

Adult LDL-C model (N=2100)	AIC/BIC	β (se)*, p-val
Model 1 :	3686/3716	$\beta_{wGRS-LDL}$: 0.029 (0.02), $p < 2 \times 10^{-16}$ *
Adult.LDL ~ sex+ adult.age+ wGRS-LDL+ Δ BMI		$\beta_{\Delta_{BMI}}$: 0.09 (0.01), $p = 1.3 \times 10^{-6}$ *
+ wGRS-LDL* Δ BMI		$\beta_{wGRS-LDL * \Delta_{BMI}}$: -0.02(0.01), $p = 0.15$

Model 2:	3685/3723	$\beta_{wGRS-LDL}$: 0.20 (0.02), $p < 1 \times 10^{-16}$ *
Adult.LDL ~ sex+ adult.age+wGRS-LDL+ Δ BMI		$\beta_{\Delta_{BMI}}$: 0.09(0.02), $p < 1.0 \times 10^{-7}$ *

Likelihood Ratio Test : Model 1 vs model 2

$\chi^2(df=1) = 2.04$ $p = 0.15$

Adult HDL-C model (N=2034)	AIC/BIC	β (se)*, p-val
Model 3 :	486/418	$\beta_{wGRS-HDL}$: 0.06(0.007), $p < 2 \times 10^{-16}$ *
Adult.HDL ~ sex+adult.age+wGRS-HDL+ Δ BMI		$\beta_{\Delta_{BMI}}$: -0.09 (0.007), $p = 0.046$ *
+ wGRS-HDL* Δ BMI		$\beta_{wGRS-HDL * \Delta_{BMI}}$: -0.003 (0.006), $p = 0.62$

Model 4:	488/525	$\beta_{wGRS-HDL}$: 0.06 (0.007), $p < 1 \times 10^{-16}$
Adult.HDL ~sex+adult.age +wGRS-HDL+ Δ BMI		$\beta_{\Delta_{BMI}}$: - 0.09 (0.07), $p < 2 \times 10^{-16}$

Likelihood Ratio Test: Model 3 vs model 4

$\chi^2(df=1) = 0.24$ $p = 0.62$

Adult triglycerides model (N=2062)	AIC/BIC	β (se)*, p-val
Model 5 :	2645/2876	$\beta_{wGRS-TG}$: 1.029 (0.02), $p < 2 \times 10^{-8}$ *
Log(Adult.TG)~sex+adult.age+wGRS-TG+ Δ BMI		$\beta_{\Delta_{BMI}}$: 1.09 (0.01), $p = 2.1 \times 10^{-5}$ *
wGRS- TG* Δ BMI		$\beta_{wGRS-TG * \Delta_{BMI}}$: 1.002(0.01), $p = 0.3$

Model 6:	3685/3723	$\beta_{wGRS-TG}$: 1.029 (0.02), $p < 1 \times 10^{-8}$ *
Log(Adult.TG)~sex+adult.age+wGRS-TG+ Δ BMI		$\beta_{\Delta_{BMI}}$: 1.08 (0.01), $p < 1.0 \times 10^{-9}$ *

Likelihood Ratio Test : Model 5 vs model 6

$\chi^2(df=1) = 1.17$ $p = 0.11$

