

## APPENDIX S1. MODEL EQUATIONS AND PARAMETERS.

### BIOCHEMICAL PART

#### Cell compartments

Parameter	Definition	Value	Reference
$A_{cap}$	Capacitive membrane area	$1.534 \times 10^{-4} \text{ cm}^2$	Bondarenko et al. [25]
$V_{cell}$	Cell volume	$38.00 \times 10^{-6} \mu\text{l}$	Bondarenko et al. [25]
$V_{cyt}$	Cytosolic volume	$25.84 \times 10^{-6} \mu\text{l}$	Bondarenko et al. [25]
$V_{JSR}$	Junctional SR volume	$0.12 \times 10^{-6} \mu\text{l}$	Bondarenko et al. [25]
$V_{NSR}$	Network SR volume	$2.098 \times 10^{-6} \mu\text{l}$	Bondarenko et al. [25]
$V_{ss}$	Subspace volume	$1.485 \times 10^{-9} \mu\text{l}$	Bondarenko et al. [25]
$V^{cav}$	Caveolar volume	$0.02 \times V_{cell}$	Heijman et al. [8]
$V^{ecav}$	Extracaveolar volume	$0.04 \times V_{cell}$	Heijman et al. [8]

#### The protein P concentrations in the cell ( $[P]^{cell}$ ), caveolae, extracaveolae, and cytosol

$$[P]^{cav} = f_p^{cav} \cdot [P]^{cell} \cdot \frac{V_{cell}}{V^{cav}} \quad (\text{A.1})$$

$$[P]^{ecav} = f_p^{ecav} \cdot [P]^{cell} \cdot \frac{V_{cell}}{V^{ecav}} \quad (\text{A.2})$$

$$[P]^{cyt} = (1 - f_p^{cav} - f_p^{ecav}) \cdot [P]^{cell} \cdot \frac{V_{cell}}{V^{cyt}} \quad (\text{A.3})$$

#### $\beta_1$ -adrenergic receptor module

Parameter	Definition	Value	Reference
$[L]$	Ligand concentration	$0..100 \mu\text{M}$	
$[R_{\beta 1}]_{tot}$	Total $\beta_1$ -adrenoceptor concentration	$0.0103 \mu\text{M}$	Hilal-Dandan et al. [29]
$f_{\beta 1}^{cav}$	Fraction of $\beta_1$ -adrenoceptors located in caveolae	0.01	Rybin et al. [20] Balijepali et al. [19]
$f_{\beta 1}^{ecav}$	Fraction of $\beta_1$ -adrenoceptors located in extracaveolae	0.5	Rybin et al. [20] Balijepali et al. [19]
$f_{\beta 1}^{cyt}$	Fraction of $\beta_1$ -adrenoceptors located in cytosol	$f_{\beta 1}^{cyt} = 1 - f_{\beta 1}^{cav} - f_{\beta 1}^{ecav}$	Rybin et al. [20] Balijepali et al. [19]
$[G_s]_{tot}$	Total concentration of $G_s$ protein	$2.054 \mu\text{M}$	Post et al. [41]
$f_{G_s}^{cav}$	Fraction of $G_s$ protein located in caveolae	0.4	Rybin et al. [20]
$f_{G_s}^{ecav}$	Fraction of $G_s$ protein located in extracaveolae	0.4	Rybin et al. [20]

$f_{Gs}^{cav}$	Fraction of G <sub>s</sub> protein located in cytosol	$f_{Gs}^{cav} = 1 - f_{Gs}^{cav} - f_{Gs}^{ecav}$	
$K_{\beta 1,L}$	Low affinity constant of β <sub>1</sub> -adrenoceptor for isoproterenol	0.567 μM	Heijman et al. [8]
$K_{\beta 1,H}$	High affinity constant of β <sub>1</sub> -adrenoceptor for isoproterenol	0.0617 μM	Heijman et al. [8]
$K_{\beta 1,C}$	Affinity constant of β <sub>1</sub> -adrenoceptor for G <sub>s</sub> protein	2.86 μM	This paper
$k_{PKA+}$	Rate of PKA phosphorylation of β <sub>1</sub> -adrenoceptor	0.00081 μM <sup>-1</sup> s <sup>-1</sup>	Freedman et al. [32]
$k_{PKA-}$	Rate of PKA dephosphorylation of β <sub>1</sub> -adrenoceptor	0.0002025 s <sup>-1</sup>	This paper
$k_{GRK2+}$	Rate of GRK2 phosphorylation of β <sub>1</sub> -adrenoceptor	0.000243 s <sup>-1</sup>	This paper
$k_{GRK2-}$	Rate of GRK2 dephosphorylation of β <sub>1</sub> -adrenoceptor	$k_{PKA-}$	This paper
$k_{act1,Gs}$	Activation rate for G <sub>s</sub> by high affinity complex	4.9 s <sup>-1</sup>	Heijman et al. [8]
$k_{act2,Gs}$	Activation rate for G <sub>s</sub> by low affinity complex	0.26 s <sup>-1</sup>	Heijman et al. [8]
$k_{hyd,Gs}$	Hydrolysis rate of G <sub>sa-GTP</sub>	0.8 s <sup>-1</sup>	Saucerman et al. [10]
$k_{reas,Gs}$	Re-association rate for G <sub>s</sub>	1200 μM <sup>-1</sup> s <sup>-1</sup>	Saucerman et al. [10]

## Caveolae

$$[R_{\beta 1}]_{tot}^{cav} = f_{\beta 1}^{cav} \cdot [R_{\beta 1}]_{tot} \cdot \frac{V_{cell}}{V_{cav}} \quad (\text{A.4})$$

$$[G_s]_{\alpha\beta\gamma}^{cav} = f_{Gs}^{cav} \cdot [G_s]_{tot} \cdot \frac{V_{cell}}{V_{cav}} - [G_s]_{\alpha,GTP}^{cav} - [G_s]_{\alpha,GDP}^{cav} \quad (\text{A.5})$$

$$[R_{\beta 1}]_{np,tot}^{cav} = [R_{\beta 1}]_{tot}^{cav} - [R_{\beta 1}]_{PKA,tot}^{cav} - [R_{\beta 1}]_{GRK2,tot}^{cav} \quad (\text{A.6})$$

$$a_{\beta 1}^{cav} = \frac{1}{K_{\beta 1,L}} \cdot (K_{\beta 1,L} + [L]) \cdot (K_{\beta 1,H} + [L]) \quad (\text{A.7})$$

$$b_{\beta 1}^{cav} = [G_s]_{\alpha\beta\gamma}^{cav} \cdot (K_{\beta 1,H} + [L]) - [R_{\beta 1}]_{np,tot}^{cav} \cdot (K_{\beta 1,H} + [L]) + K_{\beta 1,C} \cdot K_{\beta 1,H} \left( 1 + \frac{[L]}{K_{\beta 1,L}} \right) \quad (\text{A.8})$$

$$c_{\beta 1}^{cav} = -[R_{\beta 1}]_{np,tot}^{cav} \cdot K_{\beta 1,C} \cdot K_{\beta 1,H} \quad (\text{A.9})$$

$$[R_{\beta 1}]_{np,f}^{cav} = \frac{-b_{\beta 1}^{cav} + \sqrt{[b_{\beta 1}^{cav}]^2 - 4 \cdot a_{\beta 1}^{cav} \cdot c_{\beta 1}^{cav}}}{2 \cdot a_{\beta 1}^{cav}} \quad (\text{A.10})$$

$$[G_s]_f^{cav} = \frac{[G_s]_{\alpha\beta\gamma}^{cav}}{1 + [R_{\beta 1}]_{np,f}^{cav} \left( \frac{1}{K_{\beta 1,C}} + \frac{[L]}{K_{\beta 1,C} \cdot K_{\beta 1,H}} \right)} \quad (\text{A.11})$$

$$[LR_{\beta 1}]_{np}^{cav} = \frac{[L] \cdot [R_{\beta 1}]_{np,f}^{cav}}{K_{\beta 1,L}} \quad (\text{A.12})$$

$$[R_{\beta 1} G_s]_{np}^{cav} = \frac{[R_{\beta 1}]_{np,f}^{cav} \cdot [G_s]_f^{cav}}{K_{\beta 1,C}} \quad (\text{A.13})$$

$$[LR_{\beta 1} G_s]_{np}^{cav} = \frac{[L] \cdot [R_{\beta 1}]_{np,f}^{cav} \cdot [G_s]_f^{cav}}{K_{\beta 1,C} \cdot K_{\beta 1,H}} \quad (\text{A.14})$$

$$\frac{d[R_{\beta 1}]_{PKA,tot}^{cav}}{dt} = k_{PKA+} \cdot [C]^{cav} \cdot [R_{\beta 1}]_{np,tot}^{cav} - k_{PKA-} \cdot [R_{\beta 1}]_{GRK2,tot}^{cav} \quad (\text{A.15})$$

$$\frac{d[R_{\beta 1}]_{GRK2,tot}^{cav}}{dt} = k_{GRK2+} \cdot ([LR_{\beta 1}]_{np}^{cav} + [LR_{\beta 1} G_s]_{np}^{cav}) - k_{GRK2-} \cdot [R_{\beta 1}]_{GRK2,tot}^{cav} \quad (\text{A.16})$$

$$\frac{d[G_s]_{\alpha,GTP}^{cav}}{dt} = k_{act2,Gs} \cdot [R_{\beta 1} G_s]_{np}^{cav} + k_{act1,Gs} \cdot [LR_{\beta 1} G_s]_{np}^{cav} - k_{hyd,Gs} \cdot [G_s]_{\alpha,GTP}^{cav} \quad (\text{A.17})$$

$$\frac{d[G_s]_{\beta\gamma}^{cav}}{dt} = k_{act2,Gs} \cdot [R_{\beta 1} G_s]_{np}^{cav} + k_{act1,Gs} \cdot [LR_{\beta 1} G_s]_{np}^{cav} - k_{reas,Gs} \cdot [G_s]_{\beta\gamma}^{cav} \cdot [G_s]_{\alpha,GDP}^{cav} \quad (\text{A.18})$$

$$\frac{d[G_s]_{\alpha,GDP}^{cav}}{dt} = k_{hyd,Gs} \cdot [G_s]_{\alpha,GTP}^{cav} - k_{reas,Gs} \cdot [G_s]_{\beta\gamma}^{cav} \cdot [G_s]_{\alpha,GDP}^{cav} \quad (\text{A.19})$$

## Extracaveolae

$$[R_{\beta 1}]_{tot}^{ecav} = f_{\beta 1}^{ecav} \cdot [R_{\beta 1}]_{tot} \cdot \frac{V_{cell}}{V_{ecav}} \quad (\text{A.20})$$

$$[G_s]_{\alpha\beta\gamma}^{ecav} = f_{Gs}^{ecav} \cdot [G_s]_{tot} \cdot \frac{V_{cell}}{V_{ecav}} - [G_s]_{\alpha,GTP}^{ecav} - [G_s]_{\alpha,GDP}^{ecav} \quad (\text{A.21})$$

$$[R_{\beta 1}]_{np,tot}^{ecav} = [R_{\beta 1}]_{tot}^{ecav} - [R_{\beta 1}]_{PKA,tot}^{ecav} - [R_{\beta 1}]_{GRK2,tot}^{ecav} \quad (\text{A.22})$$

$$a_{\beta 1}^{ecav} = \frac{1}{K_{\beta 1,L}} \cdot (K_{\beta 1,L} + [L]) \cdot (K_{\beta 1,H} + [L]) \quad (\text{A.23})$$

$$b_{\beta 1}^{ecav} = [G_s]_{\alpha\beta\gamma}^{ecav} \cdot (K_{\beta 1,H} + [L]) - [R_{\beta 1}]_{np,tot}^{ecav} \cdot (K_{\beta 1,H} + [L]) + K_{\beta 1,C} \cdot K_{\beta 1,H} \left( 1 + \frac{[L]}{K_{\beta 1,L}} \right) \quad (\text{A.24})$$

$$C_{\beta 1}^{ecav} = -[R_{\beta 1}]_{np,tot}^{ecav} \cdot K_{\beta 1,C} \cdot K_{\beta 1,H} \quad (\text{A.25})$$

$$[R_{\beta 1}]_{np,f}^{ecav} = \frac{-b_{\beta 1}^{ecav} + \sqrt{[b_{\beta 1}^{ecav}]^2 - 4 \cdot a_{\beta 1}^{ecav} \cdot c_{\beta 1}^{ecav}}}{2 \cdot a_{\beta 1}^{ecav}} \quad (\text{A.26})$$

$$[G_s]_f^{ecav} = \frac{[G_s]_{\alpha\beta\gamma}^{ecav}}{1 + [R_{\beta 1}]_{np,f}^{ecav} \left( \frac{1}{K_{\beta 1,C}} + \frac{[L]}{K_{\beta 1,C} \cdot K_{\beta 1,H}} \right)} \quad (\text{A.27})$$

$$[LR_{\beta 1}]_{np}^{ecav} = \frac{[L] \cdot [R_{\beta 1}]_{np,f}^{ecav}}{K_{\beta 1,L}} \quad (\text{A.28})$$

$$[R_{\beta 1}G_s]_{np}^{ecav} = \frac{[R_{\beta 1}]_{np,f}^{ecav} \cdot [G_s]_f^{ecav}}{K_{\beta 1,C}} \quad (\text{A.29})$$

$$[LR_{\beta 1}G_s]_{np}^{ecav} = \frac{[L] \cdot [R_{\beta 1}]_{np,f}^{ecav} \cdot [G_s]_f^{ecav}}{K_{\beta 1,C} \cdot K_{\beta 1,H}} \quad (\text{A.30})$$

$$\frac{d[R_{\beta 1}]_{PKA,tot}^{ecav}}{dt} = k_{PKA+} \cdot [C]^{ecav} \cdot [R_{\beta 1}]_{np,tot}^{ecav} - k_{PKA-} \cdot [R_{\beta 1}]_{PKA,tot}^{ecav} \quad (\text{A.31})$$

$$\frac{d[R_{\beta 1}]_{GRK2,tot}^{ecav}}{dt} = k_{GRK2+} \cdot ([LR_{\beta 1}]_{np}^{ecav} + [LR_{\beta 1}G_s]_{np}^{ecav}) - k_{GRK2-} \cdot [R_{\beta 1}]_{GRK2,tot}^{ecav} \quad (\text{A.32})$$

$$\frac{d[G_s]_{\alpha,GTP}^{ecav}}{dt} = k_{act2,Gs} \cdot [R_{\beta 1}G_s]_{np}^{ecav} + k_{act1,Gs} \cdot [LR_{\beta 1}G_s]_{np}^{ecav} - k_{hyd,Gs} \cdot [G_s]_{\alpha,GTP}^{ecav} \quad (\text{A.33})$$

$$\frac{d[G_s]_{\beta\gamma}^{ecav}}{dt} = k_{act2,Gs} \cdot [R_{\beta 1}G_s]_{np}^{ecav} + k_{act1,Gs} \cdot [LR_{\beta 1}G_s]_{np}^{ecav} - k_{reas,Gs} \cdot [G_s]_{\beta\gamma}^{ecav} \cdot [G_s]_{\alpha,GDP}^{ecav} \quad (\text{A.34})$$

$$\frac{d[G_s]_{\alpha,GDP}^{ecav}}{dt} = k_{hyd,Gs} \cdot [G_s]_{\alpha,GTP}^{ecav} - k_{reas,Gs} \cdot [G_s]_{\beta\gamma}^{ecav} \cdot [G_s]_{\alpha,GDP}^{ecav} \quad (\text{A.35})$$

## Cytosol

$$[R_{\beta 1}]_{tot}^{cyt} = f_{\beta 1}^{cyt} \cdot [R_{\beta 1}]_{tot} \cdot \frac{V_{cell}}{V_{cyt}} \quad (\text{A.36})$$

$$[G_s]_{\alpha\beta\gamma}^{cyt} = f_{Gs}^{cyt} \cdot [G_s]_{tot} \cdot \frac{V_{cell}}{V_{cyt}} - [G_s]_{\alpha,GTP}^{cyt} - [G_s]_{\alpha,GDP}^{cyt} \quad (\text{A.37})$$

$$[R_{\beta 1}]_{np,tot}^{cyt} = [R_{\beta 1}]_{tot}^{cyt} - [R_{\beta 1}]_{PKA,tot}^{cyt} - [R_{\beta 1}]_{GRK2,tot}^{cyt} \quad (\text{A.38})$$

$$a_{\beta 1}^{cyt} = \frac{1}{K_{\beta 1,L}} \cdot (K_{\beta 1,L} + [L]) \cdot (K_{\beta 1,H} + [L]) \quad (\text{A.39})$$

$$b_{\beta 1}^{cyt} = [G_s]_{\alpha \beta \gamma}^{cyt} \cdot (K_{\beta 1,H} + [L]) - [R_{\beta 1}]_{np,tot}^{cyt} \cdot (K_{\beta 1,H} + [L]) + K_{\beta 1,C} \cdot K_{\beta 1,H} \left( 1 + \frac{[L]}{K_{\beta 1,L}} \right) \quad (\text{A.40})$$

$$c_{\beta 1}^{cyt} = -[R_{\beta 1}]_{np,tot}^{cyt} \cdot K_{\beta 1,C} \cdot K_{\beta 1,H} \quad (\text{A.41})$$

$$[R_{\beta 1}]_{np,f}^{cyt} = \frac{-b_{\beta 1}^{cyt} + \sqrt{[b_{\beta 1}^{cyt}]^2 - 4 \cdot a_{\beta 1}^{cyt} \cdot c_{\beta 1}^{cyt}}}{2 \cdot a_{\beta 1}^{cyt}} \quad (\text{A.42})$$

$$[G_s]_f^{cyt} = \frac{[G_s]_{\alpha \beta \gamma}^{cyt}}{1 + [R_{\beta 1}]_{np,f}^{cyt} \left( \frac{1}{K_{\beta 1,C}} + \frac{[L]}{K_{\beta 1,C} \cdot K_{\beta 1,H}} \right)} \quad (\text{A.43})$$

$$[LR_{\beta 1}]_{np}^{cyt} = \frac{[L] \cdot [R_{\beta 1}]_{np,f}^{cyt}}{K_{\beta 1,L}} \quad (\text{A.44})$$

$$[R_{\beta 1} G_s]_{np}^{cyt} = \frac{[R_{\beta 1}]_{np,f}^{cyt} \cdot [G_s]_f^{cyt}}{K_{\beta 1,C}} \quad (\text{A.45})$$

$$[LR_{\beta 1} G_s]_{np}^{cyt} = \frac{[L] \cdot [R_{\beta 1}]_{np,f}^{cyt} \cdot [G_s]_f^{cyt}}{K_{\beta 1,C} \cdot K_{\beta 1,H}} \quad (\text{A.46})$$

$$\frac{d[R_{\beta 1}]_{PKA,tot}^{cyt}}{dt} = k_{PKA+} \cdot [C]^{cyt} \cdot [R_{\beta 1}]_{np,tot}^{cyt} - k_{PKA-} \cdot [R_{\beta 1}]_{PKA,tot}^{cyt} \quad (\text{A.47})$$

$$\frac{d[R_{\beta 1}]_{GRK2,tot}^{cyt}}{dt} = k_{GRK2+} \cdot ([LR_{\beta 1}]_{np}^{cyt} + [LR_{\beta 1} G_s]_{np}^{cyt}) - k_{GRK2-} \cdot [R_{\beta 1}]_{GRK2,tot}^{cyt} \quad (\text{A.48})$$

$$\frac{d[G_s]_{\alpha,GTP}^{cyt}}{dt} = k_{act2,Gs} \cdot [R_{\beta 1} G_s]_{np}^{cyt} + k_{act1,Gs} \cdot [LR_{\beta 1} G_s]_{np}^{cyt} - k_{hyd,Gs} \cdot [G_s]_{\alpha,GTP}^{cyt} \quad (\text{A.49})$$

$$\frac{d[G_s]_{\beta \gamma}^{cyt}}{dt} = k_{act2,Gs} \cdot [R_{\beta 1} G_s]_{np}^{cyt} + k_{act1,Gs} \cdot [LR_{\beta 1} G_s]_{np}^{cyt} - k_{reas,Gs} \cdot [G_s]_{\beta \gamma}^{cyt} \cdot [G_s]_{\alpha,GDP}^{cyt} \quad (\text{A.50})$$

$$\frac{d[G_s]_{\alpha,GDP}^{cyt}}{dt} = k_{hyd,Gs} \cdot [G_s]_{\alpha,GTP}^{cyt} - k_{reas,Gs} \cdot [G_s]_{\beta \gamma}^{cyt} \cdot [G_s]_{\alpha,GDP}^{cyt} \quad (\text{A.51})$$

