#### Supplementary Information

Blood Clot Formation Under Flow: The Importance of Factor XI Depends Strongly on Platelet Count

Aaron L. Fogelson, Yasmeen H. Hussain, Karin Leiderman

We present here the equations of the model used to generate the results of the paper as well as a listing of parameters and their values.

#### Notation and Example Terms:

The coagulation reactions we consider are listed in Tables 1-8.  $Z_i$  and  $E_i$  refer to zymogen *i* and enzyme *i* in solution. A superscript 'm' indicates a membrane-bound versions of these proteins (e.g.,  $E_7^m$  refers to the TF:VIIa complex and  $E_5^m$  refers to Factor Va bound to the platelet surface). Concentrations are denoted in a similar way but with lower-case *z* and *e*. A complex of  $Z_i$  and  $E_j$  is denoted  $Z_i : E_j$  and its concentration is denoted  $[Z_i : E_j]$ . Special symbols are used for the platelet-bound 'tenase' VIIIa:IXa and 'prothrombinase' Va:Xa complexes, TEN = VIIIa:IXa and PRO = Va:Xa, and [TEN] and [PRO] denote their respective concentrations. The special symbol TFPIa is used for the fluid-phase complex TFPI:Xa, and [TFPIa] denotes its concentration. The inhibitors are denoted APC and TFPI and their concentrations are denoted [APC] and [TFPI].

The concentrations of unactivated, subendotelial bound, and activated but not subendothelial bound platelets are denoted PL,  $PL_s^a$ , and  $PL_a^v$ , respectively. Platelet binding sites for coagulation proteins are denoted  $P_i$  or  $P_i^*$ . The former refers to binding sites for the zymogen *i* or for zymogen and enzyme *i*. The latter refers to binding sites only for enzyme *i*. The number of  $P_i$  or  $P_i^*$  binding sites is denoted  $N_i$  or  $N_i^*$ . The concentration  $p_i$  or  $p_i^*$ of each of these binding sites is needed in the model equations. It is obtained by multiplying the corresponding  $N_i$  or  $N_i^*$ , respectively, by the concentration of activated platelets  $PL_s^a + PL_v^a$ .

Most of the terms in the equations which follow reflect straightforward mass-action kinetic descriptions of

i) binding and unbinding from surface binding sites, e.g.,

$$k_7^{\text{on}} e_7 [TF]^{\text{avail}} - k_7^{\text{off}} e_7^m;$$

ii) association and dissocation of chemical species in the fluid or on a surface, e.g.,

$$k_{e_{5}^{m}:e_{10}^{m}}^{+}e_{5}^{m}e_{10}^{m}-k_{e_{5}^{m}:e_{10}^{m}}^{-}[PRO]$$

iii) enzyme-substrate complex formation and dissociation and activation of the substrate, e.g.,

$$k_{z_{10}:e_7}^+ z_{10}e_7^m - (k_{z_{10}:e_7}^{\text{cat}} + k_{z_{10}:e_7}^-)[Z_{10}:E_7^m].$$

In the first of these,  $[TF]^{\text{avail}}$  is the concentration of TF molecules that are not already bound to fVII or fVIIa and are therefore available for binding by these factors.

Other terms describe transport of chemicals or platelets into or out of the reaction zone, e.g.,

 $k_{\rm flow}(z_7^{\rm up}-z_7)$ 

or between the reaction zone and the adjacent endothelial zone, e.g.,

 $k_{\text{diff}}(e_2 - e_2^{ec}).$ 

The transport coefficients are given by the formulas

$$k_{\rm flow} = 3/4 \left(\frac{\gamma^2 D}{4L^2}\right)^{1/3} \qquad \text{and} \qquad k_{\rm diff} = \frac{2D}{W_{\rm ec} \left(\frac{W}{2} + W_{\rm ec}\right)}, \qquad \text{where} \qquad W_{\rm ec} = \sqrt{4/3} \left(\frac{2\rm LD}{\gamma}\right)^{1/3},$$

is the effective width of the endothelial zone. In these formulas,  $\gamma$  is the shear rate of the flow, D is the diffusion coefficient, and L and W are the length and width of the injury, respectively. These expressions are derived in (Fogelson and Tania, 2005; Kuharsky and Fogelson, 2001). A number of equations include terms of the form

$$-e_7^m \frac{d}{dt} \left[PL_a^s\right] \frac{1}{p_{PLAS}^{\text{avail}}}$$

which describe the reduction in activity of a subendothelial species due to progressive coverage of the subendothelium by adherent platelets. Further discussion of these terms, model assumptions, and parameter estimation can be found in (Fogelson and Tania, 2005; Kuharsky and Fogelson, 2001).

### Prothrombin and Thrombin Binding to Platelets:

In the earlier version of our model (Fogelson and Tania, 2005; Kuharsky and Fogelson, 2001), we assumed that prothrombin and thrombin competed for binding sites on an activated platelet. Since these papers were published, it has become increasingly clear that this is an inaccurate description of the biology (Kamath and Krishnaswamy, 200). In our new model, we assume that there are separate binding sites on the platelet for prothrombin and thrombin. Now, when a prothrombin molecule bound to a platelet is activated by prothrombinase, the resulting thrombin molecule immediately is released into the plasma, where it is subject to inhibition by ATIII and to being carried away by the flow. We assume it can also rebind to a thrombin-specific site on an activated platelet. It is well-documented that thrombin activates fV, fVIII, and fXI on the platelet surface, but the platelet site(s) at which thrombin is bound while doing so has not been identified (Lundblad and II, 2005) and so no kinetic data is available for these putative sites. (Thrombin is known to bind to GPIb $\alpha$  (Baglia et al., 2004; Celikel et al., 2003) and this might put it in a good position to activate fXI since fXI also binds to  $GPIb\alpha$  (Emsley et al., 2010; White-Adams et al., 2009). Thrombin also binds to platelet PAR1 and PAR4 receptors Coughlin (2005)) The number of binding sites per platelet and the rates at which thrombin binds to and unbinds from these sites are parameters required by the model. In the face of these facts, we proceeded by adjusting the value of these parameters to achieve results which matched those of the earlier model over a range of levels of TF exposure and shear rates. Our rationale is that, since the earlier model made predictions that have been validated experimentally, that model is a reasonable standard against which to assess the quality of the new model with separate prothrombin and thrombin binding sites. In this way, we found that rather than using 2000 binding sites shared by prothrombin and thrombin as before, we should use 1000 binding sites specific to prothrombin, 1000 additional sites specific to thrombin, and a dissociation constant for thrombin of 20 nM. These are all physiologically plausible values.

We note that thrombin may be inhibited by other chemicals in addition to ATIII, including protese nexin I and heparin cofactor II Boulaftali et al. (2011); Rau et al. (2011). These are not included in the model. We emphasize that in model simulations at shear rates of  $50s^{-1}$  or more, flow-mediated removal of thrombin is,far and away, the dominant inhibitor of thrombin activity in the reaction zone.

## Equations of the Model:

Terms in blue are new terms added to the models in (Fogelson and Tania, 2005; Kuharsky and Fogelson, 2001) to incorporate the fXI reactions. Terms in red are changes to the earlier models to reflect our current assumption that prothrombin and thrombin have distinct binding sites on activated platelets.

$$\begin{split} [TF]^{\text{avail}} &= [TF] - z_{7}^{m} - e_{7}^{m} - [Z_{7}^{m}: E_{10}] - [Z_{7}^{m}: E_{2}] - [Z_{10}: E_{7}^{m}] \\ - [Z_{9}: E_{7}^{m}] - [TPFI: E_{10}: E_{7}^{m}] - [Z_{7}^{m}: E_{9}] \end{split}$$

$$p_{PLAS}^{\text{avail}} &= p_{PLAS} - [PL_{a}^{s}] \\ p_{5}^{\text{avail}} &= p_{5} - z_{5}^{m} - e_{5}^{m} - [Z_{5}^{m}: E_{10}^{m}] - [Z_{5}^{m}: E_{2}^{m}] \\ - [APC: E_{5}^{m}] - [PRO] - [Z_{2}^{m}: PRO] \\ p_{8}^{\text{avail}} &= p_{8} - z_{8}^{m} - e_{8}^{m} - [TEN] - [Z_{8}^{m}: E_{10}^{m}] - [Z_{8}^{m}: E_{2}^{m}] \\ - [Z_{10}^{m}: TEN] - [APC: E_{8}^{m}] - [TEN^{*}] - [Z_{10}^{m}: TEN^{*}] \\ p_{9}^{\text{avail}} &= p_{9} - z_{9}^{m} - e_{9}^{m} - [TEN] - [Z_{10}^{m}: TEN] \\ - [Z_{9}^{m}: E_{11}^{h,m}] - [Z_{9}^{m}: E_{11}^{m}] \\ p_{9}^{\text{avail}} &= p_{9}^{*} - e_{9}^{m*} - [TEN^{*}] - [Z_{10}^{m}: TEN] \\ - [Z_{9}^{m}: E_{11}^{h,m}] - [Z_{9}^{m}: E_{11}^{m}] \\ p_{9}^{\text{avail}} &= p_{9}^{*} - e_{9}^{m*} - [TEN^{*}] - [Z_{10}^{m}: TEN] \\ - [Z_{9}^{m}: E_{11}^{h,m}] - [Z_{9}^{m}: E_{11}^{m}] \\ p_{10}^{\text{avail}} &= p_{10}^{*} - z_{10}^{m} - e_{10}^{m} - [Z_{10}^{m}: TEN^{*}] \\ p_{10}^{\text{avail}} &= p_{2}^{*} - e_{2}^{m} - [TEN^{*}] - [Z_{10}^{m}: TEN] - [Z_{10}^{m}: TEN^{*}] \\ p_{2}^{\text{avail}} &= p_{2} - z_{2}^{m} - [Z_{2}^{m}: PRO] \\ p_{2}^{\text{avail}} &= p_{2} - z_{2}^{m} - [Z_{2}^{m}: PRO] \\ p_{2}^{\text{avail}} &= p_{2} - e_{2}^{m} - [Z_{5}^{m}: E_{2}^{m}] - [Z_{10}^{m}: TEN^{*}] - [E_{11}^{h,m*}: E_{2}^{m}] \\ p_{11}^{\text{avail}} &= p_{11} - z_{11}^{m} - e_{11}^{h,m} - [Z_{9}^{m}: E_{11}^{m}] - [Z_{11}^{m}: E_{2}^{m}] \\ p_{11}^{\text{avail}} &= p_{11}^{*} - e_{11}^{h,m*} - e_{11}^{m*} - [Z_{9}^{m}: E_{11}^{m}] - [E_{11}^{h,m*}: E_{2}^{m}] \\ [TM]^{\text{avail}} &= ([TM] - [TM: E_{2}^{c}] - [TM: E_{2}^{c}: APC]) \\ \end{cases}$$

$$\frac{d}{dt} z_7 = k_{\text{flow}}(z_7^{\text{up}} - z_7) - k_7^{\text{on}} z_7 [TF]^{\text{avail}} + k_7^{\text{off}} z_7^m - k_{z_7:e_2}^+ z_7 e_2$$

