

β distribution (real number form)

Formula: $f(x) = x^{(a-1)} (1-x)^{(b-1)} \frac{\Gamma(a+b)}{\Gamma(a)\Gamma(b)}$

Domain: $0 < x < 1$

Parameters: $a > 0, b > 0$

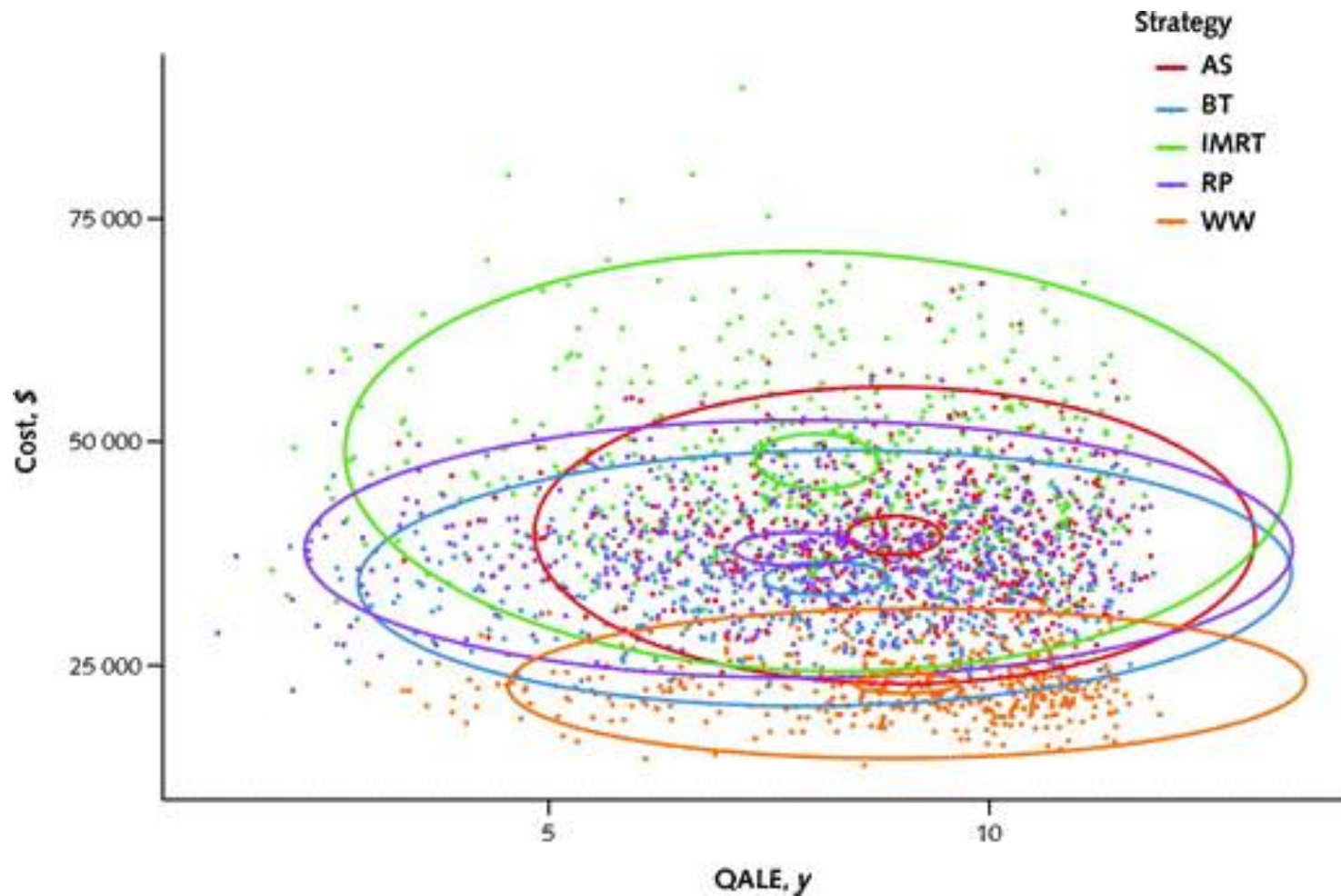
Details: $Mean = \frac{a}{(a+b)}$

The parameters a and b can be approximated from a mean μ and SD σ :

