

## Supplemental Information

### Methods

#### Cloning, Expression, and Purification of MIP-1 and IDE:

The synthetic genes that encode mature form of human MIP-1 and RANTES chemokines with optimization for E.coli codon usage, was constructed by synthetic PCR (Gao et al., 2003). Enterokinase cutting site (DDDDK) was included before the first amino acid. 12 overlapping primers were designed by DNAworks 2.4 (Hoover and Lubkowski, 2002), with KpnI and Not I site flanking the 5' and 3' end. Synthetic MIP-1 cDNA were cloned into pET32a (Novagen) and verified by DNA sequencing. MIP-1 $\alpha$  mutants were generated by site directed mutagenesis.

Chemokines were expressed as thioredoxin and His6 tag fusion proteins in BL21(DE3) cells. The fusion proteins were purified by Ni-NTA column as described previously (Guo et al., 2010) and further purified by a Source-Q column with an ascending NaCl gradient in the presence of 5mM EDTA.

Recombinant MIP-1 and RANTES proteins were obtained by removing fusion tags. 10 U of enterokinase (sigma) was combined with every mg fusion protein in 20mM Tris-HCl pH7.7, 5mM EDTA and incubated at 25°C for 16 hours. The reaction was desalted by PD-10 column (GE healthcare) then applied to Ni-NTA resin (Qiagen), non-binding fraction was collected then further purified by heparin affinity chromatography. Final products of MIP-1 were analyzed by MALDI-TOF

mass spectrometry, and its biological activity was assayed on THP-1 cells by chemotaxis assay (Fig. S1).

Wild type and mutant Human IDE proteins were expressed in E.coli Rosetta (DE3) with IPTG induction at 25°C for 16 hours. Recombinant IDE proteins were purified to homogeneity by Ni-NTA, Source-Q and Superdex S-200 columns as previously described (Im et al., 2007; Malito et al., 2008; Shen et al., 2006a).

**Mass Spectrometry Analysis:** For mass spectrometry analysis, enzyme reactions were carried out at 37°C by mixing equal volume of MIP-1 with IDE at the given molar ratio in the presence or absence of 0.8mg/ml heparin. 20µl reaction mixture was removed at indicated time, and stopped by 20µl stop buffer (200mM EDTA, 0.2% TFA). Samples were further incubated with 10mM TCEP at room temperature for 30 min to break the disulfide bonds and then subjected to either MALDI/TOF or LC-ESI-FTICR mass spectrometry analysis. For MALDI/TOF analysis, 10µl sample was purified by Zip-Tip C18 columns (Millipore), and applied to the metal plate with matrix (CHCA, in 70% ACN and 0.1% TFA). Mass spectra were obtained either in linear or positive reflector mode using a Voyager 4700 MALDI/TOF mass spectrometer (Applied Biosystems). For LC-ESI-FTICR-MS, MIP-1α samples (12µl) were injected into a nano RP-HPLC system (Dionex), with a C8 analytical column (Agilent). Peptides were eluted from the nano column with a linear gradient of 5-95% acetonitrile in 0.1% formic acid and sprayed into a LTQ-FT tandem MS instrument (Thermo Scientific). Spectra were acquired using positive ion nano ESI mode with the FTICR

acquiring precursor spectra from 200-2000 m/z. For tandem MS, precursor ions were fragmented by collision-induced dissociation (CID). MS/MS spectra were acquired in a data dependent manner from the 5 most intense precursor ions of each FTICR MS scan. The RAW data files are processed by Xtract™ function in Xcalibur™ (Thermo Fisher Scientific) to generate reduced data files containing the deconvoluted masses and intensities for MS spectra. For a reduced data file, all deconvoluted MS spectra are summed to create a single pseudo-MALDI TOF mass spectrum by use of an in-house developed program written in Python. In brief, the peaks in all MS spectra are merged and peaks with m/z values matching within 5 ppm are summed into a single peak with the summed intensity. MS and tandem MS/MS data were analyzed by online tools, FindPept (<http://ca.expasy.org/tools/findpept.html>), Mascot ([http://www.matrixscience.com/search\\_form\\_select.html](http://www.matrixscience.com/search_form_select.html)) and MassMatrix (<http://www.massmatrix.net>) (Xu and Freitas, 2009).

**The confirmation of MIP-1 $\alpha$  degradation products by  $^{18}\text{O}$  water labeling:**

This technique utilizes a protease enzyme reaction in  $^{18}\text{O}$  water to produce isotope-labeled peptides.  $^{18}\text{O}$  labeling will result in 2Da mass addition, which can be resolved by comparing the isotope envelope pattern to  $^{16}\text{O}$  samples. In contrast, any pre-existing fragments will not be modified and have identical isotope distribution. In our IDE-digested MIP-1 $\alpha$  spectra, all 8 fragments that represent the initial cleavage products (1-18 and 19-70, 1-45 and 46-70, 1-46 and 47-70, 1-48 and 49-70) could be identified. Peptides 1-18, 1-45, 1-46 and 1-48 were labeled with  $^{18}\text{O}$  as shown by a mass shift in the isotope distribution;

while the other four peptides 19-70, 46-70, 47-70 and 49-70 were not labeled (Table S3, Figure S11).

**Size exclusion chromatography:** Purified human MIP-1 samples dialysis against phosphate buffer saline (PBS) pH 7.4 with or without 0.1mg/ml heparin, then concentrated to 1mg/ml using a centrifugal filter device (AmiconUltra4 3 kDa MWCO, Millipore). 100ul the concentrated protein was applied to an equilibrated Superdex200 10/300 GL size exclusion chromatography column. PBS with or without 0.1mg/ml heparin was used for equilibration of the column as well as for elution. The molecular mass standards used are thyroglobulin (670 kDa),  $\gamma$ -globulin (158 kDa), ovalbumin (44 kDa), myoglobin (17 kDa) and vitamin B12 (1.35 kDa).

**The modeling of reversible MIP-1 polymers and fit to the experimental data:**

The modeling of SAXS data was based on the RA<sub>2</sub> model of van Dongen and Ernst (van Dongen and Ernst, 1984). At equilibrium, the concentration of k-mers,

$c_k$  should read  $c_k = \frac{c_t}{2}(1 - \alpha)^2 \alpha^{k/2-1}$  where k can only be an even integer,  $c_t$  is total

MIP-1 monomer concentration, and  $\alpha = 1 + \frac{K_d}{c_t} - \sqrt{\left(\frac{K_d}{c_t}\right)^2 + \frac{2K_d}{c_t}}$ . Here,  $K_d$  is the

equilibrium dissociation constant for a dimer-dimer bond. This predicts that the

average degree of polymerization is  $2 \cdot \left(\frac{1 + \alpha}{1 - \alpha}\right)$ , which depends on  $c_t$ . The

theoretical scattering curves for uniform length polymers were calculated using

Crysol and then combined into the scattering curves expected for a polymer

distribution using Matlab. Fits to the experimental data were performed using

Matlab and included three adjustable parameters: a constant scattering background, the total scattered intensity and either the polymer length (for single-length fits) or the parameter  $\alpha$  (for polymer length distribution fits). Denoting by  $I_{theo}^{\alpha}(q)$  the theoretically expected scattering intensity for a polydisperse polymer solution characterized by the parameter  $\alpha$  with the normalization condition  $I_{fit}^{\alpha}(0) = 1$ , we fitted the experimental curves by minimizing the fit function  $\int_0^{q_{max}} [I_0 \times I_{theo}^{\alpha}(q) - I_{exp}(q) + I_b]^2 dq / q_{max}$  with respect to  $\alpha$ , the zero-angle scattered intensity  $I_0$  and a q-independent background intensity  $I_b$ . Here  $q_{max}$  is the largest scattering wavevector for which data was collected. A similar procedure was used for the monodisperse polymer solution fit, where the adjustable parameter  $\alpha$  is replaced by L, the polymer length. The fitting errors  $I_0 \times I_{theo}^{\alpha}(q) - I_{exp}(q) + I_b$  are represented in the deviation curve.

**MIP-1 $\alpha$  competition assay:** MIP-1 $\alpha$  competition assay was performed as previously described. IDE enzyme activities were assayed using substrate V (7-Methoxycoumarin-4-yl-acetyl-NPPGFSAFK-2,4-dinitrophenyl) (Manolopoulou et al., 2009; Shen et al., 2006b). 85 $\mu$ l of 0.35  $\mu$ M substrate V was mixed with 10 $\mu$ l of MIP-1 $\alpha$  at various concentrations. The reactions were initiated by addition of 5 $\mu$ l of IDE protein (0.2mg/ml), carried out at 37°C for 15min. The substrate V degradation was monitored by fluorescence intensity on a Tecan Safire microplate reader with excitation and emission wavelengths at 327nm and 395nm respectively. Data were plotted and analyzed with PRISM software (Graphpad).

**Cellular Assays:** IDE expression in BV-2 cells is knockdown by lenti-virus mediated shRNA expression. A set of 5 plasmids which encode shRNA targeting mouse IDE gene were purchased from Open Biosystem (RMM4534-NM-031156). Lenti-virus were produced by co-transfecting shRNA plasmids with pHR8.2ΔR packaging plasmid and pCMV VSVG envelope plasmid into HEK293T cells. Virus containing media was harvested 48hr post transfection. BV-2 cells were infected with virus for 24 hours in the presence of 8ug/ml polybrene, and then stable lines were obtained by 2-week selection with 5ug/ml puromycin. IDE knockdown levels were confirmed by western blotting with a polyclonal anti-IDE antibody. Secreted MIP-1 level from IDE knockdown BV-2 cells were measured by ELISA assays. Stable BV-2 cells lines were seed at  $2.5 \times 10^4$ /well in 24-well plate one day before the assay. Fresh culture media with or without 10ng/ml LPS was changed (0.5ml/well) and after 3 hours incubation at 37°C media harvested. Chemokine levels in these samples were measured by anti-mouse MIP-1 $\alpha$ , MIP-1 $\beta$  and RANTES ELISA kits (R&D system) according to manufactures instruction. Chemokine concentrations (pg/ml) were calculated from the standard curve measured within the same assay.

**Chemotaxis Assay:** Cell migration was measured in 96-well Multiscreen™ filter plate (Millipore) as described in (Gouwy et al., 2008). Cytokines were diluted into the assay medium (RPMI 1640 without phenol red, supplemented with 10mM HEPES pH7.4, 0.1% heat inactivated BSA) at indicated concentration. 150 $\mu$ l sample was placed in the lower well of 96-well receiver plate. THP-1 cells were washed once with dPBS, then resuspended in assay medium at a concentration

of  $2.5 \times 10^6$ /ml. 100ul cell suspension was loaded into upper wells of 96-well filter plate (5µm pore size). Cells were allowed to migrate for 3 hrs at 37°C. After removing the upper 96-well filter plate, the cell number in the lower receiver plate were quantified using the ATPlite™ luminescence assay system (PerkinElmer) according to manufacturer's instruction. The chemotaxis index was calculated by dividing the luminescence values of the sample over assay medium alone.

**Calcium Mobilization Assay:** THP-1 cells were washed once, and then loaded with 2µM fura-2 AM (Invitrogen) in assay medium (same as chemotaxis assay) at 37°C for 30min. Subsequently, cells were washed once with dPBS then resuspended in assay medium at  $10^6$  cell/ml. 2ml fura-2 loaded cell suspension was transferred to a cuvette with a magnetic stirring bar. Fura-2 fluorescence was measured with a FluoroMax-3 fluorometer (HORIBA Jobin Yvon Inc.) at excitation wavelengths of 340 and 380 nm and emission wavelength of 510 nm. MIP-1α incubated with or without IDE were diluted into the assay medium, and added into cell suspension at indicated concentration.

## Figure Legends

**Figure S1** The assessment of recombinant MIP-1 proteins (A) WT MIP-1 $\alpha$ , (B) WT MIP-1 $\alpha$  (purchased from Peprotech), (C) WT MIP-1 $\beta$ , (B) WT MIP-1 $\beta$ (purchased from Peprotech), (E) MIP-1 $\alpha$  L3M V63M, (F) MIP-1 $\alpha$  D27A (G) RANTES and (H) MIP-1 $\alpha$  P8A in their purity by MALDI-TOF MS spectrum and in their *in vitro* chemotactic activity using THP-1 cells. Chemotactic response was expressed as mean chemotaxis index, and shown as the *insert* graph.

**Figure S2** Density of the MIP-1 protein and complex of IDE\_CF\_E111Q with MIP-1 $\alpha$ . (A) the  $2f_o-f_c$  map of the MIP-1 proteins at 2.5 $\delta$  level; (B). The composite omit map of the MIP1a in complex of IDE/MIP-1 $\alpha$  at 1.5 $\delta$

**Figure S3** The structure comparison of CCL chemokine structures. MIP-1 $\alpha$  crystal structure from our MIP-1 $\alpha$  polymer structure is compared with CCL family protein structures that are (A) monomer, (B) dimer, (C) tetramer available from RCSB database. The monomers in the dimer and tetramer were colored differently. The PDB codes are as listed.

**Figure S4** Structure analysis of the dimer interaction of MIP-1 $\alpha$  (**S4-1**), MIP-1 $\beta$  (**S4-2**) as well as that between IDE and MIP-1 $\alpha$  (**S4-3**). In **Figure S4-1** and **S4-2**, (A) Details of the hydrogen bond and salt bridge built between different monomers. (B) The accessible surface area (ASA) and buried surface area (BSA) of the interfacing residues between monomers. (C) The buried interface area between monomers. The area was calculated through the PISA server



([http://www.ebi.ac.uk/msd-srv/prot\\_int/cgi-bin/pisever](http://www.ebi.ac.uk/msd-srv/prot_int/cgi-bin/pisever)). The monomer designation (A-D) is indicated in the figure on the right.

**Figure S5** The sequence alignment of the CCL proteins (A) and phylogenetic tree of CCL proteins (B). The key residues involving MIP1 $\alpha$  dimer contact were colored red as the cysteine colored green.

**Figure S6**  $p(r)$  function distributions for 1mg/ml MIP-1 proteins without (left) or with (right) 0.1mg/ml heparin. With the use of a  $q$ -range of 0.0068 to 0.343, a maximum dimension ( $D_{max}$ ) and the interatomic distance distribution functions  $p(r)$  were computed by GNOM.

**Figure S7** SEC analysis of various concentrations of (A) MIP-1 $\alpha$ , (B) MIP-1 $\beta$  and (C) MIP-1 $\alpha$  P8A. SEC was performed on S-200 column in phosphate-buffered saline (PBS). The elution volume of molecular standard proteins is indicated by the dotted lines.

**Figure S8** Comparison of the MIP-1 $\alpha$  and MIP-1 $\beta$  experimental SAXS data (black) with the theoretical scattering patterns from a single length polymer (green) or a polymer length distribution as calculated from our model (red). The size distribution of mass from polymer distribution is shown as an inset and the fitting error is shown under the fitting curve. The fitting errors  $I_0 \times I_{theo}^a(q) - I_{exp}(q) + I_b$  are represented in the deviation curve. The D values from the fit function

$$\int_0^{q_{max}} [I_0 \times I_{theo}^a(q) - I_{exp}(q) + I_b]^2 dq/q_{max}$$

for single length and polymer distribution are listed. Inset: size distribution of the polymers length distribution.

