- 1 Global decline in net primary production underestimated by climate models
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## 12 Supplementary Information







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Figure S2: Sensitivity analysis of choice of metrics used in the multiple linear regression analyses. (a) Boxplots of R<sup>2</sup> values from multiple linear regression analyses using sea surface temperature (SST), chlorophyll-a concentrations (CHL), SST & CHL and mixed layer depth (MLD). (b) Bar chart of Jackknife mean±standard deviation % significant pixels (p<0.05) against choice of metrics. Multiple linear regression analyses performed using Jackknife resampling analysis on the Eppley-VGPM, Behrenfeld-VGPM, Behrenfeld-CbPM, Westberry-CbPM, Lee-AbPM and Silsbe-CAFE remote sensing NPP algorithms.



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Figure S3: Spatial variability of multiple linear regression analyses performed on remote sensing models. Global maps of multiple linear regression adjusted  $R^2$  values from the (a) Eppley-VGPM, (b) Behrenfeld-VGPM, (c) Behrenfeld-CbPM, (d) Westberry-CbPM, (e) Lee-AbPM and (f) Silsbe-CAFE NPP algorithms. Only pixels where the multiple linear regression model was significant (p<0.05) have been plotted in the maps, non-significant pixels (p>0.05) or pixels where a driver metric is missing from the time series are presented as white in the maps.



Figure S4: Comparing the Jackknife simulation variability of the multiple linear regression
coefficients of the remote sensing algorithms. Jackknife simulation averages±standard deviations
of the multiple linear regression coefficients for (a) sea surface temperature (SST), (b) chlorophylla concentrations (CHL), and (c) mixed layer depth (MLD) for the Eppley-VGPM, BehrenfeldVGPM, Behrenfeld-CbPM, Westberry-CbPM, Lee-AbPM and Silsbe-CAFE NPP algorithms.



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46 Figure S5: Spatial variability of multiple linear regression analyses performed on the CMIP6 Earth system models. Global maps of adjusted  $R^2$  values from the (a) ACCESS-ECM1-5, (b) CESM2-47 48 WACCM, (c) CESM2, (d) CMMC-ESM2, (e) CNRM-ESM2-1, (f) CanESM5, (g) EC-Earth3-CC, 49 (h) GFDL-ESM4, (i) IPSL-CM6A-LR, (j) MPI-ESM1-2-HR, (k) MPI-ESM1-2-LR, (l) MRI-50 ESM2-0, (m) NorESM2-LM, (n) NorESM2-MM and (o) UKESM1-0-LL. Only grid points where 51 the multiple linear regression model was significant (p<0.05) have been plotted in the maps, non-52 significant grid points (p>0.05) or grid points where a driver metric is missing from the time series 53 are presented as white in the maps.



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55 Figure S6: Comparing multiple linear regression coefficients from remote sensing algorithms to Earth system models. Bottom bar plots represent globally averaged biome-weighted Earth mover's 56 distance (EMD) metric of multiple linear regression coefficients for sea surface temperature (SST), 57 chlorophyll-a concentrations (CHL) and mixed layer depth (MLD) per Earth system model for the 58 59 (a) Eppley-VGPM, (b) Behrenfeld-VGPM, (c) Behrenfeld-CbPM, (d) Westberry-CbPM, (e) Lee-AbPM and (f) Silsbe-CAFE NPP algorithms across all 7 Jackknife simulations. Top bar plots 60 61 represent the mean±standard deviation across the metric drivers for each Earth system model per 62 NPP algorithm. EMD metrics were calculated using multiple linear regression coefficients 63 restricted using the IQR fence test (see methods) for both remote sensing and CMIP6 models.





Figure S7: Ranking Earth system models using Z-score assessments of the Earth mover's distance
metric for each Jackknife simulation. Heatmaps of Z-scores for ranked Earth system models per
NPP remote sensing algorithm, including (a) Eppley-VGPM, (b) Behrenfeld-VGPM, (c)
Behrenfeld-CbPM, (d) Westberry-CbPM, (e) Lee-AbPM and (f) Silsbe-CAFE.



70 Figure S8: Exploring the input variable dependency in estimating net primary production. Line 71 plots of max-normalised net primary production (NPP) calculated using the (a) Eppley-VGPM, 72 (b) Behrenfeld-VGPM, (c) Behrenfeld-CbPM, (d) Westberry-CbPM, (e) Lee-AbPM and (f) Silsbe-CAFE NPP algorithms. Input variables include sea surface temperature (SST), chlorophyll-73 74 a (CHL), photosynthetically active radiation (PAR), particulate backscattering (b<sub>bp</sub>), mixed layer depth (MLD), diffuse attenuation coefficient (Kd), phytoplankton absorption (aph) and detrital 75 76 absorption (adg). The input variable being tested was allowed to range between the climatological (1998-2023) 20<sup>th</sup> and 80<sup>th</sup> percentile, whilst the other input variables were held constant at the 77 78 climatological median value.

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80 Figure S9: Comparing differences between remote sensing NPP algorithms and direct field 81 measurements. Root mean square differences (RMSD) between NPP estimated from Eppley-82 VGPM, Behrenfeld-VGPM, Behrenfeld-CbPM, Westberry-CbPM, Lee-AbPM and Silsbe-CAFE 83 NPP algorithms and direct field measurements from the Bermuda Atlantic Time Series (BATS), 84 Hawaii Oceanic Time Series (HOTS), Western Antarctic Peninsula (WAP), coastal north east 85 Atlantic (NEA), Black Sea, Arabian Sea, pelagic North Atlantic (NABE), Antarctic Polar Frontal Zone (APFZ), California coast (CALCOFI), Mediterranean Sea (DYFAMED), Scotia Sea 86 (AMLR), Cariaco basin (CARIACO)<sup>21,32–34</sup>. Cells with bold text and a black border represent the 87 algorithm which had the lowest RMSD for the specific study. Please note that empty cells means 88 89 that the algorithm was not implemented during the study.



91 Figure S10: Exploring the sensitivity of trends in annual mean net primary production. Maps of 92 coefficient of variation (a,c,e,f,g,l,k) and normalised probability density function (PDF) plots 93 (b,d,f,h,j,l) of trends in annual mean net primary production (NPP; Gg year<sup>-1</sup>) from 1998-2023 (Original) and the results from a Monte Carlo Jackknife experiment in which 20 years of the 1998-94 95 2023 period are sub-sampled for trend calculations (Jackknife Simulations) for the (a,b) Eppley-96 VGPM, (c,d) Behrenfeld-VGPM, (e,f) Behrenfeld-CbPM, (g,h) Westberry-CbPM, (i,j) Lee-AbPM 97 and (k,l) Silsbe-CAFE NPP algorithms. Coefficient of variation calculated as the Jackknife trend 98 1<sup>o</sup> over the absolute mean Jackknife trends. Shaded regions in the PDF plots represent the 99 Jackknife Simulation mean±standard deviation. Only pixels where the trend is significant (p<0.05)

100 are included in the PDF distributions.



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Figure S11: Spatial variability of the driver annual trends. Zonal averages±standard deviations of the annual trends for (a) sea surface temperature (SST), (b) chlorophyll-a concentrations (CHL) and (c) mixed layer depth (MLD) for the ensemble of CMIP6 Earth system models and observations.