

1 *Section 1: Ecological data*

2 **Estimates of the deme census sizes**

3 We found that the indicated census sizes of demes varied depending on the investigator (few 4 being reported), years of sampling and on the size of the populations. Sometimes, only 5 qualitative estimates of census size were given. For example, several demes (around 20 in both 6 species) were referred to as being "large", "huge", or "very large", and for populations 7 containing more than 100 plants, the counting is often not precise. For our calculations, 8 accessions with undefined census sizes were first removed from the dataset, and then added 9 sequentially with assigned values between 100 and 500 (based on the fact that the largest 10 populations observed contain 400 to 500 plants) to create various observed datasets. We fitted 11 the exponential regression to the distributions of census sizes using the software R for each of 12 those datasets (*lm* function on the log transform of the census size distribution; Figure S1). For 13 each dataset we calculated the mean census size N_{cs} as the inverse of the exponential coefficient 14 and obtained ranges of values for the mean *N*cs of 44 to 185 for *S. peruvianum* and 33 to 154 for 15 *S. chilense* (Table S1).

16 A second possibility was to calculate the arithmetic mean of the sample of census sizes for each 17 dataset. This represents the maximum-likelihood of the mean *N*cs for an exponential 18 distribution. The 95% confidence intervals are obtained by multiplying this mean by (1-1.96√*n* 19 or 1+1.96√*n*) where *n* is the sample size. We obtained values ranging from 29 (lower 20 confidence limit value) to 101 (highest confidence limit value) for *S. chilense*, and from 51 to 21 142 for *S. peruvianum*. These values are imbedded in the range of our above conservative 22 estimates (Table S1).

23

24 We also tested if a Poisson and a power-law function may explain our distribution of census 25 sizes.

26 First, we analyzed our census data using a linear mixed-effects model (function *lmer*() from the 27 *lme4* package in R). To deal with count data, we assumed a Poisson distribution (for family) 28 and year of sampling, altitude and geographical province as random effects (investigators could 29 not be included due to the paucity of assignments). The model analysis was run with one, two 30 or three random effects, to obtain the estimate of the mean λ of the Poisson distribution. We 31 show in Figure S1a and S1b the cumulative density functions for Poisson distributions with the 32 mean estimated based on the models with three random effects which had the highest log-33 likelihood.

34 Second, we tested if our census sizes are distributed following a power law distribution as used 35 in plant ecology studies (1, 2). The power law function is characterized by larger frequencies of

1 very high population sizes compared to the exponential distributions. Two methods were used 2 to estimate the coefficient α of the power law function: the function *power.law.fit* in the R 3 package *igraph*, and the likelihood estimate described in ref. 3. These methods yielded 4 respectively different estimates of the power law coefficients: 1.245 or 2.564 for *S. peruvianum* 5 and 1.18 or 2.124 for *S. chilense* assuming the x_{min} parameter to be one. In Figure S1A and S1B 6 we show the best power law CDF for each species.

7 Note that neither the power law function nor the Poisson distribution is a better fit than the 8 exponential distribution. Compared to other plant ecological studies, these two wild tomato 9 species show an excess of populations with small to medium sizes (up to 100 plants), a lack of 10 populations with sizes between 100 and 500, and no populations with larger size than 500. This

11 made the power law function unsuitable for regression on our observed census sizes.

12

13 **Figure S1:** Exponential regression for the CDF of deme census sizes for (A) *S. peruvianum* and 14 (B) *S. chilense*. The estimates of mean census size per deme are respectively of (A) 44 and (B) 15 33. The coefficient of regression and the equation of the best fitting regression for the 16 exponential distribution are indicated. The coefficients of the Poisson distributions (red lines) 17 are $\lambda_{\text{peruvianum}} = 3.376$ and $\lambda_{\text{chilense}} = 3.49$, and for the power law distributions (blue lines) 18 $\alpha_{\text{peruvianum}} = 1.245$ and $\alpha_{\text{chilense}} = 1.18$.

19

23 For simplicity, we fix thereafter for each coalescent simulation, the census size per deme to be 24 equal for all demes. This value has a prior defined in Table S1.

