Cross-talk between AMPK and EGFR dependent Signaling in Non-Small Cell Lung Cancer (Supplement)

Paurush Praveen, Helen Hülsmann, Holger Sültman, Ruprecht Kuner and Holger Fröhlich

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1 Sources of prior knowledge

The approaches presented here primary consider the following sources of biological knowledge.

Protein-Protein Interactions database

Protein-protein interaction (PPI) data present the current knowledge about pairs of proteins that interact in living system and hence can be an important source of information as a network prior. Such knowledge resides in various databases, like IntAct, HPRD *etc.* Here we use interaction data from the PathwaysCommons database; a collection of publicly available pathway information [1]. To compute a confidence value for each interaction between a pair of genes/proteins we look at the shortest path distance between the two entities. To calculate the shortest path distance between two nodes the function *sp.between* function based on Dijkstra's algorithm is used from R-package RBGL. The edge confidence is then computed as the inverse shortest path distance.

KEGG pathway

KEGG pathways [5] is a knowledge base representing our knowledge on the molecular interaction and reaction networks. It includes various kinds of pathways e.g. metabolic pathways, disease related pathways etc. We compiled a comprehensive network from KEGG with \sim 3776 nodes and \sim 29878 edges by merging \sim 80 KEGG graphs. The Dijkastra algorithm was executed on this graph to compute scores similar to those obtained for PPI databases.

Gene Ontology

The Gene Ontology (GO) offers controlled vocabularies for aiding the annotation of biomolecules. Interacting proteins often function in the same biological process. This implies that two proteins acting in the same biological process are more likely to interact than two proteins involved in different processes. Here we use this information based on GO *Biological Process* (BP) annotations. Therefore, exploring the knowledge buried in GO annotations seems a promising approach to map relations among genes. To do this mapping of relations comparison of individual GO terms was performed via Lin's similarity measure [6] via the default method in GOSim [3, 10].

Protein Domain Annotation

It has been found that found that proteins in distinct KEGG pathways are enriched for certain protein domains, i.e. proteins with similar domains are more likely to act in similar biological pathways [4, 2]. Therefore, the confidence for interaction between two proteins can thus be seen as a function of the similarity of the inter-pro domain annotations [7] of proteins. For each protein we constructed a binary vector, where each component represents one Inter-Pro domain. A "1" in a component thus indicates that the protein is annotated with the corresponding domain. Otherwise a "0" is filled in. The similarity between two binary vectors u, v (domain signatures) is presented in terms of the cosine similarity

$$S_{domain} = \frac{\langle u, v \rangle}{\|u\| \|v\|} \tag{1}$$

Domain-Domain Interactions

Two proteins are more likely to interact if they contain domains, which can potentially interact. The DOMINE database collates known and predicted domain-domain interactions [9]. Calculation for edge confidence (I_{AB}) based on the DOMINE database is done as

$$I_{AB} = \frac{H}{D_A \cdot D_B} \tag{2}$$

where H is the number of hit pairs found in the DOMINE database and D_A and D_B are the number of domains in proteins A and B, respectively.

2 Methods to compute priors

The Noisy-OR model (NOM) [8] to compute consensus probabilistic prior from the sources described above. Here we describe the NOM approach: The Noisy-OR represents a non-deterministic disjunctive relation between an effect and its possible causes and has been extensively used in artificial intelligence. The Noisy-OR model assumes that the relation among the causes and the effect is nondeterministic, allowing the presence of the effect in absence of any of the modeled causes. The Noisy-OR principle is governed by two hallmarks: First, each cause has a probability to produce the effect and second, the probability of each cause being sufficient to produce the effect is independent of the presence of other causes

In our case $X_{ij}^{(1)}, X_{ij}^{(2)}, \ldots, X_{ij}^{(n)}$ are interpreted as causes and $\hat{\Phi}_{ij}$ as effect. The link between both is given by

$$\hat{\Phi}_{ij} = 1 - \prod_{k} (1 - X_{ij}^{(k)}) \tag{3}$$

In consequence Φ_{ij} becomes close to 1, if the edge $i \to j$ has a high confidence in at least one knowledge source, because then the product gets close to 0. Hence, in the Noisy-OR model high edge confidences in one information source can overrule low confidences in other information sources. For a detailed description please see Praveen et al. 2013 [8]

This prior was percieved as the S-gene prior for the NEM algorithm together with the data.

