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Supplementary Materials for

Full in vivo characterization of carbonate chemistry at the site of calcification in corals

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Fig. S1. Simultaneous measurement of pH and carbonate by two LIX microsensors in the same location (distance between sensor tips, $<10 \ \mu m$) of the ECM within the growing edge of a *S. pistillata* microcolony.

Fig. S2. pH profiles measured in the polyps of different microcolonies of *S. pistillata* by entering a pH LIX microsensor through the polyp mouth ($\approx 0 \mu m$).

Fig. S3. Carbonate depth profile measured by entering a CO_3^{2-} LIX microsensor through the polyp mouth (at ~200 µm) of a *S. pistillata* microcolony.

Fig. S4. Retraction of the coral polyp upon microsensor insertion.

Note S1. Derivation of Eq. 1 to calculate DIC.

Note S2. Calculation of the compound SD for DIC and $\Omega_{arag.}$

Supplementary Materials

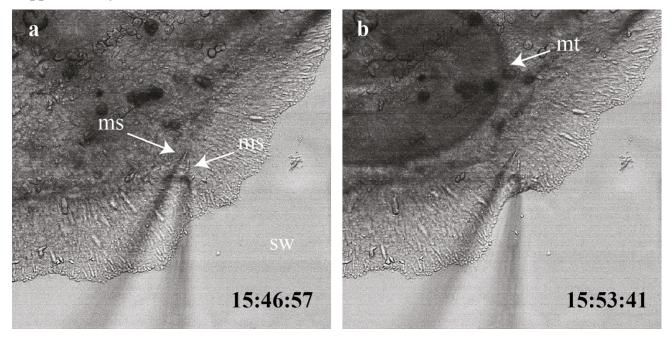
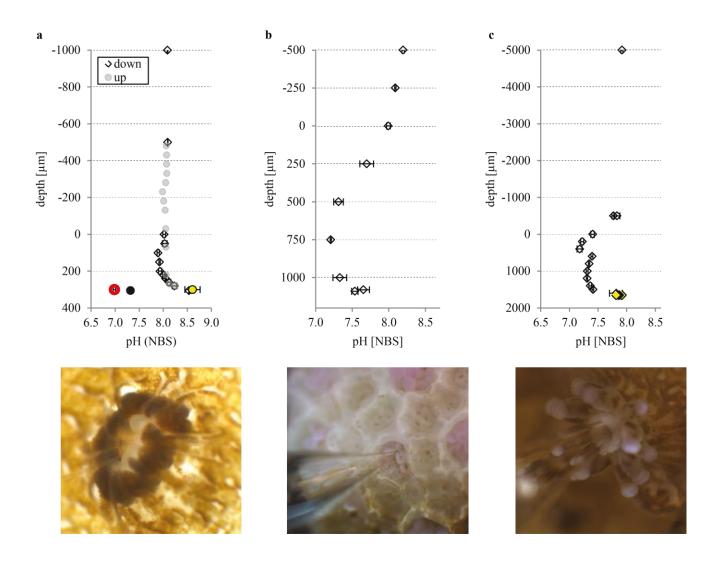
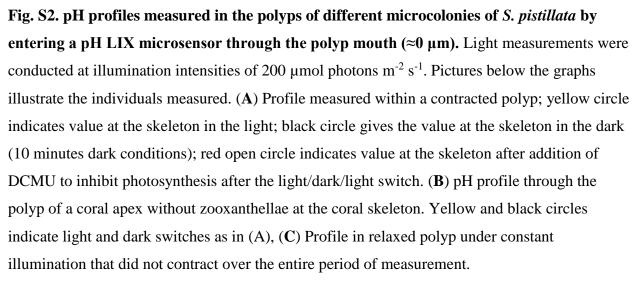
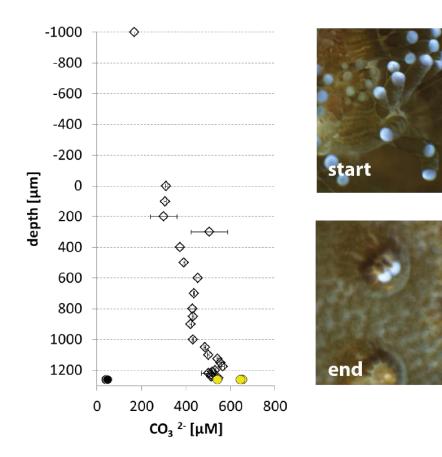
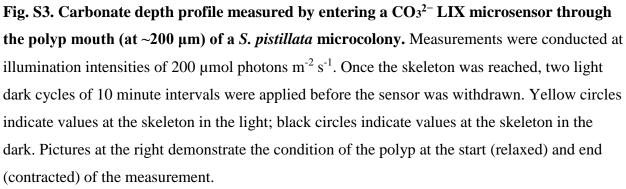


