

# Supplementary Information for “Two mechanisms of ion selectivity in protein binding sites” by Yu, Noskov and Roux

## A) Additional theoretical developments

The atomic fluctuations are obtained from all-atom MD simulations of the solvated protein. The confinement function  $H_c(\mathbf{X})$ , then is constructed with Heaviside step-functions to match the upper bounds of fluctuations, whether an ion of type  $i$  or  $j$  is bound. It is particularly important that  $H_c$  be independent of ion type. This implies that imposing the confinement on the all-atom system costs no free energy because  $H_c$  only forbids configurations that are never observed in the first place. The relative free energy of ion  $i$  and  $j$  in the binding site is not affected by the confinement,

$$\begin{aligned}
e^{-\beta \Delta G_{ij}^{\text{site}}} &= \frac{\int_{\text{site}} d\mathbf{R} e^{-\beta U_i(\mathbf{R})}}{\int_{\text{site}} d\mathbf{R} e^{-\beta U_j(\mathbf{R})}} \\
&= \frac{\int_{\text{site}} d\mathbf{R} H_c(\mathbf{X}) e^{-\beta U_i(\mathbf{R})}}{\int_{\text{site}} d\mathbf{R} H_c(\mathbf{X}) e^{-\beta U_j(\mathbf{R})}} \\
&= \frac{\int_{\text{site}} d\mathbf{X} d\mathbf{Y} H_c(\mathbf{X}) e^{-\beta U_i(\mathbf{X}, \mathbf{Y})}}{\int_{\text{site}} d\mathbf{X} d\mathbf{Y} H_c(\mathbf{X}) e^{-\beta U_j(\mathbf{X}, \mathbf{Y})}} \\
&= \frac{\int_{\text{site}} d\mathbf{X} H_c(\mathbf{X}) e^{-\beta [U_i^{\text{ll}}(\mathbf{X}) + U^{\text{ll}}(\mathbf{X}) + \Delta W^{\text{site}}(\mathbf{X})]}}{\int_{\text{site}} d\mathbf{X} H_c(\mathbf{X}) e^{-\beta [U_j^{\text{ll}}(\mathbf{X}) + U^{\text{ll}}(\mathbf{X}) + \Delta W^{\text{site}}(\mathbf{X})]}}
\end{aligned} \tag{1}$$

Comparing with the Eq. [2] in the main text shows that

$$e^{-\beta \Delta W^{\text{site}}(\mathbf{X})} \equiv H_c(\mathbf{X}) e^{-\beta \Delta W^{\text{site}}(\mathbf{X})} \tag{2}$$

This means that the confinement imposed by  $H_c(\mathbf{X})$  can be treated as being implicitly part of the function  $\Delta W^{\text{site}}(\mathbf{X})$ . By construction, the step-function  $H_c$  is equal to zero or one, and  $H_c^2 = H_c$ . The remainder  $\Delta W_g^{\text{site}}$  can thus safely be defined as,

$$e^{-\beta \Delta W_g^{\text{site}}(\mathbf{X})} \equiv H_c(\mathbf{X}) e^{-\beta \Delta W_g^{\text{site}}(\mathbf{X})} \tag{3}$$

Similar operations are carried out to define the so-called “cavity potential function” in hard-sphere liquids (see [1]). The present construction based on Eq. (3) defines a minimal default model with probability distribution,

$$\rho_0(\mathbf{X}) = H_c(\mathbf{X}) e^{-\beta [U_i^{\text{ll}}(\mathbf{X}) + U^{\text{ll}}(\mathbf{X})]} \tag{4}$$

that incorporates the generic effect of architectural confinement by the surrounding protein structure in an idealized fashion: each atom  $k$  of the reduced subsystem can fluctuate and make arbitrary excursions, as long as it remains confined within its spherical volume  $V_k$ . To determine  $\Delta W_g^{\text{site}}$ , we seek to maximize the cross-entropy  $\eta$  [2]

$$\eta = - \int d\mathbf{X} \rho(\mathbf{X}) \ln [\rho(\mathbf{X})/\rho_0(\mathbf{X})] \tag{5}$$

under the constraint that the probability distribution  $\rho(\mathbf{X})$  is normalized, and that the atomic fluctuations of the all atoms in the reduced subsystem match the fluctuations extracted from all-atom MD simulations. Denoting the set of coordinates  $\mathbf{X}$  as  $\{x_1, x_2, \dots, x_n\}$ , the average moments

extracted from the all-atom system can be written as

$$F^{(i_1, i_2, \dots, i_n)} = \langle (x_1)^{i_1} \dots (x_n)^{i_n} \rangle \quad (6)$$

