

Supplementary Materials for **Electronic structure at coarse-grained resolutions from supervised machine learning**

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ANN-ECG temperature transferability

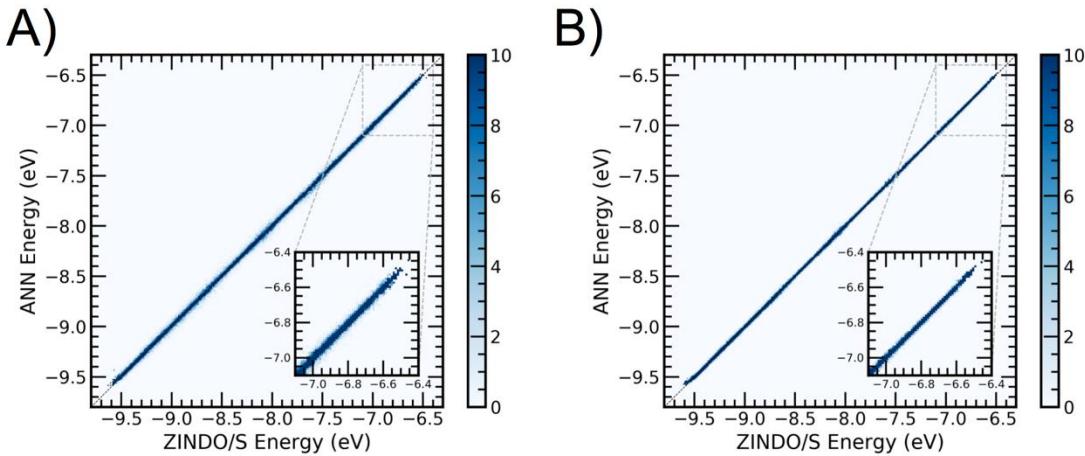


Fig. S1. Temperature transferability of the ANN-ECG model. 2D histograms of ANN-ECG performance (A) trained on 300 K/rigid applied to 500 K/rigid and (B) trained on 500 K/rigid applied to 300 K/rigid. Colorbar denotes the probability distribution of predicted HOMO energy levels, and the inset shows the prediction in the interval of the highest-energy HOMO.

ANN-ECG performance vs. training data size

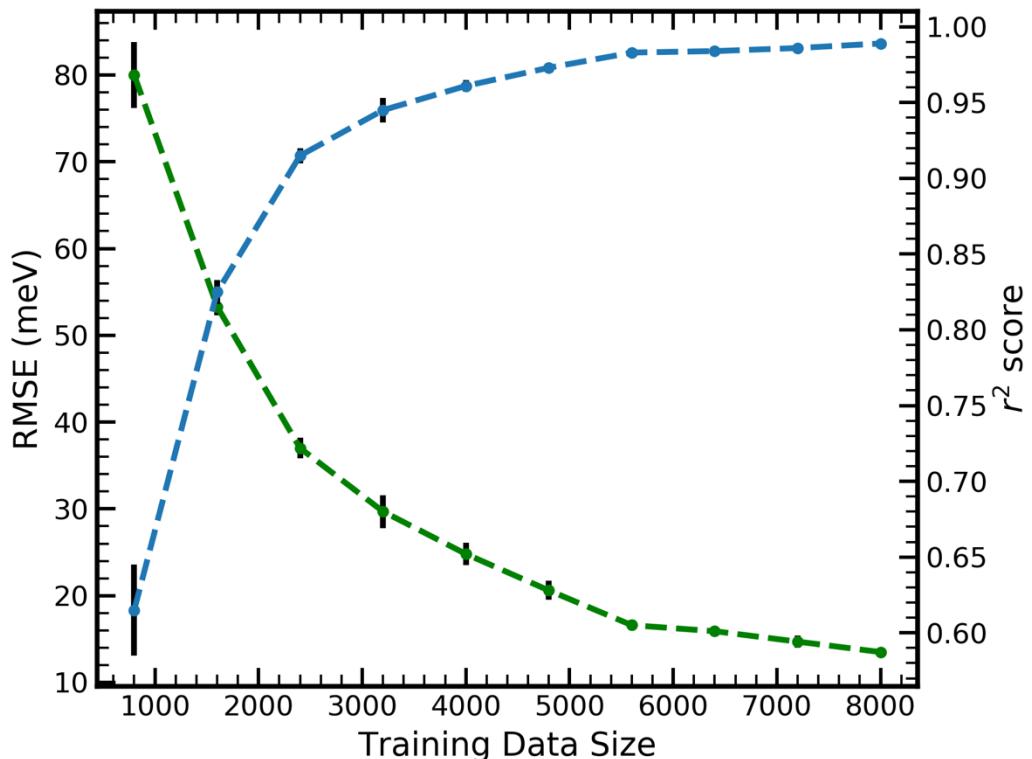


Fig. S2. ANN-ECG performance versus training data size for 500 K/rigid dataset. Plot of ANN-ECG performance vs. size of training set for the 500 K/rigid data set of S3MT. RMSE (green) and r^2 (blue) error bars obtained via 5-fold cross-validation applied to a held-out 1,000 configuration validation data set. Error bars represent one standard deviation.

