Supplementary Information

Spotted phenotypes in horses lost attractiveness in the Middle Ages

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Appendix S1

Estimating selection by simulations coupled with Markov Chain Monte Carlo

The model

Our goal is to estimate a set of selection coefficients (nine coefficients in a single gene/single phenotype system) plus the initial allele frequency, or alternately the age of the allele (see below). Other unknown quantities, as effective population sizes (N_e), generation time and time to the start of the growth are relevant for the model but could not be reliably estimated so they can be considered noise variables. The empirical data, constituted by a set of allele frequencies and sample times are typically known quantities but they can also have some uncertainty. For simplicity, we'll start omitting the noise variables. In the Bayesian framework our specific goal is to approach the posterior probability density function (pdf) of the parameters of interest (hence termed θ) conditional to the empirical data (hence termed x):

$f(\theta|x) = cf(x|\theta)\pi(\theta)$

where *c* is a constant and $\pi(\theta)$ is the joint prior of the parameters. The main challenge is to estimate the likelihood, $f(x|\theta)$, because the relationship between *x* and θ involves an allele frequencies path, *P*, which is unobserved and high dimensional (infinite-dimensional if the time is continuous, or *n*-dimensional if the timeframe has *n* discrete generations)^{1,2}. This estimation has to be performed by marginalizing the likelihood by integrating upon all the possible paths;

$$f(x|\theta) = \int_{P} f(x|P)f(P|\theta)$$
(1)

This is problematic because involves solving partial differential equations or finding the joint distribution of allele frequency paths numerically¹. The strategies that have been employed for addressing this problem include a continuous diffusion approximation², a birth-death type Markov chain³, an analytic solution by the spectral representation of the transition density⁴, and a path augmentation method¹.

Our approach sought a solution based on simulations due to the potential of simulations to deal with the complexity provided by the interaction among genes. Our approach exploited the fact that the two multiplicands in equation (1) can be estimated rather easily but in different ways, despite the intricacies of their joint integration. The first term could be calculated analytically because the empirical data consist of a series of binomial draws that are independent, so:

$$f(x|P) = \prod_{i=1}^{m} {n_i \choose k_i} p_{t_i}^{k_i} (1 - p_{t_i})^{n_i - k_i}$$
(2)

where *m* is the number of samples, n_i and k_i are the sizes and count of mutant alleles in the *i*-th sample respectively, and p_{t_i} the population allele frequency in the generation in which the *i*-th sample was taken. Let's recall that an allele frequencies path is a series of frequencies $P = \{p_0, p_1, \dots, p_{t_i}, \dots, p_{t_m}\}$. The second term in eq. (1), is the probability of a path given parameters, $f(P|\theta)$, and its integration can be solved using different strategies (e.g. ¹⁻⁵), but also explicit simulations. The most notable advantage of the simulations relies in their capacity to accommodate different sources of complexity, not only those related with intra- or inter-gene relationships (e.g. dominance or epistasis) but virtually any source of complexity, as long as it can be computer-simulated.

The novelty of our approach consists in integrating the likelihood $f(x|\theta)$ in a hybrid method that mixes the analytical calculation of f(x|P) by means of (2) and the sampling of allele frequency paths from its distribution, $f(P|\theta)$, by means of simulation. The key point is that it can be done by a MCMC in which chains accept the proposal states on the basis of the incomplete likelihood provided by f(x|P) (calculated with eq. (2)) and the prior probabilities, because the remaining part of the likelihood is implicitly incorporated when the simulation of allele frequency paths are generated according with their probability. Here we have the strong assumption that the algorithm generates the allele frequency paths from $f(P|\theta)$, which is a reasonable assumption in our case (as we employed probed Wright-Fisher algorithms) but it would need assurance in other systems. Furthermore, the coupling with the prior distributions can be done at once by simulating the paths with parameter values that have been sampled from the prior distributions in order to directly obtain a sample from $f(\theta|x)$:

$$f(\theta|x) = \int_{P} f(x|P)f(P|\theta)\pi(\theta)$$

This method showed a notable capacity to deal with the complexities of our inferential problem. In contrast, other available methods can't deal with complicated relationships between genotypes and phenotypes, as they assign selection coefficients directly to the genotypes. From the many methods available to estimate selection from time series of genetic data, only two^{3,4} are able to deal with dominance/recessive relationships between alleles but none is able to deal with epistatic relationships among genes. It looks also unlikely that the methods described in ¹⁻⁵ can deal with uncertainty in samples ages which is relevant because it makes the order of the samples uncertain and with them the observed frequencies in time. Another option for inferring selection from time series of allele frequencies consist in using approximate Bayesian computation. It has the same (if not a larger) potential to deal with all the interactions and uncertainties, but it is computationally more demanding and probed incapable for the inference of our system due to the number of parameters.

Noise variables

The simulated part of our model can incorporate necessary parameters for which there is neither available knowledge nor sufficient power in the data to estimate them. So the procedures include them as well as their priors and marginalize the target posterior by integrating over their ranges. The parameters that we treated in this way were the effective population sizes and the generation time:

$$f(\theta|x) = \iiint_{PN_eg} f(x|P)f(P|\theta, N_e, g)\pi(\theta, N_e, g) \,\partial P \partial N_e \partial g$$

The simulations sample their values from their prior distributions before inserting them in the simulations. It is important to notice that for each new noise variable, the number of simulations should be increased in the same way as if the number of parameters were increased.

Algorithm

We implemented this algorithm in our problem of estimating selection coefficients for nine periods in a sample of 201 horses spread between the Late Pleistocene and medieval times. The algorithm has the next steps:

- 1. Define the proper parameters, priors and noise variables. Also define, a model and create a program for the simulation of paths of allele frequencies.
- 2. Sample a set of parameters θ_0 from their prior distribution $\pi(\theta)$.
- 3. Simulate an allele frequency path, P_i , using Wright-Fisher explicit simulations with the desired level of complexity and employing the values of θ_i obtained in the previous step.
- 4. Calculate analytically the partial likelihood of the *i*-th simulation $L_i = f(x|P_i)\pi(\theta_i)$.
- 5. Use an appropriate kernel for proposing a new set θ_{i+1} .
- 6. Simulate an allele frequency path, P_{i+1} , using Wright-Fisher explicit simulations with the desired level of complexity and employing the values of θ_{i+1} obtained in the previous step.
- 7. Calculate analytically the partial likelihood $L_{i+1} = f(x|P_{i+1})\pi(\theta_{i+1})$.
- 8. Accept or reject $\{P_{i+1}, \theta_{i+1}\}$ with probability $L_{i+1} \cdot L_i^{-1}$ (or with a Metropolis-Hasting or another criterion).
- 9. Go to 2.
- 10. Repeat 1-9 for a sufficiently large number of steps.
- 11. Run several chains and evaluate different transition kernels. Evaluate and optimize as a regular MCMC procedure.

The algorithm is also able to incorporate some of the many refinements developed under the theory of MCMC. One of them, a Gibbs sampler could be particularly useful for highly multivariate problems. In our algorithm the Gibbs sampler updated the chains one parameter at a time.

