

Supplementary Code:

R code described in the text: (1) Code to generate null models from real species distributions.

```
# Define some initial functions that are called by the main
# function:

calcCondProbs <- function (pa, neighLists = neighbourLists) {
  ### This function calculates the conditional probability
  ### of presence within a cell, given presence in neighboring
  ### cells. Its arguments are pa, a vector indicating presence or
  ### absence within the each square (values 0 or 1) and neighLists,
  ### a list of lists defining adjacency structure within the map.
  ### neighLists should have one list for each square of the map in
  ### the same order as pa, each list containing the indices of all
  ### squares with centre falling within a specified distance
  ### class of the centre of the focal square. For all the analyses
  ### presented here, 10 different distance classes were selected:
  ### 0 - 95km, 96 - 145km, 146 - 196km, etc. In this case
  ### neighLists is 10 items long, with each item a list the length
  ### of pa. The function is used in the calculate of the structural
  ### match between a simulated distribution and the real
  ### distribution.

  pOnly      <- pa == 1
  degree     <- length (neighLists)
  condProb   <- numeric (degree)
  for (i in 1:degree) {
    condProb[i] <- mean(pa[unlist(neighLists[[i]][pOnly])])
  }
  condProb
}

#####
calcHists <- function (pa, neighLists = neighbourLists) {
  ### This function calculates binned probabilities of presence
  ### in the different distance classes for a vector of presence
  ### and absence, pa. It is used in the main function to
  ### identify candidate squares for swapping. Arguments are as
  ### above.

  nnlist     <- lapply(neighbourLists, function(lst) {
    mapply(length, lst)})  # Count neighbours
                           # within distance
                           # classes
  pOnly      <- pa == 1    # Identify cells with presence
  degree     <- length (neighLists) # calculate number of
                                   # distance bins.
  presSums <- vector("list", degree)
```

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probs      <- pressSums

# For each distance bin...
for (i in 1: degree) {
  # identify squares with presence:
  nnlist[[i]]   <- nnlist[[i]][pOnly]
  # count squares with presence:
  pressSums[[i]] <- mapply(function(vec) sum(pa[vec]),
                            neighLists[[i]][pOnly])
  # Calculate mean probability of presence within each
  # distance class and generate bins of the frequency of
  # each probability:
  probs[[i]]     <- hist(pressSums[[i]] / nnlist[[i]],
                        breaks = seq(0, 1, length = 9),
                        plot = FALSE)
}
probs
}

#####
calcHistErrs <- function (actual = realHists, sim = sim1) {
  ### This function calculated the root mean squared error of the
  ### binned probabilities of presence between the real and
  ### simulated distribution. It is used in the main function to
  ### identify candidate squares for swapping. Its arguments are
  ### actual: the output of calcHists for the real distribution; and
  ### sim: the vector of presence/absence in the simulated
  ### distribution.

  degree      <- length(actual)    # Count distance categories
  simHists   <- calcHists(sim)      # Calculate bins for
                                    # simulation.
  histDiffs <- vector("list", length = degree)
  for (i in 1: degree) {
    # For each distance category calculate the difference
    # between the real and simulated bins:
    histDiffs[[i]] <- actual[[i]][[2]] - simHists[[i]][[2]]
  }
  # calculate root mean square error:
  histErrs   <- sum( mapply (function(X) { sqrt(mean((X)^2)) },
                        histDiffs))
}

#####
calcCondProbErrs <- function (actualCPs = realProbs, sim = sim1) {
  ### This function calculates the difference between the
  ### conditional probabilities of the real and simulated
  ### distributions. Its arguments are actualCPs: the output of

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### calcConProbs for the real distribution, and sim, the simulated
### distribution.

# Calculate the conditional probabilities for the simulated
# distribution:
simProbs      <- calcCondProbs(sim)
# Calculate the error:
condProbDiffs <- actualCPs - simProbs
condProbErr   <- sqrt(mean((condProbDiffs*1000)^2))
# If the match is perfect, set error to 0:
if (is.na(condProbErr)) condProbErr <- 0
condProbErr
}

#####
calcAllSums <- function (pa, neighLists = neighbourLists) {
  ### This function calculates one part of the earlier function:
  ### the number of squares with presence within each distance
  ### category. Its arguments are as for calcCondProbs.

  nnlist     <- lapply(neighbourLists, function(lst) {
    mapply(length, lst)})  # Count neighbours
                           # within distance
                           # classes
  degree     <- length (neighLists)
  presSums   <- vector("list", degree)
  for (i in 1: degree) {
    # count squares with presence:
    presSums[[i]] <- mapply(function(vec) sum(pa[vec]),
                            neighLists[[i]][pOnly])
  }
  presSums
}

#####
calcOneSum <- function (pa, neighLists =
                         neighbourLists[[mostWrongDegree]]) {
  ### This function calculates the number of neighbours with
  ### presence in the required distance category, but for only one
  ### distance category, defined by one element of neighLists as
  ### before.

  presSums <- mapply(function(vec) sum(pa[vec]), neighLists)
}

#####
calcSimErrs <- function (realSimBins = realSimBinned, sim = sim1,
                          bins = binVec, plot.it = FALSE, dists =

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```

                seq(0, 2900, length = 16)) {
### This function calculates the error between two simulated
### distributions based on semivariograms. Its arguments are:
###   realSimBins: a data.frame containing the sum of the
###     absolute difference between all pairs of squares
###     aggregated by the distance classes defined in dists with
###     column 1 defining the distance, column 2 the sum, and
###     column 3 the count of pairs within each distance class.
###     Each row represents one distance class.
###   sim: a vector of 0 and 1 indicating presence/absence in the
###     simulation.
###   bins: a vector identifying the distance classes (as in
###     dists) for all pairs of squares in the distribution.
###   plot.it: logical
###   dists: a vector of 16 distances identifying the bins

# the absolute difference between all pairs of squares:
simSimVec <- matrix(abs(sim[rep(1:nlocs, times = nlocs)] -
                           sim[rep(1: nlocs, each = nlocs)]), ncol = nlocs)
simSimVec <- simSimVec[col(simSimVec) < row(simSimVec)]
# aggregate these differences by the binned distances:
sum1sim1 <- aggregate(c(simSimVec), by = list(bins), sum)
# calculate the mean absolute difference for real and
# simulated distributions in each bin:
realMeans <- realSimBins[1:15,2] / realSimBins[1:15,3]
simMeans <- sum1sim1[1:15,2] / realSimBins[1:15,3]

# If required, plot the variogram:
if (plot.it) {
    # Calculate confidence intervals:
    realCIs <- binomCI(realMeans, totals[1:15])
    simCIs <- binomCI(simMeans, totals[1:15])
    # Plot the real distribution variogram:
    plot (dists, realMeans, ylim = c(0, max(sum1sim1[,2] /
                                              totals[1:length(realSimBins[,2])]),
                                              realSimBins[,2] /totals[1 : length(
                                              realSimBins[,2])))), xlab = "distance bin",
          ylab = "mean difference", pch = 20, cex = 2,
          main = "Binned Variogram")
    # Add confidence intervals:
    for (i in 1:15) {
        lines(rep(dists[i],2), c(realCIs[[1]][i],
                                   realCIs[[2]][i]))
    }
    # Add the simulated values and confidence intervals in
    # red:
    points(dists, simMeans, col = "red", pch = 20, cex = 2)
    for (i in 1:15) {
        lines(c(dists[i],dists[i]), c(simCIs[[1]][i],
                                       simCIs[[2]][i]), col = "red")
    }
}

