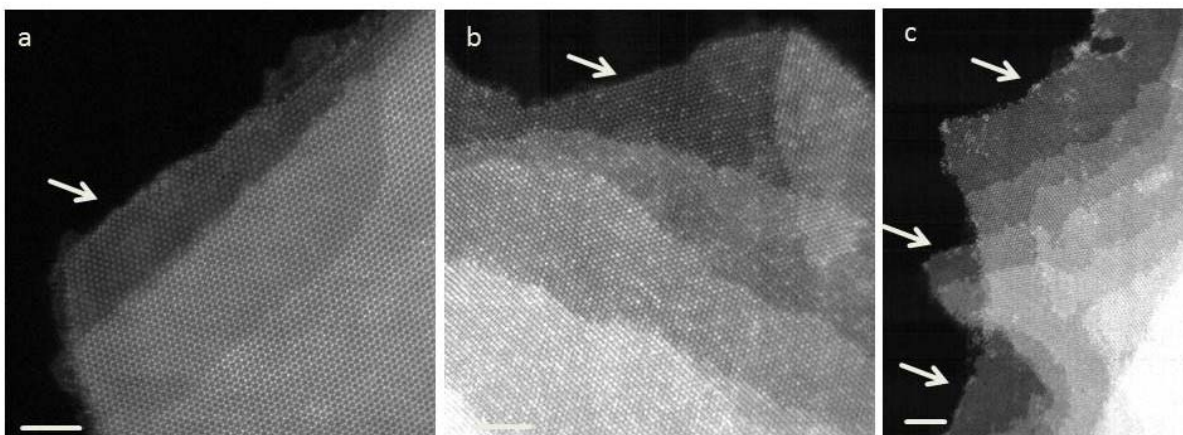
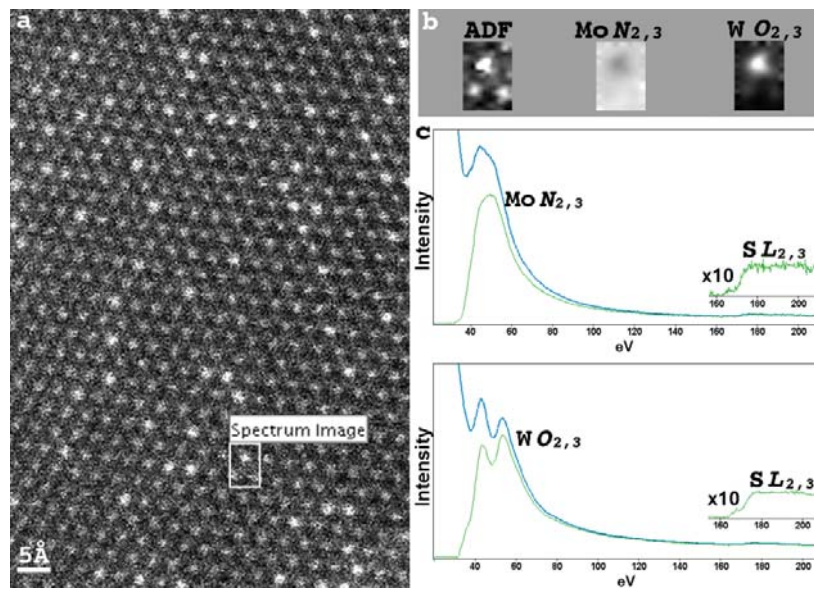