**Figure S9** MIP-1 $\alpha$  mediated intracellular calcium response in THP-1 cells. (A) Dose-dependent changes of intracellular calcium concentrations by MIP-1 $\alpha$ . Fura-2 loaded THP-1 cells were stimulated with the indicated concentrations of MIP-1 $\alpha$ . Stimulus dependent  $[Ca^{2+}]_i$  changes were monitored by ratio of fluorescence at 340nm over 380nm. The change of  $[Ca^{2+}]_i$  is indicated by  $\Delta F_{340}/F_{380}$  which is the difference between the peak  $F_{340}/F_{380}$  value after addition of MIP-1 $\alpha$  and basal level before stimulation. (B) MALDI-TOF-MS spectra of IDE digested MIP-1 $\alpha$  samples used in examining the effect of the degradation of MIP-1 $\alpha$  by IDE (Figure 5C).

**Figure S10** Comparison of mass spectra of IDE digested MIP-1 $\alpha$  peptides in  $H_2^{18}O$  and  $H_2^{16}O$ . IDE digested MIP-1 $\alpha$  peptides were analyzed by LC-ESI-FTICR MS. The spectra from digestion in  $H_2^{16}O$  are shown in red; spectra from digestion in 50%  $H_2^{18}O$  are shown in blue. Spectra from the same peptide fragments are overlaid and shown as (A) residues 1-48, (B) residues 49-70, (C) residues 1-46, (D) residues 47-70 and (E) residues 1-70.

**Figure S11** Model of catalysis mechanism for IDE. MIP-1 $\alpha$  is depicted as red; IDE-N and IDE-C are depicted as light blue and grey surfaces, respectively. IDE<sup>o</sup> is theoretically modeled based on the substrate free *E. coli* ptilysin (1Q21); IDE<sup>c</sup> corresponds to the atomic coordinate of IDE-CF-E111Q-MIP-1 $\alpha$  (3H44). The detail description of mechanism is in the discussion.

## Reference

- Gao, X., Yo, P., Keith, A., Ragan, T. J., and Harris, T. K. (2003). Thermodynamically balanced inside-out (TBIO) PCR-based gene synthesis: a novel method of primer design for high-fidelity assembly of longer gene sequences. *Nucleic Acids Res* 31, e143.
- Gouwy, M., Struyf, S., Noppen, S., Schutyser, E., Springael, J. Y., Parmentier, M., Proost, P., and Van Damme, J. (2008). Synergy between coproduced CC and CXC chemokines in monocyte chemotaxis through receptor-mediated events. *Mol Pharmacol* 74, 485-495.
- Guo, Q., Manolopoulou, M., Bian, Y., Schilling, A. B., and Tang, W.-J. (2010). Molecular Basis for the Recognition and Cleavages of IGF-II, TGF- $\alpha$ , and Amylin by Human Insulin-Degrading Enzyme. *Journal of Molecular Biology* 395, 430-443.
- Hoover, D. M., and Lubkowski, J. (2002). DNAWorks: an automated method for designing oligonucleotides for PCR-based gene synthesis. *Nucleic Acids Res* 30, e43.
- Im, H., Manolopoulou, M., Malito, E., Shen, Y., Zhao, J., Neant-Fery, M., Sun, C. Y., Meredith, S. C., Sisodia, S. S., Leissring, M. A., and Tang, W. J. (2007). Structure of substrate-free human insulin-degrading enzyme (IDE) and biophysical analysis of ATP-induced conformational switch of IDE. *J Biol Chem* 282, 25453-25463.
- Malito, E., Ralat, L. A., Manolopoulou, M., Tsay, J. L., Wadlington, N. L., and Tang, W.-J. (2008). Molecular bases for the recognition of the short peptide substrate and cysteine-directed modifications of human insulin-degrading enzyme. *Biochemistry* 47, 12822-12834.
- Manolopoulou, M., Guo, Q., Malito, E., Schilling, A. B., and Tang, W. J. (2009). Molecular basis of catalytic chamber-assisted unfolding and cleavage of human insulin by human insulin-degrading enzyme. *J Biol Chem* 284, 14177-14188.
- Shen, Y., Joachimiak, A., Rosner, M. R., and Tang, W.-J. (2006a). Structures of human insulin-degrading enzyme reveal a new substrate recognition mechanism. *Nature* 443, 870-874.
- Shen, Y., Joachimiak, A., Rosner, M. R., and Tang, W. J. (2006b). Structures of human insulin-degrading enzyme reveal a new substrate recognition mechanism. *Nature* 443, 870-874.
- van Dongen, P. G. J., and Ernst, M. H. (1984). Kinetics of reversible polymerization. *J Stat Phys* 37, 301-324.
- Xu, H., and Freitas, M. A. (2009). MassMatrix: a database search program for rapid characterization of proteins and peptides from tandem mass spectrometry data. *Proteomics* 9, 1548-1555.

# Polymerization of human MIP-1 chemokines (CCL3 and CCL4) and clearance of MIP-1 by human insulin degrading enzyme

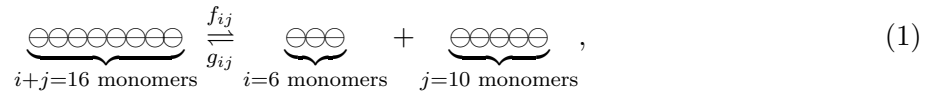
## supplemental mathematical modeling

Ren *et al.*

### 1 Equilibrium polymer length distribution

#### 1.1 Description of the polymerization model

Here we describe the polymerization model used in the main text. This model is the equilibrium version of the  $RA_2$  model of Ref. [1]. We use it to describe a solution of MIP-1 dimers with concentration  $c_t/2$  (*i.e.*,  $c_t$  is the total monomer concentration). These dimers can reversibly assemble into linear polymers according to the following scheme:



where  $f_{ij}$  and  $g_{ij}$  are the kinetic dissociation and association rates, respectively. Note that here each circle represents a dimer, *i.e.*, two monomers. In this approach, we assume that the MIP-1 dimer concentration is much larger than the dissociation constant corresponding to the dissociation of a dimer into monomers. Therefore we assume that only dimers or polymers of dimers are present throughout this section<sup>1</sup>. As a consequence,  $i$  and  $j$  are assumed to be even integers in all the following.

The approach of Ref. [1] relies on two main assumptions:

- No circular polymers are formed. This is reasonable if the persistence length of the polymers (the typical length over which they bend due to thermal fluctuations) is much larger than their contour length.
- Identical chemical groups have *a priori* equal chemical reactivity. This means that the kinetic association constant  $g_{ij}$  in the reaction pictured in Eq. (1) is independent of  $i$  and  $j$ :  $g_{ij} = g$ . This is reasonable in the limit of long polymers. Indeed, in this limit the reactivity of the polymer's end groups should go to a well-defined constant.

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<sup>1</sup>The assumption that most of MIP-1 are either dimers or polymers is likely fulfilled in our SAXS experiments where  $\sim 100 \mu\text{M}$  MIP-1 was used, and the dimerization constant of MIP-1 is estimated to be in nM range. Note however that relaxing this assumption, *i.e.*, taking the equilibrium between monomers and dimers into account does not modify the form of the polymer length distribution. Essentially, there is an effective dimer concentration lower than  $c_t$ , because a fraction of MIP-1 is monomeric.

## 1.2 Additional conditions

Assuming a constant  $g$  as discussed in the previous section, we enforce two additional conditions and deduce the value  $c_k$  of the equilibrium concentration of  $k$ -mers (polymers comprising  $k$  monomers).

1. *Normalization condition.* This requires that the total fragmentation rate of a  $k$ -mer be proportional to the number of dimer-dimer bonds in this  $k$ -mer. Since there are  $k/2$  dimers in the  $k$ -mer, this number of bonds is equal to  $k/2 - 1$ . Similar to the above, this is expected in the limit of long polymers, as in this limit most fragmentation events occur deep within the polymer. At the locations of these events, the ends of the polymer are far enough from the fragmentation site for the fragmentation rate to be independent of their location. In other words, we assume that all bonds are equally breakable, in agreement with the assumption of *a priori* equal chemical reactivity. This condition reads:

$$\frac{1}{2} \sum_{i+j=k \text{ even}} f_{ij} = \lambda \left( \frac{k}{2} - 1 \right), \quad (2)$$

where  $\lambda$  is a proportionality constant and where the sum runs over all strictly positive even integers  $i$  and  $j$  whose sum is  $k$  (also an even integer).

2. *Detailed balance condition.* In a stationary state the number of  $k$ -mers lost to the  $i$ - and  $j$ -mers through fragmentation is exactly compensated by the number of  $k$ -mers formed out of  $i$ - and  $j$ -mers:

$$f_{ij}c_{i+j} = g_{ij}c_i c_j = g c_i c_j, \quad (3)$$

where the assumption  $g_{ij} = g$  discussed in the previous section was used.

## 1.3 Equilibrium distribution

Combining Eqs. (2) and (3) and noting that  $c_{i+j} = c_k$  for all terms in the sum, we obtain

$$\lambda \left( \frac{k}{2} - 1 \right) c_k = \frac{g}{2} \sum_{i+j=k \text{ even}} c_i c_j. \quad (4)$$

It can easily be checked by substitution into Eq. (4) that the solution of this recursion reads

$$c_k = \frac{2\lambda}{g} \left( \frac{gc_2}{2\lambda} \right)^{k/2}, \quad (5)$$

where the dimer concentration  $c_2$  remains to be determined. This is done by imposing that the total monomer concentration in the solution is equal to  $c_t$ , which reads

$$c_t = \sum_{k=2,4,6,\dots,\infty} k c_k = \frac{4\lambda}{g} \left( c_2 \frac{d}{dc_2} \right) \sum_{l=1}^{+\infty} \left( \frac{gc_2}{2\lambda} \right)^l, \quad (6)$$

where we made the change of dummy variable  $l = k/2$ , which implies that the sum over  $l$  runs over all strictly positive integers. We can sum the geometric series in Eq. (6), noting that its convergence requires  $gc_2/2\lambda < 1$ :

$$c_t = \frac{2c_2}{(1 - gc_2/2\lambda)^2}. \quad (7)$$

We solve this quadratic equation for  $c_2$ , which yields two solutions. One of these is such that  $gc_2/2\lambda > 1$ , which is unphysical as discussed above [this corresponds to a diverging series in Eq. (6), and therefore to an infinite total concentration]. The other solution is always well-behaved, and reads

$$\alpha = \frac{gc_2}{2\lambda} = 1 + \frac{2\lambda}{gc_t} - \sqrt{\left(\frac{2\lambda}{gc_t}\right)^2 + \frac{4\lambda}{gc_t}}. \quad (8)$$

#### 1.4 Dimer-dimer dissociation constants

We define the equilibrium dissociation constant associated with the reaction Eq. (1) as

$$K_d(i, j) = \frac{c_i c_j}{c_{i+j}}. \quad (9)$$

Substituting the expression of Eq. (5) for the concentrations into this equation, we find that  $K_d$  does not depend on  $i$  and  $j$ , which reflect the fact that all bonds are treated as identical (they all have the same binding energy). In particular,  $K_d$  is equal to the dissociation constant of a tetramer into two dimers, and thus characterizes the binding affinity between MIP-1 dimers. It reads

$$K_d = \frac{2\lambda}{g}. \quad (10)$$

Combining Eqs. (3) and (9), we find that  $f_{ij}$  does not depend on  $i$  and  $j$  either and reads

$$f = gK_d. \quad (11)$$

Substituting Eq. (10) in Eqs. (5) and (8), we rewrite our polymer length distribution as a function of only two parameters: the binding affinity  $K_d$  between MIP-1 dimers and the total MIP-1 concentration  $c_t$ :

$$c_k = \frac{c_t}{2}(1 - \alpha)^2 \alpha^{k/2-1} \quad \text{with} \quad \alpha = 1 + \frac{K_d}{c_t} - \sqrt{\left(\frac{K_d}{c_t}\right)^2 + \frac{2K_d}{c_t}}, \quad (12)$$

where  $0 \leq \alpha < 1$ . Therefore the fraction  $c_k/c_t$  of polymers of length  $k$  depends on  $K_d/c_t$  only.

#### 1.5 Discussion of the length distribution and average polymer length

To get a better feeling of the meaning of this distribution, we now turn our interest to the fraction of the total MIP-1 mass that is included in  $k$ -mers. We note that the mass comprised in  $k$ -mers is proportional to  $kc_k$ , *i.e.*, the number of monomers in each  $k$ -mer. Moreover, the total number of MIP-1 monomers is  $c_t$ , and therefore

$$\text{mass fraction}(k) = \frac{kc_k}{c_t} = \frac{k(1 - \alpha)^2 \alpha^{k/2-1}}{2}. \quad (13)$$

Interestingly, the relative mass distribution specified by this expression is a function of only one quantity: the ratio  $K_d/c_t$  of the dimer-dimer dissociation constant to the total monomer concentration. We illustrate this dependence in Fig. SM1.

To quantify the typical polymer size associated with the curves presented in this figure, we calculate the average of the distribution of Eq. (13). This quantity is also known as the degree of

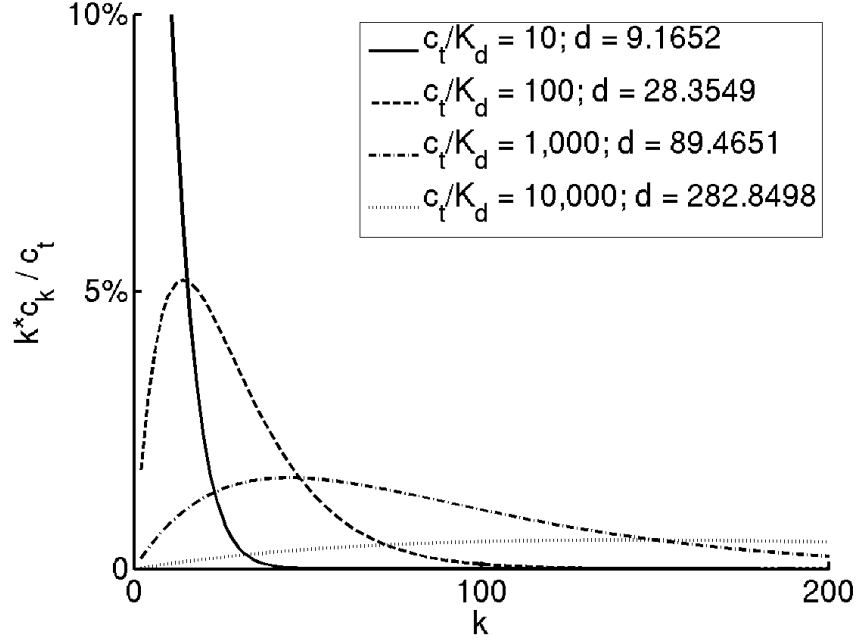


Figure SM1: Plots of the mass fraction of  $k$ -mers as expressed in Eq. (13) as a function of  $k$  for different values of the ratio  $c_t/K_d$ . In each case, the average degree of polymerization [Eq. (14)] is indicated in the legend. Since the distribution depends only on the ratio of  $c_t$  and  $K_d$ , the solid curve might represent the distribution for  $c_t = 100 \mu\text{M}$  and  $K_d = 10 \mu\text{M}$  just as well as the situation  $c_t = 30 \mu\text{M}$  and  $K_d = 3 \mu\text{M}$ . The same type of comment holds for the other curves. Qualitatively, the average polymer size as well as the width of the size distribution increase for both increasing  $c_t$  (putting more monomers displaces the equilibrium towards the more associated forms) and decreasing  $K_d$ .

polymerization and reads:

$$\begin{aligned}
 d(\alpha) &= \sum_{k \text{ even}} k \times \text{mass fraction}(k) \\
 &= \frac{2(1-\alpha)^2}{\alpha} \sum_{l=1}^{+\infty} l^2 \alpha^l \\
 &= \frac{2(1-\alpha)^2}{\alpha} \left( \alpha \frac{d}{d\alpha} \right)^2 \sum_{l=1}^{+\infty} \alpha^l \\
 &= 2 \left( \frac{1+\alpha}{1-\alpha} \right). \tag{14}
 \end{aligned}$$

This measure of the polymer length can help us qualitatively understand the meaning of the dissociation constant  $K_d$  for the polymerization process. We see from Eq. (9) that  $K_d$  is expressed in units of concentration—it actually represents the characteristic concentration for the onset of polymerization. More specifically, if  $c_t = 3K_d/2$ , then  $\alpha = 1/3$  and  $d(\alpha) = 4$ , meaning that the MIP-1 molecules are typically in the tetramer form. Lower values of  $c_t$  yield mostly dimeric MIP-1, and higher values lead to longer polymers.

