

Supplementary information for:

Competition between members of the tribbles pseudokinase protein family shapes their interactions with mitogen activated protein kinase pathways

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LEGENDS FOR SUPPLEMENTARY FIGURES:

Supplementary Figure 1: Intracellular localisation of TRIB/MEK1 complexes.

PCA constructs, encoding for full length of TRIBs and MEK1 were transfected to HeLa cells, as indicated in the figure. 24 hrs after transfection, intracellular YFP expression profile was examined by fluorescent microscopy.

A: Representative fields from 10x images. **B:** High power images from cells transfected as in A. Cell nuclei were visualised by counter staining with DAPI.

Supplementary Figure 2: Interaction between endogenous TRIB3 and MKKs

HepG2 cell lysates were used to detect interaction between endogenously expressed TRIB3 and MAPKK proteins. TRIB3 was immunoprecipitated, and subjected to gel electrophoresis and transferred to a nitrocellulose membrane. Co-precipitation of MKK4 and MKK7 with TRIB3 was then detected. As control, the membrane was also developed using the anti-TRIB3 Ab (bottom panel).

Supplementary Figure 3: Expression of truncated (Δ N) MAPKK proteins

Expression plasmids, encoding for truncated MKKs (fused to the V1 tag) were transfected into HeLa cells and their expression was detected by western blotting, using an anti-GFP antibody

Supplementary Figure 4: The effect of siRNA knockdown on TRIB and MKK7 expression levels

HepG2 cells were transiently transfected by siRNAs against specific TRIBs, as stated and the level of TRIB mRNA knockdown (4A) and the impact of siTRIB treatment on MKK7 (4B) was assessed by qRT-PCR and Western blotting, respectively.

Supplementary Figure 5: The ODE model to characterise the impact of tribbles mediated inhibition of MAPK activation

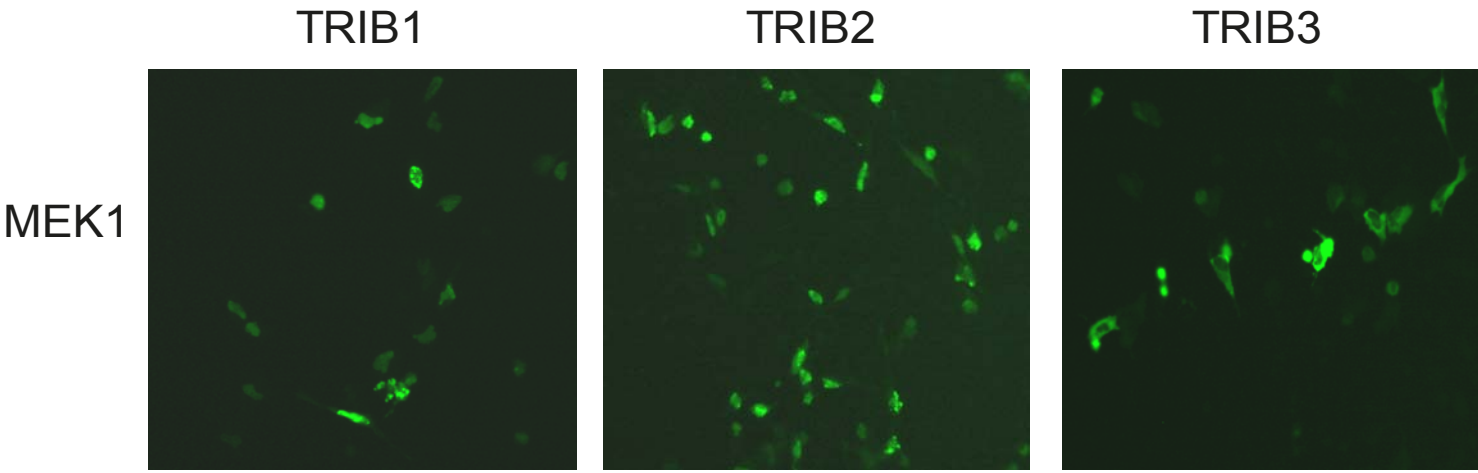
For each reaction, **ai** is the association rate and **di** is the dissociation rate. For the enzyme reactions, **ki** is the catalytic rate. Species for which time dependence is solved are in solid rectangles; species held fixed are in dashed rectangles. The individual reactions are numbered in both schemes. The tribbles “module” is outlined with a dotted line.

