## Multimedia Appendix 1: Details of Data Visualization

GMap (1) generates a layout of the graph and then (2) clusters vertices based upon similarity in order to (3) produce a map of "countries". Each country corresponds to a cluster, where adjacent countries indicate strongly related clusters (FIGURE 3A and 4A). In step (1), the vertices of the graphs are assigned vertices xycoordinates in an attempt to best obtain edge lengths inversely proportional to their weight. This is done using either a scalable force-directed [1] or a multidimensional scaling (MDS) [2] layout algorithm, corresponding to running the fdp and neato GraphViz layout commands, respectively. We chose fdp instead of neato to create the canonical maps. Each vertex is then labeled; but labels can become unreadable if they overlap. To solve this problem, the prism algorithm eliminates overlaps by repositioning labels [3]. In step (2), the GraphViz cluster command is run to group related hashtags into meaningful clusters using a modularity-based clustering algorithm [4]. For instance, all hash tags pertaining to grains may become a cluster. Finally, in step (3), the GraphViz gymap command, described next, generates a geographic map representation of the data.

The gymap command creates a Voronoi diagram [5], using the boundaries of the labels so that Voronoi cells can be grouped into the clusters forming "countries". This leads to the formation of "continents" and "islands" bounded by a surrounding ocean leading to natural-looking borders. To promote readability, each country is assigned a unique color. Ideally, adjacent countries should not be colored too similarly. Given that this is an NP-hard problem [6], a greedy heuristic is used.

## References:

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