## Adenylyl cyclase module

Parameter	Definition	Value	Reference
$K_{m,ATP}$	Adenylyl cyclase affinity for ATP	340 μM	This paper
[ATP]	ATP concentration	5000 μM	Heijman et al. [8]
[AC] <sub>tot</sub>	Total cellular AC concentration	0.02622 μM	Post et al. [41]
f <sub>AC56,AC47</sub>	Fraction of AC that is of type 5 or 6	0.74	Heijman et al. [8]
f <sub>AC56</sub> <sup>cav</sup>	Fraction of AC5/6 located in caveolae	0.0875	Heijman et al. [8]
f <sub>AC47</sub> <sup>cav</sup>	Fraction of AC4/7 located in extracaveolae space	0.1648	Heijman et al. [8]
$K_{m,Gs\alpha}^{AC56}$	AC5/6 affinity for G <sub>sα</sub>	0.0852 μM	Heijman et al. [8]
$h_{AC56,Gs\alpha}$	Hill coefficient for AC5/6 activation by G <sub>sα</sub>	1.357	Heijman et al. [8]
$V_{G\beta\gamma}^{AC56}$	Maximum amplification of AC5/6 by G <sub>sβγ</sub>	1.430	Gao et al. [39]
$K_{m,Gs\beta\gamma}^{AC56}$	Affinity constant for G <sub>sβγ</sub> modulation of AC5/6	0.003793 μM	Gao et al. [39]
$h_{AC56,Gs\beta\gamma}$	Hill coefficient for G <sub>sβγ</sub> modulation of AC5/6	1.0842	Gao et al. [39]
$AC56_{basal}$	Basal AC5/6 activity	0.0377	Heijman et al. [8]
$AF_{56}$	Amplification factor for AC5/6	51.1335 s <sup>-1</sup>	This paper
$K_{m,Gs\alpha}^{AC47}$	AC4/7 affinity for G <sub>sα</sub>	0.05008 μM	Zimmermann and Taussig [40]
$h_{AC47,Gs\alpha}$	Hill coefficient for AC4/7 activation by G <sub>sα</sub>	1.1657	Zimmermann and Taussig [40]
$V_{G\beta\gamma}^{AC47}$	Maximum amplification of AC4/7 by G <sub>sβγ</sub>	1.3500	Zimmermann and Taussig [40]
$K_{m,Gs\beta\gamma}^{AC47}$	Affinity constant for G <sub>sβγ</sub> modulation of AC4/7	0.004466 μM	Zimmermann and Taussig [40]
$h_{AC47,Gs\beta\gamma}$	Hill coefficient for G <sub>sβγ</sub> modulation of AC4/7	0.8700	Zimmermann and Taussig [40]
$AC47_{basal}$	Basal AC4/7 activity	0.04725	This paper
$AF_{47}$	Amplification factor for AC4/7	9.283 s <sup>-1</sup>	This paper

## Caveolae

$$[AC56]^{cav} = f_{AC56}^{cav} \cdot f_{AC56,AC47} \cdot [AC]_{tot} \cdot \frac{V_{cell}}{V_{cav}} \quad (\text{A.52})$$

$$k_{AC56}^{cav} = AF_{56} \cdot \left( AC56_{basal} + \frac{([G_s]_{\alpha,GTP}^{cav})^{h_{AC56,Gs\alpha}}}{K_{m,Gs\alpha}^{AC56} + ([G_s]_{\alpha,GTP}^{cav})^{h_{AC56,Gs\alpha}}} \right) \cdot \left( 1 + \frac{V_{G\beta\gamma}^{AC56} \cdot ([G_s]_{\beta\gamma}^{cav})^{h_{AC56,Gs\beta\gamma}}}{K_{m,Gs\beta\gamma}^{AC56} + ([G_s]_{\beta\gamma}^{cav})^{h_{AC56,Gs\beta\gamma}}} \right) \quad (\text{A.53})$$

$$\frac{d[cAMP]_{AC56}^{cav}}{dt} = k_{AC56}^{cav} \cdot \frac{[AC56]^{cav} \cdot [ATP]}{K_{m,ATP} + [ATP]} \quad (\text{A.54})$$

### Extracaveolae

$$[AC47]^{ecav} = f_{AC47}^{ecav} \cdot (1 - f_{AC56, AC47}) \cdot [AC]_{tot} \cdot \frac{V_{cell}}{V_{ecav}} \quad (\text{A.55})$$

$$k_{AC47}^{ecav} = AF_{47} \cdot \left( AC47_{basal} + \frac{([G_s]_{\alpha, GTP}^{ecav})^{h_{AC47, Gs\alpha}}}{K_{m, Gs\alpha}^{AC47} + ([G_s]_{\alpha, GTP}^{ecav})^{h_{AC47, Gs\alpha}}} \right) \cdot \left( 1 + \frac{V_{G\beta\gamma}^{AC47} \cdot ([G_s]_{\beta\gamma}^{ecav})^{h_{AC47, Gs\beta\gamma}}}{K_{m, Gs\beta\gamma}^{AC47} + ([G_s]_{\beta\gamma}^{ecav})^{h_{AC47, Gs\beta\gamma}}} \right) \quad (\text{A.56})$$

$$\frac{d[cAMP]_{AC47}^{ecav}}{dt} = k_{AC47}^{ecav} \cdot \frac{[AC47]^{ecav} \cdot [ATP]}{K_{m,ATP} + [ATP]} \quad (\text{A.57})$$

### Cytosol

$$[AC56]^{cyt} = (1 - f_{AC56}^{cav}) \cdot f_{AC56, AC47} \cdot [AC]_{tot} \cdot \frac{V_{cell}}{V_{cyt}} \quad (\text{A.58})$$

$$[AC47]^{cyt} = (1 - f_{AC47}^{cav}) \cdot (1 - f_{AC56, AC47}) \cdot [AC]_{tot} \cdot \frac{V_{cell}}{V_{cyt}} \quad (\text{A.59})$$

$$k_{AC56}^{cyt} = AF_{56} \cdot \left( AC56_{basal} + \frac{([G_s]_{\alpha, GTP}^{cyt})^{h_{AC56, Gs\alpha}}}{K_{m, Gs\alpha}^{AC56} + ([G_s]_{\alpha, GTP}^{cyt})^{h_{AC56, Gs\alpha}}} \right) \cdot \left( 1 + \frac{V_{G\beta\gamma}^{AC56} \cdot ([G_s]_{\beta\gamma}^{cyt})^{h_{AC56, Gs\beta\gamma}}}{K_{m, Gs\beta\gamma}^{AC56} + ([G_s]_{\beta\gamma}^{cyt})^{h_{AC56, Gs\beta\gamma}}} \right) \quad (\text{A.60})$$

$$\frac{d[cAMP]_{AC56}^{cyt}}{dt} = k_{AC56}^{cyt} \cdot \frac{[AC56]^{cyt} \cdot [ATP]}{K_{m,ATP} + [ATP]} \quad (\text{A.61})$$

$$k_{AC47}^{cyt} = AF_{47} \cdot \left( AC47_{basal} + \frac{([G_s]_{\alpha, GTP}^{cyt})^{h_{AC47, Gs\alpha}}}{K_{m, Gs\alpha}^{AC47} + ([G_s]_{\alpha, GTP}^{cyt})^{h_{AC47, Gs\alpha}}} \right) \cdot \left( 1 + \frac{V_{G\beta\gamma}^{AC47} \cdot ([G_s]_{\beta\gamma}^{cyt})^{h_{AC47, Gs\beta\gamma}}}{K_{m, Gs\beta\gamma}^{AC47} + ([G_s]_{\beta\gamma}^{cyt})^{h_{AC47, Gs\beta\gamma}}} \right) \quad (\text{A.62})$$

$$\frac{d[cAMP]_{AC47}^{cyt}}{dt} = k_{AC47}^{cyt} \cdot \frac{[AC47]^{cyt} \cdot [ATP]}{K_{m,ATP} + [ATP]} \quad (\text{A.63})$$

## Phosphodiesterase module

Parameter	Definition	Value	Reference
$[IBMX]$	Concentration of IBMX	0...100 $\mu\text{M}$	
$h_{IBMX,PDE2}$	Hill coefficient for inhibition of PDE2 by IBMX	1.000	This paper
$K_{PDE2}^{IBMX}$	Affinity of IBMX for PDE2	29.50 $\mu\text{M}$	This paper
$h_{IBMX,PDE3}$	Hill coefficient for inhibition of PDE3 by IBMX	1.000	This paper
$K_{PDE3}^{IBMX}$	Affinity of IBMX for PDE3	5.100 $\mu\text{M}$	This paper
$h_{IBMX,PDE4}$	Hill coefficient for inhibition of PDE4 by IBMX	1.000	This paper
$K_{PDE4}^{IBMX}$	Affinity of IBMX for PDE4	16.200 $\mu\text{M}$	This paper
$k_{f,PDEp}$	Rate of phosphorylation of PDE3/4 by PKA	$0.0196 \mu\text{M}^{-1} \text{s}^{-1}$	Heijman et al. [8]
$k_{b,PDEp}$	Rate of dephosphorylation of PDE3/4 by PKA	$0.0102 \text{s}^{-1}$	Heijman et al. [8]
$\Delta_{k,PDE3/4}$	Increase in PDE3/4 activity after phosphorylation	3.0	Heijman et al. [8]
$k_{PDE2}$	Rate of cAMP hydrolysis by PDE2	$20 \text{s}^{-1}$	Iancu et al. [14]
$K_{m,PDE2}$	Affinity of PDE2 for cAMP	33 $\mu\text{M}$	Bode et al. [45]
$k_{PDE3}$	Rate of cAMP hydrolysis by PDE3	$2.5 \text{s}^{-1}$	Heijman et al. [8]
$K_{m,PDE3}$	Affinity of PDE3 for cAMP	0.44 $\mu\text{M}$	Bode et al. [45]
$k_{PDE4}$	Rate of cAMP hydrolysis by PDE4	$3.5 \text{s}^{-1}$	This paper
$K_{m,PDE4}$	Affinity of PDE4 for cAMP	1.4 $\mu\text{M}$	This paper
$f_{PDE,part}$	Fraction of total PDE located in the particulate fraction	0.2	Osadchii [47]
$r_{part,PDE2,PDE3}$	Ratio of PDE2 and PDE3 activities in particulate fraction	0.570	Mongillo et al. [48]
$r_{part,PDE3,PDE4}$	Ratio of PDE3 and PDE4 activities in particulate fraction	0.748	Mongillo et al. [48]
$[PDE2]_{tot}$	Total cellular concentration of PDE2	0.034610 $\mu\text{M}$	This paper
$[PDE3]_{tot}$	Total cellular concentration of PDE3	0.010346 $\mu\text{M}$	This paper
$[PDE4]_{tot}$	Total cellular concentration of PDE4	0.026687 $\mu\text{M}$	This paper
$f_{PDE2}^{cav}$	Fraction of PDE2 located in caveolae	0.06608	This paper
$f_{PDE2}^{ecav}$	Fraction of PDE2 located in extracaveolae	$2 \cdot f_{PDE2}^{cav}$	This paper
$f_{PDE2}^{cav}$	Fraction of PDE2 located in cytosol	$1 - f_{PDE2}^{cav} - f_{PDE2}^{ecav}$	This paper
$f_{PDE3}^{cav}$	Fraction of PDE3 located in caveolae	0.29814	This paper
$f_{PDE3}^{ecav}$	Fraction of PDE3 located in extracaveolae	0.0	This paper
$f_{PDE3}^{cav}$	Fraction of PDE3 located in cytosol	$1 - f_{PDE3}^{cav} - f_{PDE3}^{ecav}$	This paper
$f_{PDE4}^{cav}$	Fraction of PDE4 located in caveolae	0.05366	This paper

$f_{PDE4}^{cav}$	Fraction of PDE4 located in extracaveolae	$2 \cdot f_{PDE4}^{cav}$	This paper
$f_{PDE4}^{cav}$	Fraction of PDE4 located in cytosol	$1 - f_{PDE4}^{cav}$	This paper

## Caveolae

$$[PDE2]_{tot}^{cav} = \left( 1 - \frac{[IBMX]^{h_{IBMX,PDE2}}}{K_{m,PDE2}^{IBMX} + [IBMX]^{h_{IBMX,PDE2}}} \right) \cdot f_{PDE2}^{cav} \cdot [PDE2]_{tot} \cdot \frac{V^{cell}}{V^{cav}} \quad (\text{A.64})$$

$$[PDE3]_{tot}^{cav} = \left( 1 - \frac{[IBMX]^{h_{IBMX,PDE3}}}{K_{m,PDE3}^{IBMX} + [IBMX]^{h_{IBMX,PDE3}}} \right) \cdot f_{PDE3}^{cav} \cdot [PDE3]_{tot} \cdot \frac{V^{cell}}{V^{cav}} \quad (\text{A.65})$$

$$[PDE4]_{tot}^{cav} = \left( 1 - \frac{[IBMX]^{h_{IBMX,PDE4}}}{K_{m,PDE4}^{IBMX} + [IBMX]^{h_{IBMX,PDE4}}} \right) \cdot f_{PDE4}^{cav} \cdot [PDE4]_{tot} \cdot \frac{V^{cell}}{V^{cav}} \quad (\text{A.66})$$

$$\frac{d[PDE3]_p^{cav}}{dt} = k_{f,PDEp} \cdot [C]^{cav} \cdot ([PDE3]_{tot}^{cav} - [PDE3]_p^{cav}) - k_{b,PDEp} \cdot [PDE3]_p^{cav} \quad (\text{A.67})$$

$$\frac{d[PDE4]_p^{cav}}{dt} = k_{f,PDEp} \cdot [C]^{cav} \cdot ([PDE4]_{tot}^{cav} - [PDE4]_p^{cav}) - k_{b,PDEp} \cdot [PDE4]_p^{cav} \quad (\text{A.68})$$

$$\frac{d[cAMP]_{PDE2}^{cav}}{dt} = \frac{k_{PDE2} \cdot [PDE2]_{tot}^{cav} \cdot [cAMP]^{cav}}{K_{m,PDE2} + [cAMP]^{cav}} \quad (\text{A.69})$$

$$\frac{d[cAMP]_{PDE3}^{cav}}{dt} = \frac{k_{PDE3} \cdot ([PDE3]_{tot}^{cav} - [PDE3]_p^{cav}) \cdot [cAMP]^{cav} + \Delta_{k,PDE3/4} \cdot k_{PDE3} \cdot [PDE3]_p^{cav} \cdot [cAMP]^{cav}}{K_{m,PDE3} + [cAMP]^{cav}} \quad (\text{A.70})$$

$$\frac{d[cAMP]_{PDE4}^{cav}}{dt} = \frac{k_{PDE4} \cdot ([PDE4]_{tot}^{cav} - [PDE4]_p^{cav}) \cdot [cAMP]^{cav} + \Delta_{k,PDE3/4} \cdot k_{PDE4} \cdot [PDE4]_p^{cav} \cdot [cAMP]^{cav}}{K_{m,PDE4} + [cAMP]^{cav}} \quad (\text{A.71})$$

## Extracaveolae

$$[PDE2]_{tot}^{ecav} = \left( 1 - \frac{[IBMX]^{h_{IBMX,PDE2}}}{K_{m,PDE2}^{IBMX} + [IBMX]^{h_{IBMX,PDE2}}} \right) \cdot f_{PDE2}^{ecav} \cdot [PDE2]_{tot} \cdot \frac{V^{cell}}{V^{ecav}} \quad (\text{A.72})$$

$$[PDE4]_{tot}^{ecav} = \left( 1 - \frac{[IBMX]^{h_{IBMX,PDE4}}}{K_{m,PDE4}^{IBMX} + [IBMX]^{h_{IBMX,PDE4}}} \right) \cdot f_{PDE4}^{ecav} \cdot [PDE4]_{tot} \cdot \frac{V^{cell}}{V^{ecav}} \quad (\text{A.73})$$

$$\frac{d[PDE4]_p^{ecav}}{dt} = k_{f,PDEp} \cdot [C]^{ecav} \cdot ([PDE4]_{tot}^{ecav} - [PDE4]_p^{ecav}) - k_{b,PDEp} \cdot [PDE4]_p^{ecav} \quad (\text{A.74})$$

$$\frac{d[cAMP]_{PDE2}^{ecav}}{dt} = \frac{k_{PDE2} \cdot [PDE2]_{tot}^{ecav} \cdot [cAMP]^{ecav}}{K_{m,PDE2} + [cAMP]^{ecav}} \quad (\text{A.75})$$

$$\frac{d[cAMP]_{PDE4}^{ecav}}{dt} = \frac{k_{PDE4} \cdot ([PDE4]_{tot}^{ecav} - [PDE4]_p^{ecav}) \cdot [cAMP]^{ecav} + \Delta_{k,PDE3/4} \cdot k_{PDE4} \cdot [PDE4]_p^{ecav} \cdot [cAMP]^{ecav}}{K_{m,PDE4} + [cAMP]^{ecav}} \quad (\text{A.76})$$

## Cytosol

$$[PDE2]_{tot}^{cyt} = \left( 1 - \frac{[IBMX]^{h_{IBMX,PDE2}}}{K_{m,PDE2}^{IBMX} + [IBMX]^{h_{IBMX,PDE2}}} \right) \cdot f_{PDE2}^{cyt} \cdot [PDE2]_{tot} \cdot \frac{V^{cell}}{V^{cyt}} \quad (\text{A.77})$$

$$[PDE3]_{tot}^{cyt} = \left( 1 - \frac{[IBMX]^{h_{IBMX,PDE3}}}{K_{m,PDE3}^{IBMX} + [IBMX]^{h_{IBMX,PDE3}}} \right) \cdot f_{PDE3}^{cyt} \cdot [PDE3]_{tot} \cdot \frac{V^{cell}}{V^{cyt}} \quad (\text{A.78})$$

$$[PDE4]_{tot}^{cyt} = \left( 1 - \frac{[IBMX]^{h_{IBMX,PDE4}}}{K_{m,PDE4}^{IBMX} + [IBMX]^{h_{IBMX,PDE4}}} \right) \cdot f_{PDE4}^{cyt} \cdot [PDE4]_{tot} \cdot \frac{V^{cell}}{V^{cyt}} \quad (\text{A.79})$$

$$\frac{d[PDE3]_p^{cyt}}{dt} = k_{f,PDEp} \cdot [C]^{cyt} \cdot ([PDE3]_{tot}^{cyt} - [PDE3]_p^{cyt}) - k_{b,PDEp} \cdot [PDE3]_p^{cyt} \quad (\text{A.80})$$

$$\frac{d[PDE4]_p^{cyt}}{dt} = k_{f,PDEp} \cdot [C]^{cyt} \cdot ([PDE4]_{tot}^{cyt} - [PDE4]_p^{cyt}) - k_{b,PDEp} \cdot [PDE4]_p^{cyt} \quad (\text{A.81})$$

$$\frac{d[cAMP]_{PDE2}^{cyt}}{dt} = \frac{k_{PDE2} \cdot [PDE2]_{tot}^{cyt} \cdot [cAMP]^{cyt}}{K_{m,PDE2} + [cAMP]^{cyt}} \quad (\text{A.82})$$

$$\frac{d[cAMP]_{PDE3}^{cyt}}{dt} = \frac{k_{PDE3} \cdot ([PDE3]_{tot}^{cyt} - [PDE3]_p^{cyt}) \cdot [cAMP]^{cyt} + \Delta_{k,PDE3/4} \cdot k_{PDE3} \cdot [PDE3]_p^{cyt} \cdot [cAMP]^{cyt}}{K_{m,PDE3} + [cAMP]^{cyt}} \quad (\text{A.83})$$

$$\frac{d[cAMP]_{PDE4}^{cyt}}{dt} = \frac{k_{PDE4} \cdot ([PDE4]_{tot}^{cyt} - [PDE4]_p^{cyt}) \cdot [cAMP]^{cyt} + \Delta_{k,PDE3/4} \cdot k_{PDE4} \cdot [PDE4]_p^{cyt} \cdot [cAMP]^{cyt}}{K_{m,PDE4} + [cAMP]^{cyt}} \quad (\text{A.84})$$

## cAMP-PKA module

Parameter	Definition	Value	Reference
$[PKA]_{tot}$	Total cellular concentration of PKA holoenzyme	0.5176 $\mu\text{M}$	Corbin et al., J Biol Chem 252: 3854-3861, 1977 [149]
$f_{PKA}^{cav}$	Fraction of PKA located in caveolae	0.08	This paper
$f_{PKA}^{ecav}$	Fraction of PKA located in extracaveolae	0.20	This paper
$f_{PKA}^{cyt}$	Fraction of PKA located in cytosol	$1 - f_{PKA}^{cav} - f_{PKA}^{ecav}$	
$[PKI]_{tot}$	Total cellular concentration of PKA inhibitor	$2 \cdot 0.2 \cdot [PKA]_{tot}$	Beavo et al. [54]
$f_{PKI}^{cav}$	Fraction of PKI located in caveolae	$f_{PKA}^{cav}$	
$f_{PKI}^{ecav}$	Fraction of PKI located in extracaveolae	$f_{PKA}^{ecav}$	
$f_{PKI}^{cyt}$	Fraction of PKI located in cytosol	$f_{PKA}^{cyt}$	
$k_{PKAI,f1}$	Forward rate for binding of the first cAMP to PKA	$5.6 \mu\text{M}^{-1} \text{s}^{-1}$	This paper