The degree of polymerization  $d(\alpha)$  is also related to the position of the peak of the distributions pictured in Fig. SM1. Indeed, this peak is characterized by

$$\frac{d[\text{mass fraction}(k)]}{dk} = 0 \quad \Leftrightarrow \quad k = k_{\text{peak}}(\alpha) = -\frac{2}{\ln(\alpha)} \quad (15)$$

Thus the following relationship between  $d(\alpha)$  and  $k_{\text{peak}}(\alpha)$  holds:

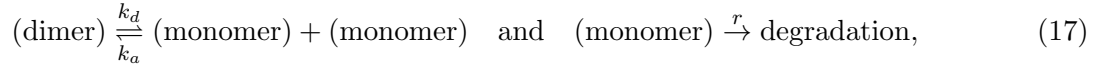
$$d(\alpha) = 2 \times \frac{1 + \exp[-2/k_{\text{peak}}(\alpha)]}{1 - \exp[-2/k_{\text{peak}}(\alpha)]} \sim 2k_{\text{peak}}(\alpha) \quad \text{as} \quad k_{\text{peak}} \rightarrow +\infty. \quad (16)$$

Therefore, for long polymers, the degree of polymerization is equal to twice the length of the most abundant species.

## 2 Chemokine gradient in the presence of polymerization

### 2.1 Description of the model

To better understand the interplay between MIP-1 degradation and its dimerization and polymerization in the formation of a spatial chemotactic gradient, we supplement the model of the previous section with the following reactions:



which account for MIP-1 dimerization and degradation. Only monomers are subject to degradation by the protease IDE, as discussed in the main text. The constant degradation rate  $r$  assumes a constant concentration of IDE in the region of interest.

We also describe the spatial structure of the MIP-1 gradient, and take into account the diffusion of the different MIP-1 species in a one-dimensional medium parametrized by the spatial coordinate  $x$ . For simplicity, we assume that they all have the same diffusion constant  $D$ . This yields the following rate equations for the concentrations of the various MIP-1 constructs:

$$\text{monomers:} \quad \frac{\partial c_1}{\partial t} = D \frac{\partial^2 c_1}{\partial x^2} - k_a c_1^2 + k_d c_2 - r c_1 \quad (18a)$$

$$\text{dimers:} \quad \frac{\partial c_2}{\partial t} = D \frac{\partial^2 c_2}{\partial x^2} + \frac{k_a}{2} c_1^2 - \frac{k_d}{2} c_2 - \sum_{i=2,4,6\dots} (g c_2 c_i - f c_{2+i}) \quad (18b)$$

$$k > 2 \text{ polymers:} \quad \frac{\partial c_k}{\partial t} = D \frac{\partial^2 c_k}{\partial x^2} + \frac{1}{2} \sum_{i+j=k \text{ even}} (g c_i c_j - f c_{i+j}) - \sum_{i=2,4,6\dots} (g c_k c_i - f c_{k+i}) \quad (18c)$$

where the concentrations are now taken to be space- and time-dependent and  $c_1(x, t)$  is the monomer concentration. We consider a geometry corresponding to the physiological situation of a large<sup>2</sup> wound located in the  $x = 0$  plane. Dendritic cells in the vicinity of this plane would start secreting MIP-1 at a constant rate  $J$ , which would then penetrate into the tissue in the direction of positive  $x$ s. No MIP-1 dimers or polymers go into or out of the  $x = 0$  plane, and we demand that the chemokine concentration vanishes far away from the secretion site. This situation is described by the following boundary conditions:

$$D \frac{\partial c_1}{\partial x}(x = 0) = -J, \quad D \frac{\partial c_k}{\partial x}(x = 0) = 0 \text{ for all } k > 1 \quad \text{and} \quad c_k(x = +\infty) = 0 \text{ for all } k. \quad (19)$$

<sup>2</sup>In this context, ‘‘large’’ means larger than the depth of the MIP-1 gradient, which is typically 1 mm as discussed below.



## 2.2 Estimation of the parameters

In the following we assume that the diffusion constant for all MIP-1 species is of order  $D = 1 \mu\text{m}^2 \text{s}^{-1}$ , which is a typical value for objects with a size of order 10 nm in a medium ten times more viscous than water (this was estimated using the Stokes-Einstein formula—the increased viscosity compared to water is meant to account for the crowded environment of the tissue considered).

According to the main text, MIP-1 forms polymers with a typical degree of polymerization  $d(\alpha) = 40$  when a total MIP-1 concentration  $c_t \simeq 100 \mu\text{M}$  is used. Using Eq. (14), we find that this corresponds to  $\alpha \simeq 0.95$ . Combining Eqs. (7) and (10), this implies

$$K_d = \frac{(1 - \alpha)^2}{2\alpha} c_t \simeq 100 \text{ nM}. \quad (20)$$

In the following we assume that  $f = 10^{-2} \text{ s}^{-1}$ , a value chosen to yield a physiologically reasonable chemokine penetration depth of order 1 mm. Substituting into Eq. (11) yields  $g = 10^5 \text{ M}^{-1} \text{ s}^{-1}$ .

Consistent with the assumptions of the main text and the discussion of footnote 1, we assume that the dissociation constant  $K'_d = k_d/k_a$  for the MIP-1 dimerization reaction is much smaller than  $K_d$ . Here we choose  $K'_d = K_d/10 = 10 \text{ nM}$ . We also choose  $k_d = f = 10^{-2} \text{ s}^{-1}$ , which implies  $k_a = 10^6 \text{ M}^{-1} \text{ s}^{-1}$ .

As described above, the source of MIP-1 in our model is the  $x = 0$  plane, which can be thought of as a surface onto which MIP-1-secreting dendritic cells are grafted. Assuming that the typical inter-cell distance in this plane is of order  $30 \mu\text{m}$  and using a MIP-1 secretion rate of  $1 \text{ pg s}^{-1}$  as reported in Ref. [2], we calculate that the secretion of MIP-1 per unit time per unit area in the plane is approximately  $J = 2 \times 10^{-11} \text{ mol m}^{-2} \text{ s}^{-1}$ .

Finally, we assume that MIP-1 degradation by IDE is slow compared to the other reactions described here. Note that if this were not the case and degradation were fast, all the chemokine would be degraded before having the time to dimerize or polymerize. We choose  $r = f/10 = 10^{-3} \text{ s}^{-1}$ , meaning that a monomer is typically degraded 1000 s after having been secreted. Given the fact that IDE typically degrades a MIP-1 monomer in a time of order 1 s (see main text), this assumption yields rates consistent with an IDE concentration equal to one thousandth of the typical MIP-1 monomer concentration. In the next section we show that the assumptions described here yield MIP-1 monomer concentrations of the order of 100 nM, which implies concentrations of IDE in the 100 pM range.

According to these considerations, our model comprises only one arbitrarily chosen parameter  $k_d$ . Moreover, the value of this rate constant has little influence on the results presented in the next section as long as it is significantly larger than  $r$ . Our model can thus be expected to offer some valuable insight into the physiological situation.

## 2.3 Results

We evolve the reaction-diffusion equations Eqs. (18) and (19) numerically starting from a situation where all concentrations are zero until a steady-state is reached. In Fig. 4A of the main text and in the following we present the results from three different situations, which illustrates the role of MIP-1 dimerization and polymerization in the shaping of a chemotactic gradient:

1. *Monomers only.* The numerical values of Sec. 2.2 are used, except for  $k_a$ , which we set to zero. This prevents the formation of any dimers or polymers, and yields an exponential decay of the chemotactic gradient which is described by the analytical formula

$$c_1(x, t = +\infty) = \frac{J}{\sqrt{r}} e^{-\sqrt{r}x}. \quad (21)$$

2. *Monomers and dimers.* The numerical values of Sec. 2.2 are used, except for  $g$ , which we set to zero. This prevents the formation of any polymers, but allows for dimers. The resulting steady-state monomer and dimer concentration profiles are shown in Fig. SM2(a)
3. *Monomers, dimers and polymers.* All numerical values of Sec. 2.2 are used, meaning that monomers, dimers and polymers are all present. The resulting steady-state concentration profiles are shown in Fig. SM2(b), and the average degree of polymerization of the polymers as a function of  $x$  is illustrated in Fig. SM2(c).

In the following we assume that only the MIP-1 monomer has a chemotactic activity, in agreement with Ref. [3]. It is thus interesting to compare the monomer concentration profiles for the three cases considered, which we do in Fig. SM2(d).

One common feature of the “monomers and dimers” and the “monomers, dimers and polymers” profiles plotted in this figure is a boundary region with a steep slope for small ( $< 10 \mu\text{m}$ ) values of  $x$ . This is due to the fact that the source in  $x = 0$  produces only monomers. Shortly after having been secreted, these monomers react together to form dimers and polymers, hence a decrease in the monomer concentration. Since these aggregation reactions are much faster than the monomer degradation, the amount of monomers degraded in this region is negligible, and the ratios between the various concentrations are locally close to their equilibrium values. Had we assumed that the dendritic cells secrete not monomers, but a mixture of dimers and polymers, those species would also have reached chemical equilibrium within  $\sim 10 \mu\text{m}$  of the secretion site, and therefore the shape of the chemotactic gradient outside of that region would be much the same as the one presented here.

There are three noteworthy consequences of MIP-1 aggregation, all of which are more pronounced in the “monomers, dimers and polymers” case than in the “monomers and dimers” case:

- the monomer concentration for small  $x$  is reduced compared to the “monomers only” case, due to the assembly of the monomers into higher-order aggregates.
- the slope of the monomer profile is reduced, especially for small  $x$ , as degradation proceeds at a slower rate because of the smaller monomer concentration and also because the monomer pool is constantly replenished through the disassembly of the higher-order aggregates.
- the chemotactic gradient reaches further away from the secretion point, which could enable the recruitment of macrophages from a longer distance.

Interestingly, the MIP-1 profile plateaus at intermediate distances in the “monomers, dimers and polymers” case, which suggests that macrophages in this region might not be directed to the inflammation site, but would rather undergo random motion. More quantitatively, it has been reported that chemotaxis can occur only if the chemoattractant concentration drops by more than a quantity of order 1% across the cell length [4, 5]. Denoting the cell size by  $a \simeq 10 \mu\text{m}$ , this can be expressed mathematically by

$$\frac{c(x) - c(x + a)}{c(x)} > 1\% \quad \Leftrightarrow \quad \left| \frac{1}{c} \frac{\partial c}{\partial x} \right| > \frac{1}{100a} \simeq 10^3 \text{ m}^{-1}, \quad (22)$$

where the equivalence holds if the chemotactic gradient is smooth on length scales of the order of  $a$ . As reported in Fig. 4A of the main text, we applied this criterion to the profiles calculated in the “monomers, dimers and polymers” case, and found that the gradient can induce chemotaxis only for<sup>3</sup>  $x > 530 \mu\text{m}$ .

---

<sup>3</sup>In the example considered here, the “monomers only” and “monomers and dimers” cases yield chemoattraction for all values of  $x$ . Note that the boundary region  $x < 10 \mu\text{m}$  is not considered in this discussion.