Then, the constrained optimization problem is solved by introducing a complete set of Lagrange multiplier  $\lambda_g^{(i_1, i_2, \dots, i_n)}$  to satisfy the condition on the normalization and reproduce the atomic fluctuation moments  $F^{(i_1, i_2, \dots, i_n)}$ ,

$$\eta = - \int d\mathbf{X} \rho(\mathbf{X}) \ln [\rho(\mathbf{X})/\rho_0(\mathbf{X})] + \sum_{\text{all}} \lambda_g^{(i_1, i_2, \dots, i_n)} \left[ \int d\mathbf{X} \rho(\mathbf{X}) \left[ (x_1)^{i_1} \dots (x_n)^{i_n} \right] - F^{(i_1, i_2, \dots, i_n)} \right] \quad (7)$$

where the sum runs to include the atomic fluctuations *to all order*. The normalization condition enters via the term  $F^{(0,0,\dots,0)} = 1$  corresponding to the zeroth moment with  $i_1 = 0, i_2 = 0, \dots, i_n = 0$ . The resulting normalized distribution can be formally written as,

$$\rho(\mathbf{X}) = \frac{H_c^{\text{site}}(\mathbf{X}) e^{-\beta[U_i^{\text{il}}(\mathbf{X})+U^{\text{ll}}(\mathbf{X})+\Delta W_g^{\text{site}}(\mathbf{X})]}}{\int d\mathbf{X} H_c^{\text{site}}(\mathbf{X}) e^{-\beta[U_i^{\text{il}}(\mathbf{X})+U^{\text{ll}}(\mathbf{X})+\Delta W_g^{\text{site}}(\mathbf{X})]}} \quad (8)$$

where

$$\Delta W_g^{\text{site}}(\mathbf{X}) = \sum_{\text{all}} \lambda_g^{(i_1, i_2, \dots, i_n)} \left[ (x_1)^{i_1} \dots (x_n)^{i_n} \right] \quad (9)$$

By virtue of the confinement condition implying that  $\rho(\mathbf{X}) = 0$  when any of the variable  $\mathbf{X}_k$  lies outside the microscopic volumes  $V_k$ , all moments  $F^{(i_1, i_2, \dots, i_n)}$  are finite and bounded. For this reason, the distribution  $\rho(\mathbf{X})$  is uniquely determined by  $\rho_0(\mathbf{X})$  and the series of moments  $F^{(i_1, i_2, \dots, i_n)}$ . In principle, the above procedure can be carried out to match the average moments extracted from the all-atom MD exactly to all order, thus yielding the exact form of  $\Delta W_g^{\text{site}}$ . However, it is sufficient to consider only the quadratic fluctuations for the sake of the analysis presented in the article aimed at delineating the two dominant mechanisms of ion selectivity.

Ultimately, it is important that the reference model based on  $\rho_0(\mathbf{X})$  provides a good starting point to reproduce the physical behavior of the exact all-atom system. This way, the reduced system with  $\lambda_g = 0$  is already providing a reasonable “mimic system”. To illustrate the character of the mimic system, two movie animations of the KcsA binding site S2 as Supplemental Information. The first movie, **kcsa-all-atom.mpg**, shows the dynamics of the binding site taken from an all-atom MD simulation of KcsA in a fully solvated membrane. The second movie, **kcsa-reduced-model.mpg**, shows the dynamics of the reduced model with only the confinement according to the distribution  $\rho_0(\mathbf{X})$ . The behavior of the active site is very similar in both cases, and only careful observation reveals that the fluctuations are slightly larger in the reduced model simulations (as expected).