Tight-binding model fitting parameters

Temp/Condition	ε (eV)	$t_{i,i+1}$ (eV)
300K/rigid	-8.0824	0.902
500K/rigid	-8.0605	0.905
300K/flex	-8.0418	0.890
500K/flex	-8.0026	0.888

Modified 2-Band tight-binding Hamiltonian results

To explore the accuracy of more complicated tight-binding models, we applied a simplex fitting procedure for a two-band tight-binding model with distinct “middle” and “end” sites. The two bands correspond to the HOMO and HOMO-1 energies for each thiophene monomer. This model includes a total of 7 fitting parameters (4 energies – $HOMO_{\text{middle}}$, $HOMO_{\text{end}}$, $HOMO-1_{\text{middle}}$, $HOMO-1_{\text{end}}$, 3 couplings – $HOMO_i-HOMO_{i+1}$, $HOMO_i-HOMO-1_{i+1}$, $HOMO-1_i-HOMO-1_{i+1}$). All couplings were assumed to be proportional to the cosine of the dihedral angle between neighboring monomers. This tight-binding Hamiltonian was regressed to the 300K/rigid data set. The obtained performance was quantitatively similar to that derived from the simple 1-band tight-binding model. These results obtained a RMSE 54.1 ± 0.9 meV and a r^2 of 0.784 ± 0.001 .

Example HOMO energy distributions from ZINDO/S

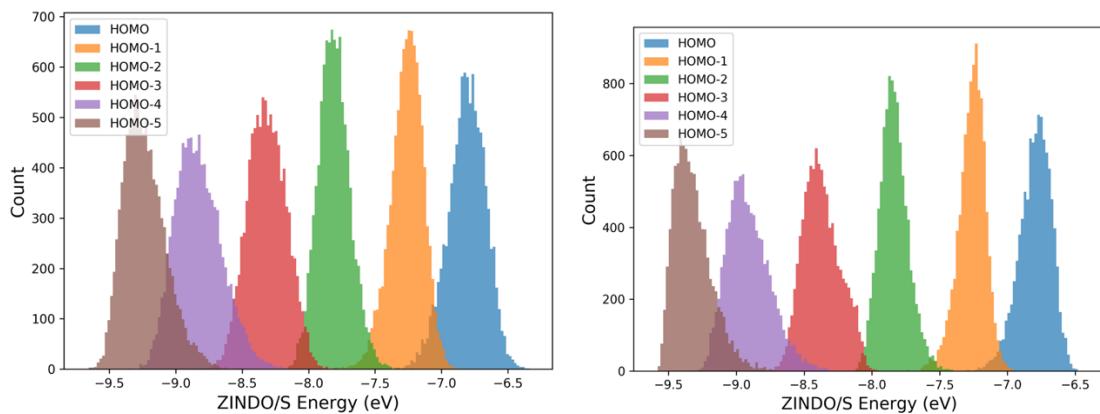


Fig. S3. Distribution of HOMO energy levels for 300 K/flexible and 300 K/rigid datasets.

Hyperparameter optimizations

We performed a hyperparameter grid search of the number of layers in the ANN, as well as the number of neurons within each layer. Improvements were not observed for more than 2 hidden layers. Performance estimates occurred for 10,000 epochs with 1,000 batch size using 5-fold cross-validated RMSE and r^2 on the 300K/rigid data set using the 3-bead/3MT orthogonal coordinate system monomer mapping.

Table S1. Hyperparameter optimization for ANN layers and neurons. We also optimized the number of training epochs as a hyperparameter for the 50,50,50,6 ANN architecture applied to the 300K/rigid data set.

Layering	RMSE (meV)	r ²
40,6	31.9	0.938
80,6	28.0	0.953
40,10,6	28.0	0.952
40,20,6	21.1	0.972
40,40,6	19.3	0.977
80,40,6	17.1	0.982
40,40,20,6	16.5	0.983
40,40,40,6	15.6	0.985
50,50,50,6	15.3	0.985
30,30,30,6	17.1	0.982
60,60,60,6	18.6	0.978
30,30,30,30,6	16.5	0.983
35,35,35,35,6	16.1	0.984
40,40,40,40,6	17.1	0.981
45,45,45,45,6	16.6	0.981
40,40,30,20,16,12,6	16.8	0.982

Table S2. Hyperparameter optimization for number of training epochs. We also tested various dropout regularization percentages applied to all hidden layers, but results were inferior to those using a smaller network size without dropout regularization.

Epochs	RMSE (meV)	r ²
2000	21.1	0.972
5000	18.5	0.978
8000	17.2	0.981
10000	15.3	0.985
20000	15.1	0.986
50000	14.6	0.987
100000	13.5	0.989

He normal initialization, Nesterov-accelerated ADAM optimization, the exponential linear unit activation function, batch normalization, and L2-norm weight restriction were all taken as recommended default ANN regression settings from Sebastian Raschka, *Python Machine Learning*, 2nd Edition, ISBN-10: 1787125939.