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Cross-talk between AMPK and EGFR dependent Signaling in Non-Small Cell Lung Cancer (Supplementary Figures)

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SF1: Target gene expression upon siRNA-based knockdown experiment in H1650 cells. Gene expression was measured by qPCR. Relative expression decrease upon knockdown was calculated in comparison to non-template controls (100%).



SF2: Batch effect removal from data (A) Heat for the mRNA data before removing the batch effect (B) After removing the batch effect



SF3: Heatmap for the log p-value density in mRNA perturbation data



SF4: Histogram for the bootstrap confidence in the inferred bootstrapped network



SF5: Comparison of inferred network with HIPPIE



SF6: Heatmap of attachment probabilities of reporter genes



SF7: Heatmap of perturbation effects grouped by mostlikely S-gene attachments.



SF8: Heatmap showing effect on proteins for knocking down 5 genes



Hierarchical Clustering : ward pearson

SF9: Heatmap of log fold changes for genes showing differential expression between patients with and without the somatic mutation shown in columns.

Table 1: Inferred network edges explained by STRING paths

Network Path	Explained by (String)
$PRKAA1 \rightarrow PRKAB1$	PRKAA1→PRKAB1
PRKAA1→MTOR	$PRKAA1 \rightarrow MTOR$
$PRKAA1 \rightarrow RPS6KA1$	$PRKAA1 \rightarrow RPS6KA1$
$PRKAB1 \rightarrow WDR3$	$PRKAB1 \rightarrow RPS6 \rightarrow WDR3$
$PRKAB1 \rightarrow RPS6KB1$	$PRKAB1 \rightarrow RPS6KB1$
$ESPL1 \rightarrow ITGB4$	$\texttt{ESPL1}{\rightarrow}\texttt{CDKN2A}{\rightarrow}\texttt{ITGB4}$
WDR3→RAF1	$WDR3 \rightarrow GNB2L1 \rightarrow RAF1$
$RAF1 \rightarrow SRC$	$RAF1 \rightarrow SRC$
RAF1→MTOR	$RAF1 \rightarrow MTOR$
ITGB4→PIK3C3	$ITGB4 \rightarrow CDKN2A \rightarrow PIK3C3$
$SRC \rightarrow RAF1$	$SRC \rightarrow RAF1$
MTOR→PIK3C3	$\rm MTOR {\rightarrow} PIK3C3$
$MTOR \rightarrow RPS6KA1$	$MTOR \rightarrow RPS6KA1$
$PIK3C3 \rightarrow TSC1$	$PIK3C3 \rightarrow TSC1$
$TSC1 \rightarrow GSK3A$	$TSC1 \rightarrow GSK3A$
$TSC2 \rightarrow GSK3A$	$TSC2 \rightarrow GSK3A$
$BCL10 \rightarrow EGFR$	$BCL10 \rightarrow CDKN2A \rightarrow EGFR$
$BCL10 \rightarrow RPS6KA1$	$BCL10 \rightarrow RPS6KA1$
$EGFR \rightarrow PIK3C3$	$EGFR \rightarrow PIK3C3$
$EGFR \rightarrow GSK3A$	$EGFR \rightarrow GSK3A$
$STK11 \rightarrow GSK3A$	$STK11 \rightarrow GSK3A$
$GSK3A \rightarrow TRUB2$	$GSK3A \rightarrow PRKAG2 \rightarrow TRUB2$
$\mathrm{TRUB2}{\rightarrow}\mathrm{TSC2}$	$\mathrm{TRUB2}{\rightarrow}\mathrm{PRKAG2}{\rightarrow}\mathrm{TSC2}$
$\mathrm{TRUB2}{\rightarrow}\mathrm{GSK3B}$	$\mathrm{TRUB2}{\rightarrow}\mathrm{PRKAG2}{\rightarrow}\mathrm{GSK3B}$
$TRUB2 \rightarrow LEPR$	$\mathrm{TRUB2}{\rightarrow}\mathrm{PRKAG2}{\rightarrow}\mathrm{LEPR}$
$\mathrm{TRUB2}{\rightarrow}\mathrm{RPS6KA1}$	$\mathrm{TRUB2}{\rightarrow}\mathrm{UBC}{\rightarrow}\mathrm{RPS6KA1}$
$LEPR \rightarrow GSK3A$	$\mathrm{LEPR}{\rightarrow}\mathrm{STAT1}{\rightarrow}\mathrm{GSK3A}$
$RPS6KA1 {\rightarrow} RPS6KB1$	$RPS6KA1 {\rightarrow} CREB1 {\rightarrow} RPS6KB1$