Supplementary Table 1: Amino-acid residues encoded by expression plasmids used in our PCA assays, encoding for full length or truncated forms of MKKs and tribbles.

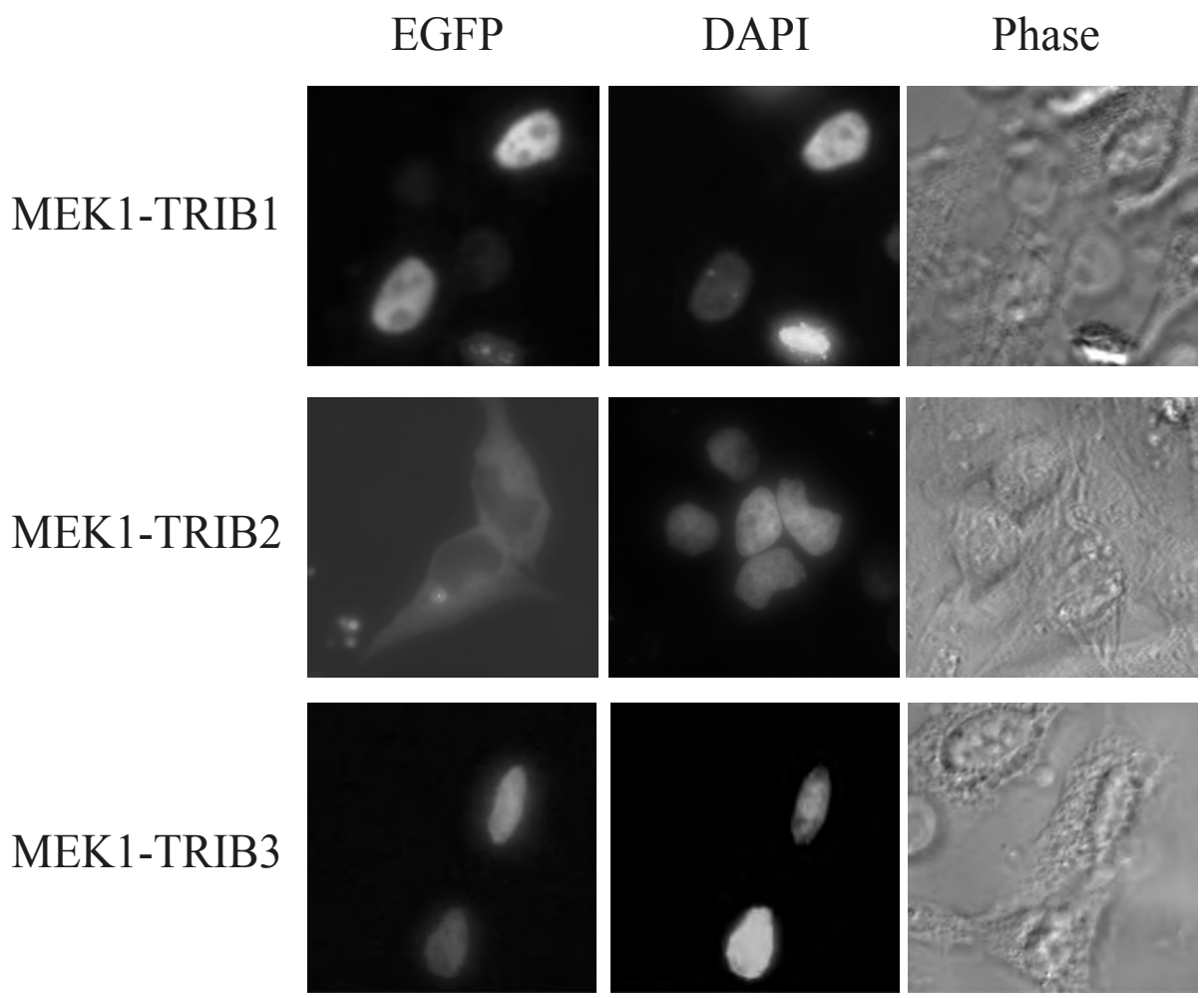
Appendix 1: Equations of the ODE model for tribbles interaction with MAPK cascades