Coarse-grained mappings for main-text Figure 4

Coarse-grained mappings were generated using graph-based coarse-graining (Ref. 27 of main text) with 7 iterations of spectral grouping. Using the number scheme for 3MT shown in fig. S4, the coarse-grained resolution in the main-text of Figure 4 correspond to the following atomic groupings for each monomer:

0 – [[1],[2],[3],[4],[5],[6],[7],[8],[9],[10]] – atomistic resolution

1 – [[1],[2],[3],[4,6],[5],[7,8,9,10]] – united atom resolution

2 – [[1],[2],[4,6],[5],[3,7,8,9,10]]

3 – [[1],[2],[4,5,6],[3,7,8,9,10]]

4 – [[1,2],[4,5,6],[3,7,8,9,10]]

5 – [[1,2],[3,4,5,6,7,8,9,10]]

6 – [[1,2,3,4,5,6,7,8,9,10]]

7 – 1 bead at COM of every two 3MT monomers.

8 – One bead at COM of entire S3MT

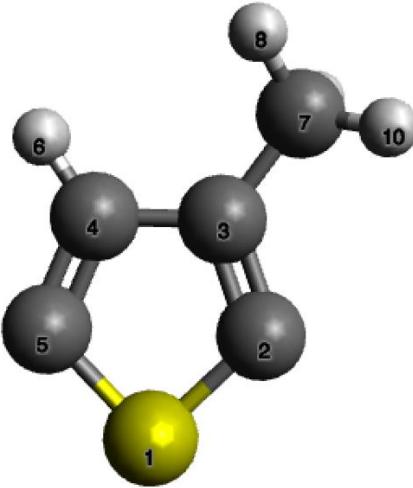


Fig. S4. Atomic numbering scheme used for each 3MT monomer.

Cross-validated results for main-text Figure 4

To check the dependence of the learned values on we perform a grid search at every level of resolution through the following parameter space neurons_per_layer = [10,20,30,40,50,60], num_layers = [1,2,3,4],

initializers=['he_normal','lecun_normal'],opt=['Adam','NAdam','rmsprop']. These errors are compared to that using the [50,50,50,6] ANN hyperparameters.

Table S3. Results using ANN-ECG and a systematic coarse-graining strategy. Corresponds directly to data plotted in main-text Figure 5 (A). HP Opt = Hyperparameter optimization for each resolution.

Method	Dataset	RMSE (meV)	R ²	RMSE (HP Opt)	R ² (HP Opt)
ANN – Res 0	300 K/flexible	47.0	0.89	41.0	0.918
ANN – Res 1	300 K/flexible	41.0	0.918	37.9	0.930
ANN – Res 2	300 K/flexible	61.0	0.809	56.2	0.841
ANN – Res 3	300 K/flexible	70.0	0.748	66.2	0.775
ANN – Res 4	300 K/flexible	74.0	0.721	71.0	0.745
ANN – Res 5	300 K/flexible	76.0	0.713	73.1	0.731
ANN – Res 6	300 K/flexible	130.0	0.193	128.6	0.21
ANN – Res 7	300 K/flexible	139.0	0.073	139.0	0.078
ANN – Res 8	300 K/flexible	148.0	-0.042	146.0	0.0

Delta-ML approach to S3MT HOMO band energies

To compute a delta-ML style prediction, we utilize the fitting parameters from the 300K rigid tight-binding model to find the difference between the ZINDO/S predicted energies and that of the fitted tight-binding result. This difference is then directly regressed to the distance matrix of the coarse-grained coordinates.

Delta-ML approach achieves a 5-fold cross-validated RMSE of 17.3 ± 0.001 meV, and a r^2 score of 0.876 ± 0.001 on the 300K rigid data set. This makes the delta-ML approach comparable, though slightly worse, than the direct regression of the electronic structure from the coarse-grained coordinates. This is consistent with the interpretation that the best performance is achieved when the ANN can apply a non-linear transformation to the completely generalized input feature, as opposed to introducing an additional potential bias to the energies via subtraction of the tight-binding model predictions.

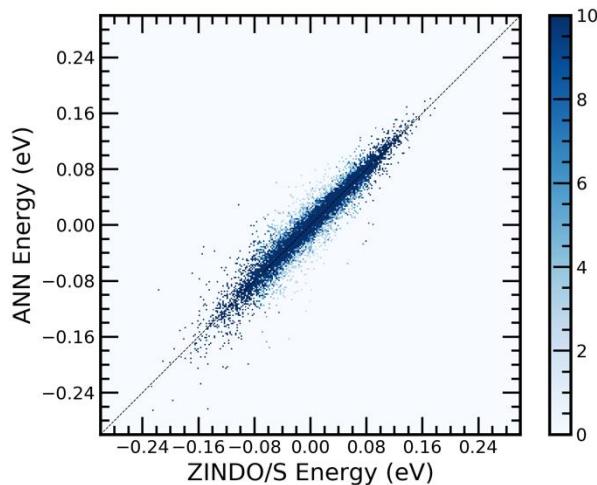


Fig. S5. Delta-machine learning fitting results for ANN-ECG using 300 K/rigid dataset.

Applications of ANN-ECG to other chemical species

To demonstrate the utility of ANN-ECG applied to a variety of conjugated chemical species with differing molecular geometries, we have applied ANN-ECG to a high-performance donor-acceptor conjugated copolymer, PTB7, and a complex non-fullerene acceptor, TPB. We utilize the same rigid monomer approach for PTB7, akin to that for S3MT in the main text, sampling 10,000 configurations at 10 ps intervals taken at 300K. We also use the same 3-bead/monomer mapping as for S3MT. For TPB we apply a rigid monomer approach to all conjugated rings, and select a CG mapping using the graph-based algorithm referenced in the main text with four iterations of spectral grouping. 10,000 configurations are drawn from 1000K MD simulations in an attempt to escape kinetic traps associated with the large perylenediimide units. The TPB mapping is shown, along with the results, in fig. S6B, and represents a reduction of the 352 bead atomistic system to 13 CG beads.

