

Table S2. Model output for oxygen consumption analysis. The OM was a LME model that incorporated Core Identity as a random effect (L. ratio = 30.099, df_1 , $p_{corr} < 0.001$) and allowed the residual spread to vary as an interactive function of Treatment \times Month (L. ratio = 58.330, df_5 , $p < 0.001$):

$$Oxygen_{ij} = Intercept + Time_{ij} + Month_{ij} + Time_{ij} \times Month_{ij} + a_i + \varepsilon_{ij}$$

$$a_i \sim N(0, \sigma_{Core}^2)$$

$$\varepsilon_{ij} \sim N(0, \sigma_{kl}^2)$$

where a_i is a random intercept and the index i refers to cores ($i = 1, \dots, 18$), j to the observations within each core ($j = 1, \dots, 5$), k to the treatment ($k = 1, \dots, 2$) and l to the Month ($l = 1, \dots, 2$). Model output for oxygen analysis: Random effect (a), variance function (b), correlation coefficients of observations made within each variance grouping (intra-class correlation) (c) and fixed effects (d). FP = faecal pellet. *Note the intercept (baseline) is the control treatment in May.

(a)	Model term	σ
	Core ID	1.743

(b)	Variance term	Variance estimates
	Ctrl×May	8.060
	FP×May	7.963
	Diatom×May	15.461
	Ctrl×October	3.586
	FP×October	2.573
	Diatom×October	1.803

(c)	Model term	Intra-class correlation
	Ctrl×May	0.274
	FP×May	0.276
	Diatom×May	0.164
	Ctrl×October	0.459
	FP×October	0.541
	Diatom×October	0.628

(d)	Model term	Value ± SE	df	t	p
	Intercept*	80.549 ± 0.648	211	124.306	<0.001
	Time	-1.983 ± 0.138	211	-14.401	<0.001
	October	-12.226 ± 0.809	34	-15.122	<0.001
	Time×October	0.389 ± 0.155	211	2.506	0.013