$K_{PKAI,1}$	Equilibrium value for the binding of the first cAMP to PKA	2.9 $\mu\text{M}$	Dao et al. [55]
$k_{PKAI,f2}$	Forward rate for binding of the second cAMP to PKA	$k_{PKAI,f1}$	This paper
$K_{PKAI,2}$	Equilibrium value for binding of the second cAMP to PKA	2.9 $\mu\text{M}$	Dao et al. [55]
$k_{PKAI,f3}$	Forward rate for dissociation of C subunit	2.6 $\text{s}^{-1}$	This paper
$K_{PKAI,3}$	Equilibrium value for dissociation of C subunit	1.3 $\mu\text{M}$	This paper
$k_{PKI,f}$	Forward rate for inhibition of C subunit by PKI	50 $\mu\text{M}^{-1} \text{s}^{-1}$	Heijman et al. [8]
$K_{PKI}$	Equilibrium value for inhibition of C subunit by PKI	$2.6 \cdot 10^{-4} \mu\text{M}$	This paper
$k_{PKAIIf1}$	Forward rate for binding of the first cAMP to PKA	$k_{PKAI,f1}$	Heijman et al. [8]
$K_{PKAIIf1}$	Equilibrium value for the binding of the first cAMP to PKA	2.5 $\mu\text{M}$	Heijman et al. [8]
$k_{PKAIIf2}$	Forward rate for binding of the second cAMP to PKA	$k_{PKAI,f1}$	Heijman et al. [8]
$K_{PKAIIf2}$	Equilibrium value for binding of the second cAMP to PKA	2.5 $\mu\text{M}$	Heijman et al. [8]
$k_{PKAIIf3}$	Forward rate for dissociation of C subunit	$k_{PKAI,f3}$	This paper
$K_{PKAIIf3}$	Equilibrium value for dissociation of C subunit	$K_{PKAI,3}$	This paper

## Caveolae

$$[PKA]^{cav} = f_{PKA}^{cav} \cdot [PKA]_{tot} \cdot \frac{V_{cell}}{V^{cav}} \quad (\text{A.85})$$

$$[RC]_f^{cav} = 2 \cdot [PKA]^{cav} - [ARC]^{cav} - [A_2RC]^{cav} - [A_2R]^{cav} \quad (\text{A.86})$$

$$[PKI]_f^{cav} = f_{PKI}^{cav} \cdot [PKI]_{tot} \cdot \frac{V_{cell}}{V^{cav}} - [PKIC]^{cav} \quad (\text{A.87})$$

$$k_{PKAIIf1} = k_{PKAIIf1} \cdot K_{PKAIIf1} \quad (\text{A.88})$$

$$k_{PKAIIf2} = k_{PKAIIf2} \cdot K_{PKAIIf2} \quad (\text{A.89})$$

$$k_{PKAIIf3} = k_{PKAIIf3} / K_{PKAIIf3} \quad (\text{A.90})$$

$$k_{PKI,b} = k_{PKI,f} \cdot K_{PKI} \quad (\text{A.91})$$

$$\begin{aligned} \frac{d[cAMP]_{PKA}^{cav}}{dt} &= -k_{PKAIIf1} \cdot [RC]_f^{cav} \cdot [cAMP]^{cav} + k_{PKAIIf1} \cdot [ARC]^{cav} - k_{PKAIIf2} \cdot [ARC]^{cav} \cdot [cAMP]^{cav} \\ &+ k_{PKAIIf2} \cdot [A_2RC]^{cav} \end{aligned} \quad (\text{A.92})$$

$$\begin{aligned} \frac{d[ARC]^{cav}}{dt} &= k_{PKAII,f1} \cdot [RC]_f^{cav} \cdot [cAMP]^{cav} - k_{PKAII,b1} \cdot [ARC]^{cav} - k_{PKAII,f2} \cdot [ARC]^{cav} \cdot [cAMP]^{cav} \\ &+ k_{PKAII,b2} \cdot [A_2RC]^{cav} \end{aligned} \quad (\text{A.93})$$

$$\begin{aligned} \frac{d[A_2RC]^{cav}}{dt} &= k_{PKAII,f2} \cdot [ARC]^{cav} \cdot [cAMP]^{cav} - (k_{PKAII,b2} + k_{PKAII,f3}) \cdot [A_2RC]^{cav} \\ &+ k_{PKAII,b3} \cdot [A_2R]^{cav} \cdot [C]^{cav} \end{aligned} \quad (\text{A.94})$$

$$\frac{d[A_2R]^{cav}}{dt} = k_{PKAII,f3} \cdot [A_2RC]^{cav} - k_{PKAII,b3} \cdot [A_2R]^{cav} \cdot [C]^{cav} \quad (\text{A.95})$$

$$\frac{d[C]^{cav}}{dt} = k_{PKAII,f3} \cdot [A_2RC]^{cav} - k_{PKAII,b3} \cdot [A_2R]^{cav} \cdot [C]^{cav} + k_{PKI,b} \cdot [PKIC]^{cav} - k_{PKI,f} \cdot [PKI]_f^{cav} \cdot [C]^{cav} \quad (\text{A.96})$$

$$\frac{d[PKIC]^{cav}}{dt} = -k_{PKI,b} \cdot [PKIC]^{cav} + k_{PKI,f} \cdot [PKI]_f^{cav} \cdot [C]^{cav} \quad (\text{A.97})$$

## Extracaveolae

$$[PKA]^{ecav} = f_{PKA}^{ecav} \cdot [PKA]_{tot} \cdot \frac{V^{cell}}{V^{ecav}} \quad (\text{A.98})$$

$$[RC]_f^{ecav} = 2 \cdot [PKA]^{ecav} - [ARC]^{ecav} - [A_2RC]^{ecav} - [A_2R]^{ecav} \quad (\text{A.99})$$

$$[PKI]_f^{ecav} = f_{PKI}^{ecav} \cdot [PKI]_{tot} \cdot \frac{V^{cell}}{V^{ecav}} - [PKIC]^{ecav} \quad (\text{A.100})$$

$$k_{PKAII,b1} = k_{PKAII,f1} \cdot K_{PKAII,1} \quad (\text{A.101})$$

$$k_{PKAII,b2} = k_{PKAII,f2} \cdot K_{PKAII,2} \quad (\text{A.102})$$

$$k_{PKAII,b3} = k_{PKAII,f3} / K_{PKAII,3} \quad (\text{A.103})$$

$$k_{PKI,b} = k_{PKI,f} \cdot K_{PKI} \quad (\text{A.104})$$

$$\begin{aligned} \frac{d[cAMP]_{PKA}^{ecav}}{dt} &= -k_{PKAII,f1} \cdot [RC]_f^{ecav} \cdot [cAMP]^{ecav} + k_{PKAII,b1} \cdot [ARC]^{ecav} - k_{PKAII,f2} \cdot [ARC]^{ecav} \cdot [cAMP]^{ecav} \\ &+ k_{PKAII,b2} \cdot [A_2RC]^{ecav} \end{aligned} \quad (\text{A.105})$$

$$\begin{aligned} \frac{d[ARC]^{ecav}}{dt} &= k_{PKAII,f1} \cdot [RC]_f^{ecav} \cdot [cAMP]^{ecav} - k_{PKAII,b1} \cdot [ARC]^{ecav} - k_{PKAII,f2} \cdot [ARC]^{ecav} \cdot [cAMP]^{ecav} \\ &+ k_{PKAII,b2} \cdot [A_2RC]^{ecav} \end{aligned} \quad (\text{A.106})$$

$$\begin{aligned} \frac{d[A_2RC]^{ecav}}{dt} &= k_{PKAII,f2} \cdot [ARC]^{ecav} \cdot [cAMP]^{ecav} - (k_{PKAII,b2} + k_{PKAII,f3}) \cdot [A_2RC]^{ecav} \\ &+ k_{PKAII,b3} \cdot [A_2R]^{ecav} \cdot [C]^{ecav} \end{aligned} \quad (\text{A.107})$$

$$\frac{d[A_2R]^{ecav}}{dt} = k_{PKAII,f3} \cdot [A_2RC]^{ecav} - k_{PKAII,b3} \cdot [A_2R]^{ecav} \cdot [C]^{ecav} \quad (\text{A.108})$$

$$\frac{d[C]^{ecav}}{dt} = k_{PKAI,f3} \cdot [A_2RC]^{ecav} - k_{PKAI,b3} \cdot [A_2R]^{ecav} \cdot [C]^{ecav} + k_{PKI,b} \cdot [PKIC]^{ecav} - k_{PKI,f} \cdot [PKI]_f^{ecav} \cdot [C]^{ecav} \quad (\text{A.109})$$

$$\frac{d[PKIC]^{ecav}}{dt} = -k_{PKI,b} \cdot [PKIC]^{ecav} + k_{PKI,f} \cdot [PKI]_f^{ecav} \cdot [C]^{ecav} \quad (\text{A.110})$$

## Cytosol

$$[PKA]^{cyt} = f_{PKA}^{cyt} \cdot [PKA]_{tot} \cdot \frac{V^{cell}}{V^{cyt}} \quad (\text{A.111})$$

$$[RC]_f^{cyt} = 2 \cdot [PKA]^{cyt} - [ARC]^{cyt} - [A_2RC]^{cyt} - [A_2R]^{cyt} \quad (\text{A.112})$$

$$[PKI]_f^{cyt} = f_{PKI}^{cyt} \cdot [PKI]_{tot} \cdot \frac{V^{cell}}{V^{cyt}} - [PKIC]^{cyt} \quad (\text{A.113})$$

$$k_{PKAI,b1} = k_{PKAI,f1} \cdot K_{PKAI,1} \quad (\text{A.114})$$

$$k_{PKAI,b2} = k_{PKAI,f2} \cdot K_{PKAI,2} \quad (\text{A.115})$$

$$k_{PKAI,b3} = k_{PKAI,f3} / K_{PKAI,3} \quad (\text{A.116})$$

$$k_{PKI,b} = k_{PKI,f} \cdot K_{PKI} \quad (\text{A.117})$$

$$\begin{aligned} \frac{d[cAMP]_{PKA}^{cyt}}{dt} = & -k_{PKAI,f1} \cdot [RC]_f^{cyt} \cdot [cAMP]^{cyt} + k_{PKAI,b1} \cdot [ARC]^{cyt} - k_{PKAI,f2} \cdot [ARC]^{cyt} \cdot [cAMP]^{cyt} \\ & + k_{PKAI,b2} \cdot [A_2RC]^{cyt} \end{aligned} \quad (\text{A.118})$$

$$\begin{aligned} \frac{d[ARC]^{cyt}}{dt} = & k_{PKAI,f1} \cdot [RC]_f^{cyt} \cdot [cAMP]^{cyt} - k_{PKAI,b1} \cdot [ARC]^{cyt} - k_{PKAI,f2} \cdot [ARC]^{cyt} \cdot [cAMP]^{cyt} \\ & + k_{PKAI,b2} \cdot [A_2RC]^{cyt} \end{aligned} \quad (\text{A.119})$$

$$\frac{d[A_2RC]^{cyt}}{dt} = k_{PKAI,f2} \cdot [ARC]^{cyt} \cdot [cAMP]^{cyt} - (k_{PKAI,b2} + k_{PKAI,f3}) \cdot [A_2RC]^{cyt} + k_{PKAI,b3} \cdot [A_2R]^{cyt} \cdot [C]^{cyt} \quad (\text{A.120})$$

$$\frac{d[A_2R]^{cyt}}{dt} = k_{PKAI,f3} \cdot [A_2RC]^{cyt} - k_{PKAI,b3} \cdot [A_2R]^{cyt} \cdot [C]^{cyt} \quad (\text{A.121})$$

$$\frac{d[C]^{cyt}}{dt} = k_{PKAI,f3} \cdot [A_2RC]^{cyt} - k_{PKAI,b3} \cdot [A_2R]^{cyt} \cdot [C]^{cyt} + k_{PKI,b} \cdot [PKIC]^{cyt} - k_{PKI,f} \cdot [PKI]_f^{cyt} \cdot [C]^{cyt} \quad (\text{A.122})$$

$$\frac{d[PKIC]^{cyt}}{dt} = -k_{PKI,b} \cdot [PKIC]^{cyt} + k_{PKI,f} \cdot [PKI]_f^{cyt} \cdot [C]^{cyt} \quad (\text{A.123})$$

## Protein phosphatases and inhibitor-1 module

Parameter	Definition	Value	Reference
$[PP1]_{tot}^{cyt}$	Total concentration of PP1 in the cytosolic compartment	0.2 $\mu\text{M}$	Heijman et al. [8]
$[PP2A]^{cyt}$	Cytosolic concentration of PP2A	0.0607843 $\mu\text{M}$	This paper
$[PP1]^{cav}$	Concentration of PP1 in the caveolae compartment	0.1 $\mu\text{M}$	This paper
$[PP2A]^{cav}$	Concentration of PP2A in the caveolae compartment	0.1 $\mu\text{M}$	This paper
$[PP]^{cav}$	Total phosphatase concentration in caveolae compartment $[PP1]^{cav} + [PP2A]^{cav}$	0.2 $\mu\text{M}$	This paper
$[PP1]^{ecav}$	Concentration of PP1 in the extracaveolae compartment	0.1 $\mu\text{M}$	Heijman et al. [8]
$[Inhib1]_{tot}^{cyt}$	Total concentration of inhibitor 1 in the cytosolic compartment	0.08543 $\mu\text{M}$	El-Armouche et al. [65]
$K_{Inhib1}$	Affinity for PP1 – Inhibitor 1 binding	$1.0 \cdot 10^{-3} \mu\text{M}$	Saucerman et al. [10]
$k_{PKA\_Inhib1}$	Rate of phosphorylation of inhibitor 1 by PKA	$1080.0 \mu\text{M}^{-1} \text{s}^{-1}$	This paper
$K_{mPKA\_Inhib1}$	Affinity of inhibitor 1 for PKA catalytic subunit	1.5 $\mu\text{M}$	This paper
$k_{PP2A\_Inhib1}$	Rate of dephosphorylation of inhibitor 1	$50.67 \mu\text{M}^{-1} \text{s}^{-1}$	This paper
$K_{mPP2A\_Inhib1}$	Affinity for PP2A – Inhibitor 1 binding	$1.0 \cdot 10^{-3} \mu\text{M}$	This paper

$$[Inhib1]_f^{cyt} = [Inhib1]_{tot}^{cyt} - [Inhib1]_{p,tot}^{cyt} \quad (\text{A.124})$$

$$a_{Inhib1} = 1.0 \quad (\text{A.125})$$

$$b_{Inhib1} = K_{Inhib1} + [PP1]_{tot}^{cyt} - [Inhib1]_{p,tot}^{cyt} \quad (\text{A.126})$$

$$c_{Inhib1} = -[Inhib1]_{p,tot}^{cyt} \cdot K_{Inhib1} \quad (\text{A.127})$$

$$[Inhib1]_p^{cyt} = \frac{-b_{Inhib1} + \sqrt{[b_{Inhib1}]^2 - 4 \cdot a_{Inhib1} \cdot c_{Inhib1}}}{2 \cdot a_{Inhib1}} \quad (\text{A.128})$$

$$[PP1]_f^{cyt} = \frac{[PP1]_{tot}^{cyt} \cdot K_{Inhib1}}{K_{Inhib1} + [Inhib1]_p^{cyt}} \quad (\text{A.129})$$

$$\frac{d[Inhib1]_{p,tot}^{cyt}}{dt} = \frac{k_{PKA\_Inhib1} \cdot [C]^{cyt} \cdot [Inhib1]_f^{cyt}}{K_{mPKA\_Inhib1} + [Inhib1]_f^{cyt}} - \frac{k_{PP2A\_Inhib1} \cdot [PP2A]^{cyt} \cdot [Inhib1]_{p,tot}^{cyt}}{K_{mPP2A\_Inhib1} + [Inhib1]_{p,tot}^{cyt}} \quad (\text{A.130})$$

## cAMP fluxes

Parameter	Definition	Value	Reference
$J_{cav/ecav}$	Rate of cAMP diffusion between caveolae and extracaveolae compartments	$5.000 \cdot 10^{-9} \mu\text{L s}^{-1}$	Iancu et al. [14]
$J_{cav/cyt}$	Rate of cAMP diffusion between caveolae and cytosolic compartments	$7.500 \cdot 10^{-8} \mu\text{L s}^{-1}$	Iancu et al. [14]
$J_{ecav/cyt}$	Rate of cAMP diffusion between extracaveolae and cytosolic compartments	$9.000 \cdot 10^{-9} \mu\text{L s}^{-1}$	Iancu et al. [14]

$$\begin{aligned} \frac{d[cAMP]^{cav}}{dt} &= \frac{d[cAMP]_{PKA}^{cav}}{dt} + \frac{d[cAMP]_{AC56}^{cav}}{dt} - \frac{d[cAMP]_{PDE2}^{cav}}{dt} - \frac{d[cAMP]_{PDE3}^{cav}}{dt} - \frac{d[cAMP]_{PDE4}^{cav}}{dt} \\ &- J_{cav/ecav} \cdot \frac{[cAMP]^{cav} - [cAMP]^{ecav}}{V_{cav}} - J_{cav/cyt} \cdot \frac{[cAMP]^{cav} - [cAMP]^{cyt}}{V_{cav}} \end{aligned} \quad (\text{A.131})$$

$$\begin{aligned} \frac{d[cAMP]^{ecav}}{dt} &= \frac{d[cAMP]_{PKA}^{ecav}}{dt} + \frac{d[cAMP]_{AC47}^{ecav}}{dt} - \frac{d[cAMP]_{PDE2}^{ecav}}{dt} - \frac{d[cAMP]_{PDE4}^{ecav}}{dt} \\ &- J_{cav/ecav} \cdot \frac{[cAMP]^{ecav} - [cAMP]^{cav}}{V_{ecav}} - J_{ecav/cyt} \cdot \frac{[cAMP]^{ecav} - [cAMP]^{cyt}}{V_{ecav}} \end{aligned} \quad (\text{A.132})$$

$$\begin{aligned} \frac{d[cAMP]^{cyt}}{dt} &= \frac{d[cAMP]_{PKA}^{cyt}}{dt} + \frac{d[cAMP]_{AC56}^{cyt}}{dt} + \frac{d[cAMP]_{AC47}^{cyt}}{dt} - \frac{d[cAMP]_{PDE2}^{cyt}}{dt} - \frac{d[cAMP]_{PDE3}^{cyt}}{dt} - \frac{d[cAMP]_{PDE4}^{cyt}}{dt} \\ &- J_{cav/cyt} \cdot \frac{[cAMP]^{cyt} - [cAMP]^{cav}}{V_{cyt}} - J_{ecav/cyt} \cdot \frac{[cAMP]^{cyt} - [cAMP]^{ecav}}{V_{cyt}} \end{aligned} \quad (\text{A.133})$$