$$+ k_{z_7:e_2}^- [Z_7: E_2] - k_{z_7:e_{10}}^+ z_7 e_{10} + k_{z_7:e_{10}}^- [Z_7: E_{10}]$$
(1)

$$\frac{d}{dt} e_7 = k_{\text{flow}}(e_7^{\text{up}} - e_7) - k_7^{\text{on}} e_7 [TF]^{\text{avail}} + k_7^{\text{off}} e_7^m + k_{z_7;e_2}^{\text{cat}} [Z_7 : E_2] + k_{z_7;e_{10}}^{\text{cat}} [Z_7 : E_{10}]$$

$$(2)$$

$$\frac{d}{dt} z_7^m = k_7^{\text{on}} z_7 [TF]^{\text{avail}} - k_7^{\text{off}} z_7^m - k_{z_7^m:e_{10}}^+ z_7^m e_{10} + k_{z_7^m:e_{10}}^- [Z_7^m : E_{10}]$$

$$-k_{z_7^m:e_2}^+ z_7^m e_2 + k_{z_7^m:e_2}^- [Z_7^m : E_2] - z_7^m \frac{d}{dt} [PL_a^s] \frac{1}{p_{PLAS}^{\text{avail}}}$$

$$(3)$$

$$\frac{d}{dt} e_7^m = k_7^{\text{on}} e_7 [TF]^{\text{avail}} - k_7^{\text{off}} e_7^m$$

$$-k_{TPFI:e_{10}:E_7^m}^+ e_7^m [TFPI:E_{10}] + k_{TPFI:e_{10}:E_7^m}^- [TPFI:E_{10}:E_7^m] + k_{z_7^m:e_{10}}^{\text{cat}} [Z_7^m:E_{10}] + k_{z_7^m:e_{2}}^{\text{cat}} [Z_7^m:E_{2}] + (k_{z_{10}:e_7^m}^{\text{cat}} + k_{z_{10}:e_7^m}^-) [Z_{10}:E_7^m] - k_{z_{10}:e_7^m}^+ z_{10}e_7^m + (k_{z_{9}:e_7^m}^{\text{cat}} + k_{z_{9}:e_7^m}^-) [Z_9:E_7^m] - k_{z_{9}:e_7^m}^+ z_9 e_7^m - e_7^m \frac{d}{dt} [PL_a^s] \frac{1}{p_{PLAS}^{\text{avail}}}$$
(4)

$$\frac{a}{dt} e_{10} = k_{\text{flow}}(e_{10}^{\text{up}} - e_{10}) - k_{\text{diff}}(e_{10} - e_{10}^{ec}) - k_{10}^{\text{on}} e_{10} \ p_{10}^{\text{avail}} + k_{10}^{\text{eff}} e_{10}^{m} + k_{z_{10}:e_{7}^{m}}^{\text{cat}}[Z_{10}: E_{7}^{m}] \qquad (6) 
+ (k_{z_{7}:e_{10}}^{\text{cat}} + k_{z_{7}:e_{10}}^{-})[Z_{7}: E_{10}] - k_{z_{7}:e_{10}}^{+} z_{7} e_{10} 
+ (k_{z_{7}^{m}:e_{10}}^{\text{cat}} + k_{z_{7}^{m}:e_{10}}^{-})[Z_{7}^{m}: E_{10}] - k_{z_{7}^{m}:e_{10}}^{+} z_{7}^{m} e_{10} 
- k_{TFPI:e_{10}}^{+} e_{10}[TFPI] + k_{TFPI:e_{10}}^{-}[TFPI: E_{10}] - k_{AT:e_{10}}^{\text{in}} e_{10}$$

$$\frac{d}{dt} z_{10}^m = k_{10}^{\text{on}} z_{10} \ p_{10}^{\text{avail}} - k_{10}^{\text{off}} z_{10}^m - k_{z_{10}^m:ten}^m z_{10}^m [TEN] + k_{z_{10}:ten}^- [Z_{10}^m : TEN] -k_{z_{10}^m:ten}^m z_{10}^m [TEN^*] + k_{z_{10}:ten}^- [Z_{10}^m : TEN^*]$$
(7)

$$\frac{d}{dt} e_{10}^{m} = k_{10}^{\text{on}} e_{10} p_{10}^{\text{avail}} - k_{10}^{\text{off}} e_{10}^{m} + k_{z_{10}^{\text{cat}}:ten}^{\text{cat}} [Z_{10}^{m}: TEN] 
+ (k_{z_{5}^{\text{cat}}:e_{10}^{m}}^{\text{cat}} + k_{z_{5}^{\text{cat}}:e_{10}^{m}}^{-}) [Z_{5}^{m}: E_{10}^{m}] - k_{z_{5}^{\text{cat}}:e_{10}^{m}}^{+} z_{5}^{m} e_{10}^{m} 
+ (k_{z_{8}^{\text{cat}}:e_{10}^{m}}^{\text{cat}} + k_{z_{8}^{\text{cat}}:e_{10}^{m}}^{-}) [Z_{8}^{m}: E_{10}^{m}] - k_{z_{8}^{\text{cat}}:e_{10}^{m}}^{+} z_{8}^{m} e_{10}^{m} 
+ k_{\overline{e_{5}^{m}}:e_{10}^{m}}^{-} [PRO] - k_{\overline{e_{5}^{m}}:e_{10}^{m}}^{+} e_{10}^{\text{cat}} e_{5}^{m} + k_{z_{10}^{\text{cat}}:ten}^{-} [Z_{10}^{m}: TEN^{*}]$$
(8)

$$\frac{d}{dt} z_5 = k_{\text{flow}}(z_5^{\text{up}} - z_5) - k_5^{\text{on}} z_5 \ p_5^{\text{avail}} + k_5^{\text{off}} z_5^m - k_{z_5:e_2}^+ z_5 e_2 + k_{z_5:e_2}^- [Z_5:E_2]$$

$$+ n_5 \left( k_{\text{adh}}^+ \ p_{PLAS}^{\text{avail}} + k_{\text{plt}}^{\text{act}} \left( [PL_a^v] + [PL_a^s] \right) + k_{e2}^{\text{act}} \frac{e_2}{(e_2 + 0.001)} \right) [PL]$$
(9)

$$\frac{d}{dt} e_5 = k_{\text{flow}} (e_5^{\text{up}} - e_5) - k_5^{\text{on}} e_5 \ p_5^{\text{avail}} + k_5^{\text{off}} e_5^m + k_{z_5:e_2}^{\text{cat}} [Z_5: E_2] + k_{e_5:APC}^- [APC: E_5] - k_{e_5:APC}^+ [APC] e_5$$
(10)

$$\frac{d}{dt} z_5^m = k_5^{\text{on}} z_5 \ p_5^{\text{avail}} - k_5^{\text{off}} z_5^m - k_{z_5^m:e_{10}}^+ z_5^m e_{10}^m + k_{z_5^m:e_{10}}^- [Z_5^m:E_{10}^m] - k_{z_5^m:e_2^m}^+ z_5^m e_2^m + k_{z_5^m:e_2^m}^- [Z_5^m:E_2^m]$$
(11)

$$\frac{d}{dt} e_5^m = k_5^{\text{on}} e_5 \ p_5^{\text{avail}} - k_5^{\text{off}} e_5^m + k_{z_5^m:e_{10}}^{\text{cat}} [Z_5^m : E_{10}^m] + k_{z_5^m:e_2^m}^{\text{cat}} [Z_5^m : E_2^m] 
+ k_{e_5^m:APC}^- [APC : E_5^m] - k_{e_5^m:APC}^+ [APC] e_5^m 
- k_{e_5^m:e_{10}^m}^+ e_5^m e_{10}^m + k_{e_5^m:e_{10}^m}^- [PRO]$$
(12)

$$\frac{d}{dt} z_8 = k_{\text{flow}}(z_8^{\text{up}} - z_8) - k_8^{\text{on}} z_8 \ p_8^{\text{avail}} + k_8^{\text{off}} z_8^m - k_{z_8:e_2}^+ z_8 e_2 + k_{z_8:e_2}^- [Z_8:E_2]$$
(13)

$$\frac{d}{dt} e_8 = k_{\text{flow}}(e_8^{\text{up}} - e_8) - k_8^{\text{on}} e_8 \ p_8^{\text{avail}} + k_8^{\text{off}} e_8^m + k_{z_8:e_2}^{\text{cat}}[Z_8:E_2] - 0.005e_8 \qquad (14)$$
$$+ k_{e_8:APC}^-[APC:E_8] - k_{e_8:APC}^+[APC]e_8$$

$$\frac{d}{dt} z_8^m = k_8^{\text{on}} z_8 \ p_8^{\text{avail}} - k_8^{\text{off}} z_8^m - k_{z_8^m:e_{10}^m}^+ z_8^m e_{10}^m + k_{z_8^m:e_{10}^m}^- [Z_8^m:E_{10}^m] - k_{z_8^m:e_2^m}^+ z_8^m e_2^m + k_{z_8^m:e_2^m}^- [Z_8^m:E_2^m]$$
(15)

$$\frac{d}{dt} e_8^m = k_8^{\text{on}} e_8 \ p_8^{\text{avail}} - k_8^{\text{off}} e_8^m + k_{z_8^m:e_1^m}^{\text{cat}} [Z_8^m : E_{10}^m] + k_{z_8^m:e_2^m}^{\text{cat}} [Z_8^m : E_2^m]$$

$$-k_{e_8^m:APC}^+ [APC] e_8^m + k_{e_8^m:APC}^- [APC : E_8^m] - 0.005 e_8^m$$

$$-k_{e_8^m:e_9^m}^+ e_9^m e_8^m + k_{e_8^m:e_9^m}^- [TEN] - k_{e_8^m:e_9^m}^+ e_8^m e_9^m^* + k_{e_8^m:e_9^m}^- [TEN^*]$$
(16)

$$\frac{d}{dt} z_9 = k_{\text{flow}}(z_9^{\text{up}} - z_9) - k_9^{\text{on}} p_9^{\text{avail}} z_9 + k_9^{\text{off}} z_9^m - k_{z_9:e_7}^+ z_9 e_7^m + k_{z_9:e_7}^- [Z_9:E_7^m]$$

$$-k_{z_9:e_{11}}^+ z_9 e_{11}^h + k_{z_9:e_{11}}^- [Z_9:E_{11}^h] - k_{z_9:e_{11}}^+ z_9 e_{11} + k_{z_9:e_{11}}^- [Z_9:E_{11}]$$

$$(17)$$

$$\frac{d}{dt} e_9 = k_{\text{flow}}(e_9^{\text{up}} - e_9) - k_{\text{diff}}(e_9 - e_9^{ec}) - k_9^{\text{on}} p_9^{\text{avail}} e_9 + k_9^{\text{off}} e_9^m + k_{z_9:e_7^m}^{\text{cat}}[Z_9:E_7^m] - k_{AT:e_9}^{\text{in}} e_9$$

$$+ (k_{z_{7:e_9}}^{\text{cat}} + k_{z_7:e_9})[Z_7:E_9] - k_{z_7:e_9}^+ z_7^m e_9$$

