

Supplementary Materials

Statistical Model

A Bayesian multiple rater model was used to assess concordance of ordinal data across multiple raters. The ordinal score was treated as a latent trait and was modeled with normal distribution, with the latent variables indicating an unmeasured continuous measure of polyposis severity. In particular, define a latent variable α_i that indicates the true polyposis severity score for video i . We assume that rater j 's perception of polyp severity is given by t_{ij} , which differs from the true latent polyposis severity score by ε_{ij} . Thus, the rater j perceived latent trait is given by the model $t_{ij} = \alpha_i + \varepsilon_{ij}$ where $\varepsilon_{ij} \sim N(0, \sigma_\varepsilon^2)$ represents the rater-to-rater variability. We assume that the α_i are independently distributed normal random variables with variance σ_α^2 , $N(0, \sigma_\alpha^2)$, with σ_α^2 indicating the video-to-video variability. Thus, we can define a measure of rater agreement using $\rho = \sigma_\alpha^2 / (\sigma_\alpha^2 + \sigma_\varepsilon^2)$, which is also called the intraclass correlation coefficient (ICC). The measure ρ indicates the proportion of total variability attributed to the video-to-video component, and is constrained between 0 and 1. Thus, higher ρ indicates greater concordance, with $\rho=1$ indicating all raters gave the exact same rating to all videos, and $\rho=0.5$ indicating the variability across raters being equal in magnitude to the variability across videos.

In the latent model, for a score with five grades, a total of four grade cutoffs must be introduced that link the latent continuous score to the observed ordinal stages. Because the response categories are ordered, we must impose a constraint on the values of grade cutoffs. Given a rater, the ordering constraint may be stated mathematically as $-\infty < \gamma_1 \leq \gamma_2 \leq \gamma_3 \leq \gamma_4 \leq \infty$ (γ_5). When t_{ij} falls between the grade interval $(\gamma_{c-1}, \gamma_c]$, the observation is classified in to category c . The prior distributions were specified as follows: σ_ε^2 has an inverse-gamma prior, i.e., $1/\sigma_\varepsilon^2 \sim \text{Gamma}(1, 1)$, and the category cutoffs γ_c are given independent uniform priors.

The posterior distributions of $(\sigma_\alpha^2, \sigma_\varepsilon^2, \gamma_c)$ were obtained using the MCMC algorithm. The concordance measure ρ for each posterior sample was calculated from σ_α^2 divided by $\sigma_\alpha^2 + \sigma_\varepsilon^2$, from which the posterior mean and 95% posterior credible intervals were computed.

Concordant measures should have $\rho > 0.50$ at a minimum, since $\rho \leq 0.5$ suggests that the rater-to-rater variability is of greater magnitude than the video-to-video variability. Thus, as a measure of statistical significance, we computed $p = \text{Prob}(\rho \leq 0.50 | \text{data})$ as a measure of statistical significance, with $p < 0.05$ indicating the level of agreement is significantly greater than this.

Simulation study

We performed a simulation study in order to determine the necessary sample size to have power to detect a significantly strong concordance of $\rho = 0.70$ and assess the study's operating characteristics under other possible concordances. To simulate data for the studies, we generated multiple data sets based on the different values of σ_α^2 and σ_ε^2 as follows:

- ICC = 0.5 implies $\sigma_\varepsilon^2 = \sigma_\alpha^2$: the rater variation is the same as video variation
- ICC = 0.67 implies $\sigma_\varepsilon^2 = \sigma_\alpha^2/2$: the rater variation is 1/2 of video variation
- ICC = 0.75 implies $\sigma_\varepsilon^2 = \sigma_\alpha^2/3$: the rater variation is 1/3 of video variation
- ICC = 0.80 implies $\sigma_\varepsilon^2 = \sigma_\alpha^2/4$: the rater variation is 1/4 of video variation

The procedure of the simulation study can be summarized as follows:

1. Specify J (number of raters) and I (number of videos)
2. Specify a distribution of proportions of each component in the ordered score p_c ($c = 1, 2, 3, 4, 5$)
3. Given a rater and the distribution of p_c , obtain four cutoffs γ_c from Dirichlet distribution $\text{Dir}(5, p_c)$

4. Generate latent trait $t_{ij} = \alpha_i + \varepsilon_{ij}$ as follows:
 - i. generate α_i from normal distribution $N(0, \sigma_\alpha^2)$ where $i = 1, \dots, I$
 - ii. given α_i , generate ε_{ij} from normal distribution $N(0, \sigma_\varepsilon^2)$ where $j = 1, \dots, J$
5. Obtain the 5-point ordered score by categorizing t_{ij} using the cutoffs γ_c^j from Step 3
6. Estimate the posterior distribution of ρ using the MCMC algorithm [1, 2]
7. Claim a significant agreement if $\text{Prob}(\rho \leq 0.5 | \text{data}) < p_L$, where p_L is disagreement parameter and should be set low such as 0.05 or 0.1.