## ELECTROPHYSIOLOGICAL PART. PKA SUBSTRATES

### L-type $\text{Ca}^{2+}$ current module

Parameter	Definition	Value	Reference
$[I_{\text{CaL}}]_{\text{tot}}$	Total cellular concentration of the L-type $\text{Ca}^{2+}$ channels	0.0273 $\mu\text{M}$	Chu et al. [71] Bers and Stiffel [72]
$f_{\text{ICaL}}^{\text{cav}}$	Fraction of the L-type $\text{Ca}^{2+}$ channels located in caveolae	0.2	Scriven et al. [21]
$f_{\text{ICaL}}^{\text{ecav}}$	Fraction of the L-type $\text{Ca}^{2+}$ channels located in extracaveolae	$1 - f_{\text{ICaL}}^{\text{cav}}$	Scriven et al. [21]
$G_{\text{CaL}}$	Specific maximum conductivity for L-type $\text{Ca}^{2+}$ channel (non-phosphorylated)	0.3772 $\text{mS}/\mu\text{F}$	This paper
$G_{\text{CaLp}}$	Specific maximum conductivity for L-type $\text{Ca}^{2+}$ channel (phosphorylated)	0.7875 $\text{mS}/\mu\text{F}$	This paper
$E_{\text{CaL}}$	Reversal potential for L-type $\text{Ca}^{2+}$ channel	52.0 mV	Petkova-Kirova et al. [26]
$K_{pc,\text{max}}$	Maximum rate constant for $\text{Ca}^{2+}$ -induced inactivation	233.24 $\text{s}^{-1}$	This paper
$K_{pc,half}$	Half-saturation constant for $\text{Ca}^{2+}$ -induced inactivation	10.0 $\mu\text{M}$	This paper
$K_{pcf}$	Forward voltage-insensitive rate constant for inactivation	40,000 $\text{s}^{-1}$	This paper
$K_{pcb}$	Backward voltage-insensitive rate constant for inactivation	2.4 $\text{s}^{-1}$	This paper
$k_{co}$	Forward voltage-insensitive rate constant for activation (non-phosphorylated)	1,000 $\text{s}^{-1}$	This paper
$k_{cop}$	Forward voltage-insensitive rate constant for activation (phosphorylated)	4,000 $\text{s}^{-1}$	This paper
$k_{oc}$	Backward voltage-insensitive rate constant for activation	1,000 $\text{s}^{-1}$	This paper
$I_{\text{CaL,max}}$	Normalization constant for L-type $\text{Ca}^{2+}$ current	7.0 $\text{pA}/\text{pF}$	Bondarenko et al. [25]
$k_{\text{ICaL\_PKA}}$	Phosphorylation rate of the L-type $\text{Ca}^{2+}$ channel by PKA	$1.74 \cdot 10^{-2} \text{ s}^{-1}$	This paper
$k_{\text{ICaL\_PP}}$	Dephosphorylation rate of the L-type $\text{Ca}^{2+}$ channel by PP1 and PP2A	$2.325 \cdot 10^{-4} \text{ s}^{-1}$	This paper
$K_{\text{ICaL\_PKA}}$	Affinity of the L-type $\text{Ca}^{2+}$ channel for PKA	0.5 $\mu\text{M}$	This paper
$K_{\text{ICaL\_PP}}$	Affinity of the L-type $\text{Ca}^{2+}$ channel for PP1 and PP2A	0.2 $\mu\text{M}$	This paper

$$I_{\text{CaL}} = I_{\text{ICaL}}^{\text{cav}} + I_{\text{ICaL}}^{\text{ecav}} \quad (\text{A.134})$$

$$\alpha = 0.4e^{(V+15.0)/15.0} \quad (\text{A.135})$$

$$\alpha_p = 0.4e^{(V+15.0+20.0)/15.0} \quad (\text{A.136})$$

$$\beta = 0.13e^{-(V+15.0)/18.0} \quad (\text{A.137})$$

## Caveolae

$$[I_{CaL}]_{tot}^{cav} = f_{ICaL}^{cav} [I_{CaL}]_{tot} \frac{V_{cell}}{V_{cav}} \quad (\text{A.138})$$

$$I_{CaL}^{cav} = f_{ICaL}^{cav} \cdot (G_{CaL} \cdot O^{cav} + G_{CaLp} \cdot O_p^{cav})(V - E_{CaL}) \quad (\text{A.139})$$

$$\gamma^{cav} = \frac{K_{pc,max}[Ca^{2+}]_i}{K_{pc,half} + [Ca^{2+}]_i} \quad (\text{A.140})$$

$$\begin{aligned} \frac{dO^{cav}}{dt} &= k_{co} C_P^{cav} - k_{oc} O^{cav} + K_{pcb} I_1^{cav} - \gamma^{cav} O^{cav} + 0.001(\alpha I_2^{cav} - K_{pcf} O^{cav}) \\ &- \frac{k_{ICaL\_PKA}[C]^{cav} O^{cav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{cav} O^{cav}} + \frac{\alpha}{\alpha_p} \frac{k_{ICaL\_PP}[PP]^{cav} O_p^{cav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{cav} O_p^{cav}} \end{aligned} \quad (\text{A.141})$$

$$\begin{aligned} C_1^{cav} &= 1 - (O^{cav} + C_2^{cav} + C_3^{cav} + C_4^{cav} + C_P^{cav} + C_{Pp}^{cav} + I_1^{cav} + I_2^{cav} + I_3^{cav} \\ &+ O_p^{cav} + C_{1p}^{cav} + C_{2p}^{cav} + C_{3p}^{cav} + C_{4p}^{cav} + C_{Pp}^{cav} + I_{1p}^{cav} + I_{2p}^{cav} + I_{3p}^{cav}) \end{aligned} \quad (\text{A.142})$$

$$\begin{aligned} \frac{dC_2^{cav}}{dt} &= 4\alpha C_1^{cav} - \beta C_2^{cav} + 2\beta C_3^{cav} - 3\alpha C_2^{cav} \\ &- \frac{k_{ICaL\_PKA}[C]^{cav} C_2^{cav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{cav} C_2^{cav}} + \frac{\alpha_p^2 k_{cop}}{\alpha^2 k_{co}} \frac{k_{ICaL\_PP}[PP]^{cav} C_{2p}^{cav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{cav} C_{2p}^{cav}} \end{aligned} \quad (\text{A.143})$$

$$\begin{aligned} \frac{dC_3^{cav}}{dt} &= 3\alpha C_2^{cav} - 2\beta C_3^{cav} + 3\beta C_4^{cav} - 2\alpha C_3^{cav} \\ &- \frac{k_{ICaL\_PKA}[C]^{cav} C_3^{cav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{cav} C_3^{cav}} + \frac{\alpha_p k_{cop}}{\alpha k_{co}} \frac{k_{ICaL\_PP}[PP]^{cav} C_{3p}^{cav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{cav} C_{3p}^{cav}} \end{aligned} \quad (\text{A.144})$$

$$\begin{aligned}
\frac{dC_4^{cav}}{dt} = & 2\alpha C_3^{cav} - 3\beta C_4^{cav} + 4\beta C_p^{cav} - \alpha C_4^{cav} + 0.01(4K_{pcb}\beta I_1^{cav} - \frac{k_{co}}{k_{oc}}\alpha\gamma^{cav}C_4^{cav}) \\
& + 0.002(4\beta I_2^{cav} - \frac{k_{co}}{k_{oc}}K_{pcf}C_4^{cav}) + 4\beta K_{pcb}I_3^{cav} - \frac{k_{co}}{k_{oc}}\gamma^{cav}K_{pcf}C_4^{cav} \\
& - \frac{k_{ICal\_PKA}[C]^{cav}C_4^{cav}}{K_{ICal\_PKA}+[I_{Cal}]_{tot}^{cav}C_4^{cav}} + \frac{k_{cop}}{k_{co}}\frac{k_{ICal\_PP}[PP]^{cav}C_{4p}^{cav}}{K_{ICal\_PP}+[I_{Cal}]_{tot}^{cav}C_{4p}^{cav}}
\end{aligned} \tag{A.145}$$

$$\begin{aligned}
\frac{dC_p^{cav}}{dt} = & \alpha C_4^{cav} - 4\beta C_p^{cav} + k_{oc}O^{cav} - k_{co}C_p^{cav} \\
& - \frac{k_{ICal\_PKA}[C]^{cav}C_p^{cav}}{K_{ICal\_PKA}+[I_{Cal}]_{tot}^{cav}C_p^{cav}} + \frac{\alpha k_{cop}}{\alpha_p k_{co}}\frac{k_{ICal\_PP}[PP]^{cav}C_{Pp}^{cav}}{K_{ICal\_PP}+[I_{Cal}]_{tot}^{cav}C_{Pp}^{cav}}
\end{aligned} \tag{A.146}$$

$$\begin{aligned}
\frac{dI_1^{cav}}{dt} = & \gamma^{cav}O^{cav} - K_{pcb}I_1^{cav} + 0.001(\alpha I_3^{cav} - K_{pcf}I_1^{cav}) + 0.01(\frac{k_{co}}{k_{oc}}\alpha\gamma^{cav}C_4^{cav} - 4\beta K_{pcb}I_1^{cav}) \\
& - \frac{k_{ICal\_PKA}[C]^{cav}I_1^{cav}}{K_{ICal\_PKA}+[I_{Cal}]_{tot}^{cav}I_1^{cav}} + \frac{\alpha}{\alpha_p}\frac{k_{ICal\_PP}[PP]^{cav}I_{1p}^{cav}}{K_{ICal\_PP}+[I_{Cal}]_{tot}^{cav}I_{1p}^{cav}}
\end{aligned} \tag{A.147}$$

$$\begin{aligned}
\frac{dI_2^{cav}}{dt} = & 0.001(K_{pcf}O^{cav} - \alpha I_2^{cav}) + K_{pcb}I_3^{cav} - \gamma^{cav}I_2^{cav} + 0.002(\frac{k_{co}}{k_{oc}}K_{pcf}C_4^{cav} - 4\beta I_2^{cav}) \\
& - \frac{k_{ICal\_PKA}[C]^{cav}I_2^{cav}}{K_{ICal\_PKA}+[I_{Cal}]_{tot}^{cav}I_2^{cav}} + \frac{k_{ICal\_PP}[PP]^{cav}I_{2p}^{cav}}{K_{ICal\_PP}+[I_{Cal}]_{tot}^{cav}I_{2p}^{cav}}
\end{aligned} \tag{A.148}$$

$$\begin{aligned}
\frac{dI_3^{cav}}{dt} = & 0.001(K_{pcf}I_1^{cav} - \alpha I_3^{cav}) + \gamma^{cav}I_2^{cav} - K_{pcb}I_3^{cav} + \frac{k_{co}}{k_{oc}}\gamma^{cav}K_{pcf}C_4^{cav} - 4\beta K_{pcb}I_3^{cav} \\
& - \frac{k_{ICal\_PKA}[C]^{cav}I_3^{cav}}{K_{ICal\_PKA}+[I_{Cal}]_{tot}^{cav}I_3^{cav}} + \frac{k_{ICal\_PP}[PP]^{cav}I_{3p}^{cav}}{K_{ICal\_PP}+[I_{Cal}]_{tot}^{cav}I_{3p}^{cav}}
\end{aligned} \tag{A.149}$$

$$\begin{aligned}
\frac{dO_p^{cav}}{dt} = & k_{cop}C_{Pp}^{cav} - k_{oc}O_p^{cav} + K_{pcb}I_{1p}^{cav} - \gamma^{cav}O_p^{cav} + 0.001(\alpha_p I_{2p}^{cav} - K_{pcf}O_p^{cav}) \\
& + \frac{k_{ICal\_PKA}[C]^{cav}O^{cav}}{K_{ICal\_PKA}+[I_{Cal}]_{tot}^{cav}O^{cav}} - \frac{\alpha}{\alpha_p}\frac{k_{ICal\_PP}[PP]^{cav}O_p^{cav}}{K_{ICal\_PP}+[I_{Cal}]_{tot}^{cav}O_p^{cav}}
\end{aligned} \tag{A.150}$$

$$\frac{dC_{1p}^{cav}}{dt} = \beta C_{2p}^{cav} - 4\alpha_p C_{1p}^{cav} + \frac{k_{ICal\_PKA}[C]^{cav}C_1^{cav}}{K_{ICal\_PKA}+[I_{Cal}]_{tot}^{cav}C_1^{cav}} - \frac{\alpha_p^3 k_{cop}}{\alpha^3 k_{co}}\frac{k_{ICal\_PP}[PP]^{cav}C_{1p}^{cav}}{K_{ICal\_PP}+[I_{Cal}]_{tot}^{cav}C_{1p}^{cav}} \tag{A.151}$$

$$\begin{aligned} \frac{dC_{2p}^{cav}}{dt} = & 4\alpha_p C_{1p}^{cav} - \beta C_{2p}^{cav} + 2\beta C_{3p}^{cav} - 3\alpha_p C_{2p}^{cav} \\ & + \frac{k_{ICaL\_PKA}[C]^{cav} C_2^{cav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{cav} C_2^{cav}} - \frac{\alpha_p^2 k_{cop}}{\alpha^2 k_{co}} \frac{k_{ICaL\_PP}[PP]^{cav} C_{2p}^{cav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{cav} C_{2p}^{cav}} \end{aligned} \quad (\text{A.152})$$

$$\begin{aligned} \frac{dC_{3p}^{cav}}{dt} = & 3\alpha_p C_{2p}^{cav} - 2\beta C_{3p}^{cav} + 3\beta C_{4p}^{cav} - 2\alpha_p C_{3p}^{cav} \\ & + \frac{k_{ICaL\_PKA}[C]^{cav} C_3^{cav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{cav} C_3^{cav}} - \frac{\alpha_p k_{cop}}{\alpha k_{co}} \frac{k_{ICaL\_PP}[PP]^{cav} C_{3p}^{cav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{cav} C_{3p}^{cav}} \end{aligned} \quad (\text{A.153})$$

$$\begin{aligned} \frac{dC_{4p}^{cav}}{dt} = & 2\alpha_p C_{3p}^{cav} - 3\beta C_{4p}^{cav} + 4\beta C_{Pp}^{cav} - \alpha_p C_{4p}^{cav} + 0.01(4K_{pcb}\beta I_{1p}^{cav} - \frac{k_{cop}}{k_{oc}}\alpha\gamma^{cav}C_{4p}^{cav}) \\ & + 0.002(4\beta I_{2p}^{cav} - \frac{k_{cop}}{k_{oc}}K_{pcf}C_{4p}^{cav}) + 4\beta K_{pcf}I_{3p}^{cav} - \frac{k_{cop}}{k_{oc}}\gamma^{cav}K_{pcf}C_{4p}^{cav} \\ & + \frac{k_{ICaL\_PKA}[C]^{cav} C_4^{cav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{cav} C_4^{cav}} - \frac{k_{cop}}{k_{co}} \frac{k_{ICaL\_PP}[PP]^{cav} C_{4p}^{cav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{cav} C_{4p}^{cav}} \end{aligned} \quad (\text{A.154})$$

$$\begin{aligned} \frac{dC_{Pp}^{cav}}{dt} = & \alpha_p C_{4p}^{cav} - 4\beta C_{Pp}^{cav} + k_{oc} O_p^{cav} - k_{cop} C_{Pp}^{cav} \\ & + \frac{k_{ICaL\_PKA}[C]^{cav} C_P^{cav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{cav} C_P^{cav}} - \frac{\alpha k_{cop}}{\alpha_p k_{co}} \frac{k_{ICaL\_PP}[PP]^{cav} C_{Pp}^{cav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{cav} C_{Pp}^{cav}} \end{aligned} \quad (\text{A.155})$$

$$\begin{aligned} \frac{dI_{1p}^{cav}}{dt} = & \gamma^{cav} O_p^{cav} - K_{pcb} I_{1p}^{cav} + 0.001(\alpha_p I_{3p}^{cav} - K_{pcf} I_{1p}^{cav}) + 0.01(\frac{k_{cop}}{k_{oc}}\alpha_p\gamma^{cav}C_{4p}^{cav} - 4\beta K_{pcb} I_{1p}^{cav}) \\ & + \frac{k_{ICaL\_PKA}[C]^{cav} I_1^{cav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{cav} I_1^{cav}} - \frac{\alpha}{\alpha_p} \frac{k_{ICaL\_PP}[PP]^{cav} I_{1p}^{cav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{cav} I_{1p}^{cav}} \end{aligned} \quad (\text{A.156})$$

$$\begin{aligned} \frac{dI_{2p}^{cav}}{dt} = & 0.001(K_{pcf} O_p^{cav} - \alpha_p I_{2p}^{cav}) + K_{pcb} I_{3p}^{cav} - \gamma^{cav} I_{2p}^{cav} + 0.002(\frac{k_{cop}}{k_{oc}}K_{pcf}C_{4p}^{cav} - 4\beta I_{2p}^{cav}) \\ & + \frac{k_{ICaL\_PKA}[C]^{cav} I_2^{cav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{cav} I_2^{cav}} - \frac{k_{ICaL\_PP}[PP]^{cav} I_{2p}^{cav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{cav} I_{2p}^{cav}} \end{aligned} \quad (\text{A.157})$$

$$\begin{aligned} \frac{dI_{3p}^{cav}}{dt} = & 0.001(K_{pcf}I_{1p}^{cav} - \alpha_p I_{3p}^{cav}) + \gamma^{cav} I_{2p}^{cav} - K_{pcb}I_{3p}^{cav} + \frac{k_{cop}}{k_{oc}} \gamma^{cav} K_{pcf} C_{4p}^{cav} - 4\beta K_{pcb} I_{3p}^{cav} \\ & + \frac{k_{ICaL\_PKA}[C]^{cav} I_3^{cav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{cav} I_3^{cav}} - \frac{k_{ICaL\_PP}[PP]^{cav} I_{3p}^{cav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{cav} I_{3p}^{cav}} \end{aligned} \quad (\text{A.158})$$

## Extracaveolae

$$[I_{CaL}]_{tot}^{ecav} = f_{ICaL}^{ecav} [I_{CaL}]_{tot} \frac{V_{cell}}{V_{ecav}} \quad (\text{A.159})$$

$$I_{CaL}^{ecav} = f_{ICaL}^{ecav} \cdot (G_{CaL} \cdot O^{ecav} + G_{CaLp} \cdot O_p^{ecav})(V - E_{CaL}) \quad (\text{A.160})$$

$$\gamma^{ecav} = \frac{K_{pc,max}[Ca^{2+}]_{ss}}{K_{pc,half} + [Ca^{2+}]_{ss}} \quad (\text{A.161})$$

$$\begin{aligned} \frac{dO^{ecav}}{dt} = & k_{co} C_P^{ecav} - k_{oc} O^{ecav} + K_{pcb} I_1^{ecav} - \gamma^{ecav} O^{ecav} + 0.001(\alpha I_2^{ecav} - K_{pcf} O^{ecav}) \\ & - \frac{k_{ICaL\_PKA}[C]^{ecav} O^{ecav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{ecav} O^{ecav}} + \frac{\alpha}{\alpha_p} \frac{k_{ICaL\_PP}[PP1]^{ecav} O_p^{ecav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{ecav} O_p^{ecav}} \end{aligned} \quad (\text{A.162})$$

$$\begin{aligned} C_1^{ecav} = & 1 - (O^{ecav} + C_2^{ecav} + C_3^{ecav} + C_4^{ecav} + C_P^{ecav} + I_1^{ecav} + I_2^{ecav} + I_3^{ecav} \\ & + O_p^{ecav} + C_{1p}^{ecav} + C_{2p}^{ecav} + C_{3p}^{ecav} + C_{4p}^{ecav} + C_{Pp}^{ecav} + I_{1p}^{ecav} + I_{2p}^{ecav} + I_{3p}^{ecav}) \end{aligned} \quad (\text{A.163})$$

$$\begin{aligned} \frac{dC_2^{ecav}}{dt} = & 4\alpha C_1^{ecav} - \beta C_2^{ecav} + 2\beta C_3^{ecav} - 3\alpha C_2^{ecav} \\ & - \frac{k_{ICaL\_PKA}[C]^{ecav} C_2^{ecav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{ecav} C_2^{ecav}} + \frac{\alpha_p^2 k_{cop}}{\alpha^2 k_{co}} \frac{k_{ICaL\_PP}[PP1]^{ecav} C_{2p}^{ecav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{ecav} C_{2p}^{ecav}} \end{aligned} \quad (\text{A.164})$$

$$\begin{aligned} \frac{dC_3^{ecav}}{dt} = & 3\alpha C_2^{ecav} - 2\beta C_3^{ecav} + 3\beta C_4^{ecav} - 2\alpha C_3^{ecav} \\ & - \frac{k_{ICaL\_PKA}[C]^{ecav} C_3^{ecav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{ecav} C_3^{ecav}} + \frac{\alpha_p k_{cop}}{\alpha k_{co}} \frac{k_{ICaL\_PP}[PP1]^{ecav} C_{3p}^{ecav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{ecav} C_{3p}^{ecav}} \end{aligned} \quad (\text{A.165})$$

$$\begin{aligned}
\frac{dC_4^{ecav}}{dt} = & 2\alpha C_3^{ecav} - 3\beta C_4^{ecav} + 4\beta C_P^{ecav} - \alpha C_4^{ecav} + 0.01(4K_{pcb}\beta I_1^{ecav} - \frac{k_{co}}{k_{oc}}\alpha\gamma^{ecav}C_4^{ecav}) \\
& + 0.002(4\beta I_2^{ecav} - \frac{k_{co}}{k_{oc}}K_{pcf}C_4^{ecav}) + 4\beta K_{pcb}I_3^{ecav} - \frac{k_{co}}{k_{oc}}\gamma^{ecav}K_{pcf}C_4^{ecav} \\
& - \frac{k_{ICaL\_PKA}[C]^{ecav}C_4^{ecav}}{K_{ICaL\_PKA}+[I_{CaL}]_{tot}^{ecav}C_4^{ecav}} + \frac{k_{cop}}{k_{co}}\frac{k_{ICaL\_PP}[PP1]^{ecav}C_{4p}^{ecav}}{K_{ICaL\_PP}+[I_{CaL}]_{tot}^{ecav}C_{4p}^{ecav}}
\end{aligned} \tag{A.166}$$