Supplementary figure 1: Intracellular localisation of trb/MEK1 PCA complexes

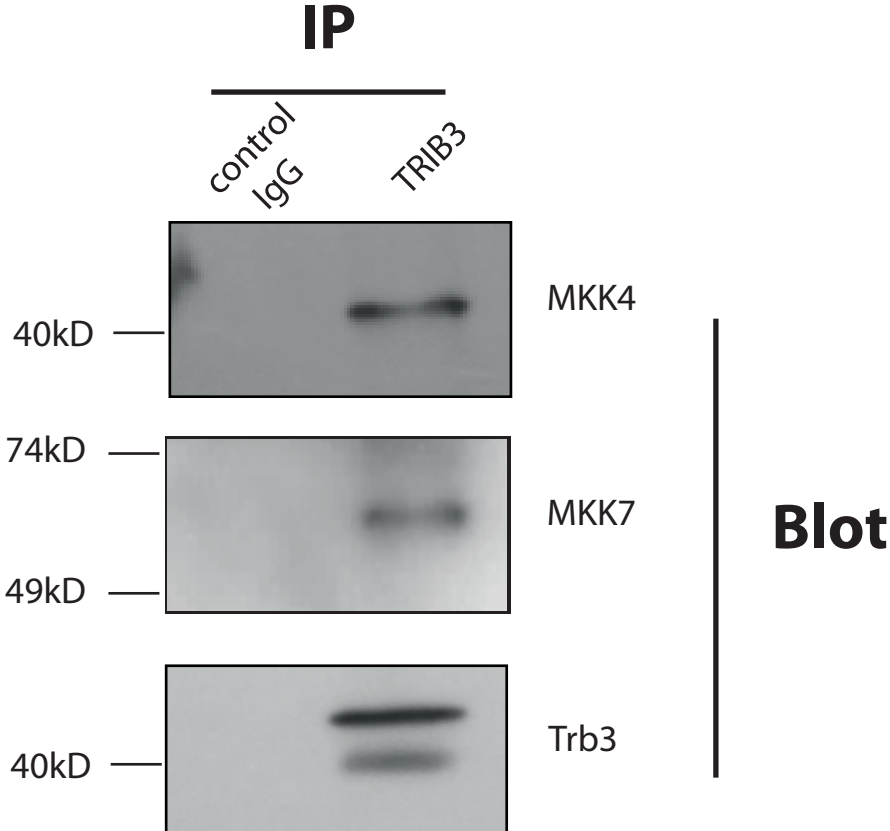
A