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    }
    # Return the root mean square error:
    err1 <- sqrt(mean(((realMeans - simMeans)*1000)^2))
}

#####
binomCI <- function (p, n = nlocs) {
  ### Calculates normal approximation to binomial confidence
  ### intervals (used only for plots).
  upper <- p + 1.96 * sqrt((p*(1-p))/n)
  lower <- p - 1.96 * sqrt((p*(1-p))/n)
  return (list(upper, lower))
}

#####
initMap <- function(pa, neighLists = neighbourLists) {
  ### This function generates an initial map with the required
  ### number of presences and absences and conditional probability
  ### of presence in first order neighbours that approximates that
  ### of the real map. This map is later refined by iteration. Its
  ### arguments are identical to those of calcCondProbs.

  neighbours <- neighLists[[1]] # Identify first order
                                # neighbours
  # Identify neighbours in the middle distance category:
  distNeighs <- neighLists[[round(length(neighLists)/2)]]
  nPres      <- sum(pa, na.rm = T) # count prevalence

  # Calculate conditional probability within the first
  # distance class:
  condProb   <- calcCondProbs(pa)[1]
  # select a focal square at random:
  startloc   <- sample(1:nlocs, 1)

  # Set up some parameters:
  nNeighs     <- 0                  # Number of neighbours
  simPres     <- 0                  # pa in simulation
  simDist     <- numeric(nlocs)     # the simulated distribution
  tested       <- numeric(nlocs)     # whether the square has been
                                    # tested before

  while (simPres < nPres) {
    # While prevalence in the simulated distribution is
    # less than that of the real distribution:

    # count the number of untested neighbours of the focal
    # square:
    nNeighs <- sum(tested[neighbours[[startloc]]] == 0)
    looplrim <- 0 # define a counter for the loop
}

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# while choosing a square with no untested neighbours:
while (nNeighs == 0) {

    looplrim <- looplrim + 1 # increment counter
    # if the loop is stuck, chose a new focal square:
    if (looplim > 300) startloc <- sample (1:nlocs,1)
    # select a distant neighbour of the focal square:
    startloc <- sample(distNeighs[[startloc]], 1)
    # Set the simulated distribution at the focal square
    # to 1:
    simDist[startloc] <- 1
    # Identify the focal square as tested:
    tested[startloc] <- 1
    # count the number of untested neighbours of the
    # focal square:
    nNeighs <- sum(tested[neighbours[[startloc]]] == 0)
}

# identify the untested neighbours of the focal square:
neighs <- neighbours[[startloc]][tested[
    neighbours[[startloc]]] == 0]
# Define presence / absence in the neighbours of the focal
# square based on the conditional probability:
simDist[neighs] <- sample (0:1, nNeighs, replace = T,
                           prob = c(1-condProb, condProb))
# Identify test locations as tested:
tested[neighs] <- 1

# If focal square has neighbours with presence, select one
# of these squares as the new focal square:
if (sum (simDist[neighs]) > 0) {
    if (sum (simDist[neighs]) == 1) {
        startloc <- neighs[simDist[neighs] == 1]
    } else {
        startloc <- sample (neighs[simDist[neighs] ==
            1], 1)
    }
}
# Otherwise select any neighbour:
} else {
    if (length (neighs) == 1) {
        startloc <- neighs
    } else {
        startloc <- sample (neighs, 1)
    }
}

simPres <- sum(simDist)      # Count number of presences
# if > 90% of squares have already been tested, reset
# tested to 0 and continue:
if (sum (tested) > nPres * 0.9) tested <- numeric(nlocs)

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}

# Check that there are not too many simulated presences:
tooMany <- simPres - nPres
if (tooMany != 0) {
  # if there are any, set any extra presences to 0:
  simDist[sample(which(simDist == 1), tooMany)] <- 0
}
return (simDist)
}

#####
plotFinal <- function(actual = pa, simP = bestSim, realSimBin =
  realSimBinned, binVecP = binVec, realCP, coords) {
  ### This function plots a real distribution, a final simulation
  ### and some summaries of the match between the two. Its arguments
  ### are:
  ###   actual: a vector of presence / absence in the real
  ###          distribution.
  ###   simP: a vector of presence / absence in the simulated
  ###          distribution.
  ###   realSimBin: a data.frame as defined in calcSimErrs
  ###   binVecP: a vector of distance bins for all pairs of
  ###          squares.
  ###   realCP: conditional probabilities for the real distribution
  ###          as calculated by calcCondProbs.
  ###   coords: a 2-column matrix or data.frame with x and y
  ###          coordinates for each square.

  # Count the distance classes:
  degree <- length(neighbourLists)
  # Calculate the errors using the variogram:
  simErr <- calcSimErrs(realSimBins = realSimBin, bins =
    binVecP, sim = simP)
  # Calculate the errors using conditional probability:
  condProbP <- calcCondProbErrs(actualCPs = realCP, sim = simP)
  # Define the plot layout:
  layout(matrix(c(1,1,2,2,3,3,4,4,4,5,5,5,4,4,4,5,5,5),
    ncol = 6, byrow = T))
  # Plot the conditional probabilities for the simulation (red).
  plot(1:degree, calcCondProbs(simP), xlab = "order", ylab =
    "probability", pch = 20, col = "red", cex = 2.2, ylim =
    c(0,1), main = "Probability | presence")
  # Plot the conditional probabilities of the real distribution:
  points (1:degree, calcCondProbs(actual), pch = 20, cex = 2.2)
  # add some text summarizing the statistics:
  plot(1,1, type = "n", axes = FALSE, ylab = "", main =
    "Fit Statistics", cex.main = 2, xlab = "")
  mtext(bquote(paste(plain('Conditional Probability Error ')) ==
    .(round(condProbP, 2))), sep = ""), line = -5)
}

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mtext(bquote(paste(plain('Binned Variog. Error ')) ==
  .(round(simErr, 2)), sep = "")), line = -3)
# Plot the variograms of the real distribution:
simErr <- calcSimErrs(realSimBins = realSimBin, bins =
  binVecP, sim = simP, plot.it = T)
# Plot the two distributions:
plot(coords[,2], coords[,1], col = actual+1, pch = 20, cex =
  2, xlab = "long", ylab = "lat", main = "Real Dist")
plot(coords[,2], coords[,1], col = simP+1, pch = 20, cex = 2,
  xlab = "long", ylab = "lat", main = "Simulated Dist")
}

#####
#### ----- #####
#####

##### The main function:

randDists <- function(pa, nsims = 99, maxiters = 10000,
  plot.final = TRUE, binVecs, neighbourList) {
  ### This function produces (very slowly) a null distribution with
  ### equal prevalence and similar conditional probability to a
  ### given distribution. Its arguments are:
  ### pa: a vector of 0 and 1 indicating presence/absence in each
  ### square.
  ### nsims: the number of simulations required.
  ### maxiters: the maximum number of iterations required if
  ### convergence is not reached.
  ### plot.final: logical, describing whether to plot the final
  ### distribution of each null model with summary statistics.
  ### binVecs: a numeric vector defining the distance classes of
  ### each pairwise comparison of points.
  ### neighbourList: a list of lists as defined above in
  ### calcCondProbs.

