## Text S1

# Sensitivity study for the extrinsic incubation period and C. obsoletus models

Katharina Brugger<sup>\*</sup> and Franz Rubel

Institute for Veterinary Public Health, University of Veterinary Medicine Vienna, Veterinärplatz 1, 1210 Vienna, Austria

#### Sensitivity study for the extrinsic incubation period

In this study the extrinsic incubation period is expressed by its reciprocal, the virus reproduction rate  $\gamma_M(T)$ . Available functional relationships are depicted in Figure S1. The sensitivity of the basic reproduction number  $R_0$  concerning the application of different temperature dependent functions  $\gamma_M(T)$  is depicted in Figure S2. The sensitivity of the Bluetongue risk assessment regarding alternative extrinsic incubation periods is low.

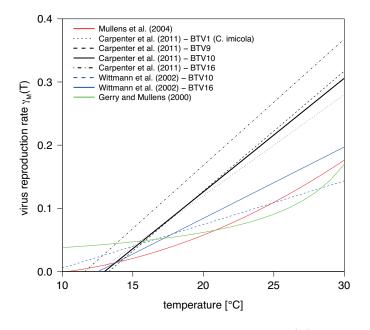


Figure S1: Temperature dependent virus reproduction rates  $\gamma_M(T)$ . In red after [1], in black after [2], in blue after [3], and in green after [4].

<sup>\*</sup>Corresponding author. Tel.: +43 1 25077 3533; Fax: +43 1 25077 3590.

E-mail address: katharina.brugger@vetmeduni.ac.at (K. Brugger).

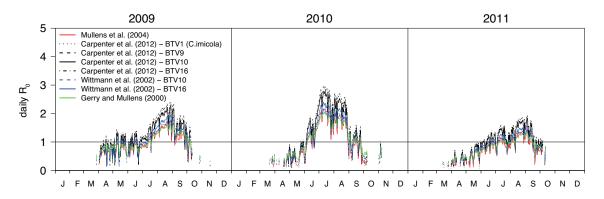


Figure S2: Simulated daily R<sub>0</sub>-values for the different virus reproduction rates  $\gamma_M(T)$ . Location Vienna, period 2009-2011.

### Sensitivity study for C. obsoletus models

Alternatively, two linear regression models were applied to simulate C. obsoletus densities in unsampled regions. The first, a Poisson regression model, gives an accurate estimate of the mean but underestimates the variance. The second, a Negative Binominal regression model, avoids overdispersion but overestimates the mean (Table S1). In this study we prefer the first one. A comparison of Figures 5 and S3 demonstrates the minor impact, i.e. the low sensitivity, of the C. obsoletus model on the Bluetongue risk assessment. The verification of the Poisson model results in a sensitivity of 0.81 and a specificity of 0.53. Applying the Negative Binomial model leads to a slightly higher sensitivity of 0.89, but a lower specificity of 0.43.

The formula for the Negative Binomial model reads as follows

$$log_e(n_i+1) = -1.4991 + 0.0986 \ T_{i,i} + 0.1296 \ \overline{T}_{i-37,i} + 1.1658 \ \overline{P}_{i-100,i-16}, \tag{1}$$

with the daily temperature T, the mean temperature  $\overline{T}$ , and the mean logarithmic precipitation  $\overline{P}$  (all coefficients significant with p < 0.001).

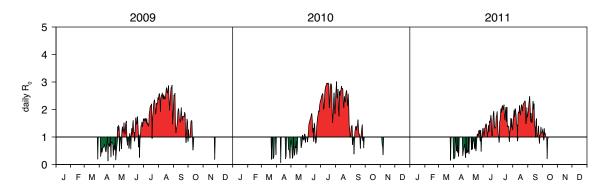


Figure S3: Simulated daily  $R_0$ -values based on standard parameters and *C. obsoletus* densities estimated by the Negative Binominal regression model. Location Vienna, period 2009-2011.

	mean	variance
observed midges	14.92	959.91
simulated midges - Poisson regression	14.92	438.88
simulated midges - Negative Binominal regression	19.38	830.17

 Table S1: Mean and variance estimated by the Poisson and the Negative Binominal regression model.

## References

- 1. Mullens B, Gerry A, Lysyk T, Schmidtmann E (2004) Environment effects on vector competence and virogenesis of bluetongue virus in culicoides: interpreting laboratory data in a field of context. Veter Ital 40: 160-166.
- Carpenter S, Wilson A, Barber J, Veronesi E, Mellor P, et al. (2011) Temperature dependence of the extrinsic incubation period of orbiviruses in culicoides biting midges. PLoS ONE 6: e27987.
- 3. Wittmann EJ, Mello PS, Baylis M (2002) Effect of temperature on the transmission of orbiviruses by the biting midge, Culicoides sonorensis. Med Vet Entomol 16: 147-156.
- Gerry A, Mullens B (2000) Seasonal abundance and survivorship of *Culicoides sonorensis* (Diptera: Ceratopogonidae) at a sousouth California dairy, with reference to potential bluetongue virus transmission and persistence. J Med Entomol 37: 675-688.