Initial states and introduction of alleles

The different methods that have been designed for estimating selection by means of time series of allele frequencies have dealt with the initial state of a derived allele (the one under selection) in two alternate ways: (*i*) the derived allele exist since the beginning of the timeframe of interest, requiring the estimation of its initial allele frequency; or (*ii*) considering that the mutant allele must have appeared by mutation at some time, the estimation of the initial allele frequency is substituted by the estimation of age of the allele.

Considering that our simulations are, in general, more computationally demanding than other approaches (e.g. analytic solutions), our method will generally be circumscribed to the sampling timeframe in order to minimize computational demands. For that reason, the default option will be (*i*). However, if the mutant allele is absent from the first sample there could be a non-null probability that the allele appeared by mutation inside the timeframe of the simulations. Opting for (*i*) or (*ii*) could be solved by performing a Bayesian model comparison between those models. However, it is possible to implement a MCMC that can jump between models in the same way that it jumps between parametric states. This has been done in phylogenetic inference for choosing models of molecular evolution on-the- go^6 .

In our case, the oldest sampling of the derived allele was always much younger than the oldest sample, requiring this hybrid approach.

Programing

We created three versions of the algorithm: one for one-gene-systems, one for basic colours (programing the interactions between the genes ASIP and MC1R) and one with all the eight genes and their interactions. Our program consisted in:

- 1. Reading data and operators for the MCMC;
- 2. Performing the simulations, each one consisting in:
 - Nested cycles for: aborting ill-conceived simulations (e.g. when alleles got prematurely extinct); cycling for parameters optimization (Gibbs sampler); and cycling for simulation of each gene's path;
 - b. Sampling ages and values of parameters from priors or jumps of the MCMC chain. Update of the likelihood;
 - c. Likelihood of the initial sample and posterior samples (inside the generations cycling);
 - Cycling of generations, including sections for introduction of alleles, definition of new selection coefficients at the corresponding generations, and update of the likelihoods (concerning selection coefficients);
 - e. Change of generation from binomial sampling coupled with adjustments for selection. The later ones involved calculation of allele frequencies, genotypic frequencies, augmentation by selection, sampling of the next generation and re-calculation of allele frequencies;
 - f. Instructions for the MCMC (acceptance-rejection of new state and update of the chain).
- 3. Organization and saving of results.

The algorithm was programed in Microsoft Visual Studio 2015 and the Intel Parallel Studio 2013, employing the language Fortran 90. The specifics of the sampling and changes of generation followed^{7,8}.

Bottom line

Our method has several innovative steps but in its general form is analogue to the estimation of

demographic parameters by coalescent approaches⁹. It has been successfully tested in a simpler system, and showed more accurate than approximate Bayesian computation while being significantly more efficient (see Figure S7 & ¹⁰). Such features could make this technique a useful complement of available methods not only for inferring selection but in other types of inference, especially in those in which complexity precludes the use of other approaches.



Figure S1: Allele frequencies over time of derived, non-wild-type alleles that are associated with a specific coat color phenotype.



Figure S2. Grouping of samples for the temporal test of allele frequencies. Only the samples inside boxes were included in the test. Notice that the temporal scale changes and is discontinuous for the Pleistocene.



Figure S3: Time trajectories of the allele frequencies in eight genes involved in horse coat color. The frequencies correspond to the derived allele. The codes for the nine time periods indicated at the bottom and with different colors in the background correspond to: Ple=Pleistocene; MNe=Mesolithic-Neolithic; CoA=Copper Age; EBA=Early Bronze Age; MBE=Middle Bronze Age; LBA=Late Bronze Age; EIA=Early Iron Age; IrA=Iron Age; and Med=Medieval (see details in the main text). The time frame ranges from 12.5 ky BP to present (from left to right); most of Pleistocene was omitted for visualization purposes. Each line corresponds to one simulation and the color black corresponds to the initial simulation, the red to simulations of the burnin stage of the MCMC, and blue to simulations employed for the inference.

Dilutions

Basic color



Figure S4. Relationships among phenotypes and genotypes associated to two dilution genes and two basic colors genes. The arrows mean that a dilution gene can only be expressed in the specific color the arrow are directed to (notice that, for instance, cream heterozygotes, C/cr, cannot be expressed in black horses, ASIP a/a). The t-shape ending of the lines mean that the indicated phenotypes are dominant-repressed by the genotype they come from. The genes that doesn't appear in the figure, KIT13-Tobiano, KIT16-Sabino, MATP-Pearl and TRPM1-LP present phenotypes equivalent regardless the basic color and only present relationships of dominance between alleles of the same gene.



Figure S5. Violin plots of selection coefficients and paths of allele frequencies when the Medieval period was split. The upper panels represent the violin plots of the selection coefficients in the periods Med1 and Med2 (early and late Medieval respectively). The lower panels show the path of allele frequencies; the vertical dotted line divides the Med1 and Med2 periods. A, B, C are for the loci TRPM1-LP (leopard), KIT13-Tobiano and KIT16-Sabino respectively. Unexpectedly, the split not always translated in the later medieval period having a negative selection coefficient (as in C), but in all cases the result was a strong depletion of the derived (spotting) allele due to negative selection.



Figure S6. Violin plots of the posterior distributions of parameters (left) and allele frequencies paths (right) as inferred by three types of analyses. (A) The analysis considering a demographic growth starting around the time of the onset of domestication; (B) the analysis with a constant effective population size from the Pleistocene to the Medieval period; (C) the analyses in which g, Ne1, Ne2 and the time of the start of the growth were treated as parameters instead of noise variables.



Figure S7. Comparison between the simulation-MCMC and approximate Bayesian computation (ABC). This figure was modified from ¹⁰ in a study with many similarities of our own, including the analysis, by means of ancient DNA, of a derived mutation presumably favored by artificial selection in horses. However, the analysis only attained a single period resulting in a much lower dimensionality. (A) Shows the posterior probability distribution of the selection coefficient with ABC and with the simulation-MCMC. (B) shows the number of simulations required for the inference. (C) and (D) show the inferred allele frequency paths obtained by ABC and the simulation-MCMC respectively. The colors in (D) represent the progression of the MCMC showing the initial steps of the chain in red and the latest in blue.

Table S1: Sample information and genotyping results for all successfully typed horses.

