## Intracellular-pH dependence of Na-H exchange and acid loading in quiescent and arginine vasopressin-activated mesangial cells

(growth factors/acid-base metabolism)

GREGORY BOYARSKY\*, MICHAEL B. GANZ<sup>†‡</sup>, E. J. CRAGOE, JR.<sup>§</sup>, AND WALTER F. BORON\*<sup>¶</sup>

\*Department of Cellular and Molecular Physiology, Yale University School of Medicine, New Haven, CT 06510; <sup>†</sup>Department of Medicine, Yale University School of Medicine, and <sup>‡</sup>The West Haven Veterans Administration Medical Center, West Haven, CT 06516; and <sup>§</sup>2211 Oak Terrace Drive, Lansdale, PA 19446

Communicated by Gerhard Giebisch, May 14, 1990

ABSTRACT We studied intracellular pH (pH<sub>i</sub>) regulation in the absence of  $HCO_3^-$  in single mesangial cells (MCs) with the pH-sensitive dye 2',7'-bis(2-carboxyethyl)-5(and -6)carboxyfluorescein. Our approach was to acid load the cells by an NH<sup>+</sup> prepulse and to monitor the subsequent pH<sub>i</sub> recovery. Previous work on MCs and other cells has shown that the recovery is prevented by adding ethylisopropyl amiloride (EIPA) or removing Na<sup>+</sup> before the recovery begins, suggesting that at low pH<sub>i</sub> only Na-H exchange contributes to the recovery. This conclusion is often extrapolated to the entire pH<sub>i</sub> range. To test this, we interrupted the recovery with EIPA at various pH<sub>i</sub> values, finding that EIPA unmasked a background acidification that was negligible at pH<sub>i</sub> less than  $\approx 6.7$  but increased steeply at higher pH<sub>i</sub> values. Correcting the total recovery rate for this EIPA-insensitive component, we found that the EIPAsensitive (Na-H exchange) rate fell steeply with increasing pH<sub>i</sub> between 6.3 and 6.7 but was relatively pH<sub>i</sub> insensitive between 6.7 and 7.2. Thus, the recovery halts as pH<sub>i</sub> approaches  $\approx$ 7.2 not so much because Na-H exchange slows, but because acid loading accelerates. Applying the mitogen arginine vasopressin (AVP; 100 nM) caused a rapid pH<sub>i</sub> decrease of  $\approx$ 0.4, followed by a slower increase to a level  $\approx 0.15$  higher than the initial pH<sub>i</sub>. Coincident with this biphasic change in pH<sub>i</sub> was a biphasic change in Na-H exchange kinetics. In the early phase (i.e., pH<sub>i</sub> recovery commencing  $\approx 8$  min after AVP addition), AVP linearized the pH<sub>i</sub> dependence of the exchanger; its rate was unaffected by AVP at pH<sub>i</sub> less than  $\approx 6.7$  but was progressively inhibited at higher pH<sub>i</sub> values. In the later phase (i.e., pH<sub>i</sub> recovery commencing  $\approx 14$  min after AVP addition), AVP shifted this linear pH<sub>i</sub> dependence in the alkaline direction; the exchanger was stimulated at pH<sub>i</sub> <6.9 but was modestly inhibited at higher pH<sub>i</sub> values (i.e., in the physiological range). At all times, AVP greatly inhibited background acid loading. Thus, AVP raises steady-state pH; not because Na-H exchange is stimulated but because, although the exchanger is inhibited, acid loading is inhibited even more.

The Na-H exchanger is an acid-extrusion mechanism located in the plasma membrane of nearly all mammalian cells. It plays a key role in the regulation of intracellular pH (pH<sub>i</sub>) (1) and, in some cells, the regulation of cell volume (2). Furthermore, it is generally accepted that the intracellular alkalinization elicited by growth factors applied in the absence of  $CO_2/HCO_3^-$  is caused by stimulation of Na-H exchange (3-6). One of the hallmarks of the Na-H exchanger is thought to be its pH<sub>i</sub> dependence: an acid-extrusion rate ( $J_{Na-H}$ ) that is zero at pH<sub>i</sub> values above a threshold pH<sub>i</sub>, and that increases more or less linearly at lower pH<sub>i</sub> values. The kinetic basis of growth factor-induced stimulation of Na-H exchange is thought to be an increase (i.e., alkaline shift) in the  $pH_i$  threshold (3) and/or an increased  $J_{Na-H}-pH_i$  slope (7).