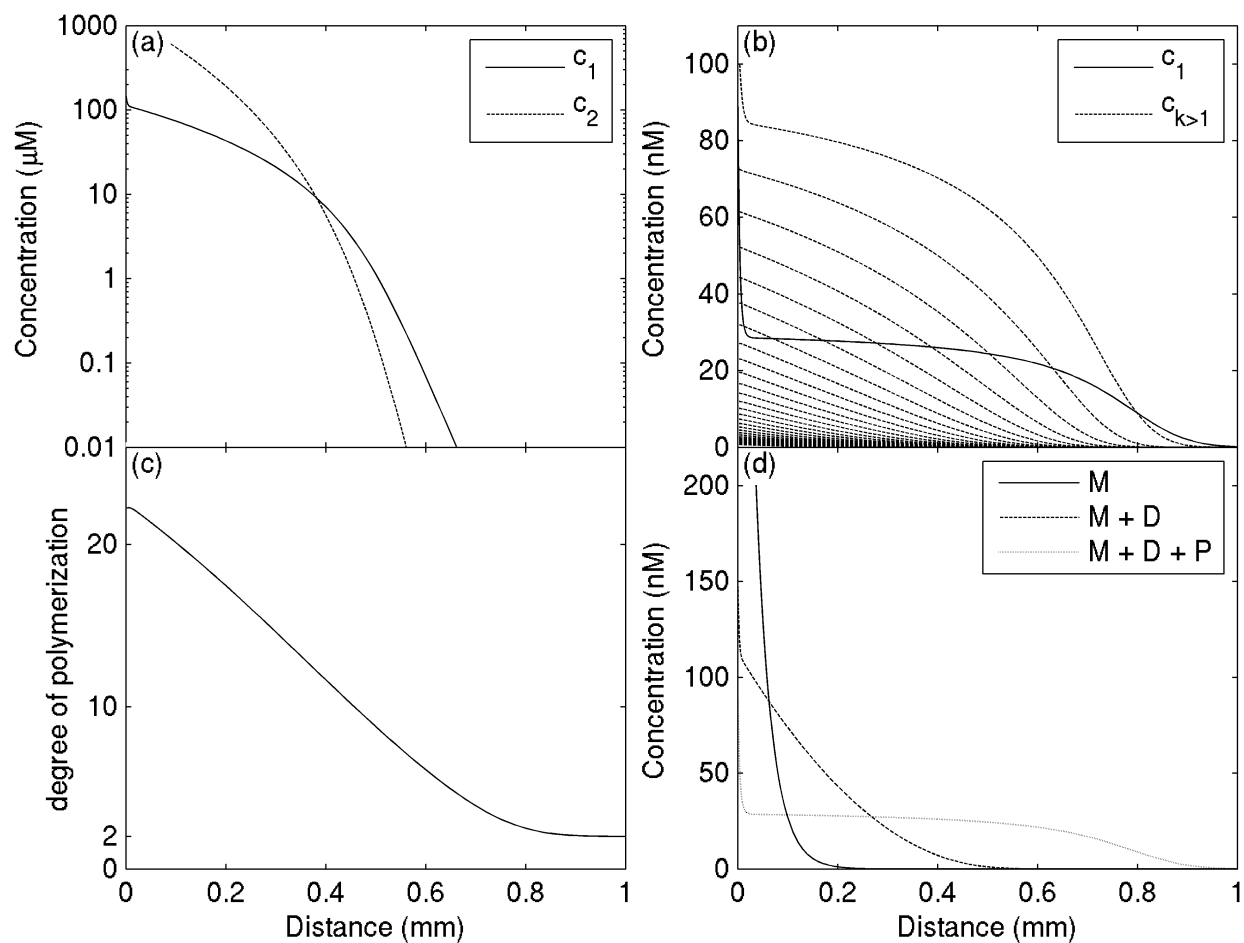


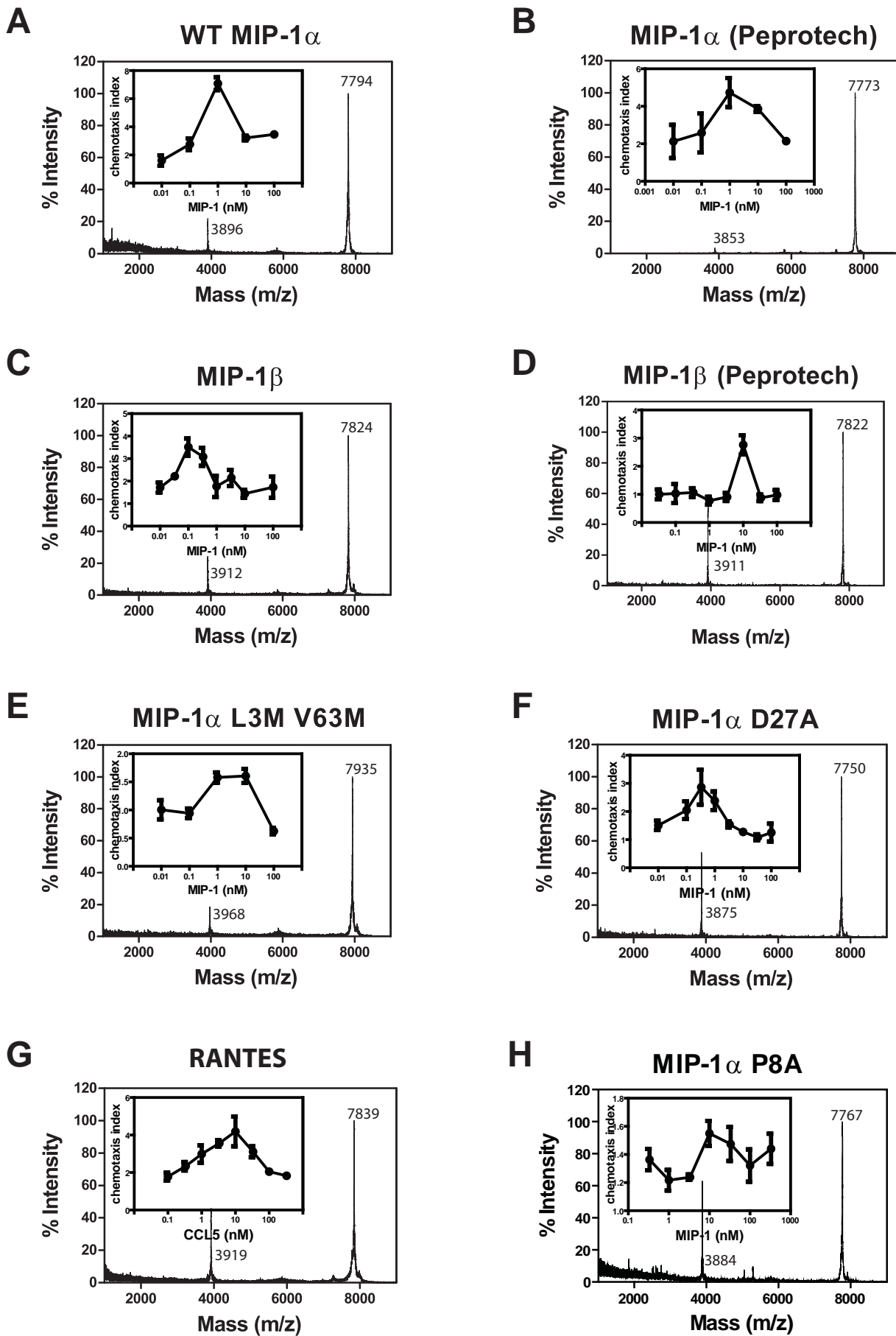
Figure SM2: MIP-1 concentration profiles as calculated from our model. (a) linear-logarithmic plot of the monomer (solid line) and dimer (dashed line) steady-state concentration profiles in the absence of polymerization. Note that most MIP-1 is in its dimer form for small  $x$ , *i.e.*, where large concentrations of MIP-1 are present. MIP-1 degradation is considerably hindered in these regions as only a small fraction of the MIP-1 (the monomeric fraction) is accessible to degradation. In regions where the total MIP concentration is smaller than  $K'_d$ , monomers are predominant and degradation proceeds unabated. (b) linear-linear plot of the monomer (solid line) and polymer (dashed line) steady-state concentration profiles. The uppermost dashed line represents the dimer concentration, the second one the tetramer concentration, the third the hexamer concentration and so on. (c) Average degree of polymerization as a function of  $x$  for the data presented in (b). Highly polymerized forms of MIP-1 dominate for small  $x$  and disappear as the chemokine is slowly degraded. Beyond  $x = 800 \mu\text{m}$ , dimers are the dominant aggregated form of MIP-1, although it is seen in (b) that they are less abundant than monomers. (d) Comparison between the monomer concentrations in the three cases enumerated in Sec. 2.3 as in Fig. 4A of the main text, but using a linear-linear scale instead of a linear-logarithmic one.

These effects might be relevant for macrophage recruitment *in vivo*. Since dimerization and polymerization occur only when a relatively large concentration of MIP-1 is present, we would expect them to preferentially happen following a severe infection. In this situation it could be physiologically profitable to target macrophages to an extended region surrounding the infection site rather than directing them to its exact location. Also, the chemotactic gradient is more extended when polymerization occurs, which would allow the recruitment of macrophages from a wider area, thus providing a more dramatic response to the infection.

## References

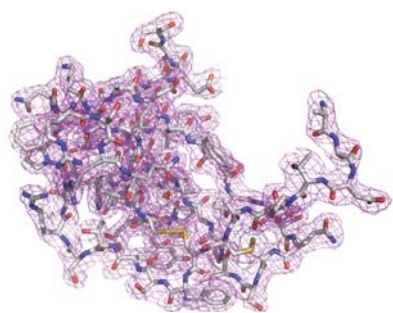
- [1] P G J van Dongen and M H Ernst. Kinetics of reversible polymerization. *J. Stat. Phys.*, 37(3–4):301–324, 1984.
- [2] Federica Sallusto, Alfonso Martín-Fontecha, and Antonio Lanzavecchia. *Dendritic cell traffic control by chemokines*, volume 1, pages 79–89. Birkhäuser Verlag, 2006.
- [3] Samantha J Allen, Susan E Crown, and Tracy M Handel. Chemokine: receptor structure, interactions, and antagonism. *Annu Rev Immunol*, 25:787–820, 2007.
- [4] Pablo A Iglesias and Peter N Devreotes. Navigating through models of chemotaxis. *Curr Opin Cell Biol*, 20(1):35–40, Feb 2008.
- [5] Jason S King and Robert H Insall. Chemotaxis: finding the way forward with Dictyostelium. *Trends Cell Biol*, 19(10):523–30, Oct 2009.

Figure S1

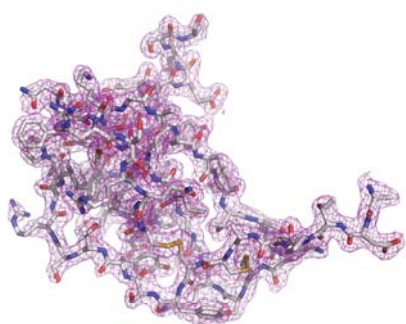


# Figure S2

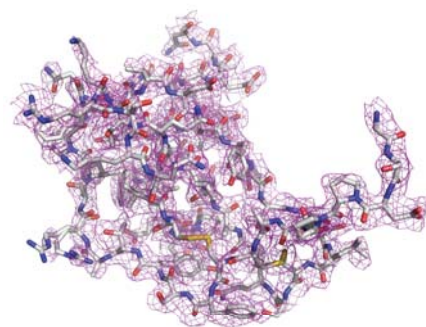
A



MIP-1 $\alpha$

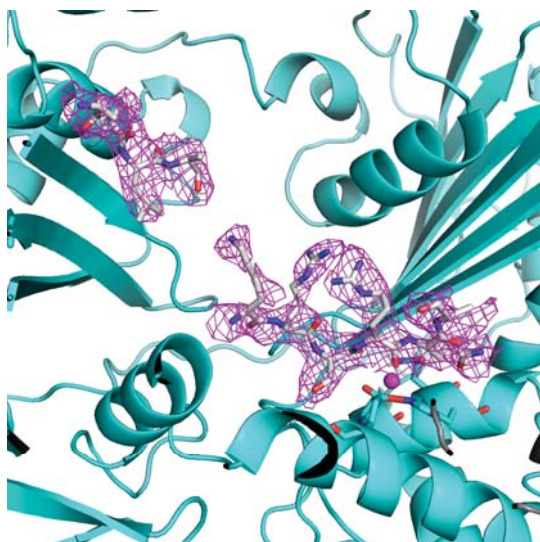


MIP-1 $\alpha$  D27A



MIP-1 $\beta$

B



IDE/MIP-1 $\alpha$

# Figure S3

A



MIP-1 $\alpha$  (2x69)



CCL1 (1EL0)



CCL7(1BO0)



CCL8(1ESR)



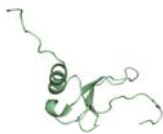
CCL11(1EOT)



CCL13(2RA4)



CCL15(2HCC)



CCL23(1G91)

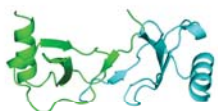


CCL24(1EIG)



CCL26(1G2S)

B



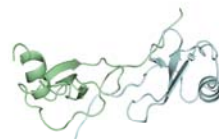
MIP-1 $\alpha$ (2x69)



MIP-1 $\alpha$ (1B53)



CCL4(1HUM)



CCL5(1U4L)

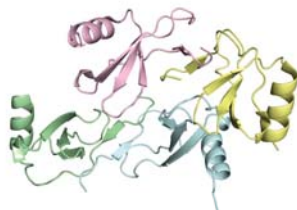


CCL20(2HCI)

C



MIP-1 $\alpha$ (2x69)

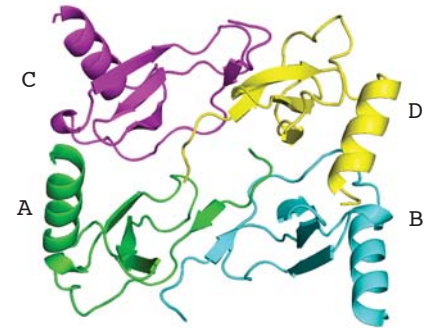


CCL14(2Q8T)

# Figure S4-1

A

Residue		Distance		Residue	
Intra layer (between A and B)					
A	SER 14[ OG ]	2.67	B	ASP 6[ OD2 ]	
A	CYS 51[ N ]	3.21	B	ASP 6[ O ]	
A	CYS 11[ N ]	3.22	B	THR 9[ O ]	
A	THR 9[ N ]	2.70	B	CYS 11[ O ]	
A	CYS 11[ O ]	2.87	B	THR 9[ N ]	
A	THR 9[ O ]	2.89	B	CYS 11[ N ]	
A	ASP 6[ OD2 ]	3.21	B	SER 14[ OG ]	
A	ASP 6[ OD1 ]	3.67	B	THR 16[ OG1 ]	
A	ASP 6[ O ]	3.20	B	CYS 51[ N ]	
Crosslink (between A and D)					
A	SER 32[ N ]	3.59	D	ALA 5[ O ]	
A	SER 32[ OG ]	3.69	D	ASP 6[ OD2 ]	
A	SER 33[ N ]	3.20	D	ASP 6[ OD2 ]	
A	ASP 6[ OD2 ]	3.40	D	SER 32[ OG ]	
A	ASP 6[ OD1 ]	3.02	D	SER 33[ N ]	
A	ASP 6[ OD2 ]	3.41	D	SER 33[ OG ]	
Interlayer(Between B and D)					
B	SER 17[ OG ]	3.79	D	SER 33[ O ]	
B	ARG 18[ NH1 ]	3.55	D	GLU 30[ OE1 ]	
B	ARG 46[ N ]	2.74	D	GLU 67[ OE1 ]	
B	ARG 46[ NE ]	2.87	D	ASP 27[ OD1 ]	
B	ARG 46[ NH1 ]	2.92	D	LEU 66[ O ]	
B	ARG 46[ NH2 ]	3.69	D	ALA 26[ O ]	
B	ARG 48[ NH1 ]	3.85	D	GLU 30[ OE2 ]	
B	ARG 48[ NH2 ]	3.19	D	TYR 28[ OH ]	
B	TYR 15[ O ]	2.82	D	SER 33[ OG ]	
B	ARG 18[ NH1 ]	3.55	D	GLU 30[ OE1 ]	
B	ARG 46[ NE ]	2.87	D	ASP 27[ OD1 ]	
B	ARG 46[ NH2 ]	3.49	D	ASP 27[ OD1 ]	
B	ARG 46[ NH2 ]	3.98	D	ASP 27[ OD2 ]	
B	ARG 48[ NH1 ]	3.85	D	GLU 30[ OE2 ]	



B

Residue	ASA(Å <sup>2</sup> )	BSA(Å <sup>2</sup> )
B SER 14	80.82	32.02
B TYR 15	62.20	12.67
B THR 16	40.89	8.14
B SER 17	105.57	26.97
B ARG 18	197.98	87.34
B ASN 23	113.41	27.02
B PHE 24	102.94	85.60
B THR 44	17.96	11.66
B LYS 45	141.14	39.21
B ARG 46	193.14	124.97
B ARG 48	145.30	84.39

Residue	ASA(Å <sup>2</sup> )	BSA(Å <sup>2</sup> )
D ALA 26	51.32	9.20
D ASP 27	57.58	35.45
D TYR 28	37.72	24.16
D PHE 29	90.78	24.95
D GLU 30	119.10	40.94
D THR 31	16.49	0.25
D SER 32	45.37	1.11
D SER 33	118.81	71.42
D GLN 34	156.14	25.30
D PRO 38	92.73	25.27
D GLY 39	1.60	0.29
D PRO 54	32.43	22.18
D SER 55	83.54	0.73
D GLN 60	96.51	0.61
D VAL 63	27.43	14.90
D SER 64	43.34	15.73
D LEU 66	55.26	30.83
D GLU 67	104.99	104.37
D LEU 68	150.12	58.39
D SER 69	134.67	18.50