		Sample		Age		Location	Excavation	Wild/		Phenotype						Genotype				
			Stratigraphic date		14C date			Domestic	Basic	Pattern	Dilution	ASIP	EDNRB	KIT13-Tobiand	KIT16-Sabino	MATP-Cream	MATP-Pearl	MC1R	PMEL17-SI	LV TRPM1-LP
		SP1181A	39.460±400BP			Siberia	Maliy Lyakhoysky Isl.	w	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		SP1181B	Late Pleistocene			Siberia	Bol'shov Lvakhovsky Isl.	w	Bay	-	-	A/A	ov/ov	кмо/кмо	sb1/sb1	C/C	N/A	E/E	z/z	Ip/Ip
		SP1181C	Late Pleistocene			Siberia	Bol'shov Lvakhovsky Isl.	w	Bay	-	-	A/A	ov/ov	кмо/кмо	sb1/sb1	C/C	N/A	E/E	z/z	Ip/Ip
		SP1181E	Late Pleistocene			Siberia	Ovagosskiv Yar, Kondrat'evo R., mouth	w	Bay		-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	Ip/Ip
		SP1181F	Late Pleistocene			Siberia	Kotel'niv Isl Anisiv Cape	w	Bay	-	-	A/A	01/01	KM0/KM0	sb1/sb1	C/C	N/A	E/E	7/7	In/In
		874-9	4000-3000 BC			Siberia	Krasnokamenka	D	Bay			Δ/Δ	01/01	KM0/KM0	sh1/sh1	C/C	Ν/Δ	E/e	7/7	In/In
		874-4	4000-3000 BC			Siberia	Krasnokamenka	D	Bay	Sabino + Leonard	-	A/A	01/01	KM0/KM0	SB1/cb1	C/C	N/A	E/0	2/2	I P/ID
		876-8	4000-3000 BC			Siberia	Krasnokamenka	D	Bay	-		Δ/a	01/01	KM0/KM0	sh1/sh1	C/C	N/A	E/e	2/2	
		874-11	4000-3000 BC			Siberia	Krasnokamenka	D	Chestnut		-	9/9	01/01	KM0/KM0	ch1/ch1	C/C	N/A	0/0	2/2	1p/1p
		874-6	4000-3000 BC			Siberia	Krasnokamenka	D	Bay	Sabino + Leonard	-	A/A	01/01	KM0/KM0	SB1/cb1	C/C	N/A	E/0	2/2	I P/ID
	-	715 625	2600-3000 BC			Kazakhatan	Ratai	0	Bay	Sabino - Leopard		~~~	01/01	KMO/KMO	ob1/sb1	0/0	NVA	/0	2/2	Li /ip
	Asia	715-660	3000-3000 BC		cal 3503-3428 BC	Kazakhetan	Botai	D	Bay		-		01/01	KM0/KM0	sb1/sb1	0/0 C/C	N/A	E	2/2	Ip/Ip
		715-000	2600 2000 PC		cal. 5505-5420 DC	Kazakhatan	Botai	0	Bay	-	-		01/01	KMO/KMO	ab1/ab1	0/0	NVA	-	2/2	ip/ip
		715-700	3600-3000 BC			Kazakhatan	Botai	D	Bay	-	-	A	00/00	KM0/KM0	sb1/sb1	C/C	N/A	E .	2/2	1p/1p
		715-1467	3600-3000 BC			Kazakhstan	Botai	D	Bay	-	-	A	00/00	KM0/KM0	SD 1/SD 1	C/C	N/A	E	2/2	ip/ip
		715-1547	3000-3000 BC			Kazakiistaii	Detai	0	Bay	-	-	A	00/00	KINO/KINO	SD 1/SD 1	0/0	N/A	-	2/2	10/10
		715-2514	2000 2000 00		cal. 3021-3010 BC	Kazakristari	Botal	D	Вау	Leopard	-	A	00/00	KIMU/KIMU	SD 1/SD 1	0/0	N/A	5	2/2	LP/Ip
		715-2661	3600-3000 BC			Kazakristari	Botai	0	Бау		-	A	00/00		SD 1/SD 1	0/0	N/A	E	2/2	ip/ip
		/15-494			cal. 3620-3611 BC	Kazakhstan	Botal	D	вау	Leopard	-	A	01/01	KM0/KM0	SD1/SD1	0/0	N/A	E	z/z	LP/Ip
		715-705			cal. 3654-3630 BC	Kazakhstan	Bota	D	Bay	lobiano	-	A	ov/ov	KM1/KM0	sb1/sb1	C/C	N/A	E	z/z	lp/lp
		715-1496			cal. 3644-3619 BC	Kazakhstan	Botai	D	вау	-	-	A	01/01	KM0/KM0	SD1/SD1	0/0	N/A	E	z/z	ip/ip
		1427-59			cal. 2920-2878 BC	Siberia	Alexandrovskoe IV	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		BER1	3000 BC			Siberia	Denisova-Pescera	D	Chestnut	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
		PET6	14000-11000 BC			Germany	Peterstels	w	Bay	Leopard	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	LP/lp
8		PET5	14000-11000 BC			Germany	Petersfels	w	Bay	Leopard	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	LP/lp
12		PET3	14000-11000 BC			Germany	Petersfels	w	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
8	.	PET2	14000-11000 BC			Germany	Petersfels	w	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
18		PET1	14000-11000 BC			Germany	Petersfels	w	Bay	Leopard	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	LP/lp
E		KG5	15000-14000 BC			Germany	Kniegrotte	w	Bay	Leopard	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	LP/lp
1 *		KG4	15000-14000 BC			Germany	Kniegrotte	w	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
Ιş		KG3	15000-14000 BC			Germany	Kniegrotte	w	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
l e		KG2	15000-14000 BC			Germany	Kniegrotte	w	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
1 5		KG1	15000-14000 BC			Germany	Kniegrotte	w	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
e		Pie05	4300 BC			Romania	Pietrele	w	Bay OR Black	-	-	N/A	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
≏	2	Pie06	4300 BC			Romania	Pietrele	w	Bay OR Black	Leopard	-	N/A	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	LP/lp
	l e	PIE9	4300 BC			Romania	Pietrele	w	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/e	z/z	lp/lp
	L) E	Spa1			cal. 9390-9210 BC	Ukraine	Span-Koba	w	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
	Asi	VIT4			cal. 4360-4220 BC	Romania	Vitanesti	w	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
) ad	Zeg2		1	5354 – 5285 BC	Poland	Żegotki 5	w	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	N/A
	, in the second se	GRO11	3100-2700 BC			Germany	Großobringen	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E	z/z	lp/lp
		Salz1			cal. 3368-3101 BC	Germany	Salzmünde, SK	D	Bay OR Black	Tobiano	-	N/A	ov/ov	KM1/KM1	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		Wes1	3100-2700 BC			Germany	Westerhausen, HK	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
		Wes2	3100-2700 BC			Germany	Westerhausen, HK	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
		TiS2	3000-2500 BC			Hungary	Tiszalúc-Sarkad	w	Bay OR Black	-	-	N/A	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
		CAS1			cal. 3700-3380 BC	Romania	Cascioarele	w	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		May1	3600-3100 BC			Ukraine	Mayaki	w	Bay OR Black		-	N/A	N/A	KM0/KM0	N/A	N/A	PRL/PRL	E/E	z/z	lp/lp
		MAY3			cal. 3640-3490 BC	Ukraine	Mayaki	w	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		MAY5			cal. 3250-3100 BC	Ukraine	Mayaki	w	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		MAY6			cal. 3520-3330 BC	Ukraine	Mayaki	w	Bay		-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		MAY7			cal. 3520-3380 BC	Ukraine	Mayaki	w	Bay	Leopard	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	LP/lp
		MAY10			cal. 3650-3500 BC	Ukraine	Mayaki	w	Bay	Leopard	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	LP/lp
1		MOL5	3720-3630 BC			Ukraine	Molyukhov Bugor	w	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		44	5500-4950 BC			Spain	Atxoste	W	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		3	5200-4900 BC			Spain	Cueva Fosca -Valencia-Cartellon	w	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
	ria	31			cal. 5210-4910 BC	Spain	Cueva Fosca -Valencia-Cartellon	w	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
1	<u>pe</u>	32			cal. 5220-4980 BC	Spain	Cueva Fosca -Valencia-Cartellon	w	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
1		34	5220-4900 BC			Spain	Cueva Fosca -Valencia-Cartellon	w	Bay	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
1		37			cal. 5210-4910 BC	Spain	Cueva Fosca -Valencia-Cartellon	w	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp

Table S1: continued.