For PTB7, we instead regress both the valence and conduction band energies, specifically the HOMO-2, HOMO-1, HOMO, LUMO, LUMO+1, and LUMO+2 energies simultaneously. For PTB7 we achieve a 5-fold cross-validated RMSE of 4.8 ± 0.3 and a R^2 of 0.989 ± 0.001 using the same ANN hyperparameters as used for the single molecule S3MT results.

For TPB, we regress the four lowest-lying LUMO energy levels of PTB to the 13 CG bead representation, obtaining a 5-fold cross-validated RMSE of 26.2 ± 0.4 meV and R2 of 0.610 ± 0.002 using a [20,20,4] ANN configuration with a batch size of 32, obtained via a grid search hyperparameter optimization.

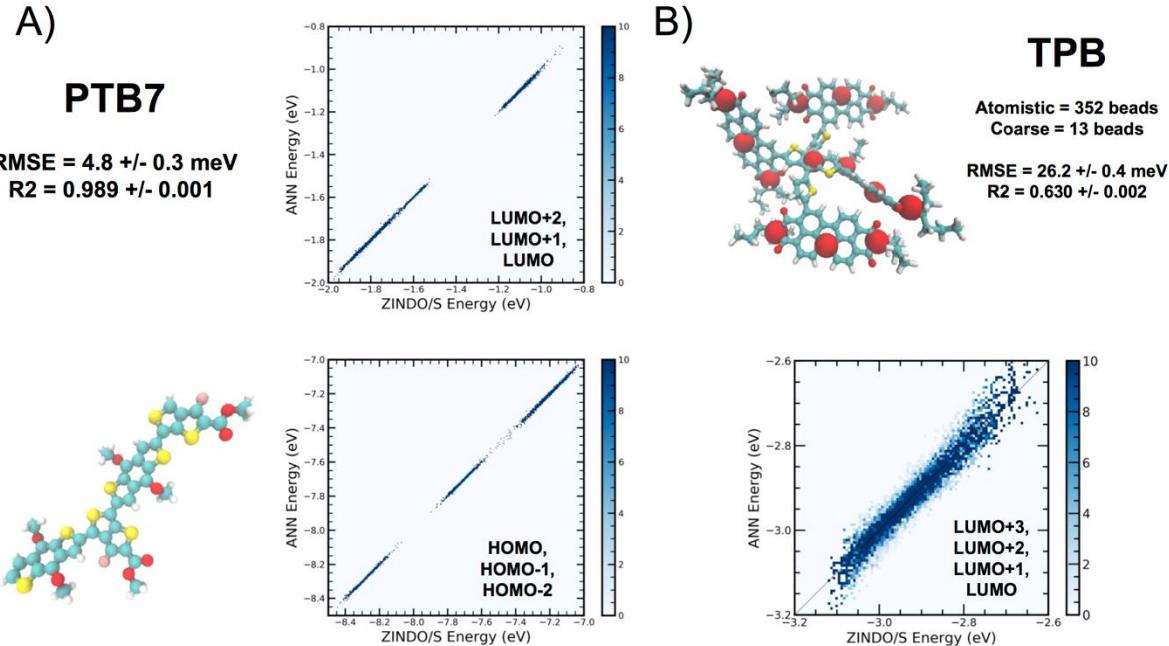


Fig. S6. Application of ANN-ECG to A) conjugated copolymer PTB7 and B) non-fullerene acceptor TPB.

ANN-ECG HOMO prediction at the density functional theory level

To demonstrate the utility of ANN-ECG to more advanced electronic structure methods, we have computed the six highest HOMO energies of S3MT at the BP86/def2-SVP level of DFT theory. Due to the explicit inclusion of all non-local Coulomb and exchange integrals, the entire coarse-grained distance matrix obtains the highest accuracy predictions, as opposed to simply the nearest neighbor CG distances used in the main text. We find that hyperparameter optimization leads to superior cross-validated accuracy when an additional 50 neuron layer is added to the ANN structure of the main text, and ‘lecun_normal’ initialization is used instead of ‘he_normal’. This achieves a 5-fold cross-validated RMSE error of 11.1 ± 0.4 meV and a R2 of 0.94 on the 300K/rigid dataset.

