

Parameter	Interpretation	Units	default
<b>Demographic parameters</b>			
$T_L$	Larval duration	days	10
$\mu_J$	Larval density independent mortality	$day^{-1}$	0.05
$\mu_A$	Adult mortality	$day^{-1}$	0.125
$\theta$	Oviposition rate	$(\text{mated female})^{-1}(\text{day})^{-1}$	9
$\beta$	Density of males when mating rate = $1/2(\text{unmated female})^{-1}(\text{day})^{-1}$	-	100
<b>Carrying capacity</b>			
$\left[ \alpha(x, t) = \alpha_0 + \alpha_1(1 - e^{-\phi r(x, t)}) + \alpha_2(1 - e^{-\kappa[W_p(x) + W_n(x)(1 - e^{-\delta r(x, t)})]}) \right]$			
$\alpha_0$	Baseline contribution	-	0
$\alpha_1$	Maximum contribution from rain <i>per se</i>	-	$2 \times 10^5$
$\alpha_2$	Maximum contribution from water bodies	-	$2 \times 10^5$
$\phi$	Increase in $\alpha(x, t)/\alpha_1$ per mm rain per week (when rainfall low)	$(\text{mm rain})^{-1}\text{week}^{-1}$	0.03
$\kappa$	Increase in $\alpha(x, t)/\alpha_2$ per km standing water (within 5km; when water bodies rare)	$(\text{km water})^{-1}$	0.8
$\delta$	Increase in length of standing water from non-permanent waterways per km non-permanent waterways (within 5km) per mm rain per week (when rainfall low)	$(\text{mm rain})^{-1}\text{week}^{-1}$	0.03
<b>Spatial parameters</b>			
$d$	Probability adult disperses to a connected village	$day^{-1}$	0.001
$L_d$	Maximum distance at which populations are connected to each other	km	10
$L_w$	Maximum distance at which populations are connected to water bodies	km	5
<b>Aestivation</b>			
$t_{A1}$	Day mated females begin aestivation	date	27 <sup>th</sup> October
$t_{A2}$	Day mated females cease aestivation	date	16 <sup>th</sup> December
$t_{A3}$	Day mated females begin emerging from aestivation	date	20 <sup>th</sup> May
$t_{A4}$	Day mated females finish emerging from aestivation	date	19 <sup>th</sup> June
$\psi$	Probability female goes into aestivation	$day^{-1}$	0
$\mu_E$	Probability female dies during aestivation	-	0.95
<b>Long distance migration</b>			
$t_{D1}$	Day mated females begin NE→SW migration	date	1 <sup>st</sup> January
$t_{D2}$	Day mated females end NE→SW migration	date	30 <sup>th</sup> January
$t_{D3}$	Day mated females begin SW→NE migration	date	20 <sup>th</sup> July
$t_{D4}$	Day mated females end SW→NE migration	date	19 <sup>th</sup> August
$d_M$	Probability female migrates	$day^{-1}$	0
$\mu_m$	Probability female dies during migration	-	0.95

**Table S1:** Model parameters