## B) Generic uniform confinement

The trends observed in the reduced systems are not highly sensitive to the confinement radius  $R_k$ . To illustrate this, the relative free energy of  $\text{K}^+$  and  $\text{Na}^+$  in the KcsA and LeuT binding sites was recomputed with FEP/MD assuming a uniform generic confinement. In these computations, the geometric contribution,  $\lambda_g$ , is set to zero. The results of FEP/MD computations are shown in Fig. 1. The results from FEP/MD show that the main trend holds for a wide range of confinement radius. It should be noted that imposing a confinement radius smaller than 0.5 Å is akin to assume that the

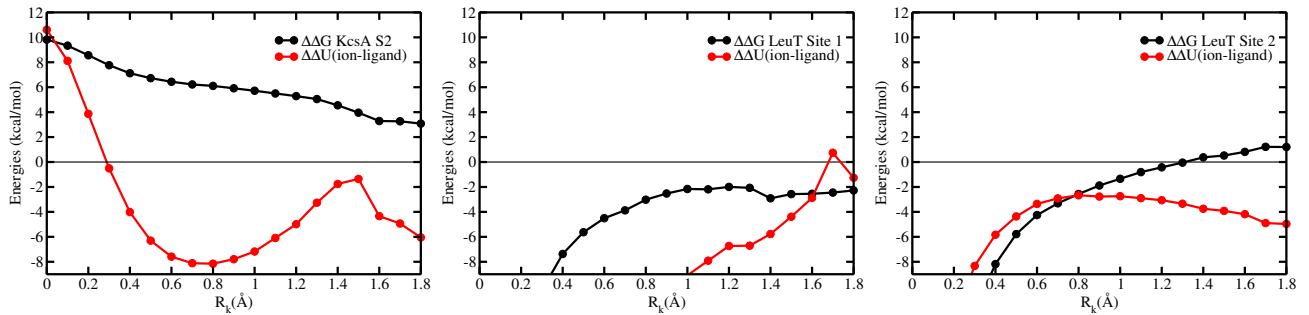


Figure 1: Effect of changing the confinement radius in the reduced binding site models of KcsA and LeuT.

binding site is very rigid and that the snug-fit limit is reproduced with  $R_k$  approaching 0.0 Å. This analysis indicates that, in the absence of addition information from all-atom MD, meaningful trends can be extracted from reduced models with a generic confinement radius of 1.0 to 1.4 Å. Such values correspond to typical thermal fluctuations extracted from all-atom MD simulations.

## C) Reduced systems with adapted optimal geometry

The relative free energies calculated in the KcsA and LeuT reduced systems with  $\lambda_g$  set to zero correspond to the confined microdroplet limit. Those free energies set the natural trend arising solely from the number and the type of ligands coordinating the ion. An interesting question is whether it is possible to revert the natural trend if the architectural forces (i.e.,  $\Delta W_g^{\text{site}}$ ) were reinforcing a coordination geometry adapted to best-fit  $K^+$  or  $Na^+$ . To address this question, putative  $K^+$ - and  $Na^+$ -adapted geometries must be constructed for LeuT and KcsA, respectively. The  $K^+$ -adapted optimal geometries of each LeuT reduced sites were constructed by performing energy minimization in the presence of a  $K^+$  ion in the binding site. This yields the optimal geometry  $\bar{r}_k[K - \text{adapted}]$  for those two binding sites. The  $Na^+$ -adapted optimal geometry of the KcsA reduced model was constructed in the same way with energy minimization in the presence of a bound  $Na^+$ . This yields the optimal geometry  $\bar{r}_k[Na - \text{adapted}]$ . Then, the relative free energy was recomputed as a function of the force constant  $\lambda_g$  using FEP/MD simulations. The results are shown in Fig. 2. It is clear that reverting the natural tendency of a reduced model in the confined microdroplet limit may be difficult. A fairly stiff restoring force  $\lambda_g$  on the order of 50-100 kcal/mol/Å<sup>2</sup> is required to dictate an optimal geometry and produce selectivity for  $Na^+$  over  $K^+$  from the ligands of the KcsA S2 site. A similar trend is observed for the site Na1 of LeuT. On the other hand, the selectivity of the site Na2 of LeuT can be swayed to favor  $Na^+$  or  $K^+$  by virtue of the geometric architectural forces. This is understandable because this site displays no selectivity in the confined microdroplet limit. It is “selectivity-neutral” by virtue of the number and type of ligands.

