

Supporting Information © Wiley-VCH 2013

69451 Weinheim, Germany

Probing Local Backbone Geometries in Intrinsically Disordered Proteins by Cross-Correlated NMR Relaxation**

Jan Stanek, Saurabh Saxena, Leonhard Geist, Robert Konrat,* and Wiktor Koźmiński*

anie_201210005_sm_miscellaneous_information.pdf

Supporting Information

Appendix. **Structural information embedded in C`(CSA)-NH(DD) cross-correlation rate**

Carbonyl 13 C` chemical shift anisotropy – dipolar NH cross-correlation rate is given by

$$
\Gamma_{H_N N(i), C(i)} = \frac{4}{15} \frac{h}{2\pi} \frac{\gamma_H \gamma_C \omega_C}{r_{NH}^3} \tau_C \cdot f(\sigma_x, \sigma_y, \sigma_z)
$$
\n[1]

where τ_c is the (local) correlation time, γ_H and γ_C are gyromagnetic ratios of ¹H and ¹³C, respectively, r_{NH} is the distance between amide ¹H and ¹⁵N spins, and ω_c is the Larmor frequency of ¹³C spins. $f(\sigma_x, \sigma_y, \sigma_z)$ is the determined by magnitude (i. e. principal values) of ${}^{13}C$ CSA tensor and orientation of NH vector in the frame of its principal axes. Thus, this term is also a function of dihedral angles φ*ⁱ* and ψ*ⁱ* .

$$
f = f(\sigma_x, \sigma_y, \sigma_z, \varphi, \psi) \tag{2}
$$

Therefore, a single C'(CSA)-NH(DD) CCR rate does not allow to unambiguously determine these dihedral angles. However, Kloiber and Konrat showed that rather small negative values are characteristic for residues in α -helical regions while greater absolute values are typical for residues in loops $^{[1]}$. Furthermore, β -turns of type I and II can be distinguished by inspection whether CCR value is nonnegative (type I) or of alternating sign (type II) for consecutive $i+1$ and $i+2$ residues in the β -turn.

For example, let us recall the selected CCR values measured for BASP1 at pH=2 and 6:

It can be concluded that CCR values are systematically and, for some residues, noticeably smaller at lower pH. This indicates the shift of secondary structure populations towards α -helices upon decrease of pH.

It should be emphasized that variations of local correlation time and anisotropic local motions in the protein backbone influence cross-correlation rates and complicates the quantitative analysis of the results. However, as we have already shown ^[2] the simultaneous fitting of several backbone-dependent cross-correlation rates lead to reliable distributions of dihedral backbone angles even in the presence of internal mobility. The here proposed multi-dimensional CCR experiment offers additional (independent) information about dihedral angle and further constraints the number of solutions. We thus propose to include this novel CCR experiment in the already described Z-surface approach for backbone dihedral angle determination.