pH<sub>i</sub> threshold behavior was first demonstrated for another acid-extrusion mechanism, the Na<sup>+</sup>-dependent Cl-HCO $_{3}^{-}$ exchanger (8). The approach was to block the exchanger with a stilbene derivative at several points during the recovery of pH<sub>i</sub> from an acid load and to compute the stilbene-sensitive component of the pH<sub>i</sub> recovery over a wide pH<sub>i</sub> range. A comparable approach has been applied to the Na-H exchanger in only a few cases. However, in these studies the Na-H exchanger clearly exhibited a threshold (ref. 9; G.B., N. Rosenthal, E. Barrett, and W.F.B., unpublished results). In the present experiments, we examine the pH<sub>i</sub> dependence of the Na-H exchanger in rat mesangial cells (MCs), smooth muscle-like cells from the glomerulus of the kidney. Ethylisopropyl amiloride (EIPA), a potent inhibitor of Na-H exchange, was used to interrupt the recovery of pH<sub>i</sub> from an acid load in the nominal absence of  $CO_2/HCO_3^-$  (11). We found that the Na-H exchanger of quiescent MCs lacks a pH<sub>i</sub> threshold but that the growth factor arginine vasopressin (AVP) causes the appearance of a threshold and also leads to other time-dependent changes in the pH<sub>i</sub> dependence of the exchanger.

## **METHODS**

Rat MCs from passages 2–5 were grown on glass coverslips to <50% confluence and rendered quiescent by reducing fetal calf serum to 0.5% for at least 24 hr (12). The standard Hepes-buffered solution, titrated to pH 7.4, contained 145 mM Na<sup>+</sup>, 5 mM K<sup>+</sup>, 1.2 mM Mg<sup>2+</sup>, 1 mM Ca<sup>2+</sup>, 110 mM Cl<sup>-</sup>, 1.2 mM, SO<sub>4</sub><sup>2-</sup>, 2 mM phosphate, 17.8 mM Hepes (anionic form), 14.4 mM Hepes (neutral form), and 10.5 mM glucose. NH<sub>3</sub>/NH<sub>4</sub><sup>+</sup>-containing solutions were prepared by replacing 20 mM NaCl by 20 mM NH<sub>4</sub>Cl. AVP was obtained from Sigma. EIPA was prepared as a 50 mM stock in dimethyl sulfoxide and was diluted 1:1000 into EIPA-containing solutions.

Our approach for measuring pH<sub>i</sub> in single MCs has been described (11). pH<sub>i</sub> was measured in single MCs by using a microscope-based fluorometer and the fluorescent pH-sensitive indicator 2',7'-bis(2-carboxyethyl)-5(and -6)carboxyfluorescein (13), introduced as its acetoxymethyl ester derivative (Molecular Probes). Intracellular dye was alternately excited at 440 and 490 nm as the emitted fluorescence intensity (*I*) was monitored at 530 nm. The pH<sub>i</sub> calibration of the  $I_{490}/I_{440}$  ratio was obtained by the high-K<sup>+</sup>/nigericin method (14). We computed the net acid-base flux ( $J_{net}$ ) as the product of the previously measured intrinsic buffering power (11), which varies with pH<sub>i</sub>, and the rate of change of pH<sub>i</sub>

The publication costs of this article were defrayed in part by page charge payment. This article must therefore be hereby marked "*advertisement*" in accordance with 18 U.S.C. §1734 solely to indicate this fact.

Abbreviations: pH<sub>i</sub>; intracellular pH; AVP, arginine vasopressin; EIPA, ethylisopropyl amiloride; MC, mesangial cell. <sup>¶</sup>To whom reprint requests should be addressed.

 $(dpH_i/dt)$ . To obtain an unbiased estimate of  $dpH_i/dt$  for the pH<sub>i</sub> recovery from an acid load, we grouped each data point with its two neighbors, determined the coefficients for a quadratic equation, and evaluated the derivative of this equation at that center data point. The acid-loading rate  $(J_{acid})$ was computed from the EIPA-induced acidification that followed the pH<sub>i</sub> recovery. We fitted a polynomial (second to fourth order) to all data points obtained after application of EIPA and evaluated the derivative of the polynomial at the same discrete pH<sub>i</sub> values sampled during the pH<sub>i</sub> recovery portion of the experiment. For each experiment, the EIPAsensitive acid-extrusion rate  $(J_{Na-H})$  was determined as the difference between  $J_{net}$  and  $J_{acid}$  for each discrete pH<sub>i</sub> sampled during the pH<sub>i</sub> recovery. To determine this difference at pH<sub>i</sub> values below the lowest pH<sub>i</sub> attained during the EIPAinduced acidification, we assumed that  $J_{acid}$  had the same low value as that prevailing at the lowest  $pH_i$ . These assumed  $J_{acid}$ values are not plotted in Figs. 1C, 2B, and 3B.

