Botulinum Neurotoxin A Protease: Discovery of Natural Product Exosite Inhibitors

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Supporting Information

General

Natural products: D-chicoric acid (I1), caftaric acid (I3) and chlorogenic acid (I4) were purchased from ChromaDex. Synthetic L-Chicoric acid (I1') was purchased from Sigma Aldrich. Hydroxamates (I2 and I5) were synthesized and described previously.¹

Assay for BoNT/A Light Chain Activity with SNAP-25 (141-206)²

BoNT/A LC at 75 pM was assayed at 20°C, pH 7.4, in 40 mM HEPES in 200 μ l volumes with a total DMSO concentration of 2%. At timed intervals, ranging from 20 min to 40 min, 25 μ l aliquots were withdrawn and quenched by the addition of 3 μ l of 15% aqueous TFA, ¹³C – labeled standard was added to a 1 μ M final concentration. Sample analysis was done by use of an Agilent 1100 LC/MS system. A 20 μ l sample was injected onto a Zorbax 300SB-C8 column (4.6x50 mm, 5 μ m, Agilent Technologies) subjected to a gradient (A to B where A = 0.1 % formic acid in water and B = 0.1 % formic acid in acetonitrile) of 2.5 % B from 0 to 2.5 min, 2.5 % B to 97.5 % B from 2.5 to 10 min, and 97.5 % B from 10 to 13 min at a constant flow rate of 0.5 ml/min. A column-solvent equilibration time of 4 min was conducted prior to the next sample analysis. Mass spectral acquisition included a solvent front delay of 2.5 min. Operational parameters were: positive single ion monitoring of m/z 460.9 and 462.9 corresponding to the M+2 peak of the reaction product and labeled internal standard respectively, nitrogen as a nebulizing and drying gas (20 psi, 3 l/min), HV capillary voltage at 4 kV and the drying gas temperature to 300 °C. Run analysis and quantitation was by use of Chemstation software (Agilent). Enzyme velocities were determined from a linear fit of product formation versus incubation time. The inhibition constants, K_U and K_C, were determined by a non-linear least squares global fit of the equation 1 to the initial rates of product formation for a matrix of substrate and inhibitor concentrations bracketing K_M(apparent).

Table S1. Values of fractional catalytic activity (δ) at saturating [I] and inhibition constants for chicoric acid, caftaric acid and chlorogenic acid.

| Entry | Compound* | δ | $K_U/\mu M$ | $K_C/\mu M$ |
|-------|-----------|---------------|---------------|--------------|
| 1 | I1 | 0.42 ± 0.04 | 1.6 ± 0.3 | 0.7 ± 0.1 |
| 2 | I1' | 0.48 ± 0.05 | 2.3 ± 0.5 | 0.8 ± 0.1 |
| 3 | I3 | 0.20 ± 0.06 | 20 ± 7 | 26 ± 7 |
| 4 | I4 | 0.30 ± 0.04 | 39 ± 9 | 100 ± 40 |

*) I1 = D-Chicoric acid, I1' = L-Chicoric acid, I3 = Caftaric acid, I4 = Chlorogenic acid

Derivation of the rate equation for chicoric acid (I1) inhibition

Scheme S1. Chicoric Acid Mechanism of Inhibition

Where I = chicoric acid, $K_C = K_I$ (competitive), $K_U = K_I$ (uncompetitive), δ = the fractional catalytic activity at saturating [I] while S, K_M , K_I , k_{cat} & V_{MAX} have their usual definitions.

 $E_{Total} = E + EI + ES + ESI$ kinetically relevant species

$$E_{Total} = \left(1 + \frac{I}{K_{c}} + \frac{S}{K_{M}} + \frac{S}{K_{M}}\frac{I}{K_{U}}\right)E \quad \text{expressed in terms of steady state parameters}^{3}$$

$$\frac{E}{E_{Total}} = \frac{1}{1 + \frac{I}{K_{C}} + \frac{S}{K_{M}} \left(1 + \frac{I}{K_{U}}\right)} \quad \text{fractionation of E with respect to[I] and [S]}$$