  # First calculate summary statistics for the real
  # distribution:
  binVec      <- binVecs
  neighbourLists <- neighbourList
  realSim     <- matrix (abs (pa [rep (1:nlocs, times =
    nlocs)] - pa[rep(1: nlocs, each = nlocs)]),
    nrow = nlocs)
  realSim     <- realSim[col(realSim) < row(realSim)]
  realSimBinned <- aggregate(realSim, by = list(binVec), sum)
  realHists   <- calcHists(pa)
  realProbs   <- calcCondProbs(pa)
  realNeighSums <- calcAllSums(pa)

  # Set up results matrix (if required):
  if (nsims > 1) out <- matrix(NA, ncol = nsims, nrow = nlocs)
}

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# For each simulation required:
for (jj in 1:nsims) {

  # Generate initial map:
  sim1      <- initMap(pa)
  # save map as bestSim:
  bestSim   <- sim1
  # Calculate summary statistics for simulation:
  simErr    <- calcSimErrs(sim = sim1, realSimBins =
                            realSimBinned)
  simHists  <- calcHists(sim1)
  simProbs  <- calcCondProbs(sim1)
  simNeighSums <- calcAllSums(sim1)
  degree     <- length(realHists)
  HistErr    <- calcHistErrs(actual = realHists, sim =
                            sim1)
  CPErr      <- calcCondProbErrs(actualCPs = realProbs,
                            sim = sim1)
  oldSimErr  <- CPErr
  # Define counter:
  loop <- 0

  while (!(CPErr < 5 & loop > 100) & loop <= maxiters) {

    # While the error is greater than the tolerance or
    # the process has run for fewer than 100 iterations
    # and less than the maximum, do pairwise swapping of
    # presence/absence:
    loop          <- loop + 1    # Increment loop
    # Identify the distance class with probabilities
    # differing most between the real and simulated
    # distribution:
    simProbs     <- calcCondProbs(sim1)
    condProbDiffs <- realProbs - simProbs
    condProbErr   <- sqrt(mean((condProbDiffs)^2))
    mostWrongDegree <- which (abs(condProbDiffs) ==
                               max(abs(condProbDiffs)))[1]
    pOnly        <- sim1 == 1

    # Identify neighbours for all squares within this most
    # differing class and estimate distance classes with
    # most error:
    nnlist        <- nNeighList[[mostWrongDegree]][pOnly]
    presSums     <- mapply(function(vec) sum(sim1[vec]),
                           neighbourLists[[mostWrongDegree]][
                           pOnly])
    simHist      <- hist(presSums / nnlist, breaks =
                           seq(0, 1, length = 9), plot = FALSE)
    histDiffs    <- realHists[[mostWrongDegree]][[2]] -
                     simHist[[2]]
  }
}

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if(length(histDiffs) == 0) histDiffs <- 0 # if perfect
mostWrongBin <- which(abs(histDiffs) == max (abs(
histDiffs)))[1]
# Identify whether the most strongly differing class
# is a result of over or under simulating within this
# class:
signOfWrong <- sign (histDiffs[mostWrongBin])[1]

if(is.na(signOfWrong) | signOfWrong == 0) {
  signOfWrong <- -1
}
# Set up parameters for this most differing class:
simNeighSums <- calcOneSum(sim1,
                           neighbourLists[[mostWrongDegree]])
bins <- seq(0, 1, length = 9)

# identify squares whose of presence / absence is most
# likely result in an improvement:
if (signOfWrong == -1) {
  # If simulation is an overestimate:
  # Identify the bin that is most overestimated:
  mostOppositeBin <- which(histDiffs == max (
    histDiffs))[1]
  # Identify squares with neighbours matching these
  # requirements and select one from the top 50,
  # biasing selection probability to the best
  # candidates:
  candidates <- simNeighSums[sim1 == 1] /
    nNeighList[[mostWrongDegree]][sim1 == 1]
  candidates <- (1:nlocs)[sim1 == 1][order( abs(
    candidates - mean(
    bins[mostWrongBin],
    bins[mostWrongBin + 1])),
    decreasing = FALSE)]
  selectedloc <- sample( candidates[1 : (min (sum (
      pa), 50))], 1, prob = seq(.1, .01,
      length = min(sum(pa),50)))
  #Set simulation to 0 in this location:
  sim1[selectedloc] <- 0
  # Repeat process to identify a location to swap
  # distribution to 1.
  candidates <- simNeighSums[sim1 != 1] /
    nNeighList[[mostWrongDegree]][sim1
    != 1]
  candidates <- (1:nlocs)[sim1 != 1][order( abs(
    candidates - mean(
    bins[mostOppositeBin],
    bins[mostOppositeBin + 1])),
    decreasing = FALSE)]
  selectedloc <- sample( candidates[1 : (min (sum (
      pa), 50))], 1, prob = seq(.1, .01,
      length = min(sum(pa),50)))

```

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length = (min(sum(pa),50)))
sim1[selectedloc] <- 1

} else {
  # Repeat above procedure if simulation was
  # underestimated in the most wrong distance class:
  mostOppositeBin <- which(histDiffs == min (
    histDiffs))[1]
  candidates <- simNeighSums[sim1 != 1] /
    nNeighList[[mostWrongDegree]][sim1
    != 1]
  candidates <- (1:nlocs)[sim1 != 1][order( abs(
    candidates - mean(
    bins[mostWrongBin],
    bins[mostWrongBin + 1])),
    decreasing = FALSE)]
  selectedloc <- sample( candidates[1 : (min (sum(
    pa),50))], 1, prob = seq(.1, .01,
    length = min(sum(pa),50)))
  sim1[selectedloc] <- 1
  candidates <- simNeighSums[sim1 == 1] /
    nNeighList[[mostWrongDegree]][sim1
    == 1]
  candidates <- (1:nlocs)[sim1 == 1][order (abs (
    candidates - mean(
    bins[mostOppositeBin],
    bins[mostOppositeBin + 1])),
    decreasing = FALSE)]
  selectedloc <- sample( candidates[1 : (min (sum(
    pa),50))], 1, prob = seq( .1, .01,
    length = (min( sum( pa), 50))))
  sim1[selectedloc] <- 0
}

if (loop %% 20 == 0) {
  # Every 20 loops calculate the errors:
  CPErr <- calcCondProbErrs(actualCPs = realProbs,
    sim = sim1)
  simErr <- calcSimErrs(sim = sim1, realSimBins =
    realSimBinned)
  if (loop == 100) {
    # Throw away first 100 iterations
    bestSim <- sim1
    oldSimErr <- CPErr
  }
  # Redefine errors with new distribution:
  oldSimErr <- min( oldsimErr, CPErr)
  print( paste ("simErr = ", round(simErr,1), ",",
    CPErr = ", round(CPErr,1), sep = ""))
  if(oldSimErr == (CPErr)) {
    # If the error of the current simulation is

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        # lower than that stored, save the current
        # simulation.
        bestSim <- sim1
    }
}
if (nsims > 1) {
    # If multiple simulations are required, store the best
    # simulation in the appropriate column of out.
    out[,jj] <- bestSim
    print(paste("Simulation", jj, "compete"))
}
#
# If required, plot summaries and final distributions:
if (plot.final) plotFinal(pa, bestSim, realSimBin =
    realSimBinned, binVecP = binVec, realCP = realProbs)
# Return final null distributions:
if (nsims > 1) return(out) else return (bestSim)
}

#####
####-----#####
#####
```