## RESULTS

Quiescent MCs.  $pH_i$  dependence of uncorrected acid extrusion and background acid loading. Fig. 1A illustrates an experiment in which a single MC was acid loaded in a  $HCO_3^-$ -free solution by briefly applying and withdrawing 20 mM NH<sub>4</sub><sup>+</sup>. pH<sub>i</sub> rapidly recovered to its initial value. From this pH<sub>i</sub> recovery, and from those of 11 other experiments, we determined (see *Methods*) the pH<sub>i</sub> dependence of the net acid-base flux ( $J_{net}$ ). As illustrated in Fig. 1B,  $J_{net}$  varies linearly with pH<sub>i</sub>, intercepting the abscissa at an apparent pH<sub>i</sub> threshold of  $\approx 7.2$ .

 $pH_i$  dependence of background acid loading. It commonly has been assumed that the Na-H exchanger is the only process contributing to the pH<sub>i</sub> recovery, and that the linear profile in Fig. 1B represents the  $pH_i$  dependence of the exchanger. If this were true, then blockade of the Na-H exchanger with 50  $\mu$ M EIPA would reduce the pH<sub>i</sub> recovery rate  $(dpH_i/dt)$  to zero at all pH<sub>i</sub> values. Indeed, we have previously shown that this is true at a pH<sub>i</sub> of  $\approx 6.6$  (11). However, Fig. 1A shows that at a pH<sub>i</sub> of  $\approx$ 7.2, EIPA causes a substantial decline in pH<sub>i</sub>. A similar pH<sub>i</sub> decline is observed without any prior exposure to  $NH_4^+$  (11). Thus, at a  $pH_i$  of  $\approx$ 7.2, the normal steady-state pH<sub>i</sub> in the absence of HCO<sub>3</sub><sup>-</sup> the Na-H exchanger must balance a substantial background acid-loading process that is unmasked by EIPA. We also applied EIPA at various times during the pH<sub>i</sub> recovery (i.e., between pH<sub>i</sub>  $\approx$  6.6 and  $\approx$  7.2). At a given pH<sub>i</sub>,  $dpH_i/dt$  was similar regardless of whether EIPA had been applied at that pH<sub>i</sub> or at a higher pH<sub>i</sub>. Thus, it appears that the EIPAunmasked acidification is uniquely related to pH<sub>i</sub>, rather than to the history of the cell. The equivalent flux responsible for this acidification  $(J_{acid})$  can be estimated from the rate of  $pH_i$ decline (see Methods). As summarized in Fig. 1C,  $J_{acid}$  is insignificant at pH<sub>i</sub> values below  $\approx 6.7$ , but it steeply increases at higher pH<sub>i</sub> values.

 $pH_i$  dependence of Na-H exchange. At any pH<sub>i</sub>, we can determine the EIPA-sensitive acid extrusion rate, presumably  $J_{Na-H}$ , by subtracting  $J_{acid}$  from  $J_{net}$  for that cell, as described in *Methods*. Fig. 1D, a plot of the pH<sub>i</sub> dependence of the average  $J_{net}-J_{acid}$  difference, shows that the Na-H exchanger has a pH<sub>i</sub> profile quite different than previously assumed. Although  $J_{Na-H}$  falls steeply with increasing pH<sub>i</sub> between 6.3 and  $\approx 6.7$ , it is relatively pH<sub>i</sub> insensitive between  $\approx 6.7$  and 7.2. For the low-pH<sub>i</sub> data, the best-fit slope is  $-96 \pm 6$  (SD)  $\mu$ M·sec<sup>-1</sup> per pH unit, which is nearly 6-fold higher than the slope for the high-pH<sub>i</sub> data,  $-16 \pm 4 \mu$ M·sec<sup>-1</sup> per pH unit.