		Sample		Age		Location	Excavation	Wild/		Phenotype						Genotype				
		270-71			cal. 2031-1905 BC	Siberia	Kulivchi III	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E	z/z	α/α
		270-88	2200-1700 BC			Siberia	Kulivchi III	D	Bay	-	-	Α	ov/ov	кмо/кмо	sb1/sb1	C/C	N/A	E	z/z	Ιρ/Ιρ
	æ	838-42	2200-1700 BC			Siberia	Sintashta	D	Bay	-	-	A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E	z/z	Ip/Ip
	Asi	838-45	2200-1700 BC			Siberia	Sintashta	D	Bay	-	-	Α	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E	z/z	Ip/Ip
		838-64			cal 2121-2095 BC	Siberia	Sintashta	D	Bay	-	-	Α	01/01	KM0/KM0	sb1/sb1	C/C	N/A	F	7/7	In/In
		838-66	2200-1700 BC			Siberia	Sintashta		Black	-	-	a/a	01/01	KM0/KM0	sb1/sb1	C/C	N/A	F	7/7	/p//p
		KAN21	2700-2200 BC			Turkey	Kirklareli-Kanligecit	D	Black	Leopard	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	LP/Ip
		KAN22	2700-2200 BC			Turkey	Kirklareli-Kanligecit	D	Black	-	-	a/a	01/01	KM0/KM0	sb1/sb1	C/C	N/A	E/E	7/7	In/In
		KAN26	2700-2200 BC			Turkey	Kirklareli-Kanligecit		Bay	Leopard	-	A/a	01/01	KM0/KM0	sb1/sb1	C/C	N/A	E/E	7/7	I P/Ip
		KAN27	2700-2200 BC			Turkey	Kirklareli-Kanligecit	D	Black	Leopard	-	a/a	01/01	KM0/KM0	sb1/sb1	C/C	N/A	E/E	7/7	I P/Ip
		KAN28	2700-2200 BC			Turkey	Kirklareli-Kanligecit		Bay	Leopard	-	a/a	01/01	KM0/KM0	sb1/sb1	C/C	N/A	E/E	7/7	I P/L P
<u>∠</u>		KAN29	2700-2200 BC			Turkey	Kirklareli-Kanligecit	D	Black	Leopard	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	LP/Ip
ear	-	KAN30	2700-2200 BC			Turkey	Kirklareli-Kanligecit	D	Bay	-	-	A/A	01/01	KM0/KM0	sb1/sb1	C/C	N/A	E/E	7/7	In/In
8	a)	KAN31	2700-2200 BC			Turkey	Kirklareli-Kanligecit		Black	-	-	a/a	01/01	KM0/KM0	sb1/sb1	C/C	N/A	E/E	7/7	/p//p
₹	Ē	KAN32	2700-2200 BC			Turkey	Kirklareli-Kanligecit	D	Bay	Leopard	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	LP/Ip
Ž	sia	KAN33	2700-2200 BC			Turkey	Kirklareli-Kanligecit	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
۱ ä	ala a	Lor1			cal. 1950-1750 BC	Georgia	Lori-Berd	D	Bav	-	-	A/A	ov/ov	КМ0/КМ0	sb1/sb1	C/C	N/A	E/E	z/z	
	ğ	Svi6	2200-1600 BC			Germany	Schloßvippach (Fpl, 51)	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	Ip/Ip
	Щ	Alb2	2200-1600 BC			Hungary	Albertfalva	D	Bay	Leopard	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/e	z/z	LP/Ip
		TiD2	2200-1600 BC			Hungary	Tiszalúc-Dankadomb	D	Bay OR Black	-	-	N/A	ov/ov	кмо/кмо	sb1/sb1	C/C	PRL/PRL	E/E	z/z	Ip/Ip
		Bru4	2200-1600 BC			Poland	Bruszczewo Fpl. 5	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	Ip/Ip
		MKo1	2200-1600 BC			Slovakia	Malé Kosihy	D	Chestnut		-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
		MKo2	2200-1600 BC			Slovakia	Malé Kosihy	D	Bav	-	-	A/A	ov/ov	КМ0/КМ0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	
		NHr2	2200-1600 BC			Slovakia	Nitriansky Hrádok	D	Bay OR Black		-	N/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		Vra2	2200-1600 BC			Slovakia	Vrable	D	Bay		-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/e	z/z	lp/lp
	-	CdY2			cal. 2861-2496 BC	Spain	Camino de las Yesereas	D	Black	-	-	a/a	N/A	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
	eria	Zam09	2600-2200 BC			Portugal	Zambujal	D	Bay		-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
	8	Zam10	2600-2200 BC			Portugal	Zambujal	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
		TAR1	1600-1200 BC			Siberia	Tartas1	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		TAR2			Cal. 1609-1436 BC	Siberia	Tartas1	D	Chestnut	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
		TAR4	1600-1200 BC			Siberia	Tartas1	D	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	N/A	N/A	E/E	z/z	lp/lp
		TAR5	1600-1200 BC			Siberia	Tartas1	D	Bay	Sabino	-	A/A	ov/ov	KM0/KM0	SB1/sb1	C/C	N/A	E/e	z/z	lp/lp
		TAR7	1600-1200 BC			Siberia	Tartas1	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		TAR8	1600-1200 BC			Siberia	Tartas1	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
	.0	TAR10	1600-1200 BC			Siberia	Tartas1	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
	As	TAR11			cal. 1231-1044 BC	Siberia	Tartas1	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/e	z/z	lp/lp
		CIC1	1400-1300 BC			Siberia	Cica	w	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		CIC2	1400-1300 BC			Siberia	Cica	w	Bay	Leopard	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	LPЛр
		CIC3	1400-1300 BC			Siberia	Cica	w	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		CIC4	1400-1300 BC			Siberia	Cica	D	Chestnut	Tobiano	-	A/a	ov/ov	KM1/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
e l		CIC6	1400-1300 BC			Siberia	Cica	D	Chestnut	Tobiano	-	A/a	ov/ov	KM1/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
1 # 1		CIC8	1400-1300 BC			Siberia	Cica	D	Bay	Sabino	-	A/A	ov/ov	KM0/KM0	SB1/sb1	C/C	N/A	E/E	z/z	lp/lp
IĒΓ		Shi1			cal. 895-795 BC	Armenia	Shirakavan	D	Chestnut	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
8		Mic1	1500-1000 BC			Moldova	Miciurin	D	Bay	Tobiano	-	A/a	ov/ov	KM1/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		Mic2	1500-1000 BC			Moldova	Miciurin	D	Chestnut	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
8	(j	Mic3	1500-1000 BC			Moldova	Miciurin	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
<u> </u>	į	Mic4	1500-1000 BC			Moldova	Miciurin	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
	sia(Mic5	1500-1000 BC			Moldova	Miciurin	D	Bay	Sabino	-	A/a	ov/ov	KM0/KM0	SB1/sb1	C/C	N/A	E/e	z/z	lp/lp
	e/A:	Gar2	1500-1000 BC			Romania	Garbovat	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/e	z/z	lp/lp
	5	Gar3	1500-1000 BC			Romania	Garbovat	D	Bay		-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
	E	Gar4	1500-1000 BC			Romania	Garbovat	D	Bay		-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		Lch-1			cal. 1410-1250 BC	Armenia	Lchashen	D	Chestnut	Sabino	-	N/A	ov/ov	KM0/KM0	SB1/sb1	C/C	N/A	e/e	z/z	lp/lp
		DuK2	1600-1300 BC			Hungary	Dunaújváros-Koszider	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
		TP4	1300-900 BC			Georgia	Tachti Perda	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	N/A	PRL/PRL	E/e	z/z	lp/lp
		39	2200-800 BC			Spain	El Acequion	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
	<u>a</u> .	40	2200-800 BC			Spain	El Acequion	P	Bay		-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
	ber	22	1350 BC			Spain	Cueva Rubia-Valmayor/Madrid	P	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	N/A	N/A	E/E	z/z	lp/lp
	-	24	1350 BC			Spain	Cueva Rubia-Valmayor/Madrid	P	Bay		-	A/a	ov/ov	KM0/KM0	sb1/sb1	N/A	N/A	E/e	z/z	lp/lp
		25	1350 BC			Spain	Cueva Rubia-Valmayor/Madrid	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	N/A	N/A	E/E	z/z	lp/lp