1 **Ecological data and geographical range of each species**

2 The range area of *S. peruvianum* was estimated to $80,961 \text{ km}^2$, and the percentage of niche

3 filling as 22.4% (4). S. *chilense* shows a smaller range of $62,401 \text{ km}^2$, and the percentage of

4 niche filling was 31.5% (4). Assuming that the total number of observed accessions for *S.*

5 *peruvianum* and *S. chilense*, 118 and 135, respectively, fill only 22.4 and 31.5% of their

- 6 potential niche, we estimated the number of physical demes to be around 526 for *S. peruvianum*
- 7 and 428 for *S. chilense* (Table S1).
- 8

9 **Table S1:** Summary of the key ecological data for the two wild tomato species from the TGRC

- 10 (Tomato Genetics Ressource Center, UC Davis, USA) collection (in bold the values used in
- 11 prior definitions below).

12 values from Nakazato *et al.* 2010 (4).

13

14 Methods of reconstructing the ecological range of a species are biased. For example, Nakazato 15 *et al.* assume that only one population is present in a radius of 20km around a sampled 16 accession from TGRC, but also predict that the ecological range of *S. peruvianum* and *S.* 17 *chilense* should extend east of the Andes, where these species are never found (4). It is thus 18 hard to predict the direction of the bias (over- or under-estimation). Our choice of the number of 19 demes per species means that the sampling of the TGRC reflects the distribution of between 1/4 20 and 1/5 of all *S. peruvianum* populations, and between 1/3 and 1/4 of the total number of *S.* 21 *chilense* populations.

1 *Section 2: Sampling and DNA sequencing*

2 **Plant material and sequences for the population sample**

3 The population sample is composed of the sequences previously obtained (5, 6; Table S2). Note 4 that we do not use the Arequipa (*S. peruvianum*) and the Antofogasta (*S. chilense*) populations 5 studied in refs 5, 6, because it was shown, on the basis of the frequency spectrum of alleles, that 6 these populations experienced some demographic events, most likely bottlenecks or admixture 7 (5, 6).

8

10

11 Where applicable, the TGRC accession numbers are indicated. *S. chilense* and *S. peruvianum*

12 populations have been described in ref. 5.

13

14 **Plant material and sequences for the species-wide sample**

15 We selected one plant per 14 accessions of *S. peruvianum* and 10 accessions of *S. chilense* from 16 the TGRC, chosen to be distributed uniformly over the range of both species (Table S3). One 17 allele for each of the seven loci was sequenced per plant of the species-wide sample.

18 Genomic DNA was extracted from tomato leaves using the DNeasy Plant Mini Kit (Qiagen 19 GmbH, Hilden, Germany). PCR amplification was performed with High Fidelity Phusion 20 Polymerase (Finnzymes, Espoo, Finland), and all PCR products were examined with 1% 21 agarose gel electrophoresis. Generally, direct sequencing was performed on PCR products to 22 identify homozygotes and obtain their corresponding sequences. For heterozygotes, a dual 23 approach of both cloning before sequencing and direct sequencing was used to obtain the 24 sequences of both alleles. The first allele present in at least three clones was chosen. 25 Sequencing reactions were run on an ABI 3730 DNA analyser (Applied Biosystems and 26 HITACHI, Foster City, USA).

1 One allele was sequenced for each individual, and a total of 14 (*S. peruvianum*) and 10 (*S.*

2 *chilense*) sequences were obtained for each locus. Contigs of each locus were first built and

3 edited using the Sequencher program (Gene Codes, Ann Arbor, USA) and adjusted manually in

- 4 MacClade 4 (version 4.0 for OS X). These new sequences are deposited in GenBank (accession
- 5 numbers JF736670-JF736839).
- 6

7 **Table S3:** List of the species-wide samples with the TGRC accession numbers from the two

8 *Solanum* species.

- 1 **Genes sequenced**
- 2 **Table S4:** Chromosome location, putative function, and sizes of coding and non-coding regions
- 3 of the seven studied loci in *S. peruvianum* and *S.chilense*.

4

5 The number of sites in each category was estimated with the method of Yang and Nielsen (7)

6 and is based on the alignment of sequences for the pooled sequences in *S. peruvianum*.

7

8 Note that we have used 7 out of the 8 loci studied in Arunyawat *et al*. (2007) removing the

9 locus CT208 because it shows "in *S. chilense* an intriguing geographic pattern of nucleotide

10 diversity, in that levels of nucleotide variation gradually diminish from north to south, with

11 essentially no variation in the southernmost sample" (5). Further analysis, confirmed that the 7

12 loci used here do not show any deviation from the expected evolution under purifying selection

13 (8).