MCs Exposed to AVP. Early effects of AVP. We previously found that application of 100 nM AVP, a potent mitogen for MCs, causes a biphasic  $pH_i$  change in the absence of  $CO_2/$ 



FIG. 1. pH<sub>i</sub> regulation in single quiescent MCs. (A) pH<sub>i</sub> recovery from an acid load induced by an NH<sup>+</sup> pulse. The cell was exposed to a solution containing 20 mM NH<sup>+</sup> during the indicated period. EIPA (50  $\mu$ M) was applied after the pH<sub>i</sub> recovery was complete. (B) pHi dependence of mean net acid-base flux, computed from recovery of pH<sub>i</sub> from an NH<sup>+</sup><sub>4</sub>-induced acid load.  $\Box$ , Mean flux for 12 pH<sub>i</sub> recoveries, plotted at intervals of ≈0.05 pH units. The vertical bars represent SEM of the flux; the SEMs of the mean pH<sub>i</sub> values were smaller than the size of the box. The solid line is the line of best fit, computed over all individual data points; it has an intercept of 496  $\pm$ 18 (SD)  $\mu$ M·sec<sup>-1</sup> and a slope of -68 ± 3  $\mu$ M·sec<sup>-1</sup> per pH unit. (C) pH<sub>i</sub> dependence of mean EIPA-insensitive acid-loading rate (expressed as a flux), computed from relaxation of pH<sub>i</sub> after application of EIPA. For the sake of simplicity, we have plotted this apparent flux as a positive number, although the effect of acid loading on pH<sub>i</sub> is opposite that of acid extrusion (e.g., Fig. 1B).  $\triangle$ , Acid-loading rate for 12 pH<sub>i</sub> relaxations. The solid line is the line of best fit, computed over all individual data points; it has an intercept of  $-270 \pm 6$  $\mu$ M·sec<sup>-1</sup> and a slope of +41 ± 8  $\mu$ M·sec<sup>-1</sup> per pH unit. (D) pH<sub>i</sub> dependence of mean Na-H exchange rate (i.e., EIPA-sensitive acid-extrusion rate). O, Mean difference between the net acid-base flux and the EIPA-induced acid-loading rate, computed for each of 12 cells. The solid line between  $pH_i$  6.3 and 6.7 is the best fit to the data in this pH<sub>i</sub> range and has an intercept of 674  $\pm$  36  $\mu$ M·sec<sup>-1</sup> and a slope of  $-96 \pm 6 \,\mu$ M·sec<sup>-1</sup> per pH unit. The solid line between pH<sub>i</sub> 6.7 and 7.2 is the best fit to the data in this higher pH<sub>i</sub> range and has an intercept of 138  $\pm$  25  $\mu$ M·sec<sup>-1</sup> and a slope of  $-16 \pm 4 \mu$ M·sec<sup>-1</sup> per pH unit.

 $HCO_3^-$  (12). As shown in Figs. 2A and 3A, within 2 min pH<sub>i</sub> falls by  $\approx 0.40$ , and then over the next 10–15 min it increases to a value as much as 0.15 greater than the initial one. We therefore examined the effect of AVP on  $J_{Na-H}$  and  $J_{acid}$  both early during the exposure to AVP (soon after pH<sub>i</sub> reached its minimum) and later during the AVP exposure (after pH<sub>i</sub> had peaked). Fig. 2A illustrates an experiment in which pH<sub>i</sub> recovery from the acid load began  $\approx 5$  min (i.e., early) after AVP addition. Fig. 2B summarizes the  $pH_i$  dependence of  $J_{\text{Na-H}}$  and  $J_{\text{acid}}$  for five such experiments (mean time to initiation of  $pH_i$  recovery, 7.6 ± 1.5 min). For comparison, curves of best fit from the control cells (Fig. 1 C and D) are plotted as dashed lines. At these early times after AVP addition, the  $pH_i$  dependence of  $J_{Na-H}$  (solid circles) became linear, with a threshold pH<sub>i</sub> of  $\approx$ 7.1 and a slope of  $-87 \pm 10$  $\mu$ M·sec<sup>-1</sup> per pH unit. Na-H exchange was unaffected by AVP at pH<sub>i</sub> values below  $\approx 6.7$  but was inhibited to progressively greater extents at higher pH<sub>i</sub> values, including those in the physiological range. EIPA-insensitive acid loading (solid

Physiology/Pharmacology: Boyarsky et al.