Fig. S1. Simultaneous measurement of pH and carbonate by two LIX microsensors in the same location (distance between sensor tips, <10 μ m) of the ECM within the growing edge of a *S. pistillata* microcolony. ms: microsensor, sw: seawater, cr: crystals, mt: mesentery (A) Inverted brightfield image at the start of measurement with the sensor tips in the ECM. (B) Inverted brightfield image approximately seven minutes after start of the measurement showing retraction of the growing edge and mesentery activity.









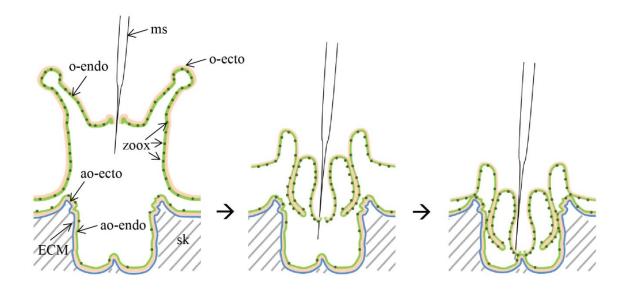


Fig. S4. Retraction of the coral polyp upon microsensor insertion. Simplified schematic overview of a coral polyp retracting upon insertion of the microsensor through the polyp mouth as observed in almost all our microsensor measurements on polyps of *S. pistillata*. The stepwise contraction of the coral polyp suggests a strong local increase of zooxanthellae density within the polyp which we propose results in a microenvironment where photosynthesis and respiration have a strong influence on chemistry at the site of the microelectrode measurement. **Orange line**: ectoderm, **green line**: endoderm, **dark green dots**: zooxanthellae, **blue line**: extracellular calcifying medium (ECM), **o-ecto**: oral ectoderm, **o-endo**: oral endoderm, **ao-ecto**: aboral endoderm, **zoox**: zooxanthellae, **ms**: microsensor, **sk**: skeleton.

Note S1. Derivation of Eq. 1 to calculate DIC.

$$K_1 = [H^+] [HCO_3 -]/ [CO_2]$$
 (a)*

$$K_2 = [H^+] [CO_3^{2-}] / [HCO_3^{-}]$$
 (b)*

$$DIC = [CO_3^{2-}] + [HCO_3^{-}] + [CO_2]$$
(c)

1. Rearrange equation (a) and solve for [HCO₃-]

 $K_1 = [H^+] [HCO_3^-] / [CO_2]$ $\rightarrow K_1 [CO_2] / [H^+] = [HCO_3^-]$

- 2. Substitute [HCO3-] in equation (b) with rearranged equation (a)
 - $K_2 = [H^+] [CO_3^{2-}] / [HCO_3^-]$ → $K_2 = [H^+] [CO_3^{2-}] / (K_1 [CO_2] / [H^+])$ $= [H^+]^2 [CO_3^{2-}] / K_1 [CO_2]$ Solve this sumstion for [CO_1]

Solve this equation for [CO₂]

→ $[CO_2] = [H^+]^2 [CO_3^{2-}]/K_1K_2$

3. Substitute [HCO₃⁻] in equation (c) with rearranged equation (a) and [CO₂] in equation (c) with rearranged equation (b).

$$DIC = [CO_3^{2-}] + [HCO_3^{-}] + [CO_2]$$

→ DIC =
$$[CO_3^{2-}] + (K_1[CO_2]/[H^+]) + ([H^+]^2[CO_3^{2-}]/K_1K_2)$$

- → DIC = $[CO_3^{2-}] + (K_1 ([H^+]^2 [CO_3^{2-}]/K_1K_2)/[H^+]) + ([H^+]^2 [CO_3^{2-}]/K_1K_2)$
- → K_1 and H⁺ in second term cancel out
- → DIC = $[CO_3^{2-}] + ([H^+][CO_3^{2-}]/K_2) + ([H^+]^2[CO_3^{2-}]/K_1K_2)$
- → factorize [CO_3^{2-}]
- → <u>DIC = [CO₃²⁻] (1+ ([H⁺]/K₂) + ([H⁺]²/K₁K₂))</u> (1)