These results suggest the following “design principles” for a general ion-selective binding site. Let us consider a situation where one is interested in designing a selective ion binding site at one location in a macromolecular structure. It is assumed that it is possible to modify chemically the local structure such that  $N$  ligands are made available to coordinate the desired ion. The key question is to how to best choose the number and type of ligands such that this putative binding site will have the desired selectivity. To answer this question, one could construct a reduced model of the binding

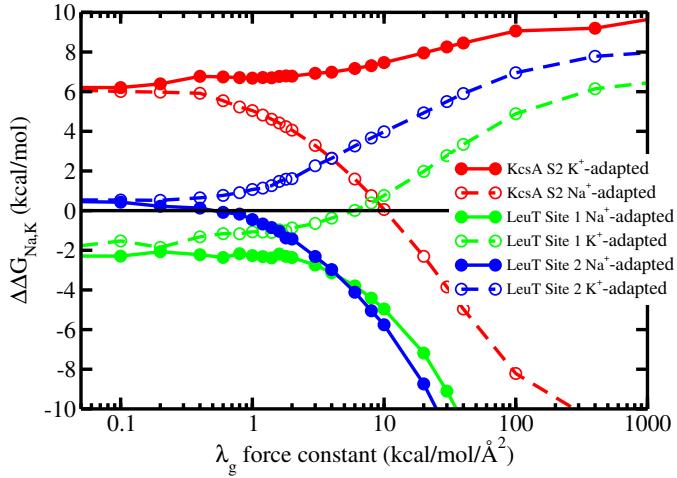


Figure 2: Selectivity in reduced models in which the optimal geometry is adapted to best-fit  $\text{K}^+$  or  $\text{Na}^+$ . The curves with solid lines correspond to the results shown in the article. The curves with dashed lines correspond to putative KcsA and LeuT sites stabilizing an optimal geometry (via  $\lambda_g$ ) adapted by energy minimization for  $\text{Na}^+$  or  $\text{K}^+$ , respectively. Except for the site  $\text{Na}2$  of LeuT, the onset of selectivity is established only for large values of  $\lambda_g$ , indicating that a fairly stiff geometry is required to counter-balance the natural trend observed in the confined microdroplet limit ( $\lambda_g = 0$ ).

site with some generic confinements, and compute the relative free energy of  $\text{K}^+$  and  $\text{Na}^+$  using FEP/MD simulations. These calculations will display the natural selectivity of the reduced binding site in the confined microdroplet limit, which is predominantly set by the number and the type of ligands. If there is a hint of the desired selectivity, or no selectivity at all, it should be possible to stabilize the optimal coordination geometry for the desired ion and enhance the selectivity. If, on the other hand, the wrong trend is displayed in the confined microdroplet, it will be difficult to correct for this by trying to stiffen some optimal coordinating geometry for the desired ion. The simplest course of action is to go back and choose a different number and type of ligands to achieve the desired selectivity.

#### D) Confinement of reduced models

## The S2 binding site of KcsA

The confinement potential utilized for the S2 binding site of KcsA comprises two components. The first component is defined as the maximum displacement of the atomic positions relative to a fixed point in space. The parameters are given in a CHARMM coordinate format, with column X, Y, Z being the position of the center  $\bar{r}_k$  and the W array being radius  $R_k$  in Eq. [3] in the main text, respectively. The W entries equal to zero imply that no confinement is applied to this atom.