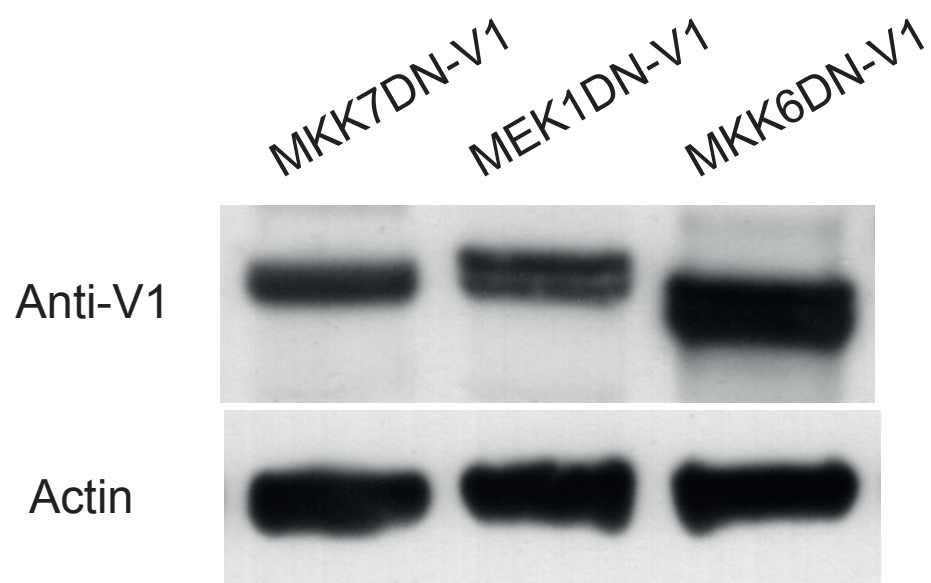
B



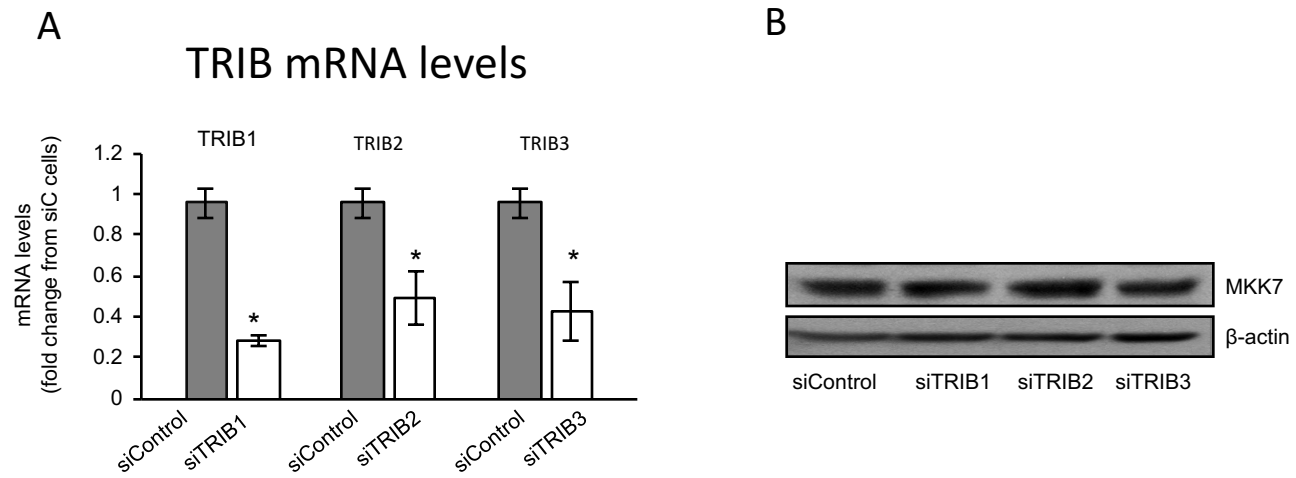
Supplementary figure 2: Interaction between endogenous TRIB3 and MKKs