Table S1: continued.

		Sample	Age		Location	Excavation	Wild/ Domestic		Phenotype						Genotype				
-		BER2	900 BC		Siberia	Om-1	D	Bay	-		A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/e		lp/lp
		OKG1	400-300 BC		Mongolia	Olon-Kurin-Gol 10	D	Chestnut	-	-	A/a	ov/ov	кмо/кмо	sb1/sb1	C/C	N/A	e/e	z/z	Ip/Ip
		OKG2	400-300 BC		Mongolia	Olon-Kurin-Gol 10	D	Bay	Tobiano	-	A/a	ov/ov	KM1/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		OKG3	400-300 BC		Mongolia	Olon-Kurin-Gol 10	D	Bay	-	Cream	A/a	ov/ov	KM0/KM0	sb1/sb1	C/cr	N/A	E/e	z/z	lp/lp
		Bars1A	370-150 BC		Siberia	Barsucij Log	D	Bay	Tobiano	-	A/a	ov/ov	KM1/KM0	sb1/sb1	C/C	N/A	E/e	z/z	lp/lp
		Bars1B	400-200 BC		Siberia	Barsucij Log	D	Bay	Tobiano	-	A/a	ov/ov	KM1/KM0	sb1/sb1	C/C	N/A	E/e	z/z	lp/lp
		ARZ1-2	800 BC		Sibiria	Arzan1	D	Chestnut	Leopard	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	e/e	z/z	LP/Ip
		ARZ1-3	800 BC		Sibiria	Arzan1	D	Black	-	Silver	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/e	Z/z	lp/lp
		ARZ2-1	619-608 BC		Sibiria	Arzan2	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	Ip/Ip
		ARZ2-2	619-608 BC		Sibiria	Arzan2	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/e	z/z	lp/lp
		ARZ2-3	619-608 BC		Sibiria	Arzan2	D	Chestnut	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
	.e	ARZ2-5	619-608 BC		Sibiria	Arzan2	D	Chestnut	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
	As As	ARZ2-6	619-608 BC		Sibiria	Arzan2	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/e	z/z	lp/lp
		ARZ2-7	619-608 BC		Sibiria	Arzan2	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/e	z/z	lp/lp
ge		ARZ2-8	619-608 BC		Sibiria	Arzan2	D	Bay	-	Cream	A/a	ov/ov	KM0/KM0	sb1/sb1	C/cr	N/A	E/e	z/z	lp/lp
≾		ARZ2-9	619-608 BC		Sibiria	Arzan2	D	Bay	-	Cream	A/a	ov/ov	KM0/KM0	sb1/sb1	C/cr	N/A	E/e	z/z	lp/lp
l 5		ARZ2-10	619-608 BC		Sibiria	Arzan2	D	Chestnut	Tobiano	-	A/a	ov/ov	KM1/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
		ARZ2-12	619-608 BC		Sibiria	Arzan2	D	Chestnut	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
		ARZ2-13	619-608 BC		Sibiria	Arzan2	D	Chestnut	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp
		ARZ2-14	619-608 BC		Sibiria	Arzan2	D	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/e	z/z	lp/lp
		Fen1		cal. 905-800 BC	China	Fengtai	D	Bay	Tobiano	-	A/A	ov/ov	KM1/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		Fen2	1000-800 BC		China	Fengtai	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/e	z/z	lp/lp
		Fen3	1000-800 BC		China	Fengtai	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		Fen4	1000-800 BC		China	Fengtai	D	Bay	-	-	A/A	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		Ois1	900 BC - 300 AD		Belgium	Object'ifs sud	D	Bay	-	-	A/A	N/A	KM0/KM0	N/A	N/A	PRL/PRL	E/E	N/A	lp/lp
		Rid1	800-600 BC		Estonia	Ridala (Saaremaa Island)	D	Chestnut	Tobiano	-	a/a	N/A	KM1/KM0	N/A	N/A	PRL/PRL	e/e	N/A	lp/lp
	Europe/	Rid2	800-600 BC		Estonia	Ridala (Saaremaa Island)	D	Chestnut	Tobiano	-	a/a	N/A	KM1/KM0	N/A	N/A	PRL/PRL	e/e	N/A	lp/lp
	A3ia(iiiiii0i)	P108		2490 ± 70 BP	Denmark	Køge Bugt udfor Solrød	D	Chestnut	Tobiano	-	N/A	N/A	KM1/KM0	N/A	N/A	PRL/PRL	e/e	N/A	lp/lp
		P098	1-400 AD		Denmark	Hornborg	D	Bay OR Black	Leopard	-	N/A	N/A	KM0/KM0	N/A	C/C	PRL/PRL	E/e	N/A	LPЛр
	Beerle	Vil1	550-425 BC		Spain	Vilaris	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
	Iberia	4	800 BC-6 AD		Spain	Soto de Medinilla -Valladolid	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