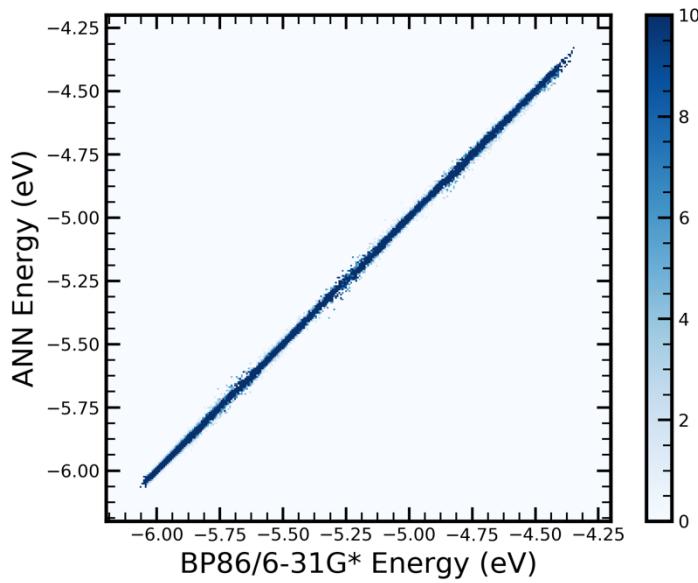


Fig. S7. ANN-ECG results for the HOMO-5→HOMO energy levels of S3MT using 300 K/rigid dataset computed at the BP86/6-31G* level of theory.

Example input file and data file for 300K/rigid MD simulation in LAMMPS

Input file:

```

units real
atom_style full
pair_style lj/cut/coul/cut 20.0 20.0
bond_style harmonic
angle_style harmonic
dihedral_style opls
pair_modify mix arithmetic
special_bonds lj/coul 0.0 0.0 0.5

# ----- Atom Definition Section -----

read_data "box_of_P3MT_poly6.data"

# ----- Setting Section -----

#Non-bonded interactions (pair-wise)
#pair_coeff atomType1 atomType2 eps(kcal/mol) sigma (ang)
pair_coeff 1 1 0.250000 3.550000
pair_coeff 1 2 0.132288 3.550000
pair_coeff 1 3 0.132288 3.550000
pair_coeff 1 4 0.132288 3.550000
pair_coeff 1 5 0.132288 3.550000
pair_coeff 1 6 0.086603 2.931041
pair_coeff 1 7 0.132288 3.550000
pair_coeff 1 8 0.086603 2.979094
pair_coeff 1 9 0.086603 2.931041
pair_coeff 2 2 0.070000 3.550000
pair_coeff 2 3 0.070000 3.550000
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pair_coeff 2 5 0.070000 3.550000
pair_coeff 2 6 0.045826 2.931041
pair_coeff 2 7 0.070000 3.550000
pair_coeff 2 8 0.045826 2.979094
pair_coeff 2 9 0.045826 2.931041
pair_coeff 3 3 0.070000 3.550000
pair_coeff 3 4 0.070000 3.550000
pair_coeff 3 5 0.070000 3.550000

```

```
pair_coeff 3 6 0.045826 2.931041
pair_coeff 3 7 0.070000 3.550000
pair_coeff 3 8 0.045826 2.979094
pair_coeff 3 9 0.045826 2.931041
pair_coeff 4 4 0.070000 3.550000
pair_coeff 4 5 0.070000 3.550000
pair_coeff 4 6 0.045826 2.931041
pair_coeff 4 7 0.070000 3.550000
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pair_coeff 4 9 0.045826 2.931041
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pair_coeff 6 9 0.030000 2.420000
pair_coeff 7 7 0.070000 3.550000
pair_coeff 7 8 0.045826 2.979094
pair_coeff 7 9 0.045826 2.931041
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pair_coeff 8 9 0.030000 2.459675
pair_coeff 9 9 0.030000 2.420000
```

#Stretching Interactions

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bond_coeff 2 250.0 1.7500
bond_coeff 3 546.0 1.3860
bond_coeff 4 546.0 1.4540
bond_coeff 5 546.0 1.4280
bond_coeff 6 317.0 1.5080
bond_coeff 7 546.0 1.3780
bond_coeff 8 367.0 1.0800
bond_coeff 9 367.0 1.0800
bond_coeff 10 340.0 1.0900
bond_coeff 11 367.0 1.0800
```

#Standard 3-body bending interactions

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#angle_coeff angletype k (kcal/mol rad^-2) Theta_0 (degrees)
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angle_coeff 2 70.0 111.000
angle_coeff 3 70.0 118.400
angle_coeff 4 70.0 131.100
angle_coeff 5 70.0 112.000
angle_coeff 6 70.0 125.600
angle_coeff 7 70.0 122.400
angle_coeff 8 70.0 114.800
angle_coeff 9 35.0 132.100
angle_coeff 10 35.0 125.700
angle_coeff 11 70.0 110.000
angle_coeff 12 35.0 121.600
angle_coeff 13 35.0 120.000
angle_coeff 14 35.0 109.500
angle_coeff 15 33.0 107.800
angle_coeff 16 70.0 123.100
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angle_coeff 18 35.0 121.600
angle_coeff 19 35.0 120.000
```

#Dihedral twisting interactions

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dihedral_coeff 6 0 7.250 0 0
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dihedral_coeff 9 0 0 0 0
dihedral_coeff 10 0 0 0 0
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```

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dihedral_coeff 24 0 7.250 0 0
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dihedral_coeff 26 0 3.050 0 0
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# ----- Run Section -----

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neigh_modify delay 0 every 1 check yes page 1000000 one 100000

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group mono2 id 11 12 13 14 15 16 17 18 19 20
group mono3 id 21 22 23 24 25 26 27 28 29 30
group mono4 id 31 32 33 34 35 36 37 38 39 40
group mono5 id 41 42 43 44 45 46 47 48 49 50
group mono6 id 51 52 53 54 55 56 57 58 59 60 62