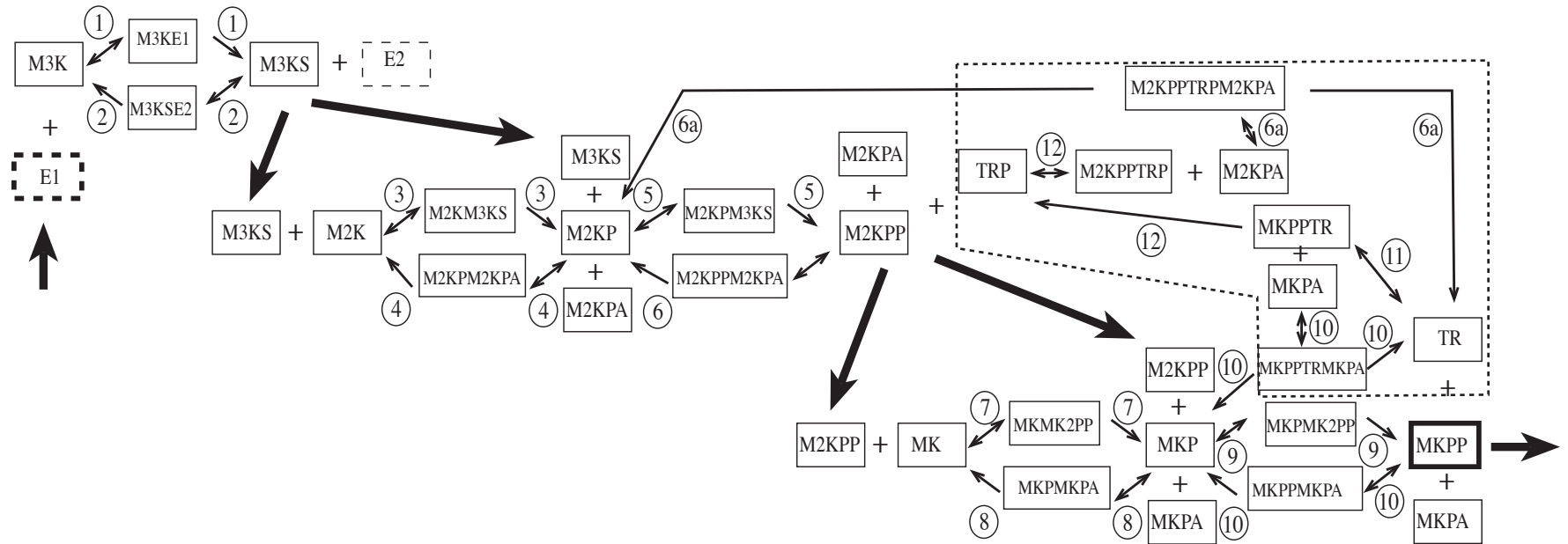
Supplementary figure 3:



Supplementary Figure 4



Supplementary Figure 5



M3K+E1	\rightleftharpoons	M3KE1	\rightarrow	M3KS +E1	:	rate constants a1, d1, k1	(1)
M3KS+E2	\rightleftharpoons	M3KSE2	\rightarrow	M3K + E2	:	rate constants a2, d2, k2	(2)
M2K+M3KS	\rightleftharpoons	M2KM3KS	\rightarrow	M2KP + M3KS	:	rate constants a3, d3, k3	(3)
M2KP+M2KPA	\rightleftharpoons	M2KPM2KPA	\rightarrow	M2K+M2KPA	:	rate constants a4, d4, k4	(4)
M2KP+M3KS	\rightleftharpoons	M2KPM3KS	\rightarrow	M2KPP +M3KS	:	rate constants a5, d5, k5	(5)
M2KPP+M2KPA	\rightleftharpoons	M2KPPM2KPA	\rightarrow	M2KP+M2KPA	:	rate constants a6, d6, k6	(6)
M2KPPTRP+M2KPA	\rightleftharpoons	M2KPPTRPM2KPA	\rightarrow	M2KP+M2KPA+TR	:	rate constants a6, d6, k6	(6a)
MK+M2KPP	\rightleftharpoons	MKM2KPP	\rightarrow	M2KPP +MKP	:	rate constants a7, d7, k7	(7)
MKP+MKPA	\rightleftharpoons	MKPMKPA	\rightarrow	MK+MKPA	:	rate constants a8, d8, k8	(8)
MKPPTR+MKPA	\rightleftharpoons	MKPPTRMKPA	\rightarrow	MKP+MKPA+TR	:	rate constants a8, d8, k8	(8a)
MKP+M2KPP	\rightleftharpoons	MKPM2KPP	\rightarrow	M2KPP +MKPP	:	rate constants a9, d9, k9	(9)
MKPP+MKPA	\rightleftharpoons	MKPPMKPA	\rightarrow	MKP+MKPA	:	rate constants a10,d10,k10	(10)
MKPP+TR	\rightleftharpoons	MKPPTR	\rightarrow	MKPP+TRP	:	rate constants a11,d11,k11	(11)
M2KPP+TRP	\rightleftharpoons	M2KPPTRP			:	rate constants a12,d12	(12)