$$- k_9^{\text{on}} p_9^{*,\text{avail}} e_9 + k_9^{\text{off}} e_9^{m*} + k_{z_9:e_{11}}^{\text{cat}}[Z_9:E_{11}] + k_{z_9:e_{11}}^{\text{cat}}[Z_9:E_{11}]$$
(18)

$$\frac{d}{dt} z_9^m = k_9^{\text{on}} p_9^{\text{avail}} z_9 - k_9^{\text{off}} z_9^m - k_{z_9^m; e_{11}^{h,m}}^+ z_9^m e_{11}^{h,m} + k_{z_9^m; e_{11}^{h,m}}^- [Z_9^m : E_{11}^{h,m}] -k_{z_9^m; e_{11}^{m*}}^+ z_9^m e_{11}^{m*} + k_{z_9^m; e_{11}^{m*}}^- [Z_9^m : E_{11}^{m*}]$$
(19)

$$\frac{d}{dt} e_9^m = k_9^{\text{on}} p_9^{\text{avail}} e_9 - k_9^{\text{off}} e_9^m + k_{e_8^m:e_9^m}^{-} [TEN] - k_{e_8^m:e_9^m}^{+} e_8^m e_9^m + k_{z_9^m:e_{11}^m}^{\text{cat}} [Z_9^m : E_{11}^{h,m}] + k_{z_9^m:e_{11}^m}^{\text{cat}} [Z_9^m : E_{11}^m]$$
(20)

$$\frac{d}{dt} z_2 = k_{\text{flow}}(z_2^{\text{up}} - z_2) - k_2^{\text{on}} p_2^{\text{avail}} z_2 + k_2^{\text{off}} z_2^m$$
(21)

$$\frac{d}{dt} e_{2} = k_{\text{flow}}(e_{2}^{\text{up}} - e_{2}) - k_{\text{diff}}(e_{2} - e_{2}^{ec}) + k_{z2m:PRO}^{\text{cat}}[Z_{2}^{m} : PRO]$$

$$-k_{2*}^{\text{on}} p_{2}^{*,\text{avail}} e_{2} + k_{2*}^{\text{off}} e_{2}^{m} - k_{AT:e_{2}}^{\text{in}} e_{2}$$

$$+ (k_{z_{5}:e_{2}}^{\text{cat}} + k_{z_{5}:e_{2}}^{-})[Z_{5} : E_{2}] - k_{z_{5}:e_{2}}^{+} z_{5}e_{2}$$

$$+ (k_{z_{8}:e_{2}}^{\text{cat}} + k_{z_{8}:e_{2}}^{-})[Z_{8} : E_{2}] - k_{z_{8}:e_{2}}^{+} z_{8}e_{2}$$

$$+ (k_{z_{7}:e_{2}}^{\text{cat}} + k_{z_{7}:e_{2}}^{-})[Z_{7} : E_{2}] - k_{z_{7}:e_{2}}^{+} z_{7}e_{2}$$

$$+ (k_{z_{7}^{m}:e_{2}}^{\text{cat}} + k_{z_{7}^{m}:e_{2}}^{-})[Z_{7}^{m} : E_{2}] - k_{z_{7}^{m}:e_{2}}^{+} z_{7}^{m}e_{2}$$

$$- k_{z_{11}:e_{2}}^{+} z_{11}e_{2} + (k_{z_{11}:e_{2}}^{-} + k_{z_{11}:e_{2}}^{\text{cat}})[Z_{11}^{-} : E_{2}]$$

$$- k_{e_{11}^{h}:e_{2}}^{+} e_{11}^{h}e_{2} + (k_{e_{11}^{h}:e_{2}}^{-} + k_{e_{11}^{h}:e_{2}}^{\text{cat}})[E_{11}^{h} : E_{2}]$$

$$(22)$$

$$\frac{d}{dt} z_{2}^{m} = k_{2}^{\text{on}} p_{2}^{\text{avail}} z_{2} - k_{2}^{\text{off}} z_{2}^{m} - k_{z_{2}^{m}:PRO}^{+} z_{2}^{m} PRO + k_{z_{2}^{m}:PRO}^{-} [Z_{z}^{m}:PRO]$$

$$\frac{d}{dt} e_{2}^{m} = k_{2*}^{\text{on}} p_{2}^{\text{avail}} e_{2} - k_{2*}^{\text{off}} e_{2}^{m} + (k_{z_{5}^{m}:e_{2}^{m}}^{\text{cat}} + k_{z_{5}^{m}:e_{2}^{m}}^{-}) [Z_{5}^{m}:E_{2}^{m}] - k_{z_{5}^{m}:e_{2}^{m}}^{+} z_{5}^{m} e_{2}^{m}$$

$$+ (k_{z_{8}^{\text{cat}}:e_{2}^{m}} + k_{z_{8}^{m}:e_{2}^{m}}^{-}) [Z_{8}^{m}:E_{2}^{m}] - k_{z_{8}^{m}:e_{2}^{m}}^{+} z_{8}^{m} e_{2}^{m}$$

$$- k_{z_{11}^{m}:e_{2}^{m}}^{+} z_{11}^{m} e_{2}^{m} + (k_{z_{11}^{m}:e_{2}^{m}}^{-} + k_{z_{11}^{m}:e_{2}^{m}}^{\text{cat}}) [Z_{11}^{m}:E_{2}^{m}]$$

$$- k_{e_{11}^{h,m*}:e_{2}^{m}}^{+} e_{11}^{h,m*} e_{2}^{m} + (k_{e_{11}^{h,m*}:e_{2}^{m}}^{-} + k_{e_{11}^{h,m*}:e_{2}^{m}}^{\text{cat}}) [E_{11}^{h,m*}:E_{2}^{m}]$$

$$(23)$$

$$\frac{d}{dt} [TEN] = -k_{e_8^m:e_9^m}^{-} [TEN] + k_{e_8^m:e_9^m}^{+} e_8^m e_9^m + (k_{z_{10}^{\text{cat}}:TEN}^{\text{cat}} + k_{z_{10}:TEN}^{-}) [Z_{10}^m:TEN] - k_{z_{10}^m:TEN}^{+} z_{10}^m [TEN]$$
(25)

$$\frac{d}{dt} [PRO] = -k_{e_{5}^{m}:e_{10}^{m}}[PRO] + k_{e_{5}^{m}:e_{10}^{m}}^{+}e_{10}^{m}e_{5}^{m} + (k_{z_{2}^{m}:PRO}^{cat} + k_{z_{2}^{m}:PRO}^{-})[Z_{2}^{m}:PRO] - k_{z_{2}^{m}:PRO}^{+}z_{2}^{m}[PRO]$$

$$\frac{d}{dt} [DL^{s}] = -k_{z_{2}^{m}:PRO}^{+} [DL] - k_{z_{2}^{m}:PRO}^{-} [DL^{s}] + k_{2}^{+} [DL^{v}] = avail$$
(26)

$$\frac{d}{dt} \left[ PL_a^s \right] = k_{\text{adh}}^+ p_{PLAS}^{\text{avail}} \left[ PL \right] - k_{\text{adh}}^- \left[ PL_a^s \right] + k_{\text{adh}}^+ \left[ PL_a^v \right] p_{PLAS}^{\text{avail}}$$
(27)

$$\frac{d}{dt} [PL] = k_{\text{flow}}^{p} \left( [PL]^{\text{up}} - [PL] \right) - \left( k_{\text{adh}}^{+} p_{PLAS}^{\text{avail}} + k_{\text{plt}}^{\text{act}} \left( [PL_{a}^{v}] + [PL_{a}^{s}] \right) + k_{\text{e2}}^{\text{act}} \frac{e_{2}}{e_{2} + 0.001} \right) [PL]$$
(28)

$$\frac{d}{dt} \left[ PL_a^v \right] = k_{adh}^{-} \left[ PL_a^s \right] - k_{adh}^{+} \left[ PL_a^v \right] p_{PLAS}^{avail} + \left( k_{plt}^{act} \left( \left[ PL_a^v \right] + \left[ PL_a^s \right] \right) + k_{e2}^{act} \frac{e_2}{e_2 + 0.001} \right) \left[ PL \right]$$
(29)

$$\frac{d}{dt} [TFPI] = k_{\text{flow}}([TPFI]^{\text{up}} - [TFPI]) - k_{TFPI:e_{10}}^+ e_{10}[TFPI] + k_{TFPI:e_{10}}^- [TFPI:Xa]$$
(30)

$$\frac{d}{dt} [TFPI: E_{10}] = -k_{\text{flow}} [TFPI: E_{10}] + k_{TFPI:e_{10}}^+ e_{10} [TFPI] - k_{TFPI:e_{10}}^- [TFPI: E_{10}]$$
(31)  
$$+k_{TFPI:e_{10}:e_7^m}^- [TFPI: E_{10}: E_7^m] - k_{TFPI:e_{10}:e_7^m}^+ e_7^m [TFPI: E_{10}]$$
(32)  
$$\frac{d}{dt} [TFPI: E_{10}: E_7^m] = -k_{TFPI}^- m [TFPI: E_{10}: E_7^m] + k_{TFPI}^+ m e_7^m [TFPI: E_{10}]$$
(32)

$$\frac{d}{dt} \left[ TFPI : E_{10} : E_7^m \right] = -k_{TFPI:e_{10}:e_7^m}^{-} \left[ TFPI : E_{10} : E_7^m \right] + k_{TFPI:e_{10}:e_7^m}^{+} e_7^m \left[ TFPI : E_{10} \right]$$

$$- \left[ TFPI : E_{10} : E_7^m \right] \frac{d}{dt} \left[ PL_a^s \right] \frac{1}{p_{PLAS}^{\text{avail}}}$$

$$(32)$$

$$\frac{d}{dt} [APC] = k_{\text{flow}} \left( [APC]^{\text{up}} - [APC] \right) - k_{\text{diff}} \left( [APC] - [APC^{ec}] \right) + (k_{e_{5}^{\text{cat}}:APC}^{\text{cat}} + k_{e_{5}^{\text{m}}:APC}^{-}) [APC: E_{5}^{\text{m}}] - k_{e_{5}^{\text{m}}:APC}^{+} e_{5}^{\text{m}} [APC] + (k_{e_{5}^{\text{cat}}:APC}^{\text{cat}} + k_{e_{5}^{\text{m}}:APC}^{-}) [APC: E_{8}^{\text{m}}] - k_{e_{5}^{\text{m}}:APC}^{+} e_{8}^{\text{m}} [APC] + (k_{e_{5}^{\text{cat}}:APC}^{\text{cat}} + k_{e_{5}:APC}^{-}) [APC: E_{5}] - k_{e_{5}^{\text{s}}:APC}^{+} e_{5} [APC] + (k_{e_{5}^{\text{cat}}:APC}^{\text{cat}} + k_{e_{5}:APC}^{-}) [APC: E_{5}] - k_{e_{5}:APC}^{+} e_{5} [APC] + (k_{e_{5}:APC}^{\text{cat}} + k_{e_{5}:APC}^{-}) [APC: E_{8}] - k_{e_{8}:APC}^{+} e_{8} [APC]$$
(33)

$$\frac{d}{dt} \left[ APC : E_8^m \right] = k_{e_8^m:APC}^+ e_8^m [APC] - \left( k_{e_8^m:APC}^{\text{cat}} + k_{e_8^m:APC}^- \right) [APC : E_8^m]$$
(34)