14

- 1 **Population genetics analysis of the sequence data**
- 2 We present here a summary of statistics from the new sequence data of the species-wide sample
- 3 obtained by analysis with DnaSP v5.1 (9) and libsequence C++ library (10).
- 4
- 5 **Table S5a:** Summary statistics at 7 loci for the species-wide sample of *S. peruvianum* (for 14
- 6 sequences).

^a arithmetic average across loci. 7 ^a arithmetic average across loci. \mathbf{b}_{θ_w} is given per locus and per site (in brackets).

8

9

- 10 **Table S5b:** Summary statistics at 7 loci for the species-wide sample of *S. chilense* (for 10
- 11 sequences).

^a arithmetic average across loci. 12 ^a arithmetic average across loci. \mathfrak{b}_{w} is given per locus and per site (in brackets).

- 1
- 2 A summary of the single populations is given in Table S6a and S6b (for 10 to 12 sequences per
- 3 population), see refs 5, 6.
- 4
- 5 **Table S6a:** Summary statistics at 7 loci for the population samples of *S. peruvianum*.

^a arithmetic average across loci. $\overline{6}$ arithmetic average across loci. $\overline{b} \theta_w$ is given per locus and per site (in brackets).

7

8 **Table S6b:** Summary statistics at 7 loci for the population samples of *S. chilense*.

Locus	Population mutation rate for population Moquegua ^b	Population mutation rate for population Tacna ^b	Population mutation rate for population Quicacha ^b	Tajima's D at all sites for population Moquegua	Tajima's D at all sites for population Tacna	Tajima's D at all sites for population Quicacha	Fixation index among populations F_{ST}
	θ_{W_MOQ}	$\theta_{W TAC}$	θ_{W} out	D_{MOQ}	D_{TAC}	D_{OUI}	
average across loci ^a	13.23 (0.0101)	11.88 (0.009)	12.35 (0.0095)	-0.04	0.06	0.13	0.17

^a arithmetic average across loci. $9^{\frac{a}{\text{arithmetic average across loci}}}$ b θ_w is given per locus and per site (in brackets).

- 1 A summary of the pooled populations is given in Table S7a and S7b (for 30 to 36 sequences per
- 2 species) see refs 5, 6.
- 3
- 4 **Table S7a:** Summary statistics at 7 loci for the pooled sample of *S. peruvianum*.

	Number of	Population	Tajima's D	Tajima's D	Tajima's D at
Locus	segregating sites	mutation rate ^b	at all sites	at silent sites	synonymous sites
	S_{pooled}	$\Theta_{\text{w_pooled}}$	D_{pooled}	$D_{\text{silent_pooled}}$	D_{syn_pooled}
average across loci ^a	90.57	22.37 (0.0171)	-1.09	-1.01	-0.91
^a arithmetic average across loci.		$^{\circ} \theta_{w}$ is given per locus and per site (in brackets).			

⁶

7 **Table S7b:** Summary statistics at 7 loci for the pooled sample of *S. chilense*.

Locus	Number of segregating sites S_{pooled}	Population mutation rate ^b $\Theta_{\text{w_pooled}}$	Tajima's D at all sites D_{pooled}	Tajima's D at silent sites $D_{\text{silent_pooled}}$	Tajima's D at synonymous sites D_{syn_pooled}
average across loci ^a	70	17.13 (0.0131)	-0.55	-0.34	-0.04
	^a arithmetic average across loci.	$^{\circ} \theta_{w}$ is given per locus and per site (in brackets).			

⁹

10 **Figure S2:** Mean Tajima's *D* values across seven loci for all sites, silent and synonymous sites

11 for both species: *S. peruvianum* in black, and *S. chilense* in grey.

12 The rectangles indicate the value of Tajima's *D* for the species-wide sample (SW), and the

13 diamond for the pooled sample (pooling of the three populations per species).

- 1 **Figure S3:** Tajima's *D* values for each of the seven loci for all sites, silent and synonymous
- 2 sites for both species: A) for *S. peruvianum*, and B) *S. chilense*.
- 3 The rectangles indicate the value of Tajima's *D* for the species-wide sample (SW), and the
- 4 diamond for the pooled sample (pooling of the three populations per species).
- 5

- 8
- 9 10 Tajima's *D* for each locus indicates that the scattered and pooled samples do not differ
-
- 11 significantly in their frequency spectra.