For each equilibrium a_i is the association rate and d_i the dissociation for the enzyme reactions k_i is the catalytic rate species for which time dependence is solved are in solid rectangles, species held fixed are in dashed rectangles. The individual reactions are numbered in both schemes. The tribbles “module” is outlined with a dotted line.

Suppl. Table 1

MKK-V1 constructs				TRIB-V2 constructs			
Wild type	Δ N	Δ C	Δ NC	Wild type	Δ N	Δ C	Δ NC
MEK 1 (aa 1-393)	(aa 68-393)	(aa 1-362)	(aa 68-362)	TRIB-1 (aa 1-372)	(aa 92-372)	(aa 1-338)	(aa 91-338)
MKK 6 (aa 1-334)	(aa 53-334)	(aa 1-307)	(aa 53-307)	TRIB-2 (aa 1-343)	(aa 61-343)	(aa 1-307)	
MKK4 (aa 1-400)	(aa 102-400)		(aa 102-334)	TRIB-3 (aa 1-358)	(aa 67-358)	(aa 1-315)	
MKK7 (aa 1-419)	(aa 127-419)	(aa 127-380)	(aa 127-380)				

Appendix 1 – Model for Tribbles interaction with Map kinase cascade

From Figure 2, the system contains the following 28 species of which 26 are explicit in the ODE system :-

(E1, E2,)M3K, M3KS, M3KE1, M3KSE2, M2KM3KS, M2KPM3KS, M2K, M2KP, M2KPP, M2KPA, M2KPM2KPA, M2KPPM2KPA, MKM2KPP, MKPM2KPP, MK, MKP, MKPP, MKPMKPA, MKPPMKPA, MKPA, MKPPTR, TR, TRP, M2KPPTRP, M2KPPTRPM2KPA, MKPPTRMKPA

2 are defined algebraically:-

E1 is described by a piecewise defined linear function that defines a square wave pulse, E2 is treated as constant.