$$\frac{d}{dt} \left[ APC : E_5^m \right] = k_{e_5^m : APC}^+ e_5^m [APC] - \left( k_{e_5^m : APC}^{\text{cat}} + k_{e_5^m : APC}^- \right) [APC : E_5^m]$$
(35)

$$\frac{d}{dt} \left[ APC : E_5 \right] = k_{e_5:APC}^+ e_5 [APC] - \left( k_{e_5:APC}^{\text{cat}} + k_{e_5:APC}^- \right) [APC : E_5]$$
(36)

$$\frac{d}{dt} [APC: E_8] = k_{e_8:APC}^+ e_8[APC] - (k_{e_8:APC}^{cat} + k_{e_8:APC}^-)[APC: E_8]$$
(37)

$$\frac{d}{dt} \left[ Z_7 : E_2 \right] = k_{\text{flow}} \left( \left[ Z_7 : E_2 \right]^{\text{up}} - \left[ Z_7 : E_2 \right] \right) + k_{z_7 : e_2}^+ z_7 e_2 - \left( k_{z_7 : e_2}^{\text{cat}} + k_{z_7 : e_2}^- \right) \left[ Z_7 : E_2 \right]$$
(38)

$$\frac{d}{dt} \left[ Z_7 : E_{10} \right] = k_{\text{flow}} \left( \left[ Z_7 : E_{10} \right]^{\text{up}} - \left[ Z_7 : E_{10} \right] \right) + k_{z_7:e_{10}}^+ z_7 e_{10} - \left( k_{z_7:e_{10}}^{\text{cat}} + k_{z_7:e_{10}}^- \right) \left[ Z_7 : E_{10} \right]$$
(39)

$$\frac{d}{dt} \left[ Z_7^m : E_{10} \right] = k_{z_7^m : e_{10}}^+ z_7^m e_{10} - \left( k_{z_7^m : e_{10}}^{\text{cat}} + k_{z_7^m : e_{10}}^- \right) \left[ Z_7^m : E_{10} \right] - \left[ Z_7^m : E_{10} \right] \frac{d}{dt} \left[ PL_a^s \right] \frac{1}{p_{PLAS}^{\text{avail}}}$$
(40)

$$\frac{d}{dt} \left[ Z_7^m : E_2 \right] = k_{z_7^m : e_2}^+ z_7^m e_2 - \left( k_{z_7^m : e_2}^{\text{cat}} + k_{z_7^m : e_2}^- \right) \left[ Z_7^m : E_2 \right] - \left[ Z_7^m : E_2 \right] \frac{d}{dt} \left[ PL_a^s \right] \frac{1}{p_{PLAS}^{\text{avail}}}$$
(41)

$$\frac{d}{dt} \left[ Z_{10} : E_7^m \right] = k_{z_{10}:e_7^m}^+ z_{10} e_7^m - \left( k_{z_{10}:e_7^m}^{\text{cat}} + k_{z_{10}:e_7^m}^- \right) \left[ Z_{10} : E_7^m \right] - \left[ Z_{10} : E_7^m \right] \frac{d}{dt} \left[ PL_a^s \right] \frac{1}{p_{PLAS}^{\text{avail}}}$$
(42)

$$\frac{d}{dt} \left[ Z_{10}^m : TEN \right] = k_{z_{10}^m : TEN}^+ z_{10}^m [TEN] - \left( k_{z_{10}^m : TEN}^{\text{cat}} + k_{z_{10} : TEN}^- \right) [Z_{10}^m : TEN]$$
(43)

$$\frac{d}{dt} \left[ Z_5 : E_2 \right] = k_{\text{flow}} \left( \left[ Z_5 : E_2 \right]^{\text{up}} - \left[ Z_5 : E_2 \right] \right) + k_{z_5:e_2}^+ z_5 e_2 - \left( k_{z_5:e_2}^{\text{cat}} + k_{z_5:e_2}^- \right) \left[ Z_5 : E_2 \right]$$
(44)

$$\frac{d}{dt} \left[ Z_5^m : E_{10}^m \right] = k_{z_5^m : e_{10}^m}^+ z_5^m e_{10}^m - (k_{z_5^m : e_{10}^m}^{\text{cat}} + k_{z_5^m : e_{10}^m}^-) [Z_5^m : E_{10}^m]$$

$$\frac{d}{dt} \left[ Z_5^m : E_2^m \right] = k_{z_1^m : e_1^m}^+ z_5^m e_2^m - (k_{z_5^m : e_1^m}^{\text{cat}} + k_{z_5^m : e_1^m}^-) [Z_5^m : E_2^m]$$

$$(45)$$

$$\frac{d}{dt} \left[ Z_5^m : E_2^m \right] = k_{z_5^m : e_2^m}^+ z_5^m e_2^m - \left( k_{z_5^m : e_2^m}^{\text{cat}} + k_{z_5^m : e_2^m}^- \right) \left[ Z_5^m : E_2^m \right]$$
(46)

$$\frac{d}{dt} \begin{bmatrix} Z_8^m : E_{10}^m \end{bmatrix} = k_{z_8^m : e_{10}^m}^+ z_8^m e_{10}^m - (k_{z_8^m : e_{10}^m}^{\text{cat}} + k_{z_8^m : e_{10}^m}^-) \begin{bmatrix} Z_8^m : E_{10}^m \end{bmatrix}$$
(47)  
$$\frac{d}{dt} \begin{bmatrix} Z_8^m : E_{10}^m \end{bmatrix} = k_{z_8^m : e_{10}^m}^+ (k_{z_8^m : e_{10}^m}^{\text{cat}} + k_{z_8^m : e_{10}^m}^-) \begin{bmatrix} Z_8^m : E_{10}^m \end{bmatrix}$$
(47)

$$\frac{d}{dt} \left[ Z_8^m : E_2^m \right] = k_{z_8^m : e_2^m}^+ z_8^m e_2^m - \left( k_{z_8^m : e_2^m}^{\text{cat}} + k_{z_8^m : e_2^m}^- \right) \left[ Z_8^m : E_2^m \right]$$

$$\frac{d}{dt} \left[ Z_9 : E_9 \right] = k_8 \left( \left[ Z_9 : E_9 \right]^{\text{up}} - \left[ Z_9 : E_9 \right] \right) + k_8^+ \left[ z_9 e_9 - \left( k_{28}^{\text{cat}} + k_{28}^- \right) \right] \left[ Z_9 : E_9 \right]$$

$$(48)$$

$$\frac{d}{dt} [Z_8 : E_2] = k_{\text{flow}} \Big( [Z_8 : E_2]^{\text{up}} - [Z_8 : E_2] \Big) + k_{z_8:e_2}^+ z_8 e_2 - (k_{z_8:e_2}^{\text{cat}} + k_{z_8:e_2}^-) [Z_8 : E_2]$$
(49)  
$$\frac{d}{dt} [Z_4 : E_6^m] = k_{\text{flow}}^+ (k_{z_8}^{\text{cat}} + k_{z_8}^-) [Z_4 : E_6^m]$$
(50)

$$\frac{d}{dt} \begin{bmatrix} Z_9 : E_7^m \end{bmatrix} = k_{z_9:e_7^m}^+ z_9 e_7^m - (k_{z_9:e_7^m}^{\text{cat}} + k_{z_9:e_7^m}^-) [Z_9 : E_7^m] \\ - [Z_9 : E_7^m] \frac{d}{dt} \begin{bmatrix} PL_a^s \end{bmatrix} \frac{1}{p_{PLAS}^{\text{avail}}}$$
(50)

$$\frac{d}{dt} \left[ Z_2^m : PRO \right] = k_{z_2^m : PRO}^+ z_2^m [PRO] - \left( k_{z_2^m : PRO}^{\text{cat}} + k_{z_2^m : PRO}^- \right) [Z_2^m : PRO]$$
(51)

$$\frac{d}{dt} [TF] = -[TF] \frac{d}{dt} [PL_a^s] \frac{1}{p_{PLAS}^{\text{avail}}}$$
(52)

$$\frac{d}{dt} e_9^{m*} = k_9^{\text{on}} p_9^{*,\text{avail}} e_9 - k_9^{\text{off}} e_9^{m*} + k_{e_8^m:e_9^m}^{-} [TEN^*] - k_{e_8^m:e_9^m}^{+} e_8^m e_9^{m*}$$
(53)

$$\frac{d}{dt} [TEN^*] = -k_{e_8^m:e_9^m}^- [TEN^*] + k_{e_8^m:e_9^m}^+ e_8^m e_9^{m*} + (k_{z_{10}^{cat}:TEN}^{cat} + k_{z_{10}^-:TEN}^-)[Z_{10}^m:TEN^*] - k_{z_{10}^m:TEN}^+ z_{10}^m[TEN^*]$$
(54)

$$\frac{d}{dt} \left[ Z_{10}^m : TEN^* \right] = k_{z_{10}^m : TEN}^+ z_{10}^m [TEN^*] - (k_{z_{10}^m : TEN}^{\text{cat}} + k_{z_{10} : TEN}^-) [Z_{10}^m : TEN^*]$$
(55)

$$\frac{d}{dt} e_2^{ec} = k_{\text{flow}}(e_2^{\text{up}} - e_2^{ec}) + k_{\text{diff}}(e_2 - e_2^{ec}) - k_{AT:e_2}^{\text{in}} e_2^{ec} -k_{TM}^{\text{on}} e_2^{ec} [TM]^{\text{avail}} + k_{TM}^{\text{off}} [TM : E_2^{ec}]$$
(56)

$$\frac{d}{dt} [APC^{ec}] = k_{\text{flow}} \left( [APC]^{\text{up}} - [APC^{ec}] \right) + k_{\text{diff}} ([APC] - [APC^{ec}]) + k_{PC:TM:e_2^{ec}}^{\text{cat}} [TM : E_2^{ec} : APC]$$

$$(57)$$

$$\frac{d}{dt} [TM: E_2^{ec}] = k_{TM}^{on} e_2^{ec} [TM]^{avail} - k_{TM}^{off} [TM: E_2^{ec}] - k_{PC:TM: e_2^{ec}}^+ [TM: E_2^{ec}] + (k_{PC:TM: e_2^{ec}}^- + k_{PC:TM: e_2^{ec}}^{cat}) [TM: E_2^{ec}: APC]$$
(58)

$$\frac{d}{dt} \left[ TM : E_2^{ec} : APC \right] = k_{PC:TM:e_2^{ec}}^+ \left[ TM : E_2^{ec} \right] - \left( k_{PC:TM:e_2^{ec}}^- + k_{PC:TM:e_2^{ec}}^{cat} \right) \left[ TM : E_2^{ec} : APC \right]$$
(59)

$$\frac{d}{dt} e_9^{ec} = k_{\text{flow}} (e_9^{\text{up}} - e_9^{ec}) + k_{\text{diff}} (e_9 - e_9^{ec}) - k_{AT:e_9}^{\text{in}} e_9^{ec}$$
(60)

$$\frac{d}{dt} e_{10}^{ec} = k_{\text{flow}}(e_{10}^{\text{up}} - e_{10}^{ec}) + k_{\text{diff}}(e_{10} - e_{10}^{ec}) - k_{AT:e_{10}}^{\text{in}} e_{10}^{ec}$$
(61)