2

3 **Population genetics modeling**

4 We summarize here the theory on coalescence with seed bank. We model a neutral seed bank 5 with haploid Wright-Fisher type dynamics for a single population with constant size (11). The 6 population of plants is composed at each generation of *N* individuals, with a proportion b_i , $i = 1$, 7 …, *m*, coming from seeds produced *i* generations ago. In other words, seeds are allowed to 8 remain in the seed bank for up to *m* generations. At a given generation, each individual is drawn 9 from a pool of seeds build up during the previous *m* generations. Each individual is obtained 10 with the probability b_1 from the seeds produced at the previous generation, b_2 from the seeds 11 produced two generations ago, …, and *b*m from the seeds produced *m* generations ago. The rate 12 of coalescence in a population with a seed bank is (11):

$$
\beta_1^2 \begin{pmatrix} r \\ 2 \end{pmatrix} \qquad [1]
$$

14 with *r* being the number of ancestral lineages at any point in time, and β_1 the seed bank 15 rescaling coalescent rate.

16
$$
\beta_1 = 1 / \sum_{i=1}^{m} ib_i
$$
 [2]

where $\sum_{i=1}^{n}ib_i$ 17 where $\sum_{i=1}^{m} i b_i$ is the expected value of the seed bank age distribution. Similarly, the mutation rate

18 γ along an ancestral line in the coalescent is (11):

19
$$
\gamma = \frac{\beta_1}{2} (b_1 \theta_1 + b_2 \theta_2 + ... + b_m \theta_m).
$$
 [3]

20 Where θ_i is the population mutation rate for individuals produced by age *j* seeds (*j*=1, …, *m*) 21 $b_1 = b(11)$.

22 We make further biological assumptions to implement in our simulation program the modified 23 rates of coalescence, mutation, migration and recombination under seed bank (the parameters of 24 our coalescent model are in Table S8).

25 **1)** Seed germination is a memoryless process modeled as a geometric process in time. We

- 26 suppose that the germination rate of a given seed is *b*. Each individual is obtained thus with the
- probability $b_i = b(1-b)^{i-1}$ from the seeds produced at generation *i*.
- 28 For clarity, this means that each individual is obtained with the probability:
- 29 $b_1 = b$ from the seeds produced at the previous generation,
- 30 $b_2 = b(1-b)$ from the seeds produced two generations ago, …,

and $b_m = b(1-b)^{m-1}$ from the seeds produced *m* generations ago.

2 Assuming a geometric germination rate, β_1 from eq. 2 can thus be explicitly written as:

3
$$
\beta_1 = 1/\sum_{i=1}^{m} ib(1-b)^{i-1}
$$
. [4]

Eq. 4 can be approximated as β_1 ; $\frac{b(1-(1-b)^{m+1})}{1-(1+b)^m(1-b)}$ 1− Eq. 4 can be approximated as β_1 ; $\frac{\beta(1-(1+b))}{1-(1+bm)(1-b)^m}$ if *m* is sufficiently large.

The rate of coalescence implemented in our program is thus $\beta_1^2 \begin{bmatrix} r \ 2 \end{bmatrix}$ 2 ſ l \backslash 5 The rate of coalescence implemented in our program is thus $\beta_1^2\begin{pmatrix} 1 \\ 2 \end{pmatrix}$ using β_1 from eq. 4.

6

7 **2)** We enforce the condition that the sum of the germination probabilities over *m* generations 8 should be equal to 1 (11). This condition is incorporated in our program. Furthermore, the 9 mutation rate under a seed bank model assumes that the mutation rate does not depend on the 10 age of seeds. The population mutation rate with seed bank as implemented in our program is 11 thus (explicitly from eq. 3):

12
$$
\gamma = \frac{\beta_1}{2} \theta(b+b(1-b)+...+b(1-b)^{m-1}) = \frac{\beta_1}{2} \theta
$$
 [5]

13 where θ is the population mutation rate without seed bank (based on the census size *N*).

14 It has been suggested that aging of seeds can lead to an increase of the mutation rate, with most 15 of the new mutations being deleterious (12, 13). However, a recent meta-analysis did not reveal 16 high levels of genetic diversity accumulating in the soil seed bank (14). Reviewing different 17 plant species, no evidence was found for genetic differences between the standing crop and the 18 seed bank (14). In species where such differences were found, they were likely to be the result 19 of local selection acting as a filter on the alleles present in the seed bank (14). As we are 20 interested only in analyzing neutral evolutionary processes, we chose to keep the mutation rate 21 constant among all seed ages assuming that no selection is acting in the seed bank, but see (12, 22 13). The assumptions behind equations 4 and 5 are similar to those of Nunney (15) and Vitalis 23 *et al.* (16) describing the expected heterozygosity in a population with seed bank.