* Millero et al 2006 (52)

 $[H^+]=10^{-pH}$ and $K=10^{-pK}$

Note S2. Calculation of the compound SD for DIC and $\Omega_{arag.}$

To compute the **compound standard deviation** σ_{Ω} **for** Ω_{arag} defined as $\Omega_{arag} = \frac{[ca^{2+}][co_3^{2-}]}{\kappa_{sp}}$, we consider that the values of $[CO_3^{2-}]$ and $[Ca^{2+}]$ are statistically independent random variables.

A direct calculation gives thus the expression

$$\sigma_{\Omega} = \frac{\sqrt{\sigma_{CO_3}^2 \sigma_{Ca}^2 + \sigma_{CO_3}^2 \mu_{Ca}^2 + \mu_{CO_3}^2 \sigma_{Ca}^2}}{K_{sp}} \times 10^{-7}$$
(3)

where

 $\mu_{CO_3} = \text{mean value of } [CO_3^{2^-}],$ $\mu_{Ca} = \text{mean value } [Ca^{2^+}],$ $\sigma_{CO_3} = \text{standard deviation of parameter } [CO_3^{2^-}],$ $\sigma_{Ca} = \text{standard deviation of parameter } [Ca^{2^+}],$ and $K_{sp} = \text{solubility constant for aragonite at salinity 38 and 25°C as derived from Mucci } (53).$

The calculation for the **compound standard deviation** σ_{DIC} of **DIC** which is defined as $DIC = [CO_3^{2-}] \left(1 + \frac{[H^+]}{K_2} + \frac{[H^+]^2}{K_1K_2}\right)$ requires the extra (but reasonable) assumption that within the range of our measurement, the values for $[H^+]$ can be described as a Gaussian distribution. This is required in order to have an estimate of the contribution of the squared term $[H^+]^2$ to the standard deviation of the DIC.

Under such assumptions, a direct calculation shows that the mean (μ_z) and standard deviation (σ_z) of the term $z = \left(1 + \frac{x}{K_2} + \frac{x^2}{K_1 K_2}\right)$ equals

$$\mu_{z} = \left(1 + \frac{\mu_{x}}{K_{2}} + \frac{\mu_{x}^{2} + \sigma_{x}^{2}}{K_{1}K_{2}}\right) \text{ and } \sigma_{z} = \left(\frac{\sigma_{x}}{K_{1}K_{2}}\right) \sqrt{((K_{1} + 2\mu_{x})^{2} + 2\sigma_{x}^{2})}$$

Combining these expressions with the formulas for the mean and standard deviation of the product of independent variables, we obtain the final result for DIC with

$$\mu_{DIC} = \mu_{CO_3} \left(1 + \frac{\mu_{H^+}}{K_2} + \frac{\mu_{H^+}^2 + \sigma_{H^+}^2}{K_1 K_2} \right)$$

$$\sigma_{DIC}^2 = \left(\frac{\sigma_{H^+}}{K_1 K_2}\right)^2 \left((K_1 + 2\mu_{H^+})^2 + 2\sigma_{H^+}^2 \right) \left(\mu_{CO_3}^2 + \sigma_{CO_3}^2 \right) + \sigma_{CO_3}^2 \left(1 + \frac{\mu_{H^+}}{K_2} + \frac{\mu_{H^+}^2 + \sigma_{H^+}^2}{K_1 K_2} \right), \text{ thus}$$

$$\sigma_{DIC} = \sqrt{\left(\frac{\sigma_{H^+}}{K_1 K_2}\right)^2 \left((K_1 + 2\mu_{H^+})^2 + 2\sigma_{H^+}^2\right) \left(\mu_{CO_3}^2 + \sigma_{CO_3}^2\right) + \sigma_{CO_3}^2 \left(1 + \frac{\mu_{H^+}}{K_2} + \frac{\mu_{H^+}^2 + \sigma_{H^+}^2}{K_1 K_2}\right)} \quad (4)$$

where K_1 and K_2 are the dissociation constants for carbonic acid in seawater at salinity 38 and 25°C, respectively, as derived from Millero et al. (52).