$$\frac{d}{dt} z_{11} = k_{\text{flow}}(z_{11}^{\text{up}} - z_{11}) - k_{z_{11}}^{\text{on}} z_{11} \ p_{11}^{\text{avail}} + k_{z_{11}}^{\text{off}} z_{11}^{m} - k_{z_{11}:e_2}^{+} z_{11}e_2 + k_{z_{11}:e_2}^{-}[Z_{11}:E_2]$$
(62)

$$\frac{d}{dt} e_{11}^{h} = k_{\text{flow}}(e_{11}^{h,\text{up}} - e_{11}^{h}) - k_{e_{11}^{h}}^{\text{on*}} e_{11}^{h} p_{11}^{\text{*,avail}} + k_{e_{11}^{h}}^{\text{off*}} e_{11}^{h,m*} - k_{e_{11}^{h}}^{\text{on}} e_{11}^{h} p_{11}^{\text{avail}} + k_{e_{11}^{h}}^{\text{off}} e_{11}^{h} - k_{z_{9}:e_{11}^{h}}^{+} z_{9} e_{11}^{h} + (k_{z_{9}:e_{11}^{h}}^{-} + k_{z_{9}:e_{11}^{h}}^{\text{cat}})[Z_{9}: E_{11}^{h}] + k_{z_{11}:e_{2}}^{\text{cat}}[Z_{11}: E_{2}] - k_{e_{11}^{h}:e_{2}}^{+} e_{11}^{h} e_{2} + k_{e_{11}^{h}:e_{2}}^{-}[E_{11}^{h}: E_{2}] - k_{AT:e_{11}}^{\text{in}} e_{11}^{h}$$
(63)

$$\frac{d}{dt} e_{11} = k_{\text{flow}}(e_{11}^{\text{up}} - e_{11}) - k_{e_{11}}^{\text{on*}} e_{11} \ p_{11}^{*,\text{avail}} + k_{e_{11}}^{\text{off*}} e_{11}^{m*} - k_{z_9:e_{11}}^+ z_9 e_{11} + (k_{z_9:e_{11}}^- + k_{z_9:e_{11}}^{\text{cat}}) [Z_9: E_{11}] + k_{e_{11}}^{\text{cat}} [E_{11}^h: E_2] - k_{AT:e_{11}}^{\text{in}} e_{11}$$

$$(64)$$

$$\frac{d}{dt} z_{11}^m = k_{z_{11}}^{\text{on}} z_{11} \ p_{11}^{\text{avail}} - k_{z_{11}}^{\text{off}} z_{11}^m - k_{z_{11}}^+ e_2^m z_{11}^m e_2^m + k_{z_{11}}^- e_2^m [Z_{11}^m : E_2^m]$$
(65)

$$\frac{d}{dt} e_{11}^{h,m} = k_{e_{11}^{h}}^{\text{on}} e_{11}^{h} p_{11}^{\text{avail}} - k_{e_{11}^{h}}^{\text{off}} e_{11}^{h,m} + k_{z_{11}^{m}:e_{2}^{m}}^{\text{cat}} [Z_{11}^{m}:E_{2}^{m}] -k_{z_{9}^{m}:e_{11}^{h,m}}^{+} z_{9}^{m} e_{11}^{h,m} + (k_{z_{9}^{m}:e_{11}^{h,m}}^{-} + k_{z_{9}^{m}:e_{11}^{h,m}}^{\text{cat}}) [Z_{9}^{m}:E_{11}^{h,m}]$$
(66)

$$\frac{d}{dt} e_{11}^{h,m*} = k_{e_{11}^{h}}^{\text{on*}} e_{11}^{h} p_{11}^{*,\text{avail}} - k_{e_{11}^{h}}^{\text{off}*} e_{11}^{h,m*} - k_{e_{11}^{h,m*}:e_{2}^{m}}^{+} e_{11}^{h,m*} e_{2}^{m} + k_{e_{11}^{h,m*}:e_{2}^{m}}^{-} [E_{11}^{h,m*}:E_{2}^{m}]$$
(67)

$$\frac{d}{dt} e_{11}^{m*} = k_{e_{11}}^{\text{on*}} e_{11} p_{11}^{*,\text{avail}} - k_{e_{11}}^{\text{off*}} e_{11}^{m*} + k_{e_{11}}^{\text{cat}} E_{2}^{h,m*} : E_{2}^{m} [E_{11}^{h,m*} : E_{2}^{m}] - k_{z_{9}^{m}:e_{11}^{m*}}^{+} z_{9}^{m} e_{11}^{m*} + (k_{z_{9}^{m}:e_{11}^{m*}}^{-} + k_{z_{9}^{m}:e_{11}^{m*}}^{\text{cat}}) [Z_{9}^{m} : E_{11}^{m*}]$$

$$(68)$$

$$\frac{d}{dt} \left[ Z_9 : E_{11}^h \right] = k_{\text{flow}} \left( \left[ Z_9 : E_{11}^h \right]^{\text{up}} - \left[ Z_9 : E_{11}^h \right] \right) + k_{z_9 : e_{11}^h}^+ z_9 e_{11}^h - \left( k_{z_9 : e_{11}^h}^- + k_{z_9 : e_{11}^h}^{\text{cat}} \right) \left[ Z_9 : E_{11}^h \right]$$
(69)

$$\frac{d}{dt} \left[ Z_9 : E_{11} \right] = k_{\text{flow}} \left( \left[ Z_9 : E_{11} \right]^{\text{up}} - \left[ Z_9 : E_{11} \right] \right) + k_{z_9:e_{11}}^+ z_9 e_{11} - \left( k_{z_9:e_{11}}^- + k_{z_9:e_{11}}^{\text{cat}} \right) \left[ Z_9 : E_{11} \right]$$
(70)

$$\frac{d}{dt} \left[ Z_9^m : E_{11}^{h,m} \right] = k_{z_9^m : e_{11}^{h,m}}^+ z_9^m e_{11}^{h,m} - (k_{z_9^m : e_{11}^{h,m}}^- + k_{z_9^m : e_{11}^{h,m}}^{\text{cat}}) \left[ Z_9^m : E_{11}^{h,m} \right]$$
(71)

$$\frac{d}{dt} \left[ Z_9^m : E_{11}^{m*} \right] = k_{z_9^m : e_{11}^{m*}}^+ z_9^m e_{11}^{m*} - (k_{z_9^m : e_{11}^{m*}}^- + k_{z_9^m : e_{11}^{m*}}^{\text{cat}}) \left[ Z_9^m : E_{11}^{m*} \right]$$
(72)

$$\frac{d}{dt} [Z_{11}:E_2] = k_{\text{flow}} \left( [Z_{11}:E_2]^{\text{up}} - [Z_{11}:E_2] \right) + k_{z_{11}:e_2}^+ z_{11}e_2 - (k_{z_{11}:e_2}^- + k_{z_{11}:e_2}^{\text{cat}})[Z_{11}:E_2]$$
(73)

$$\frac{d}{dt} [E_{11}^{h}: E_{2}] = k_{\text{flow}} \left( [E_{11}^{h}: E_{2}]^{\text{up}} - [E_{11}^{h}: E_{2}] \right) 
+ k_{e_{11}^{h}: e_{2}}^{+} e_{11}^{h} e_{2} - (k_{e_{11}^{h}: e_{2}}^{-} + k_{e_{11}^{h}: e_{2}}^{\text{cat}}) [E_{11}^{h}: E_{2}]$$
(74)

$$\frac{d}{dt} \left[ Z_{11}^m : E_2^m \right] = k_{z_{11}^m : e_2^m}^m z_{11}^m e_2^m - (k_{z_{11}^m : e_2^m}^{-} + k_{z_{11}^m : e_2^m}^{\text{cat}}) [Z_{11}^m : E_2^m]$$
(75)

$$\frac{d}{dt} \left[ E_{11}^{h,m*} : E_2^m \right] = k_{e_{11}^{h,m*}:e_2^m}^{+,m*} e_1^{m} - (k_{e_{11}^{h,m*}:e_2^m}^{-} + k_{e_{11}^{h,m*}:e_2^m}^{-}) \left[ E_{11}^{h,m*} : E_2^m \right]$$
(76)

Kinetic and Physical Parameters:

$\begin{array}{llllllllllllllllllllllllllllllllllll$
--

Table 1: DIFFUSION COEFFICIENTS FOR PLATELETS AND FLUID-PHASE CHEMICAL SPECIES (a) From (Turitto and Leonard, 1972). (b) From (Young et al., 1980).

Prothrombin	$1.4 \ \mu M$	a
Factor V	$0.01 \ \mu M$	b
Factor VII	$0.01 \ \mu M$	a
Factor VIIa	0.1 nM	с
Factor VIII	1.0  nM	a
Factor IX	$0.09 \ \mu M$	a
Factor X	$0.17 \ \mu M$	a
Factor XI	30.0 nM	a
TFPI	2.5  nM	d
Protein C	65  nM	е
Platelet count	$2.5(10)^5/\mu l$	f
$N_2$	1000/plt	g
$N_2^*$	1000/plt	g
$N_{5}$	3000/plt	h
$N_8$	450/plt	i
$N_9$	250/plt	j
$N_{\alpha}^{*}$	250/plt	j
$N_{10}^{'}$	2700/plt	k
$N_{11}$	1500/plt	1
$N_{11}^{*}$	250/plt	1
$n_5$	3000/plt	m
$p_{PLAS}$	0.167  nM	n

Table 2: NORMAL CONCENTRATIONS AND SURFACE BINDING SITE NUMBERS (a) From (Mann et al., 1990). (b) From (Mann et al., 1991). (c) (Morrissey, 1995) suggests that normal plasma concentration of fVIIa is about 1% of the normal fVII concentration. (d) From (Novotny et al., 1991). (e) (f) From (Weiss, 1975). (g) Estimated as described in the text of the Supplementary Information. (h) From (Walsh, 1994). (i) From (Nesheim et al., 1988). (j) From (Ahmad et al., 1989). (k) From (Mann et al., 1992). (l) From (Baglia et al., 1995; Miller et al., 2007). (m) Number of fV molecules released per activated platelet (Tracy et al., 1982). (n) Maximum concentration of platelets in a 2  $\mu$ m high reaction zone assuming that 20 platelets can cover a 10 $\mu$ m-by-10 $\mu$ m injured surface (Hubbell and McIntire, 1986).

