

**File S1**  
**Supplementary Document**

**Application of kernel-ABC for three populations**

We applied the kernel-ABC method to infer the demography of macaques using the IGS data of Indonesian-Malaysian *M. fascicularis* ( $2N = 30$ ), Philippine *M. fascicularis* ( $2N = 18$ ), and Burmese *M. mulatta* ( $2N = 10$ ), which was previously analyzed using a different method (NAKAGOME *et al.* 2012; OSADA *et al.* 2010). The sequence data were summarized into SFS in each population ( $SFS_{IM}$ ,  $SFS_P$ , and  $SFS_R$ ) and three dimensional tensors of HFS (3D-HFS) (Figure S1). The demographic model is shown in Figure S2. In order to investigate the trend of population size change in two *M. fascicularis* populations, we set no assumption for the population size changes and used the same prior density of  $LN(100000, 100000^2)$  for  $N_R$ ,  $N_{C-anc}$ ,  $N_{IM}$ , and  $N_P$ , respectively. The conditions of kernel-ABC and coalescent simulations were the same as those described in Materials and Methods. The estimated parameters are shown in Table S1, supporting the population expansion in the Indonesian-Malaysian *M. fascicularis* and population contraction in the Philippine *M. fascicularis*.

**Validation of kernel-ABC in two population models**

We generated samples that have the same number of loci (26 loci) and similar parameter values to our estimated parameter values in a constant population size model, Model 1, and Model 2 with 25% size. For each model, we generated 10,000 simulated datasets using the parameter values shown in Table S2, and calculated the average of summary statistics (2D-SFS and 2D-HFS) across all datasets. Next, we chose a typical dataset as an observation, which has the smallest sum of squared deviations from the average. Posterior means of demographic parameters were estimated using the kernel-ABC method with 20,000 samples, and the process was repeated for 100 times.

**References**

- Nakagome, S., K. Fukumizu and S. Mano, 2012 Kernel approximate bayesian computation for population genetic inferences. ArXiv e-prints: arXiv:1205.3246.
- Oada, N., Y. Uno, K. Mineta, Y. Kameoka, I. Takahashi *et al.*, 2010 Ancient genome-wide admixture extends beyond the current hybrid zone between *Macaca fascicularis* and *M. mulatta*. *Mol. Ecol.* **19**: 2884-2895.

(a)

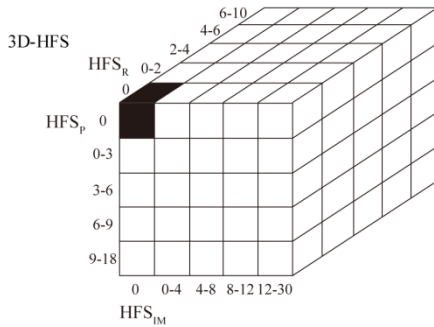
		SFS <sub>IM</sub>				
2D-SFS		0	0-4	4-8	8-12	12-30
SFS <sub>p</sub>	0	0	159	19	7	5
	0-3	17	12	1	1	3
	3-6	8	9	5	1	1
	6-9	5	2	7	1	2
	9-18	4	5	5	9	38

		HFS <sub>IM</sub>				
2D-HFS		0	0-4	4-8	8-12	12-30
HFS <sub>p</sub>	0	0	196	11	5	0
	0-3	41	16	6	2	0
	3-6	11	9	2	1	3
	6-9	1	8	2	3	2
	9-18	1	1	2	2	3

(b)

		0-4	4-8	8-12	12-16	16-30
SFS <sub>M</sub>		185	37	19	10	43
		0-3	3-6	6-9	9-12	12-18
SFS <sub>p</sub>		34	24	17	28	37
		0-2	2-4	4-6	6-8	8-10
SFS <sub>R</sub>		102	19	9	10	29

		6-10	0	0-4	4-8	8-12	12-30
HFS <sub>R</sub>	0	0	1	2	0	2	0
	0-3	0	1	0	0	0	0
	3-6	0	0	0	0	0	0
	6-9	0	0	0	0	0	0
	9-18	0	0	0	0	0	0