Table 1 summarizes our simulation result with five different scenarios of ICC based on 24 raters and 24 videos from 100 simulated trials, assuming the distribution of ordered scores p_c are 0.30, 0.25, 0.20, 0.15, and 0.10, respectively. The simulation results showed that, a sample size of 24 raters and 24 videos will have at least 83% power for a concordance of ICC=0.70 based on this Bayesian multiple-rater modeling. More scenarios with 12 or 18 raters are shown in Table 2.

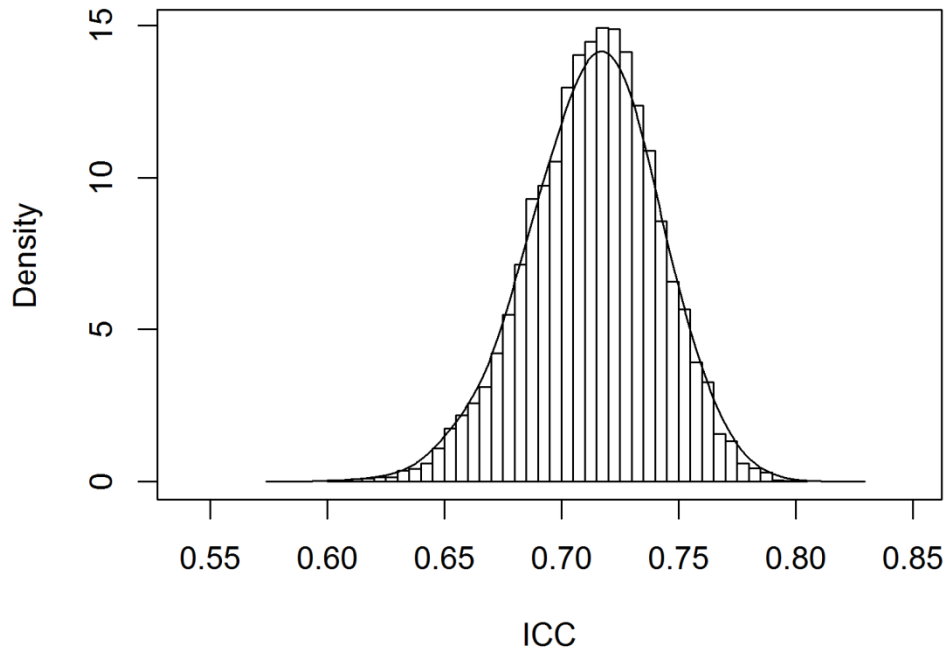
Supplemental Table 1: Power estimation based on number of raters ($J=24$) and number of videos ($I = 24$) from 100 simulated trials, assuming the distribution of ordered scores p_c are 0.30, 0.25, 0.20, 0.15, and 0.10, respectively. We claimed a significant agreement if $\text{Prob}(\rho \leq 0.5 | \text{data}) < p_L$:

Scenarios	$p_L=0.05$	$p_L=0.10$	$p_L=0.20$
$\rho = 0.50$	0.04	0.05	0.07
$\rho = 0.67$	0.69	0.74	0.78
$\rho = 0.70$	0.83	0.88	0.90
$\rho = 0.75$	0.87	0.91	0.93
$\rho = 0.80$	0.99	0.99	1.0

Supplemental Table 2: Power estimation based on number of raters ($J = 12$ or 18) and number of videos ($I = 20, 30$ or 40) from 100 simulated trials, assuming the distribution of ordered scores p_c are 0.30, 0.25, 0.20, 0.15, and 0.10, respectively. We claimed a significant agreement if $\text{Prob}(\rho \leq 0.5 \mid \text{data}) < p_L$.

	Power (J=18/J=12)		
Scenarios (I = 40)	$p_L=0.05$	$p_L=0.10$	$p_L=0.20$
$\rho = 0.50$	0.0/0.0	0.02/0.0	0.02/0.0
$\rho = 0.67$	0.46/0.28	0.54/0.32	0.61/0.41
$\rho = 0.75$	0.87/0.79	0.90/0.79	0.94/0.86
$\rho = 0.80$	0.99/0.95	0.99/0.99	0.99/0.99
Scenarios (I = 30)	$p_L=0.05$	$p_L=0.10$	$p_L=0.20$
$\rho = 0.50$	0.0/0.0	0.0/0.0	0.0/0.0
$\rho = 0.67$	0.38/0.35	0.44/0.43	0.52/0.48
$\rho = 0.75$	0.61/0.60	0.69/0.60	0.70/0.70
$\rho = 0.80$	0.82/0.81	0.90/0.84	0.90/0.89
Scenarios (I = 20)	$p_L=0.05$	$p_L=0.10$	$p_L=0.20$
$\rho = 0.50$	0.0/0.0	0.0/0.0	0.0/0.0
$\rho = 0.67$	0.14/0.06	0.16/0.07	0.22/0.11
$\rho = 0.75$	0.36/0.31	0.45/0.43	0.50/0.48
$\rho = 0.80$	0.69/0.58	0.71/0.62	0.77/0.67