R code described in the text: (2) Code used to fit climate envelopes:

```
fitEnvelope <- function (organismData, weatherData, method,
                           outGrid = NULL, do.cv = TRUE, do.var.imp= FALSE,
                           outputPredictions = TRUE, outputFile = NULL) {

  ### This function fits climate envelopes to datasets using BIOMOD
  ### defaults, outputting predictions and models. It requires
  ### libraries nnet, verification, mgcv. Its arguments are:
  ### organismData: a vector of 0 and 1 indicating presence and
  ###                 absence in each square.
  ### weatherData: a numeric matrix or data.frame containing the
  ###                 current climate conditions: rows represent squares in
  ###                 the same order as organismData, each column represents
  ###                 one weather variable.
  ### method: a character string identifying the fitting method to
  ###           use. Currently, one of "nnet", "gam" or "glm".
  ### outGrid: if present, a matrix of the same form as weatherData
  ###           defining the future climate scenarios at each square.
  ### do.cv: logical, defining whether the root mean squared error
  ###         for the model should be measured using 10-fold cross
  ###         validation.
  ### do.var.imp: logical, indicating whether leave-one-out cross
  ###             validation should be used to assess the importance of
  ###             each weather variable.
  ### outputPredictions: logical - is the predicted distribution
  ###                   required?
  ### outputFile: an optional character vector defining a text file
  ###             to be created to hold output (useful when running
  ###             batches).

  # Load required packages:
  require (nnet)
  require (verification)

  # Define variables:
  dat1          <- organismData
  weather        <- weatherData
  weather        <- as.matrix (weather)
  nRows         <- length (dat1)

  # If only one weather variable, rename:
  if(dim(weather)[2] == 1) {
    colnames(weather) <- "weather[randSel,]"
  }

  # If future scenarios are given, format and define output
  # matrix:
  if(!is.null(outGrid)) {
    outGrid      <- as.matrix(outGrid)
    outRows      <- dim(outGrid)[1]
```

```

    outPreds      <- matrix (nrow = outRows, ncol = 10)
}

# Select 70% of indices including at least 2 presences:
randSel       <- sample (1:nRows, ceiling((nRows * 7) / 10))
while (sum (dat1[randSel]) < 2)   randSel <- sample (1:nRows,
                                                       ceiling((nRows*7)/10))

# Define output matrices:
trainingPreds <- matrix(nrow = length (randSel), ncol = 10)
validationPreds <- matrix(nrow = nRows - length(randSel), ncol
                           = 10)
finalPreds     <- matrix(nrow = nRows, ncol = 10)

if (method == "nnet") {
  # If neural networks are required...

  for (j in 1:10) {
    # fit 10 neural networks using BIOMOD defaults:
    assign (paste ("fullnet", j, sep = ""), nnet (x =
      weather[randSel,], y = dat1[randSel], size =
      7, decay = 0.03, maxit = 1000, trace = F))

    # Do predictions for each of the training data, the
    # validation data, the complete dataset and, if
    # required, the scenarios:
    trainingPreds[,j]   <- get (paste ("fullnet", j, sep =
      ""))$fitted.values
    validationPreds[,j] <- predict (get (paste ("fullnet",
      j, sep = "")), newdata =
      weather[-randSel,], type =
      "raw")
    finalPreds[,j]      <- predict (get (paste ("fullnet",
      j, sep = "")), newdata =
      weather, type = "raw")
    if(!is.null(outGrid)) {
      outPreds[,j]      <- predict (get (paste ("fullnet",
        j, sep = "")), newdata =
        outGrid, type = "raw")
    }
  }
  # Calculate the mean predictions across the 10 neural
  # networks:
  trainingPreds <- rowMeans(trainingPreds)
  validationPreds <- rowMeans(validationPreds)
  finalPreds     <- rowMeans(finalPreds)
  if(!is.null(outGrid)) outPreds <- rowMeans(outPreds)

} else if (method == "glm") {
  # If fitting method is "glm"...
}

```

```

# Hide warnings:
def.opt <- options()
options(warn = -1)
# Identify climate variables:
vars <- colnames (weather)

# Calculate the number of two-way interactions to fit,
# based on the length of the dataset and number of
# variables and paste together an appropriate formula:
if(length(vars)>1) {
    nTwoWay <- factorial( length( vars)) / (2 * factorial(
        length( vars) - 2))
    if ((nTwoWay + 2 * length(vars) * 3) <
        length(weather[, 1])) {
        twoWayInts <- paste( rep( vars, each =
            length( vars)), rep( vars, times =
            length( vars)), sep = ":")

        ind <- rep(TRUE, length = length(vars)^2)
        for (ii in 1:length(vars)){
            for (jj in 1:length(vars)) {
                if (ii >= jj) {
                    ind[(ii - 1) * length( vars) + jj] <- FALSE
                }
            }
        }
        form1 <- as.formula(paste("dat1[randSel] ~ ",
            paste(paste(vars, collapse = " + "),
            paste("I(", vars, "^2)", sep = "", collapse = " + "), paste (
            twoWayInts[ind], collapse = " + "), sep =
            " + ")))
    }
} else {
    form1 <- as.formula(paste("dat1[randSel] ~ ", paste(
        paste( vars, collapse = " + "), paste("I(",
        vars, "^ 2)", sep = "", collapse = " + "), sep = " + ")))
}
}

# Fit the glm model:
normal.glm <- glm (form1, family = binomial, data =
    as.data.frame( weather[randSel, ]))

# Reset the options:
options(def.opt)
# Make predictions from the model for the training,
# validation, full and (if required) future climate
# datasets:
finalPreds      <- predict (normal.glm, newdata =
    as.data.frame( weather), type =
    "response")
validationPreds <- predict (normal.glm, newdata =

```

```

                as.data.frame( weather[-randSel, ]),
                type = "response")
trainingPreds <- normal.glm$fitted.values
if(!is.null(outGrid)) {
    outPreds <- predict (normal.glm, newdata =
        as.data.frame( outGrid), type =
        "response")
}
}

} else if (method == "gam") {
# If the fitting method required is "gam"...

# Coerce climate data to suitable data.frames and rename
# if required:
weather <- as.data.frame(weather)
testWeather <- weather[randSel,]
valWeather <- weather[-randSel,]
if(length(names(weather)) == 1) {
    names(weather) <- "weath"
    names(testWeather) <- "weath"
    names(valWeather) <- "weath"
}
}

# Turn warnings off and require package mgcv:
def.opt <- options()
options(warn = -1)
require (mgcv)

# Paste formula from names and fit gam model:
normal.gam <- eval (parse(text = paste ("gam (
    dat1[randSel] ~ s (", paste( colnames(
        weather), collapse = ","), ", k = 8,",
    "fx = FALSE), family = binomial, data = ",
    "testWeather)")))
}

# Reset options:
options(def.opt)
# Make predictions from the model for the training,
# validation, full and (if required) future climate
# datasets:
finalPreds <- predict (normal.gam, newdata =
    weather, type = "response")
validationPreds <- predict (normal.gam, newdata =
    valWeather, type = "response")
trainingPreds <- normal.gam$fitted.values
if(!is.null(outGrid)) {
    outGrid <- as.data.frame(outGrid)
    if(length(names(outGrid)) == 1) {
        names(outGrid) <- "weath"
    }
    outPreds <- predict (normal.gam, newdata = outGrid,
}