C

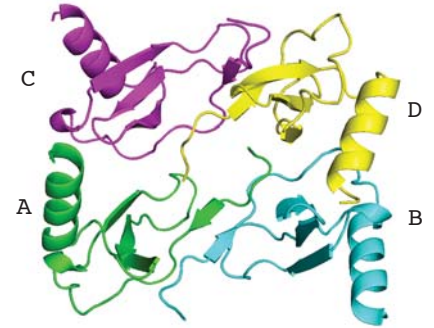
Monomer1	Monomer2	Interface(Å <sup>2</sup> )
A	B	678.2
A	D	286.5
B	D	533.4



# Figure S4-2

A

Residue		Distance	Residue	
Intra layer (between A and B)				
A	SER 14[ OG ]	3.53	B	ASP 6[ OD1 ]
A	CYS 51[ N ]	3.04	B	ASP 6[ O ]
A	CYS 11[ N ]	2.69	B	THR 9[ O ]
A	THR 9[ N ]	2.67	B	CYS 11[ O ]
A	CYS 11[ O ]	2.61	B	THR 9[ N ]
A	THR 9[ O ]	2.81	B	CYS 11[ N ]
A	ASP 6[ OD1 ]	2.60	B	SER 14[ OG ]
A	ASP 6[ O ]	3.05	B	CYS 51[ N ]
Crosslink (between A and D)				
A	SER 5[ N ]	2.69	D	GLU 30[ O ]
A	SER 32[ OG ]	2.65	D	ASP 6[ OD1 ]
A	SER 33[ N ]	3.41	D	ASP 5[ O ]
A	SER 34[ N ]	2.79	D	ASP 6[ OD1 ]
A	ASP 5[ O ]	2.84	D	SER 33[ N ]
A	ASP 6[ OD2 ]	2.86	D	SER 33[ N ]
A	ASP 6[ OD1 ]	2.42	D	SER 33[ OG ]
Interlayer(Between B and D)				
B	LYS 45[ N ]	2.90	D	GLU 67[ OE1 ]
B	ARG 46[ N ]	3.19	D	GLU 67[ OE1 ]
B	ARG 48[ NZ ]	3.64	D	ASP 27[ OD1 ]
B	ARG 48[ NZ ]	3.71	D	ASP 27[ OD2 ]
B	TYR 15[ O ]	3.21	D	SER 33[ OG ]
B	ARG 46[ NE ]	3.99	D	ASP 27[ OD1 ]
B	ARG 48[ NZ ]	3.64	D	ASP 27[ OD1 ]
B	ARG 48[ NZ ]	3.71	D	TYR 27[ OD2 ]



B

Residue	ASA (Å <sup>2</sup> )	BSA (Å <sup>2</sup> )
B SER 14	81.14	41.77
B TYR 15	67.29	10.44
B THR 16	33.95	7.34
B ALA 17	109.07	19.77
B ARG 18	196.30	109.47
B PRO 21	61.88	21.31
B ASN 23	113.35	33.69
B PHE 24	109.24	102.99
B THR 44	13.13	7.70
B LYS 45	137.78	42.52
B ARG 46	179.35	79.95
B ARG 48	120.98	66.23

Residue	ASA (Å <sup>2</sup> )	BSA (Å <sup>2</sup> )
D VAL 26	71.40	2.09
D ASP 27	68.21	32.85
D TYR 28	46.32	33.43
D TYR 29	88.16	10.87
D GLU 30	99.73	22.80
D THR 31	14.14	5.83
D SER 32	37.97	1.85
D SER 33	113.65	68.65
D GLN 34	156.79	24.75
D PRO 38	96.06	45.20
D ALA 39	0.58	0.58
D PRO 54	32.26	5.18
D VAL 63	26.58	14.22
D TYR 64	141.06	50.79
D LEU 66	40.03	23.85
D GLU 67	106.15	104.56
D LEU 68	126.70	67.47
D ASN 69	146.99	2.33

C

Monomer1	Monmer2	Interface (Å <sup>2</sup> )
A	B	604.8
A	D	271.2
B	D	530.2

# Figure S4-3

IDE Residue		Distance	MIP-1 $\alpha$ Residue	
GLY	361[ N ]	3.11	ALA	1[ O ]
HIS	332[ ND1 ]	3.82	SER	2[ OG ]
HIS	336[ N ]	3.40	SER	2[ OG ]
GLY	339[ O ]	2.94	ALA	1[ N ]
GLU	341[ OE1 ]	2.63	ALA	1[ N ]
LEU	359[ O ]	3.10	ALA	1[ N ]
TYR	609[ OH ]	3.74	SER	2[ N ]
GLY	361[ O ]	3.17	LEU	3[ N ]
THR	220[ OG1 ]	3.02	SER	18[ OG ]
THR	142[ N ]	2.99	SER	18[ O ]
GLN	111[ NE2 ]	3.46	SER	18[ O ]
HIS	112[ NE2 ]	2.80	ARG	19[ O ]
HIS	108[ NE2 ]	3.53	ARG	19[ O ]
ASN	139[ ND2 ]	2.63	GLN	20[ O ]
THR	142[ O ]	3.31	SER	18[ N ]
GLU	189[ OE2 ]	2.81	ARG	19[ N ]
ALA	831[ OH ]	3.76	ALAL	21[ N ]

# Figure S5

A

	MW(kd)	PI	id(%)	Receptor		1	11	21	31				
h_CCL3	7.8	4.77	100.0	CCR1/5	-----	ASLAADTPTA	CCFSYTSRQ	IPQNFADYF	ETSS	QCSKPGV			
h_CCL4	7.8	4.77	67.1	CCR5	-----	APMGSDPPTA	CCFSYTARK	LPRNFVVDY	ETSS	LCSQPAV			
h_CCL1	8.6	9.91	32.4	CCR8	-----	SKSMQVPPSR	CCFSFAEQE	IPLRAILCY	RNTSS	ICSNEGL			
h_CCL2	8.7	9.39	34.2	CCR2	-----	QPDAINAPVT	CCYNFTNRK	ISVQRLAS	YRRITSS	KCPKEAV			
h_CCL5	7.9	9.24	44.3	CCR1/3/5	-----	SPYS	SDTTP	CCFAYIARP	LPPRAHIK	EYFYTSG	KCSNPAV		
m_CCL6	10.7	9.22	33.3	CCR3/5	GLIQQEIE	KEDRRYNPPI	IHQGFQDTSSD	CCFSYATQ	IPCKRFIY	YFPTSG	GCIKPGI		
h_CCL7	9.0	9.74	31.6	CCR2	-----	QPVGINTSTT	CCYRFINKK	IPKORLES	YRRITSS	HCPREAV			
h_CCL8	8.9	9.30	34.2	CCR2/5	-----	QPDSVSIPI	CCFNVINRK	IPIQRLES	YTRITNI	QCPKEAV			
m_CCL9/10	11.6	8.87	28.4	CCR1	QITHATETKEV	QSSSLKAQQGLE	IEFMHMGFQD	SSD	CCLS	YNSR	IQCSRFIG	YFPTSG	GCTRPGI
h_CCL11	8.4	9.92	34.2	CCR3	-----	GPASV	PTT	CCFNLANRK	IPLORLES	YRRITSG	KCPQKAV		
m_CCL12	9.3	9.27	29.3	CCR2/5	-----	GPDAVSTPVT	CCYNVVKQK	IHVRKLKS	YRRITSS	QCPREAV			
h_CCL13	8.7	9.98	35.5	CCR2	-----	MQPDALNVPST	CCFTFSSKK	ISLQRLKS	YVITTS	RCPQKAV			
h_CCL14	8.7	8.73	45.3	CCR1	-----	TKTESSSRGPYH	PSECCFTYTTYK	IPRQRIMDY	YETNS	QCSKPGI			
h_CCL15	7.2	9.01	47.9	CCR1/3	-----	HFAAD	CCTSYISQS	IPCSLMKS	YFETSS	ECSKPGV			
h_CCL16	11.5	9.65	23.8	CCR1/3	-----	SRSQPKVPEWV	NTPSTCCLKYVEKV	LPRRLVVG	YRKALN	CHLPAI			
h_CCL17	8.1	9.46	25.0	CCR4	-----	ARGTNVGR	ECCLEYFKGA	IPLRKLKT	WYQTS	DCSRDAI			
h_CCL18	7.9	9.21	60.0	Unknown	-----	AQVGTN	KELCCLVYTSWQ	IPQKFLV	DYSETSP	QCPKPGV			
h_CCL19	8.8	9.84	26.3	CCR7	-----	GTNDAED	CCLSVTQKP	IPGYIVRN	FHYLLIKD	GCRPAV			
h_CCL20	7.9	9.70	27.0	CCR6	-----	ASNFD	CCLGYTDRI	LHPKFIVG	FTRQLANE	GCDINAI			
h_CCL21	12.3	10.04	21.1	CCR7	-----	SDGGAQD	CCLKYSQRK	IPAKVVRS	YRKQEPSL	GCSIPAI			
h_CCL22	8.1	9.07	29.6	CCR4	-----	GPYGANMEDSV	CCRDYVRYR	LPLRVVKH	FYWTSD	SCPRPGV			
h_CCL23	8.9	9.38	44.2	CCR3	-----	MDRFHATSAD	CCISYTPRS	IPCSLLES	YFETNS	ECSKPGV			
h_CCL24	8.3	9.97	35.1	CCR3	-----	VVIPSP	CCMFVSKR	IPENRVVS	YQLSSRS	TCLKAGV			
h_CCL25	14.2	10.30	14.2	CCR9	-----	QGVFED	CCLAYHYPIGW	AVLRRRAW	YRIOEVSG	SCNLPA			
h_CCL26	8.4	10.22	37.5	CCR3	-----	TRGS	DISKT	CCFQYSHKP	LPWTWVRS	YEFTSN	SQSRVAV		
h_CCL27	10.2	9.10	11.1	CCR10	-----	FLLPPSTA	CCQLYRKP	LSDKLLRK	VIQVELQ	EADGD	CHLQAF		
h_CCL28	12.4	10.23	11.0	CCR10	-----	SEAILPIASS	CCTEVSH	ISRRLLE	RVNMCR	IQRADGD	CDLAAV		
h_CCL3					41	51	61			70			
h_CCL4					IFLTKRSR	QVCADPSE	EWVQKYVS	DL	ELSA	-----	69		
h_CCL1					VFQTKRSK	QVCADPSE	SWVQYVY	DL	ELN	-----	74		
h_CCL2					IFKTKRGK	EACALDTV	GWVQRHRK	ML	RHCPSKRR	-----	76		
h_CCL5					IFKTIVAK	EICADPKQ	KWVQDSMD	HL	DQOTQTPKT	-----	68		
m_CCL6					VFVTRKNR	QVCANPEK	KWVREYIN	SL	EMS	-----	95		
h_CCL7					IFISRRGT	QVCADPSD	RRVORCLS	TL	KQG	PRSGNKVIA	76		
h_CCL8					IFKTKLDK	EICADPTQ	KWVQDFMK	HL	DKKTQTPKL	-----	101		
m_CCL9/10					IFKTORGK	EVCADPKE	RWVRDSMK	HL	DQIFQNLKP	-----	82		
h_CCL11					IFISRRGF	QVCANPSD	RRVORCIE	RL	EQNSQPRTYKQ	-----	76		
h_CCL12					IFKTKLAK	DICADPKK	KWVQDSMK	YL	DQKSPTPKP	-----	100		
h_CCL13					IFRTILDK	EICADPKE	KWVKNSIN	HL	DKTSQTFILEPSCLG	-----	71		
h_CCL14					IFRTKLGK	EICADPKE	KWVQNYMK	HL	GRKAHTLKT	-----	66		
h_CCL15					VFITKRGH	SVCINPSD	KWVQDYIK	DM	KEN	-----	71		
h_CCL16					IFLTKRGR	QVCAKPSG	PGVQDCMK	KL	KPYSI	-----	111		
h_CCL17					IFVTKRNR	EVCINPND	DWVQYIKDPNL	PLL	PTRNLSTVKIITAKNGQPQLLSQ	-----	69		
h_CCL18					VFVTVOGR	AICSDPNN	KRVKNAVK	YL	OSLRS	-----	77		
h_CCL19					ILLTKRGR	QICADPNK	KWVQYIIS	DL	KLNA	-----	71		
h_CCL20					VFITLGR	QICAPPDQ	PWVERIIO	RL	ORTSAKMRRSS	-----	69		
h_CCL21					IFHTKKKL	SVCANPKQ	TWVKYIVR	IL	SKKVKN	-----	69		
h_CCL22					FLPRKRS	QAEICADPKE	LWVQQLMQ	HL	DKTPSPQKPAQGCRKDRGASKTGKKGKSGKGRKTERSQTPKGP	-----	69		
h_CCL23					VLITFRDK	EICADPRV	PWVKMILN	KL	SQ	-----	77		
h_CCL24					IFLTKRGR	RFCANPSD	KQVQVCMR	ML	KLDTRIKTRKN	-----	73		
h_CCL25					IFTTKKGQ	QSCGDPKQ	EWVQRYMK	NL	DAKOKKASPR	-----	127		
h_CCL26					IFYLPKRHR	KVCGNPKS	REVQRAMK	IL	DARNKVFAKLHHNMQTFQAGPHAVKKLSSGNSKLSSSKFNSPISSSRKNVSLIISANGL	-----	71		
h_CCL27					IFTTKRGK	KVCTHPRK	KWVQYIIS	IL	KTPKQL	-----	88		
h_CCL28					VLHLAQRS	ICIHQNPSSL	QWFEHQER	KL	HGTLPKLNFGLMRMG	-----	108		
h_CCL28					ILHVKRRR	ICVSPHNHTVKQ	WMKVQA	AKKNGKGNV	CHRKKHHGKRNSNRAHQKHETYGHKTPY	-----			

B.