 $v = k_{cat} (\text{ES} + \delta \text{ESI})$

the rate equation

$$v = k_{cat} \frac{S}{K_{M}} \left(1 + \delta \frac{I}{K_{U}} \right) E$$

expressed in terms of E

$$\mathbf{v} = \frac{k_{cat} \frac{\mathbf{S}}{\mathbf{K}_{M}} \left(1 + \delta \frac{\mathbf{I}}{\mathbf{K}_{U}}\right)}{1 + \frac{\mathbf{I}}{\mathbf{K}_{C}} + \frac{\mathbf{S}}{\mathbf{K}_{M}} \left(1 + \frac{\mathbf{I}}{\mathbf{K}_{U}}\right)} \mathbf{E}_{\text{Total}} \text{ expressing E in terms of } \mathbf{E}_{\text{Total}}$$

$$\mathbf{v} = \frac{V_{MAX} \mathbf{S} \left(1 + \delta \frac{\mathbf{I}}{\mathbf{K}_{U}} \right)}{\mathbf{K}_{M} \left(1 + \frac{\mathbf{I}}{\mathbf{K}_{C}} \right) + \mathbf{S} \left(1 + \frac{\mathbf{I}}{\mathbf{K}_{U}} \right)} \quad (\text{Eq.1}) \text{ expressed in Michael}$$

elis - Menten form

Derivation of the rate equation for the chicoric acid (I1) - active site inhibitor (I2) combination

Scheme S2. Active site inhibitor (I2) in combination with chicoric acid (I1) depicted as two synergistic inhibitors with chicoric acid displaying partial inhibition.

$$\begin{array}{c|c} & \underline{12} & \underline{S} \\ & \underline{K_{12}} & \underline{E} & \underline{K_M} & \underline{E} \cdot \underline{S} & \underline{k_{cat}} & \underline{E} + P \\ \alpha & \underline{11} & \| & \underline{11} & \| & \| & \underline{11} \\ & \underline{11} - \underline{E} \cdot \underline{12} & \underline{E} & \underline{11} \cdot \underline{E} & \underline{E} & \underline{11} \cdot \underline{E} \cdot \underline{S} & \underline{\delta k_{cat}} & \underline{11} \cdot \underline{E} + P \end{array}$$

Where I1 = chicoric acid (I1), I2 = active site inhibitor (I2), $K_C = K_I$ (competitive) of chicoric acid, $K_U = K_I$ (uncompetitive) of chicoric acid, $K_{I2} = K_I$ of I2, $K'_X = K_X * S/(S+K_M)$ i.e.; K_I (apparent) at a given [S], α is a synergistic parameter reflecting the difference of affinity for chicoric acid binding in the presence and absence of I2, $\delta =$ the fractional catalytic activity at saturating [I1], Vo = the velocity in the absence of inhibitors, while S, K_M , K_I , $k_{cat} \& V_{MAX}$ have their usual definitions.

 $E_{Total} = E + EI2 + EI1I2 + EI1 + ES + ESI1$ kinetically relevant species

$$E_{Total} = \left(1 + \frac{I2}{K_{12}} + \frac{I1}{K_{C}} + \alpha \frac{I2}{K_{12}} \frac{I1}{K_{C}} + \frac{S}{K_{M}} + \frac{S}{K_{M}} \frac{I1}{K_{U}}\right) E \quad \text{expressed in terms of steady state parameters}^{3}$$

$$\frac{E}{E_{\text{Total}}} = \frac{1}{1 + \frac{I2}{K_{12}} + \frac{I1}{K_{\text{C}}} + \alpha \frac{I2}{K_{12}} \frac{I1}{K_{\text{C}}} + \frac{S}{K_{\text{M}}} \left(1 + \frac{I1}{K_{\text{U}}}\right)} \text{ fractionation of E with respect to [I2], [I1] and [S]}$$

$$v = k_{cat} (\text{ES} + \delta \text{ ESI1})$$

the rate equation

$$v = k_{cat} \frac{S}{K_{M}} \left(1 + \delta \frac{I1}{K_{U}}\right) E$$
 expressed in terms of E