```

```

        type = "response")
    }

# Calculate a matrix of the four corners of a contingency
# table comparing predicted and real presence/absence for the
# complete range of cutoff values in [0,1]:
cutoff <- seq (0, 1, by = 0.01)
result <- matrix (ncol = 101, nrow = 4)
for (j in 1:101) {
    result[1,j] <- sum (trainingPreds > cutoff[j] &
                         dat1[randSel] == 1)
    result[2,j] <- sum (trainingPreds > cutoff[j] &
                         dat1[randSel] == 0)
    result[3,j] <- sum (trainingPreds < cutoff[j] &
                         dat1[randSel] == 1)
    result[4,j] <- sum (trainingPreds < cutoff[j] &
                         dat1[randSel] == 0)
}

kappa <- function (a, b, c, d) {
# This functions calculates Cohen's Kappa.
    kappa <- (2 * ((a * d) - (b * c)))/(((a + b) * (b + d)) +
        ((c + d) * (a + c)))
}

# Generate from training data a vector of Kappa values for all
# possible cutoffs :
kappa.vals      <- kappa (a = result[1,], b = result[2,], c =
                           result[3,], d = result[4,])
# Find maximum Kappa value:
maxKappa        <- max(kappa.vals)
# Define optimal cutoff based on training data
optimal.cutoff  <- cutoff[max (which(kappa.vals == max (
    kappa.vals)))]]

# Calculate AUC for validation dataset:
AUC <- roc.area (dat1[-randSel], as.vector (
    validationPreds))$A

# Set predictions according to cutoff:
finalPreds[finalPreds > optimal.cutoff] <- 1
finalPreds[finalPreds < optimal.cutoff] <- 0

if(do.cv) {
# If 10-fold cross-validation is required...

    # Define variables to store results:
    MSE       <- numeric (10)
    CVeror   <- matrix (NA, ncol = dim (weather)[2], nrow =
                           10)
}

```

```

# Generate cross-validation subsets:
cvsubsets <- sample (rep(1:10, ceiling( length( randSel) /
10)))[1 : length( randSel)]
for (ii in 1:10) {
  assign (paste ("randSel", ii, sep = ""),
         randSel[cvsubsets != ii])
}

for (k in 1:10) {
# For each of the 10-fold cross validations...

  # Repeat above procedure on the required subset (code
  # is effectively a repeat of above with different
  # datasets):
  if (method == "nnet") {
    CVPreds <- matrix(nrow = length( randSel[cvsubsets
      == k]), ncol = 10)
    for (j in 1:10) {

      assign (paste ("fullnetCV", j, sep = ""),
              nnet( x =weather[get(paste("randSel",
              k, sep = "")),], y = dat1[get( paste(
              "randSel", k, sep = ""))], size = 7,
              decay = 0.03, maxit = 1000, trace =
              FALSE))

      CVPreds[,j] <- predict (get (paste (
                  "fullnetCV", j, sep = "")),
                  newdata =
                  weather[randSel[cvsubsets ==
                  k],], type = "raw")
    }
    CVPreds <- rowMeans(CVPreds)
    MSE[k]  <- sum((dat1[randSel[cvsubsets == k]] -
      CVPreds) ^ 2)) / length (CVPreds)

  } else if (method == "glm") {

    def.opt <- options()
    options(warn = -1)
    if ((nTwoWay + 2 * length( vars) * 3) < length(
        weather[,1])) {
      form1 <- as.formula( paste(
          "dat1[randSel[cvsubsets != k]] ~ ",
          paste( paste( vars, collapse = " +
          "), paste("I(", vars, "^2)", sep =
          "", collapse = " + "), paste (
          twoWayInts[ind], collapse = " + "),
          sep = " + ")))
    } else {
      form1 <- as.formula( paste(

```

```

        "dat1[randSel[cvsubsets != k]] ~ ",
        paste( paste( vars, collapse = " + "),
        paste("I(", vars, "^2)", sep = "", ,
        collapse = " + "), sep = " + ")))
    }
cv.glm <- glm (form1, family = binomial, data =
    as.data.frame( weather[randSel[cvsubsets
    != k],]))
options(def.opt)
CVPreds <- predict (cv.glm, newdata =
    as.data.frame(
    weather[randSel[cvsubsets == k],]),
    type = "response")
MSE[k] <- sum(((dat1[randSel[cvsubsets == k]] -
    CVPreds) ^ 2))/length (CVPreds)

} else if (method == "gam") {

    def.opt <- options()
    options(warn = -1)
    normal.gam <- eval (parse( text = paste ("gam (
        dat1[randSel[cvsubsets !=k]]",
        " ~ s (", paste(colnames(weather),
        collapse = ","), ", k = 8,", "fx =
        FALSE), family = binomial, data = ",
        "as.data.frame(
        weather[randSel[cvsubsets != k],
        ]))")))
    options(def.opt)
    CVPreds <- predict (normal.gam, newdata =
        as.data.frame(
        weather[randSel[cvsubsets == k],]),
        type = "response")
    MSE[k] <- sum(((dat1[randSel[cvsubsets == k]] -
        CVPreds) ^ 2)) / length (CVPreds)
}

if(do.var.imp) {
# If a leave-one-out cross validation of the
# importance of each parameter is also required...

    for (i in 1:dim(weather)[2]) {
# For each climate variable repeat the cross-
# validation procedure dropping each climate
# variable in turn. Code is again a repeat of
# above.

        if (method == "nnet") {
            CVSubPreds <- matrix(nrow = length(
                randSel[cvsubsets == k]),
                ncol = 10)

```

```

for (j in 1:10) {
  assign (paste ("CVsubnet", j, sep =
    ""), nnet (x =
      weather[randSel[cvsubsets !=
        k], -i], y =
      dat1[randSel[cvsubsets != k]], size = 7, decay = 0.03,
      maxit = 1000, trace = F))

  CVSubPreds[,j] <- predict (get (paste
    ("CVsubnet", j, sep = "")), newdata =
      weather[randSel[cvsubsets ==
        k], -i], type = "raw")
}
CVSubPreds <- rowMeans( CVSubPreds)
CVeror[k,i] <- sum(
  ((dat1[randSel[cvsubsets ==
    k]] - CVSubPreds) ^ 2)) /
  length (CVSubPreds)

} else if (method == "glm") {
  def.opt <- options()
  options(warn = -1)
  vars <- colnames (weather[, -i])
  nTwoWay <- factorial(length( vars)) / (2 *
    factorial (length(vars) - 2))
  if ((nTwoWay + 2 * length( vars)) * 3 <
    length( weather[,1])) {
    twoWayInts <- paste( rep( vars, each =
      length( vars)), rep(
      vars, times = length(
      vars)), sep = ":")

    ind <- rep(TRUE, length = length(
      vars)^2)
    for (ii in 1:length(vars)){
      for (jj in 1:length(vars)) {
        if (ii >= jj) {
          ind[(ii - 1) * length(
            vars) + jj] <- FALSE
        }
      }
    }
    form1 <- as.formula( paste(
      "dat1[randSel[cvsubsets != k]] ~ ", paste( paste( vars,
        collapse = " + "), paste("I(", vars, "^2)", sep = "", collapse =
        " + ")), paste (
        twoWayInts[ind], collapse = "