		P082	1000-1300 AD		Denmark	Viborg Søndersø	D	Chestnut	-	-	A/a	N/A	KM0/KM0	N/A	N/A	PRL/PRL	e/e	N/A	lp/lp
		Ote2	600-1300 AD		Estonia	Otepää	D	Chestnut	-	-	A/a	N/A	KM0/KM0	N/A	C/C	PRL/PRL	e/e	N/A	lp/lp
		Saa1	600-1100 AD		Estonia	Saadjärve	D	Bay	Tobiano	-	A/A	N/A	KM1/KM0	N/A	N/A	PRL/PRL	E/e	N/A	lp/lp
		Soo1	900-1300 AD		Estonia	Soontagana	D	Chestnut	-	-	A/a	N/A	KM0/KM0	N/A	N/A	PRL/PRL	e/e	N/A	lp/lp
		Dee47	400-600 AD (Migration period)		Germany	Deersheim	D	Bay	-	(Pearl)	A/a	N/A	KM0/KM0	sb1/sb1	C/C	PRL/prl	E/e	z/z	lp/lp
		Que40	400-600 AD (Migration period)		Germany	Quedlinburg	D	Chestnut	Tobiano	-	N/A	N/A	KM1/KM0	sb1/sb1	C/C	PRL/PRL	e/e	z/z	lp/lp
		Rat13	400-600 AD (Migration period)		Germany	Rathewitz	D	Black	-	-	a/a	N/A	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
		Zor3	400-600 AD (Migration period)		Germany	Zorbau	D	Chestnut	-	-	a/a	N/A	KM0/KM0	N/A	C/C	PRL/PRL	e/e	z/z	lp/lp
		Zwe2	400-600 AD (Migration period)		Germany	Zwebendorf	D	Chestnut	-	-	a/a	N/A	N/A	sb1/sb1	C/C	PRL/PRL	e/e	z/z	lp/lp
		FoEq001	850-1050 AD		Iceland	Hrossbrein frá Garðsá 15223.	D	Bay	-	-	A/a	N/A	N/A	sb1/sb1	C/C	N/A	E/E	z/z	lp/lp
	-	FoEq002	850-1050 AD		Iceland	Hrossbrein frá Garðsá 15223.	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/e	z/z	lp/lp
	<u>.</u>	FoEq003	850-1050 AD		Iceland	Hrossbrein frá Garðsá 15223.	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/e	z/z	lp/lp
Zal V	L E	FoEq008	850-1050 AD		Iceland	Hrossabein frá Hrollaugsstöðum 15227.	D	Bay	-	Cream	A/a	ov/ov	KM0/KM0	sb1/sb1	C/cr	PRL/PRL	E/E	z/z	lp/lp
die	Asi	FoEq009	850-1050 AD		Iceland	5856	D	Chestnut	-	-	N/A	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	e/e	z/z	lp/lp
ž) ad	FoEq023	850-1050 AD		Iceland	6419 b. Granagil.	D	Chestnut	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	e/e	z/z	lp/lp
	<u> </u>	FoEq025	850-1050 AD		Iceland	6948 Núpar hjá Laxamýri.	D	Chestnut	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	e/e	z/z	lp/lp
	<u> </u>	FoEq033	850-1050 AD		Iceland	Kolsholt 11.10.1958, 1958:117	D	Chestnut	-	(Silver)	A/A	N/A	KM0/KM0	sb1/sb1	C/C	PRL/PRL	e/e	Z/z	lp/lp
		FoEq034	850-1050 AD		Iceland	Kolsholt 11.10.1958, 1958:117	D	Chestnut	-	(Silver)	N/A	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	e/e	Z/z	lp/lp
		FoEq042	850-1050 AD		Iceland	Hrossbein. Ytra-Garðshorn. 22.8.1958	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
		FoEq044	850-1050 AD		Iceland	Hrossbein. Ytra-Garðshorn. 22.8.1958	D	Chestnut	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	e/e	z/z	lp/lp
		FoEq047	850-1050 AD		Iceland	Hrossbein. Ytra-Garðshorn. 22.8.1958	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/e	z/z	lp/lp
		FoEq052	850-1050 AD		Iceland	Brandsstaðir í Blönduhlíð 1967-81.	D	Chestnut	-	-	N/A	N/A	N/A	N/A	C/C	PRL/PRL	e/e	z/z	lp/lp
		FoEq060	850-1050 AD		Iceland	11338A Hemla	D	Chestnut	-	-	N/A	N/A	N/A	N/A	N/A	PRL/PRL	e/e	z/z	lp/lp
		FoEq065	850-1050 AD		Iceland	11338A Hemla	D	Chestnut	-	-	N/A	N/A	N/A	sb1/sb1	N/A	N/A	e/e	z/z	lp/lp
		FoEq066	850-1050 AD		Iceland	Mörk #15 Landmannahreppur	D	Chestnut	-	-	N/A	N/A	N/A	N/A	N/A	PRL/PRL	e/e	z/z	lp/lp
		FoEq068	850-1050 AD		Iceland	Ytri-Neslönd 1960-46	D	Black	-	-	a/a	N/A	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/e	z/z	lp/lp
		FoEq071	850-1050 AD		Iceland	Eyrarteigur 1995-358 (Þórisárkuml)	D	Chestnut	-	-	N/A	N/A	N/A	sb1/sb1	N/A	PRL/PRL	e/e	z/z	lp/lp

