Supplementary Information: Modelling genetic regulation of growth and

form in a branching sponge

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Parameters regulatory network model

The parameters of the regulatory system described by equations 2.3-2.5 are presented in Table 1. This set of parameters ensures the stability of the reaction-diffusion computation on the sponge surface. Stable patterns are formed when the inhibitor diffuses faster than the activator ($D_{inh} \gg D_{irq}$) and when the inhibitor has a greater decay rate ($\lambda_{inh} > \lambda_{irq}$) (Koch & Meinhardt 1994).

Parameter	Value	Description
$\delta_{\scriptscriptstyle sil}$	0.025	Silicatein-Iroquois suppression threshold value
$D_{_{irq}}$	$2 \cdot 10^{-6}$	Diffusion constant for Iroquois
D_{inh}	$2 \cdot 10^{-3}$	Diffusion constant for the inhibitor of Iroquois
$\lambda_{_{irq}}$	0.1	Decay parameter for Iroquois
λ_{inh}	0.11	Decay parameter for the inhibitor of Iroquois
k_1	0.1	Gierer-Meinhardt model parameter
<i>k</i> ₃	0.01	Gierer-Meinhardt model parameter
k_4	0.1	Gierer-Meinhardt model parameter
<i>k</i> ₅	0.001	Gierer-Meinhardt model parameter

Table 1. Parameters of the regulatory network model described in equations.2.3-2.5.

Variation in the parameters affects pore-pattern formation on the surface. The important parameters of the system are diffusion (*D*) and decay (λ) of activator (*irq*) and inhibitor (*inh*). The combination of these two parameters determines how far each substance is spread over the surface of a sponge and its concentration. For instance, if decay of the activator decreases while diffusion remains constant its range will expand. Consequently the pores density will increase as shown in S-figure 2a,b,c. When both parameters λ_{inh} and λ_{irq} are reduced the ranges of activator and inhibitor are mostly determined by diffusion. Since the inhibitor diffuses much faster than activator it suppresses the pore formation. Therefore, pore density decreases as shown in S-figure 2d. Further decrease of decay will result in fewer pores in the simulated object of S-figure 2e,f. By tuning these two parameters the desired density of the pores can be achieved. S-figure 3 shows the pore density and the pore size for a range of D_{irq} and D_{inh} in a twodimensional simulation (similar boundary conditions as used by Koch & Meinhardt (1994) while all other parameters of the model remain unchanged. In S-figure 3a and c it is shown that for an increasing D_{irq} the pore density decreases while the pore size increases. S-figure 3b and d demonstrates that the pore density decreases for an increasing D_{inh} while the pore size decreases.



S-figure 2. Pore density dependent on decay of activator and inhibitor. The other parameters of the model remain unchanged. The morphologies are shown after 85 iterations. Concentration of Iroquois is shown on the coloured bar on the left.



S-figure 3. Pore densities (pore densities are measured as the number of pores in a unit square) for respectively a range of D_{irq} (a) and D_{inh} (b). Pore size (measured on a unit square) for respectively a range of D_{irq} (c) and D_{inh} (d). The other parameters of the model remain unchanged.