*	S2	KcsA							
77									
1	1	GLY	N	-4.64887	-0.83509	9.50473	B	77	1.11800
2	1	GLY	HN	-5.13162	-0.96595	9.31059	B	77	1.50200
3	1	GLY	CA	-4.12878	-1.23317	10.78173	B	77	1.08400
4	1	GLY	HA1	-3.40890	-1.73482	10.80684	B	77	1.33100
5	1	GLY	HA2	-4.93703	-1.57129	11.42373	B	77	1.18300
6	1	GLY	C	-3.91184	0.08970	11.94418	B	77	1.12900
7	1	GLY	O	-2.94688	0.10042	11.71373	B	77	1.55800
8	1	GLY	NT	-4.84581	0.39329	12.52523	B	77	0.09100
9	1	GLY	HNT	-5.75408	0.15978	12.25791	B	77	1.18200
10	1	GLY	CAT	-4.89088	1.48798	13.47304	B	77	1.07200
11	1	GLY	HT1	-4.57916	2.44754	12.99660	B	77	0.00000
12	1	GLY	HT2	-4.21093	1.29591	14.33593	B	77	0.00000
13	1	GLY	HT3	-5.92118	1.62012	13.87340	B	77	0.00000
14	1	GLY	CAY	-4.00278	0.28112	7.37116	B	77	1.05700
15	1	GLY	HY1	-3.24541	0.93240	6.88598	B	77	0.00000
16	1	GLY	HY2	-4.12294	-0.64513	6.77327	B	77	0.00000
17	1	GLY	HY3	-4.96939	0.82090	7.42553	B	77	0.00000
18	1	GLY	CY	-3.52841	-0.07013	8.76067	B	77	1.08700
19	1	GLY	OY	-2.52505	-0.11182	9.09946	B	77	1.22600
20	2	GLY	N	-2.19409	4.94613	8.96969	C	77	0.02000
21	2	GLY	HN	-2.24598	6.08285	8.43493	C	77	1.37800
22	2	GLY	CA	-2.70641	5.01697	10.05355	C	77	1.10500
23	2	GLY	HA1	-3.46214	4.32659	10.13897	C	77	1.29700
24	2	GLY	HA2	-3.28208	5.83456	10.11106	C	77	1.29900
25	2	GLY	C	-1.76919	4.86712	11.23659	C	77	1.09900
26	2	GLY	O	-1.75490	4.09548	11.28954	C	77	1.48800
27	2	GLY	NT	-1.31894	5.93100	11.93388	C	77	1.12300
28	2	GLY	HNT	-1.67602	6.80704	11.65500	C	77	1.16100
29	2	GLY	CAT	-0.24696	5.99186	12.87711	C	77	0.09000
30	2	GLY	HT1	0.64864	5.45525	12.48882	C	77	0.00000
31	2	GLY	HT2	-0.54832	5.50931	13.83445	C	77	0.00000
32	2	GLY	HT3	0.03669	7.04651	13.08899	C	77	0.00000
33	2	GLY	CAY	-0.81216	4.39049	6.82920	C	77	1.07100
34	2	GLY	HY1	0.16495	3.86935	6.74337	C	77	0.00000
35	2	GLY	HY2	-1.51476	3.96081	6.08616	C	77	0.00000
36	2	GLY	HY3	-0.67103	5.47403	6.63011	C	77	0.00000
37	2	GLY	CY	-1.36706	4.18442	8.21649	C	77	1.06000
38	2	GLY	OY	-1.22304	3.41142	8.45477	C	77	1.40000
39	3	GLY	N	4.03509	2.59256	9.62796	D	77	1.03200
40	3	GLY	HN	4.50148	2.88034	9.53588	D	77	1.49700
41	3	GLY	CA	3.34242	3.57992	10.39441	D	77	1.20800
42	3	GLY	HA1	2.69244	4.04598	10.34533	D	77	1.62300
43	3	GLY	HA2	4.12096	3.85002	10.70243	D	77	1.60000
44	3	GLY	C	3.09656	2.50590	11.85192	D	77	0.04700
45	3	GLY	O	2.07879	2.30212	11.82239	D	77	1.35700
46	3	GLY	NT	3.86380	2.16979	12.72009	D	77	1.11400
47	3	GLY	HNT	4.43620	2.70630	12.30309	D	77	1.33200
48	3	GLY	CAT	3.68712	1.15789	13.69221	D	77	1.16900
49	3	GLY	HT1	3.35986	0.20112	13.22228	D	77	0.00000
50	3	GLY	HT2	9.12121	1.45859	14.43426	D	77	0.00000
51	3	GLY	HT3	4.63800	0.97166	14.23921	D	77	0.00000
52	3	GLY	CAY	3.69380	1.32209	7.54516	D	77	1.05300
53	3	GLY	HY1	2.95043	0.67782	7.03029	D	77	0.00000
54	3	GLY	HY2	4.05174	2.10118	6.84300	D	77	0.00000
55	3	GLY	HY3	4.54526	0.69880	7.88397	D	77	0.00000
56	3	GLY	CY	3.02610	1.97702	8.74189	D	77	1.07000
57	3	GLY	OY	1.88018	1.92906	8.87224	D	77	1.34400
58	4	GLY	N	1.32823	-2.78946	10.07423	A	77	1.08300
59	4	GLY	HN	1.43283	-3.71749	10.30683	A	77	1.42200
60	4	GLY	CA	1.90688	-2.63456	11.09797	A	77	1.19500
61	4	GLY	HA1	2.33895	-1.91769	10.96887	A	77	1.48800
62	4	GLY	HA2	3.27373	-3.23512	11.56719	A	77	1.57800
63	4	GLY	C	0.86306	-2.34886	12.24334	A	77	1.09500
64	4	GLY	O	0.81213	-1.46278	12.17049	A	77	1.51900
65	4	GLY	NT	0.38985	-2.90084	12.77792	A	77	0.99800
66	4	GLY	HNT	0.86825	-4.00821	12.92656	A	77	1.31400
67	4	GLY	CAT	-0.76324	-2.97653	13.94003	A	77	1.07200
68	4	GLY	HT1	-1.49106	-2.14257	13.81008	A	77	0.00000
69	4	GLY	HT2	-0.30895	-2.88181	14.95179	A	77	0.00000
70	4	GLY	HT3	-1.32163	-3.93705	13.88415	A	77	0.00000
71	4	GLY	CAY	0.40915	-2.98550	7.87001	A	77	1.01500
72	4	GLY	HY1	-0.68424	-2.79282	7.79145	A	77	0.00000
73	4	GLY	HY2	0.90315	-2.54174	6.97738	A	77	0.00000