FIG. 2.  $pH_i$  regulation in single MCs early after application of AVP. (A)  $pH_i$  recovery from an acid load imposed by an NH<sup>4</sup> pulse soon after application of 100 nM AVP. The approach was similar to that of Fig. 1A. (B)  $pH_i$  dependence of mean rates of Na-H exchange (•) and acid loading ( $\blacktriangle$ ) soon after application of AVP. In five experiments similar to that of A, we monitored  $pH_i$  recoveries that began <10 min after application of 100 nM AVP. EIPA-insensitive and -sensitive fluxes were computed as described in Fig. 1 C and D. The solid line of best fit through the circles has an intercept of 615  $\pm$  64  $\mu$ M·sec<sup>-1</sup> and a slope of  $-87 \pm 10 \ \mu$ M·sec<sup>-1</sup> per pH unit. The solid line of best fit through the triangles has an intercept of  $-13 \pm 5 \ \mu$ M·sec<sup>-1</sup> and a slope of  $+1.4 \pm 7.0 \ \mu$ M·sec<sup>-1</sup> per pH unit. The dashed lines reproduce the comparable fitted lines for quiescent cells from Fig. 1 C and D.

triangles) was even more profoundly inhibited by AVP than was Na–H exchange, with little activity being observed up to a  $pH_i$  of  $\approx$ 7.2.

Late effects of AVP. Fig. 3A illustrates an experiment in which the pH<sub>i</sub> recovery from an acid load began  $\approx 16$  min (i.e., late) after application of AVP. Fig. 3B is a plot of  $J_{Na-H}$ and  $J_{acid}$  for seven such experiments (mean time to initiation of  $pH_i$  recovery, 14.2 ± 0.8 min). The fitted control curves are again superimposed for ease of comparison. The data show that at these later times after AVP addition, the  $J_{Na-H}$ -pH<sub>i</sub> relationship (solid squares) remained approximately linear, with a slope  $(-60 \pm 9 \,\mu \text{M} \cdot \text{sec}^{-1} \text{ per pH unit})$  only slightly less than at earlier times. However, the curve was shifted  $\approx 0.3$ pH unit toward more alkaline pH<sub>i</sub> values. Thus, at later times, Na-H exchange is stimulated at all pH<sub>i</sub> values less than  $\approx 6.9$ but is inhibited at higher pH<sub>i</sub> values, including those in the physiological range. As was the case for the early times, EIPA-insensitive acid loading (solid triangles) was profoundly inhibited by AVP in the physiological  $pH_i$  range.

## DISCUSSION

Validity of the Assay. In principle, our data concerning the effect of EIPA on the time course of  $pH_i$  recovery from intracellular acid loads should permit us to extract the  $pH_i$  dependence of both Na–H exchange (i.e., the EIPA-sensitive component) and background acid loading (i.e., the EIPA-insensitive component). However, our analysis requires two assumptions: (i) that the only  $pH_i$ -related effect of EIPA is to



FIG. 3. pH<sub>i</sub> regulation in single MCs late after application of AVP. (A) pH<sub>i</sub> recovery from an acid load imposed by an NH<sup>‡</sup> pulse after a longer exposure to 100 nM AVP. The approach was similar to that of Fig. 2A, except that the pH<sub>i</sub> recovery began >10 min after the introduction of AVP. (B) pH<sub>i</sub> dependence of mean rates of Na-H exchange (**m**) and acid loading (**a**) after a longer exposure to AVP. In seven experiments similar to A, we monitored pH<sub>i</sub> recoveries that began >10 min after application of AVP. EIPA-insensitive and -sensitive fluxes were computed as described in Fig. 2B. The solid line of best fit through the squares has an intercept of 448 ± 60  $\mu$ M·sec<sup>-1</sup> and a slope of  $-60 \pm 9 \mu$ M·sec<sup>-1</sup> per pH unit. The solid line of best fit through the triangles has an intercept of 90 ± 43  $\mu$ M·sec<sup>-1</sup> and a slope of  $-12 \pm 6 \mu$ M·sec<sup>-1</sup> per pH unit. The dashed lines reproduce the comparable fitted lines for quiescent cells from Fig. 1 C and D.

block Na–H exchange completely, and (*ii*) that the degree of blockade is neither pH<sub>i</sub> nor AVP sensitive. Support for the first assumption is that, at relatively low pH<sub>i</sub> values in the absence of HCO<sub>3</sub><sup>-</sup>, Na<sup>+</sup> removal is no more effective than EIPA at inhibiting the pH<sub>i</sub> recovery from acid loads (11). We cannot rule out the possibility that, at higher pH<sub>i</sub> values, EIPA becomes less effective at inhibiting Na–H exchange. However, if this were the case, the true  $J_{Na–H}$  at physiological pH<sub>i</sub> would be even higher than our estimate.

