

### Derivation of equation used to calculate cytosolic cAMP concentration.

The absolute maximal FRET response observed *in vitro* ( $F_{ABS}$ ) and the maximal FRET response observed in the intact cell ( $F_{MAX}$ ) are described by Eq. 1 and Eq. 2, respectively:

$$F_{ABS} = \frac{R_{MAX} - R_{0 \text{ in vitro}}}{R_{0 \text{ in vitro}}} \quad (\text{Eq. 1})$$

$$F_{MAX} = \frac{R_{MAX} - R_{0 \text{ cell}}}{R_{0 \text{ cell}}} \quad (\text{Eq. 2})$$

where  $R_{MAX}$  = maximum CFP/YFP fluorescence ratio;  $R_{0 \text{ in vitro}}$  = minimum CFP/YFP fluorescence ratio *in vitro*; and  $R_{0 \text{ cell}}$  = minimum CFP/YFP fluorescence ratio in the intact cell.

Based on Eq.1 and Eq. 2, and assuming that  $R_{MAX}$  is identical *in vitro* and in the intact cell, we can derive Equation 3:

$$F_{ABS} * R_{0 \text{ in vitro}} + R_{0 \text{ in vitro}} = F_{MAX} * R_{0 \text{ cell}} + R_{0 \text{ cell}} \quad \rightarrow$$

$$R_{0 \text{ cell}} = \left( \frac{F_{ABS} + 1}{F_{MAX} + 1} \right) * R_{0 \text{ in vitro}} \quad (\text{Eq. 3})$$

Furthermore, the FRET response observed under any given set of experimental conditions ( $F$ ) can be described by Equation 4:

$$F = \frac{R_{\text{cell}} - R_{0 \text{ cell}}}{R_{0 \text{ cell}}} \quad \rightarrow$$

$$R_{\text{cell}} = R_{0 \text{ cell}} * (F + 1) \quad (\text{Eq. 4})$$

where  $R_{\text{cell}}$  = the CFP/YFP fluorescence ratio in the intact cell.

Based on Eq. 3 and Eq. 4, we can derive Eq. 5, which describes the *equivalent* FRET response *in vitro* ( $F_{\text{eq in vitro}}$ ):

$$F_{\text{eq in vitro}} = \frac{R_{\text{cell}} - R_{0 \text{ in vitro}}}{R_{0 \text{ in vitro}}} = \frac{R_{0 \text{ cell}} * (F + 1) - R_{0 \text{ in vitro}}}{R_{0 \text{ in vitro}}} \quad \rightarrow$$

$$F_{\text{eq in vitro}} = \frac{\left[ \left( \frac{F_{ABS} + 1}{F_{MAX} + 1} \right) * R_{0 \text{ in vitro}} \right] * (F + 1) - R_{0 \text{ in vitro}}}{R_{0 \text{ in vitro}}} \quad \rightarrow$$

$$F_{eq\ in\ vitro} = \left( \frac{F_{ABS} + 1}{F_{MAX} + 1} \right) * (F + 1) - 1 \quad (\text{Eq. 5})$$

The Hill equation describing the *in vitro* FRET response of the probe to different cAMP concentrations is:

$$F_{eq\ in\ vitro} = \frac{F_{ABS} * [cAMP]^n}{EC_{50}^n + [cAMP]^n} = \frac{F_{ABS}}{1 + \left( \frac{EC_{50}}{[cAMP]} \right)^n} \quad (\text{Eq. 6})$$

where  $EC_{50}$  = the concentration of cAMP that produces half-maximal activation of the probe and  $n$  is the Hill coefficient.

Based on Eq. 5 and Eq. 6 we can derive Eq. 7 to calculate the concentration of cAMP that produces a given FRET response in an intact cell (F):

$$[cAMP] = EC_{50} * \left( \frac{F_{eq\ in\ vitro}}{F_{ABS} - F_{eq\ in\ vitro}} \right)^{1/n} \quad \rightarrow$$

$$[cAMP] = EC_{50} * \left( \frac{(F_{ABS} + 1) * (F + 1) - F_{MAX} - 1}{F_{ABS} * (F_{MAX} + 1) - [(F_{ABS} + 1) * (F + 1) - F_{MAX} - 1]} \right)^{1/n} \quad \rightarrow$$

$$[cAMP] = EC_{50} * \left( \frac{F_{ABS} * (F + 1) + F - F_{MAX}}{F_{ABS} * (F_{MAX} - F) - F + F_{MAX}} \right)^{1/n} \quad (\text{Eq. 7})$$

