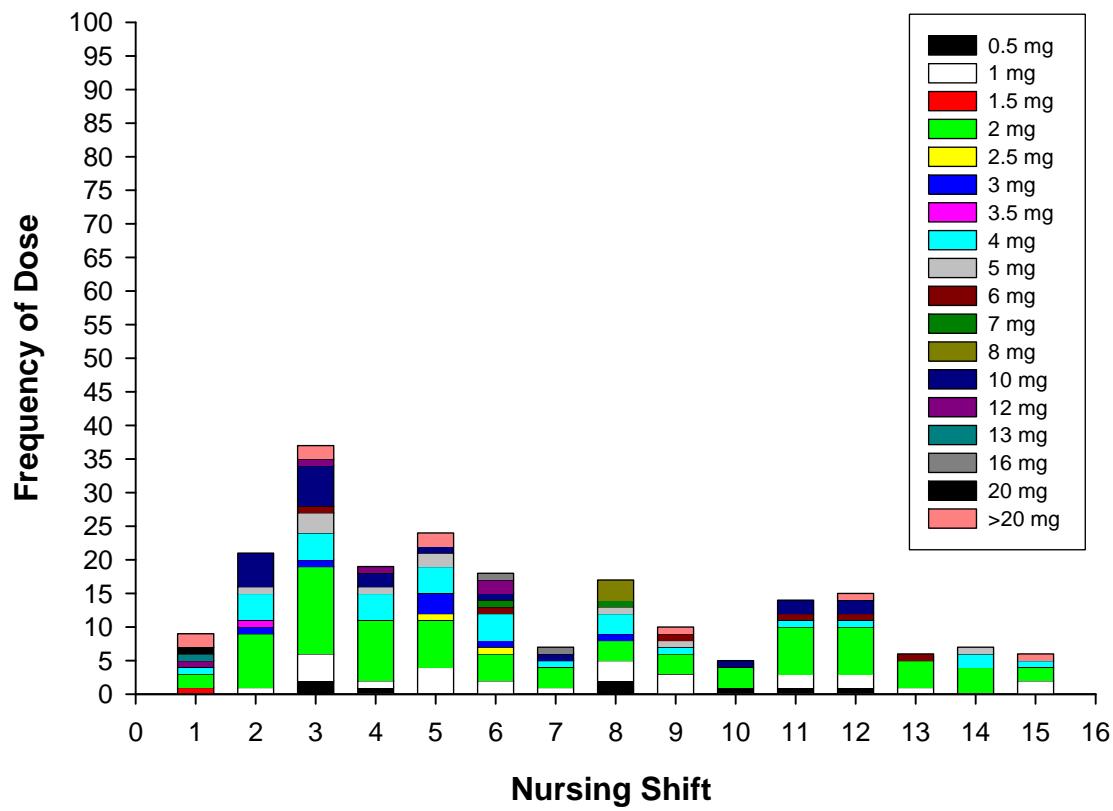


Frequency of Midazolam Dosage by Nursing Shift



Web Appendix: Software Code from SAS and WinBUGS for Models in Article

1. Frequentist ZIP Model in SAS (assumes vertical dataset where each row is a person-observation)

```
*zero inflated poisson, ;
title 'NLMIXED of ZIP Model for Midazolam';
proc nlmixed data=temC.Midaz3Vert;
    parameters b1=0 b2=0 b3=0 b4=0 b5=0 b6=0 b7=0 b8=0 b9=0 b10=0 b11=0
               a1=0 a2=0 a3=0 a4=0 a5=0 a6=0 a7=0 a8=0 a9=0 a10=0 a11=0 s2u=1
;
/* linear predictor for the inflation probability      */
linpinfl = a1 + a2*shift + a3*night + a4*nonwhite + a5*male + a6*iqcodeA +
           a7*intubated + a8*APS
           + a9*icudeath + a10*age + a11*LOSlt5d ;
;
/* infprob = inflation probability for zeros          */
/*          = logistic transform of the linear predictor*/
infprob = 1/(1+exp(-linpinfl));
/* Poisson mean */
lambda = exp(b1 + b1R + b2*shift + b3*night + b4*nonwhite + b5*male +
             b6*iqcodeA + b7*intubated + b8*APS
             + b9*icudeath5 + b10*age + b11*LOSlt5d );
/* Build the ZIP log likelihood */
if MidazDose=0 then
    ll = log(infprob + (1-infprob)*exp(-lambda));
else ll = log((1-infprob)) - lambda + MidazDose*log(lambda) -
lgamma(MidazDose + 1);
model MidazDose ~ general(ll);
random b1R ~ normal(0,s2u) subject=studyid;

run;
```