## Supplementary Figures

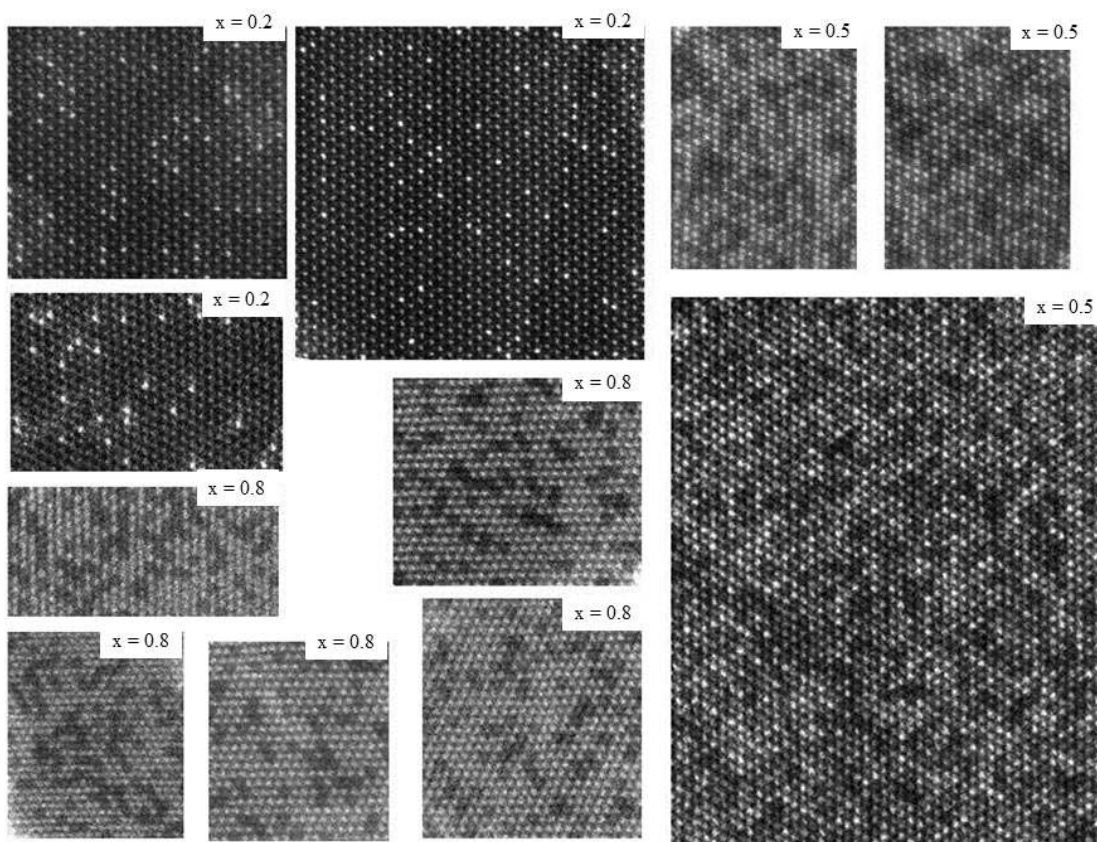


### Supplementary Figure S1. Cleaved $\text{Mo}_{1-x}\text{W}_x\text{S}_2$ specimens with single- to few-layered regions.

(a, b, c) Examples of **scanning transmission electron microscope annular dark-field** images of mixed  $\text{Mo}_{1-x}\text{W}_x\text{S}_2$  layers ( $x = 0, 0.2, \text{ and } 1$ ).  $x$  refers to the starting materials. The single-layer regions are marked with white arrows. Scale bars = 3 nm. Note that some regions with less contrast and no periodic structure are the amorphous carbon layers of inevitable contamination during the transfer process.



**Supplementary Figure S2. Electron energy loss spectroscopy (EELS) analysis of a single layer of  $\text{Mo}_{1-x}\text{W}_x\text{S}_2$  ( $x = 0.2$ ).** (a) annular dark-field (ADF) image shows a rectangular region from which the spectrum image was taken. (b) EELS chemical maps of Mo and W obtained simultaneously with the ADF image from the rectangle in (a). The energy dispersion was set to 0.25 eV with the binning 2. The acquisition time for each spectrum is  $\sim 0.05$  sec. The W *O*-edge and Mo *N*-edge were extracted after a background subtraction. Blue and green lines show the spectra before and after the power-law background subtraction. They clearly show one W atom and two Mo atoms involved in the rectangular area. Because the two edges are overlapping together, the multiple linear least squares fitting was performed by using the low-loss spectra. (c) The reference spectra recorded from the pure  $\text{MoS}_2$  and  $\text{WS}_2$  layers, involving W  $O_{2,3}$  edge and Mo  $N_{2,3}$  edge. Note that the spectra should be carefully recorded from the single layer regions without any carbon contamination. A principal component analysis (PCA) was used to extract the chemical maps.



**Supplementary Figure S3. Examples for unprocessed scanning transmission electron microscope annular dark-field images used for alloying quantifications (Fig. 3).** The brighter spot corresponds to the W atom and less brighter to the Mo atom. The S atoms appear much darker and are not always visible. The neighbouring two transition atoms are separated at  $\sim 0.42$  nm. The magnification is slightly different for all the images.

## Supplementary Methods

### Error bars in alloying degree calculations:

In our case for W atoms, taking into account total 6 neighbours for each atom, the formulas for alloying degree [32] can be transformed to:

$$P_{observed} = \frac{\sum_{i=0}^6 (i \times N_{W-iMo})}{6 \times N_W},$$

$$P_{random} = \frac{N_{Mo}}{N_W + N_{Mo}},$$

where  $N_W$  and  $N_{W-iMo}$  are the total number of W atoms and number of W atoms surrounded by  $i$  Mo atoms ( $i = 0$  to 6), respectively. Thus,

$$J_W = \frac{P_{observed}}{P_{random}} \times 100\% = \frac{(N_W + N_{Mo}) \sum_{i=0}^6 (i \times N_{W-iMo})}{6 \times N_W \times N_{Mo}} = \frac{1}{6} \left( \frac{1}{N_W} + \frac{1}{N_{Mo}} \right) \sum_{i=0}^6 (i \times N_{W-iMo}).$$

As a result for Mo atoms:

$$J_{Mo} = \frac{R_{observed}}{R_{random}} \times 100\% = \frac{1}{6} \left( \frac{1}{N_{Mo}} + \frac{1}{N_W} \right) \sum_{i=0}^6 (i \times N_{Mo-iW}),$$

where  $R_{observed}$  is defined as the ratio of the averaged W coordination number to the total coordination number 6, and  $R_{random}$  is the atomic ratio of W in the examined layer.

The error bars for the content and alloying degree were calculated taking into consideration the statistical calculation of W and Mo atoms in a layer. The obtained result depends directly on a sample size (total population of atoms in a sample). The samples with smaller sample size used for the atoms counting show bigger error values for content and alloying degree calculations.