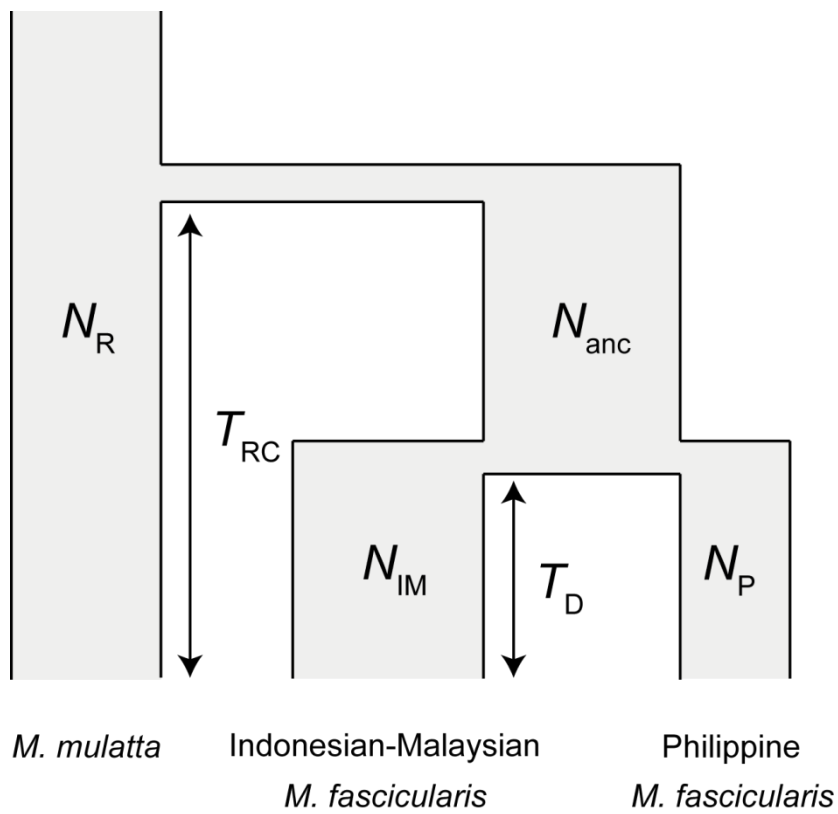
		4-6	0	0-4	4-8	8-12	12-30
HFS <sub>p</sub>	0	0	1	2	0	0	0
	0-3	0	0	1	1	0	0
	3-6	0	1	0	0	0	1
	6-9	0	0	0	0	0	0
	9-18	0	0	0	0	0	0

		2-4	0	0-4	4-8	8-12	12-30
HFS <sub>p</sub>	0	0	9	1	1	0	0
	0-3	0	1	1	0	2	0
	3-6	0	0	1	0	0	0
	6-9	0	0	0	0	0	0
	9-18	0	0	0	0	0	0

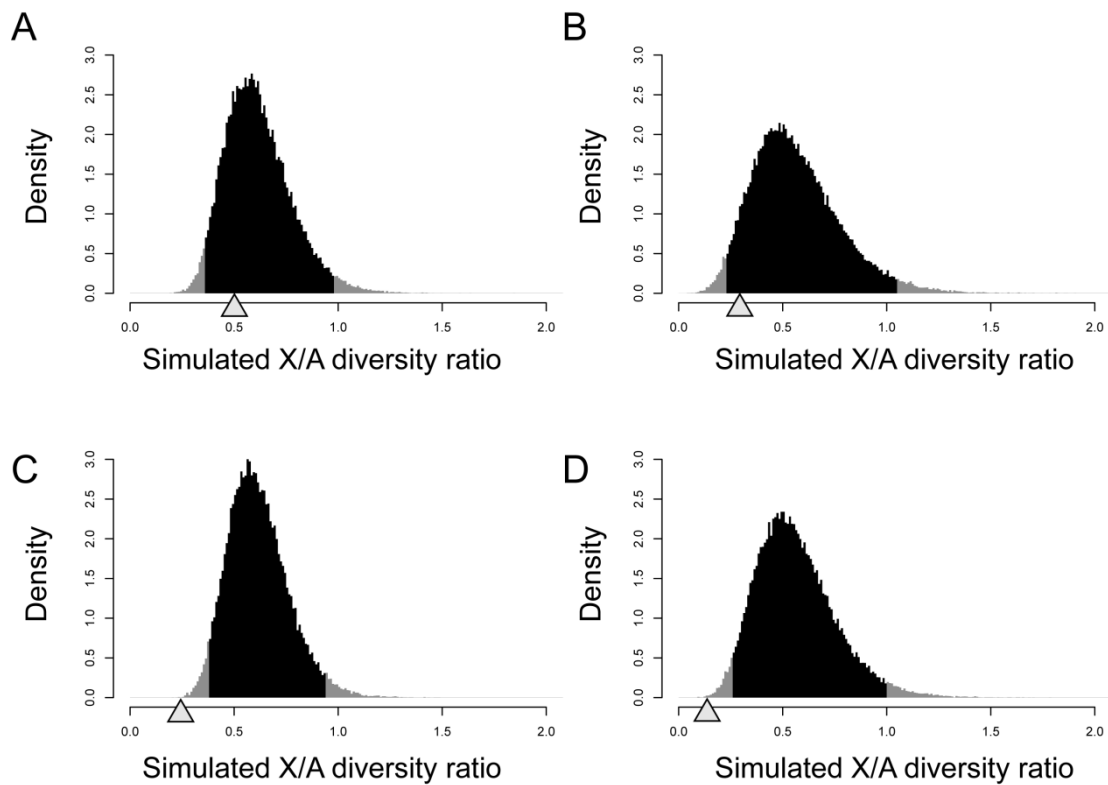
		0-2	0	0-4	4-8	8-12	12-30
HFS <sub>p</sub>	0	0	69	7	2	0	0
	0-3	0	1	0	2	0	0
	3-6	0	1	0	0	1	0
	6-9	0	0	1	0	0	2
	9-18	0	0	0	1	0	0