pH<sub>i</sub> Dependence of Na-H Exchange Under Control Conditions. We find that, in control MCs, the Na-H exchange rate is steeply pH<sub>i</sub> dependent only for pH<sub>i</sub> values below  $\approx 6.7$ . Above this pH<sub>i</sub>, and extending to nearly 7.2, the Na-H exchanger is substantially less sensitive to changes in pH<sub>i</sub>. Thus, the Na-H exchanger in MCs has no true pH<sub>i</sub> threshold in the physiological pH<sub>i</sub> range. M. B. Sjaastad, E. Wenzel, and T. Machen (personal communication) recently have made a similar observation in IEC-6 cells. These observations raise the question of why the recovery of pH<sub>i</sub> from an intracellular acid load becomes progressively slower as pH<sub>i</sub> increases toward the normal range. For the MC, the answer appears to lie in the pH<sub>i</sub> dependence of the background acid-loading process that is unmasked by EIPA. The rate of acid loading due to this process is insignificant below  $\approx 6.7$ , but it increases rather steeply at higher pH<sub>i</sub> values. Thus, to some extent the pH<sub>i</sub> recovery from an acid load in control MCs slows because Na-H exchange is mildly decreased at higher pH<sub>i</sub> values (i.e.,  $J_{Na-H}$  falls 16  $\mu$ M·sec<sup>-1</sup> per pH unit; Fig. 1D). However, the major reason for the slowing of the  $pH_i$  recovery is that  $J_{acid}$  is strongly increased at higher  $pH_i$  values (i.e.,  $J_{acid}$  increases  $41 \,\mu M \cdot \sec^{-1}$  per pH unit; Fig. 1C). A steady-state  $pH_i$  is achieved when the steeply  $pH_i$ -sensitive  $J_{acid}$  comes into balance with the relatively  $pH_i$ -insensitive  $J_{Na-H}$ . We have no information on the identity of the acid-loading process unmasked by EIPA. It could represent metabolic generation of  $H^+$ , a mechanism for the influx of  $H^+$ , and/or Cl-base exchange.

Effect of AVP on Na-H Exchange. As previously reported for other cells (4, 16), we found that application of a mitogen (i.e., AVP) in the absence of  $HCO_3^-$  leads to a biphasic  $pH_i$ change: a rapid but transient acidification, followed by a slower but sustained alkalinization. However, we also found that the biphasic pH<sub>i</sub> change elicited by AVP is roughly paralleled by a biphasic change in the pH<sub>i</sub> dependence of the Na-H exchanger. At early times after the application of AVP. the pH<sub>i</sub> dependence of the Na-H exchanger became approximately linear, with a true pH<sub>i</sub> threshold at  $\approx$ 7.1, and a slope that was indistinguishable from that of the control exchanger at pH<sub>i</sub> values below  $\approx 6.7$ . Thus, early on, AVP has virtually no effect on the Na-H exchanger at pH; values below  $\approx 6.7$ . but it progressively inhibits the exchanger at higher pH<sub>i</sub> values. Later, AVP alkaline shifts this linear relationship by  $\approx 0.3$ , with only an  $\approx 30\%$  reduction in the slope. Thus, the effect of AVP on Na-H exchange is complex, depending on both time and pH<sub>i</sub>. The importance of time is illustrated by the exchanger's activity at  $pH_i$  6.6, where AVP has little effect at early times but is stimulatory later. An example of the importance of pH; is seen at later times after AVP addition, where the mitogen stimulates at pH<sub>i</sub> values below  $\approx$ 6.9 but inhibits at higher pH<sub>i</sub> values (i.e., in the physiological pH; range).

Effect of AVP on Acid Loading. It is generally assumed that application of a growth factor stimulates chronic metabolic production of acid. Indeed, previous work on MCs examined in the presence of  $HCO_3^-$  suggested that, at pH<sub>i</sub> of ~6.6, AVP enhances a chronic acid-loading process that is insensitive to both EIPA and 4-acetamido-4'-isothiocyanostilbene-2,2'-disulfonate (10). However, the present data, obtained in the absence of  $HCO_3^-$ , demonstrate that the AVP inhibits chronic acid loading at pH<sub>i</sub> values above ~6.7. The mechanism(s) responsible for this acid loading, as well as its inhibition by AVP, is unknown.