24 **3)** We multiply the recombination rate per nucleotide *r* also by β_1 (eq. 4). This is because 25 recombination only occurs in a lineage when a plant is above ground and produces seeds.

26 **4)** We also rescale the migration rate (κ) between demes in a metapopulation due to the seed 27 bank. We assume here that only pollen migrates between demes, and that this occurs only when 28 plants are above ground. The migration rate (κ) is thus also multiplied by β_1 .

29 **5)** A key assumption in this model is to assume that every generation the number of individuals 30 (*N* from ref. (11)) is equal to *N*cs in each deme. In other words, each generation above ground

1 and each generation in the seed bank has the same census size equal to $N_{\rm cs}$. The census size

2 used in our model is calculated above from ecological data. This approximation holds as long as

3 the variation between years in census sizes is moderate (15).

- 4
- 5 Moreover, when there was no seed bank, *i.e.* when all seeds germinated the year after being
- 6 produced $(b = 1)$, we verified that equation 1 and simulations are equivalent to the classic
- 7 Wright-Fisher model with non-overlapping generations (as implemented in *ms* (17)).
- 8

9 **Table S8:** List of parameters and compound parameters in the model with metapopulation,

10 demography and seed bank.

2

1 *Section 4: Description of the ABC procedure*

3 **Approximate Bayesian Computation**

4 Simulations were conducted on a 64-bit Linux cluster with 510 nodes. Source code is available 5 upon request.

6

7 **Parameter estimation**

8 The RMSE indicates the percentage of variation unexplained by the PLS components and is 9 constructed by comparing the simulated parameter values with the ones predicted using a given 10 number of PLS components (19). We chose the number of components for the parameter 11 estimation procedure such that additional components do not decrease the RMSE of any 12 parameter of the model. The retained PLS components are used to transform the observed and 13 the simulated datasets. The rejection step consists in computing δ between simulated and 14 observed sets of summary statistics and to retain the 2,500 simulations closest to the observed 15 data. Finally, we estimate posterior distributions of the parameters by applying the locally 16 weighted multivariate regression method (20) implemented in the ABCest program (21). We 17 estimate the marginal posterior probability distribution of each demographic parameter using 18 the kernel density estimation method implemented in the R core package and report the mode 19 and the 95% credibility intervals of these distributions. To avoid the posterior distributions to 20 exceed the upper and lower bound of our prior distributions we transform the data as $z =$ 21 log[tan($1/x$)], where *x* is the original dataset and *z* is the transformed data (22).

22

23 **Stepping-stone model**

24 Our stepping-stone model features 526 and 428 demes for *S. peruvianum* and *S. chilense*, 25 respectively. It is a linear one-dimensional array with absorbing edges. Migration occurs 26 symmetrically at rate κ between two adjacent demes. The sampled demes (populations and 27 species wide) are equally distributed over the whole range, *i.e*. every 30 to 40 demes. Each 28 metapopulation edge consists of 5 demes which are not sampled to avoid boundaries effect (*ms* 29 command available upon request).

1 *Section 5: Demography and models without seed bank (ABC analysis Part 1)*

 $\begin{array}{c} 2 \\ 3 \\ 4 \end{array}$

3 **Table S9a:** Summary of prior boundaries of the ABC chosen for each tested model in *S.* 4 *peruvianum*

5

Model	Parameters	Min	Max	
	μ	5×10^{-9}	10^{-8}	
All models	$N_{\rm cs}$	44	185	
	log(<i>k</i>)	-4	-2	
Seed bank + constant	b	0.01	0.5	
population size	t_{fusion}	Ω	200	
	b	0.01	0.5	
Seed bank + expansion	$t_{\rm exp}$	0	200	
	$S_{\text{current}}/S_{\text{anc}}$		100	
	h	0.01	0.5	
Seed bank + crash	$t_{\rm crash}$	Ω	200	
	$S_{\text{current}}/S_{\text{anc}}$	0.1		
No seed bank +	$t_{\rm exp}$	Ω	200	
expansion	$S_{\text{current}}/S_{\text{anc}}$	100		
No seed bank $+$ crash	$t_{\rm crash}$	Ω	200	
	$S_{\text{current}}/S_{\text{anc}}$	0.04		
No seed bank +	$t_{\rm exp}$	θ	200	
$expansion + stepping -$ stone model	$S_{\text{current}}/S_{\text{anc}}$		100	