```

```

+ " ), sep = " + ")))
} else {
  forml <- as.formula( paste(
    "dat1[randSel[cvsubsets != k]] ~ ",
    paste(paste(vars,
    collapse = " + "), paste("I(",
    vars, "^2)", sep = "",
    collapse = " + "), sep = " +
    ")))
}
sub.glm <- glm (forml, family = binomial,
  data = as.data.frame(
    weather[randSel[cvsubsets !=
    k], ]))
options(def.opt)
CVSubPreds <- predict (sub.glm, newdata =
  as.data.frame(weather[randSel
  [cvsubsets == k], ]), type =
  "response")
CVerror[k,i] <- sum( ((dat1[randSel
  [cvsubsets == k]] -
  CVSubPreds) ^ 2)) /
  length (CVSubPreds)

} else if (method == "gam") {

  def.opt <- options()
  options(warn = -1)
  sub.gam <- eval (parse(text = paste ("gam
    (dat1[randSel[cvsubsets!=k]] ~ s
    (", paste( colnames( weather[ ,
    -i]), collapse = ","), ", k = 8,
    fx = FALSE), family = binomial,
    data = ", "as.data.frame(
    weather[randSel [cvsubsets !=
    k], ])))))
  options(def.opt)

  CVSubPreds <- predict (sub.gam, newdata =
    as.data.frame(
      weather[randSel [cvsubsets
      == k], ]), type =
      "response")
  CVerror[k, i] <- sum( ((dat1[randSel
    [cvsubsets == k]] -
    CVSubPreds) ^ 2)) /
    length (CVSubPreds)
}

}
}
}
```

```

}

if(do.var.imp) {
# If leave-one-out cross validation of the importance of each
# parameter is required...

# Define some objects to hold the results:
diffMinusVarI <- matrix(NA, ncol = 3, nrow = dim(
    weather)[2])
rownames (diffMinusVarI)      <- colnames(weather)
colnames (diffMinusVarI)      <- c("Kappa", "AUC", "CV")
if (do.cv) diffMinusVarI[,3] <- colMeans(CVerror) -
    mean(MSE)

for (i in 1:dim(weather)[2]) {
# For each climate variable in turn, fit models and make
# predictions as above, leaving the climate parameters out
# sequentially.
  if (method == "nnet") {
    trainingSubPreds   <- matrix (nrow = length(
        randSel), ncol = 10)
    validationSubPreds <- matrix (nrow = nRows -
        length( randSel), ncol = 10)
    finalSubPreds     <- matrix(nrow = nRows, ncol =
        10)
    for (j in 1:10) {

      assign (paste ("subnet", j, sep = ""), nnet(x=
          weather[randSel, -i], y =
          dat1[randSel], size = 7, decay = 0.03,
          maxit = 1000, trace = F))

      trainingSubPreds[,j] <- get (paste ("subnet",
          j, sep =
          ""))$fitted.values
      validationSubPreds[,j] <- predict (get (paste(
          "subnet", j, sep = "")),
          newdata = weather[
              -randSel, -i], type =
          "raw")
      finalSubPreds[,j] <- predict (get (paste (
          "subnet", j, sep = "")),
          newdata = weather[,-i],
          type = "raw")
    }
    trainingSubPreds   <- rowMeans(trainingSubPreds)
    validationSubPreds <- rowMeans(validationSubPreds)
    finalSubPreds     <- rowMeans(finalSubPreds)

} else if (method == "glm") {

```

```

def.opt <- options()
options(warn = -1)
vars <- colnames(weather[, -i])
nTwoWay <- factorial(length(vars)) / (2 *
                                         factorial(length(vars) - 2))
if ((nTwoWay + 2 * length(vars)) * 3 < length(
    weather[, 1])) {
  twoWayInts <- paste(rep(vars, each = length(
    vars)), rep(vars, times =
    length(vars)), sep = ":"))
  ind <- rep(TRUE, length = length(vars) ^ 2)
  for (ii in 1:length(vars)){
    for (jj in 1:length(vars)) {
      if (ii >= jj) {
        ind[(ii - 1) * length(vars) +
            jj] <- FALSE
      }
    }
  }
  form1 <- as.formula( paste("dat1[randSel] ~
    ", paste(paste(vars, collapse = " +
    "), paste("I(", vars, " ^ 2)", sep =
    "", collapse = " + ")), paste(
    twoWayInts[ind], collapse = " + "),
    sep = " + ")))
} else {
  form1 <- as.formula( paste("dat1[randSel] ~
    ", paste(paste(vars, collapse = " +
    "), paste("I(", vars, " ^ 2)", sep =
    "", collapse = " + ")), sep = " + ")))
}
sub.glm <- glm(form1, family = binomial, data =
  as.data.frame(weather[randSel, ]))
options(def.opt)
finalSubPreds <- predict(sub.glm, newdata =
  as.data.frame(weather),
  type = "response")
validationSubPreds <- predict(sub.glm, newdata =
  as.data.frame(weather[
  -randSel, ]), type =
  "response")
trainingSubPreds <- sub.glm$fitted.values

} else if (method == "gam") {

  def.opt <- options()
  options(warn = -1)
  sub.gam <- eval(parse(text = paste("gam (
    dat1[randSel] ~ s (", paste(colnames(
    weather[, -i]), collapse = ","), ", k =
    8, ", "fx = FALSE), family = binomial,

```



```

} else {
  mainResults <- list(method = method, Kappa = maxKappa,
                      AUC = AUC)
}
if (do.cv) mainResults$MSE <- mean(MSE)
if (do.var.imp) {
  mainResults$variableImportance <- diffMinusVarI
}
if (outputPredictions) mainResults$fittedDistrib <- finalPreds
if (!is.null(outGrid)) {
  mainResults$predictedDistrib <- outPreds
  mainResults$optimalCut      <- optimal.cutoff
}

if (!is.null(outputFile)) {
# If required, write the output to a text file:

  outputFile = file (outputFile, open = "a")
  writeLines (paste ("species: ", paste( deparse(
    substitute( organismData))), outputFile)
  writeLines (paste("method: ", method), outputFile)
  writeLines (paste("climate: ", paste( deparse(
    substitute( weatherData))), outputFile)
  writeLines (paste(mainResults), outputFile)
  close (outputFile)
}

# Return the final results:
return (mainResults)
}