		0	0	0-4	4-8	8-12	12-30
HFS <sub>p</sub>	0	0	0	182	9	3	0
	0-3	0	0	37	16	2	0
	3-6	0	0	9	7	2	0
	6-9	0	0	2	7	2	3
	9-18	0	0	1	1	2	1

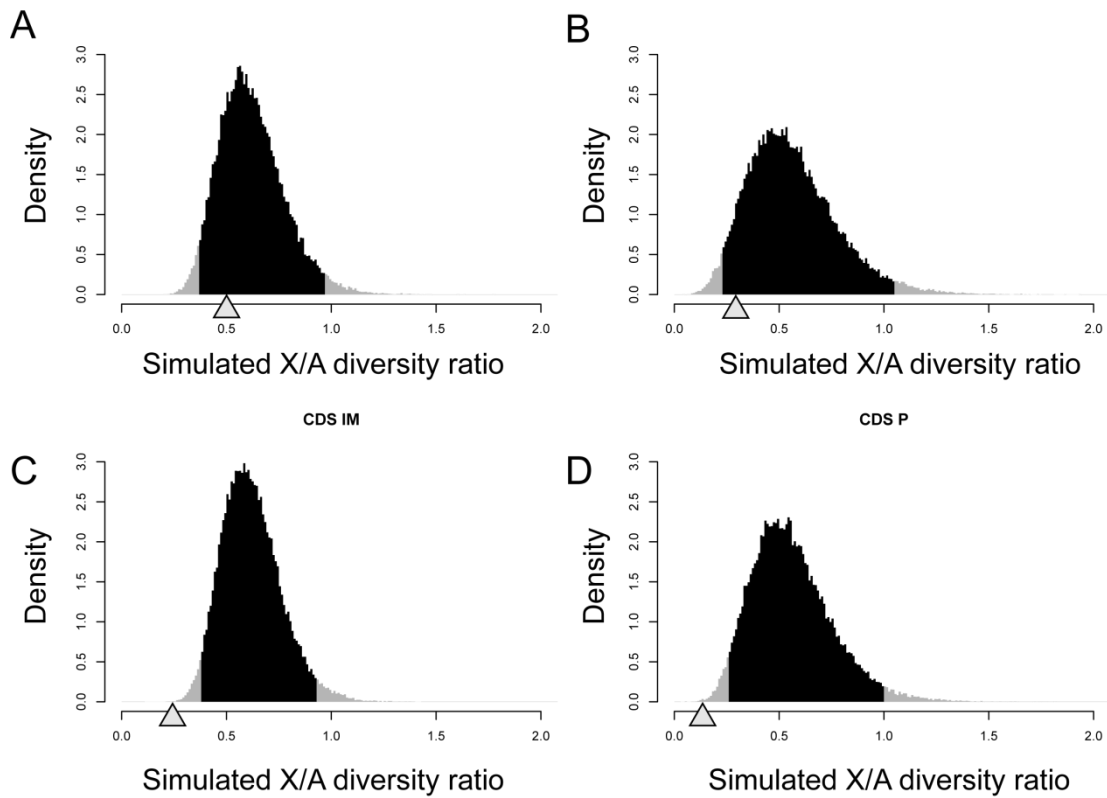
**Figure S1** Observed summary statistics for sequence data from (a) two populations (*M. fascicularis*) and (b) three populations (*M. mulatta* and *M. fascicularis*). (a) The data are summarized into 2D-SFS ( $5 \times 5$  bins excluding one bin with the frequency "0") and 2D-HFS ( $5 \times 5$  bins excluding one bin with the frequency "0"). The frequencies of alleles or haplotypes are binned with "4" in the Indonesian-Malaysian population and "3" in the Philippine population. The 5th bins in SFS<sub>IM</sub> and HFS<sub>IM</sub>, or SFS<sub>p</sub> and HFS<sub>p</sub> are "12–30," or "9–18," respectively (b) The data from Burmese *M. mulatta* are added into those from the two populations. SFS<sub>R</sub> and HFS<sub>R</sub> are binned with "2," and the 5th bins are "8–10" and "6–10." 3D-HFS is represented as each section separated by the bin of HFS<sub>R</sub>.