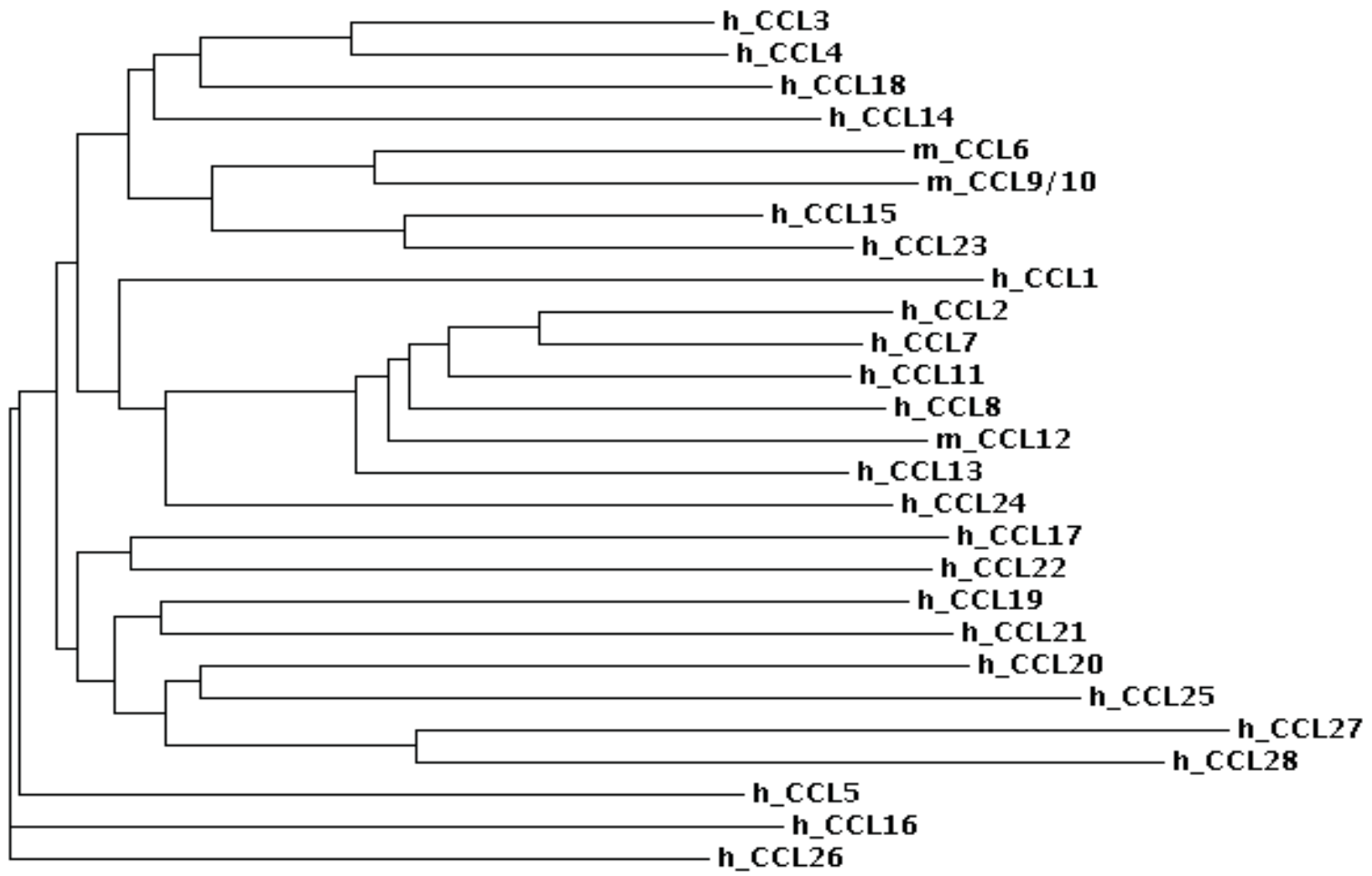


Figure S6

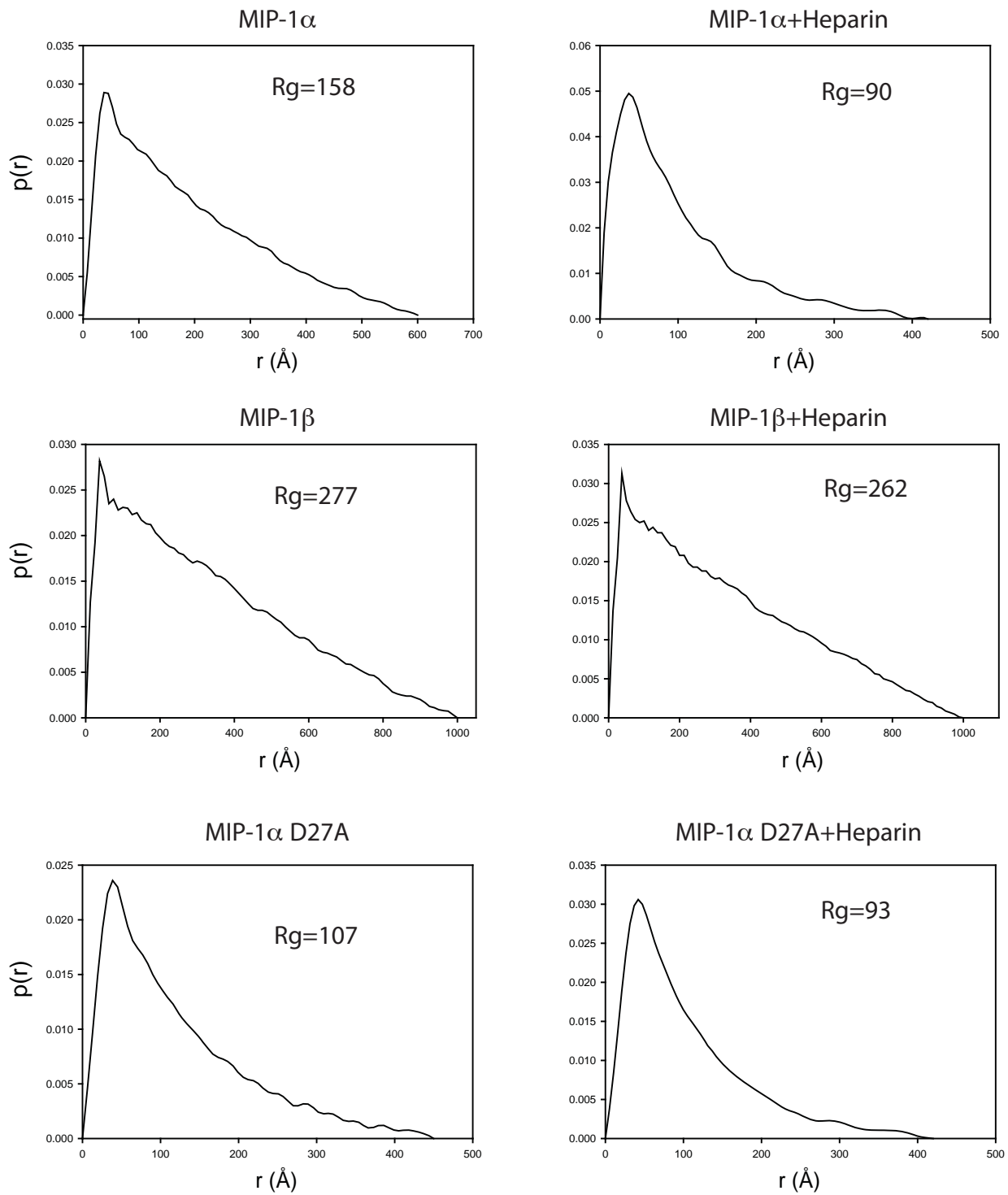
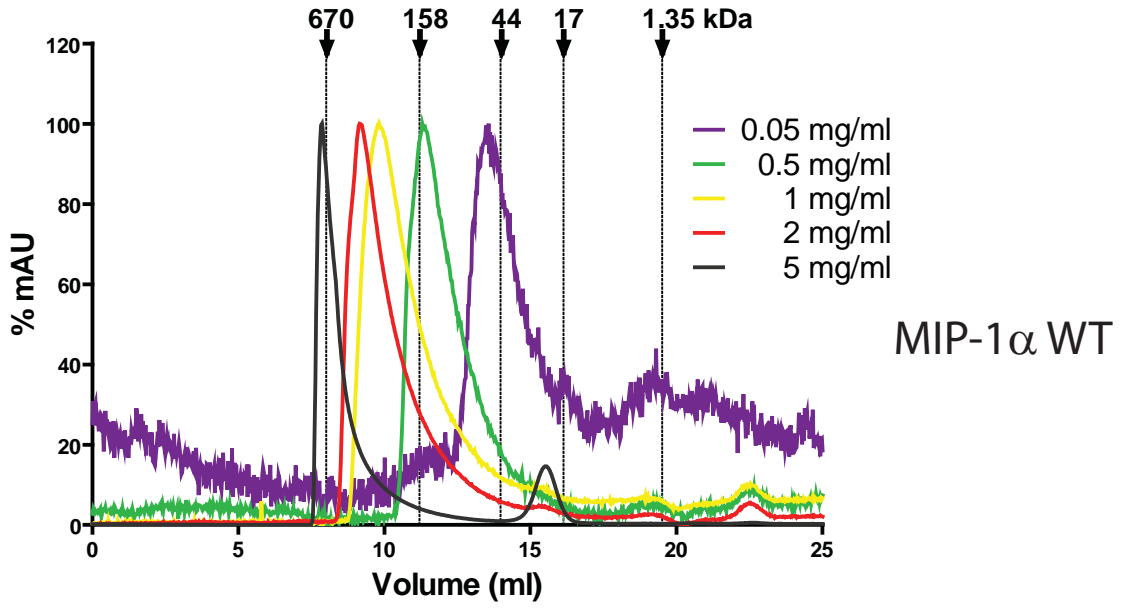
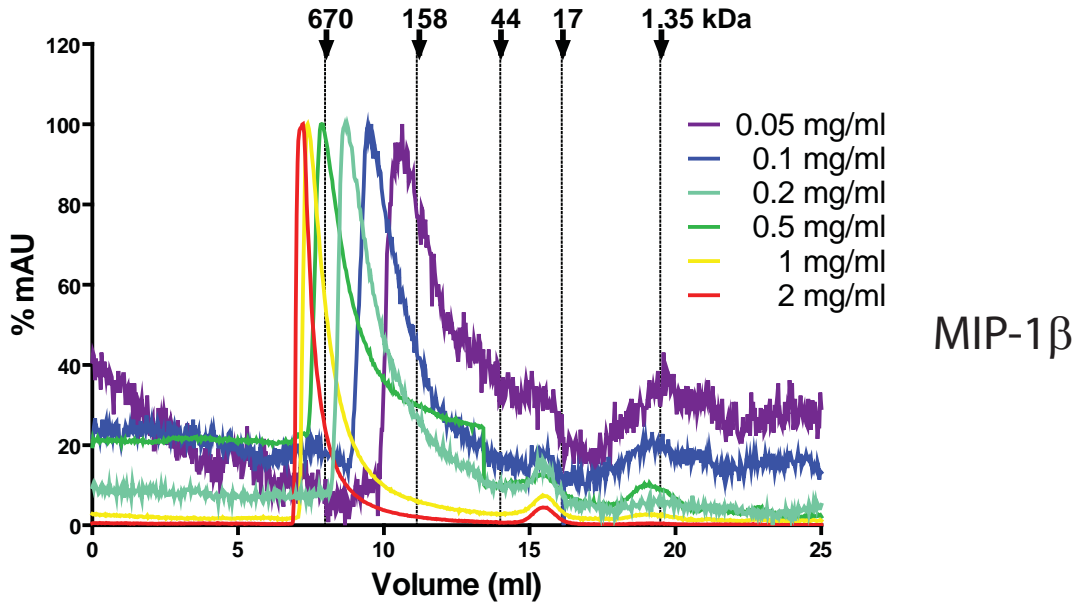