2. Bayesian ZIP Model in WinBUGS (assumes horizontal dataset with single row per person)

```
model
{
#####
## we nest the 15 shifts within each studyid among the cohort of ICU survivors
## who were in ICU >= 3 days and received Midazolam during that time
## the Midazolam doses have been rounded to nearest unit for use with Poisson
## this is the classic mixture form of the ZIP model where occurrences of zeroes
## are modeled with a logistic regression and the positive integers with a Poisson
## and final likelihood is a mix of the two distributions

for(studyid in 1 : N) {
    for(shift in 1 : NumShifts[studyid]) { # a column called NumShifts is person specific
        # logistic likelihood for extra zeroes
        # coefficients centered around the sample mean of study population to facilitate convergence
    }
}
```

```

logExtraZ[studyid,shift] <-
  beta[1]
  + beta[2]*(shift - 8) +
  + beta[3]*(night[shift] - 0.33)
  + beta[4]*(nonwhite[studyid] - 0.17)
  + beta[5]*(male[studyid] - 0.55)
  + beta[6]*(iqcodea[studyid] - 0.3)
  + beta[7]*(intubated[studyid] - 0.75)
  + beta[8]*(aps[studyid] - 24.3)
  + beta[9]*(icudeath[studyid] - 0.17)
  + beta[10]*(age[studyid] - 73.4)
  + beta[11]*(losLT5d[studyid] - 0.29)
  + Rint[studyid, 1] # this is the random intercept for each person in logistic model

probZ[studyid,shift] <- 1/(1 + exp(-logExtraZ[studyid,shift])) # probZ = probability of a zero dose

# Poisson likelihood for positive integers

log(llambda[studyid,shift]) <-
  alpha[1]
  + alpha[2]*(shift - 8)
  + alpha[3]*(night[shift] - 0.33)
  + alpha[4]*(nonwhite[studyid] - 0.17)
  + alpha[5]*(male[studyid] - 0.55)
  + alpha[6]*(iqcodea[studyid] - 0.3)
  + alpha[7]*(intubated[studyid] - 0.75)
  + alpha[8]*(aps[studyid] - 24.3)
  + alpha[9]*(icudeath[studyid] - 0.17)
  + alpha[10]*(age[studyid] - 73.4)
  + alpha[11]*(losLT5d[studyid] - 0.29)
  + Rint[studyid, 2] # this is the random intercept for each person in Poisson model

probGTZ[studyid,shift] <- probZ[studyid,shift]*(1 - exp(-lambda[studyid,shift])) # prob of MidazDose > 0
d[studyid,shift] <- step(MidazDose[studyid,shift] - 1)

# Log Likelihood is a Mixture of logistic and Poisson

LogLLH[studyid,shift] <-
  (1 - d[studyid,shift])*log(1 - probGTZ[studyid,shift]) # for all zero doses
  + d[studyid,shift]*(log(probGTZ[studyid,shift]) + MidazDose[studyid,shift]*log(lambda[studyid,shift])
  - lambda[studyid,shift] - loggam(MidazDose[studyid,shift] + 1) - log(1 - exp(-lambda[studyid,shift])))

# following lines employ the zeroes trick, i.e., WinBUGS' equivalent of general() in SAS
K <- 10000 # constant required for "zeros trick"
zeros[studyid,shift] <- 0
zeros[studyid,shift] ~ dpois(phi[studyid,shift])
phi[studyid,shift] <- -LogLLH[studyid,shift] + K

} # close shift loop
} # close studyid loop
#####
#####
##### prior distributions for fixed model terms
for (i in 1:11)
{
  alpha[i] ~ dnorm(0,0.1)
}

for (i in 1:11)
{
  beta[i] ~ dnorm(0,0.1)
}

```

```

#####
# prior distributions for random terms

# first for normal locations
for (i in 1:113)
{
  Rint[i,1] ~ dnorm(0,tau1)
  m[i] <- psi*Rint[i,1]
  Rint[i,2] ~ dnorm(m[i], tau2)
}

psi~dnorm(0, 0.001)
tau1 ~ dgamma(0.1,0.1)
tau2 ~ dgamma(0.1,0.1)

# second for variances

sigma1 <- 1/sqrt(tau1)      # SD of Rint[,1]
denom1 <- pow(psi,2)/tau1 + 1/tau2
sigma2 <- sqrt(denom1)       # SD of Rint[,2]
denom2 <- sqrt(denom1/tau1)
num <- psi/tau1
rho <- num/denom2           # corr(Rint[,1],Rint[,2])

#####
}
#####

```

3. Bayesian Random Effects Poisson Model in WinBUGS (assumes horizontal dataset with single row per person)

```

model
{

#####
## we nest the 15 shifts within each studyid among the cohort of ICU survivors
## who were in ICU >= 3 days and received Midazolam during that time

for(studyid in 1 : N) {
  for(shift in 1 : NumShifts[studyid]) { # a column called NumShifts is person specific

    # Poisson likelihood for observed doses
    MidazDose[studyid,shift] ~ dpois(mu[studyid,shift])
    log(mu[studyid,shift]) <- alpha[1]
      + alpha[2]*(shift - 8)
      + alpha[3]*(iqcodea[studyid] - 0.3)
      + alpha[4]*(nonwhite[studyid] - 0.17)
      + alpha[5]*(male[studyid] - 0.55)
      + alpha[6]*(night[shift] - 0.33)
      + alpha[7]*(intubated[studyid] - 0.75)
      + alpha[8]*(aps[studyid] - 24.3)
      + alpha[9]*(icudeath[studyid] - 0.17)
      + alpha[10]*(age[studyid] - 73.4)
      + alpha[11]*(losLT5d[studyid] - 0.29)
      + theta[studyid] + perShift[studyid,shift] # random effects person-shift
  }
}
```

```

}
}

#####
# Prior distribution for the person-shift intercepts
for(studyid in 1 : N) {
  for(shift in 1 : 15) {
    perShift[studyid,shift] ~ dnorm(0,tau.perShift)
  }
}

# Prior distribution for the random intercepts
for (studyid in 1:N)
{
  theta[studyid]~dnorm(0,tau.theta)
}

#####
# prior distributions for the model coefficients
alpha[1:11]~dmnorm(alphamu[],Sigma[,])

#####
#Hyperprior distributions on inverse variance parameter of random effects
tau.theta ~ dgamma(1,1)
tau.perShift ~ dgamma(1,1)

}
#####
#####

```