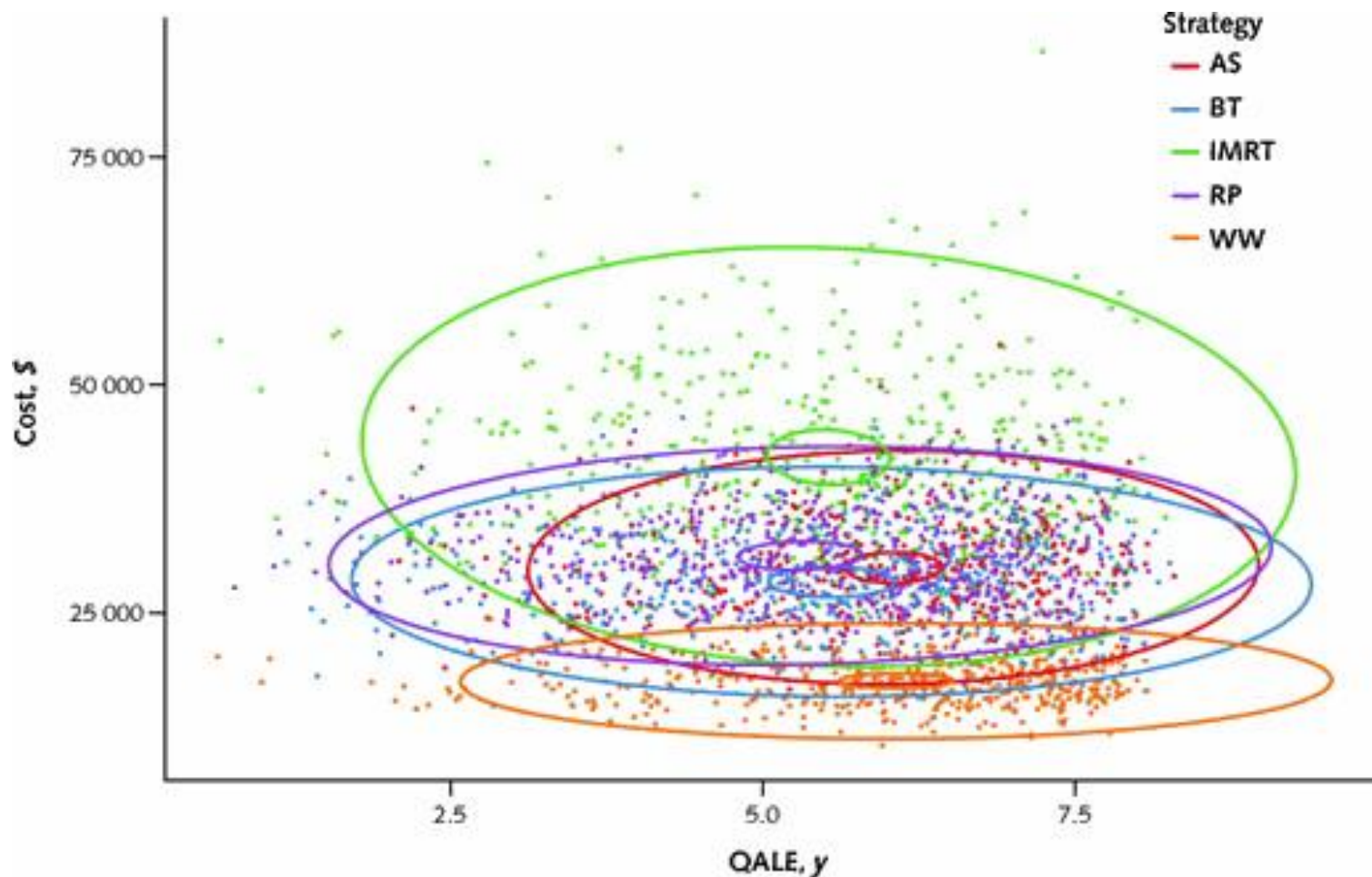
$$a = \mu \left(\frac{\mu(1-\mu)}{\sigma^2} - 1 \right)$$

$$b = (1-\mu) \left(\frac{\mu(1-\mu)}{\sigma^2} - 1 \right)$$

Appendix Figure 1. Formula used to approximate a and b on the basis of mean and SD for [beta]-distribution function for probabilistic sensitivity analysis (from TreeAge Pro).



Appendix Figure 2. Probabilistic sensitivity analysis of costs (in U.S. dollars) and effectiveness (QALE, in years) for men aged 65 years. Ellipses represent 95% CIs for each strategy. AS = active surveillance; BT = brachytherapy; IMRT = intensity-modulated radiation therapy; QALE = quality-adjusted life expectancy; RP = radical prostatectomy; WW = watchful waiting.



Appendix Figure 3. Probabilistic sensitivity analysis of costs (in U.S. dollars) and effectiveness (QALE, in years) for men aged 75 years. Ellipses represent 95% CIs for each strategy. AS = active surveillance; BT = brachytherapy; IMRT = intensity-modulated radiation therapy; QALE = quality-adjusted life expectancy; RP = radical prostatectomy; WW = watchful waiting.