Figure S7

A



B



C

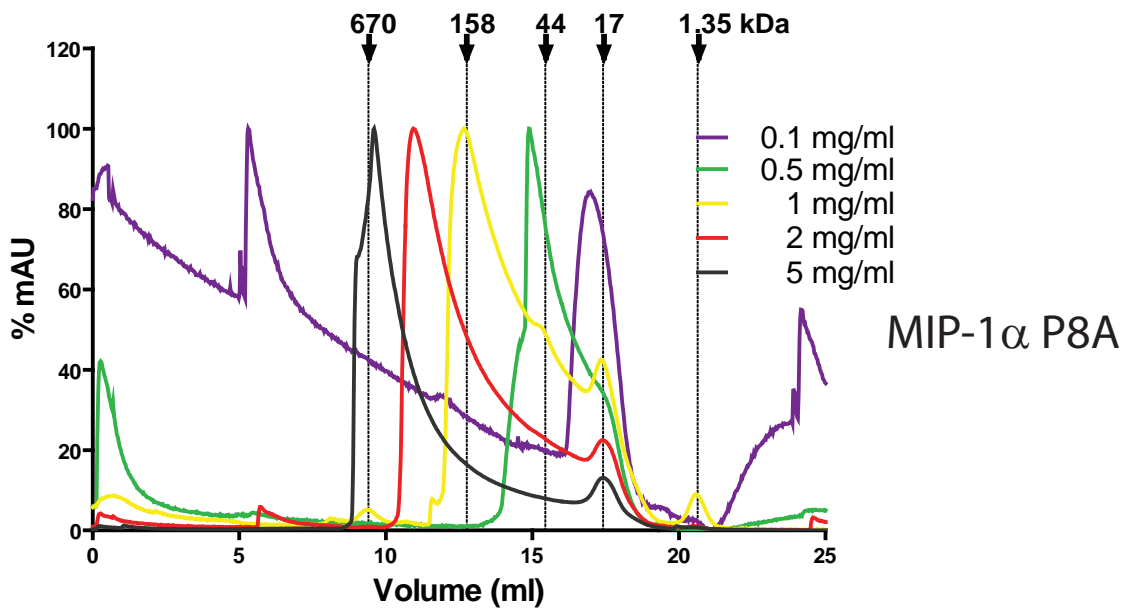
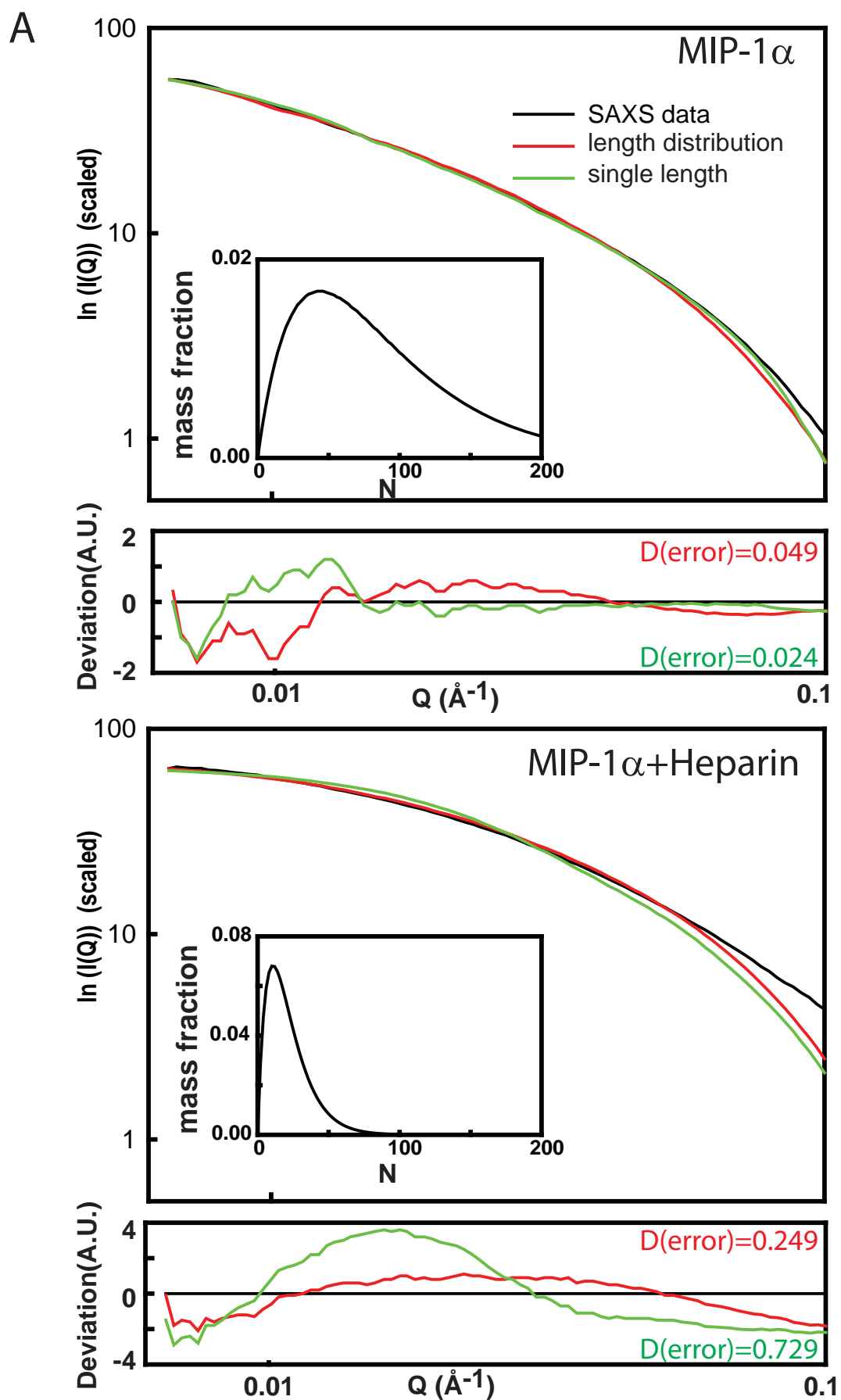
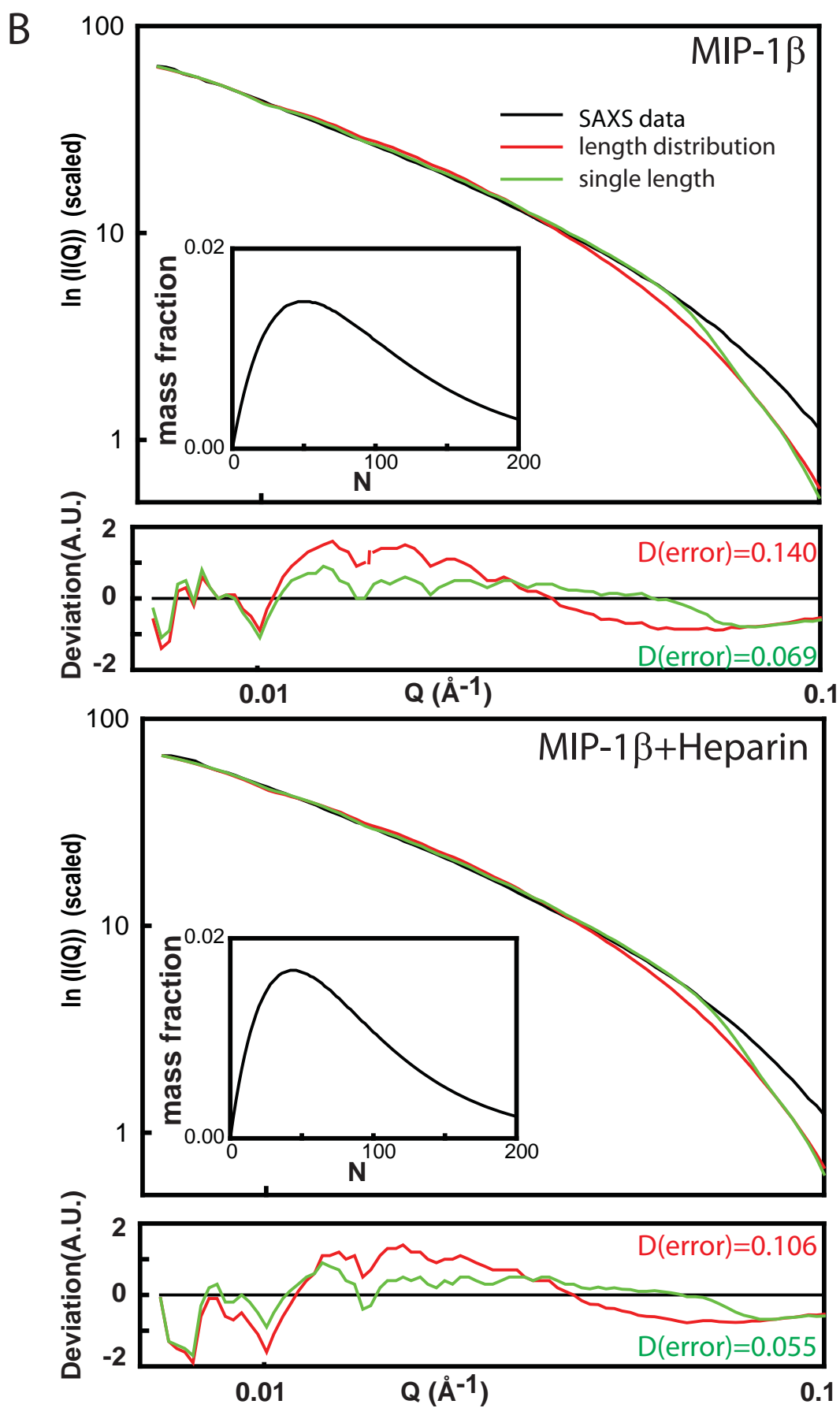


Figure S8







C

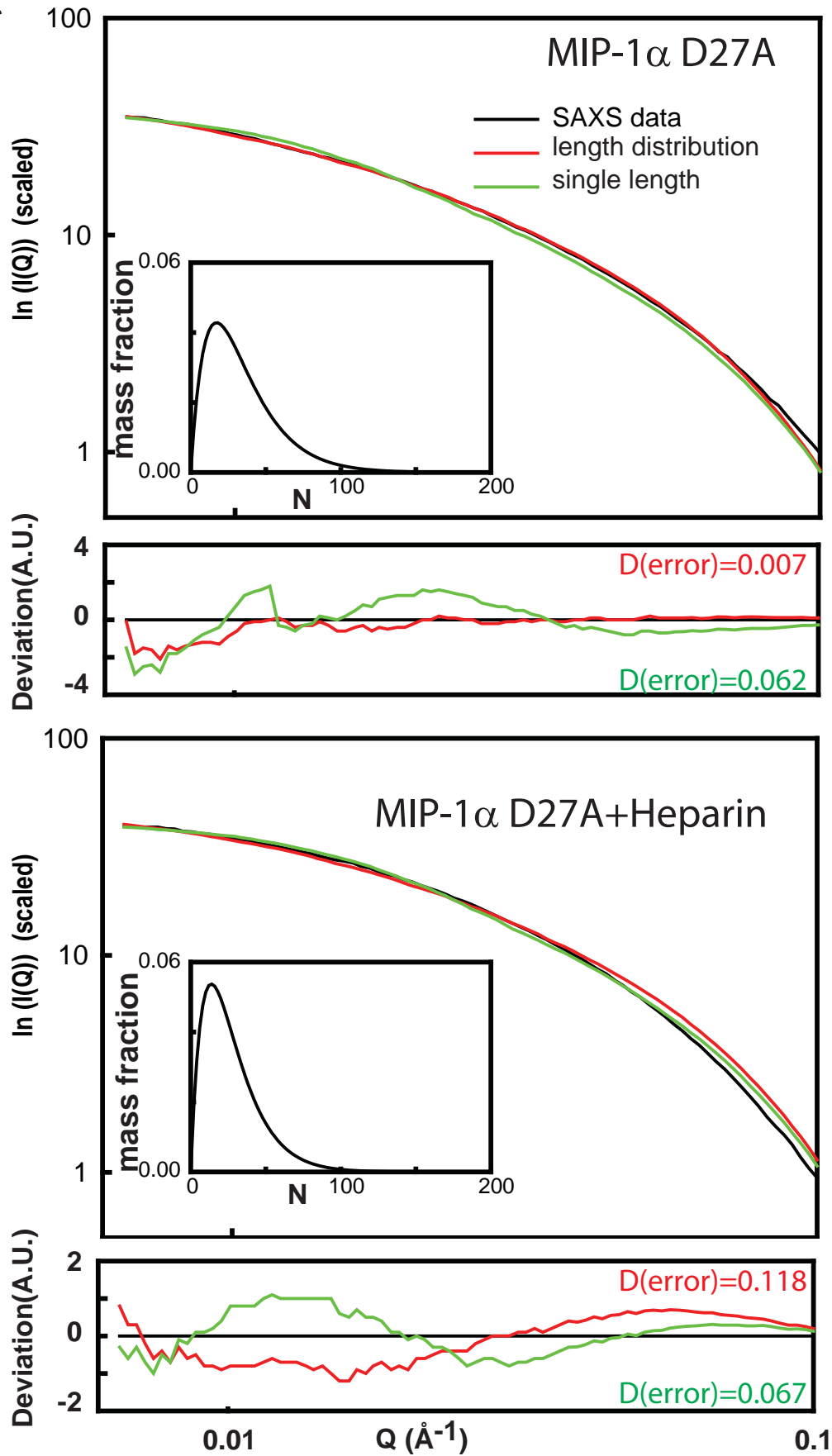
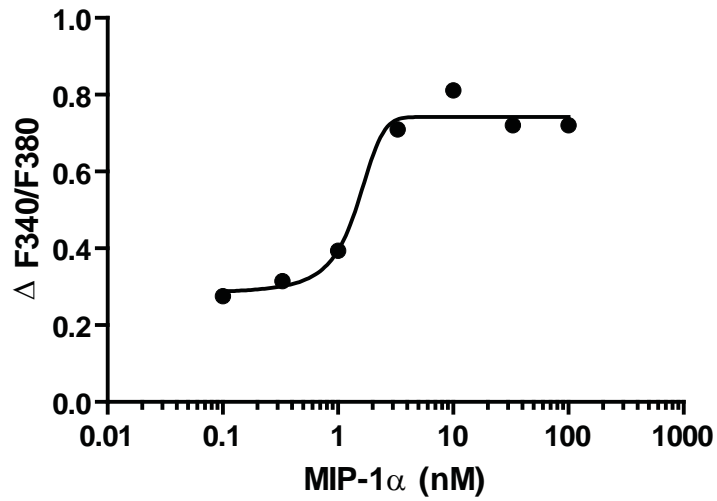