Reaction	Reactants	Complex	Product	${\rm M}^{-1}{\rm sec}^{-1}$	$\mathrm{sec}^{-1}$	$\mathrm{sec}^{-1}$	Note
Activation (of -, by -)							
(TF:VII,fXa) (TF:VII, fIIa) (fX, TF:VIIa) (fIX, TF:VIIa)	$E_{10}, Z_7^m$ $E_2, Z_7^m$ $E_7^m, Z_{10}$ $E_7^m, Z_9$	$Z_7^m : E_{10} \\ Z_7^m : E_2 \\ Z_{10} : E_7^m \\ Z_9 : E_7^m$	$E_7^m$ $E_7^m$ $E_{10}$ $E_9$	$\begin{array}{l} k_{z_7^m:e_{10}}^+=\!$	$\begin{array}{l} k^{-}_{z_{7}^{m}:e_{10}} \!=\! 1.0 \\ k^{-}_{z_{7}^{m}:e_{2}} \!=\! 1.0 \\ k^{-}_{z_{10}:e_{7}^{m}} \!=\! 1.0 \\ k^{-}_{z_{9}:e_{7}^{m}} \!=\! 1.0 \end{array}$	$ \begin{split} k_{z_7^{\text{cat}}:e_{10}}^{\text{cat}} = & 5.0 \\ k_{z_7^{\text{cat}}:e_2}^{\text{cat}} = & 6.1 \cdot 10^{-2} \\ k_{z_{10}:e_7}^{\text{cat}} = & 1.15 \\ k_{z_{0}:e_7}^{\text{cat}} = & 1.15 \end{split} $	a b c d
Binding (of -, with -)							
(fVII, TF) (fVIIa, TF)	$Z_7, TF$ $E_7, TF$		$\begin{array}{c} Z_7^m \\ E_7^m \end{array}$	$k_7^{\text{on}} = 5.0 \cdot 10^7$ $k_7^{\text{on}} = 5.0 \cdot 10^7$	$k_7^{\text{off}} = 5.0 \cdot 10^{-3}$ $k_7^{\text{off}} = 5.0 \cdot 10^{-3}$		e e

Table 3: REACTIONS ON SUBENDOTHELIUM (a)  $k_{z_7^m:e_{10}}^{\text{cat}} = 5.0 \text{ sec}^{-1}$  and  $K_M = 1.2 \cdot 10^{-6}$  M (Butenas and Mann, 1996). (b)  $k_{z_7^m:e_2}^{\text{cat}} = 6.1 \cdot 10^{-2} \text{ sec}^{-1}$  and  $K_M = 2.7 \cdot 10^{-6}$  M (Butenas and Mann, 1996). (d)  $k_{z_{10}:e_7^m}^{\text{cat}} = 1.15 \text{ sec}^{-1}$  and  $K_M = 4.5 \cdot 10^{-7}$  M (Mann et al., 1990). (d)  $k_{z_9:e_7^m}^{\text{cat}} = 1.15 \text{ sec}^{-1}$  and  $K_M = 2.4 \cdot 10^{-7}$  M (Limentani et al., 1994). (e)  $K_d = 1.0 \cdot 10^{-10}$  M (Nemerson, 1992).

Reaction	Reactants	Complex	Product	$M^{-1}sec^{-1}$	$\mathrm{sec}^{-1}$	$\mathrm{sec}^{-1}$	Note
Activation (of -, by -)							
(fVII, fXa) (fVII, fIIa) (fV, fIIa) (fVIII, fIIa) (fXI-fXI, fIIa) (fIX, fXIa)	$Z_{7}, E_{10} \\ Z_{7}, E_{2} \\ Z_{5}, E_{2} \\ Z_{8}, E_{2} \\ Z_{11}, E_{2} \\ Z_{9}, E_{11}^{h}$	$Z_7 : E_{10} \\ Z_7 : E_2 \\ Z_5 : E_2 \\ Z_8 : E_2 \\ Z_{11} : E_2 \\ Z_9 : E_{11}^h$	$E_7$ $E_7$ $E_5$ $E_8$ $E_{11}^h$ $E_9$	$k_{z_7:e_{10}}^+ = 5 \cdot 10^6$ $k_{z_7:e_2}^+ = 3.92 \cdot 10^5$ $k_{z_5:e_2}^+ = 1.73 \cdot 10^7$ $k_{z_8:e_2}^+ = 2.64 \cdot 10^7$ $k_{z_{11}:e_2}^+ = 2.0 \cdot 10^7$ $k_{z_9:e_{11}}^+ = 0.6 \cdot (10)^7$	$\begin{array}{l} k^{z_7:e_{10}} = 1.0 \\ k^{z_7:e_2} = 1.0 \\ k^{z_5:e_2} = 1.0 \\ k^{z_8:e_2} = 1.0 \\ k^{z_{11}:e_2} = 1.0 \\ k^{z_{9}:e_{11}^h} = 1.0 \end{array}$	$\begin{array}{l} k_{z_7:e_{10}}^{\text{cat}} = 5.0 \\ k_{z_7:e_2}^{\text{cat}} = 6.1 \cdot 10^{-2} \\ k_{z_5:e_2}^{\text{cat}} = 0.23 \\ k_{z_8:e_2}^{\text{cat}} = 0.9 \\ k_{z_{11:e_2}}^{\text{cat}} = 1.3 \cdot 10^{-4} \\ k_{z_9:e_{11}}^{\text{cat}} = 0.21 \end{array}$	a b c d e f

Table 4: REACTIONS IN THE PLASMA (a)  $k_{z_7:e_{10}}^{\text{cat}} = 5.0 \text{ sec}^{-1}$  and  $K_M = 1.2 \cdot 10^{-6}$  M (Butenas and Mann, 1996). (b)  $k_{z_7:e_2}^{\text{cat}} = 6.1 \cdot 10^{-2} \text{ sec}^{-1}$  and  $K_M = 2.7 \cdot 10^{-6}$  M (Butenas and Mann, 1996) (c)  $k_{z_5:e_2}^{\text{cat}} = 0.23 \text{ sec}^{-1}$  and  $K_M = 7.17 \cdot 10^{-8}$  M (Monkovic and Tracy, 1990a). (d)  $k_{z_8:e_2}^{\text{cat}} = 0.9 \text{ sec}^{-1}$  (Hill-Eubanks and Lollar, 1990) and  $K_M = 2 \cdot 10^{-7}$  M (Lollar et al., 1985). (e)  $k_{z_{11:e_2}}^{\text{cat}} = 1.3 \cdot 10^{-4}$ ,  $K_M = 50$ nM (Gailani and Broze Jr., 1991). Rate constants apply also for thrombin-activation of XIa-XI. (f)  $k_{z_9:e_{11}}^{\text{cat}} = 0.21$ ,  $K_M = 0.2\mu$ M (Gailani et al., 2001; Sinha et al., 2007). Rate constants apply also for activation of IX by XIa-XIa.

Reaction	Reactants	Products	$M^{-1}sec^{-1}$	$\mathrm{sec}^{-1}$	Note
Factor IX Factor IXa Factor X Factor X Factor V Factor V Factor VIII Factor VIII Factor VIII Factor II Factor II Factor XI Factor XI		$\begin{array}{c} Z_9^m \\ E_9^m \\ E_9^{m,*} \\ Z_{10}^m \\ E_{10}^m \\ Z_5^m \\ E_5^m \\ Z_8^m \\ E_8^m \\ Z_8^m \\ E_8^m \\ Z_1^m \\ E_1^m \\ E_{11}^m \end{array}$	$\begin{array}{l} k_{9}^{\mathrm{on}} = 1.0 \cdot 10^{7} \\ k_{9}^{\mathrm{on}} = 1.0 \cdot 10^{7} \\ k_{10}^{\mathrm{on}} = 1.0 \cdot 10^{7} \\ k_{10}^{\mathrm{on}} = 1.0 \cdot 10^{7} \\ k_{10}^{\mathrm{on}} = 1.0 \cdot 10^{7} \\ k_{5}^{\mathrm{on}} = 5.7 \cdot 10^{7} \\ k_{8}^{\mathrm{on}} = 5.0 \cdot 10^{7} \\ k_{8}^{\mathrm{on}} = 5.0 \cdot 10^{7} \\ k_{2}^{\mathrm{on}} = 1.0 \cdot 10^{7} \\ k_{2}^{\mathrm{on}} = 1.0 \cdot 10^{7} \\ k_{2}^{\mathrm{on}} = 1.0 \cdot 10^{7} \\ k_{211}^{\mathrm{on}} = 1.0 \cdot 10^{7} \\ k_{611}^{\mathrm{on}} = 1.0 \cdot 10^{7} \end{array}$	$\begin{array}{l} k_{9}^{\text{off}} = 2.5 \cdot 10^{-2} \\ k_{9}^{\text{off}} = 2.5 \cdot 10^{-2} \\ k_{9}^{\text{off}} = 2.5 \cdot 10^{-2} \\ k_{10}^{\text{off}} = 2.5 \cdot 10^{-2} \\ k_{10}^{\text{off}} = 2.5 \cdot 10^{-2} \\ k_{9}^{\text{off}} = 0.17 \\ k_{9}^{\text{off}} = 0.17 \\ k_{9}^{\text{off}} = 0.17 \\ k_{9}^{\text{off}} = 0.17 \\ k_{2}^{\text{off}} = 5.9 \\ k_{2}^{\text{off}} = 5.9 \\ k_{2}^{\text{off}} = 0.1 \\ k_{9}^{\text{off}} = 0.17 \\ \end{array}$	a b a c c d d e f g h

Table 5: BINDING TO PLATELET SURFACES (a) For fIX binding to platelets,  $K_d = 2.5 \cdot 10^{-9}$  M (Ahmad et al., 1989), and for fX binding to platelets,  $K_d$  has approximately the same value (Walsh, 1994). For fX binding to PCPS vesicles, the on-rate is about 10<sup>7</sup> M<sup>-1</sup>sec<sup>-1</sup> and the off-rate is about 1.0 sec<sup>-1</sup> (Krishnaswamy et al., 1988) giving a dissociation constant of about  $10^{-7}$  M. To estimate on- and off-rates for the higher-affinity binding of fX to platelets, we keep the on-rate the same as for vesicles and adjust the off-rate to give the correct dissociation constant. The rates for fIX binding with platelets are taken to be the same as for fX binding. (b) We assume binding constants for fIXa binding to the specific fIXa binding sites are the same as for shared sites. (c) fV binds with high-affinity to phospholipids (PCPS) (Krishnaswamy et al., 1988) and we use the same rate constants reported there to describe fV binding to platelets. (d) The  $K_d$  for fVIII binding with platelets is taken from (Nesheim et al., 1988). We set the off-rate  $k_8^{\text{off}}$  for fVIII binding to platelets equal to that for fV binding to platelets, and calculate the on-rate  $k_8^{\text{on}}$ . (e) For prothrombin interactions with platelets,  $K_d$  is reported to be  $5.9 \cdot 10^{-7}$  M (Mann, 1994). We choose  $k_2^{\text{off}}$  and set  $k_2^{\text{on}} = k_2^{\text{off}}/K_d$ . (f) Estimated as described in the text of the Supplementary Information. (g)  $K_d = 10$  nM (Greengard et al., 1986). (h)  $K_d = 1.7$  nM (Miller et al., 2007).

