$\frac{1}{\sqrt{2}}$

Zelezniak et al. 10.1073/pnas.1421834112

SI Methods SCS Algorithm. sc scores = {} for A in C: solutions $=$ \Box do: species_set = minimize_donors_set(A , C , previously found solutions) solutions $+=$ species set while species_set != ϕ for B in C: if $A != B$: $\{c\}$ scores $[(A, B)] = \text{len}([solutions containing B])/\text{len}(solutions)$

The minimize donors set routine solves MILP problem where the objective is to minimize the number of donating species in community C while ensuring the growth of species A and satisfying all steady-state constraints as well as the uptake/secretion flux bounds. Binary constraints θ_s control the ON/OFF-state of member species. For $\theta_s = \theta$, sum of all secretion fluxes for the species s are set to 0. Additional constraints ensuring biomass production for all ON-state species are also included. To enumerate all possible solutions, each time a new solution is found a new constraint blocking it from the further search space is added. Finally, we also ensure that vitamins are not used by any species as a carbon source by restricting their uptake $(v_{vit.upake})$ to minimal requirement for growth (see *Methods*):

$$
min \sum_{s \in C \setminus A} \theta_s
$$

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subject to:

 $S_s v_s = 0$, $\forall s \in C$

 $v_i^{lb} \le v_i \le v_i^{up}, \quad \forall i \in s$

 $v_{A,growth} = 1$

 \sum $\sum_{S \in L} v_{s,section} - \gamma \cdot \theta_s \leq 0, \ \forall S \in C, \ \theta_s \in \{0,1\}, \gamma > \text{argmax}(v)$

 $v_{A,growth} - v_{A,\min_growth} * \theta_s \ge 0$, $\forall s \in C \setminus A$

 \sum $\sum_{s\in L} \theta_s < |L|$, $\forall L \in \{previously \, found \, solutions\}$

 $-\varepsilon \leq v_{\text{vit.uptake}} - v_{\text{measured vit.uptake}} * v_{\text{vit.uptake}} \leq \varepsilon$

MUS Algorithm.

mu scores = $\{\}$ for A in C: solutions $=$ \lceil do: metabolites set = minimize received metabolites set(A, C , previously found solutions) solutions $+=$ metabolites set while metabolites set != ϕ for m in A.received metabolites: mu scores $[(A, m)] = \text{len}([solutions containing m])/\text{len}(solutions)$

The minimize_received_metabolites_set routine solves MILP problem analogous to the minimize_donors_set routine. Its objective is to find a minimal set of metabolites donated to species A by other community members. Here also steady-state constraints and uptake/ secretion flux bounds have to be satisfied. Here too we introduce binary variable θ_m . $\theta_m = 1$ represents activation of uptake of metabolite m . All found solutions are excluded from the solution space by adding appropriate constraints. We also ensure that vitamins are not used by any species as a carbon source by restricting their uptake $(v_{vit.update})$ to minimal requirement for growth (see *Methods*):

```
min \summ∈{metabolites from A}
             \theta_msubject to:
```
 $S_s v_s = 0$, $\forall s \in C$

 $v^{lb} \le v \le v^{up}$

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 $V_{A,growth} = 1$

 $v_m - \gamma * \theta_m \leq 0$, $\forall m \in \{\text{metabolites uptakes from } A\}$

 \sum $\sum_{m\in L} \theta_m < |L|, \quad \forall L \in \{\text{previously found solutions}\}\$

 $-\varepsilon \leq v_{\text{vit,untake}} - v_{\text{measured vit,untake}} * v_{\text{vit,untake}} \leq \varepsilon$

MPS Algorithm. MPS is a binary value showing whether species B can produce metabolite m under a given nutritional environment.

 $mp \text{ scores} = \{\}$ for B in C: for m in {metabolities produced by B } mp scores $[(B, m)]$ = maximize metabolite yield (m, C) > = 1

max v_m , $m \in \{s$ ecreted metabolites from B

subject to:

 $S_s v_s = 0$, $\forall s \in C$

 $v^{lb} < v < v^{up}$

 $-\varepsilon \leq v_{\text{vit}, \text{update}} - v_{\text{measured}}$ vit.uptake $v_{\text{virt}, \text{update}} \leq \varepsilon$

Difference Between MIP and SMETANA Score. Whereas the MIP estimates the maximum number of nutritional components that a community can provide for itself (through interspecies metabolite exchanges), the SMETANA score quantifies the extent of interspecies exchanges. To account for the complexity of possible interspecies exchanges, due to metabolic plasticity, the SMETANA score is decomposed into three distinct factors: (i) SCS, which accounts for the plasticity at the level of community; (ii) MUS, which accounts for the plasticity at the level of nutritional requirements of member species; and (iii) MPS, which accounts for the by-product secretion capabilities of member species.