Network Path	Explained by (Hippie)
$PRKAA1 \rightarrow PRKAB1$	NA
$PRKAA1 \rightarrow MTOR$	NA
$PRKAA1 \rightarrow RPS6KA1$	NA
$PRKAB1 \rightarrow WDR3$	NA
$PRKAB1 \rightarrow RPS6KB1$	NA
$\text{ESPL1} \rightarrow \text{ITGB4}$	NA
WDR3→RAF1	NA
$RAF1 \rightarrow SRC$	$RAF1 \rightarrow ARRB2 \rightarrow SRC$
$RAF1 \rightarrow MTOR$	$RAF1 \rightarrow HSP74 \rightarrow MTOR$
ITGB4→PIK3C3	NA
$SRC \rightarrow RAF1$	$SRC \rightarrow RAF1$
MTOR→PIK3C3	NA
$MTOR \rightarrow RPS6KA1$	NA
$PIK3C3 \rightarrow TSC1$	NA
$TSC1 \rightarrow GSK3A$	$TSC1 \rightarrow AKT1 \rightarrow GSK3A$
$TSC2 \rightarrow GSK3A$	$TSC2 \rightarrow RRAGB \rightarrow A4 \rightarrow GSK3A$
$BCL10 \rightarrow EGFR$	$BCL10 \rightarrow UB2V2 \rightarrow EGFR$
$BCL10 \rightarrow RPS6KA1$	NA
$EGFR \rightarrow PIK3C3$	NA
$EGFR \rightarrow GSK3A$	$EGFR \rightarrow AKT1 \rightarrow GSK3A$
$STK11 \rightarrow GSK3A$	$STK11 \rightarrow A4 \rightarrow GSK3A$
$GSK3A \rightarrow TRUB2$	$\text{GSK3A}{\rightarrow}\text{EBP2}{\rightarrow}\text{H11}{\rightarrow}\text{TRUB2}$
$TRUB2 \rightarrow TSC2$	$\mathrm{TRUB2}{\rightarrow}\mathrm{FYCO1}{\rightarrow}\mathrm{KINH}{\rightarrow}1433\mathrm{G}{\rightarrow}\mathrm{TSC2}$
$\mathrm{TRUB2}{\rightarrow}\mathrm{GSK3B}$	$TRUB2 \rightarrow FYCO1 \rightarrow LMNA \rightarrow TOP2A \rightarrow GSK3B$
$\mathrm{TRUB2}{\rightarrow}\mathrm{LEPR}$	$\mathrm{TRUB2}{\rightarrow}\mathrm{FYCO1}{\rightarrow}\mathrm{RFA1}{\rightarrow}\mathrm{XRN1}{\rightarrow}\mathrm{LEPR}$
$\mathrm{TRUB2}{\rightarrow}\mathrm{RPS6KA1}$	NA
$LEPR \rightarrow GSK3A$	$\text{LEPR}{\rightarrow}\text{GRB2}{\rightarrow}\text{FCG2B}{\rightarrow}\text{GSK3A}$
$RPS6KA1 \rightarrow RPS6KB1$	NA

Table 2: Inferred network edges explained by HIPPIE paths