Table S1: continued.

		Sample	Age	Location	Excavation	Wild/ Domestic		Phenotype						Genotype				
		FoEq077	850-1050 AD	lceland	Miðsandfell 1982-57	D	Bay OR Black	-	-	A/a	N/A	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/e	z/z	lp/lp
		Seb037	700-800 AD	Slovakia	Sebastovce	D	Black	-	(Pearl)	a/a	N/A	KM0/KM0	sb1/sb1	C/C	PRL/prl	E/e	z/z	lp/lp
		Seb048	700-800 AD	Slovakia	Sebastovce	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/e	z/z	lp/lp
		Seb052	700-800 AD	Slovakia	Sebastovce	D	Bay	Tobiano + Leopard	-	A/a	ov/ov	KM1/KM0	sb1/sb1	C/C	PRL/PRL	E/e	z/z	LP/lp
		Seb058	700-800 AD	Slovakia	Sebastovce	D	Bay	Tobiano	-	A/a	ov/ov	KM1/KM0	sb1/sb1	C/C	PRL/PRL	E/e	z/z	lp/lp
		Seb067	700-800 AD	Slovakia	Sebastovce	D	Bay OR Black	-	-	N/A	N/A	N/A	sb1/sb1	C/C	PRL/PRL	E/E	z/z	lp/lp
		Seb080	700-800 AD	Slovakia	Sebastovce	D	Chestnut	Leopard	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	e/e	z/z	LP/lp
		Seb093	700-800 AD	Slovakia	Sebastovce	D	Black	-	-	a/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/e	z/z	lp/lp
		Seb094	700-800 AD	Slovakia	Sebastovce	D	Chestnut	-	-	A/a	N/A	N/A	sb1/sb1	C/C	PRL/PRL	e/e	z/z	lp/lp
	÷	Seb099	700-800 AD	Slovakia	Sebastovce	D	Bay	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/e	z/z	lp/lp
	inoi	Seb131	700-800 AD	Slovakia	Sebastovce	D	Chestnut	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	e/e	z/z	lp/lp
	a (m	Seb161	700-800 AD	Slovakia	Sebastovce	D	Chestnut	-	-	A/a	ov/ov	KM0/KM0	sb1/sb1	C/C	PRL/PRL	e/e	z/z	lp/lp
val	Asia	Seb230	700-800 AD	Slovakia	Sebastovce	D	Chestnut	-	-	a/a	N/A	KM0/KM0	sb1/sb1	C/C	PRL/PRL	e/e	z/z	lp/lp
die	/ed	Seb233	700-800 AD	Slovakia	Sebastovce	D	Chestnut	-	-	A/a	N/A	N/A	sb1/sb1	C/C	PRL/PRL	e/e	z/z	lp/lp
Me	uro	Seb238	700-800 AD	Slovakia	Sebastovce	D	Black	-	Silver	a/a	N/A	KM0/KM0	sb1/sb1	C/C	PRL/PRL	E/E	Z/z	lp/lp
	ш	Upps01	600-800 AD	Sweden	Uppsala	D	Bay	-	-	A/a	N/A	KM0/KM0	sb1/sb1	N/A	PRL/PRL	E/E	z/z	lp/lp
		Upps02	600-800 AD	Sweden	Uppsala	D	Bay OR Chestnut	Leopard	-	A/A	N/A	KM0/KM0	sb1/sb1	N/A	PRL/PRL	N/A	z/z	LP/lp
		Upps03	600-800 AD	Sweden	Uppsala	D	Chestnut	-	-	a/a	N/A	KM0/KM0	sb1/sb1	N/A	PRL/PRL	e/e	z/z	lp/lp
		Upps04	680-890 AD	Sweden	Uppsala	D	Bay	-	-	A/A	N/A	KM0/KM0	sb1/sb1	N/A	PRL/PRL	E/E	z/z	lp/lp
		Upps05	1000-1150 AD	Sweden	Uppsala	D	Chestnut	-	-	A/a	N/A	KM0/KM0	sb1/sb1	N/A	PRL/PRL	e/e	z/z	lp/lp
		Upps06	800-1000 AD	Sweden	Uppsala	D	Bay	-	-	A/A	N/A	KM0/KM0	sb1/sb1	N/A	PRL/PRL	E/E	z/z	lp/lp
		Upps07	870-1160 AD	Sweden	Uppsala	D	Chestnut	-	-	a/a	N/A	KM0/KM0	sb1/sb1	N/A	PRL/PRL	e/e	z/z	lp/lp
		Upps08	1000-1200 AD	Sweden	Uppsala	D	Bay	-	-	A/a	N/A	KM0/KM0	sb1/sb1	N/A	PRL/PRL	E/e	z/z	lp/lp
		Upps09	800-900 AD	Sweden	Uppsala	D	Black	-	-	a/a	N/A	KM0/KM0	sb1/sb1	N/A	PRL/PRL	E/E	z/z	lp/lp
		Upps10	800-1050 AD	Sweden	Uppsala	D	Black	-	-	a/a	N/A	KM0/KM0	sb1/sb1	N/A	PRL/PRL	E/e	z/z	lp/lp
	Iberia	Buz1	500-600 AD	Spain	Buzanca 2 (Madrid)	D	Bay	-	(Pearl)	A/A	N/A	KM0/KM0	sb1/sb1	C/C	PRL/prl	E/e	z/z	lp/lp
	iseriu	29	cal. 660-780 AD	Spain	Mucientes-Valladolid	D	Chestnut	-	-	a/a	N/A	KM0/KM0	sb1/sb1	C/C	N/A	e/e	z/z	lp/lp

Locus/ Gene	Primer name	Primer sequence 5'-3'	Primer length	Accession number
KIT	Pa-KIT-13_F	CGTCATGACTCATTCGTGAGAA	22	AY048669
	Pa-KIT-13_R	GCTCTGAAGGTAACAAGCAACTAA	24	
KIT	Pa-KIT-16_F	TTTAAATGGCTTTCTTTTCTCC	22	AY874542
	Pa-KIT-16_R	TGCCAAGTCCCTATGAATACAC	22	
MATP	Pa-MATP_F	GCCATAACCATCACCATGATAG	22	AY187093
	Pa-MATP_R	GGCCCATCAATGAAGTCAG	19	
MATP	Pa-Pearl_F	ACTACCGCTACCTTTGCATCAG	22	
	Pa-Pearl_R	TGAAATCTGTGAAGAAGAGCAT	22	
MC1R	Pa-MC1R_F	GCACTCACCCATGTACTACTTCAT	24	X98012
	Pa-MC1R_R	GCACGTTGCTCATGCTCAC	19	
PMEL	Pa-SILV_F	TCCTTCTTCTTCTCCCAAATCA	22	DQ665301
	Pa-SILV_R	GAGCTGAGCCCTGCTTCATAA	21	
ASIP	Pa-ASIP F	CAAGAAATCCAAAAAGATCAGC	22	AF288358
	Pa-ASIP_R	ATGAGAAGTCCAAGGCCTACCT	22	
TRPM1	Pa-LP-rev_F	GAGCTGCTGAACTGGGTATGT	21	XM_001492235
	Pa-LP-rev_R	TCTCCATGATCCCAAGCAAT	20	—
TRPM1	Pa-LP-for F	AGATCGAGCTGCTGAACTGG	20	XM 001492235
	Pa-LP-for R	TCTCCATGATCCCAAGCAAT	20	-

Table S2: Primers used for the coat color SNPs amplification and Accession numbers of respective genes.

Table S3: Allele frequencies in the observed sample over the time periods employed for the simulations analysis. The frequencies are slightly different than in the subsets employed in the temporal test of allele frequencies.

Time periods	Observed frequencies												
	ASIP	KIT13- Tobiano	KIT16- Sabino	MATP- Cream	MATP- Pearl	MCIR	PEML17- SILV	TRPM1- LP					
Allele	Α	KM0	sb1	С	PRL	Ε	z	lp					
Ple	0.967	1.000	1.000	1.000	NA	1.000	1.000	0.867					
MNe	0.375	1.000	1.000	1.000	1.000	1.000	1.000	1.000					
СоА	0.325	0.948	0.964	1.000	1.000	0.646	1.000	0.875					
EBA	0.270	1.000	1.000	1.000	1.000	0.889	1.000	0.816					
MBA	0.476	1.000	1.000	1.000	1.000	0.609	1.000	0.964					
LBA	0.431	0.950	0.933	1.000	1.000	0.733	1.000	0.967					
EIA	0.522	0.896	1.000	0.952	1.000	0.396	0.976	0.979					
IrA	0.500	0.813	1.000	0.929	1.000	0.625	1.000	0.938					
Med	0.402	0.956	1.000	0.990	0.972	0.345	0.971	0.973					

Table S4: Number of individuals for each detected phenotype per period and region. The last two rows summarize the number of phenotypes of the different regions per period as well as all phenotypes of this time period, respectively.