```

R code described in the text : (3) Power analysis pattern generation

```
cutModel <- function (clim1, clim2, clim3, clim4, Climate =
                      currentClim) {
  ### This function defines presence/absence for a distribution
  ### based on user provided tolerances to four climate variables.
  ### It is called repeatedly by the main function, to determine the
  ### deterministic pattern used. Its arguments are:
  ### clim1 - clim4: numeric vectors of length 2 defining the
  ### upper and lower tolerances on each of the climate axes:
  ### they should be passed in the same order as the columns
  ### in currentClim.
  ### Climate: a matrix or data.frame containing the climate
  ### variables, one per column, each row defining the climate
  ### in one distribution square.

  pa <- Climate[,3] < clim1[2] & Climate[,3] > clim1[1] &
    Climate[,4] < clim2[2] & Climate[,4] > clim2[1] &
    Climate[,5] < clim3[2] & Climate[,5] > clim3[1] &
    Climate[,6] < clim4[2] & Climate[,6] > clim4[1]
  pa <- as.numeric(pa)
}

allClim <- function(pa, climate, additionalProp = 0,
                     allowDispersal = TRUE, neighbourLists) {
  ### This function generates a deterministic distribution to be
  ### used in the power test. It can generate completely
  ### deterministic patterns, or patterns containing an element of
  ### noise. It must be called only in an environment already
  ### containing the functions documented in earlier sections. Its
  ### arguments are:
  ### pa: a vector of presence/absence for a real distribution: it
  ###      is used to determine the required prevalence in the
  ###      deterministic pattern, and if a noisy pattern is to be
  ###      generated, the spatial structure of this pattern will be
  ###      the target for erosion following dispersal.
  ### climate: a matrix of climate variables, one row for each
  ###          location in the distribution.
  ### additionalProp: numeric. If desired, the deterministic
  ###                  distribution can be generated with higher prevalence than
  ###                  the actual distribution.
  ### allowDispersal: Logical, if TRUE once the deterministic
  ###                  pattern with the required prevalence is generated, the
  ###                  'species' disperses into all neighbours of squares with
  ###                  presence, generating false positives.
  ### neighbourLists: a list of lists describing the adjacency
  ###                  structure of squares in the distribution. It has structure
  ###                  identical to that described in earlier functions.

  # Rename climate:
```

```

currentClim <- climate
# Calculate target prevalence:
n1      <- sum(pa, na.rm = T)
# Calculate prevalence plus additional proportion:
n       <- ceiling(n1 * (1 + additionalProp))

# Select some initial climate tolerances falling within the
# range of each climate variable:
clim1 <- sort(runif(2, min(currentClim[,3], na.rm = T),
                     max(currentClim[,3], na.rm = T)))
clim2 <- sort(runif(2, min(currentClim[,4], na.rm = T),
                     max(currentClim[,4], na.rm = T)))
clim3 <- sort(runif(2, min(currentClim[,5], na.rm = T),
                     max(currentClim[,5], na.rm = T)))
clim4 <- sort(runif(2, min(currentClim[,6], na.rm = T),
                     max(currentClim[,6], na.rm = T)))

# Define the first distribution based on these tolerances:
mod1           <- cutModel( clim1, clim2, clim3, clim4)
mod1[is.na(mod1)] <- 0
# Define some parameters:
nlocs          <- length(mod1)
nmod           <- sum(mod1)
# Print the number of presences in the distribution:
print(paste("n = ", n, "nmod = ", nmod))
# Determine whether initial model is too small or too large:
size           <- ifelse(nmod < n, "small", "large")

while(nmod != n) {
  # While the prevalence in the model is not the target
  # prevalence:

    # Calculate the proportion of each climate axis tolerated
    # by the 'species'
    prClim1 <- (clim1[2] - clim1[1]) / (Rclim1[2] - Rclim1[1])
    prClim2 <- (clim2[2] - clim2[1]) / (Rclim2[2] - Rclim2[1])
    prClim3 <- (clim3[2] - clim3[1]) / (Rclim3[2] - Rclim3[1])
    prClim4 <- (clim4[2] - clim4[1]) / (Rclim4[2] - Rclim4[1])
    # Save the current climate tolerance and indication of
    # current match:
    oldClims <- list(clim1, clim2, clim3, clim4, size, up)
    # Randomly select 0 or 1 to indicate whether to start by
    # tolerance at the upper or lower limit:
    up <- rbinom(1,1,0.5)

    if (nmod < n) {
      # If there are too few presences in the distribution widen
      # the climatic tolerance on an selected axis:

        # Identify the current distribution as too small:
        size <- "small"

```

```

if (size != oldClims[[5]]) {
# If the distribution has too few presences but
# previously had too many, narrow the same climate
# variable previously widened:

    narrow <- wide
    up <- oldClims[[6]]

} else {
# otherwise identify the narrowest climate
# tolerance...

    narrow <- which.min( c( prClim1, prClim2, prClim3,
                           prClim4))
}

# and increase it, based on the previous tolerance to
# this variable:
if (narrow == 1) {
# If the first climate variable is the narrowest,
# select new limits for this one:

    if (size != oldClims[[5]]) {
        if(up == 1) {
            clim1[2] <- runif(1, clim1[2],
                               oldClims[[1]][2])
        } else {
            clim1[1] <- runif(1, oldClims[[1]][1],
                               clim1[1])
        }
    } else {
        if(up == 1) {
            clim1[2] <- runif(1, clim1[2], max(
                currentClim[,3], na.rm = T))
        } else {
            clim1[1] <- runif(1, min(currentClim[,3],
                                       na.rm = T), clim1[1])
        }
    }
}

} else {
# Otherwise...

    if (narrow == 2) {
# if the first climate variable is the narrowest,
# select new limits for this one:

        if (size != oldClims[[5]]) {
            if(up == 1) {
                clim2[2] <- runif(1, clim2[2],
                                   oldClims[[2]][2])

```

```

    } else {
        clim2[1] <- runif(1, oldClims[[2]][1],
                           clim2[1])
    }
} else {
    if(up == 1) {
        clim2[2] <- runif(1, clim2[2], max(
            currentClim[,4], na.rm =
            TRUE))
    } else {
        clim2[1] <- runif(1, min(
            currentClim[,4], na.rm =
            TRUE), clim2[1])
    }
}
} else {
# Etc.
    if (narrow == 3) {
        if (size != oldClims[[5]]) {
            if(up == 1) {
                clim3[2] <- runif(1, clim3[2],
                                   oldClims[[3]][2])
            } else {
                clim3[1] <- runif(1,
                                   oldClims[[3]][1],
                                   clim3[1])
            }
        } else {
            if(up == 1) {
                clim3[2] <- runif(1, clim3[2],
                                   max(currentClim[,5],
                                       na.rm = TRUE))
            } else {
                clim3[1] <- runif(1, min(
                    currentClim[,5],
                    na.rm = T), clim3[1])
            }
        }
    }
} else {
    if (size != oldClims[[5]]) {
        if(up == 1) {
            clim4[2] <- runif(1, clim4[2],
                               oldClims[[4]][2])
        } else {
            clim4[1] <- runif(1,
                               oldClims[[4]][1],
                               clim4[1])
        }
    } else {
        if(up == 1) {
            clim4[2] <- runif(1, clim4[2],