The differential equation system is

$$\begin{aligned}
 e1(t) &= \text{if } t < t_1 \text{ then } e_0 \text{ else (if } t < t_2 \text{ then } e_e \text{ else } e_0) & (1) \\
 m3k'(t) &= -a_1 * m3k * e1(t) + d_1 * m3ke1 + k_2 * m3kse2 & (2) \\
 m3ke1'(t) &= a_1 * m3k * e1(t) - (d_1 + k_1) * m3ke1 & (3) \\
 m3ks'(t) &= -a_2 * m3ks * e_2 + d_2 * m3kse2 + k_1 * m3ke1 + (k_3 + d_3) * m2km3ks - & \\
 & a_3 * m3ks * m2k + (k_5 + d_5) * m2kpm3ks - a_5 * m2kp * m3ks & (4) \\
 m3kse2'(t) &= a_2 * m3ks * e_2 - (d_2 + k_2) * m3kse2 & (5) \\
 m2k'(t) &= -a_3 * m2k * m3ks + d_3 * m2km3ks + k_4 * m2kpm2kpa & (6) \\
 m2km3ks'(t) &= a_3 * m2k * m3ks - (d_3 + k_3) * m2km3ks & (7) \\
 m2kp'(t) &= -a_4 * m2kp * m2kpa + d_4 * m2kpm2kpa + k_3 * m2km3ks + & \\
 & k_6 * m2kppm2kpa + d_5 * m2kpm3ks + a_5 * m2kp * m3ks + & \\
 & k_6 * m2kpptrpm2kpa & (8) \\
 m2kpm2kpa'(t) &= a_4 * m2kp * m2kpa - (d_4 + k_4) * m2kpm2kpa & (9) \\
 m2kpm3ks'(t) &= a_5 * m2kp * m3ks - (d_5 + k_5) * m2kpm3ks & (10) \\
 m2kpp'(t) &= k_5 * m2kpm3ks - a_6 * m2kpp * m2kpa + d_6 * m2kppm2kpa - & \\
 & a_7 * m2kpp * mk + (d_7 + k_7) * mkm2kpp - & \\
 & a_9 * mkp * m2kpp + (d_9 + k_9) * mkpm2kpp - & \\
 & a_{11} * trp * m2kpp + d_{11} * m2kpptrp & (11) \\
 m2kppm2kpa'(t) &= a_6 * m2kpp * m2kpa - (d_6 + k_6) * m2kppm2kpa & (12) \\
 m2kpptrpm2kpa'(t) &= a_6 * m2kpptrp * m2kpa - (d_6 + k_6) * m2kpptrpm2kpa & (13) \\
 mk'(t) &= -a_7 * mk * m2kpp + d_7 * mkm2kpp + k_8 * mkpmkpa & (14) \\
 mkm2kpp'(t) &= a_7 * mk * m2kpp - (d_7 + k_7) * mkm2kpp & (15) \\
 mkp'(t) &= k_7 * mkm2kpp - a_8 * mkp * mkpa + d_8 * mkpmkpa - & \\
 & a_9 * mkp * m2kpp + d_9 * mkpm2kpp + & \\
 & k_{10} * (mkppmkpa + mkpptrmkpa) & (16) \\
 mkpmkpa'(t) &= a_8 * mkp * mkpa - (d_8 + k_8) * mkpmkpa & (17) \\
 mkpm2kpp'(t) &= a_9 * mkp * m2kpp - (d_9 + k_9) * mkpm2kpp & (18) \\
 mkpp'(t) &= -a_{10} * mkpp * mkpa + d_{10} * mkppmkpa + k_9 * mkpm2kpp - & \\
 & a_{12} * mkpp * tr + (d_{12} + k_{12}) * mkpptr & (19) \\
 mkppmkpa'(t) &= a_{10} * mkpp * mkpa - (d_{10} + k_{10}) * mkppmkpa & (20) \\
 m2kpa'(t) &= -a_6 * m2kpp * m2kpa + (d_6 + k_6) * m2kppm2kpa - a_4 * m2kp * m2kpa & \\
 & + (d_4 + k_4) * m2kpm2kpa - a_6 * m2kpptrp * m2kpa & \\
 & + (d_6 + k_6) * m2kpptrpm2kpa & (21)
 \end{aligned}$$

$$\begin{aligned} \text{mkpa}'(t) &= -a_8 * \text{mkp} * \text{mkpa} + (d_8 + k_8) * \text{mkpmkpa} - a_{10} * \text{mkpp} * \text{mkpa} \\ &\quad + (d_{10} + k_{10}) * \text{mkppmkpa} - a_{10} * \text{mkpptr} * \text{mkpa} \\ &\quad + (d_{10} + k_{10}) * \text{mkpptrmkpa} \end{aligned} \quad (22)$$

$$\begin{aligned} \text{tr}'(t) &= k_6 * \text{m2kpptrpm2kpa} - a_{12} * \text{mkpp} * \text{tr} + d_{12} * \text{mkpptr} \\ &\quad + d_{10} * \text{mkpptrmkpa} \end{aligned} \quad (23)$$

$$\begin{aligned} \text{m2kpptrp}'(t) &= a_{11} * \text{trp} * \text{m2kpp} - d_{11} * \text{m2kpptrp} - a_6 * \text{m2kpptrp} * \text{m2kpa} \\ &\quad + d_6 * \text{m2kpptrpm2kpa} \end{aligned} \quad (24)$$

$$\text{trp}'(t) = k_{12} * \text{mkpptr} - a_{11} * \text{trp} * \text{m2kpp} + d_{11} * \text{m2kpptrp} \quad (25)$$

$$\begin{aligned} \text{mkpptr}'(t) &= a_{12} * \text{mkpp} * \text{tr} - (d_{12} + k_{12}) * \text{mkpptr} - a_{10} * \text{mkpptr} * \text{mkpa} \\ &\quad + d_{10} * \text{mkpptrmkpa} \end{aligned} \quad (26)$$

$$\text{mkpptrmkpa}'(t) = a_{10} * \text{mkpptr} * \text{mkpa} - (d_{10} + k_{10}) * \text{mkpptrmkpa} \quad (27)$$