Figure S1. Pulse sequence for the 4D HNCACO-CCR experiment. Narrow and wide bars represent/indicate 'hard' 90° and 180° pulses, respectively. All pulses are applied along the *x*-axis of the rotating frame unless indicated otherwise. ¹H and ¹⁵N composite pulse decoupling is performed with WALTZ-16^[3] and WURST-40^[4], respectively. Water-selective *sinc*-shaped $\pi/2$ -pulse of duration of 1.22 ms is employed. Selective sinc-shaped π pulses, with $\gamma B_1/2\pi = 12.0$ kHz and duration of 68.2 μ s (adjusted to obtain inversion of C' spin with no effect at C^{α}) are represented by wide grey *sinc*-shaped pulses. Gray bell-shaped pulses represent ${}^{13}C^{\alpha}$ -selective Q3 pulses ${}^{[5]}$ of duration of 220 µs and peak r.f. 14.5 kHz. Six-element composite pulse ^[6] is employed for simultaneous inversion of C^{α} and C^{γ} spins. Other carbon 90° (180°) pulses are rectangular, with rf. field strength adjusted to $|\Delta\Omega_{C_A-C}|\sqrt{15}$ ($\sqrt{3}$) and duration of 46.6μs (41.7μs). Off-resonance pulses were applied using phase modulation of the carrier. 'BS' denotes Bloch-Siegert compensating pulse. The delays are $\tau_a = 2.69$ ms, $\tau_b = 14$ ms, $\tau_c = 3.15$ ms, $\tau_d = 4$ ms, $\tau_e =$ 0.35 ms. Constant-time duration T_c is 90 ms. The delay $\xi = 2pw90(C')/\pi$ compensates C' evolution during $\pi/2$ pulses flanking constant-time period. C^{α} and ¹⁵N are evolved in the semi-constant time manner with contraction delays $\eta_2 = \tau_d \cdot t_2 / t_{2,\text{max}}$ and $\eta_3 = \tau_b \cdot t_3 / t_{3,\text{max}}$. Water magnetization is stored along z-axis for detection to efficiently suppress solvent signal and avoid saturation of amide protons. Quadrature detection in t_1 and t_2 is accomplished by altering ϕ_1 and ϕ_2 , respectively, according to the States-TPPI procedure. Echo and anti-echo signals in t_3 dimension were recorded in the interleaved fashion by inversion of gradient G_7 and shift of ϕ_5 by π accordingly. The ϕ_3 and receiver phase are inverted for even numbered points in t_3 to achieve axial peak displacement in ω_3 . The phase cycle employed is: $\phi_1 = x$, $\omega_2 = x$; $\phi_3 = x$; $\phi_4 = 2(x)$,

 $2(-x)$; $\phi_5 = x$; $\phi_{\text{rec}} = x$, -x, -x, x. The ¹H carrier frequency is set on resonance with the water signal (4.77 ppm). The ¹³C carrier frequency, initially set to 58.6 ppm (${}^{13}C^{\alpha}$), is switched to 176.6 ppm (${}^{13}C$) for the duration of CT block as indicated by vertical arrows. The ¹⁵N carrier is placed at 117.8 ppm. Gradients durations and strengths are: G_1 (0.5 ms, 19.5 G/cm), G_2 (1 ms, 14.2 G/cm), G_3 (0.5 ms, 6.4 G/cm), G_4 (2 ms, 31.9 G/cm), G_5 (0.5 ms, 3.5 G/cm), G_6 (0.5 ms, 5.3 G/cm), G_7 (0.2 ms, $-$ /+32.3 G/cm).

Inter-scan delay of 1.2 s was used. 3350 (5000) sampling points (t_1, t_2, t_3) were randomly chosen from 180 \times 62 \times 125 Cartesian grid according to Gaussian probability distribution $p(t) = \exp[-(t/t_{max})^2/2\sigma^2]$; σ =0.5. The total experiment duration was 44 and 66 h for Chicken BASP1 samples at pH 2 and 6, respectively. Maximum evolution times of 90 (t_1) , 10 (t_2) and 50 ms (t_3) were achieved in the indirectly detected dimensions. Spectral widths of 2.0 (ω_1), 6.2 (ω_2), 2.5 (ω_3) and 12 kHz (ω_4) were assumed.

Figure S2. Change of secondary structure propensity (SSP) of BASP1 upon pH drop from 6 to 2 plotted for individual aminoacid residues across full protein length. SSP for a particular pH was calculated as a difference of C^{α} and C^{β} chemical shifts (δC^{α} - δC^{β}). Noteworthy is the significant change of SSP for residues 30-120 indicating increased preference for helical conformations at lower pH.

References:

- [1] K. Kloiber, R. Konrat, *J. Am. Chem. Soc.* **2000**, *122*, 12033-12034.
- [2] K. Kloiber, W. Schüler, R. Konrat, *J. Biomol. NMR* **2002**, *22*, 349-363.
- [3] A. J. Shaka, J. Keeler, R. Freeman, *J. Magn. Reson.* **1983**, *53*, 313-340.
- [4] Ē. Kupče, R. Freeman, *J. Magn. Reson. Ser. A* **1995**, *115*, 273-276.
- [5] L. Emsley, G. Bodenhausen, *J. Magn. Reson.* **1992**, *97*, 135-148.
- [6] A. J. Shaka, *Chem Phys Lett* **1985**, *120*, 201-205.