Figure S9

**A**



**B**

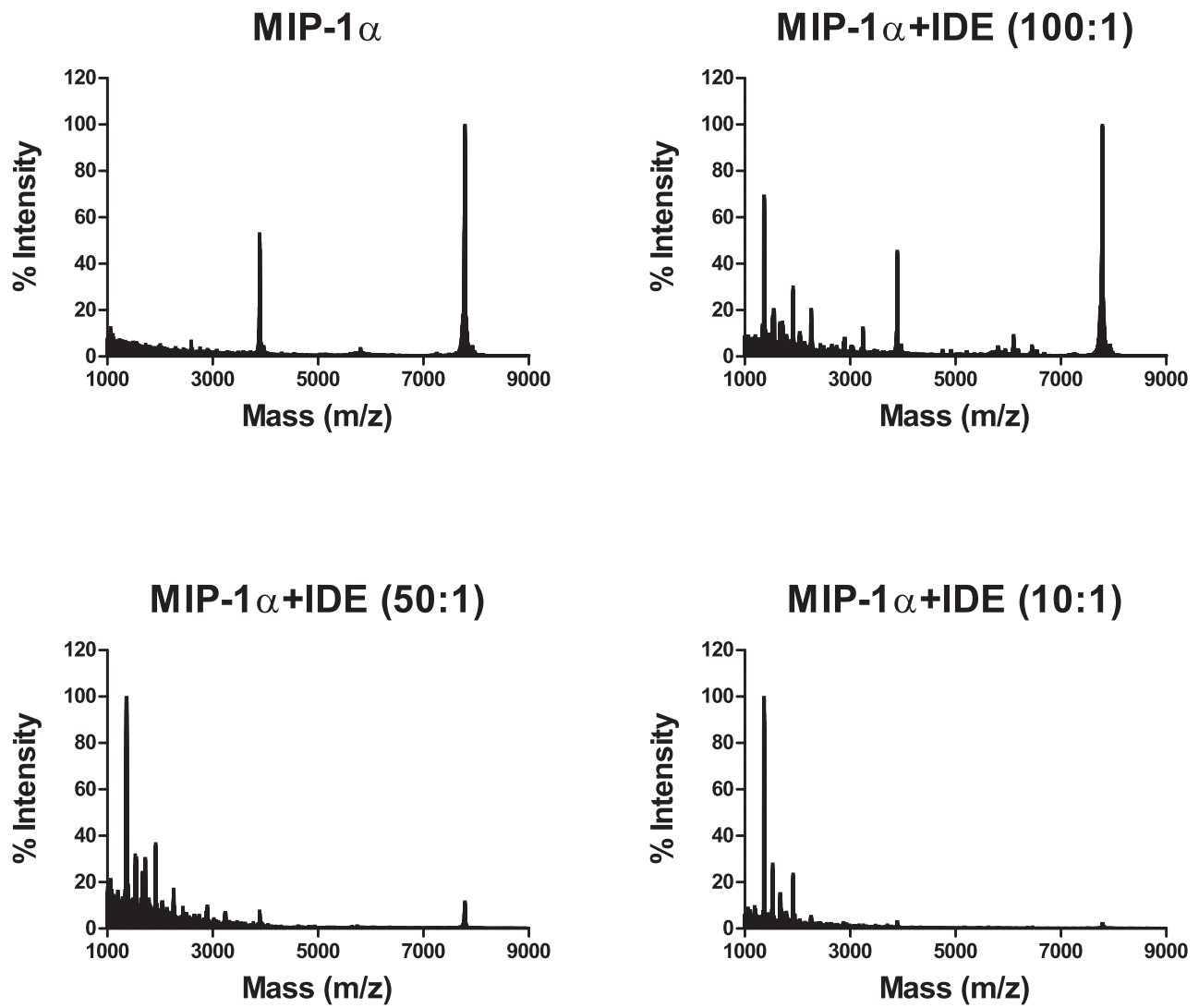


Figure S10

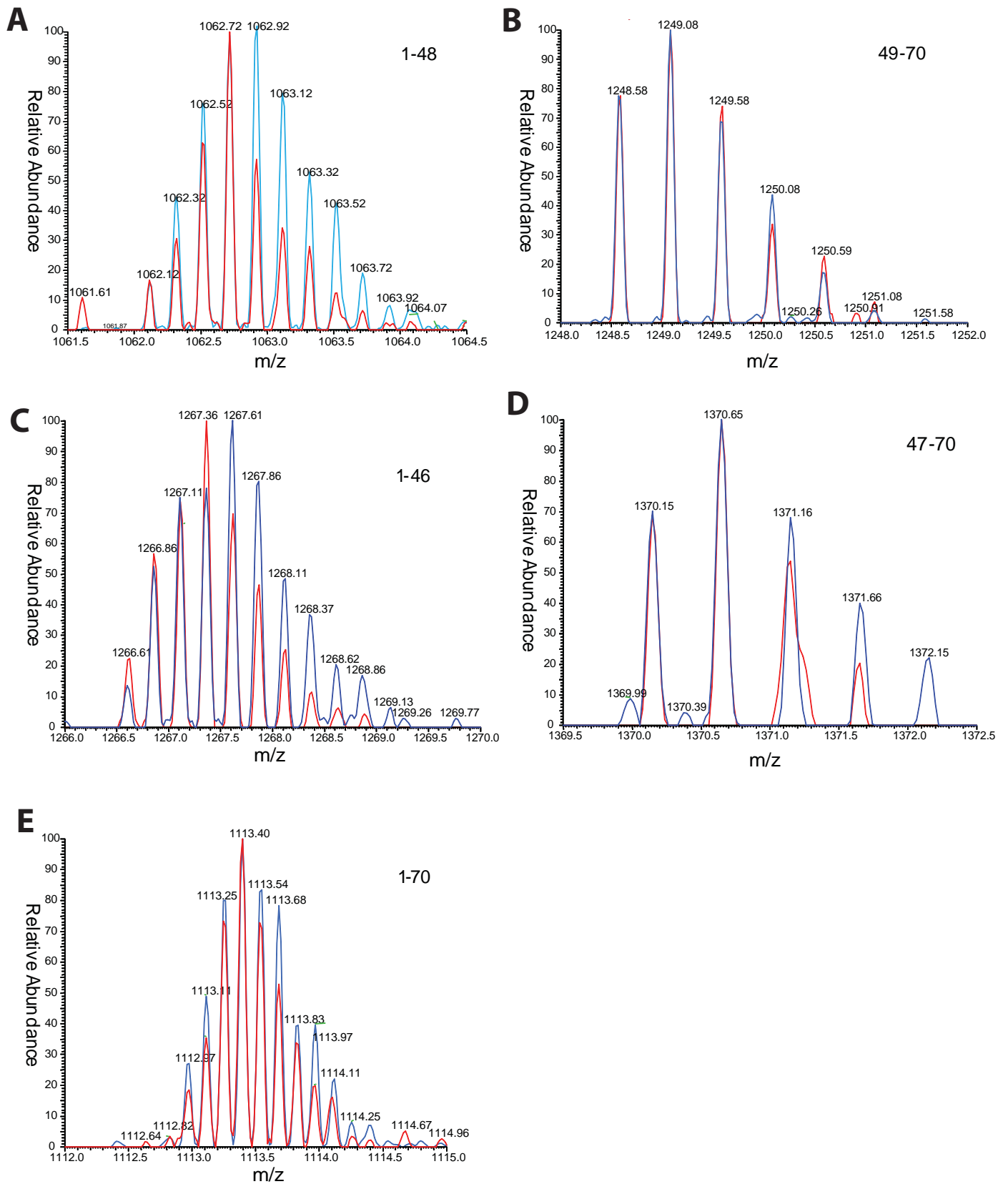
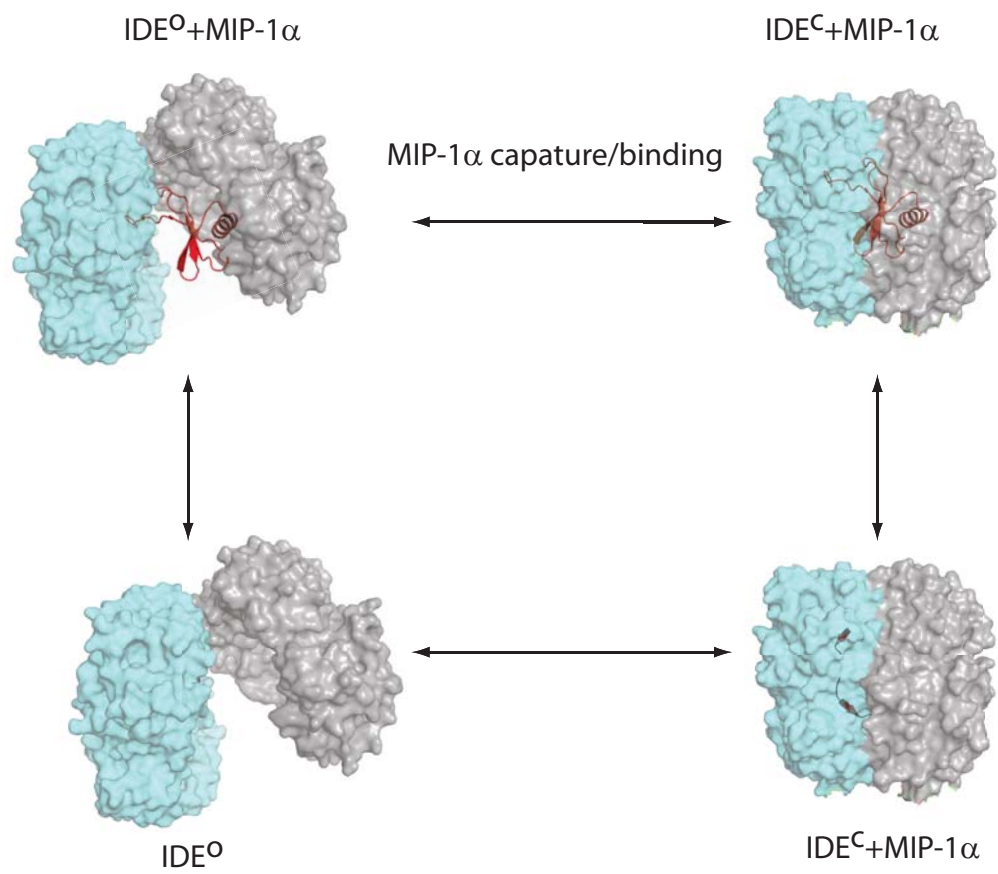


Figure S11



Supplemental table 1: Crystallographic statistics of Se\_MIP-1 $\alpha$  (V3M/L63M)

<b>Data collection</b>			
	G7	G7	X53
Wavelength (Å)	0.97939(peak)	0.97953(inflexion)	0.97939
Space group	C2	C2	C2
Cell dimension(Å)			
a	309.5	309.2	308.2
b	178.0	178.0	178.6
c	77.4	77.5	77.4
$\alpha$	90	90	90
$\beta$	89.8	89.9	90.1
$\gamma$	90	90	90
Resolution (Å)	50-3.1	50-3.2	50-2.7
Rsym (%) <sup>a</sup>	12.6(59.2) <sup>e</sup>	13.4(57.5)	10.8(51.5)
I/sigma	29.3(3.2) <sup>e</sup>	25.8(3.9)	21.3(2.5)
Redundancy <sup>b</sup>	7.2(7.1) <sup>e</sup>	7.2(7.2)	3.6(3.7)
Completeness (%)	99.9(100.0) <sup>e</sup>	99.9(100.0)	99.8(100.0)
Unique reflections	78012	75739	113405
Figure of merit	0.874		
Refinement			
R <sub>work</sub> <sup>c</sup>			0.204
R <sub>free</sub> <sup>d</sup>			0.241
No. atoms			
Protein			15920
Water			385
B-factors			
Protein			38.2
Water			41.3
r.m.s. deviations			
Bond lengths (Å)			0.021
Bond angles (°)			1.949
Ramachandran plot (%)			
Favorable region			93.1
Allowed region			6.7
Generously allowed region			0.2
Disallowed region			0

<sup>a</sup>  $R_{\text{merge}} = \Sigma (I - \langle I \rangle) / \Sigma \langle I \rangle$

<sup>b</sup>  $N_{\text{obs}} / N_{\text{unique}}$

<sup>c</sup>  $R_{\text{work}} = \Sigma_{hkl} ||F_{\text{obs}}| - |F_{\text{calc}}|| / \Sigma_{hkl} |F_{\text{obs}}|$

<sup>d</sup>  $R_{\text{free}}$ , calculated the same as for  $R_{\text{work}}$  but on the 5% data excluded from the refinement calculation.

<sup>e</sup> the outer resolution shell. Values in parentheses indicate the highest resolution shell

Supplemental Table-2

	MIP-1 $\alpha$	MIP-1 $\alpha$ +Heparin	MIP-1 $\alpha$ D27A	MIP-1 $\alpha$ D27A +Heparin	MIP-1 $\beta$	MIP-1 $\beta$ +Heparin
Radius of Gyration (Å)						
R <sub>g</sub> (Guinier) <sup>1</sup>	130	80	100	80	150	140
R <sub>g</sub> (p(r)) <sup>2</sup>	160	90	100	90	280	260
R <sub>c</sub> <sup>3</sup>	17	15	17	19	17	17
Width (Å)						
Diameter <sup>4</sup>	49	42	49	55	47	47
Length (Å)						
R <sub>c</sub> +R <sub>g</sub> (Guinier) <sup>5</sup>	430	270	330	280	510	490
R <sub>c</sub> +R <sub>g</sub> (p(r))	540	310	370	320	960	910
D <sub>max</sub> (Å)	600	420	450	420	950 <sup>6</sup>	950 <sup>6</sup>
Subunits in polymer						
SEC	90	70	4	20	230	200
R <sub>c</sub> +R <sub>g</sub> (Guinier) <sup>7</sup>	40	25	30	25	46	44
R <sub>c</sub> +R <sub>g</sub> (p(r)) <sup>7</sup>	50	30	30	30	90	80
Length distribution <sup>8</sup>						
Single length <sup>8</sup>	60	22	34	28	100	88
	50	24	34	28	72	64
Kd(nM) <sup>9</sup>						
Length distribution <sup>8</sup>	290	2130	890	1310	100	130

<sup>1</sup> The value of the radius of gyration ( $R_g$ ) was derived from the Guinier approximation:  $I(q) = I(0) \exp(-q^2 R_g^2/3)$ , in the  $q$ -range  $qR_g < 1.3$ , where  $I(q)$  is the scattered intensity and  $I(0)$  is the forward scattered intensity

<sup>2</sup> The Radius of gyration ( $R_g$ ) defined by  $P(r)$  was calculated by using the following formula:

$$R_g^2 = \frac{\int_0^{D_{\max}} r^2 P(r) dr}{\int_0^{D_{\max}} P(r) dr}$$

<sup>3</sup> The value of the radius of gyration ( $R_c$ ) was derived from the Guinier approximation:  $q \cdot I(q) \sim q \cdot I(0) \exp(-q^2 R_c^2/2)$ , in the medium  $q$ -range, where  $I(q)$  is the scattered intensity and  $I(0)$  is the forward scattered intensity.

<sup>4</sup> Diameter of the cross-section was calculated by using the following equation:  $D = 2 \cdot 2^{1/2} \cdot R_c$

<sup>5</sup> Length (L) was calculated by using the following equation  $L = (12 \cdot (R_g^2 - R_c^2))^{1/2}$

<sup>6</sup> listed  $D_{\max}$  were maximal value based on the measurement limits of the experiment and generated by software GNOM

<sup>7</sup> Subunits in polymer was calculated by following calculation:  $N = L/22 \cdot 2$  while  $22 \text{Å}$  is the distance between two dimers.

<sup>8</sup> Curve fitting use theoretical SAXS scattering

<sup>9</sup> Dissociation constant corresponding to the breaking of a dimer-dimer bond. In accord with Eqs. (14) and (20) of the Supplemental Mathematical Modeling, this constant is calculated as  $K_d = \frac{8c_t}{d^2 - 4}$ , where  $c_t$  is the initial MIP monomer concentration and  $d$ , the average degree of polymerization, is determined from the "length distribution" fit to the SAXS data.

Table S3 Summary of mass spectrometry analysis of MIP1 $\alpha$  fragments resulting from IDE initial cleavage.

FRAGMENT	CAL MASS (M+H)	OBS MASS (M+H) (LC-FT-ICR)	$\Delta$ ppm	MS/MS (b/y ions)	O18 labeling
1-70	7783.713	7783.677	4.57		no <sup>a</sup>
1-45	4907.336	4907.321	3.07	b5-7, b16, b19; y5, y11	yes
46-70	2895.394	2895.388	1.94	b7-8, b <sup>++</sup> 6-8, b <sup>++</sup> 11-23; y10, y17, y <sup>++</sup> 9, y <sup>++</sup> 14-16, y <sup>++</sup> 18, y <sup>++</sup> 21, y <sup>++</sup> 24-25	no
1-46	5063.438	5063.424	2.77	b4-b7, b12-15; y4-5, y7, y9-11, yes <sup>a</sup> y14	
47-70	2739.293	2739.288	1.68	b5-b16; y10-y15, y17	no <sup>a</sup>
1-48	5306.571	5306.557	2.65	b4-8, b11; y5, y10, y12,	yes <sup>a</sup>
49-70	2496.160	2496.153	2.74	b5, b8-10, b12-17; y7-10, y12- 14, y17	no <sup>a</sup>
1-18	1864.820	1864.814	3.18	b4-13, b15; y3-15	yes
19-70	5937.910	5937.907	0.47	b8-9; , b <sup>++</sup> 12, b <sup>++</sup> 18-21, b <sup>++</sup> 25, b <sup>++</sup> 35; y7-13, y17, y <sup>++</sup> 13-14, y <sup>++</sup> 17-20, y <sup>++</sup> 22, y <sup>++</sup> 28, y <sup>++</sup> 25	no

Summary of mass spectrometry analysis of MIP-1 $\alpha$  fragments resulting from IDE initial cleavage. Calculated and observed masses are shown as singly charged monoisotopic mass (M+H). Observed b/y ions according to the specific fragment from tandem mass spectrometry analysis are listed. MIP-1 $\alpha$  was digested with IDE in 50% <sup>18</sup>O water. The fragments labeled with <sup>18</sup>O are marked as “yes” in the last column. <sup>a</sup>Example spectrums of <sup>18</sup>O labeling experiment were shown in Fig. S10.



Table S4 Summary of mass spectrometry analysis of IDE degraded MIP1 $\alpha$  fragments .

FRAGMENT	CAL MASS (M+H)	OBS MASS (M+H) (LC-FT-ICR)	OBS MASS (M+H) (MALDI-TOF)	$\Delta$ ppm
4-18	1593.667	1593.660	N/D	4.83
5-18	1522.630	1522.620	N/D	6.63
6-18	1451.5929	1451.597	N/D	2.83
8-18	1235.518	1235.516	N/D	1.79
8-46	4434.136	4434.126	N/D	2.11
21-46	2976.492	2976.476	N/D	5.68
25-46	2490.250	2490.306	N/D	22.69
26-46	2377.186	2377.182	N/D	1.40
27-46	2306.149	2306.153	N/D	1.78
30-46	1880.990	1880.979	N/D	5.95
31-46	1751.947	1751.945	N/D	1.26
26-48	2620.319	2620.310	N/D	3.39
17-28	1451.728	N/D	1451.724	2.55
18-28	1364.696	N/D	1364.693	1.97
14-24	1340.659	N/D	1340.661	1.26
1-13	1270.544	N/D	1270.720	138.52
15-27	1552.775	N/D	1552.762	8.63