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#SIMULATION (nPT for 6 ns; 100 ps snapshots)
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fix 4 all rigid group 6 mono1 mono2 mono3 mono4 mono5 mono6 langevin 300.0 600.0 100.0 908246
run 2000000
unfix 4

fix 1 all nve
fix 4 all rigid group 6 mono1 mono2 mono3 mono4 mono5 mono6 langevin 600.0 300.0 100.0 239085
run 2000000
unfix 4

fix 1 all nve
fix 4 all rigid group 6 mono1 mono2 mono3 mono4 mono5 mono6 langevin 300.0 300.0 100.0 114675
dump 5 all custom 10000 300K_rigid.trj id mass xu yu zu
dump_modify 5 sort id
run 100000000
undump 5
unfix 4

Data file:

LAMMPS Description

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  67 bonds
 114 angles
 152 dihedrals
    0 impropers

  9 atom types
 11 bond types
 19 angle types
 28 dihedral types
    0 improper types

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 0.0 200.0 ylo yhi
 0.0 200.0 zlo zhi

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58 2 51 55
59 3 52 53
60 11 52 62
61 5 53 54
62 6 53 57
63 7 54 55
64 8 54 56
65 10 57 58
66 10 57 59
67 10 57 60

Angles

1 1 2 1 5
2 2 1 2 3
3 3 1 2 15
4 4 3 2 15
5 5 2 3 4
6 6 2 3 7
7 7 4 3 7
8 8 3 4 5
9 9 3 4 6
10 10 5 4 6
11 11 1 5 4
12 12 1 5 61
13 13 4 5 61
14 14 3 7 8
15 14 3 7 9
16 14 3 7 10
17 15 8 7 9
18 15 8 7 10
19 15 9 7 10
20 1 12 11 15
21 2 11 12 13
22 3 11 12 25
23 4 13 12 25
24 5 12 13 14
25 6 12 13 17
26 7 14 13 17
27 8 13 14 15
28 9 13 14 16
29 10 15 14 16
30 16 2 15 11
31 17 2 15 14
32 11 11 15 14
33 14 13 17 18
34 14 13 17 19
35 14 13 17 20
36 15 18 17 19
37 15 18 17 20
38 15 19 17 20
39 1 22 21 25
40 2 21 22 23
41 3 21 22 35
42 4 23 22 35
43 5 22 23 24
44 6 22 23 27
45 7 24 23 27
46 8 23 24 25
47 9 23 24 26
48 10 25 24 26
49 16 12 25 21
50 17 12 25 24
51 11 21 25 24
52 14 23 27 28
53 14 23 27 29
54 14 23 27 30
55 15 28 27 29
56 15 28 27 30
57 15 29 27 30
58 1 32 31 35
59 2 31 32 33
60 3 31 32 45
61 4 33 32 45
62 5 32 33 34
63 6 32 33 37
64 7 34 33 37
65 8 33 34 35
66 9 33 34 36
67 10 35 34 36
68 16 22 35 31
69 17 22 35 34
70 11 31 35 34
71 14 33 37 38
72 14 33 37 39

73 14 33 37 40
74 15 38 37 39
75 15 38 37 40
76 15 39 37 40
77 1 42 41 45
78 2 41 42 43
79 3 41 42 55
80 4 43 42 55
81 5 42 43 44
82 6 42 43 47
83 7 44 43 47
84 8 43 44 45
85 9 43 44 46
86 10 45 44 46
87 16 32 45 41
88 17 32 45 44
89 11 41 45 44
90 14 43 47 48
91 14 43 47 49
92 14 43 47 50
93 15 48 47 49
94 15 48 47 50
95 15 49 47 50
96 1 52 51 55
97 2 51 52 53
98 18 51 52 62
99 19 53 52 62
100 5 52 53 54
101 6 52 53 57
102 7 54 53 57
103 8 53 54 55
104 9 53 54 56
105 10 55 54 56
106 16 42 55 51
107 17 42 55 54
108 11 51 55 54
109 14 53 57 58
110 14 53 57 59
111 14 53 57 60
112 15 58 57 59
113 15 58 57 60
114 15 59 57 60

Dihedrals

1 1 5 1 2 3
2 2 5 1 2 1 5
3 3 2 1 5 4
4 4 2 1 5 6 1
5 5 1 2 3 4
6 6 1 2 3 7
7 7 15 2 3 4
8 8 15 2 3 7
9 9 1 2 15 11
10 10 1 2 15 14
11 11 3 2 15 11
12 12 3 2 15 14
13 13 2 3 4 5
14 14 2 3 4 6
15 15 7 3 4 5
16 16 7 3 4 6
17 17 2 3 7 8
18 17 2 3 7 9
19 17 2 3 7 10
20 18 4 3 7 8
21 18 4 3 7 9
22 18 4 3 7 10
23 19 3 4 5 1
24 20 3 4 5 6 1
25 21 6 4 5 1
26 22 6 4 5 6 1
27 1 15 11 12 13
28 2 15 11 12 25
29 23 12 11 15 2