Mechanism of the AVP-Induced  $pH_i$  Changes in the Absence of HCO<sub>3</sub>. The early effect of AVP on  $pH_i$  is an abrupt acidification. This could be due to an acute (i.e., transient) release or production of acid (15, 16). By itself, such an acute acid load would have no effect on steady-state  $pH_i$ : the Na-H exchanger would merely return  $pH_i$  to its initial level. A second early effect of AVP is to severely inhibit Na-H exchange in the physiological  $pH_i$  range. This could not only contribute to the abrupt acidification but could also slow the subsequent pH<sub>i</sub> recovery. This slowness is somewhat mitigated by the near-total blockade by AVP of chronic acid loading. If AVP had only these early effects on Na-H exchange and chronic acid loading, then the recovery of pH<sub>i</sub> would halt at  $\approx$ 7.0, the pH<sub>i</sub> coordinate of the intersection of the  $J_{\text{Na-H}}$  and  $J_{\text{acid}}$  lines at early times (Fig. 2B). The reason that the pH<sub>i</sub> recovery continues to  $\approx$ 7.4 is not because of a change in chronic acid loading (which remains almost fully inhibited) but probably because AVP gradually shifts the  $J_{\text{Na-H}}$  line to more alkaline pH<sub>i</sub> values. Thus, the recovery of pH<sub>i</sub> would mirror the gradual shift of the exchanger's pH<sub>i</sub> threshold. Eventually,  $pH_i$  reaches a value ( $\approx$ 7.4) that is even more alkaline than the initial pre-AVP level ( $\approx$ 7.2). However, it should be emphasized that in the steady state prevailing after AVP addition, both Na-H exchange and acid loading are inhibited relative to the pre-AVP condition. The reason that AVP causes steady-state pH<sub>i</sub> to increase from  $\approx 7.2$  to  $\approx$ 7.4 in MCs is that AVP inhibits acid loading more profoundly than it inhibits Na-H exchange.

G.B. was supported by a fellowship from the Connecticut affiliate of the American Heart Association, and M.B.G. was supported by a Veterans Administration Career Development Award. This research was supported by a grant from National Institutes of Health (NS18400).

- 1. Roos, A. & Boron, W. F. (1981) Physiol. Rev. 61, 296-434.
- 2. Grinstein, S. & Rothstein, A. (1986) J. Membr. Biol. 90, 1-12.
- 3. Moolenaar, W. H., Tsien, R. Y., van der Saag, P. T. & de Laat, S. W. (1983) Nature (London) 304, 645-648.
- Rothenberg, P., Glaser, L., Schlesinger, P. & Cassel, D. (1983) J. Biol. Chem. 258, 12644-12653.
- L'Allemain, G., Paris, S. & Pouysségur, J. (1984) J. Biol. Chem. 259, 5809-5815.
- Grinstein, S., Smith, J. D., Onizuka, R., Cheung, R. K., Gelfand, E. W. & Benedict, S. (1988) J. Biol. Chem. 263, 8658-8665.
- Vigne, P., Frelin, C. & Lazdunski, M. (1985) J. Biol. Chem. 260, 8008-8013.
- Boron, W. F., McCormick, W. C. & Roos, A. (1979) Am. J. Physiol. 237, C185-C193.
- 9. Stewart, D. J. (1988) Am. J. Physiol. 255, G346-G351.
- Ganz, M. B., Boyarsky, G., Sterzel, R. B. & Boron, W. F. (1989) Nature (London) 337, 648-651.
- Boyarsky, G., Ganz, M. B., Sterzel, B. & Boron, W. F. (1988) Am. J. Physiol. 255, C844-C856.
- Ganz, M. B., Boyarsky, G., Boron, W. F. & Sterzel, R. B. (1988) Am. J. Physiol. 254, F787-F794.
- Rink, T. J., Tsien, R. Y. & Pozzan, T. (1982) J. Cell Biol. 95, 189-196.
- Thomas, J. A., Buchsbaum, R. N., Zimniak, A. & Racker, E. (1979) Biochemistry 81, 2210–2218.
- Grinstein, S. & Furuya, W. (1986) Am. J. Physiol. 251, C55– C65.
- Ives, H. E. & Daniel, T. O. (1987) Proc. Natl. Acad. Sci. USA 84, 1950–1954.