⁶

7 **Table S9b:** Summary of prior boundaries of the ABC chosen for each tested model in *S.* 8 *chilense*

1 *Section 6: Parameter estimates (ABC analysis Part 2)*

- 2 **Figure S4:** Posterior distributions of the parameters of an island model with 526 demes under
- 3 demographic expansion for *S. peruvianum*.
- 4 The top left panel represents the distribution of Euclidean distances (δ) with the dotted line
- 5 indicating the proportion of retained simulations (2,500 of 2,000,000). The other panels
- 6 represent respectively the posterior distributions for census size per deme (*N*cs), mutation rate
- 7 (*µ*), germination rate (*b*), migration rate (log(κ)), time of expansion (t_{exp}) in units of $4N_e$ of a
- 8 given deme, and the expansion factor (*S*anc / *S*current). The prior uniform distribution is indicated
- 9 as a dashed line, the green line is the posterior distribution based on the rejection algorithm, and
- 10 the blue line is the posterior distribution after the regression adjustment.

Distances

Census size

Mutation rate

11

(*S*current 13 */ S*anc) is estimated to be 8.99 fold in *S. peruvianum*.

- 1 **Figure S5:** Posterior distributions of the parameters of an island model with 428 demes under
- 2 population expansion for *S. chilense*.
- 3 The top left panel represents the distribution of Euclidean distances (δ) with the dotted line
- 4 indicating the proportion of retained simulations (2,500 of 2,000,000). The other panels
- 5 represent the posterior distributions for census size per deme $(N_{\rm cs})$, mutation rate (μ) ,
- 6 germination rate (*b*), migration rate (log(κ)), time of expansion (t_{exp}) in units of $4N_e$ of a given
- 7 deme, and the expansion factor (S_{anc} / $S_{current}$). The prior uniform distribution is indicated as a
- 8 dashed line, the green line is the posterior distribution based on the rejection algorithm, and the
- 9 blue line is the posterior distribution after the regression adjustment.

 2.0

 1.5

 1.0

 0.5

 0.0

 -40

 -3.5

density

Germination rate

 -3.0

 $log(\kappa)$

Expansion time

 $1e-08$

200

10

11 For clarity of graphical representation, $S_{\text{anc}}/S_{\text{current}}$ is represented in Figures S5. The expansion

12 *(S_{current} / S_{anc})* is estimated to be 1.7 fold in *S. chilense.*

- 1 **Table S10:** Summary of the prior and posterior distributions of each parameter.
- 2 The prior distributions are uniform between the lower and upper bound. The posterior
- 3 distributions are summarized as the mode and the boundaries of the 95% credibility interval (CI
- 4 $0.025 CI\,0.975$).
- 5

6

7 The time is given in generations, in units of 4*Ne* of a given deme (including the seed bank, as 8 implemented in our version of Hudson's *ms*). For simplicity, assuming $b = 0.2$, we calculate for 9 example that $t_{exp} = 200$ equals to a demographic event occurring 3.4×10^6 generations ago. The 10 time of the expansion we infer here are much older than the rough previous estimate of 11 divergence time between these species of 550,000 generations ago (23). These species are short 12 lived perennials, and the generation time has been estimated between one and seven years, most 13 likely around 3 to 5 years. 14 15 *Statistical analysis with varying number of demes.* We show in Figure 3 the joint posterior

16 distributions for germination rates and number of demes. Figure 3 and the estimates of the

17 modes of *b* were performed using the R package *loc2plot* (20) available from M.A. Beaumont

18 webpage (http://www.rubic.rdg.ac.uk/~mab/). The Hotelling T-square test implemented in the R

19 package *rrcov* (24) was used to compare the two bivariate distributions.

1 *Section 7: Principal Component Analysis on S. peruvianum simulated datasets*

2 We conducted a Principal Component Analysis with the software R (function *prcomp*) based on

3 1,000 random simulated datasets of *S. peruvianum* best demographic model (Figure S4). The

4 PCA analysis is based on simulated values before transformation with the PLS (19).

5

6 **Figure S6:** PCA on 2,000 simulations for *S. peruvianum*. PCA axes 1 and 2 are shown in A)

7 and PCA axes 3 and 4 in B). The percentage of the total variance explained is indicated for each

8 of the four main PCA axes. For clarity, the simulated datasets are not indicated, and we show in

9 blue the representation of the summary statistics and in red the parameters of the model.