30 3 12 11 15 14
31 5 11 12 13 14
32 6 11 12 13 17
33 7 25 12 13 14
34 8 25 12 13 17
35 9 11 12 25 21
36 10 11 12 25 24
37 11 13 12 25 21
38 12 13 12 25 24
39 13 12 13 14 15
40 14 12 13 14 16
41 15 17 13 14 15
42 16 17 13 14 16
43 17 12 13 17 18
44 17 12 13 17 19
45 17 12 13 17 20
46 18 14 13 17 18
47 18 14 13 17 19
48 18 14 13 17 20
49 24 13 14 15 2
50 19 13 14 15 11
51 25 16 14 15 2
52 21 16 14 15 11
53 1 25 21 22 23
54 2 25 21 22 35
55 23 22 21 25 12
56 3 22 21 25 24
57 5 21 22 23 24
58 6 21 22 23 27
59 7 35 22 23 24
60 8 35 22 23 27
61 9 21 22 35 31
62 10 21 22 35 34
63 11 23 22 35 31
64 12 23 22 35 34
65 13 22 23 24 25
66 14 22 23 24 26
67 15 27 23 24 25
68 16 27 23 24 26
69 17 22 23 27 28
70 17 22 23 27 29
71 17 22 23 27 30
72 18 24 23 27 28
73 18 24 23 27 29
74 18 24 23 27 30
75 24 23 24 25 12
76 19 23 24 25 21
77 25 26 24 25 12
78 21 26 24 25 21
79 1 35 31 32 33
80 2 35 31 32 45
81 23 32 31 35 22
82 3 32 31 35 34
83 5 31 32 33 34
84 6 31 32 33 37
85 7 45 32 33 34
86 8 45 32 33 37
87 9 31 32 45 41
88 10 31 32 45 44
89 11 33 32 45 41
90 12 33 32 45 44
91 13 32 33 34 35
92 14 32 33 34 36
93 15 37 33 34 35
94 16 37 33 34 36
95 17 32 33 37 38
96 17 32 33 37 39
97 17 32 33 37 40
98 18 34 33 37 38
99 18 34 33 37 39
100 18 34 33 37 40
101 24 33 34 35 22
102 19 33 34 35 31
103 25 36 34 35 22

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104 21 36 34 35 31
105 1 45 41 42 43
106 2 45 41 42 55
107 23 42 41 45 32
108 3 42 41 45 44
109 5 41 42 43 44
110 6 41 42 43 47
111 7 55 42 43 44
112 8 55 42 43 47
113 9 41 42 55 51
114 10 41 42 55 54
115 11 43 42 55 51
116 12 43 42 55 54
117 13 42 43 44 45
118 14 42 43 44 46
119 15 47 43 44 45
120 16 47 43 44 46
121 17 42 43 47 48
122 17 42 43 47 49
123 17 42 43 47 50
124 18 44 43 47 48
125 18 44 43 47 49
126 18 44 43 47 50
127 24 43 44 45 32
128 19 43 44 45 41
129 25 46 44 45 32
130 21 46 44 45 41
131 1 55 51 52 53
132 26 55 51 52 62
133 23 52 51 55 42
134 3 52 51 55 54
135 5 51 52 53 54
136 6 51 52 53 57
137 27 62 52 53 54
138 28 62 52 53 57
139 13 52 53 54 55
140 14 52 53 54 56
141 15 57 53 54 55
142 16 57 53 54 56
143 17 52 53 57 58
144 17 52 53 57 59
145 17 52 53 57 60
146 18 54 53 57 58
147 18 54 53 57 59
148 18 54 53 57 60
149 24 53 54 55 42
150 19 53 54 55 51
151 25 56 54 55 42
152 21 56 54 55 51

```

Example ORCA script for electronic structure calculation

```

#
!RHF ZINDO/S TightSCF

* xyz 0 1
S   10.3218   17.1691   23.3159
C   9.51226   17.054    21.7579
C   8.31465   17.763    21.7721
C   8.07348   18.4161   23.0221
C   9.06475   18.1962   23.9525
H   7.22119   19.0296   23.2749
C   7.3402    17.8827   20.6213
H   6.65105   18.7126   20.7796
H   7.87279   18.0572   19.6862
H   6.75726   16.9669   20.5231
S   11.8957   16.2049   20.4419
C   11.749    15.3394   18.921
C   10.4116   15.2021   18.5695
C   9.52567   15.7728   19.5368
C   10.1618   16.3688   20.6072
H   8.44664   15.771    19.4855
C   9.88493   14.5171   17.328
H   8.82294   14.2916   17.4284

```

H	10.0182	15.1589	16.4571
H	10.4157	13.5808	17.154
S	14.0645	13.7571	18.5339
C	14.9366	13.9429	17.021
C	14.3365	14.9186	16.2339
C	13.2024	15.5177	16.8672
C	12.9073	14.9993	18.1121
H	12.5915	16.3074	16.4548
C	14.7954	15.3613	14.8622
H	14.34	16.3131	14.5877
H	15.8784	15.4854	14.8432
H	14.5173	14.6199	14.113
S	16.1664	11.4771	17.38
C	17.9057	11.328	17.1886
C	18.4526	12.5403	16.785
C	17.4734	13.5769	16.6727
C	16.1873	13.1801	16.98
H	17.665	14.598	16.3769
C	19.9131	12.8048	16.4936
H	20.1169	13.8756	16.4659
H	20.5433	12.3593	17.2636
H	20.1891	12.3787	15.529
S	18.0552	8.55975	17.3369
C	19.2143	7.82535	18.4327
C	20.018	8.80102	19.0101
C	19.6672	10.1232	18.592
C	18.612	10.1774	17.7034
H	20.1508	11.0356	18.9091
C	21.1461	8.55976	19.9885
H	21.419	9.48157	20.5029
H	20.8505	7.82696	20.7395
H	22.0263	8.18573	19.4654
S	17.9505	5.30647	18.0435
C	18.9171	3.86173	18.2476
C	20.2336	4.16852	18.5469
C	20.4544	5.57957	18.6188
C	19.3237	6.34174	18.389
H	21.3974	6.06225	18.8302
C	21.3414	3.1674	18.7759
H	21.6673	3.19645	19.8158
H	21.0037	2.15585	18.5489
H	22.1964	3.39507	18.139
H	9.04676	18.6079	24.9508
H	18.5476	2.85189	18.1459

*

Example python script for ANN regression