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74  4 GLY  HY3   0.58314 -4.08192  7.87008 A   77   0.00000
75  4 GLY  CY    0.92835 -2.36978  9.07829 A   77   1.02000
76  4 GLY  OY    0.79681 -1.39207  9.09792 A   77   1.28500
77  5 POT  POT   -0.29568  0.95990  10.39158 ION1 1   0.00000

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The second component is defined as the maximum atom-atom distance for selected pairs of atoms.

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Max   -atom1--  -atom2--
2.60 - A 77 O B 77 O
5.85 - A 77 O B 77 O
2.60 - B 77 O C 77 O
5.85 - B 77 O C 77 O
2.60 - C 77 O D 77 O
5.85 - C 77 O D 77 O
2.60 - D 77 O A 77 O
5.85 - D 77 O A 77 O
2.55 - A 77 OY B 77 OY
5.30 - A 77 OY B 77 OY
2.55 - B 77 OY C 77 OY
5.30 - B 77 OY C 77 OY
2.55 - C 77 OY D 77 OY
5.30 - C 77 OY D 77 OY
2.55 - D 77 OY A 77 OY
5.30 - D 77 OY A 77 OY
4.00 - A 77 O C 77 O
6.85 - A 77 O C 77 O
4.00 - B 77 O D 77 O
6.85 - B 77 O D 77 O
4.15 - A 77 OY C 77 OY
6.05 - A 77 OY C 77 OY
4.15 - B 77 OY D 77 OY
6.05 - B 77 OY D 77 OY
2.60 - A 77 O A 77 OY
4.35 - A 77 O A 77 OY
2.60 - B 77 O B 77 OY
4.35 - B 77 O B 77 OY
2.60 - C 77 O C 77 OY
4.35 - C 77 O C 77 OY
2.60 - D 77 O D 77 OY
4.35 - D 77 O D 77 OY