12

13 The PCA components are based on the parameters of the model because these have uniform 14 distributions, and thus explain the major part of the variance. The main parameters of the model 15 correlated with most summary statistics are thus found in Figure S6A, *i.e*. *b* and migration rate 16 (*κ*). The two parameters explaining a smaller amount of the model variance such as the ratio of 17 expansion (*S*_{current} / *S*_{anc}) and the time of expansion (t_{exp}), barely visible on Figure S6A, explain

18 mainly axes 3 and 4 of the PCA, respectively.

19 The major parameter of the model, *b*, is inversely correlated to the amount of genetic diversity

- 20 per population ($\theta_{W\text{non}}$) and at the species wide level ($\theta_{W\text{sw}}$) as evident from equations [4,5]
- 21 above, but does not influence the level of fixation (F_{ST}) ; contrary to expectations from ref. (16)).
- 22 The migration rate κ is correlated to F_{ST} , but also to $ΔD$ the difference between Tajima's D_{sw}
- 23 and *D*_{pooled}. This new summary statistic developed here is thus correlated in a metapopulation to
- 24 the level of spatial structuring (25). The ratio of the species past expansion is indicated by D_{sw} .
- 25 However, none of our statistics correlate with the time of expansion, explaining the low power
- 26 of inference on this parameter (see large CI in Figure S4 and Table S10).

1 *Section 8: Influence of deme size distribution on genetic diversity in a metapopulation*

2 We tested here the influence of the distribution of deme sizes in a metapopulation on the overall

3 genetic diversity observed in a species-wide sample. We simulated, using Hudson's *ms*, an

4 island-model with 100 demes linked by equal effective number of migrants $K(K = 4N_1\kappa)$ where

- 5 *N₁* is the effective size of the first deme which is fixed (see below). The species-wide sample is
- 6 composed of 20 demes sampled over the whole range of the metapopulation (*i.e*. every five
- 7 demes), and sequences are obtained for 100 independent loci assuming no intra-locus
- 8 recombination.

9 Two models are compared. Model 1 has all demes with similar effective population size equal

10 to N_I (as assumed in our other models above). In model 2, each deme size varies and its value is 11 randomly picked from an exponential distribution with mean *N1*.

12 Model 2 is simulated by setting deme 1 with θ_l for effective population mutation rate (θ_l)

13 = $4N_1\mu$) and drawing a set of deme sizes from an exponential distribution (with mean value N_1)

14 using the R software. The genetic diversity is computed as the average π , *i.e.* mean pairwise

15 differences between sequences, across the 100 loci in the species-wide sample using the

- 16 *sample_stats* program provided with *ms*.
- 17 We fixed $\theta_l = 0.5$, *i.e.* $N_l = 25,000$ with a mutation rate of $\mu = 5 \times 10^{-9}$ per site per generation for

18 1,000bp loci, which would translate for example into demes having a census size of 250 with a

19 germination rate $b = 0.1$. We performed 500 simulations for each type of model drawing

20 independent exponential distributions for each simulation. We vary the number of migrants

21 between demes between $K = 0.1$ ($K = 10^{-6}$) and $K = 100$ ($K = 10^{-3}$). We checked that the total

22 census size of the metapopulations are not significantly different between model 1 and 2 over

23 the 500 simulations (Student t-test, $P > 0.5$).

24

25 In Figure S7, the genetic diversity represented by π is always higher in the island model 1 with 26 all demes being of equal size, compared to the model 2 with demes sizes being exponentially 27 distributed. This difference is higher at higher migration rates, for which the diversity is overall 28 smaller in the metapopulation (comparing panels A to E). This demonstrates that when 29 migration is weak, a large genetic diversity is generated by the metapopulation structure, 30 independently of the deme sizes. When the deme size is exponentially distributed, the variance 31 of genetic drift is higher due to the presence of very small demes, which then reduces the 32 species-wide genetic diversity in the metapopulation compared to the situation with demes of 33 equal size.

Figure S7: Density distributions of π values (mean pairwise differences between sequences)

2 over 500 simulations for model 1 with all demes with equal sizes (black solid line) and for

3 model 2 with deme size exponentially distributed (black dotted line). The mode of each

4 distribution is indicated. The effective number of migrants between demes per generation

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