$$\begin{aligned}
\frac{dC_P^{ecav}}{dt} = & \alpha C_4^{ecav} - 4\beta C_P^{ecav} + k_{oc}O^{ecav} - k_{co}C_P^{ecav} \\
& - \frac{k_{ICaL\_PKA}[C]^{ecav}C_P^{ecav}}{K_{ICaL\_PKA}+[I_{CaL}]_{tot}^{ecav}C_P^{ecav}} + \frac{\alpha k_{cop}}{\alpha_p k_{co}}\frac{k_{ICaL\_PP}[PP1]^{ecav}C_{Pp}^{ecav}}{K_{ICaL\_PP}+[I_{CaL}]_{tot}^{ecav}C_{Pp}^{ecav}}
\end{aligned} \tag{A.167}$$

$$\begin{aligned}
\frac{dI_1^{ecav}}{dt} = & \gamma^{ecav}O^{ecav} - K_{pcb}I_1^{ecav} + 0.001(\alpha I_3^{ecav} - K_{pcf}I_1^{ecav}) + 0.01(\frac{k_{co}}{k_{oc}}\alpha\gamma^{ecav}C_4^{ecav} - 4\beta K_{pcb}I_1^{ecav}) \\
& - \frac{k_{ICaL\_PKA}[C]^{ecav}I_1^{ecav}}{K_{ICaL\_PKA}+[I_{CaL}]_{tot}^{ecav}I_1^{ecav}} + \frac{\alpha}{\alpha_p}\frac{k_{ICaL\_PP}[PP1]^{ecav}I_{1p}^{ecav}}{K_{ICaL\_PP}+[I_{CaL}]_{tot}^{ecav}I_{1p}^{ecav}}
\end{aligned} \tag{A.168}$$

$$\begin{aligned}
\frac{dI_2^{ecav}}{dt} = & 0.001(K_{pcf}O^{ecav} - \alpha I_2^{ecav}) + K_{pcb}I_3^{ecav} - \gamma^{ecav}I_2^{ecav} + 0.002(\frac{k_{co}}{k_{oc}}K_{pcf}C_4^{ecav} - 4\beta I_2^{ecav}) \\
& - \frac{k_{ICaL\_PKA}[C]^{ecav}I_2^{ecav}}{K_{ICaL\_PKA}+[I_{CaL}]_{tot}^{ecav}I_2^{ecav}} + \frac{k_{ICaL\_PP}[PP1]^{ecav}I_{2p}^{ecav}}{K_{ICaL\_PP}+[I_{CaL}]_{tot}^{ecav}I_{2p}^{ecav}}
\end{aligned} \tag{A.169}$$

$$\begin{aligned}
\frac{dI_3^{ecav}}{dt} = & 0.001(K_{pcf}I_1^{ecav} - \alpha I_3^{ecav}) + \gamma^{ecav}I_2^{ecav} - K_{pcb}I_3^{ecav} + \frac{k_{co}}{k_{oc}}\gamma^{ecav}K_{pcf}C_4^{ecav} - 4\beta K_{pcb}I_3^{ecav} \\
& - \frac{k_{ICaL\_PKA}[C]^{ecav}I_3^{ecav}}{K_{ICaL\_PKA}+[I_{CaL}]_{tot}^{ecav}I_3^{ecav}} + \frac{k_{ICaL\_PP}[PP1]^{ecav}I_{3p}^{ecav}}{K_{ICaL\_PP}+[I_{CaL}]_{tot}^{ecav}I_{3p}^{ecav}}
\end{aligned} \tag{A.170}$$

$$\begin{aligned}
\frac{dO_p^{ecav}}{dt} = & k_{cop}C_{Pp}^{ecav} - k_{oc}O_p^{ecav} + K_{pcb}I_{1p}^{ecav} - \gamma^{ecav}O_p^{ecav} + 0.001(\alpha_p I_{2p}^{ecav} - K_{pcf}O_p^{ecav}) \\
& + \frac{k_{ICaL\_PKA}[C]^{ecav}O^{ecav}}{K_{ICaL\_PKA}+[I_{CaL}]_{tot}^{ecav}O^{ecav}} - \frac{\alpha}{\alpha_p}\frac{k_{ICaL\_PP}[PP1]^{ecav}O_p^{ecav}}{K_{ICaL\_PP}+[I_{CaL}]_{tot}^{ecav}O_p^{ecav}}
\end{aligned} \tag{A.171}$$

$$\frac{dC_{1p}^{ecav}}{dt} = \beta C_{2p}^{ecav} - 4\alpha_p C_{1p}^{ecav} + \frac{k_{ICaL\_PKA}[C]^{ecav}C_1^{ecav}}{K_{ICaL\_PKA}+[I_{CaL}]_{tot}^{ecav}C_1^{ecav}} - \frac{\alpha_p^3 k_{cop}}{\alpha^3 k_{co}}\frac{k_{ICaL\_PP}[PP1]^{ecav}C_{1p}^{ecav}}{K_{ICaL\_PP}+[I_{CaL}]_{tot}^{ecav}C_{1p}^{ecav}} \tag{A.172}$$

$$\begin{aligned} \frac{dC_{2p}^{ecav}}{dt} = & 4\alpha_p C_{1p}^{ecav} - \beta C_{2p}^{ecav} + 2\beta C_{3p}^{ecav} - 3\alpha_p C_{2p}^{ecav} \\ & + \frac{k_{ICaL\_PKA}[C]^{ecav} C_2^{ecav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{ecav} C_2^{ecav}} - \frac{\alpha_p^2 k_{cop}}{\alpha^2 k_{co}} \frac{k_{ICaL\_PP}[PP1]^{ecav} C_{2p}^{ecav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{ecav} C_{2p}^{ecav}} \end{aligned} \quad (\text{A.173})$$

$$\begin{aligned} \frac{dC_{3p}^{ecav}}{dt} = & 3\alpha_p C_{2p}^{ecav} - 2\beta C_{3p}^{ecav} + 3\beta C_{4p}^{ecav} - 2\alpha_p C_{3p}^{ecav} \\ & + \frac{k_{ICaL\_PKA}[C]^{ecav} C_3^{ecav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{ecav} C_3^{ecav}} - \frac{\alpha_p k_{cop}}{\alpha k_{co}} \frac{k_{ICaL\_PP}[PP1]^{ecav} C_{3p}^{ecav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{ecav} C_{3p}^{ecav}} \end{aligned} \quad (\text{A.174})$$

$$\begin{aligned} \frac{dC_{4p}^{ecav}}{dt} = & 2\alpha_p C_{3p}^{ecav} - 3\beta C_{4p}^{ecav} + 4\beta C_{Pp}^{ecav} - \alpha_p C_{4p}^{ecav} + 0.01(4K_{pcb}\beta I_{1p}^{ecav} - \frac{k_{cop}}{k_{oc}}\alpha\gamma^{ecav} C_{4p}^{ecav}) \\ & + 0.002(4\beta I_{2p}^{ecav} - \frac{k_{cop}}{k_{oc}}K_{pcf}C_{4p}^{ecav}) + 4\beta K_{pcb}I_{3p}^{ecav} - \frac{k_{cop}}{k_{oc}}\gamma^{ecav} K_{pcf}C_{4p}^{ecav} \\ & + \frac{k_{ICaL\_PKA}[C]^{ecav} C_4^{ecav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{ecav} C_4^{ecav}} - \frac{k_{cop}}{k_{co}} \frac{k_{ICaL\_PP}[PP1]^{ecav} C_{4p}^{ecav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{ecav} C_{4p}^{ecav}} \end{aligned} \quad (\text{A.175})$$

$$\begin{aligned} \frac{dC_{Pp}^{ecav}}{dt} = & \alpha_p C_{4p}^{ecav} - 4\beta C_{Pp}^{ecav} + k_{oc} O_p^{ecav} - k_{cop} C_{Pp}^{ecav} \\ & + \frac{k_{ICaL\_PKA}[C]^{ecav} C_P^{ecav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{ecav} C_P^{ecav}} - \frac{\alpha k_{cop}}{\alpha_p k_{co}} \frac{k_{ICaL\_PP}[PP1]^{ecav} C_{Pp}^{ecav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{ecav} C_{Pp}^{ecav}} \end{aligned} \quad (\text{A.176})$$

$$\begin{aligned} \frac{dI_{1p}^{ecav}}{dt} = & \gamma^{ecav} O_p^{ecav} - K_{pcb} I_{1p}^{ecav} + 0.001(\alpha_p I_{3p}^{ecav} - K_{pcf} I_{1p}^{ecav}) + 0.01(\frac{k_{cop}}{k_{oc}}\alpha_p \gamma^{ecav} C_{4p}^{ecav} - 4\beta K_{pcb} I_{1p}^{ecav}) \\ & + \frac{k_{ICaL\_PKA}[C]^{ecav} I_1^{ecav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{ecav} I_1^{ecav}} - \frac{\alpha}{\alpha_p} \frac{k_{ICaL\_PP}[PP1]^{ecav} I_{1p}^{ecav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{ecav} I_{1p}^{ecav}} \end{aligned} \quad (\text{A.177})$$

$$\begin{aligned} \frac{dI_{2p}^{ecav}}{dt} = & 0.001(K_{pcf} O_p^{ecav} - \alpha_p I_{2p}^{ecav}) + K_{pcb} I_{3p}^{ecav} - \gamma^{ecav} I_{2p}^{ecav} + 0.002(\frac{k_{cop}}{k_{oc}} K_{pcf} C_{4p}^{ecav} - 4\beta I_{2p}^{ecav}) \\ & + \frac{k_{ICaL\_PKA}[C]^{ecav} I_2^{ecav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{ecav} I_2^{ecav}} - \frac{k_{ICaL\_PP}[PP1]^{ecav} I_{2p}^{ecav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{ecav} I_{2p}^{ecav}} \end{aligned} \quad (\text{A.178})$$

$$\begin{aligned} \frac{dI_{3p}^{ecav}}{dt} = & 0.001(K_{pcf}I_{1p}^{ecav} - \alpha_p I_{3p}^{ecav}) + \gamma^{ecav} I_{2p}^{ecav} - K_{pcb}I_{3p}^{ecav} + \frac{k_{cop}}{k_{oc}}\gamma^{ecav}K_{pcf}C_{4p}^{ecav} - 4\beta K_{pcb}I_{3p}^{ecav} \\ & + \frac{k_{ICaL\_PKA}[C]^{ecav}I_3^{ecav}}{K_{ICaL\_PKA} + [I_{CaL}]_{tot}^{ecav}I_3^{ecav}} - \frac{k_{ICaL\_PP}[PP1]^{ecav}I_{3p}^{ecav}}{K_{ICaL\_PP} + [I_{CaL}]_{tot}^{ecav}I_{3p}^{ecav}} \end{aligned} \quad (\text{A.179})$$

### Fast Na<sup>+</sup> current module

Parameter	Definition	Value	Reference
$G_{Na}$	Specific maximum conductivity for the fast Na <sup>+</sup> channel (non-phosphorylated)	14.4 mS/μF	This paper
$G_{Nap}$	Specific maximum conductivity for the fast Na <sup>+</sup> channel (phosphorylated)	18.0 mS/μF	This paper
$k_{INa\_PKA}$	Phosphorylation-trafficking rate of the fast Na <sup>+</sup> channel by PKA	$6.8400 \cdot 10^{-3} \mu\text{M}^{-1} \text{s}^{-1}$	This paper
$k_{INa\_PP}$	Dephosphorylation rate of the fast Na <sup>+</sup> channel by PP1 and PP2A	$1.9804 \cdot 10^{-2} \mu\text{M}^{-1} \text{s}^{-1}$	This paper
$K_{INa\_PKA}$	Affinity of the fast Na <sup>+</sup> channel for PKA	$5.49415 \cdot 10^{-3}$	This paper
$K_{INa\_PP}$	Affinity of the fast Na <sup>+</sup> channel for PP1 and PP2A	0.393025	This paper

$$E_{Na} = \frac{RT}{F} \ln \left( \frac{0.9[Na^+]_o + 0.1[K^+]_o}{0.9[Na^+]_i + 0.1[K^+]_i} \right) \quad (\text{A.180})$$

$$I_{Na} = (G_{Na} \cdot O_{Na} + G_{Nap} \cdot O_{Nap})(V - E_{Na}) \quad (\text{A.181})$$

$$\begin{aligned} C_{Na3} = & 1 - (O_{Na} + C_{Na2} + C_{Na1} + IF_{Na} + I1_{Na} + I2_{Na} + IC_{Na2} + IC_{Na3} \\ & + O_{Nap} + C_{Na3p} + C_{Na2p} + C_{Na1p} + IF_{Nap} + I1_{Nap} + I2_{Nap} + IC_{Na2p} + IC_{Na3p}) \end{aligned} \quad (\text{A.182})$$

$$\begin{aligned} \frac{dC_{Na2}}{dt} = & \alpha_{Na11}C_{Na3} - \beta_{Na11}C_{Na2} + \beta_{Na12}C_{Na1} - \alpha_{Na12}C_{Na2} + \alpha_{Na3}IC_{Na2} - \beta_{Na3}C_{Na2} \\ & - \frac{k_{INa\_PKA}[C]^{cav}C_{Na2}}{K_{INa\_PKA} + C_{Na2}} + \frac{k_{INa\_PP}[PP]^{cav}C_{Na2p}}{K_{INa\_PP} + C_{Na2p}} \end{aligned} \quad (\text{A.183})$$

$$\begin{aligned} \frac{dC_{Na1}}{dt} = & \alpha_{Na12}C_{Na2} - \beta_{Na12}C_{Na1} + \beta_{Na13}O_{Na} - \alpha_{Na13}C_{Na1} + \alpha_{Na3}IF_{Na} - \beta_{Na3}C_{Na1} \\ & - \frac{k_{INa\_PKA}[C]^{cav}C_{Na1}}{K_{INa\_PKA} + C_{Na1}} + \frac{k_{INa\_PP}[PP]^{cav}C_{Na1p}}{K_{INa\_PP} + C_{Na1p}} \end{aligned} \quad (\text{A.184})$$

$$\begin{aligned} \frac{dO_{Na}}{dt} = & \alpha_{Na13}C_{Na1} - \beta_{Na13}O_{Na} + \beta_{Na2}IF_{Na} - \alpha_{Na2}O_{Na} \\ & - \frac{k_{INa\_PKA}[C]^{cav}O_{Na}}{K_{INa\_PKA} + O_{Na}} + \frac{k_{INa\_PP}[PP]^{cav}O_{Nap}}{K_{INa\_PP} + O_{Nap}} \end{aligned} \quad (\text{A.185})$$

$$\begin{aligned} \frac{dIF_{Na}}{dt} = & \alpha_{Na2}O_{Na} - \beta_{Na2}IF_{Na} + \beta_{Na3}C_{Na1} - \alpha_{Na3}IF_{Na} + \beta_{Na4}I1_{Na} - \alpha_{Na4}IF_{Na} \\ & + \alpha_{Na12}IC_{Na2} - \beta_{Na12}IF_{Na} - \frac{k_{INa\_PKA}[C]^{cav}IF_{Na}}{K_{INa\_PKA} + IF_{Na}} + \frac{k_{INa\_PP}[PP]^{cav}IF_{Nap}}{K_{INa\_PP} + IF_{Nap}} \end{aligned} \quad (\text{A.186})$$

$$\begin{aligned} \frac{dI1_{Na}}{dt} = & \alpha_{Na4}IF_{Na} - \beta_{Na4}I1_{Na} + \beta_{Na5}I2_{Na} - \alpha_{Na5}I1_{Na} \\ & - \frac{k_{INa\_PKA}[C]^{cav}I1_{Na}}{K_{INa\_PKA} + I1_{Na}} + \frac{k_{INa\_PP}[PP]^{cav}I1_{Nap}}{K_{INa\_PP} + I1_{Nap}} \end{aligned} \quad (\text{A.187})$$

$$\frac{dI2_{Na}}{dt} = \alpha_{Na5}I1_{Na} - \beta_{Na5}I2_{Na} - \frac{k_{INa\_PKA}[C]^{cav}I2_{Na}}{K_{INa\_PKA} + I2_{Na}} + \frac{k_{INa\_PP}[PP]^{cav}I2_{Nap}}{K_{INa\_PP} + I2_{Nap}} \quad (\text{A.188})$$

$$\begin{aligned} \frac{dIC_{Na2}}{dt} = & \alpha_{Na11}IC_{Na3} - \beta_{Na11}IC_{Na2} + \beta_{Na12}IF_{Na} - \alpha_{Na12}IC_{Na2} + \beta_{Na3}C_{Na2} - \alpha_{Na3}IC_{Na2} \\ & - \frac{k_{INa\_PKA}[C]^{cav}IC_{Na2}}{K_{INa\_PKA} + IC_{Na2}} + \frac{k_{INa\_PP}[PP]^{cav}IC_{Na2p}}{K_{INa\_PP} + IC_{Na2p}} \end{aligned} \quad (\text{A.189})$$

$$\begin{aligned} \frac{dIC_{Na3}}{dt} = & \beta_{Na11}IC_{Na2} - \alpha_{Na11}IC_{Na3} + \beta_{Na3}C_{Na3} - \alpha_{Na3}IC_{Na3} \\ & - \frac{k_{INa\_PKA}[C]^{cav}IC_{Na3}}{K_{INa\_PKA} + IC_{Na3}} + \frac{k_{INa\_PP}[PP]^{cav}IC_{Na3p}}{K_{INa\_PP} + IC_{Na3p}} \end{aligned} \quad (\text{A.190})$$

$$\begin{aligned} \frac{dC_{Na3p}}{dt} = & \beta_{Na11}C_{Na2p} - \alpha_{Na11}C_{Na3p} + \alpha_{Na3}IC_{Na3p} - \beta_{Na3}C_{Na3p} \\ & + \frac{k_{INa\_PKA}[C]^{cav}C_{Na3}}{K_{INa\_PKA} + C_{Na3}} - \frac{k_{INa\_PP}[PP]^{cav}C_{Na3p}}{K_{INa\_PP} + C_{Na3p}} \end{aligned} \quad (\text{A.191})$$

$$\begin{aligned} \frac{dC_{Na2p}}{dt} = & \alpha_{Na11}C_{Na3p} - \beta_{Na11}C_{Na2p} + \beta_{Na12}C_{Na1p} - \alpha_{Na12}C_{Na2p} + \alpha_{Na3}IC_{Na2p} - \beta_{Na3}C_{Na2p} \\ & + \frac{k_{INa\_PKA}[C]^{cav}C_{Na2}}{K_{INa\_PKA} + C_{Na2}} - \frac{k_{INa\_PP}[PP]^{cav}C_{Na2p}}{K_{INa\_PP} + C_{Na2p}} \end{aligned} \quad (\text{A.192})$$

$$\begin{aligned} \frac{dC_{Na1p}}{dt} = & \alpha_{Na12}C_{Na2p} - \beta_{Na12}C_{Na1p} + \beta_{Na13}O_{Nap} - \alpha_{Na13}C_{Na1p} + \alpha_{Na3}IF_{Nap} - \beta_{Na3}C_{Na1p} \\ & + \frac{k_{INa\_PKA}[C]^{cav}C_{Na1}}{K_{INa\_PKA} + C_{Na1}} - \frac{k_{INa\_PP}[PP]^{cav}C_{Na1p}}{K_{INa\_PP} + C_{Na1p}} \end{aligned} \quad (\text{A.193})$$

$$\begin{aligned} \frac{dO_{Nap}}{dt} = & \alpha_{Na13}C_{Na1p} - \beta_{Na13}O_{Nap} + \beta_{Na2}IF_{Nap} - \alpha_{Na2}O_{Nap} \\ & + \frac{k_{INa\_PKA}[C]^{cav}O_{Na}}{K_{INa\_PKA} + O_{Na}} - \frac{k_{INa\_PP}[PP]^{cav}O_{Nap}}{K_{INa\_PP} + O_{Nap}} \end{aligned} \quad (\text{A.194})$$

$$\begin{aligned} \frac{dIF_{Nap}}{dt} = & \alpha_{Na2}O_{Nap} - \beta_{Na2}IF_{Nap} + \beta_{Na3}C_{Na1p} - \alpha_{Na3}IF_{Nap} + \beta_{Na4}I1_{Nap} - \alpha_{Na4}IF_{Nap} \\ & + \alpha_{Na12}IC_{Na2p} - \beta_{Na12}IF_{Nap} + \frac{k_{INa\_PKA}[C]^{cav}IF_{Na}}{K_{INa\_PKA} + IF_{Na}} - \frac{k_{INa\_PP}[PP]^{cav}IF_{Nap}}{K_{INa\_PP} + IF_{Nap}} \end{aligned} \quad (\text{A.195})$$

$$\begin{aligned} \frac{dI1_{Nap}}{dt} = & \alpha_{Na4}IF_{Nap} - \beta_{Na4}I1_{Nap} + \beta_{Na5}I2_{Nap} - \alpha_{Na5}I1_{Nap} \\ & + \frac{k_{INa\_PKA}[C]^{cav}I1_{Na}}{K_{INa\_PKA} + I1_{Na}} - \frac{k_{INa\_PP}[PP]^{cav}I1_{Nap}}{K_{INa\_PP} + I1_{Nap}} \end{aligned} \quad (\text{A.196})$$