Figure 1: Posterior distribution of ICC for IPSS score agreement based on 26 raters. The posterior mean (SE) of ICC is 0.710 (0.027) with 95% credible interval between 0.651 - 0.759



Supplemental Table 3: ICC for IPSS score for video ratings by demographic characteristics		
Characteristics	Estimated value (s.e.)	95%CI
All raters (n=26)	0.710 (0.027)	(0.651, 0.759)
Specialty		
Surgeon (n=12)	0.738 (0.039)	(0.654, 0.808)
Endoscopist (n=14)	0.684 (0.037)	(0.604, 0.751)
Gender		
Female (n=6)	0.778 (0.047)	(0.674, 0.858)
Male (n=20)	0.694 (0.032)	(0.631, 0.754)
No of FAP Patients		
10 or less (n=9)	0.743 (0.042)	(0.653, 0.819)
11 or more (n=17)	0.671 (0.038)	(0.594, 0.741)

*s.e=Standard Error; CI=Confidence Interval

**Supplemental Table 4 : List of questions asked to the reviewers at the end of the reviews.
(Please provide your opinion on the following statements)**

Sr. No	Question	Options	N (%)
1	The development of a staging system for colorectal polyposis will be helpful in communicating with colleagues regarding patient status	Strongly Agree	18(69)
		Agree	7(27)
		Neutral	1(4)
		Disagree	0
		Strongly Disagree	0
2	The development of a staging system for colorectal polyposis will be helpful in evaluating endpoints in clinical chemoprevention trials.	Strongly Agree	18(69)
		Agree	4(15.5)
		Neutral	4(15.5)
		Disagree	0
		Strongly Disagree	0
3	Subject to my specific comments in the scoring sheet above, I am in general agreement with the present proposed IPSS	Strongly Agree	2(8)
		Agree	21(84)
		Neutral	1(4)
		Disagree	1(4)
		Strongly Disagree	0
4	Subject to my comments in the scoring sheet above, I am in general agreement with the present proposed interventions by stage.	Strongly Agree	0
		Agree	16(62)
		Neutral	8(30)
		Disagree	2(8)
		Strongly Disagree	0

Supplemental Table 5: Comment by reviewers on outlier cases.

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Video No	Comments
13	<p data-bbox="341 327 1374 551">“This one was really difficult - am putting stage 1 because clearly less than 200 polyps. But there are clearly 2 that are >1 cm, so doesn't fit that criteria for stage 1, but does for 2. So it is between Stage 1 and 2. Intervention hard to - this is not someone we would consider surgery for. But would do polypectomies of polyps, particularly larger ones at the time of this colonoscopy, and then repeat colonoscopy in 1 year.” (Comment 1)</p> <p data-bbox="341 595 1374 696">“Don't feel Stage 0 is optimal in this case, as feel total polyp count <20, with a single polyp > 1cm. Perhaps offer an alternative stage category for <20 polyps, 1 or more >1cm, which may better fit this case.” (Comment 2)</p> <p data-bbox="341 741 1374 853">“Tough case. Very few polyps but one in ascending colon needs to be removed, and would be somewhat dicey endoscopically, especially in pt ultimately destined for colectomy anyway” (Comment 3)</p>
20	<p data-bbox="341 898 1374 1077">“This could be stage 3 too (have difficulty assessing 400 vs 600 etc - by that time it doesn't matter. Saying D because this one is not as severe as some of the others where E is clearly right. But would prefer it this management option was reversed in order. Colectomy, or polypectomy of larger polyps and repeat colonoscopy in 6-12 months if desire to avoid surgery” (Comment 1)</p> <p data-bbox="341 1122 1374 1189">“Re stage, may consider alternative option of 200-500 polyp, no >1cm, which may better fit case.” (Comment 2)</p>
24	<p data-bbox="341 1200 1374 1424">“Is the staging system still applicable to the post-pouch patient? I would biopsy for sure but there is less certainty that polyps are adenomas (although it certainly is possible). I would feel very uncomfortable making any recommendation regarding further management of the pouch (e.g. excision/revision) without histologic information. Suggest that it be pouch polyps be classified separately.” (Comment 1)</p> <p data-bbox="341 1469 1374 1608">“I would want to biopsy that area on retroflexion to confirm adenomatous change (does not appear to be overtly adenomatous, but I wouldn't just ignore it) - and my follow up would depend on that path result - as well as a few small raised areas elsewhere, although these are likely lymphoid aggregates.” (Comment 2)</p>