There is a corresponding set of conservation equations implicit in the ODE system

$$\text{m3k0} = \text{m3k} + \text{m3ks} + \text{m3ke1} + \text{m3kse2} + \text{m3ksm2k} + \text{m3ksm2kp} \quad (1)$$

$$\text{e10} = \text{e1} + \text{m3ke1} \quad (2)$$

$$\text{e20} = \text{e2} + \text{m3kse2} \quad (3)$$

$$\begin{aligned} \text{m2k0} &= \text{m2k} + \text{m2kp} + \text{m2kpp} + \text{m2km3ks} + \text{m2kpm3ks} + \text{m2kpm2kpa} + \\ &\quad \text{m2kppm2kpa} + \text{m2kppmk} + \text{m2kppmkp} + \text{m2kpptrp} + \text{m2kpptrpm2kpa} \end{aligned} \quad (4)$$

$$\text{m2kpa0} = \text{m2kpa} + \text{m2kpm2kpa} + \text{m2kppm2kpa} + \text{m2kpptrpm2kpa} \quad (5)$$

$$\begin{aligned} \text{mk0} &= \text{mk} + \text{mkp} + \text{mkpp} + \text{mkmk2pp} + \text{mkpm2kpp} + \text{mkpmkpa} + \text{mkppmkpa} + \\ &\quad \text{mkpptr} + \text{mkpptrmkpa} \end{aligned} \quad (6)$$

$$\text{mkpa0} = \text{mkpa} + \text{mkpmkpa} + \text{mkppmkpa} + \text{mkpptrmkpa} \quad (7)$$

$$\text{tr0} = \text{tr} + \text{mkpptr} + \text{trp} + \text{m2kpptrp} + \text{mkpptrmkpa} + \text{mk2pptrrpm2kpa} \quad (7)$$

Numerical simulations were run with the following rate constant values such that K_m for all reactions is $0.3 \mu\text{M}$. The dissociation rate constant d_{11} is varied to change the K_d of phosphotribbles (trp) for active map kinase kinase (M2KKPP).

$$a_1 \text{ to } a_{12} = 1000 \mu\text{M}^{-1} \cdot \text{min}^{-1}$$

$$d_1 \text{ to } d_{12} = 150 \text{ min}^{-1}$$

$$k_1 \text{ to } k_{12} = 150 \text{ min}^{-1}$$

all initial concentrations were set to zero with the exception of the following

Input signal parameters:-

$e_0 = 2 \text{ pM}$	basal level of E1 activity
$e_e = \text{varied from } 1 \text{ pM to } 1 \text{ mM}$	maximal E1 activity
$t_1 = 210 \text{ min}$	start for the activation signal
$t_2 = 220 \text{ min}$	– by which time the system reaches steady state
$e_2 = 0.3 \text{ nM}$	end of activation signal

Pathway component concentrations

$$m_{3k}(t=0) = 3 \text{ nM}$$

$$m_{2k}(t=0) = 1.2 \text{ } \mu\text{M}$$

$$m_k(t=0) = 1.2 \text{ } \mu\text{M}$$

$$m_{2kpa}(t=0) = 0.3 \text{ nM}$$

$$m_{kpa}(t=0) = 0.6 \text{ } \mu\text{M} \text{ – based on comparison between model and data in figure 6B}$$

$$tr(t=0) = 1\text{-}2 \text{ } \mu\text{M} \text{ or varied over a wide range as described in the results section}$$

the values for the component concentrations are taken from the literature.