Reaction	Reactants	Complex	Product	${\rm M}^{-1}{\rm sec}^{-1}$	$\mathrm{sec}^{-1}$	$\mathrm{sec}^{-1}$	Note
Activation (of -, by -)							
(V, Xa) (V, IIa) (VIII, Xa) (VIII, IIa) (X, VIIIa:IXa) (X, VIIIa:IXa*) (II, Va:Xa) (XI-XI, IIa) (IX, XIa)	$\begin{array}{c} Z_5^m, E_{10}^m \\ Z_5^m, E_2^m \\ Z_8^m, E_2^m \\ Z_{10}^m, TEN \\ Z_{10}^m, TEN^* \\ Z_2^m, PRO \\ Z_{11}^m, E_2^m \\ Z_{9}^m, E_{11}^m \end{array}$	$\begin{array}{l} Z_5^m:E_{10}^m\\ Z_5^m:E_2^m\\ Z_8^m:E_1^m\\ Z_8^m:E_2^m\\ Z_{10}^m:TEN\\ Z_{10}^m:TEN^*\\ Z_2^m:PRO\\ Z_{11}^m:E_2^m\\ Z_9^m:E_{11}^{hm} \end{array}$	$\begin{array}{c} E_{5}^{m} \\ E_{5}^{m} \\ E_{8}^{m} \\ E_{8}^{m} \\ E_{10}^{m} \\ E_{10}^{m} \\ E_{2}^{m} \\ E_{11}^{hm} \\ E_{9} \end{array}$	$ \begin{aligned} k^+_{z^{m}_{5}:e^{m}_{10}} = & 1.0 \cdot 10^8 \\ k^+_{z^{m}_{5}:e^{m}_{10}} = & 1.73 \cdot 10^7 \\ k^+_{z^{m}_{8}:e^{m}_{10}} = & 5.1 \cdot 10^7 \\ k^+_{z^{m}_{8}:e^{m}_{10}} = & 2.64 \cdot 10^7 \\ k^+_{z^{m}_{8}:e^{m}_{1}} = & 1.31 \cdot 10^8 \\ k^+_{z^{m}_{10}:en} = & 1.31 \cdot 10^8 \\ k^+_{z^{m}_{10}:en} = & 1.03 \cdot 10^8 \\ k^+_{z^{m}_{11}:e^{m}_{10}} = & 2.0 \cdot 10^7 \\ k^+_{z^{m}_{9}:e^{m}_{11}} = & 0.6 \cdot 10^7 \end{aligned} $	$\begin{array}{l} k^{-}_{z_{5}^{m}:e_{10}^{m}}=\!\!1.0 \\ k^{-}_{z_{5}^{m}:e_{10}^{m}}=\!\!1.0 \\ k^{-}_{z_{8}^{m}:e_{10}^{m}}=\!\!1.0 \\ k^{-}_{z_{8}^{m}:e_{10}^{m}}=\!\!1.0 \\ k^{-}_{z_{8}^{m}:e_{10}^{m}}=\!\!1.0 \\ k^{-}_{z_{10}^{m}:ten}=\!\!1.0 \\ k^{-}_{z_{10}^{m}:ten}=\!\!1.0 \\ k^{-}_{z_{10}^{m}:e_{10}^{m}}=\!\!1.0 \\ k^{-}_{z_{10}^{m}:e_{11}^{m}}=\!\!1.0 \end{array}$	$ \begin{split} k_{z_{5}^{\text{cat}}:e_{10}}^{\text{cat}} = & 4.6 \cdot 10^{-2} \\ k_{z_{5}^{\text{cat}}:e_{2}^{\text{m}}}^{\text{cat}} = & 0.23 \\ k_{z_{5}^{\text{cat}}:e_{2}^{\text{m}}}^{\text{cat}} = & 2.3 \cdot 10^{-2} \\ k_{z_{8}^{\text{cat}}:e_{10}}^{\text{cat}} = & 2.0.9 \\ k_{z_{10}^{\text{cat}}:e_{10}}^{\text{cat}} = & 20.0 \\ k_{z_{10}^{\text{cat}}:e_{10}}^{\text{cat}} = & 20.0 \\ k_{z_{10}^{\text{cat}}:e_{10}}^{\text{cat}} = & 30.0 \\ k_{z_{11}^{\text{cat}}:e_{2}^{\text{m}}}^{\text{cat}} = & 1.3 \cdot 10^{-4} \\ k_{z_{9}^{\text{cat}}:e_{11}}^{\text{cat}} = & 0.21 \end{split} $	a c d f f h i
Binding (of -, with -)							
(VIIIa, IXa) (VIIIa, IXa*) (Va, Xa)	$     \begin{bmatrix}       E_8^m, E_9^m \\       E_8^m, E_9^{m,*} \\       E_5^m, E_{10}^m     \end{bmatrix}   $		TEN TEN* PRO	$k_{\text{ten}}^{+} = 1.0 \cdot 10^{8}$ $k_{\text{ten}}^{+} = 1.0 \cdot 10^{8}$ $k_{\text{pro}}^{+} = 1.0 \cdot 10^{8}$	$k_{ten}^-=0.01$ $k_{ten}^-=0.01$ $k_{pro}^-=0.01$		e e e

Table 6: REACTIONS ON PLATELET SURFACES (a)  $k_{z_5^{cm}:e_{10}}^{cat} = 0.046 \text{ sec}^{-1}$  and  $K_M = 10.4 \cdot 10^{-9}$  M (Monkovic and Tracy, 1990b). (b) The rate constants for thrombin activation of fV on platelets are assumed to be the same as in plasma. (c)  $k_{z_8^{cm}:e_{10}}^{cm} = 0.023 \text{ sec}^{-1}$  and  $K_M = 2.0 \cdot 10^{-8}$  M (Lollar et al., 1985). (d) The rate constants for thrombin activation of fVIII on platelets are assumed to be the same as in plasma. (e) The formation of the tenase and prothrombinase complexes is assumed to be very fast with  $K_d = 1.0 \cdot 10^{-10}$  M (Mann, 1987). (f)  $k_{z_{10}^{cm}:en}^{cat} = 20 \text{ sec}^{-1}$  and  $K_M = 1.6 \cdot 10^{-7}$  M (Rawala-Sheikh et al., 1990). (g)  $k_{z_2^{m}:pro}^{cat} = 30 \text{ sec}^{-1}$  and  $K_M = 3.0 \cdot 10^{-7}$  M (Nesheim et al., 1992). (h)  $k_{z_{11}^{cat}:e_2}^{cat} = 1.3 \cdot 10^{-4}$ ,  $K_M = 50$  nM (Gailani and Broze Jr., 1991). Rate constants apply also for thrombin-activation of Plt-XIa-XI. (i)  $k_{z_9^{m}:e_{11}}^{cat} = 0.21$ ,  $K_M = 0.2\mu$ M (Gailani et al., 2001; Sinha et al., 2007). Rate constants apply also for activation of platelet-bound IX by Plt-XIa-XIa.

16

Reaction	Reactants	Product	$M^{-1}sec^{-1}$	$\mathrm{sec}^{-1}$	$\mathrm{sec}^{-1}$	Note
Inactivation (of -, by -)						
(IXa, AT-III) (Xa, AT-III) (IIa, AT-III) (XIa, AT-III) (APC, Va) (APC, VIIIa) Binding	$E_9 \\ E_{10} \\ E_2 \\ E_{11} \\ APC, E_5^m \\ APC, E_8^m$	none none none none none	$k_{e_{5}^{m}:APC}^{+} = 1.2 \cdot 10^{8}$ $k_{e_{8}^{m}:APC}^{+} = 1.2 \cdot 10^{8}$	$ \begin{split} k_{AT:e_9}^{in} = & 0.1 \\ k_{AT:e_10}^{in} = & 0.1 \\ k_{AT:e_2}^{in} = & 0.2 \\ k_{AT:e_{11}}^{in} = & 0.2 \\ k_{e_{5}^{m}:APC}^{in} = & 1.0 \\ k_{e_{8}^{m}:APC}^{-} = & 1.0 \end{split} $	$\begin{aligned} k_{e_5^{\text{cat}}:APC}^{\text{cat}} &= 0.5\\ k_{e_8^{\text{cat}}:APC}^{\text{cat}} &= 0.5 \end{aligned}$	a a a b b
(of -, with -)						
(TFPI, Xa) (TFPIa, TF:VIIa)	$TFPI, E_{10}$ $TFPIa, E_7^m$ TM Fee	TFPIa $TFPIa: E_7^m$ $TM: E_7^{ec}$	$k_{tfpia:e_{10}}^{+} = 1.6 \cdot 10^{7}$ $k_{tfpia:e_{7}}^{+} = 1.0 \cdot 10^{7}$ $k_{tfpia:e_{7}}^{00} = 1.0 \cdot 10^{8}$	$k_{tfpia:e_{10}}^{-} = 3.3 \cdot 10^{-4}$ $k_{tfpia:e_{7}}^{-} = 1.1 \cdot 10^{-3}$		c c
	$1 M, E_2^{-1}$	$1 W : E_2^{-1}$	$\kappa_{TM} = 1.0 \cdot 10^{\circ}$	$\kappa_{TM} = 5.0 \cdot 10^{-2}$		a
Activation (of -, by -)						
$(PC, TM: E_2^{ec})$	$TM:E_2^{ec}$	APC	$k_{PC:TM:e_2^{ec}}^+ = 1.7 \cdot 10^6$	$k_{PC:TM:e_{2}^{ec}}^{-} = 1.0$	$k_{PC:TM:e_2^{ec}}^{\mathrm{cat}}=0.16$	е

Table 7: INHIBITION REACTIONS (a) We estimate these parameters based on the half-lives of Factors IXa, Xa, IIa in plasma (Rosenberg and Bauer, 1994) and assume that the rate of fXIa inactivation is the same as that of fXa and thrombin. (b) For inhibition of fVa by APC,  $k_{e_5}^{cat}_{APC} = 0.5 \text{ sec}^{-1}$  and  $K_M = 12.5 \cdot 10^{-9}$  (Solymoss et al., 1988). We assume the same reaction rates for the inhibition of fVIIIa by APC. (c) From (Jesty et al., 1994). (d)  $K_d = 0.5 \text{ nM}$  and [PC] = 65 nM (Griffin, 2001). (e)  $k_{PC:TM:e_2^{cc}} = 0.167 \text{ sec}^{-1}$ ,  $K_M = 0.7 \cdot 10^{-6} \text{ M}$  (Broze and Miletich, 1994).

Reactants	Reactants	Products	${\rm M}^{-1}{\rm sec}^{-1}$	$\mathrm{sec}^{-1}$	Note
Unactivated platelet adhering to SE Activated platelet adhering to SE Platelet activation by platelet in solution Platelet activation on SE Platelet activation by thrombin	$PL, SE$ $PL_a^v, SE$ $PL, PL_a^v$ $PL, PL_a^s$ $PL, E_2$	$\begin{array}{l} PL_a^s\\ PL_a^v\\ 2PL_a^v\\ PL_a^v, PL_a^s\\ PL_a^v \end{array}$	$\begin{array}{l} k_{\rm adh}^{+}\!=\!\!2\cdot 10^{10} \\ k_{\rm adh}^{+}\!=\!\!2\cdot 10^{10} \\ k_{\rm adt}^{\rm act}\!=\!3\cdot 10^{8} \\ k_{plt}^{\rm act}\!=\!3\cdot 10^{8} \end{array}$	$\begin{array}{c} k_{\rm adh}^{-} = 0 \\ k_{\rm adh}^{-} = 0 \end{array}$ $k_{e_2}^{\rm act} = 0.50$	a b b

Table 8: PLATELET TRANSITIONS (a) Estimated from data in (Turitto and Baumgartner, 1979; Turitto et al., 1980) as described in (Kuharsky and Fogelson, 2001). (b) Estimated from data in (Gear, 1994) as described in (Kuharsky and Fogelson, 2001). SE=subendothelium.