$$\frac{dI2_{Nap}}{dt} = \alpha_{Na5}I1_{Nap} - \beta_{Na5}I2_{Nap} + \frac{k_{INa\_PKA}[C]^{cav}I2_{Na}}{K_{INa\_PKA} + I2_{Na}} - \frac{k_{INa\_PP}[PP]^{cav}I2_{Nap}}{K_{INa\_PP} + I2_{Nap}} \quad (\text{A.197})$$

$$\begin{aligned} \frac{dIC_{Na2p}}{dt} = & \alpha_{Na11} IC_{Na3p} - \beta_{Na11} IC_{Na2p} + \beta_{Na12} IF_{Nap} - \alpha_{Na12} IC_{Na2p} + \beta_{Na3} C_{Na2p} - \alpha_{Na3} IC_{Na2p} \\ & + \frac{k_{INa\_PKA}[C]^{cav} IC_{Na2}}{K_{INa\_PKA} + IC_{Na2}} - \frac{k_{INa\_PP}[PP]^{cav} IC_{Na2p}}{K_{INa\_PP} + IC_{Na2p}} \end{aligned} \quad (\text{A.198})$$

$$\begin{aligned} \frac{dIC_{Na3p}}{dt} = & \beta_{Na11} IC_{Na2p} - \alpha_{Na11} IC_{Na3p} + \beta_{Na3} C_{Na3p} - \alpha_{Na3} IC_{Na3p} \\ & + \frac{k_{INa\_PKA}[C]^{cav} IC_{Na3}}{K_{INa\_PKA} + IC_{Na3}} - \frac{k_{INa\_PP}[PP]^{cav} IC_{Na3p}}{K_{INa\_PP} + IC_{Na3p}} \end{aligned} \quad (\text{A.199})$$

$$\alpha_{Na11} = \frac{3.802}{0.1027e^{-(V-2.5)/17.0} + 0.20e^{-(V-2.5)/150.0}} \quad (\text{A.200})$$

$$\alpha_{Na12} = \frac{3.802}{0.1027e^{-(V-2.5)/15.0} + 0.23e^{-(V-2.5)/150.0}} \quad (\text{A.201})$$

$$\alpha_{Na13} = \frac{3.802}{0.1027e^{-(V-2.5)/12.0} + 0.25e^{-(V-2.5)/150.0}} \quad (\text{A.202})$$

$$\beta_{Na11} = 0.1917e^{-(V-2.5)/20.3} \quad (\text{A.203})$$

$$\beta_{Na12} = 0.20e^{-(V-7.5)/20.3} \quad (\text{A.204})$$

$$\beta_{Na13} = 0.22e^{-(V-12.5)/20.3} \quad (\text{A.205})$$

$$\alpha_{Na3} = 7.0 \times 10^{-7} e^{-(V+7.0)/7.7} \quad (\text{A.206})$$

$$\beta_{Na3} = 0.0084 + 0.00002(V + 7.0) \quad (\text{A.207})$$

$$\alpha_{Na2} = \frac{1.0}{0.188495e^{-(V+7.0)/16.6} + 0.393956} \quad (\text{A.208})$$

$$\beta_{Na2} = \alpha_{Na13} \alpha_{Na2} \alpha_{Na3} / (\beta_{Na13} \beta_{Na3}) \quad (\text{A.209})$$

$$\alpha_{Na4} = \alpha_{Na2} / 100.0 \quad (\text{A.210})$$

$$\beta_{Na4} = \alpha_{Na3} \quad (\text{A.211})$$

$$\alpha_{Na5} = \alpha_{Na2} / 95000 \quad (\text{A.212})$$

$$\beta_{Na5} = \alpha_{Na3} / 50.0 \quad (\text{A.213})$$

## Ryanodine receptor module

Parameter	Definition	Value	Reference
$[RyR]_{tot}$	Total cellular concentration of ryanodine receptors	0.1993 $\mu\text{M}$	Chu et al. [71]
$V_1$	Maximum RyR channel $\text{Ca}^{2+}$ permeability	4,500 $\text{s}^{-1}$	Bondarenko et al. [25]
$n$	RyR $\text{Ca}^{2+}$ cooperativity parameter $P_{C1} - P_{O1}$	4	Bondarenko et al. [25]
$m$	RyR $\text{Ca}^{2+}$ cooperativity parameter $P_{O1} - P_{O2}$	3	Bondarenko et al. [25]
$k_a^+$	RyR $P_{C1} - P_{O1}$ rate constant	6.075 $\mu\text{M}^{-4} \text{s}^{-1}$	Bondarenko et al. [25]
$k_a^-$	RyR $P_{O1} - P_{C1}$ rate constant	71.25 $\text{s}^{-1}$	Bondarenko et al. [25]
$k_b^+$	RyR $P_{O1} - P_{O2}$ rate constant	4.05 $\mu\text{M}^{-3} \text{s}^{-1}$	Bondarenko et al. [25]
$k_b^-$	RyR $P_{O2} - P_{O1}$ rate constant	965.0 $\text{s}^{-1}$	Bondarenko et al. [25]
$k_c^+$	RyR $P_{O1} - P_{C2}$ rate constant	9.0 $\text{s}^{-1}$	Bondarenko et al. [25]
$k_c^-$	RyR $P_{C2} - P_{O1}$ rate constant	0.8 $\text{s}^{-1}$	Bondarenko et al. [25]
$k_{ap}^+$	RyR $P_{C1p} - P_{O1p}$ rate constant	$5k_a^+$	This paper
$k_{ap}^-$	RyR $P_{O1p} - P_{C1p}$ rate constant	$3k_a^-$	This paper
$k_{bp}^+$	RyR $P_{O1p} - P_{O2p}$ rate constant	$5k_b^+$	This paper
$k_{bp}^-$	RyR $P_{O2p} - P_{O1p}$ rate constant	$3k_b^-$	This paper
$k_{cp}^+$	RyR $P_{O1p} - P_{C2p}$ rate constant	$50k_c^+$	This paper
$k_{cp}^-$	RyR $P_{C2p} - P_{O1p}$ rate constant	$30k_c^-$	This paper
$f_{RyR}$	Allosteric factor for RyR	0.001	This paper
$k_{RyR\_PKA}$	Phosphorylation rate of ryanodine receptors by PKA	$5.775 \cdot 10^{-2} \mu\text{M}^{-1} \text{s}^{-1}$	This paper

$k_{RyR\_PP}$	Dephosphorylation rate of ryanodine receptors by PP1	0.28875 $\mu\text{M}^{-1} \text{s}^{-1}$	This paper
$K_{RyR\_PKA}$	Affinity of ryanodine receptors for PKA	0.5 $\mu\text{M}$	This paper
$K_{RyR\_PP}$	Affinity of ryanodine receptors for PP1	0.05 $\mu\text{M}$	This paper

$$[RyR]^{ecav} = [RyR]_{tot} \frac{V_{cell}}{V_{ecav}} \quad (\text{A.214})$$

$$P_{C1} = 1 - (P_{C2} + P_{O1} + P_{O2} + P_{C1p} + P_{C2p} + P_{O1p} + P_{O2p}) \quad (\text{A.215})$$

$$\begin{aligned} \frac{dP_{O1}}{dt} = & k_a^+ [Ca^{2+}]_{ss}^n P_{C1} - k_b^- P_{O1} - k_b^+ [Ca^{2+}]_{ss}^m P_{O1} + k_b^- P_{O2} - k_c^+ P_{O1} + k_c^- P_{C2} \\ & - \frac{f_{RyR} k_{RyR\_PKA} [C]^{ecav} P_{O1}}{K_{RyR\_PKA} + [RyR]^{ecav} P_{O1}} + \frac{k_a^+ k_{ap}^- f_{RyR} k_{RyR\_PP} [PP1]^{ecav} P_{O1p}}{k_{ap}^+ k_a^- K_{RyR\_PP} + [RyR]^{ecav} P_{O1p}} \end{aligned} \quad (\text{A.216})$$

$$\begin{aligned} \frac{dP_{O2}}{dt} = & k_b^+ [Ca^{2+}]_{ss}^m P_{O1} - k_b^- P_{O2} \\ & - \frac{f_{RyR} k_{RyR\_PKA} [C]^{ecav} P_{O2}}{K_{RyR\_PKA} + [RyR]^{ecav} P_{O2}} + \frac{k_a^+ k_{ap}^- k_b^+ k_{bp}^- f_{RyR} k_{RyR\_PP} [PP1]^{ecav} P_{O2p}}{k_{ap}^+ k_a^- k_{bp}^+ k_b^- K_{RyR\_PP} + [RyR]^{ecav} P_{O2p}} \end{aligned} \quad (\text{A.217})$$

$$\begin{aligned} \frac{dP_{C2}}{dt} = & k_c^+ P_{O1} - k_c^- P_{C2} \\ & - \frac{f_{RyR} k_{RyR\_PKA} [C]^{ecav} P_{C2}}{K_{RyR\_PKA} + [RyR]^{ecav} P_{C2}} + \frac{k_a^+ k_{ap}^- k_c^+ k_{cp}^- f_{RyR} k_{RyR\_PP} [PP1]^{ecav} P_{C2p}}{k_{ap}^+ k_a^- k_{cp}^+ k_c^- K_{RyR\_PP} + [RyR]^{ecav} P_{C2p}} \end{aligned} \quad (\text{A.218})$$

$$\begin{aligned} \frac{dP_{C1p}}{dt} = & -k_{ap}^+ [Ca^{2+}]_{ss}^n P_{C1p} + k_{ap}^- P_{O1p} \\ & + \frac{k_{RyR\_PKA} [C]^{ecav} P_{C1}}{K_{RyR\_PKA} + [RyR]^{ecav} P_{C1}} - \frac{k_{RyR\_PP} [PP1]^{ecav} P_{C1p}}{K_{RyR\_PP} + [RyR]^{ecav} P_{C1p}} \end{aligned} \quad (\text{A.219})$$

$$\begin{aligned} \frac{dP_{O1p}}{dt} = & k_{ap}^+ [Ca^{2+}]_{ss}^n P_{C1p} - k_{ap}^- P_{O1p} - k_{bp}^+ [Ca^{2+}]_{ss}^m P_{O1p} + k_{bp}^- P_{O2p} - k_{cp}^+ P_{O1p} + k_{cp}^- P_{C2p} \\ & + \frac{f_{RyR} k_{RyR\_PKA} [C]^{ecav} P_{O1}}{K_{RyR\_PKA} + [RyR]^{ecav} P_{O1}} - \frac{k_a^+ k_{ap}^- f_{RyR} k_{RyR\_PP} [PP1]^{ecav} P_{O1p}}{k_{ap}^+ k_a^- K_{RyR\_PP} + [RyR]^{ecav} P_{O1p}} \end{aligned} \quad (\text{A.220})$$

$$\begin{aligned} \frac{dP_{O2p}}{dt} = & k_{bp}^+ [Ca^{2+}]_{ss}^m P_{O1p} - k_{bp}^- P_{O2p} \\ & + \frac{f_{RyR} k_{RyR\_PKA} [C]^{ecav} P_{O2}}{K_{RyR\_PKA} + [RyR]^{ecav} P_{O2}} - \frac{k_a^+ k_{ap}^- k_b^+ k_{bp}^-}{k_{ap}^+ k_a^- k_{bp}^+ k_b^-} \frac{f_{RyR} k_{RyR\_PP} [PP1]^{ecav} P_{O2p}}{K_{RyR\_PP} + [RyR]^{ecav} P_{O2p}} \end{aligned} \quad (\text{A.221})$$

$$\begin{aligned} \frac{dP_{C2p}}{dt} = & k_{cp}^+ P_{O1p} - k_{cp}^- P_{C2p} \\ & + \frac{f_{RyR} k_{RyR\_PKA} [C]^{ecav} P_{C2}}{K_{RyR\_PKA} + [RyR]^{ecav} P_{C2}} - \frac{k_a^+ k_{ap}^- k_c^+ k_{cp}^-}{k_{ap}^+ k_a^- k_{cp}^+ k_c^-} \frac{f_{RyR} k_{RyR\_PP} [PP1]^{ecav} P_{C2p}}{K_{RyR\_PP} + [RyR]^{ecav} P_{C2p}} \end{aligned} \quad (\text{A.222})$$

## Na<sup>+</sup>-K<sup>+</sup> pump module

Parameter	Definition	Value	Reference
$I_{NaK}^{\max}$	Maximum Na <sup>+</sup> -K <sup>+</sup> pump current	4.0 pA/pF	This paper
$K_{m,Nai}^{np}$	Na <sup>+</sup> half-saturation constant for Na <sup>+</sup> -K <sup>+</sup> pump current (non-phosphorylated PLM)	18,800 μM	Despa et al. [100]
$K_{m,Nai}^p$	Na <sup>+</sup> half-saturation constant for Na <sup>+</sup> -K <sup>+</sup> pump current (phosphorylated PLM)	13,600 μM	Despa et al. [100]
$K_{m,Ko}$	K <sup>+</sup> half-saturation constant Na <sup>+</sup> -K <sup>+</sup> pump current	1,500 μM	Bondarenko et al. [25]
$k_{PLM\_PKA}$	Rate of PLM phosphorylation by PKA	$3.053 \cdot 10^{-3} \mu\text{M}^{-1} \text{s}^{-1}$	This paper
$K_{PLM\_PKA}$	Relative affinity for PLM phosphorylation by PKA	0.0011001	Heijman et al. [8]
$k_{PLM\_PP}$	Rate of PLM dephosphorylation by PP1 and PP2A	$1.8491 \cdot 10^{-2} \mu\text{M}^{-1} \text{s}^{-1}$	This paper
$K_{PLM\_PP}$	Relative affinity for PLM dephosphorylation by PP1 and PP2A	5.7392	Heijman et al. [8]

$$\frac{df_{PLM,p}^{cav}}{dt} = \frac{k_{PLM\_PKA} [C]^{cav} (1 - f_{PLM,p}^{cav})}{K_{PLM\_PKA} + (1 - f_{PLM,p}^{cav})} - \frac{k_{PLM\_PP} [PP]^{cav} f_{PLM,p}^{cav}}{K_{PLM\_PP} + f_{PLM,p}^{cav}} \quad (\text{A.223})$$

$$I_{NaK} = I_{NaK}^{\max} f_{NaK} \frac{1}{1 + (K_{m,Nai} / [Na^+]_i)^3} \frac{[K^+]_0}{[K^+]_0 + K_{m,Ko}} \quad (\text{A.224})$$

$$f_{NaK} = \frac{1}{1 + 0.1245 e^{-0.1VF/RT} + 0.0365 \sigma e^{-VF/RT}} \quad (\text{A.225})$$

$$\sigma = \frac{1}{7} (e^{[Na^+]_0 / 67300} - 1) \quad (\text{A.226})$$

$$K_{m,Nai} = K_{m,Nai}^{np} (1 - f_{PLM,p}^{cav}) + K_{m,Nai}^p f_{PLM,p}^{cav} \quad (\text{A.227})$$

### Ultra-rapidly activating delayed rectifier K<sup>+</sup> current module

Parameter	Definition	Value	Reference
$G_{Kur}$	Specific maximum conductivity for the ultra-rapidly activating delayed rectifier K <sup>+</sup> current (non-phosphorylated)	0.3424 pA/pF	Petkova-Kirova et al. [26]
$G_{Kurp}$	Specific maximum conductivity for the ultra-rapidly activating delayed rectifier K <sup>+</sup> current (phosphorylated)	0.53307 pA/pF	This paper
$k_{IKur\_PKA}$	Rate of I <sub>Kur</sub> phosphorylation by PKA	$6.9537 \cdot 10^{-3} \mu\text{M}^{-1} \text{s}^{-1}$	This paper
$K_{IKur\_PKA}$	Relative affinity for I <sub>Kur</sub> phosphorylation by PKA	0.138115	This paper
$k_{IKur\_PP}$	Rate of I <sub>Kur</sub> dephosphorylation by PP1	$3.170 \cdot 10^{-2} \mu\text{M}^{-1} \text{s}^{-1}$	This paper
$K_{IKur\_PP}$	Relative affinity for I <sub>Kur</sub> dephosphorylation by PP1	0.23310	This paper

$$E_K = \frac{RT}{F} \ln \left( \frac{[K^+]_o}{[K^+]_i} \right) \quad (\text{A.228})$$

$$I_{Kur} = (G_{Kur} a_{ur} i_{ur} f_{IKur}^{ecav} + G_{Kurp} a_{urp} i_{urp} (1 - f_{IKur}^{ecav})) (V - E_K) \quad (\text{A.229})$$

$$\frac{df_{IKur}^{ecav}}{dt} = \frac{k_{IKur\_PP} [PP1]^{ecav} (1 - f_{IKur}^{ecav})}{K_{IKur\_PP} + (1 - f_{IKur}^{ecav})} - \frac{k_{IKur\_PKA} [C]^{ecav} f_{IKur}^{ecav}}{K_{IKur\_PKA} + f_{IKur}^{ecav}} \quad (\text{A.230})$$

$$a_{ss} = \frac{1}{1 + e^{-(V+22.5)/7.7}} \quad (\text{A.231})$$

$$i_{ss} = \frac{1}{1 + e^{(V+45.2)/5.7}} \quad (\text{A.232})$$

$$\tau_{aur} = \frac{6.1}{e^{0.0629(V+40.0)} + e^{-0.0629(V+40.0)}} + 2.058 \quad (\text{A.233})$$

$$\tau_{iur} = 1200.0 - \frac{170.0}{1 + e^{(V+45.2)/5.7}} \quad (\text{A.234})$$

$$\frac{da_{ur}}{dt} = \frac{a_{ss} - a_{ur}}{\tau_{aur}} \quad (\text{A.235})$$

$$\frac{di_{ur}}{dt} = \frac{i_{ss} - i_{ur}}{\tau_{iur}} \quad (\text{A.236})$$

$$\frac{da_{urp}}{dt} = \frac{a_{ss} - a_{urp}}{\tau_{aur}} \quad (\text{A.237})$$

$$\frac{di_{urp}}{dt} = \frac{i_{ss} - i_{urp}}{\tau_{iur}} \quad (\text{A.238})$$

### Rapidly inactivating transient outward K<sup>+</sup> current module

Parameter	Definition	Value	Reference
$G_{Kto,f}$	Specific maximum conductivity for the rapidly inactivating transient outward K <sup>+</sup> current (non-phosphorylated)	0.3846 pA/pF	Petkova-Kirova et al. [26]
$G_{Kto,fp}$	Specific maximum conductivity for the rapidly inactivating transient outward K <sup>+</sup> current (phosphorylated)	$G_{Kto,f}$	Petkova-Kirova et al. [26]
$k_{IKto,f\_PKA}$	Rate of I <sub>Kto,f</sub> phosphorylation by PKA	$4.38983 \cdot 10^{-2} \mu\text{M}^{-1} \text{s}^{-1}$	This paper
$K_{IKto,f\_PKA}$	Relative affinity for I <sub>Kto,f</sub> phosphorylation by PKA	0.27623	This paper
$k_{IKto,f\_PP}$	Rate of I <sub>Kto,f</sub> dephosphorylation by PP1	$9.09678 \cdot 10^{-2} \mu\text{M}^{-1} \text{s}^{-1}$	This paper
$K_{IKto,f\_PP}$	Relative affinity for I <sub>Kto,f</sub> dephosphorylation by PP1	0.23310	This paper

$$I_{Kto,f} = (G_{Kto,f} a_{to,f}^3 i_{to,f} (1 - f_{IKto,f}^{ecav}) + G_{Kto,fp} a_{to,fp}^3 i_{to,fp} f_{IKto,f}^{ecav})(V - E_K) \quad (\text{A.239})$$

$$\frac{df_{IKto,f}^{ecav}}{dt} = \frac{k_{IKto,f\_PKA} [C]^{ecav} (1 - f_{IKto,f}^{ecav})}{K_{IKto,f\_PKA} + (1 - f_{IKto,f}^{ecav})} - \frac{k_{IKto,f\_PP} [PP1]^{ecav} f_{IKto,f}^{ecav}}{K_{IKto,f\_PP} + f_{IKto,f}^{ecav}} \quad (\text{A.240})$$

$$\frac{da_{to,f}}{dt} = \alpha_a(1 - a_{to,f}) - \beta_a a_{to,f} \quad (\text{A.241})$$

$$\frac{di_{to,f}}{dt} = \alpha_i(1 - i_{to,f}) - \beta_i i_{to,f} \quad (\text{A.242})$$

$$\frac{da_{to,fp}}{dt} = \alpha_{ap}(1 - a_{to,fp}) - \beta_{ap} a_{to,fp} \quad (\text{A.243})$$

$$\frac{di_{to,fp}}{dt} = \alpha_{ip}(1 - i_{to,fp}) - \beta_{ip} i_{to,fp} \quad (\text{A.244})$$

$$\alpha_a = 0.18064 e^{0.03577(V+33.0)} \quad (\text{A.245})$$

$$\beta_a = 0.3956 e^{-0.06237(V+33.0)} \quad (\text{A.246})$$

$$\alpha_i = \frac{0.000152 e^{-(V+15.5)/7.0}}{0.067083 e^{-(V+35.5)/7.0} + 1} \quad (\text{A.247})$$

$$\beta_i = \frac{0.00095 e^{(V+35.5)/7.0}}{0.051335 e^{(V+35.5)/7.0} + 1} \quad (\text{A.248})$$

$$\alpha_{ap} = 0.18064 e^{0.03577(V+17.0)} \quad (\text{A.249})$$

$$\beta_{ap} = 0.3956 e^{-0.06237(V+17.0)} \quad (\text{A.250})$$

$$\alpha_{ip} = \frac{0.000152 e^{-(V+7.5)/7.0}}{0.067083 e^{-(V+27.5)/7.0} + 1} \quad (\text{A.251})$$

$$\beta_{ip} = \frac{0.00095 e^{(V+27.5)/7.0}}{0.051335 e^{(V+27.5)/7.0} + 1} \quad (\text{A.252})$$