**Figure S2** A demographic model of macaques. Two species have split at time  $T_{RC}$  and the two local populations of *M. fascicularis* have split at time  $T_D$ .



**Figure S3** Distribution of X/A diversity ratio in the simulated datasets. The average recombination rate on the X chromosome was assumed to be a half of that on autosomes. The solid bars represent the density of X/A diversity ratio in the simulated datasets. The black bars indicate 95% confidence intervals. The grey triangles point out the observed values. Mean recombination rate on the X chromosome was a half of that on autosomes. Each panel represents A) IGS in the Indonesian-Malaysian population, B) IGS in the Philippine population, C) CDS in the Indonesian-Malaysian population, and D) CDS in the Philippine population.



**Figure S4** Distribution of X/A diversity ratio in the simulated datasets. *Papio anubis* instead of humans was used for ancestral state inference. The average recombination rate on the X chromosome was assumed to be the same as that on autosomes. The solid bars represent the density of X/A diversity ratio in the simulated datasets. The black bars indicate 95% confidence intervals. The grey triangles point out the observed values. Mean recombination rate on the X chromosome was a half of that on autosomes. Each panel represents A) IGS in the Indonesian-Malaysian population, B) IGS in the Philippine population, C) CDS in the Indonesian-Malaysian population, and D) CDS in the Philippine population.

**Table S1 Estimated demographic parameters under the three population model**

parameters	Priors	Posterior estimates	
		Mean	S.D.
$N_R$	LN(E=100000, V=100000 <sup>2</sup> )	96,958	3,734
$N_{C-anc}$	LN(E=100000, V=100000 <sup>2</sup> )	113,605	37,636
$N_{IM}$	LN(E=100000, V=100000 <sup>2</sup> )	335,194	30,004
$N_P$	LN(E=100000, V=100000 <sup>2</sup> )	50,160	15,720
$T_{RC}^*$	LN(E=100000, V=100000 <sup>2</sup> )	82,522	6,295
$T_D^*$	LN(E=100000, V=100000 <sup>2</sup> )	31,425	3,799

\* Unit is a generation

**Table S2 Accuracy of kernel ABC under population divergence models with constant size and expansion and bottleneck**

		$N_{anc}$	$N_{IM}$	$N_P$	$T_D^*$	$T_C^*$
Constant size model						
True values		100,000	100,000	100,000	25,000	–
Priors		LN(E=200000, V=200000 <sup>2</sup> )	LN(E=200000, V=200000 <sup>2</sup> )	LN(E=200000, V=200000 <sup>2</sup> )	LN(E=50000, V=50000 <sup>2</sup> )	–
Posterior estimates	Mean	102,064	104,553	98,028	25,602	–
	S.D.	627	4,684	5,059	315	–
Model 1						
True values		100,000	1,000,000	50,000	25,000	–
Priors		LN(E=200000, V=200000 <sup>2</sup> )	LN(E=500000, V=500000 <sup>2</sup> )	LN(E=100000, V=100000 <sup>2</sup> )	LN(E=50000, V=50000 <sup>2</sup> )	–
Posterior estimates	Mean	109,705	970,719	52,136	25,524	–
	S.D.	759	31,078	787	275	–
Model 2 (25%)						
True values		100,000	1,000,000	50,000	25,000	5,000
Priors		LN(E=200000, V=200000 <sup>2</sup> )	LN(E=500000, V=500000 <sup>2</sup> )	LN(E=100000, V=100000 <sup>2</sup> )	LN(E=50000, V=50000 <sup>2</sup> )	LN(E=10000, V=10000 <sup>2</sup> )
Posterior estimates	Mean	94,931	817,480	60,852	29,840	6,972
	S.D.	486	16,354	717	293	176

\* Unit is a generation