```

```

max(currentClim[,6],
na.rm = TRUE))
} else {
  clim4[1] <- runif(1, min(
    currentClim[, 6],
    na.rm = T), clim4[1])
}
}
}
}
}

# Generate a new model distribution with the wider
# tolerance:
mod1 <- cutModel(clim1, clim2, clim3, clim4)
mod1[is.na(mod1)] <- 0
nmod <- sum(mod1)

} else {
# Or if the distribution has too many presences, do the
# opposite of above to choose a parameter to narrow:

  if(nmod > n) {
    size <- "large"
    if (size != oldClaims[[5]]) {
      wide <- narrow
      up <- oldClaims[[6]]
    } else {
      wide <- which.min( c (prClim1, prClim2,
                            prClim3, prClim4))
    }
    if (wide == 1) {
      if (size != oldClaims[[5]]) {
        if(up == 1) {
          clim1[2] <- runif(1, clim1[2],
                             oldClaims[[1]][2])
        } else {
          clim1[1] <- runif(1, oldClaims[[1]][1],
                             clim1[1])
        }
      } else {
        if(up == 1) {
          clim1[2] <- runif(1, clim1[1],
                             clim1[2])
        } else {
          clim1[1] <- runif(1, clim1[1],
                             clim1[2])
        }
      }
    }
  } else {
    if (wide == 2) {
      if (size != oldClaims[[5]]) {

```

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        if(up == 1) {
            clim2[2] <- runif(1, clim2[2],
                                oldClims[[2]][2])
        } else {
            clim2[1] <- runif(1,
                                oldClims[[2]][1],
                                clim2[1])
        }
    } else {
        if(up == 1) {
            clim2[2] <- runif(1, clim2[1],
                                clim2[2])
        } else {
            clim2[1] <- runif(1, clim2[1],
                                clim2[2])
        }
    }
}
} else {
    if (wide == 3) {
        if (size != oldClims[[5]]) {
            if(up == 1) {
                clim3[2] <- runif(1, clim3[2],
                                    oldClims[[3]][2])
            } else {
                clim3[1] <- runif(1,
                                    oldClims[[3]][1],
                                    clim3[1])
            }
        } else {
            if(up == 1) {
                clim3[2] <- runif(1, clim3[1],
                                    clim3[2])
            } else {
                clim3[1] <- runif(1, clim3[1],
                                    clim3[2])
            }
        }
    }
}
} else {
    if (size != oldClims[[5]]) {
        if(up == 1) {
            clim4[2] <- runif(1, clim4[2],
                                oldClims[[4]][2])
        } else {
            clim4[1] <- runif(1,
                                oldClims[[4]][1],
                                clim4[1])
        }
    }
}
} else {
    if(up == 1) {
        clim4[2] <- runif(1, clim4[1],
                            clim4[2])
    }
}

```

```

        } else {
            clim4[1] <- runif(1, clim4[1],
                                clim4[2])
        }
    }
}
}

# Generate a new model distribution with the narrower
# tolerance:
mod1 <- cutModel(clim1, clim2, clim3, clim4)
mod1[is.na(mod1)] <- 0
nmod <- sum(mod1)
print(paste("n = ", n, "nmod = ", nmod))
}

# Now the required prevalence has been achieved, store this
# pattern as the fully deterministic pattern:
detMod <- mod1

if (allowDispersal) {
# If the 'species' is allowed to disperse into neighbouring
# squares (generating false positives) as part of the noise
# generate procedure, identify the neighbours and set presence
# in the first order neighbours to 1:

    pOnly <- mod1 == 1
    nns <- unique(unlist(neighbourLists[[1]][pOnly]))
    mod1[nns] <- 1
}

# Count the new presences:
nmod <- sum(mod1)

# Count the number of neighbours each square has in each
# distance class:
nNeighList <- lapply(neighbourLists, function(lst) {
    mapply(length, lst)})

while (nmod != n1) {
# While the distribution still has more than the required
# prevalence:

    # Calculate the summary statistics (including conditional
    # probabilities) for the spatial pattern exactly as in the
    # null distribution generation function, randDists:
    realHists <- calcHists( pa)
    simProbs <- calcCondProbs( mod1)
    condProbDiffs <- condProbs - simProbs
}

```

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condProbErr      <- sqrt( mean(( condProbDiffs) ^ 2))
# Identify distance class that is most different between
# the simulation and the real distribution:
mostWrongDegree <- which( abs( condProbDiffs) ==
                           max( abs( condProbDiffs)))[1]
# Identify the squares with simulated presence:
pOnly           <- mod1 == 1
# Select the appropriate neighbour list and identify the
# squares which, if turned to absence, would most likely
# to improve the conditional probability match between the
# simulation and real distribution (exactly as in
# randDists and documented there):
nnlist           <- neighbourLists[[mostWrongDegree]][pOnly]
pressSums        <- mapply (function (vec) sum(mod1[vec]),
                           neighbourLists[[mostWrongDegree]][pOnly])
simHist          <- hist( pressSums / sapply( nnlist,
                                              length), breaks = seq(0, 1, length=
                                              9), plot = FALSE)
histDiffs        <- realHists[[mostWrongDegree]][[2]] -
                     simHist[[2]]
mostWrongBin    <- which(abs(histDiffs) == max (abs(
                           histDiffs)))[1]
signOfWrong     <- sign (histDiffs[mostWrongBin])
simNeighSums    <- calcOneSum(mod1,
                               neighbourLists[[mostWrongDegree]])
bins             <- seq(0, 1, length = 9)

if (signOfWrong == -1) {
# If the most wrong distance class is a consequence of too
# many presences in this class, identify candidates,
# select one and set to 0:

  candidates <- simNeighSums[mod1 == 1] /
                nNeighList[[mostWrongDegree]][mod1 ==
                1]
  candidates <- (1:(min(sum(pa), 50)))[mod1 ==
                1][order(abs( candidates - mean(
                  bins[mostWrongBin], bins[mostWrongBin +
                  1])), decreasing = FALSE)]
  selectedloc <- sample(candidates[1:(min(sum(pa),
                50))], 1, prob = seq(.1, .01, length =
                min( sum(pa), 50)))
  mod1[selectedloc] <- 0

} else {
# Otherwise select the distance class with most errors
# caused by overestimates and select one to remove as
# before:
  mostOppositeBin <- which(histDiffs == min (
                            histDiffs))[1]
  candidates <- simNeighSums[mod1 == 1] /

```

```

        nNeighList[[mostWrongDegree]][mod1 == 1]
candidates <- (1:nlocs)[mod1 == 1][order( abs(
  candidates - mean(bins[mostOppositeBin],
  bins[mostOppositeBin+1])), decreasing =
  FALSE)]
selectedloc <- sample( candidates[1:(min(sum(pa),
  50))], 1, prob = seq(.1, .01, length =
  min( sum( pa), 50)))
mod1[selectedloc] <- 0
}

# Print the error in prevalence:
print( sum( mod1) - n1)
nmod <- sum( mod1)
}
# Calculate the proportion of the final pattern that was from
# the deterministic pattern (the signal to noise ratio):
SNR <- sum( detMod == 1 & mod1 == 1) / n1

# Return the simulated distribution and the signal to noise
# ratio:
return(list(PA = mod1, SNR = SNR))
}

```