Curated Models Used for Estimation of Reaction Directions. Manually reconstructed models for 16 different species were obtained from the ModelSEED resource (1): Acinetobacter baylyi ADP1 (2), Escherichia coli K-12 MG1655 (3), Methanosarcina barkeri Fusaro (4), Bacilus subtilis (1), Lactococcus lactis ssp. lactis IL1403 (5), Bacillus subtilis 168 (6), Mycoplasma pneumoniae M129 (7), Saccharomyces cerevisiae S288c (8), Helicobacter pylori 26695 (9), Pseudomonas putida KT2440 (10), Escherichia coli K-12 MG1655 (11), Saccharomyces cerevisiae S288c (12), Pseudomonas aeruginosa PA01 (13), Saccharomyces cerevisiae S288c (14), Mycoplasma genitalium G-37 (15), and Staphylococcus aureus N315 (16).

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Fig. S2. Competition metrics of co-occurring subcommunities compared with random assemblies. Neither phylogenetic distance (A) nor MRO (B) can discern co-occurring subcommunities from random assemblies. Results for the random control are based on simulations of 10,000 groups randomly assembled from the same species pool.

Fig. S3. MIP (A) and MRO (B) distribution for the species pairs belonging to the same taxonomic level.

Fig. S4. Cooperation metrics of co-occurring communities compared with random assemblies. Co-occurring communities feature higher interaction potential (A) and higher metabolic coupling (B) than non-co-occurring groups. Results for the random control are based on simulations of 10,000 groups randomly assembled from the same species pool. Choosing these random assemblies from habitat-filtered (C) or rich habitats (D) preserves the distinction of co-occurring groups. Habitats for which the descriptions lacked the words "water" or "rock" were considered as rich. Habitats with the annotation "sewer" were, however, retained as rich.

Fig. S5. Robustness of MIP values of co-occurring subcommunities toward species composition and gap-filled reactions in metabolic models. (A and B) Removal of the three most frequent species (found in 52% of all co-occurring subcommunities) retains the contrast between the co-occurring subcommunities (red density plots) and random assemblies (gray density plots). (C and D) Cumulative (C) or individual (D) removal of top-ranking co-occurring species (Table S3) retains the contrast between co-occurring subcommunities and random assemblies. Shown are the effect sizes following species removal [log ratio of the medians (circles) or means (triangles)]. (E) The use of subsets of models with different numbers of gap-filled reactions does not affect the MIP effect size discriminating co-occurring subcommunities from random assemblies. Numbers in the plot show the fraction of remaining subcommunities, after removing those containing species with fewer than n gap-filled reactions (x axis). We here note that the distribution of the number of gap-filled reactions in species forming co-occurring subcommunities is similar to that for the non-co-occurring subcommunities $(P = 0.66)$.

Fig. S6. Predicted metabolic interactions accurately capture experimental results (A) in a three-species community reported by Miller et al. (1) and (B) a yeastalgal community reported by Hom and Murray (2). Models for three species community were obtained from Zomorrodi and Maranas (3). Published specieslevel models of C. reinhardtii (4) and the S. cerevisiae (5) were used for reconstructing the yeast-algal community model. NO₃⁻ and H₂S were used in simulations instead of NO₂⁻ and SO₄²- to maintain compatibility with the species models. Glucose uptake reaction in the C. reinhardtii model was blocked as suggested in the experimental study (2). Dotted arrows mark potential novel interactions, or possibly model artifacts [e.g., predicted pyruvate link in the community (A)].

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Table S1. Summary statistics of the number of co-occurring subcommunities and OTU to genome mappings

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Table S3. List of the top 20 frequent species mapping to co-occurring subcommunities

Note that the species mapping is subject to the pool of genome-sequenced species/strains against which mapping is performed.