### Time-independent K<sup>+</sup> current module

$$\alpha_{K^1} = \frac{1.02}{1 + \exp(0.2385(V - E_K - 59.215))} \quad (\text{A.253})$$

$$\beta_{K1} = \frac{0.8 \exp(0.08032(V - E_K + 5.476)) + \exp(0.06175(V - E_K - 594.31))}{1 + \exp(-0.5143(V - E_K + 4.753))} \quad (\text{A.254})$$

$$I_{K1} = 0.27 \sqrt{\frac{[K^+]_o}{5400}} \frac{\alpha_{K1}}{\alpha_{K1} + \beta_{K1}} (V - E_K) \quad (\text{A.255})$$

### Phospholamban module

Parameter	Definition	Value	Reference
$K_{m,up}^{np}$	Half-saturation constant for SR Ca <sup>2+</sup> -ATPase pump (non-phosphorylated)	0.41 μM	This paper
$K_{m,up}^p$	Half-saturation constant for SR Ca <sup>2+</sup> -ATPase pump (phosphorylated)	0.31 μM	This paper
$V_3$	SR Ca <sup>2+</sup> -ATPase maximum pump rate	306.0 μM s <sup>-1</sup>	This paper
$k_{PLB\_PKA}$	Rate of PLB phosphorylation by PKA	0.108917 μM <sup>-1</sup> s <sup>-1</sup>	This paper
$K_{PLB\_PKA}$	Relative affinity for PLB phosphorylation by PKA	$4.90970 \cdot 10^{-4}$	Heijman et al. [8]
$k_{PLB\_PP1}$	Rate of PLB dephosphorylation by PP1	$4.41956 \cdot 10^{-2} \mu\text{M}^{-1} \text{s}^{-1}$	This paper
$K_{PLB\_PP1}$	Relative affinity for PLB dephosphorylation by PP1	$1.69376 \cdot 10^{-2}$	This paper

$$K_{m,up} = K_{m,up}^{np} (1 - f_{PLB,p}^{cyt}) + K_{m,up}^p f_{PLB,p}^{cyt} \quad (\text{A.256})$$

$$\frac{df_{PLB,p}^{cyt}}{dt} = \frac{k_{PLB\_PKA} \cdot [C]^{cyt} \cdot (1 - f_{PLB,p}^{cyt})}{K_{PLB\_PKA} + (1 - f_{PLB,p}^{cyt})} - \frac{k_{PLB\_PP1} \cdot [PP1]_f^{cyt} \cdot f_{PLB,p}^{cyt}}{K_{PLB\_PP1} + f_{PLB,p}^{cyt}} \quad (\text{A.257})$$

### Troponin I module

Parameter	Definition	Value	Reference
$[LTRPN]_{tot}$	Total cytosolic troponin low-affinity site concentration	70.0 μM	Bondarenko et al. [25]
$[HTRPN]_{tot}$	Total cytosolic troponin high-affinity site concentration	140.0 μM	Bondarenko et al. [25]
$k_{htrpn}^+$	Ca <sup>2+</sup> on rate constant for troponin high-affinity sites	2.37 μM s <sup>-1</sup>	Bondarenko et al. [25]

$k_{htrpn}^-$	Ca <sup>2+</sup> off rate constant for troponin high-affinity sites	0.032 s <sup>-1</sup>	Bondarenko et al. [25]
$k_{ltrpn}^+$	Ca <sup>2+</sup> on rate constant for troponin low-affinity sites	32.7 μM s <sup>-1</sup>	Bondarenko et al. [25]
$k_{ltrpn,np}^-$	Ca <sup>2+</sup> off rate constant for troponin low-affinity sites (non-phosphorylated)	19.6 s <sup>-1</sup>	Bondarenko et al. [25]
$k_{ltrpn,p}^-$	Ca <sup>2+</sup> off rate constant for troponin low-affinity sites (phosphorylated)	29.4 s <sup>-1</sup>	This paper
$k_{TnI\_PKA}$	Rate of TnI phosphorylation by PKA	0.0247254 μM <sup>-1</sup> s <sup>-1</sup>	This paper
$K_{TnI\_PKA}$	Relative affinity for TnI phosphorylation by PKA	$2.71430 \cdot 10^{-5}$	Heijman et al. [8]
$k_{TnI\_PP2A}$	Rate of TnI dephosphorylation by PP2A	0.0865898 μM <sup>-1</sup> s <sup>-1</sup>	This paper
$K_{TnI\_PP2A}$	Relative affinity for TnI dephosphorylation by PP2A	0.801420	This paper

$$k_{ltrpn}^- = k_{ltrpn,np}^- (1 - f_{TnI,p}^{cyt}) + k_{ltrpn,p}^- f_{TnI,p}^{cyt} \quad (\text{A.258})$$

$$\frac{df_{TnI,p}^{cyt}}{dt} = \frac{k_{TnI\_PKA} \cdot [C]^{cyt} \cdot (1 - f_{TnI,p}^{cyt})}{K_{TnI\_PKA} + (1 - f_{TnI,p}^{cyt})} - \frac{k_{TnI\_PP2A} \cdot [PP2A]^{cyt} \cdot f_{TnI,p}^{cyt}}{K_{TnI\_PP2A} + f_{TnI,p}^{cyt}} \quad (\text{A.259})$$

$$\frac{d[LTRPNCa]}{dt} = k_{htrpn}^+ [Ca^{2+}]_i ([LTRPN]_{tot} - [LTRPNCa]) - k_{htrpn}^- [LTRPNCa] \quad (\text{A.260})$$

$$\frac{d[HTRPNCa]}{dt} = k_{htrpn}^+ [Ca^{2+}]_i ([HTRPN]_{tot} - [HTRPNCa]) - k_{htrpn}^- [HTRPNCa] \quad (\text{A.261})$$

## ELECTROPHYSIOLOGICAL PART. UNAFFECTED BY PKA

### Membrane potential

$$\frac{dV}{dt} = -\frac{1}{C_m} (I_{CaL} + I_{p(Ca)} + I_{NaCa} + I_{Cab} + I_{Na} + I_{Nab} + I_{NaK} + I_{Kto,f} + I_{K1} + I_{Kur} + I_{Kss} + I_{Kr} + I_{Cl,Ca} - I_{stim}) \quad (\text{A.262})$$

### Calcium dynamics: Calcium concentrations

$$\frac{d[Ca^{2+}]_i}{dt} = B_i \left\{ J_{leak} + J_{xfer} - J_{up} - J_{trpn} - (I_{Cab} - 2I_{NaCa} + I_{p(Ca)} + I_{CaL}) \frac{A_{cap} C_m}{2V^{cyt} F} \right\} \quad (\text{A.263})$$

$$\frac{d[Ca^{2+}]_{ss}}{dt} = B_{ss} \left\{ J_{rel} \frac{V_{JSR}}{V_{ss}} - J_{xfer} \frac{V^{cyt}}{V_{ss}} - I_{CaL}^{ecav} \frac{A_{cap} C_m}{2V_{ss}^{cyt} F} \right\} \quad (\text{A.264})$$

$$\frac{d[Ca^{2+}]_{JSR}}{dt} = B_{JSR} \{ J_{tr} - J_{rel} \} \quad (\text{A.265})$$

$$\frac{d[Ca^{2+}]_{NSR}}{dt} = \{ J_{up} - J_{leak} \} \frac{V^{cyt}}{V_{NSR}} - J_{tr} \frac{V_{JSR}}{V_{NSR}} \quad (\text{A.266})$$

$$B_i = \left\{ 1 + \frac{[CMDN]_{tot} K_m^{CMDN}}{(K_m^{CMDN} + [Ca^{2+}]_i)^2} \right\}^{-1} \quad (\text{A.267})$$

$$B_{ss} = \left\{ 1 + \frac{[CMDN]_{tot} K_m^{CMDN}}{(K_m^{CMDN} + [Ca^{2+}]_{ss})^2} \right\}^{-1} \quad (\text{A.268})$$

$$B_{JSR} = \left\{ 1 + \frac{[CSQN]_{tot} K_m^{CSQN}}{(K_m^{CSQN} + [Ca^{2+}]_{JSR})^2} \right\}^{-1} \quad (\text{A.269})$$

### Calcium dynamics: Calcium fluxes

$$J_{rel} = v_1 (P_{O1} + P_{O2} + P_{O1p} + P_{O2p}) ([Ca^{2+}]_{JSR} - [Ca^{2+}]_{ss} P_{RyR}) \quad (\text{A.270})$$

$$J_{tr} = \frac{[Ca^{2+}]_{NSR} - [Ca^{2+}]_{JSR}}{\tau_{tr}} \quad (\text{A.271})$$

$$J_{xfer} = \frac{[Ca^{2+}]_{ss} - [Ca^{2+}]_i}{\tau_{xfer}} \quad (\text{A.272})$$

$$J_{leak} = v_2 ([Ca^{2+}]_{NSR} - [Ca^{2+}]_i) \quad (\text{A.273})$$

$$J_{up} = v_3 \frac{[Ca^{2+}]_i^2}{K_{m,up}^2 + [Ca^{2+}]_i^2} \quad (\text{A.274})$$

$$\begin{aligned} J_{trpn} = & k_{htrpn}^+ [Ca^{2+}]_i ([HTRPN]_{tot} - [HTRPNCa]) - k_{htrpn}^- [HTRPNCa] \\ & + k_{ltrpn}^+ [Ca^{2+}]_i ([LTRPN]_{tot} - [LTRPNCa]) - k_{ltrpn}^- [LTRPNCa] \end{aligned} \quad (\text{A.275})$$

$$\frac{dP_{RyR}}{dt} = -0.04 P_{RyR} - 0.1 \frac{I_{CaL}^{eav}}{I_{CaL,\max}} e^{-\frac{(V+5.0)^2}{648.0}} \quad (\text{A.276})$$

### Calcium pump current

$$I_{p(Ca)} = I_{p(Ca)}^{\max} \frac{[Ca^{2+}]_i^2}{K_{m,p(Ca)}^2 + [Ca^{2+}]_i^2} \quad (\text{A.277})$$

### Na<sup>+</sup>/Ca<sup>2+</sup> exchanger current

$$\begin{aligned} I_{NaCa} = & k_{NaCa} \frac{1}{K_{m,Na}^3 + [Na^+]_o^3} \frac{1}{K_{m,Ca} + [Ca^{2+}]_o} \frac{1}{1 + k_{sat} e^{(\eta-1)VF/RT}} \\ & \times (e^{\eta VF/RT} [Na^+]_o^3 [Ca^{2+}]_o - 2.0 e^{(\eta-1)VF/RT} [Na^+]_o^3 [Ca^{2+}]_i) \end{aligned} \quad (\text{A.278})$$

### Calcium background current

$$I_{Cab} = G_{Cab} (V - E_{CaN}) \quad (\text{A.279})$$

$$E_{CaN} = \frac{RT}{2F} \ln \left( \frac{[Ca^{2+}]_o}{[Ca^{2+}]_i} \right) \quad (\text{A.280})$$

### Sodium dynamics: Sodium concentration

$$\frac{d[Na^+]_i}{dt} = -(I_{Na} + I_{Nab} + 3I_{NaCa} + 3I_{NaK}) \frac{A_{cap} C_m}{V^{cyt} F} \quad (\text{A.281})$$

### Sodium background current

$$I_{Nab} = G_{Nab}(V - E_{Na}) \quad (\text{A.282})$$

### Potassium dynamics: Potassium concentration

$$\frac{d[K^+]_i}{dt} = -(I_{Kto,f} + I_{Kto,s} + I_{Kur} + I_{Kss} + I_{K1} + I_{Kr} + I_{Ks} - 2I_{NaK}) \frac{A_{cap} C_m}{V^{cyt} F} \quad (\text{A.283})$$

### Non-inactivating steady-state K<sup>+</sup> current

$$I_{Kss} = G_{Kss} a_{Kss}(V - E_K) \quad (\text{A.284})$$

$$\frac{da_{Kss}}{dt} = \frac{a_{ss} - a_{Kss}}{\tau_{Kss}} \quad (\text{A.285})$$

$$\tau_{Kss} = \frac{1235.5}{e^{0.0862(V+40.0)} + e^{-0.0862(V+40.0)}} + 13.17 \quad (\text{A.286})$$

### Rapid delayed rectifier K<sup>+</sup> current

$$I_{Kr} = G_{Kr} O_{Kr}(V - E_{Kr}) \quad (\text{A.287})$$

$$E_{Kr} = \frac{RT}{F} \ln \left( \frac{0.98[K^+]_o + 0.02[Na^+]_o}{0.98[K^+]_i + 0.02[Na^+]_i} \right) \quad (\text{A.288})$$

$$C_{Kr0} = 1 - (C_{Kr1} + C_{Kr2} + O_{Kr} + I_{Kr1}) \quad (\text{A.289})$$

$$\frac{dC_{Kr1}}{dt} = \alpha_{a0}C_{Kr0} - \beta_{a0}C_{Kr1} + k_bC_{Kr2} - k_fC_{Kr1} \quad (\text{A.290})$$

$$\frac{dC_{Kr2}}{dt} = k_fC_{Kr1} - k_bC_{Kr2} + \beta_{a1}O_{Kr} - \alpha_{a1}C_{Kr2} \quad (\text{A.291})$$

$$\frac{dO_{Kr}}{dt} = \alpha_{a1}C_{Kr2} - \beta_{a1}O_{Kr} + \beta_{ir}I_{Kr1} - \alpha_{ir}O_{Kr} \quad (\text{A.292})$$

$$\frac{dI_{Kr1}}{dt} = \alpha_{ir}O_{Kr} + \beta_{ir}I_{Kr1} \quad (\text{A.293})$$

$$\alpha_{a0} = 0.022348e^{0.01176V} \quad (\text{A.294})$$

$$\beta_{a0} = 0.047002e^{-0.0631V} \quad (\text{A.295})$$

$$\alpha_{a1} = 0.013733e^{0.038198V} \quad (\text{A.296})$$

$$\beta_{a1} = 0.0000689e^{-0.04178V} \quad (\text{A.297})$$

$$\alpha_{ir} = 0.090821e^{0.023391(V+5.0)} \quad (\text{A.298})$$

$$\beta_{ir} = 0.006497e^{-0.03268(V+5.0)} \quad (\text{A.299})$$

### Ca<sup>2+</sup>-activated Cl<sup>-</sup> current

$$I_{Cl,Ca} = G_{Cl,Ca}O_{Cl,Ca} \frac{[Ca^{2+}]_i}{[Ca^{2+}]_i + K_{m,Cl}} (V - E_{Cl}) \quad (\text{A.300})$$

$$O_{Cl,Ca} = \frac{0.2}{1 + e^{-(V-46.7)/7.8}} \quad (\text{A.301})$$

### Extracellular ion concentrations

Parameter	Definition	Value	Reference
$[K^+]_o$	Extracellular K <sup>+</sup> concentration	5,400 μM	Bondarenko et al. [25]
$[Na^+]_o$	Extracellular Na <sup>+</sup> concentration	140,000 μM	Bondarenko et al. [25]
$[Ca^{2+}]_o$	Extracellular Ca <sup>2+</sup> concentration	1,800 μM	Bondarenko et al. [25]

### Sarcoplasmic reticulum parameters

Parameter	Definition	Value	Reference
$v_2$	Ca <sup>2+</sup> leak rate constant from the NSR	$1.74 \cdot 10^{-2} \text{ s}^{-1}$	Bondarenko et al. [25]
$\tau_{tr}$	Time constant for transfer from NSR to JSR	0.02 s	Bondarenko et al. [25]
$\tau_{xfer}$	Time constant for transfer from subspace to cytosol	0.008 s	Bondarenko et al. [25]

### Calmodulin and calsequestrin parameters

Parameter	Definition	Value	Reference
$[CMDN]_{tot}$	Total cytosolic calmodulin concentration	50.0 μM	Bondarenko et al. [25]
$[CSQN]_{tot}$	Total JSR calsequestrin concentration	15,000.0 μM	Bondarenko et al. [25]
$K_m^{CMDN}$	Ca <sup>2+</sup> half-saturation constant for calmodulin	0.238 μM	Bondarenko et al. [25]
$K_m^{CSQN}$	Ca <sup>2+</sup> half-saturation constant for calsequestrin	800.0 μM	Bondarenko et al. [25]

### Membrane current parameters

Parameter	Definition	Value	Reference
$C_m$	Specific membrane capacitance	1.0 μF/cm <sup>2</sup>	Bondarenko et al. [25]
$F$	Faraday constant	96.5 C/mol	Bondarenko et al. [25]
$T$	Absolute temperature	298 K	Bondarenko et al. [25]
$R$	Ideal gas constant	8.314 J mol <sup>-1</sup> K <sup>-1</sup>	Bondarenko et al. [25]

$k_{NaCa}$	Scaling factor for $\text{Na}^+/\text{Ca}^{2+}$ exchanger	275 pA/pF	This paper
$K_{m,Na}$	$\text{Na}^+$ half-saturation constant for $\text{Na}^+/\text{Ca}^{2+}$ exchanger	87,500 $\mu\text{M}$	Bondarenko et al. [25]
$K_{m,Ca}$	$\text{Ca}^{2+}$ half-saturation constant for $\text{Na}^+/\text{Ca}^{2+}$ exchanger	1,380 $\mu\text{M}$	Bondarenko et al. [25]
$k_{sat}$	$\text{Na}^+/\text{Ca}^{2+}$ exchanger saturation factor at very negative potentials	0.27	This paper
$\eta$	Controls voltage dependence of $\text{Na}^+/\text{Ca}^{2+}$ exchanger	0.35	Bondarenko et al. [25]
$I_{p(Ca)}^{\max}$	Maximum sarcolemmal $\text{Ca}^{2+}$ pump current	0.051	This paper
$K_{m,p(Ca)}$	$\text{Ca}^{2+}$ half-saturation constant for sarcolemmal $\text{Ca}^{2+}$ pump current	0.5 $\mu\text{M}$	Bondarenko et al. [25]
$G_{Cab}$	Maximum background $\text{Ca}^{2+}$ current conductance	0.000284 mS/ $\mu\text{F}$	This paper
$G_{Nab}$	Maximum background $\text{Na}^+$ current conductance	0.0063 mS/ $\mu\text{F}$	This paper
$G_{Kto,s}$	Specific maximum conductivity for the slowly inactivating transient outward $\text{K}^+$ current	0.0 mS/ $\mu\text{F}$	Bondarenko et al. [25]
$G_{Kss}$	Specific maximum conductivity for the noninactivating steady-state $\text{K}^+$ current	0.0611 mS/ $\mu\text{F}$	Petkova-Kirova et al. [26]
$G_{Ks}$	Specific maximum conductivity for the slow delayed rectifier $\text{K}^+$ current	0.00575 mS/ $\mu\text{F}$	Bondarenko et al. [25]
$G_{Kr}$	Specific maximum conductivity for the rapid delayed rectifier $\text{K}^+$ current	0.078 mS/ $\mu\text{F}$	Bondarenko et al. [25]
$k_f$	Rate constant for the rapid delayed rectifier $\text{K}^+$ current	23.761 $\text{s}^{-1}$	Bondarenko et al. [25]
$k_b$	Rate constant for the rapid delayed rectifier $\text{K}^+$ current	36.778 $\text{s}^{-1}$	Bondarenko et al. [25]
$G_{Cl,Ca}$	Specific maximum conductivity for the $\text{Ca}^{2+}$ -activated $\text{Cl}^-$ current	10.0 mS/ $\mu\text{F}$	Bondarenko et al. [25]
$K_{m,Cl}$	Half-saturation constant for the $\text{Ca}^{2+}$ -activated $\text{Cl}^-$ current	10.0 $\mu\text{M}$	Bondarenko et al. [25]
$E_{Cl}$	Reversal potential for the $\text{Ca}^{2+}$ -activated $\text{Cl}^-$ current	-40 mV	Bondarenko et al. [25]