```

import sys
import numpy as np
import pandas
import math
from keras.models import Sequential
from keras.optimizers import SGD
from keras.layers import Dense
from keras.layers import Activation
from keras.layers import Dropout
from keras.layers.normalization import BatchNormalization
from keras.wrappers.scikit_learn import KerasRegressor
from keras.constraints import maxnorm
from sklearn.model_selection import cross_val_score
from sklearn.model_selection import KFold
from sklearn.preprocessing import StandardScaler
from sklearn import preprocessing
from sklearn import cross_validation
from sklearn.pipeline import Pipeline
import matplotlib.pyplot as plt
from sklearn.metrics import mean_squared_error, r2_score, explained_variance_score
from sklearn.linear_model import LinearRegression
from pandas.tools.plotting import scatter_matrix
from keras.callbacks import EarlyStopping
from keras.callbacks import ModelCheckpoint

def write_2col(arrx,arry,filename):

```

```

with open(filename,'w') as f:
    for i in range(len(arrx)):
        f.write("{} \t {} \n".format(arrx[i],arry[i]))

#load dataset
path = '/home/jackson/ML/P3MT/datasets/'

df300 = pandas.read_csv(path+"P3MT_dih_HOMO_300K_flex_CG4_dist.csv", delim_whitespace=True, header=None)

ds300 = df300.values

#split into input(X) and output(Y) variables

X300 = ds300[:, :-6]
Y300 = ds300[:, -6:]

Xuse = X300
Yuse = Y300
in_dim = len(Xuse[0])

#define base neural net model
def baseline_model():
    model = Sequential()
    model.add(Dense(50, input_dim=in_dim, kernel_initializer='he_normal',kernel_constraint=maxnorm(3)))
    model.add(BatchNormalization())
    model.add(Activation('elu'))
    model.add(Dense(50,kernel_initializer='he_normal',kernel_constraint=maxnorm(3)))
    model.add(BatchNormalization())
    model.add(Activation('elu'))
    model.add(Dense(50,kernel_initializer='he_normal',kernel_constraint=maxnorm(3)))
    model.add(BatchNormalization())
    model.add(Activation('elu'))
    model.add(Dense(6, kernel_initializer='he_normal'))
    #If you want to load in a previous model, you can do it here before compiling
    #model.load_weights('weights.best.hdf5')
    #Compile model
    model.compile(loss='mean_squared_error', optimizer='Nadam',metrics=['mean_squared_error'])
    return model

seed = 434256
np.random.seed(seed)

MAE_val_list = []
R2_val_list = []
ind_list = []
ind_MAE_list = []
ind_std_list = []
ind_R2_list = []
ind_R2_std_list = []

RMSE = []
r2 = []
RMSE_train = []
r2_train = []

kfold = KFold(n_splits=5, shuffle=True, random_state=np.random.randint(1,1000000))

for train,test in kfold.split(Xuse,Yuse):
    model = baseline_model()
    X_scaler = preprocessing.StandardScaler()
    x_scaled = X_scaler.fit_transform(Xuse[train])
    Y_scaler = preprocessing.StandardScaler()
    y_scaled = Y_scaler.fit_transform(Yuse[train])
    model.fit(x_scaled,y_scaled, nb_epoch=2000, batch_size=1000, verbose=0)
    predicted_train = model.predict(X_scaler.transform(Xuse[train]))
    predicted_train = Y_scaler.inverse_transform(predicted_train)
    predicted_val = model.predict(X_scaler.transform(Xuse[test]))
    predicted_val = Y_scaler.inverse_transform(predicted_val)
    RMSE.append(math.sqrt(mean_squared_error(Yuse[test],predicted_val)))
    r2.append(r2_score(Yuse[test],predicted_val))
    RMSE_train.append(math.sqrt(mean_squared_error(Yuse[train],predicted_train)))
    r2_train.append(r2_score(Yuse[train],predicted_train))

print(model.summary())

```

```
print('5-fold train RMSE:',RMSE_train,np.mean(RMSE_train),np.std(RMSE_train))
print('5-fold train r2:',r2_train,np.mean(r2_train),np.std(r2_train))
print('5-fold cross-val RMSE:',RMSE,np.mean(RMSE),np.std(RMSE))
print('5-fold cross-val r2:',r2,np.mean(r2),np.std(r2))
```