# References

- Fogelson, A., and N. Tania, 2005. Coagulation under flow: The influence of flow-mediated transport on the initiation and inhibition of coagulation. *Pathophysiol Haemost Thromb* 34:91–108.
- Kuharsky, A., and A. Fogelson, 2001. Surface-mediated Control of Blood Coagulation: The Role of Binding Site Densities and Platelet Deposition. *Biophys J* 80:1050–1074.
- Kamath, P., and S. Krishnaswamy, 200. Fate of Membrane-bound Reactants and Products during the Activation of Human Prothrombin by Prothrombinase. J Biol Chem 283:30164–73.
- Lundblad, R., and G. W. II, 2005. The interaction of thrombin with blood platelets. *Platelets* 16:373–85.
- Baglia, F., C. Shrimpton, J. Emsley, K. Kitagawa, Z. Ruggeri, J. Lopez, and P. Walsh, 2004. Factor XI interacts with leucine-rich repeats of glycoprotein Ibα on the activated platelet. J Biol Chem 279:49323–9.
- Celikel, R., R. McClintock, J. Roberts, G. Mendolicchio, J. Ware, K. Varughese, and Z. Ruggeri, 2003. Modulation of α-Thrombin Function by Distinct Interactions with Platelet Glycoprotein Ibα. Science 301:218–221.
- Emsley, J., P. McEwan, and D. Gailani, 2010. Structure and Function of Factor XI. Blood 115:2569–77.
- White-Adams, T., M. Berny, E. Tucker, J. Gertz, D. Gailani, R. Urbanus, P. de Groot, A. Gruber, and O. Mc-Carty, 2009. Identification of Coagulation Factor XI as a Ligand for platelet Apolipoprotein E Receptor 2 (ApoER2). Arterioscler Thromb Vasc Biol 29:1602–1607.
- Coughlin, S. R., 2005. Protease-activated receptors in hemostasis, thrombosis and vascular biology. J Thromb Haemost 3:1800–14.
- Boulaftali, Y., F. Adam, L. Venisse, V. Ollivier, B. Richard, S. Taieb, D. Monard, R. Favier, M. C. Alessi, M. Bryckaert, V. Arocas, M. Jandrot-Perrus, and M. C. Bouton, 2011. Anticoagulant and antithrombotic properties of platelet protease nexin-1. *Blood* 115:97–106.
- Rau, J. C., J. W. Mitchell, Y. M. Fortenberry, and F. C. Church, 2011. Heparin cofactor II: discovery, properties, and role in controlling vascular homeostasis. *Semin Thromb Hemost.* 37:339–48.
- Turitto, V. T., and E. F. Leonard, 1972. Platelet adhesion to a spinning surface. Trans. Amer. Soc. Artif. Int. Organs 18:348–54.
- Young, M., P. Carroad, and R. Bell, 1980. Estimation of diffusion coefficients of proteins. *Biotech and Bioeng* 22:947–955.
- Mann, K., M. Nesheim, W. Church, P. Haley, and S. Krishnaswamy, 1990. Surface-dependent Reactions of the Vitamin K-dependent enzyme complexes. *Blood* 76:1–16.
- Mann, K., E. Bovill, and S. Krishnaswamy, 1991. Surface-dependent reactions in the propagation phase of blood coagulation. Ann. N. Y. Acad. Sci. 614:63–75.
- Morrissey, J. H., 1995. Tissue Factor Modulation of Factor VIIa Activity: Use in Measuring Trace Levels of Factor VIIa in Plasma,. *Thromb. Haemost.* 74:185–188.
- Novotny, W., S. Brown, J. Miletich, D. Rader, and G. Broze, 1991. Plasma antigen levels of the lipoproteinassociated coagulation inhibitor in patient samples. *Blood* 78:387–93.

- Weiss, H. J., 1975. Platelet Physiology and Abnormalities of Platelet Function (Part 1). New Engl. J. Med. 293:531–541.
- Walsh, P. N., 1994. Platelet-Coagulant Protein Interactions. In R. W. Colman, J. Hirsh, V. J. Marder, and E. W. Salzman, editors, Hemostasis and Thrombosis: Basic Principles and Clinical Practice, J.B. Lippincott Company, Philadelphia, PA, 629–651. 3d edition.
- Nesheim, M. E., D. D. Pittman, J. H. Wang, D. Slonosky, A. R. Giles, and R. J. Kaufman, 1988. The binding of S-labeled recombinant Factor VIII to activated and unactivated human platelets. J Biol Chem 263:16467.
- Ahmad, S. S., R. Rawala-Sheikh, and P. N. Walsh, 1989. Comparative interactions of Factor IX and Factor IXa with human platelets. J Biol Chem 264:3244–3251.
- Mann, K., S. Krishnaswamy, and J. Lawson, 1992. Surface-dependent Hemostasis. Semin Hematol 29:213–26.
- Baglia, F., B. Jameson, and P. Walsh, 1995. Identification and Characterization of a Binding Site for Platelets in the Apple 3 domain of coagulation Factor XI. J Biol Chem 270:6734–40.
- Miller, T., D. Sinha, T. Baird, and P. Walsh, 2007. A Catalytic Domain Exosite (Cys<sup>527</sup>-Cys<sup>542</sup>) in Factor XIa mediates binding to a site on activated platelets. *Biochemistry* 46:14450–60.
- Tracy, P., L. L. Eide, E. J. Bowie, and K. G. Mann, 1982. Radioimmunoassay of factor V in human plasma and platelts. *Blood* 60:59–63.
- Hubbell, J. A., and L. V. McIntire, 1986. Platelet Active Concentration Profiles Near Growing Thrombi. A Mathematical Consideration. Biophys J 50:937–945.
- Butenas, S., and K. Mann, 1996. Kinetics of Human Factor VII activation. Biochemistry 35:1904–1910.
- Limentani, S. A., B. C. Furie, and B. Furie, 1994. The Biochemistry of Factor IX. In R. Colman, J. Hirsh, V. Marder, and E. Salzman, editors, Hemostasis and Thrombosis: Basic Principles and Clinical Practice, J.B. Lippincott Company, Philadelphia, PA, 94–108. 3d edition.
- Nemerson, Y., 1992. The Tissue Factor Pathway of Blood Coagulation. Semin Hematol 29:170–176.
- Monkovic, D. D., and P. B. Tracy, 1990. Functional Characterization of Human Platelet-released Factor V and its Activation by Factor Xa and Thrombin, J Biol Chem 265:17132–40.
- Hill-Eubanks, D., and P. Lollar, 1990. von Willibrand factor is a cofactor for thrombin-catalyzed cleavage of the Factor VIII light chain. J Biol Chem 265:17854–8.
- Lollar, P., G. Knutson, and D. Fass, 1985. Activation of Porcine Factor VIII:C by Thrombin and Factor Xa. Biochemistry 24:8056–8064.
- Gailani, D., and G. Broze Jr., 1991. Factor XI activation in a revised model of blood coagulation. *Science* 253:909–12.
- Gailani, D., D. Ho, M. F. Sun, Q. Cheng, and P. N. Walsh, 2001. Model for a Factor IX activation complex on blood platelets: dimeric conformation of Factor XIa is essential. *Blood* 97:3117–22.

- Sinha, D., M. Marcinkiewicz, D. Navaneetham, and P. Walsh, 2007. Macromolecular substrate-binding exosite on both the heavy and light chains of Factor XIa mediate the formation of the Michaelis Complex required for Factor IX activation. *Biochemistry* 46:9830–9.
- Krishnaswamy, S., K. C. Jones, and K. G. Mann, 1988. Prothrombinase Complex Assembly. Kinetic Mechanism of Enzyme Assembly on Phospholipid Vesicles. J Biol Chem 263:3823–3834.
- Mann, K. G., 1994. Prothrombin and thrombin. In R. Colman, J. Hirsh, V. Marder, and E. Salzman, editors, Hemostasis and Thrombosis: Basic Principles and Clinical Practice, J.B. Lippincott Company, Philadelphia, PA, 184–199. 3d edition.
- Greengard, J., M. Heeb, E. Ersdal, P. Walsh, and J. Griffin, 1986. Binding of coagulation Factor XI to washed human platelets. *Biochemistry* 25:3884–90.
- Monkovic, D., and P. Tracy, 1990. Activation of human Factor V by Factor Xa and thrombin. *Biochemistry* 29:1118.
- Mann, K. G., 1987. The assembly of blood clotting complexes on membranes. TIBS 12:229–233.
- Rawala-Sheikh, R., S. Ahmad, B. Ashby, and P. N. Walsh, 1990. Kinetics of coagulation Factor X activation by platelet-bound Factor IXa. *Biochemistry* 29:2606–11.
- Nesheim, M. E., R. P. Tracy, P. B. Tracy, D. S. Boskovic, and K. G. Mann, 1992. Mathematical Simulation of Prothrominase. *Methods Enzymol.* 215:316–328.
- Rosenberg, R. D., and K. A. Bauer, 1994. The Heparin-antithrombin System: A Natural Anticoagulant Mechanism. In R. W. Colman, J. Hirsh, V. J. Marder, and E. W. Salzman, editors, Hemostasis and Thrombosis: Basic Principles and Clinical Practice, J.B. Lippincott Company, Philadelphia, PA, 837–860. 3d edition.
- Solymoss, S., M. Tucker, and P. Tracy, 1988. Kinetics of inactivation of membrane-bound Factor Va by activated protein C. Protein S modulates Factor Xa protection. J Biol Chem 263:14884–90.
- Jesty, J., T. Wun, and A. Lorenz, 1994. Kinetics of the Inhibition of Factor Xa and the Tissue Factor-Factor VIIa Complex by the Tissue Factor Pathway Inhibitor in the Presence and Absence of Heparin. *Biochemistry* 33:12686–12694.
- Griffin, J. H., 2001. Control of Coagulation Reactions. In E. Beutler, B. Coller, M. Lichtman, T. Kipps, and U. Seligsohn, editors, Williams Hematology, McGraw Hill, New York, 1435–1447.
- Broze, G., and J. Miletich, 1994. Biochemistry and Physiology of Protein C, Protein S, and Thrombomodulin. In R. W. Colman, J. Hirsh, V. J. Marder, and E. W. Salzman, editors, Hemostasis and Thrombosis: Basic Principles and Clinical Practice, Lippincott Company, Philadelpha, 259–276.
- Turitto, V. T., and H. R. Baumgartner, 1979. Platelet Interaction with Subendothelium in Flowing Rabbit Blood: Effect of Blood Shear Rate. *Microvasc. Res.* 17:38–54.
- Turitto, V. T., H. J. Weiss, and H. R. Baumgartner, 1980. The Effect of Shear Rate on Platelet Interaction with Subendothelium Exposed to Citrated Human Blood. *Microvasc. Res.* 19:352–365.
- Gear, A. R. L., 1994. Platelet adhesion, shape change, and aggregation: rapid initiation and signal transduction events. *Can. J. Physiol. Pharmacol.* 72:285–94.