistent, U_{shared} and S are recalculated at each iteration by

$$
U_{shared} SU_{shared} = SVD(\frac{\sum_{k=1}^{N} U^k U^{k^T}}{N})
$$
\n(4)

25

where U^k is the update for each estimated matrix during that iteration. For each V^k 26 ²⁷ iteration update we define W^k given by

$$
\boldsymbol{W}^{\boldsymbol{k}} = (\boldsymbol{S}\boldsymbol{V}^{\boldsymbol{k^T}})^T \tag{5}
$$

 In order to prevent over fitting of the joint-factorization cross validation of the reconstruction can be performed. In this case, all of the previously described minimization is performed on only the training set data. The test set data is then projected into the same space using the training set data estimated matrices and the reconstruction of the test data is calculated, given by:

$$
cross-validation error = \frac{\sum_{k=1}^{N} \left| \Lambda \left(Y_{test}^{k} - (Y_{test}^{k} V_{train}^{k}^{T}) W_{train} \right) \right|_{2}^{2}}{N}
$$
(6)

 Through this it can be ensured that the minimization error of the training data estimations also minimizes that of the test set data, which is not incorporated into those estimates on each iteration. After the training data estimates are finalized the test set samples can again be projected into the final output to prevent those samples from being lost. The covariance of all features across all input matrices is calculated from the final estimated matrices by

$$
feature\ covariance\ matrix = \begin{bmatrix} W_1 \\ W_2 \\ \cdots \\ W_N \end{bmatrix} \begin{bmatrix} W_1 \\ W_2 \\ \cdots \\ W_N \end{bmatrix}^T \tag{7}
$$

³⁸ Finally, here we treat the Joint-RPCA with only one input matrix X_{ij}^1 as the original RPCA ³⁹ [1] but with the additional benefit of the addition of cross-validation for comparison across ⁴⁰ other methods.

41

⁴² References

⁴³ [1] C. Martino, J. T. Morton, C. A. Marotz, L. R. Thompson, A. Tripathi, R. Knight, ⁴⁴ K. Zengler, A novel sparse compositional technique reveals microbial perturbations, ⁴⁵ mSystems 4 (2019).

⁴⁶ [2] R. H. Keshavan, S. Oh, A. Montanari, Matrix completion from a few entries, in: 2009 ⁴⁷ IEEE International Symposium on Information Theory.