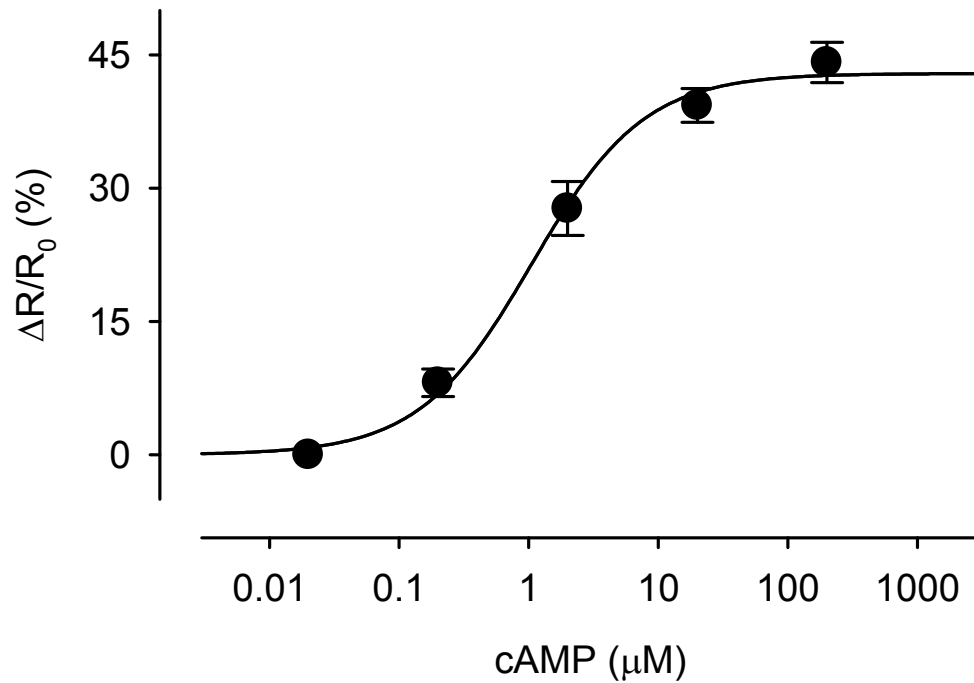
**Supplement Table 1: MODEL PARAMETERS**

<i><b>Parameter</b></i>	<i><b>Value</b></i>	<i><b>Units</b></i>	<i><b>Description</b></i>
$R_{\beta_1\text{TotalCav}}$	0.633	$\mu\text{M}$	concentration of $\beta_1\text{R}$ in Cav compartment
$R_{\beta_1\text{TotalEcav}}$	1.098	$\mu\text{M}$	concentration of $\beta_1\text{R}$ in Ecav compartment
$R_{\beta_1\text{TotalCyt}}$	0.603	$\mu\text{M}$	concentration of $\beta_1\text{R}$ in Cyt compartment
$K_H$	0.062	$\mu\text{M}$	high affinity binding constant between ligand and receptor
$K_L$	0.567	$\mu\text{M}$	low affinity binding constant between ligand and receptor
$K_C$	8.809	$\mu\text{M}$	affinity binding constant between free receptor and G protein
$R_{M_2\text{TotalCav}}$	0.506	$\mu\text{M}$	concentration of $M_2\text{R}$ in Cav compartment
$R_{M_2\text{TotalEcav}}$	0.506	$\mu\text{M}$	concentration of $M_2\text{R}$ in Ecav compartment
$R_{M_2\text{TotalCyt}}$	0.301	$\mu\text{M}$	concentration of $M_2\text{R}$ in Cyt compartment
$K_H$	0.16	$\mu\text{M}$	high affinity binding constant between ligand and receptor
$K_L$	11	$\mu\text{M}$	low affinity binding constant between ligand and receptor
$K_C$	30	$\mu\text{M}$	affinity binding constant between free receptor and G protein