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## The Na1 and Na2 binding sites of LeuT

The confinement potential is defined as the maximum displacement of the atomic positions. The parameters are given in a CHARMM coordinate format, with column x, y, z being the position of the center  $\bar{\mathbf{r}}_k$  and the wmain being radius  $R_k$  in Eq. 3 in the main text, respectively. The W entries equal to zero imply that no confinement is applied to this atom.

## Site Na1:

74	11	LEU	HT1	-4.15557	-1.77182	-8.89003	ION3	1	0.00000
75	11	LEU	HT2	-4.98310	-1.67557	-7.36414	ION3	1	0.00000
76	11	LEU	HT3	-4.60807	-3.20786	-8.00681	ION3	1	0.00000
77	11	LEU	CA	-3.06718	-2.31030	-7.17436	ION3	1	1.17500
78	11	LEU	HA	-2.22624	-2.73718	-7.81270	ION3	1	0.00000
79	11	LEU	C	-3.26218	-3.23866	-5.93652	ION3	1	1.17200
80	11	LEU	OT1	-2.25587	-3.44439	-5.18847	ION3	1	1.35000
81	11	LEU	OT2	-4.38742	-3.77343	-5.68337	ION3	1	1.41200

## Site Na2:

\* Na2 Leut

\*

65									
1	1	GLY	N	-2.70469	-7.59600	-14.07503	PEPA	20	1.46700
2	1	GLY	HN	-2.67925	-7.71740	-15.08395	PEPA	20	0.00000
3	1	GLY	CA	-1.47138	-7.36084	-13.44406	PEPA	20	1.63000
4	1	GLY	HA1	-0.79086	-7.58176	-14.26876	PEPA	20	0.00000
5	1	GLY	HA2	-1.29001	-8.03109	-12.63918	PEPA	20	0.00000
6	1	GLY	C	-1.46963	-5.97171	-12.80873	PEPA	20	1.44600
7	1	GLY	O	-0.93499	-5.87891	-11.71060	PEPA	20	1.72300
8	2	ASN	N	-2.10679	-4.97874	-13.49629	PEPA	21	1.49000
9	2	ASN	HN	-2.34657	-5.19075	-14.47332	PEPA	21	0.00000
10	2	ASN	CA	-2.53088	-3.68098	-12.93543	PEPA	21	1.33700
11	2	ASN	HA	-1.65980	-3.19620	-12.51839	PEPA	21	0.00000
12	2	ASN	C	-3.38067	-3.88233	-11.74850	PEPA	21	1.33100
13	2	ASN	O	-3.10501	-3.45553	-10.64251	PEPA	21	1.53100
14	3	VAL	N	-4.53507	-6.93257	-9.78260	PEPA	23	1.33300
15	3	VAL	HN	-4.30741	-7.19782	-10.68002	PEPA	23	0.00000
16	3	VAL	CA	-3.99151	-7.79372	-8.77376	PEPA	23	1.25500
17	3	VAL	HA	-4.74773	-7.84537	-7.97203	PEPA	23	0.00000
18	3	VAL	C	-2.63555	-7.28323	-8.22651	PEPA	23	1.24500
19	3	VAL	O	-1.63616	-7.15601	-8.95264	PEPA	23	1.45300
20	4	GLY	N	-2.52937	-7.08193	-6.90302	PEPA	24	1.25900
21	4	GLY	HN	-3.33184	-7.24492	-6.29610	PEPA	24	0.00000
22	4	GLY	CA	-1.37813	-6.56942	-6.26564	PEPA	24	1.26800
23	4	GLY	HA1	-1.09824	-5.52959	-6.62736	PEPA	24	0.00000
24	4	GLY	HA2	-0.61090	-7.26881	-6.49779	PEPA	24	0.00000