## INITIAL CONDITIONS

Variable	Definition	Initial Value
V	Membrane potential	-78.2787 mV
[Ca <sup>2+</sup> ] <sub>i</sub>	Myoplasmic Ca <sup>2+</sup> concentration	0.100157 μM
[Ca <sup>2+</sup> ] <sub>ss</sub>	Subspace SR Ca <sup>2+</sup> concentration	0.100157 μM
[Ca <sup>2+</sup> ] <sub>JSR</sub>	Junctional SR Ca <sup>2+</sup> concentration	1081.23 μM
[Ca <sup>2+</sup> ] <sub>NSR</sub>	Network SR Ca <sup>2+</sup> concentration	1081.23 μM
[LTRPNCa]	Concentration Ca <sup>2+</sup> bound by low-affinity troponin binding sites	8.66981 μM
[HTRPNCa]	Concentration Ca <sup>2+</sup> bound by high-affinity troponin binding sites	123.369 μM
O <sup>cav</sup>	L-type Ca <sup>2+</sup> channel conducting state (non-phosphorylated, caveolae)	0.320206 · 10 <sup>-11</sup>
C <sub>1</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel closed state (non-phosphorylated, caveolae)	0.973685
C <sub>2</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel closed state (non-phosphorylated, caveolae)	0.524483 · 10 <sup>-2</sup>
C <sub>3</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel closed state (non-phosphorylated, caveolae)	0.105944 · 10 <sup>-4</sup>
C <sub>4</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel closed state (non-phosphorylated, caveolae)	0.951124 · 10 <sup>-8</sup>
C <sub>P</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel closed state (non-phosphorylated, caveolae)	0.320207 · 10 <sup>-11</sup>
I <sub>1</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel inactivated state (non-phosphorylated, caveolae)	0.308577 · 10 <sup>-11</sup>
I <sub>2</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel inactivated state (non-phosphorylated, caveolae)	0.217536 · 10 <sup>-7</sup>
I <sub>3</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel inactivated state (non-phosphorylated, caveolae)	0.209641 · 10 <sup>-7</sup>
O <sub>p</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel conducting state (phosphorylated, caveolae)	0.562222 · 10 <sup>-10</sup>
C <sub>1p</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel closed state (phosphorylated, caveolae)	0.206347 · 10 <sup>-1</sup>
C <sub>2p</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel closed state (phosphorylated, caveolae)	0.421668 · 10 <sup>-3</sup>
C <sub>3p</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel closed state (phosphorylated, caveolae)	0.323128 · 10 <sup>-5</sup>
C <sub>4p</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel closed state (phosphorylated, caveolae)	0.110051 · 10 <sup>-7</sup>
C <sub>Pp</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel closed state (phosphorylated, caveolae)	0.140555 · 10 <sup>-10</sup>
I <sub>1p</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel inactivated state (phosphorylated, caveolae)	0.541817 · 10 <sup>-10</sup>
I <sub>2p</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel inactivated state (phosphorylated, caveolae)	0.100683 · 10 <sup>-6</sup>
I <sub>3p</sub> <sup>cav</sup>	L-type Ca <sup>2+</sup> channel inactivated state (phosphorylated, caveolae)	0.970287 · 10 <sup>-7</sup>
O <sup>ecav</sup>	L-type Ca <sup>2+</sup> channel conducting state (non-phosphorylated, extracaveolae)	0.286851 · 10 <sup>-11</sup>
C <sub>1</sub> <sup>ecav</sup>	L-type Ca <sup>2+</sup> channel closed state (non-phosphorylated, extracaveolae)	0.872261
C <sub>2</sub> <sup>ecav</sup>	L-type Ca <sup>2+</sup> channel closed state (non-phosphorylated, extracaveolae)	0.469850 · 10 <sup>-2</sup>
C <sub>3</sub> <sup>ecav</sup>	L-type Ca <sup>2+</sup> channel closed state (non-phosphorylated, extracaveolae)	0.949082 · 10 <sup>-5</sup>

$C_4^{ecav}$	L-type $\text{Ca}^{2+}$ channel closed state (non-phosphorylated, extracaveolae)	$0.852050 \cdot 10^{-8}$
$C_P^{ecav}$	L-type $\text{Ca}^{2+}$ channel closed state (non-phosphorylated, extracaveolae)	$0.286852 \cdot 10^{-11}$
$I_1^{ecav}$	L-type $\text{Ca}^{2+}$ channel inactivated state (non-phosphorylated, extracaveolae)	$0.276420 \cdot 10^{-11}$
$I_2^{ecav}$	L-type $\text{Ca}^{2+}$ channel inactivated state (non-phosphorylated, extracaveolae)	$0.194870 \cdot 10^{-7}$
$I_3^{ecav}$	L-type $\text{Ca}^{2+}$ channel inactivated state (non-phosphorylated, extracaveolae)	$0.187798 \cdot 10^{-7}$
$O_p^{ecav}$	L-type $\text{Ca}^{2+}$ channel conducting state (phosphorylated, extracaveolae)	$0.328449 \cdot 10^{-9}$
$C_{1p}^{ecav}$	L-type $\text{Ca}^{2+}$ channel closed state (phosphorylated, extracaveolae)	0.120548
$C_{2p}^{ecav}$	L-type $\text{Ca}^{2+}$ channel closed state (phosphorylated, extracaveolae)	$0.246338 \cdot 10^{-2}$
$C_{3p}^{ecav}$	L-type $\text{Ca}^{2+}$ channel closed state (phosphorylated, extracaveolae)	$0.188771 \cdot 10^{-4}$
$C_{4p}^{ecav}$	L-type $\text{Ca}^{2+}$ channel closed state (phosphorylated, extracaveolae)	$0.642918 \cdot 10^{-7}$
$C_{Pp}^{ecav}$	L-type $\text{Ca}^{2+}$ channel closed state (phosphorylated, extracaveolae)	$0.821123 \cdot 10^{-10}$
$I_{1p}^{ecav}$	L-type $\text{Ca}^{2+}$ channel inactivated state (phosphorylated, extracaveolae)	$0.316528 \cdot 10^{-9}$
$I_{2p}^{ecav}$	L-type $\text{Ca}^{2+}$ channel inactivated state (phosphorylated, extracaveolae)	$0.588189 \cdot 10^{-6}$
$I_{3p}^{ecav}$	L-type $\text{Ca}^{2+}$ channel inactivated state (phosphorylated, extracaveolae)	$0.566840 \cdot 10^{-6}$
$C_{Na3}$	Fast $\text{Na}^+$ channel closed state (non-phosphorylated)	0.436222
$C_{Na2}$	Fast $\text{Na}^+$ channel closed state (non-phosphorylated)	$0.132248 \cdot 10^{-1}$
$C_{Na1}$	Fast $\text{Na}^+$ channel closed state (non-phosphorylated)	$0.161178 \cdot 10^{-3}$
$O_{Na}$	Fast $\text{Na}^+$ channel open state (non-phosphorylated)	$0.367777 \cdot 10^{-6}$
$IF_{Na}$	Fast $\text{Na}^+$ channel inactivated state (non-phosphorylated)	$0.153271 \cdot 10^{-3}$
$I1_{Na}$	Fast $\text{Na}^+$ channel inactivated state (non-phosphorylated)	$0.146044 \cdot 10^{-4}$
$I2_{Na}$	Fast $\text{Na}^+$ channel inactivated state (non-phosphorylated)	$0.545874 \cdot 10^{-7}$
$IC_{Na2}$	Fast $\text{Na}^+$ channel inactivated state (non-phosphorylated)	$0.125760 \cdot 10^{-1}$
$IC_{Na3}$	Fast $\text{Na}^+$ channel inactivated state (non-phosphorylated)	0.414822
$C_{Na3p}$	Fast $\text{Na}^+$ channel closed state (phosphorylated)	$0.610809 \cdot 10^{-1}$
$C_{Na2p}$	Fast $\text{Na}^+$ channel closed state (phosphorylated)	$0.185179 \cdot 10^{-2}$
$C_{Na1p}$	Fast $\text{Na}^+$ channel closed state (phosphorylated)	$0.225696 \cdot 10^{-4}$
$O_{Nap}$	Fast $\text{Na}^+$ channel open state (phosphorylated)	$0.515006 \cdot 10^{-7}$
$IF_{Nap}$	Fast $\text{Na}^+$ channel inactivated state (phosphorylated)	$0.214630 \cdot 10^{-4}$
$I1_{Nap}$	Fast $\text{Na}^+$ channel inactivated state (phosphorylated)	$0.217162 \cdot 10^{-5}$
$I2_{Nap}$	Fast $\text{Na}^+$ channel inactivated state (phosphorylated)	$0.301835 \cdot 10^{-7}$

$IC_{Na2p}$	Fast Na <sup>+</sup> channel inactivated state (phosphorylated)	$0.176099 \cdot 10^{-2}$
$IC_{Na3p}$	Fast Na <sup>+</sup> channel inactivated state (phosphorylated)	$0.580859 \cdot 10^{-1}$
$P_{C1}$	RyR channel closed state (non-phosphorylated)	0.996216
$P_{C2}$	RyR channel closed state (non-phosphorylated)	$0.961561 \cdot 10^{-4}$
$P_{O1}$	RyR channel open state (non-phosphorylated)	$0.854737 \cdot 10^{-5}$
$P_{O2}$	RyR channel open state (non-phosphorylated)	$0.360412 \cdot 10^{-10}$
$P_{C1p}$	RyR channel closed state (phosphorylated)	$0.367832 \cdot 10^{-2}$
$P_{C2p}$	RyR channel closed state (phosphorylated)	$0.986431 \cdot 10^{-6}$
$P_{O1p}$	RyR channel open state (phosphorylated)	$0.526065 \cdot 10^{-7}$
$P_{O2p}$	RyR channel open state (phosphorylated)	$0.369705 \cdot 10^{-12}$
$[Na^+]_i$	Myoplasmic Na <sup>+</sup> concentration	10,508.5 μM
$[K^+]_i$	Myoplasmic K <sup>+</sup> concentration	145,400 μM
$f_{PLM,p}^{cav}$	Fraction of phosphorylated phospholemman	0.225905
$f_{IKur}^{ecav}$	Fraction of non-phosphorylated I <sub>Kur</sub>	0.908852
$a_{ur}$	Activation gate of non-phosphorylated I <sub>Kur</sub>	$0.713943 \cdot 10^{-3}$
$i_{ur}$	Inactivation gate of non-phosphorylated I <sub>Kur</sub>	0.996991
$a_{urp}$	Activation gate of phosphorylated I <sub>Kur</sub>	$0.713943 \cdot 10^{-3}$
$i_{urp}$	Inactivation gate of phosphorylated I <sub>Kur</sub>	0.996991
$f_{IKto,f}^{ecav}$	Fraction of phosphorylated I <sub>Kto,f</sub>	0.252661
$a_{to,f}$	Activation gate of non-phosphorylated I <sub>Kto,f</sub>	$0.533799 \cdot 10^{-2}$
$i_{to,f}$	Inactivation gate of non-phosphorylated I <sub>Kto,f</sub>	0.999945
$a_{to,fp}$	Activation gate of phosphorylated I <sub>Kto,f</sub>	$0.111499 \cdot 10^{-2}$
$i_{to,fp}$	Inactivation gate of phosphorylated I <sub>Kto,f</sub>	0.999983
$f_{PLB,p}^{cav}$	Fraction of phosphorylated phospholamban	0.186637
$f_{TnI,p}^{cav}$	Fraction of phosphorylated troponin I	0.364102
$P_{RyR}$	RyR modulation factor	$0.254152 \cdot 10^{-11}$
$a_{Kss}$	Activation gate of I <sub>Kss</sub>	$0.713943 \cdot 10^{-3}$
$C_{K0}$	mERG channel closed state	0.997365
$C_{K1}$	mERG channel closed state	$0.135218 \cdot 10^{-2}$
$C_{K2}$	mERG channel closed state	$0.873596 \cdot 10^{-3}$
$O_K$	mERG channel open state	$0.332600 \cdot 10^{-3}$
$I_K$	mERG channel inactivated state	$0.763767 \cdot 10^{-4}$
$[R_{\beta 1}]_{PKA,tot}^{cav}$	Concentration of total β <sub>1</sub> -ARs phosphorylated by PKA (caveolae)	$0.799452 \cdot 10^{-3}$ μM

$[R_{\beta 1}]_{GRK2,tot}^{cav}$	Concentration of total $\beta_1$ -ARs phosphorylated by GRK2 (caveolae)	$0.626341 \cdot 10^{-27} \mu M$
$[G_s]_{\alpha,GTP}^{cav}$	Concentration of active $G_{sa}$ subunit (caveolae)	$0.132189 \cdot 10^{-2} \mu M$
$[G_s]_{\beta\gamma}^{cav}$	Concentration of $G_{s\beta\gamma}$ subunit (caveolae)	$0.180824 \cdot 10^{-2} \mu M$
$[G_s]_{\alpha,GDP}^{cav}$	Concentration of inactive $G_{sa}$ subunit (caveolae)	$0.487356 \cdot 10^{-3} \mu M$
$[R_{\beta 1}]_{PKA,tot}^{ecav}$	Concentration of total $\beta_1$ -ARs phosphorylated by PKA (extracaveolae)	$0.478002 \cdot 10^{-1} \mu M$
$[R_{\beta 1}]_{GRK2,tot}^{ecav}$	Concentration of total $\beta_1$ -ARs phosphorylated by GRK2 (extracaveolae)	$0.626341 \cdot 10^{-27} \mu M$
$[G_s]_{\alpha,GTP}^{ecav}$	Concentration of active $G_{sa}$ subunit (extracaveolae)	$0.230801 \cdot 10^{-1} \mu M$
$[G_s]_{\beta\gamma}^{ecav}$	Concentration of $G_{s\beta\gamma}$ subunit (extracaveolae)	$0.237276 \cdot 10^{-1} \mu M$
$[G_s]_{\alpha,GDP}^{ecav}$	Concentration of inactive $G_{sa}$ subunit (extracaveolae)	$0.648475 \cdot 10^{-3} \mu M$
$[R_{\beta 1}]_{PKA,tot}^{cyt}$	Concentration of total $\beta_1$ -ARs phosphorylated by PKA (cytosol)	$0.155949 \cdot 10^{-2} \mu M$
$[R_{\beta 1}]_{GRK2,tot}^{cyt}$	Concentration of total $\beta_1$ -ARs phosphorylated by GRK2 (cytosol)	$0.626341 \cdot 10^{-27} \mu M$
$[G_s]_{\alpha,GTP}^{cyt}$	Concentration of active $G_{sa}$ subunit (cytosol)	$0.331511 \cdot 10^{-3} \mu M$
$[G_s]_{\beta\gamma}^{cyt}$	Concentration of $G_{s\beta\gamma}$ subunit (cytosol)	$0.663570 \cdot 10^{-3} \mu M$
$[G_s]_{\alpha,GDP}^{cyt}$	Concentration of inactive $G_{sa}$ subunit (cytosol)	$0.333058 \cdot 10^{-3} \mu M$
$[cAMP]_{AC56}^{cav}$	cAMP concentration produced by AC5/6 (caveolae)	$0.000000 \mu M$
$[cAMP]_{AC47}^{ecav}$	cAMP concentration produced by AC4/7 (extracaveolae)	$0.000000 \mu M$
$[cAMP]_{AC56}^{cyt}$	cAMP concentration produced by AC5/6 (cytosol)	$0.000000 \mu M$
$[cAMP]_{AC47}^{cyt}$	cAMP concentration produced by AC4/7 (cytosol)	$0.000000 \mu M$
$[PDE3]_p^{cav}$	Concentration of phosphorylated PDE3 (caveolae)	$0.125103 \cdot 10^{-1} \mu M$
$[PDE4]_p^{cav}$	Concentration of phosphorylated PDE4 (caveolae)	$0.580798 \cdot 10^{-2} \mu M$
$[cAMP]_{PDE2}^{cav}$	cAMP concentration degraded by PDE2 (caveolae)	$0.000000 \mu M$
$[cAMP]_{PDE3}^{cav}$	cAMP concentration degraded by PDE3 (caveolae)	$0.000000 \mu M$
$[cAMP]_{PDE4}^{cav}$	cAMP concentration degraded by PDE4 (caveolae)	$0.000000 \mu M$
$[PDE4]_p^{ecav}$	Concentration of phosphorylated PDE4 (extracaveolae)	$0.158226 \cdot 10^{-1} \mu M$
$[cAMP]_{PDE2}^{ecav}$	cAMP concentration degraded by PDE2 (extracaveolae)	$0.000000 \mu M$
$[cAMP]_{PDE4}^{ecav}$	cAMP concentration degraded by PDE4 (extracaveolae)	$0.000000 \mu M$
$[PDE3]_p^{cyt}$	Concentration of phosphorylated PDE3 (cytosol)	$0.120998 \cdot 10^{-2} \mu M$
$[PDE4]_p^{cyt}$	Concentration of phosphorylated PDE4 (cytosol)	$0.373102 \cdot 10^{-2} \mu M$
$[cAMP]_{PDE2}^{cyt}$	cAMP concentration degraded by PDE2 (cytosol)	$0.000000 \mu M$

$[cAMP]_{PDE3}^{cyt}$	cAMP concentration degraded by PDE3 (cytosol)	0.000000 $\mu\text{M}$
$[cAMP]_{PDE4}^{cyt}$	cAMP concentration degraded by PDE4 (cytosol)	0.000000 $\mu\text{M}$
$[cAMP]_{PKA}^{cav}$	cAMP concentration change due to binding to PKA (caveolae)	7.92317 $\mu\text{M}$
$[ARC]^{cav}$	Concentration of PKA RC dimer with 1 cAMP molecule bound (caveolae)	0.299288 $\mu\text{M}$
$[A_2RC]^{cav}$	Concentration of PKA RC dimer with 2 cAMP molecules bound (caveolae)	$0.303358 \cdot 10^{-1} \mu\text{M}$
$[A_2R]^{cav}$	Concentration of PKA R subunit with 2 cAMP molecules bound (caveolae)	0.858440 $\mu\text{M}$
$[C]^{cav}$	Concentration of free PKA catalytic subunit (caveolae)	$0.459397 \cdot 10^{-1} \mu\text{M}$
$[PKIC]^{cav}$	Concentration of PKI inactivated PKA catalytic subunit (caveolae)	0.823499 $\mu\text{M}$
$[cAMP]_{PKA}^{ecav}$	cAMP concentration change due to binding to PKA (extracaveolae)	6.74029 $\mu\text{M}$
$[ARC]^{ecav}$	Concentration of PKA RC dimer with 1 cAMP molecule bound (extracaveolae)	0.653988 $\mu\text{M}$
$[A_2RC]^{ecav}$	Concentration of PKA RC dimer with 2 cAMP molecules bound (extracaveolae)	0.132861 $\mu\text{M}$
$[A_2R]^{ecav}$	Concentration of PKA R subunit with 2 cAMP molecules bound (extracaveolae)	1.17000 $\mu\text{M}$
$[C]^{ecav}$	Concentration of free PKA catalytic subunit (extracaveolae)	0.147623 $\mu\text{M}$
$[PKIC]^{ecav}$	Concentration of PKI inactivated PKA catalytic subunit (extracaveolae)	1.03338 $\mu\text{M}$
$[cAMP]_{PKA}^{cyt}$	cAMP concentration change due to binding to PKA (cytosol)	9.32461 $\mu\text{M}$
$[ARC]^{cyt}$	Concentration of PKA RC dimer with 1 cAMP molecule bound (cytosol)	$0.996350 \cdot 10^{-1} \mu\text{M}$
$[A_2RC]^{cyt}$	Concentration of PKA RC dimer with 2 cAMP molecules bound (cytosol)	$0.140099 \cdot 10^{-1} \mu\text{M}$
$[A_2R]^{cyt}$	Concentration of PKA R subunit with 2 cAMP molecules bound (cytosol)	0.273868 $\mu\text{M}$
$[C]^{cyt}$	Concentration of free PKA catalytic subunit (cytosol)	$0.665022 \cdot 10^{-1} \mu\text{M}$
$[PKIC]^{cyt}$	Concentration of PKI inactivated PKA catalytic subunit (cytosol)	0.218365 $\mu\text{M}$
$[Inhib1]_{p,tot}^{cyt}$	Concentration of total phosphorylated PP1 inhibitor 1 (cytosol)	$0.213571 \cdot 10^{-1} \mu\text{M}$
$[cAMP]^{cav}$	Concentration of cAMP in caveolae	0.253399 $\mu\text{M}$
$[cAMP]^{ecav}$	Concentration of cAMP in extracaveolae	0.507889 $\mu\text{M}$
$[cAMP]^{cyt}$	Concentration of cAMP in cytosol	0.407775 $\mu\text{M}$