$G_{sTotalCav}$	10	$\mu M$	concentration of $G_s$ protein in Cav compartment
$G_{sTotalEcav}$	10	$\mu M$	concentration of $G_s$ protein in Ecav compartment
$G_{sTotalCyt}$	10	$\mu M$	concentration of $G_s$ protein in Cyt compartment
$G_{iTotalCav}$	20	$\mu M$	concentration of $G_i$ protein in Cav compartment
$G_{iTotalEcav}$	1	$\mu M$	concentration of $G_i$ protein in Ecav compartment
$G_{iTotalCyt}$	10	$\mu M$	concentration of $G_i$ protein in Cyt compartment
$k_{act1Gi}$	0.1	$s^{-1}$	activation rate constant for $RG_i$ complexes
$k_{act2Gi}$	5	$s^{-1}$	activation rate constant for $LRG_i$ complexes
$k_{act1Gs}$	0.1	$s^{-1}$	activation rate constant for $RG_s$ complexes
$k_{act2Gs}$	5	$s^{-1}$	activation rate constant for $LRG_s$ complexes
$k_{hydrGi}$	0.8	$s^{-1}$	hydrolyzation rate constant of $G_{i\alpha-GTP}$
$k_{reasGi}$	$1.21 \cdot 10^3$	$s^{-1} \mu M^{-1}$	reassociation rate constant of $G_{i\alpha-GDP}$ and $G_{\beta\gamma}$
$k_{hydrGs}$	0.8	$s^{-1}$	hydrolyzation rate constant of $G_{s\alpha-GTP}$

$k_{reasGs}$	$1.21 \cdot 10^3$	$s^{-1} \mu M^{-1}$	reassociation rate constant of $G_{\alpha-GDP}$ and $G_{\beta\gamma}$
$AC_{5/6-Cav}$	3.379	$\mu M$	concentration of Cav $AC_{5/6}$
$AC_{5/6-Cyt}$	0.126	$\mu M$	concentration of Cyt $AC_{5/6}$
ATP	$5 \cdot 10^3$	$\mu M$	concentration of ATP (constant)
$K_{mATP}$	315	$\mu M$	$AC_{5/6} K_m$ for ATP
$AF_{5/6}$	500	$\frac{\text{mg purified protein}}{\text{mg membrane protein}}$	amplification factor for $AC_{5/6}$
$MW_{AC5/6}$	130	Kda	molecular weight of $AC_{5/6}$
$AC_{4/7-Ecav}$	0.200	$\mu M$	concentration of Ecav $AC_{4/7}$
$AC_{4/7-Cyt}$	0.006	$\mu M$	concentration of Cyt $AC_{4/7}$
$AF_{4/7}$	130	$\frac{\text{mg purified protein}}{\text{mg membrane protein}}$	amplification factor for $AC_{4/7}$
$MW_{AC4/7}$	130	KDa	molecular weight of $AC_{4/7}$
$K_{mPDE2}$	50	$\mu M$	PDE2 $K_m$ for cAMP
$K_{mPDE3}$	0.08	$\mu M$	PDE3 $K_m$ for cAMP
$K_{mPDE4}$	2.2	$\mu M$	PDE4 $K_m$ for cAMP
$k_{PDE2}$	20	$s^{-1}$	rate constant for PDE2
$k_{PDE3}$	1.25	$s^{-1}$	rate constant for PDE3
$k_{PDE4}$	2.5	$s^{-1}$	rate constant for PDE4

$PDE_{2Cav}$	4.5	$\mu M$	PDE2 concentration in Cav compartment
$PDE_{2Ecav}$	0.002	$\mu M$	PDE2 concentration in Ecav compartment
$PDE_{2Cyt}$	0.068	$\mu M$	PDE2 concentration in Cyt compartment
$PDE_{3Cav}$	5.6	$\mu M$	PDE3 concentration in Cav compartment
$PDE_{3Cyt}$	0.113	$\mu M$	PDE3 concentration in Cyt compartment
$PDE_{4Cav}$	2.0	$\mu M$	PDE4 concentration in Cav compartment
$PDE_{4Ecav}$	0.01	$\mu M$	PDE4 concentration in Ecav compartment
$PDE_{4Cyt}$	0.027	$\mu M$	PDE4 concentration in Cyt compartment
$J_{Cav/Ecav}$	$5 * 10^{-15}$	Liters * s <sup>-1</sup>	flux rate between Cav and Ecav compartments
$J_{Cav/Cyt}$	$7.5 * 10^{-14}$	Liters * s <sup>-1</sup>	flux rate between Cav and Cyt compartments
$J_{Ecav/Cyt}$	$0.9 * 10^{-14}$	Liters * s <sup>-1</sup>	flux rate between Ecav and Cyt compartments



**Supplement Figure 1.** Concentration dependence of the cAMP-dependent change in Epac2-camps CFP/YFP emission intensity ratio ( $\Delta R/R_0$ ) observed *in vitro* (see *Methods*). Parameters of fit to data points:  $EC_{50}$ , 1.1  $\mu\text{M}$ , Hill coefficient, 1, maximum FRET response 43%.