Supplementary Material

Theoretical Foundation for Data Processing

The estimations of Δ [HbO], Δ [HHb] and Δ [CCO] from raw spectral data taken by the bb-NIRS were performed in MATLAB. First, from the experiments we obtained 15 spectra over the 15 min per person per treatment: 2 pre-TILS baseline readings, 8 TILS readings and 5 recovery readings. The relative optical density, Δ OD, was calculated at each wavelength λ as:

$$\Delta OD(\lambda) = \log_{10}\left[\frac{I_0(\lambda)}{I(\lambda)}\right]$$
(1)

where $I_0(\lambda)$ is the average of the 2 initial baseline spectral readings (i.e., the first two spectra collected in each experiment), and $I(\lambda)$ represents the 13 time-varying spectra (i.e., 8 readings during TILS and 5 readings post-TILS) acquired at each time point.

Based on the Modified Beer-Lambert Law (1), the relationship of $\Delta OD(\lambda)$ versus Δ [HbO], Δ [HHb] and Δ [CCO] at each λ correspond to a wavelength dependent factor $L(\lambda)$. And $\Delta OD(\lambda)/L(\lambda)$ could be expressed as a sum of optical absorbance contributed by HbO, HHb and CCO components, as given below (2):

$$\begin{bmatrix} \underline{\Delta OD(\lambda_{1})} \\ L(\lambda_{1}) \\ \underline{\Delta OD(\lambda_{2})} \\ L(\lambda_{2}) \\ \underline{\Delta OD(\lambda_{3})} \\ L(\lambda_{3}) \\ \dots \\ \underline{\Delta OD(\lambda_{n})} \\ L(\lambda_{n}) \end{bmatrix} = \Delta [HbO]^{*} \begin{bmatrix} \varepsilon_{HbO}(\lambda_{1}) \\ \varepsilon_{HbO}(\lambda_{2}) \\ \varepsilon_{HbO}(\lambda_{3}) \\ \dots \\ \varepsilon_{HbO}(\lambda_{n}) \end{bmatrix} + \Delta [HHb]^{*} \begin{bmatrix} \varepsilon_{HHb}(\lambda_{1}) \\ \varepsilon_{HHb}(\lambda_{2}) \\ \varepsilon_{HHb}(\lambda_{3}) \\ \dots \\ \varepsilon_{HHb}(\lambda_{n}) \end{bmatrix} + \Delta [CCO]^{*} \begin{bmatrix} \varepsilon_{CCO}(\lambda_{1}) \\ \varepsilon_{CCO}(\lambda_{2}) \\ \varepsilon_{CCO}(\lambda_{3}) \\ \dots \\ \varepsilon_{CCO}(\lambda_{n}) \end{bmatrix}, \quad (2)$$

where Δ [HbO], Δ [HHb] and Δ [CCO] are relative concentration changes of HbO, HHb and CCO respectively; $\varepsilon_{\text{HbO}}(\lambda)$, $\varepsilon_{\text{HHb}}(\lambda)$ and $\varepsilon_{\text{CCO}}(\lambda)$ represent the extinction coefficients at each wavelength of HbO, HHb and CCO, which can be found in ref. (3); $L(\lambda)$ is a wavelength dependent factor that denotes the effective pathlength of the detected photons through tissues at each wavelength. Furthermore, according to the Modified Beer-Lambert Law (1, 4), $L(\lambda)$ can be further expressed as:

$$\begin{bmatrix} L(\lambda_{1}) \\ L(\lambda_{2}) \\ L(\lambda_{3}) \\ \dots \\ L(\lambda_{n}) \end{bmatrix} = r^{*} \begin{bmatrix} DPF(\lambda_{1}) \\ DPF(\lambda_{2}) \\ DPF(\lambda_{3}) \\ \dots \\ DPF(\lambda_{n}) \end{bmatrix}, \qquad (3)$$

where *r* is a constant that denotes the source-detector distance. In this study, we used source detector separation of 3 cm, so *r*=3. The wavelength dependence of $L(\lambda)$ is caused by a wavelength-dependent differential pathlength factor, DPF(λ). Note that in this study, we regard DPF as a wavelength dependent vector rather than a constant across the wavelength range. By substituting Eq. (3) into Eq. (2) for multiple wavelengths, the estimation of Δ [HbO], Δ [HHb] and Δ [CCO] can be expressed in a matrix format as follows:

$$\begin{bmatrix} \Delta[HbO]\\ \Delta[HHb]\\ \Delta[CCO] \end{bmatrix} = \frac{1}{r} * \begin{bmatrix} \varepsilon_{HbO}(\lambda_{1}) & \varepsilon_{HHb}(\lambda_{1}) & \varepsilon_{CCO}(\lambda_{1})\\ \varepsilon_{HbO}(\lambda_{2}) & \varepsilon_{HHb}(\lambda_{2}) & \varepsilon_{CCO}(\lambda_{2})\\ \dots \\ \varepsilon_{HbO}(\lambda_{n}) & \varepsilon_{HHb}(\lambda_{n}) & \varepsilon_{CCO}(\lambda_{n}) \end{bmatrix}^{-1} \begin{bmatrix} \underline{\Delta OD(\lambda_{1})}\\ DPF(\lambda_{1})\\ \underline{\Delta OD(\lambda_{2})}\\ DPF(\lambda_{2})\\ \dots \\ \underline{\Delta OD(\lambda_{n})}\\ DPF(\lambda_{n}) \end{bmatrix}.$$
(4)

In order to accurately solve Δ [HbO], Δ [HHb] and Δ [CCO] using Eq. (4), we would need to know DPF(λ) in the wavelength range of our measurements. It is known that appropriate or accurate selection/estimation of wavelength-dependent DPF is crucial for accurate estimation of chromophore concentrations (5). In this study, DPF(λ) values were assumed to be time-invariant because of given stable brain optical properties. Based on diffusion theory with the semi-infinite boundary geometry (6), DPF(λ) can be determined by

$$DPF(\lambda) = \frac{\sqrt{3\mu_{s}'(\lambda)}}{2\sqrt{\mu_{a}(\lambda)}} * \frac{r\sqrt{3\mu_{a}(\lambda)\mu_{s}'(\lambda)}}{r\sqrt{3\mu_{a}(\lambda)\mu_{s}'(\lambda)} + 1}$$
(5)

where $\mu a(\lambda)$ and $\mu s'(\lambda)$ are the estimated absorption and reduced scattering coefficients across the wavelength range of interest. The following steps list sequential procedures for quantifying $\mu a(\lambda)$ and $\mu s'(\lambda)$ of the human forehead across all the subjects.

- (1) In the beginning of each experiment, each subject's right forehead was measured with a frequency-domain OxiplexTS tissue oximeter, which could provide absolute concentrations of [HbO] and [HHb] at the measurement site as well as absolute values of μa and μs' at 750, 785, 811, and 830 nm.
- (2) The measured concentrations of [HbO] and [HHb] were multiplied by wavelengthdependent extinction coefficients, $\varepsilon_{HbO}(\lambda)$ and $\varepsilon_{HHb}(\lambda)$, respectively, in the spectral range of 740-900 nm. This operation would generate a spectrum of absorption coefficient across 740-900 nm, based on $\mu a(\lambda) = \varepsilon_{HbO}(\lambda)$ [HbO] + $\varepsilon_{HHb}(\lambda)$ [HHb].
- (3) In the meantime, according to Mie Theory (7), light scattering coefficients across 740-900 nm can be expressed by $\mu s'(\lambda) = k\lambda^{-b}$, where *k* and *b* are constants that are associated with the size and density of light scatterers. In this study, *k* and *b* were obtained by fitting this equation to the four measured $\mu s'$ values at 750, 785, 811, and 830 nm in step (1).

- (4) We then interpolated and extrapolated the $\mu s'(\lambda)$ values in 740-900 nm by $\mu s'(\lambda) = k\lambda^{-b}$.
- (5) Then, by substituting the quantified μa(λ) and μs'(λ) values across 740-900 nm back into Eq. (5), we were able to obtain DPF(λ) of the subject's forehead within 740-900 nm for further data processing.

Next, a multiple linear regression analysis was implemented in 740-900 nm (with a total of 161 wavelengths) to fit for Δ [HbO], Δ [HHb] and Δ [CCO] based on Eq. 4 using a MATLAB-based function.

References:

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