$$\mathbf{v} = \frac{k_{cat} \frac{\mathbf{S}}{\mathbf{K}_{M}} \left(1 + \delta \frac{\mathbf{I1}}{\mathbf{K}_{U}}\right)}{1 + \frac{\mathbf{I2}}{\mathbf{K}_{12}} + \frac{\mathbf{I1}}{\mathbf{K}_{C}} + \alpha \frac{\mathbf{I2}}{\mathbf{K}_{12}} \frac{\mathbf{I1}}{\mathbf{K}_{C}} + \frac{\mathbf{S}}{\mathbf{K}_{M}} \left(1 + \frac{\mathbf{I1}}{\mathbf{K}_{U}}\right)} \mathbf{E}_{\text{Total}} \text{ expressing E in terms of E}_{\text{Total}}$$

$$V = \frac{V_{MAX} S \left(1 + \delta \frac{I1}{K_{U}}\right)}{K_{M} \left(1 + \frac{I2}{K_{12}} + \frac{I1}{K_{C}} + \alpha \frac{I2}{K_{12}} \frac{I1}{K_{C}}\right) + \frac{S}{K_{M}} \left(1 + \frac{I1}{K_{U}}\right)}$$

expressed in Michaelis - Menten form

$$\frac{v_{MAX}S\left(1+\delta\frac{II}{K_{U}}\right)}{\frac{V_{MAX}S\left(1+\frac{I2}{K_{12}}+\frac{I1}{K_{C}}+\alpha\frac{I2}{K_{12}}\frac{I1}{K_{C}}\right)+\frac{S}{K_{M}}\left(1+\frac{I1}{K_{U}}\right)}{\frac{V_{MAX}S}{K_{M}+S}}$$

relative rate in presence and absence of inhibitors

$$\frac{v}{Vo} = \frac{\left(K_{M} + S\right)\left(1 + \delta\frac{I1}{K_{U}}\right)}{K_{M}\left(1 + \frac{I2}{K_{12}} + \frac{I1}{K_{C}} + \alpha\frac{I2}{K_{12}}\frac{I1}{K_{C}}\right) + \frac{S}{K_{M}}\left(1 + \frac{I1}{K_{U}}\right)} \quad \text{simplifying } \frac{\frac{a}{b}}{\frac{c}{d}} = \frac{ad}{bc}$$

$$\frac{v}{Vo} = \frac{1 + \delta \frac{11}{K_{\rm U}}}{1 + \frac{12}{K'_{\rm I2}} + \frac{11}{K'_{\rm C}} + \alpha \frac{12}{K'_{\rm I2}} \frac{11}{K'_{\rm C}} + \frac{S}{K_{\rm M} + S} \left(\frac{11}{K_{\rm U}}\right)} \quad (\text{Eq. 3}) \quad \text{dividing through by S} + K_{\rm M}$$

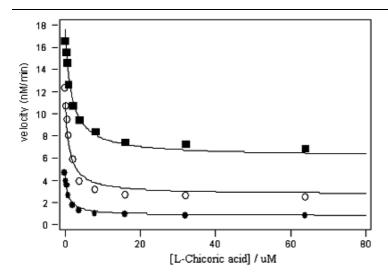


Figure S1. BoNT/A LC catalysis at varied concentrations of substrate and L-chicoric acid as inhibitor.

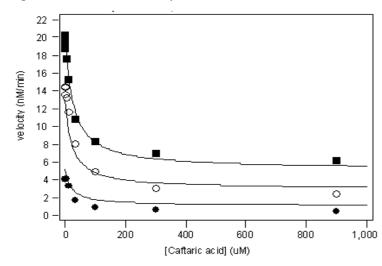


Figure S2. BoNT/A LC catalysis at varied concentrations of substrate and caftaric acid as inhibitor.

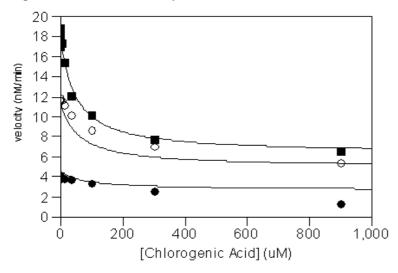


Figure S3. BoNT/A LC catalysis at varied concentrations of substrate and chlorogenic acid as inhibitor.

1) Boldt, G. E.; Kennedy, J. P.; Janda, K. D. Organic Letters 2006, 8, 1729-1732.

2) Čapková, K.; Hixon, M.S.; McAllister, L.A.; Janda, K.D. Chem. Commun, 2008, 14, 3525-3527.

3) Cha, S. J Biol Chem 1968, 243, 820-825