Period Sample size			Plesitocene N=28	/Mesolithic (>	4000 BC)	Neolithic/C N=29	Copper Age (400	00-2700 BC)	Early Bronz N=28	e Age (2100-	1600 BC)	Mid/Late I N = 31	Bronze Age (16	600-900 BC)	Iron Age (9 N = 31	900 BC - 400	AD)	Middle Age 54	s (<400AD)	
Region			Asia	Europe/ Asia(minor	Iberia)	Asia	Europe/ Asia(minor)	Iberia	Asia	Europe/ Asia(minor	Iberia)	Asia	Europe/ Asia(minor	Iberia	Asia	Europe/ Asia(mino	Iberia r)	Asia	Europe/ Asia(minor)	Iberia
Basic	Pattern	Dilution																		
Bay	-	-	5	9-10	4	9	4-6		4	6-8	1	5	3	3	7	1	1		10-13	1
Bay	Leopard	-		5		2	2			4		1				1			0-1	
Bay	Sabino + Leopard	-				2														
Bay	Tobiano	-				1	1						1		4				2	
Bay	Sabino	-										2	1							
Bay	Tobiano + Leopard	-																	1	
Bay	-	Cream													3				1	
Black	-	-		2-3	2	1	3-5		2	3-5	2	3	4	2	2		1		6-9	
Black	Leopard	-								3										
Black	-	Silver													1				1	
Chestnut	-	-				2				1		1	2		5				24	1
Chestnut	Tobiano	-										2			1	3			1	
Chestnut	Sabino	-											1							
Chestnut	Leopard	-													1				1-2	
Number of ho	orses with spotted/dilut	ed coat color	5			8			7			8			14			8		
Number of ho	orses with basic coat co	lor	23			21			21			23			17			46		
Number of pl	henotypes		1	3	2	6	4		2	5	2	6	6	2	8	3	2		10-11	2
Number of pl	henotypes for all regior	s/period	3			6			5			8			9			10-11		

Table S5: *P*-values for the temporal test of allele frequencies applied to pairs of consecutive subsets of samples with similar ages in the nine time periods analyzed in this study. NA refers to a test that was not applied because the frequencies stayed the same between the periods. The grouping of samples is shown in figure SU. The numbers separated by a diagonal are the counts of alleles (in the order as they appear in the first row) corresponding to the first temporal sample of the comparison; and the numbers below are the *p*-values of the temporal test for N_e of 10^3 , 10^4 and 10^5 , respectively.

	Averag age (1 st sample	Nr. of genera	ASIP	KIT13. Tobian	KIT16 Sabino	MATP Cream	MATP Pearl	MC1R	PEML SILV
Comparison	ંગ	tions		ō '			·		17-
			A/a	KM0/KM1	sb1/SB1	C/cr	prl/Prl	E/e	z/Z
Ple vs MNe	17146	2023	21/1	22/0	22/0	22/0	-/-	20/0	22/0
			0.0717	-	-	-	-	-	-
			0.0011	-	-	-	-	-	-
		211	<0.0001	-	-	-	-	-	-
MNe vs CoA	7029	311	4/10	14/0	14/0	14/0	2/0	14/0	14/0
			0.7840	0.7616	0.8637	-	-	0.0572	-
			0.6801	0.4217	0.0180	-	-	0.0005	-
	5472	206	0.0007	0.3013	0.3382	-	-	22/16	-
CUA VS EDA	5472	200	0 7500	43/3	0.4871	40/0	2/0	0.0185	46/0
			0.7599	0.4085	0.3545	-	-	0.0185	-
			0.6347	0.2717	0.3204	_	_	0.0003	_
EBA vs MBA	4442	105	7/17	24/0	24/0	24/0	4/0	24/0	24/0
			0.3130	-		-	-	0.0088	-
			0.2190	-	-	-	-	0.0016	-
			0.2071	-	-	-	-	0.0012	-
MBA vs LBA	3916	113	10/11	28/0	28/0	28/0	8/0	14/9	28/0
			0.9472	0.4027	0.3555	-	-	0.2149	-
			0.9337	0.2873	0.2145	-	-	0.2316	-
			0.9314	0.2700	0.1913	-	-	0.3617	-
LBA vs EIA	3352	146	25/29	53/3	52/4	48/0	2/0	42/14	56/0
			0.8617	0.3347	0.3186	0.1732	-	0.0027	-
			0.8013	0.2091	0.2109	0.1049	-	<0.0001	-
	2624	50	0.7918	0.1861	0.1926	0.0908	-	<0.0001	-
EIA vs IrA	2624	59	12/16	26/4	24/0	22/2	6/0	8/22	24/0
			0.7711	0.5391	-	1.0000	-	0.0317	-
			0.7472	0.3019	-	1.0000	-	0.0165	-
IrA vs Med	2330	239	0.7423	0.3004	12/0	11/1	2/0	9/5	12/0
IIA VS IVICU	2330	23)	0 7083	0 1217	-	0.6628	1 0000	0 1767	0.9925
			0.5813	0.0290	_	0.2832	1 0000	0.0486	0.9969
			0.5573	0.0218	_	0.2273	1.0000	0.0340	0.9988
(Med)	1134		34/48	77/3	86/0	63/1	93/1	34/64	91/1

Table S6. *P*-values of comparisons of observed allele frequencies among contemporary locations. As obtained by means of a contingency table Chi-square test.

Time bin	Locus	Compared locations	<i>P</i> -value
	(alleles ancestral/derived)	(# of alleles, ancestral/derived)	
4000-3000 y BC		Germany (4/4); Siberia (7/3); Ukraine (6/7)	0.049
3000-2000 y BC	ASIP (A/a)	Turkey (5/15); Siberia (4/4)	0.204
600-1200 y AD		Estonia (4/2); Iceland (10/14); Slovakia; (9/17); Sweden (9/11)	0.542
600-1200 y AD	MC1R (E/e)	Estonia (4/2); Iceland (11/27); Slovakia (10/18); Sweden (10/8)	0.187
600-1200 y AD	TRPM1 (lp/LP)	Estonia (6/0); Iceland (38/0); Slovakia (28/2); Sweden (19/1)	0.419

Table S7. Priors and setting of the MCMC procedure employed for the final inference of selection coefficients and other parameters. *Standard deviation of the jump distribution. % indicates that the S.D. corresponds to the indicated percentage of the available parameter range. **The bounds of the time to the introduction of alleles were variable, and set between the oldest sample and the first appearance of the allele.

Setting/Operator	Value	Type of distribution
Chains run	20	-
Simulations per chain	20000	-
Interval for posterior probability	100	-
storing		
Probability of being introduced	0.5	-
S.D. generation time*	0.1	Normal
S.D. <i>N</i> _{<i>e</i>1} *	5%	Normal
S.D. <i>N</i> _{<i>e</i>2} *	5%	Normal
S.D. Initial allele frequency*	2.5%	Normal
S.D. Time to the allele	2.5%	Normal
introduction*		
S.D. Selection coefficients*	0.25%	Normal
Prior distributions	Probability	Parameters
	distribution	
Selection Coefficients	Exponential	[0.1]
N_{e1}^* (initial population size)	Uniform	[100,100000]
N_{e2}^* (final population size)	Uniform	$[N_{e1}, 1000000]$
Generation time	Normal	M=5.0, σ=0.5
Initial allele frequency	Uniform	[0.0,1.0]
Time to the introduction of the	Uniform	[Min, Max]**
allele		
Time to the start of the	Normal	[5600yBP,100]
demographic growth		

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