25	5	PHE	C	3.18381	-10.08145	-8.52876	PEPA	348	1.36900
26	5	PHE	O	2.66014	-9.50800	-9.46280	PEPA	348	1.76400
27	6	ALA	N	2.63165	-9.98630	-7.34322	PEPA	349	1.29000
28	6	ALA	HN	2.95139	-10.50527	-6.51650	PEPA	349	0.00000
29	6	ALA	CA	1.53597	-9.03579	-7.08634	PEPA	349	1.35200
30	6	ALA	HA	0.72761	-9.15026	-7.76912	PEPA	349	0.00000
31	6	ALA	C	1.97237	-7.57624	-7.02444	PEPA	349	1.35000
32	6	ALA	O	1.44730	-6.74717	-7.76167	PEPA	349	1.41000
33	7	GLY	N	3.14844	-7.25539	-6.35976	PEPA	350	1.27700
34	7	GLY	HN	3.62060	-7.86093	-5.72853	PEPA	350	0.00000
35	7	GLY	CA	3.74937	-5.85491	-6.35587	PEPA	350	1.32500
36	7	GLY	HA1	4.63974	-5.94889	-5.73604	PEPA	350	0.00000
37	7	GLY	HA2	3.01859	-5.18945	-5.89470	PEPA	350	0.00000
38	7	GLY	C	4.23305	-5.32599	-7.64543	PEPA	350	1.20000
39	7	GLY	O	3.75561	-4.29937	-8.13330	PEPA	350	1.48500
40	8	THR	N	4.24286	-6.04901	-10.80201	PEPA	352	1.45000
41	8	THR	HN	3.98349	-6.81134	-10.31085	PEPA	352	0.00000
42	8	THR	CA	3.21738	-5.81417	-11.94058	PEPA	352	1.40700
43	8	THR	HA	3.81246	-5.62687	-12.82292	PEPA	352	0.00000
44	8	THR	CB	2.28819	-6.97491	-12.21944	PEPA	352	1.56400
45	8	THR	HB	1.59339	-6.61860	-13.00626	PEPA	352	0.00000
46	8	THR	OG1	1.65027	-7.28013	-11.01703	PEPA	352	1.75700
47	8	THR	HG1	1.77542	-8.17691	-10.81317	PEPA	352	0.00000
48	8	THR	CG2	2.93520	-8.33104	-12.64670	PEPA	352	1.73800
49	8	THR	HG21	3.63517	-8.14206	-13.48752	PEPA	352	0.00000
50	8	THR	HG22	2.12243	-9.01878	-12.95886	PEPA	352	0.00000
51	8	THR	HG23	3.39500	-8.85948	-11.72117	PEPA	352	0.00000
52	8	THR	C	2.41007	-4.55826	-11.76266	PEPA	352	1.34300
53	8	THR	O	1.82346	-4.03134	-12.74644	PEPA	352	1.55700
54	9	SER	N	2.28004	-4.10196	-10.54542	PEPA	353	1.36100
55	9	SER	HN	2.88165	-4.38930	-9.82269	PEPA	353	0.00000
56	9	SER	CA	1.50059	-2.87821	-10.24503	PEPA	353	1.25800
57	9	SER	HA	0.67411	-2.81515	-10.95711	PEPA	353	0.00000
58	9	SER	CB	0.74021	-2.85277	-8.90192	PEPA	353	1.60200
59	9	SER	HB1	-0.00626	-2.11724	-8.76097	PEPA	353	0.00000
60	9	SER	HB2	1.67041	-2.53991	-8.27787	PEPA	353	0.00000
61	9	SER	OG	0.23326	-4.08988	-8.34446	PEPA	353	1.59100
62	9	SER	HG1	0.55670	-3.96559	-7.41534	PEPA	353	0.00000
63	9	SER	C	2.30616	-1.60645	-10.46262	PEPA	353	1.24600
64	9	SER	O	1.79656	-0.56759	-10.92516	PEPA	353	1.43300
65	10	SOD	SOD	0.31275	-5.96473	-9.71533	ION1	1	0.00000

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